#### **Table of Contents**

Housekeeping
Create necessary variables
Solve for Global K matrix for bar 2
Solve for Global K matrix for bar 3
Merge the global K matrices
Apply Boundary Conditions
Solve for the displacements
Solve for reaction forces
Solve for internal forces in the bars
\$
88888 8888
% ASEN 3112 - Homework 7
8
% Created By: Johnathan Tucker
8 8
% Collaborators: N/A
%
% The purpose of the script is to perform calculations for the DSM-FEM
% problem(7.2) on homework 7
%
% Created Date: 3/14/2020
6 CIECLEC Dale: 5/14/2020 %55588558855885858858588588588858885888
%%%%%

# Housekeeping

```
clc;
close all;
clear all;
```

## **Create necessary variables**

```
E = 3000;
L_1 = 30;
L_2 = 20*sqrt(3);
L_3 = 20;
A_1 = 2;
A_2 = 4;
A_3 = 3;
K_hat_1 = [200, 0 ; 0 , 0];
```

### Solve for Global K matrix for bar 2

```
phi_2 = -30;
```

```
K_hat_2 = (E*A_2/L_2).*[(cosd(phi_2))^2 , sind(phi_2)*cosd(phi_2) ;
sind(phi_2)*cosd(phi_2) , (sind(phi_2)^2)];
K_mat_2 = [K_hat_2 , -K_hat_2 ; -K_hat_2, K_hat_2];
fprintf("Global K2 matrix is:\n")
disp(K_mat_2)
fprintf("\n")
Global K2 matrix is:
259.8076 -150.0000 -259.8076 150.0000
-150.0000 86.6025 150.0000 -86.6025
-259.8076 150.0000 259.8076 -150.0000
150.0000 -86.6025 -150.0000 86.6025
```

#### Solve for Global K matrix for bar 3

```
phi_3 = -120;
K_hat_3 = (E*A_3/L_3).*[(cosd(phi_3))^2 , sind(phi_3)*cosd(phi_3) ;
    sind(phi_3)*cosd(phi_3) , (sind(phi_3)^2)];
K_mat_3 = [K_hat_3 , -K_hat_3 ; -K_hat_3, K_hat_3];
fprintf("Global K3 matrix is:\n")
disp(K_mat_3)
fprintf("\n")

Global K3 matrix is:
    112.5000    194.8557    -112.5000    -194.8557
    194.8557    337.5000    -194.8557    -337.5000
-112.5000    -194.8557    112.5000    194.8557
-194.8557    -337.5000    194.8557    337.5000
```

## Merge the global K matrices

```
K_global = [K_hat_1 , zeros(2,2) , zeros(2,2) , -K_hat_1 ; ...
    zeros(2,2) , K_hat_2 , zeros(2,2) , -K_hat_2;...
    zeros(2,2), zeros(2,2), K hat 3, -K hat 3;...
    -K_hat_1, -K_hat_2, -K_hat_3, K_hat_1+K_hat_2+K_hat_3];
fprintf("Full global K matrix is:\n")
disp(K_global)
fprintf("\n")
Full global K matrix is:
 Columns 1 through 7
  200.0000
                                                          0 -200.0000
                           0
                  0
                                                0
         0
                                      0
                                                          0
                  0 259.8076 -150.0000
         0
                                                0
                                                          0 -259.8076
                 0 -150.0000 86.6025
         0
                                                0
                                                          0 150.0000
         0
                           0
                                      0 112.5000 194.8557 -112.5000
                                      0 194.8557 337.5000 -194.8557
         0
                  0
                            0
                 0 -259.8076 150.0000 -112.5000 -194.8557 572.3076
 -200.0000
```

```
0 0 150.0000 -86.6025 -194.8557 -337.5000 44.8557

Column 8

0
0
150.0000
-86.6025
-194.8557
-337.5000
44.8557
424.1025
```

## **Apply Boundary Conditions**

```
f = [0; -200];
K_global_reduced = K_hat_1+K_hat_2+K_hat_3;
fprintf("Reduced K matrix is:\n")
disp(K_global_reduced)
fprintf("\n")

Reduced K matrix is:
    572.3076    44.8557
    44.8557    424.1025
```

# Solve for the displacements

```
u_vec = K_global_reduced\f;
fprintf("Displacement solutions are ux4 = %f and uy4 = %f
\n",u_vec(1,1), u_vec(2,1))

Displacement solutions are ux4 = 0.037270 and uy4 = -0.475526
```

#### Solve for reaction forces

```
0.0000
-200.0000
```

#### Solve for internal forces in the bars

```
 F_{-1} = f_{-reactions}(1,1)*cos(0); \\ F_{-2} = f_{-reactions}(3,1)*cosd(phi_{-2}) + f_{-reactions}(4,1)*sind(phi_{-2}); \\ F_{-3} = f_{-reactions}(5,1)*cosd(phi_{-3}) + f_{-reactions}(6,1)*sind(phi_{-3}); \\ fprintf("Internal forces in the bars are: F1 = %f, F2 = %f, F3 = %f \n", F_{-1}, F_{-2}, F_{-3}) \\ Internal forces in the bars are: F1 = -7.454054, F2 = -93.544600, F3 = -176.932108
```

Published with MATLAB® R2019a