Design and Analysis of Algorithms Tutorial-3 Date: // 1-4-22 an element in a souted array with minimum comparisons. Ans.l. for (i= 0 to n) if (arti] == value)

// element is found. Q.2. Write pseudocode for iterative and recursive insertion sout. Insertion sort is called online sorting. Why? What about other sorting argorithms that has been discussed in lectures? void insertSort(int am [], int n) returning of the Bosses all insertion (arr, n-1); int n+h = lan [n-1]int j = n-2while $(j^{\circ}) = 0$ for $(j^{\circ}) > n+h$ and $(j^{\circ}) = 1$ and $(j^{\circ}) = 1$ and $(j^{\circ}) = 1$ and $(j^{\circ}) = 1$ Taller

for(1°=1 ton) //iterative key + A [i]

j + i-1

while (j>=0 and A[j] > key) A[]+1] = A[]] Brock Arch ach roles success Insertion sortis known as online Sorting be eause it doesn't know the while the insertion sorting runs. Q3. Complexity of all the sorting algorithms discussed in lectures. Sorting Type Worst Case Best case Avg. Case 8(n) O Selection Sorting 0(n2) O(n2) O(n) a) Bubble Sorting O(n2) 3) Insertion Sorting O (n2) O (n2) O(n logn 4) Heap Sorting

5) Quick Sorting O(nlogn) O(n log n)

O(n log n)

O(n logn)

Merge Sorti

(n2)

O (n logn)

0 (n 1097)

O(n (0g n)

Q.4.	Sorting	Stable	Online
	Sorting Bubble Sort	Sorting	Sorting
	D Bubble Sort	1 Merge Sout	Odnsertion
	2) Selection Sort	@ Bubble 11	Sorting
	3 Insertion Sort	3 Annestion 11	U
	(4) Heap Sort	(4) Count 11	
	(5) Quick Sort		
1 -	0	Live of a vice	200
Ans. 5.	int binary (int	arr[], intl,	int 8, int x)
		一直的原则是一个一个	
	if (r>= l)		umsive
:42-0	a things result of	noilalen maer	most of the
	int mid =	1+(n-1)/2,	
		$dI = = \infty$	
		mid:	
	ase if case	[mid] >0()	
	else	inary (arr, l,	m-1,20);
			1
	300000 611	rang (am m.	+1, oc, n);
	; 1- nowber		
	3 a series de la constante		
	int bingy (int c	ni, Ithi, [] ma	tr, intre)
	{	11:	terative
	while (1 <= H		
	{		
12	int m=l+		X No
18.7	if (ar[m]		202
	return r	η;	

(3)	Date: / (y)
	Date: / /
5.00	else if (arr [m//d]) re)
AU HA	3 m-1; 8034:08
U TO	else l'estrait l'Arac a Kouskille
	l= m+1;
	3 Mark Mark Color
	return-1;
	}
	Time complexity of:
14 9 16	Binary Search - O(logn) Linear Search - O(n)
	Linear Search - O(n)
	Carrier A. Marcane
Ans. 6	Recurrence relation for binary recursive parch:
	T(n) = T(n/2) + 1
	T(n)= time regd. for binary search in an
	array of size 'n'.
1\	
Hrs.7	int find (int A[], inth, int k)
	1
100 (gr	Sort (A, m);
	for (inti=0 to n-1)
	19 (200 0) (1 (1 (1 (1 (1 (1 (1 (1 (1 (1 (1 (1 (1
	x = binary Search (A, U, n-1, k-A[i]) if(n)
1	
	Form 1;
21	
	retum-1;
	Time Complexity = O(n log n)+ n O(log n) = O(n log n).
	O(n log n).

Ans. 8. Quick sort is the fastest general purpose sort In most practical si tuations, quick sort is the method of choice. If shability is important and spour is available, menge isonot might be best Ans 9 A pair (ali), ali) es said to be inver Sion of if: a [i] > a [j] In am[] = [7,21, 31,8,10,1, 20,6,4, total no. of inversion or 31,53. Using merge sort. The worst case time-complexity of quick sort is O(n2). This case occurs when A-10. the picked pivot is always on extreme (smallest or longest) element. This happens when i/p array is sorted or severse sorted. The best case of quick nort is when we'll select prot as a mean element trumena relation of: Merge Sort > T(n)= 2T(n/2)+n Quick sort -> T(n)= &T(n/2)+n. · Merge sort is more efficient and works faster flan quick sont in care of larger

	Date: / 6
	array size or datasets.
	. Worst case complexity for augi
	worst case complexity for quit Sort is O (nº), whereas O (n log n) for merge sort.
	merge sort.
	LOCAL OF THE PROPERTY OF THE P
4.12	Stable Selection Sort.
	void stable Selection (int ano [], int n)
	a { int a int m)
	for (inti=0; i <n-1; i++)<="" th=""></n-1;>
	(11-17-17-17)
	int min=1.
,10	int min=1; for(int j=i+1; j < m; j++)
	() () () () () () () () () ()
	if (gratmin) - [0]
	if (arotmin) > aroti] min=j;
	1111 - 1 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2

int key = arr [min]; while (min > i)

ar [min]= ar [min-1];

Ore [i] = Kon.

Ans. 13. Modified Bubble Sorting

Date: / /

void bubble Sort (int A[], int n)

for (int i=0; jixn; i++)

int swap = 0;
for (int j=0; j<n-1-i; j++)

if (AL) > AL (+17)

ind t = A[i];

A[j+1] = t;

if (swaps==0) break;