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Housekeeping

```
clear all;
close all;
clc;
```

Create the necessary constants

```
First get t_0 from r_1_norm
a = 7735.6; % [km]
theta = 4.4588;
e = 0.6271;
T = 28801; % [s]
r_1_norm = 5569.5;% [km]
E_1 = -2*atan(sqrt((1-e)/(1+e))*tan(theta/2));
Me 1 = E 1 - e*sin(E 1);
t_0 = Me_1 * T/(2*pi);
t_0 = T - t_0;
% Generally this problems are begin with a known time and period
t = t_0 + 7200; % [s]
% And if position is to be calculated then eccentricity and semi-major
% will be needed
mu = 22030;
h = 10168;
% Calculate the mean anomaly
M_e = (t/T) * 2*pi; % [rad]
```

Begin implementing Newton-Raphson

This error was chosen based off numerical analysis standards. This is how many digits MATLAB is precise to and therefore it's our tolerance.

```
tolerance = 1*(10^(-16));

% As per the book on page 153 choose an initial guess for E
if M_e < pi
E = M_e + e/2;
else
E = M_e - e/2;
end
% This initial value of delta is necessary for the while loop to start
delta = 1;
% Every iteration check if the difference is within the tolerance
while abs(delta) > tolerance
    delta = (E - e*sin(E) - M_e)/(1 - e*cos(E));
    E = E - delta;
end
```

Now calculate the position if necessary

```
 \begin{array}{l} r = a*(1-e*cos(E)); \; % \; [km] \\ \text{theta} = acos((((a*(1-e^2))/r)-1)/e); \\ \text{% Get the position and velocity in the perifocal frame} \\ r_p = r*cos(theta); \\ r_q = r*sin(theta); \\ \\ v_p = (mu/h)*(-sin(theta)); \\ \\ v_q = (mu/h)*(e+cos(theta)); \\ \end{array}
```

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