

# Jpeg Compression

## Pictures, Images and Waves

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# JPEG Image Compression

- Joint Photographic Experts Group

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- Lossy compression

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- Lossy compression
  - Smaller file size
  - Maintain image quality
  - Human perception is limited

# Compression

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  - Compression ratio of  $\frac{20}{10} = 2$
- Many other methods
- JPEG specific to images

# Mathematical Basis

## ■ Discrete Cosine Transform

$$D_m^M(u) = c_m \sqrt{\frac{2}{M}} \cos\left(\frac{\pi m(2u+1)}{2M}\right) \quad m = 0 \dots M-1$$

$$G(m, n) = \sum_{u=0}^{M-1} \sum_{v=0}^{N-1} g(u, v) D_m^M(u) D_n^N(v)$$

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# Mathematical Basis

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$$D_m^M(u) = c_m \underbrace{\sqrt{\frac{2}{M}} \cos \left( \overbrace{\frac{\pi m(2u+1)}{2M}}^{\text{Different coefficients}} \right)}_{\text{Cosine Waves}} \quad m = 0 \dots M-1$$

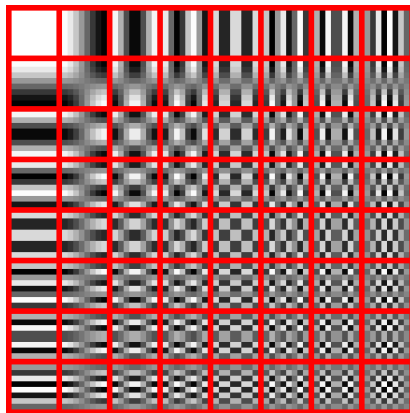
$$G(m, n) = \sum_{u=0}^{M-1} \sum_{v=0}^{N-1} g(u, v) D_m^M(u) D_n^N(v)$$

# Conceptual Basis

- Based on waves
- Split image into "waves"
  - Vertical
  - Horizontal

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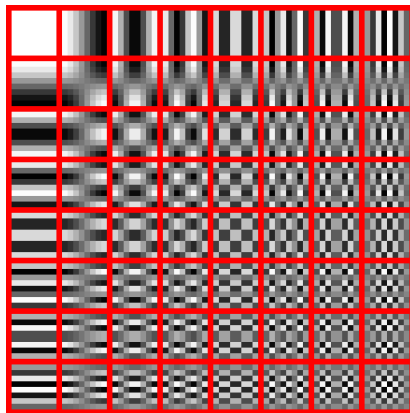
- Based on waves
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  - Horizontal





# Conceptual Basis

- Based on waves
- Split image into "waves"
  - Vertical
  - Horizontal
- Want to choose the waves that we remove so that they won't be missed.



# Step by Step

- Decompose image into "waves"

# Step by Step

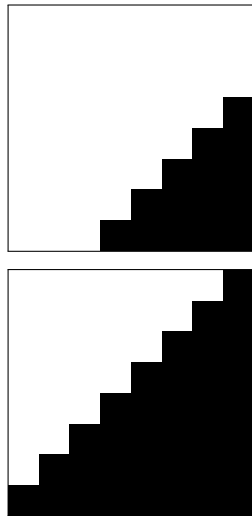
- Decompose image into "waves"
- Arrange waves according to frequency
  - Highest frequency - top left
  - Lowest frequency - bottom right

## Step by Step

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- Erase bottom right corner
- Recompile image

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## Original Image



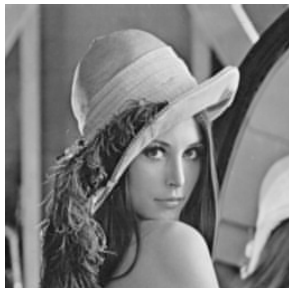
- 236 KB
- Uncompressed GIF image

# Results

A bit more information about this



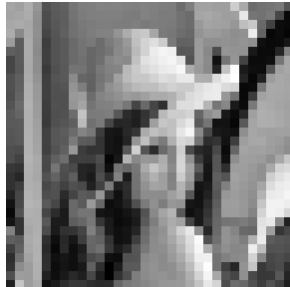
41.4 KB



25.4 KB



36.9 KB



2.5 KB

## Compressed Image



- 41.1 KB
- Compressed JPEG image



