# Strength of Materials

# Introduction

- Strength of Materials can be simply defined as the ability of a material to resist the application of force. The effects of dynamic loading are probably the most important practical part of the strength of materials, especially the problem of fatigue.
- The study of Strength of Materials is concerned specifically with the following issues:

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- by the external forces of a member caused system.
- **2.** The changes in dimension of a member caused by these forces.
- > 3. The physical properties of the material the member is made of.
- Static is the study of the behavior of rigid bodies at rest as external forces act upon them.

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- Although most of these bodies are not absolutely rigid, the assumption of rigidity is valid for the purpose of determining the reactions of the system. Actually, every material will get deformed under a load. Even concrete slabs get microscopically deformed when a person walks on it.
- resisting forces within all of the members that form the load path from the load's point of application to the ground beneath the foundation.

- ► The following are basic definitions and equations used to calculate the strength of materials:
- Stress is the ratio of applied load to the cross-sectional area of an element in tension or compression and is expressed in pounds per square inch (psi) or N/m2
  - $Strain(\varepsilon) = \frac{Change\ in\ length}{Original\ length} = \frac{\Delta L}{L}$

 $Stress(\sigma) =$ 

Load

- Strain (normal): A measure of the deformation of  $Strain(\varepsilon) = 0$  the material and is dimensionless.
- Modulus of elasticity: Since stress is proportional to load, and strain is proportional to deformation, this implies that stress is proportional to strain.

$$E = \frac{\sigma}{\varepsilon} = \frac{Stress}{Strain}$$

- Proportionality. The constant is the modulus of elasticity, Young's or the tensile modulus and is the material's stiffness, If a material obeys Hooke's law, it is elastic.
- Proportional Limit: the greatest stress at which a material is capable of sustaining the applied load without deviating from the proportionality of stress to strain

- Ultimate Strength (tensile): maximum stress a material stands when subjected to an applied load; dividing the load at failure by the original cross-section area determines the value.
- Elastic Limit: The point on the stress-strain curve beyond which the material permanently stays deformed after removing the load.
- Yield Strength: point at which material exceeds the elastic limit and will not return to its original shape or length if the stress is removed.

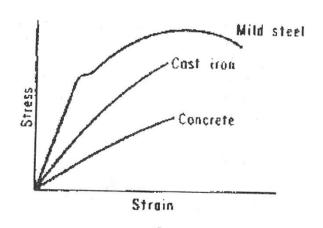
- Poisson's ratio: is the ratio of the lateral to longitudinal strain, a dimensionless constant used for stress and deflection analysis of structures such as beams, plates and rotating discs.
- Dending stress: When bending a piece of metal, one surface of the material stretches in tension, while the opposite surface compresses. There is a line or region of zero stress between the two sides of the beam, called neutral axis, where the beam doesn't get compressed neither tensed.

 $v = \frac{lateral\ strain}{longitudinal\ strain}$ 

- Pielding: It occurs when the design stress exceeds the material yield strength. The yield point of a material is defined in engineering as the stress at which a material begins to plastically deform.
- Fatigue is the progressive and localized structural damage that occurs when a material is subjected to cyclic loading. It is also the maximum stress limit of the material.

#### Stress-strain curve

The relationship between the stress and the strain that a material shows is known as a **Stress-Strain Curve**. It is unique for each material and is given by plotting the amount or deformation (strain) at distinct intervals of tensile or compressive loading.



#### **Beams**

- loads; these loads are applied generally perpendicular to its longitudinal axis (the longest side), often they have a rectangular cross-sectional shape, but they can be of any geometry.
- Beam types are determined by method of supports, not by method of loading. The beam types: simple and cantilever, are statically determinable, meaning that the reactions in the supports, shears and moments can be calculated

#### **Beams**

- **Continuous beams** are statically indeterminate; the internal forces of these beams cannot be found by using the laws of static alone. A number of formulas have been derived to simplify their analysis.
- Two beam loading conditions that either occur independently, or combined are: **Concentrated**, either a force or a moment can be applied as a concentrated load. Both are applied at a single point along the beam axis; these loads are shown as a "jump" in the shear or moment diagrams. **Distributed**, these loads can be uniformly or non-uniformly distributed.