

**VISVESVARAYA TECHNOLOGICAL  
UNIVERSITY**

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**LAB REPORT on**

**Artificial Intelligence (23CS5PCAIN)**

*Submitted by*

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*in partial fulfillment for the award of the degree of*  
**BACHELOR OF ENGINEERING**  
*in*  
**COMPUTER SCIENCE AND ENGINEERING**



**B.M.S. COLLEGE OF ENGINEERING**

(Autonomous Institution under VTU)

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**B.M.S. College of Engineering,  
Bull Temple Road, Bangalore 560019  
(Affiliated To Visvesvaraya Technological University, Belgaum)**  
**Department of Computer Science and Engineering**



**CERTIFICATE**

This is to certify that the Lab work entitled “Artificial Intelligence (23CS5PCAIN)” carried out by **JAWIN ROYS FERNANDES (1BM23CS122)**, who is bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements in respect of an Artificial Intelligence (23CS5PCAIN) work prescribed for the said degree.

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Roll No CS122 Subject AI Lab School/College \_\_\_\_\_

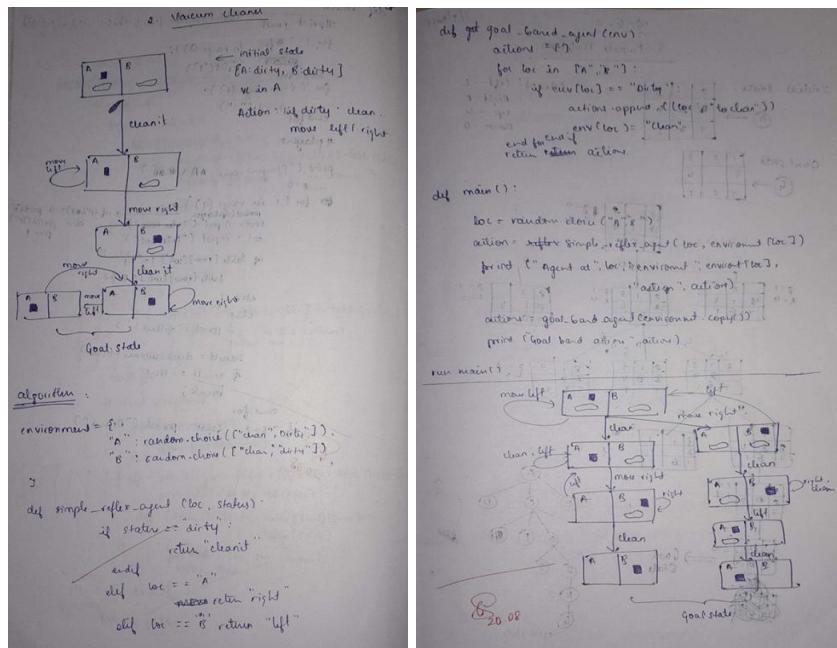
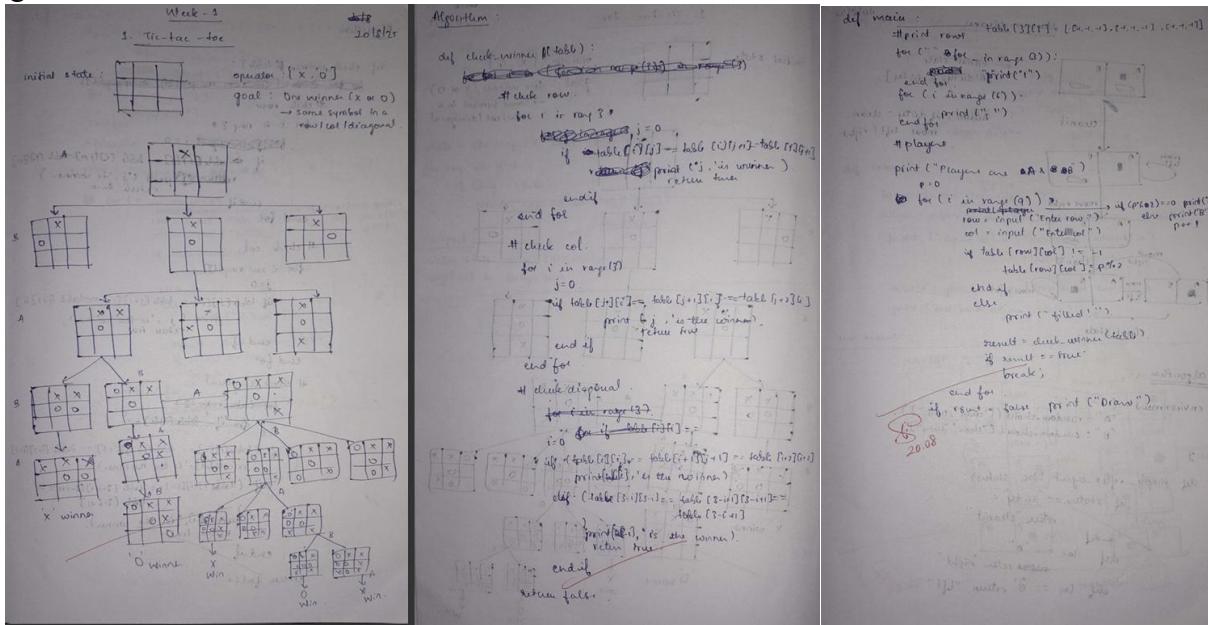
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## Program 1

Implement Tic – Tac – Toe Game  
Implement vacuum cleaner agent

Algorithm:



Code: #tic\_tac\_toe def  
print\_board(board): for row in board:  
print(" | ".join(row)) print("-- \* 5)

```

def check_winner(board, player):
    # Check rows    for row in board:      if
    all(cell == player for cell in row):
        return True

    # Check columns   for col in range(3):      if
    all(board[row][col] == player for row in range(3)):
        return True

    # Check diagonals   if all(board[i][i] == player
    for i in range(3)) or \
        all(board[i][2 - i] ==
    player for i in range(3)):
        return True

    return False

def tic_tac_toe():
    board = [[" " for _ in range(3)]]
    for _ in range(3)]    players = ["X", "O"]
    moves = 0

    while    moves    <    9:
        print_board(board)    player =
        players[moves % 2]
        print(f"Player {player}'s turn")

        row = int(input("Enter row (0-2): "))
        col = int(input("Enter col (0-2): "))

        if board[row][col] == " ":
            board[row][col] = player    moves += 1
        else:    print("Cell already taken, try
again!")    continue

        if check_winner(board, player):
            print_board(board)
            print(f"Player {player} wins!")
            return

    print_board(board)
    print("It's a draw!")

# Run the game  tic_tac_toe()

```

```

#vaccum cleaner import
random

# Environment: 2 rooms A and B, both start dirty environment =
{
    "A": "Dirty",
    "B": "Dirty"
}

# Simple Reflex Agent def
simple_reflex_agent(location, status):    if
status == "Dirty":
    return "Cleanit please"
elif location == "A":
return "Right"
else:
    return "Left"

# Goal-Based Agent def
goal_based_agent(env):    actions = []    for
location in ["A", "B"]:
    if env[location] ==
"Dirty":        actions.append((location,
"toClean"))        env[location] = "Clean"
return actions

# Simulation def run_simulation():
    print("Initial Environment:", environment)

    # Reflex agent    location = random.choice(["A", "B"])    action =
simple_reflex_agent(location, environment[location])    print(f'Reflex Agent at
{location} sees {environment[location]} -> Action: {action}')

    # Goal-based agent    actions =
goal_based_agent(environment.copy())
print("Goal-Based Agent Actions:", actions)
run_simulation() Output:

```

```

File Edit Shell Debug Options Window Help
-----
| |
Player O's turn
Enter row (0-2): 0
Enter col (0-2): 2
| X | O
-----
| |
Player X's turn
Enter row (0-2): 1
Enter col (0-2): 1
| X | O
-----
| X |
Player O's turn
Enter row (0-2): 2
Enter col (0-2): 1
| X | O
-----
| X |
| O |
Player X's turn
Enter row (0-2): 1
Enter col (0-2): 0
| X | O
-----
X | X |
| O |
Player O's turn
Enter row (0-2): 2
Enter col (0-2): 2
| X | O
-----
X | X | X
| O | O
Player X's turn
Enter row (0-2): 1
Enter col (0-2): 2
| X | O
-----
X | X | X
| O | O
Player X wins!
>>>

```

```

=====
RESTART: D:/1BM23CS145/AI/vaccumcleaner.py =====
Initial Environment: {'A': 'Dirty', 'B': 'Dirty'}

Simple Reflex Agent starts at A
Step 1: Clean A
Step 2: Move Right to B
Step 3: Clean B
Step 4: Move Left to A
Environment after Reflex Agent: {'A': 'Clean', 'B': 'Clean'}

Goal-Based Agent starts at A
Step 1: Clean A
Step 2: Move to B
Step 3: Clean B
Environment after Goal-Based Agent: {'A': 'Clean', 'B': 'Clean'}

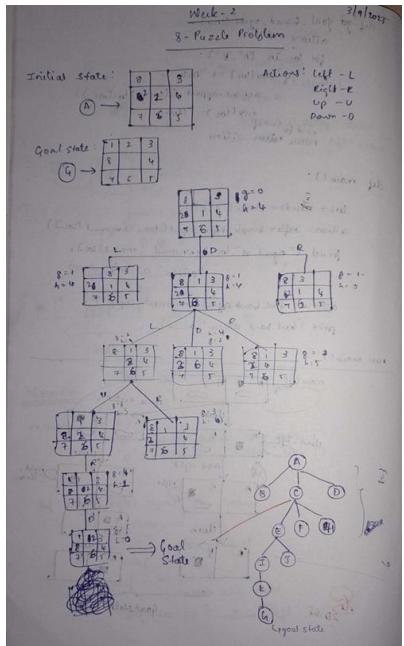
```

## **Program 2**

Implement 8 puzzle problems using Depth First Search (DFS)

Implement Iterative deepening search algorithm

Algorithm:



```

→ DFS (start_state, global_state)
    stack ← empty
    visited ← empty set
    push (start_state, [ ]), into stack
    while stack not empty:
        (state, path) ← pop (stack)
        if state == goal_state:
            return path
        if state not in visited:
            add state to visited
            for each neighbour in expand (state):
                newpath = path + [neighbour]
            push(neighbour, newpath) onto stack.
    return 'no soln'

→ IDFS (start, goal):
    depth ← 0
    while True:
        result ← DLS (start, goal, depth)
        if result == 'cutoff':
            return result
        depth = depth + 1

DLS (state, goal, limit):
    return recursiveDLS (state, goal, limit, [ ])
recursiveDLS (state, goal, limit, path):
    if state == goal:
        return path
    if limit == 0:
        return 'cutoff'
    cutoff_occurred = false
    for each neighbour in expand (state):
        if neighbour not in path:

```

```

    result = recursiveDLS (neighbour, goal, limit+1,
                           path + [neighbour])
    if result == 'cutoff':
        cutoff_occurred = True
    else if result != 'Failure':
        release result
    else:
        return 'Failure'
        break
    if cutoff_occurred:
        release cutoff

```

Code: from collections import deque  
import copy

```
goal_state = [[1, 2, 3],
              [4, 5, 6],
              [7, 8, 0]]
```

```
moves = [(-1,0), (1,0), (0,-1), (0,1)]
```

```
def find_blank(state):
    for i in range(3):
        for j in range(3):
            if state[i][j] == 0:
                return i, j
```

```
def get_neighbors(state):
    neighbors = []
    x, y = find_blank(state)
    for dx, dy in moves:
        nx, ny = x + dx, y + dy
        if 0 <= nx < 3 and 0 <= ny < 3:
            new_state = copy.deepcopy(state)
            new_state[x][y], new_state[nx][ny] = new_state[nx][ny], new_state[x][y]
            neighbors.append(new_state)
    return neighbors
```

```
def is_goal(state):
    return state == goal_state
```

```

def print_state(state):
    for row in state:
        print(row)
    print()

def dfs(start_state, limit=50):
    stack = [(start_state, [])]
    visited = set()

    while stack:
        state, path = stack.pop()
        state_tuple = tuple(tuple(row) for row in state)

        if state_tuple in visited:
            continue
        visited.add(state_tuple)

        if is_goal(state):
            return path + [state]

        if len(path) >= limit:
            continue

        for neighbor in get_neighbors(state):
            stack.append((neighbor, path + [state]))
    return None

def dls(state, depth, path, visited):
    if is_goal(state):
        return path + [state]
    if depth == 0:
        return None

    state_tuple = tuple(tuple(row) for row in state)
    visited.add(state_tuple)

    for neighbor in get_neighbors(state):
        neighbor_tuple = tuple(tuple(row) for row in neighbor)
        if neighbor_tuple not in visited:
            result = dls(neighbor, depth - 1, path + [state], visited)
            if result:
                return result
    return None

```

```

def ids(start_state, max_depth=50):    for
    depth in range(max_depth):        visited = set()
    result = dls(start_state, depth, [], visited)
    if result:            return result    return None

if __name__ == "__main__":
    start_state = [[1, 2, 3],
                   [4, 0, 6],
                   [7, 5, 8]]

    print("DFS Solution:")  sol_dfs =
    dfs(start_state, limit=20)  if
    sol_dfs:      for step in sol_dfs:
        print_state(step)  else:
            print("No solution found with DFS")

    print("\nIDS Solution:")  sol_ids =
    ids(start_state, max_depth=20)  if
    sol_ids:      for step in sol_ids:
        print_state(step)  else:
            print("No solution found with IDS")

```

Output:

```

>>> ===== RESTART: D:\IBM23CS145\AI\8puzzle.py =====
DFS Solution:
[1, 2, 3]
[4, 0, 6]
[7, 5, 8]

[1, 2, 3]
[4, 6, 0]
[7, 5, 8]

[1, 2, 3]
[4, 6, 8]
[7, 0, 5]

[1, 2, 3]
[4, 6, 8]
[0, 7, 5]

[1, 2, 3]
[0, 6, 8]
[4, 7, 5]

[1, 2, 3]
[6, 0, 8]
[4, 7, 5]

[1, 2, 3]
[6, 7, 8]
[0, 4, 5]

[1, 2, 3]
[0, 7, 8]
[6, 4, 5]

[1, 2, 3]
[7, 0, 8]
[6, 4, 5]

[1, 2, 3]
[7, 4, 8]
[6, 0, 5]

[1, 2, 3]
[7, 4, 8]
[6, 0, 5]

[1, 2, 3]
[7, 4, 8]
[0, 6, 5]

[1, 2, 3]
[0, 4, 8]
[7, 6, 5]

[1, 2, 3]
[4, 0, 8]
[7, 6, 5]

[1, 2, 3]
[4, 8, 0]
[7, 6, 5]

[1, 2, 3]
[4, 8, 5]
[7, 6, 0]

[1, 2, 3]
[4, 8, 5]
[7, 0, 6]

[1, 2, 3]
[4, 0, 6]
[7, 8, 6]

[1, 2, 3]
[4, 5, 0]
[7, 8, 6]

[1, 2, 3]
[4, 5, 6]
[7, 8, 0]

IDS Solution:
[1, 2, 3]
[4, 0, 6]
[7, 5, 8]

[1, 2, 3]
[4, 5, 6]
[7, 0, 8]

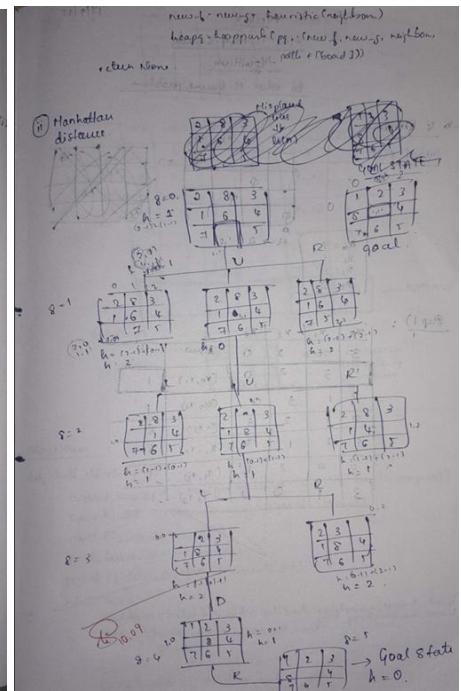
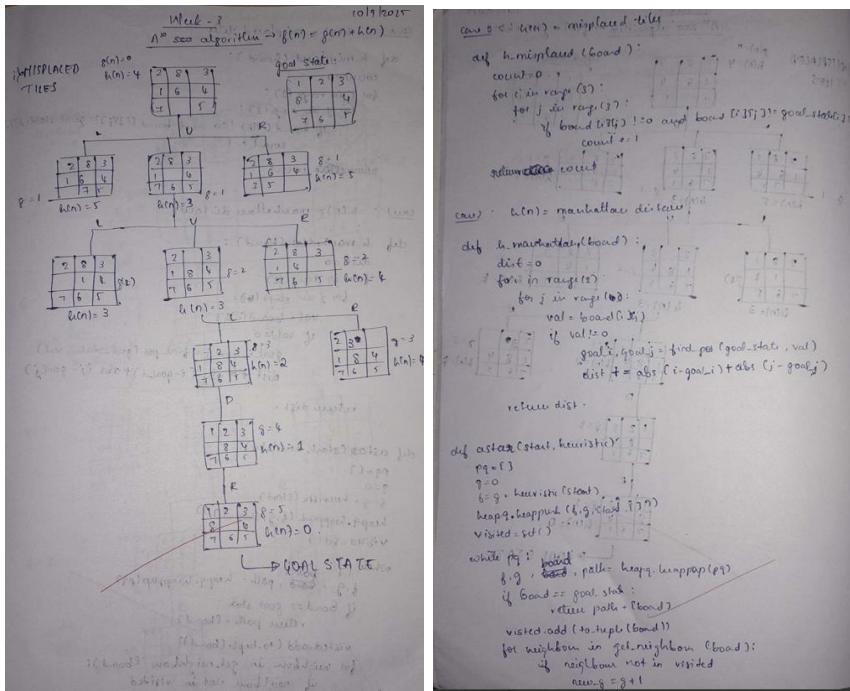
[1, 2, 3]
[4, 5, 6]
[7, 8, 0]

```

## Program 3

Implement A\* search algorithm

Algorithm:



Code:

import heapq

```
goal_state = [[1,2,3],
[8,0,4],
[7,6,5]]
```

```
moves = [(1,0), (-1,0), (0,1), (0,-1)]
```

```
def to_tuple(board):
    return tuple(tuple(row) for row in board)
```

```
def find_pos(board, value):
    for i in range(3):
        for j in range(3):
            if board[i][j] == value:
                return (i, j)

# Heuristic 1: misplaced tiles
def h_misplaced(board):
    count = 0
    for i in range(3):
        for j in range(3):
            if board[i][j] != 0 and board[i][j] != goal_state[i][j]:
                count += 1
    return count
```

```
# Heuristic 2: manhattan distance
def h_manhattan(board):
```

```

dist = 0    for i in
range(3):    for j in
range(3):        val =
board[i][j]            if val
!= 0:
            goal_i, goal_j = find_pos(goal_state, val)
dist += abs(i - goal_i) + abs(j - goal_j)    return dist

def get_neighbors(board):
neighbors = []    x, y =
find_pos(board, 0)    for dx,
dy in moves:
            nx, ny = x + dx, y + dy      if 0
<= nx < 3 and 0 <= ny < 3:
            new_board = [list(row) for row in board]      new_board[x][y],
new_board[nx][ny] = new_board[nx][ny], new_board[x][y]
neighbors.append(new_board)    return neighbors

def print_board(board):    for
row in board:
            print(''.join(str(x) for x in row))
print()

def astar(start, heuristic):
pq = []
g = 0
f = g + heuristic(start)
heapq.heappush(pq, (f, g, start, []))
visited = set()

while pq:
    f, g, board, path = heapq.heappop(pq)
    if board == goal_state:        return path
    + [board]

    visited.add(to_tuple(board))

    for neighbor in get_neighbors(board):        if
to_tuple(neighbor) not in visited:
            new_g = g + 1        new_f = new_g +
heuristic(neighbor)        heapq.heappush(pq, (new_f, new_g,
neighbor, path + [board])))
return None

```

```

start_state1 = [[1,2,3],
               [4,0,6],
               [7,5,8]]

start_state2 = [
    [2, 8, 3],
    [1, 6, 4],
    [7, 0, 5]
]

start_state3 = [
    [8, 0, 3],
    [2, 1, 4],
    [7, 6, 5]
]

print("Using Misplaced Tiles:")
solution = astar(start_state3, h_misplaced)
print("Steps:", len(solution)-1) for step, board
in enumerate(solution):
    print(f"Step {step}:")
    print_board(board)

print("Using Manhattan Distance:")
solution = astar(start_state3, h_manhattan)
print("Steps:", len(solution)-1) for step, board
in enumerate(solution):
    print(f"Step {step}:")
    print_board(board)

```

### Output:

The screenshot shows two side-by-side outputs from the IDLE Shell. Both outputs show the steps taken by the A\* algorithm to solve a 3x3 8-puzzle. The left column shows the steps using the Manhattan Distance heuristic, and the right column shows the steps using the Misplaced Tile heuristic. Each column has a header indicating the heuristic used ('Using Manhattan Distance:' or 'Using Misplaced Tiles:'), followed by the number of steps (5), then a series of 5x5 state matrices representing the board configuration at each step. The states are printed in a 3x3 grid with row 0 at the top. The goal state is reached at step 5 in both cases.

```

Using Manhattan Distance:
Steps: 5
Step 0:
8 0 3
2 1 4
7 6 5

Step 1:
8 1 3
0 2 4
7 6 5

Step 2:
8 1 3
0 2 4
7 6 5

Step 3:
0 1 3
8 2 4
7 6 5

Step 4:
1 0 3
8 2 4
7 6 5

Step 5:
1 2 3
8 0 4
7 6 5

>>> | Ln: 251 Col: 0
===== RESTART: D:/IBM23CS145/AI/astar_8puzzle.py =====
Using Misplaced Tiles:
Steps: 5
Step 0:
8 0 3
2 1 4
7 6 5

Step 1:
8 1 3
0 2 4
7 6 5

Step 2:
8 1 3
0 2 4
7 6 5

Step 3:
0 1 3
8 2 4
7 6 5

Step 4:
1 0 3
8 2 4
7 6 5

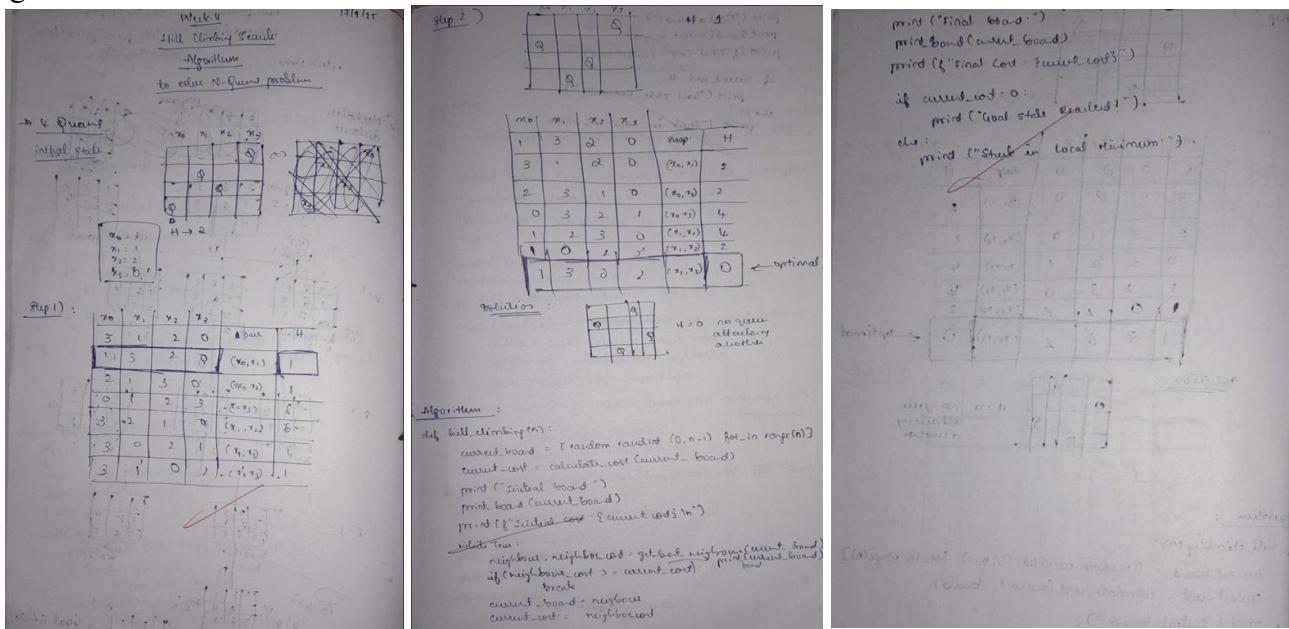
Step 5:
1 2 3
8 0 4
7 6 5

```

## Program 4

Implement Hill Climbing search algorithm to solve N-Queens problem

Algorithm:



Code:

import random

```

def print_board(board):
    n = len(board)
    for i in range(n):
        row = ["Q" if board[i] == j else
               "." for j in range(n)]
        print(" ".join(row))
    print()

def calculate_cost(board):
    """Heuristic: number of pairs of queens attacking each other"""
    n = len(board)
    cost = 0
    for i in range(n):
        for j in range(i + 1, n):
            if board[i] == board[j] or abs(board[i] - board[j]) == abs(i - j):
                cost += 1
    return cost

def get_best_neighbor(board):
    n = len(board)
    best_board = list(board)
    best_cost = calculate_cost(board)

    for row in range(n):

```

```

        for col in range(n):           if
board[row] != col:           neighbor =
list(board)           neighbor[row] = col
cost = calculate_cost(neighbor)           if
cost < best_cost:           best_cost
= cost           best_board = neighbor
return best_board, best_cost

def hill_climbing(n):
    current_board = [random.randint(0, n - 1) for _ in range(n)]  current_cost
= calculate_cost(current_board)

    print("Initial Board:")  print_board(current_board)
    print(f"Initial Cost: {current_cost}\n")

    step = 1
while True:
    neighbor, neighbor_cost = get_best_neighbor(current_board)  print(f"Step
{step}:")
    print("Current Board:")  print_board(current_board)
    print(f"Current Cost:
{current_cost}")  print(f"Best Neighbor Cost:
{neighbor_cost}\n")

    if neighbor_cost >= current_cost:
break

    current_board = neighbor
current_cost = neighbor_cost
step += 1

    print("Final Board:")  print_board(current_board)
    print(f"Final Cost: {current_cost}")

if current_cost == 0:
    print("Goal State Reached!")
else:
    print("Stuck in Local Minimum!")

# Run for 4-Queens  hill_climbing(4)
Output:

```

```
IDLE Shell 3.13.5
File Edit Shell Debug Options Window Help
>>> ===== RESTART: D:/IBM23CS145/hillclimbing.py =====
Initial Board:
. Q .
. Q .
. Q .
. . . Q

Initial Cost: 4

Step 1:
Current Board:
. Q .
. Q .
. Q .
. . . Q

Current Cost: 4
Best Neighbor Cost: 2

Step 2:
Current Board:
. Q .
. . . Q
. Q .
. . . Q

Current Cost: 2
Best Neighbor Cost: 1

Step 3:
Current Board:
. Q .
. . . Q
Q . .
. . . Q

Current Cost: 1
Best Neighbor Cost: 0

Step 4:
Current Board:
. Q .
. . . Q
Q . .
. . Q .

Current Cost: 0
Best Neighbor Cost: 0

Final Board:
. Q .
. . . Q
Q . .
. . Q .

Final Cost: 0
Goal State Reached!
>>>
```

Ln: 175 Col: 0

## Program 5

Simulated Annealing to Solve 8-Queens problem

Algorithm:

Week 5

Simulated Annealing to solve  
8. Queen problem using min cost

Algorithm :

```

def simulated_annealing(n, initial_temp=100, cooling_rate=0.95,
                        stopping_temp=1):
    current_board = [random.randint(0, n-1) for _ in range(n)]
    current_cost = calculate_cost(current_board)
    temperature = initial_temp
    step = 0
    print("Initial board")
    print_board(current_board)
    print(f"Initial cost : {current_cost}")
    while (temperature > stopping_temp) and (step < 1000):
        neighbor = random_neighbor(current_board)
        neighbor_cost = calculate_cost(neighbor)
        delta = neighbor_cost - current_cost
        if delta < 0 or random.random() < math.exp(-delta / temperature):
            current_board = neighbor
            current_cost = neighbor_cost
        print(f"Step {step} Temp: {temperature}, cost: {current_cost}")
        step += 1
        temperature *= cooling_rate
    print("Final Board")
    print_board(current_board)
    print(f"Final cost : {current_cost}")
    if current_cost == 0:
        print("Goal state Reached!")

```

Code:

```
import random import
math
```

```
def print_board(board):
    n = len(board)
    for i in range(n):
        row = ["Q" if board[i] == j else
               "." for j in range(n)]
        print(" ".join(row))
    print()
```

```
def calculate_cost(board):
    """Heuristic: number of pairs of queens attacking each other"""
    n = len(board)
    cost = 0
    for i in range(n):
        for j in range(i + 1, n):
            if board[i] == board[j] or abs(board[i] - board[j]) ==
                abs(i - j):
                cost += 1
    return cost
```

```
def random_neighbor(board):
    """Generate a random neighboring board by moving one queen"""
    n = len(board)
    neighbor = list(board)
    row = random.randint(0, n - 1)
    col = random.randint(0, n - 1)
    neighbor[row] = col
```

```

return neighbor

def simulated_annealing(n, initial_temp=100, cooling_rate=0.95, stopping_temp=1):
    current_board = [random.randint(0, n - 1) for _ in range(n)]
    current_cost = calculate_cost(current_board)    temperature = initial_temp
    step = 1

    print("Initial Board:")
    print_board(current_board)
    print(f"Initial Cost: {current_cost}\n")

    while temperature > stopping_temp and current_cost > 0:
        neighbor = random_neighbor(current_board)
        neighbor_cost = calculate_cost(neighbor)
        delta = neighbor_cost - current_cost

        # Acceptance probability      if delta < 0 or random.random() <
        math.exp(-delta / temperature):      current_board = neighbor
        current_cost = neighbor_cost

        print(f"Step {step}: Temp={temperature:.3f}, Cost={current_cost}")
        step += 1      temperature *= cooling_rate

    print("\nFinal Board:")
    print_board(current_board)
    print(f"Final Cost: {current_cost}")

    if current_cost == 0:
        print("Goal State Reached!")
    else:
        print("Terminated before reaching goal.")

# Run for 8-Queens  simulated_annealing(8)

```

Output:

```

IDLE Shell 3.13.5
File Edit Shell Debug Options Window Help
>>> ===== RESTART: D:/IBM23CS145/simulatedannealing.py =====
Initial Board:
. . . Q . .
. . . . . Q
Q . . . . .
. . Q . . .
. . . Q . .
. . . . Q .
. . Q . . .

Initial Cost: 7

Step 1: Temp=100.000, Cost=6
Step 2: Temp=95.000, Cost=6
Step 3: Temp=90.250, Cost=6
Step 4: Temp=85.737, Cost=5
Step 5: Temp=81.451, Cost=6
Step 6: Temp=77.378, Cost=6
Step 7: Temp=73.509, Cost=6
Step 8: Temp=69.834, Cost=6
Step 9: Temp=66.342, Cost=6
Step 10: Temp=63.025, Cost=9
Step 11: Temp=59.874, Cost=7
Step 12: Temp=56.880, Cost=6
Step 13: Temp=54.036, Cost=6
Step 14: Temp=51.334, Cost=11
Step 15: Temp=48.767, Cost=11
Step 16: Temp=46.329, Cost=12
Step 17: Temp=44.013, Cost=12
Step 18: Temp=41.812, Cost=10
Step 19: Temp=39.721, Cost=7
Step 20: Temp=37.735, Cost=8
Step 21: Temp=35.849, Cost=8
Step 22: Temp=34.056, Cost=7
Step 23: Temp=32.353, Cost=7
Step 24: Temp=30.736, Cost=7
Step 25: Temp=29.199, Cost=8
Step 26: Temp=27.739, Cost=12
Step 27: Temp=26.352, Cost=12
Step 28: Temp=25.034, Cost=12
Step 29: Temp=23.783, Cost=10
Step 30: Temp=22.594, Cost=10
Step 31: Temp=21.464, Cost=9
Step 32: Temp=20.391, Cost=8
Step 33: Temp=19.371, Cost=8
Step 34: Temp=18.403, Cost=8
Step 35: Temp=17.482, Cost=8
Step 36: Temp=16.608, Cost=8
Step 37: Temp=15.778, Cost=7
Step 38: Temp=14.989, Cost=7
Step 39: Temp=14.240, Cost=5
Step 40: Temp=13.528, Cost=5
Step 41: Temp=12.851, Cost=6
Step 42: Temp=12.209, Cost=7
Step 43: Temp=11.598, Cost=5
Step 44: Temp=11.000 Cost=5

Final Board:
. . . . . Q .
. . . . . Q
. Q . . . .
. . Q . . .
. . . . Q .
. . Q . . .

Final Cost: 6
Terminated before reaching goal.
>>> ===== RESTART: D:/IBM23CS145/simulatedannealing.py =====

```

## Program 6

Create a knowledge base using propositional logic and show that the given query entails the knowledge base or not.

Algorithm:

Week-6							8/10/2023	
Create knowledge base using propositional logic & show that given query exhibits the knowledge base or not.								
Q1).								
Given propositional logic:								
$Q \rightarrow P$								
$P \rightarrow Q$								
$Q \vee R$								
1) Construct truth table that shows the truth value of each sentence in KB, & indicates the models in which KB is true.								
$KB = \{ Q \rightarrow P, P \rightarrow Q, Q \vee R \} = (Q \rightarrow P) \wedge (P \rightarrow Q) \wedge (Q \vee R)$								
Truth table:								
P	Q	R	$Q \rightarrow P$	$P \rightarrow Q$	$Q \vee R$	KB	$R \rightarrow P$	$Q \rightarrow R$
F	F	F	T	T	F	F	T	T
F	F	T	T	T	T	T	F	T
F	T	F	F	T	T	E	T	F
F	T	T	F	T	T	F	F	T
T	F	F	T	T	F	F	T	T
T	F	T	T	T	T	T	T	T
T	T	F	T	F	T	F	T	F
T	T	T	F	F	T	F	T	T

Models where KB is true:

$\rightarrow P=F \quad Q=F \quad R=T$

$P=T \quad Q=F \quad R=T$

Truth-table		A	B	C	AVC	BV <sup>T</sup> C	KB	X-AVB
F	F	F	F	F	T	F	F	T
F	F	T	F	T	F	F	F	F
F	T	F	F	T	T	F	T	F
F	T	T	T	T	BT	FT	T	F
T	E	F	T	T	F	T	T	T
T	E	F	T	T	F	F	T	F
T	F	F	T	T	T	T	T	T
T	T	T	T	T	T	T	T	T

KB E.g. for KB = (A,B,C)  $\rightarrow \{ (C,F,T), (T,F,F), (T,T,F), (T,T,T) \}$ ,

i.e., whenever KB is True  
d is True.

```

Algorithm : 3.4.4
function TT-ENTAILS? (KB, φ) returns true or false
    inputs : KB, the knowledge base, & propositional logic
            φ, the query, a sentence in propositional logic.
    symbols ← a list of the proposition symbols in KB & φ
    return TT-CHECK-ALL (KB, φ, symbols, {})

function TT-CHECK-ALL (KB, φ, symbols, model) returns true or false
    if φ = EMPTY? (symbols) then
        if φ1-TRUE? (KB, model) then return φ1-True (KB, model)
        else return true
    else do
        P ← FIRST (symbols)
        rest ← REST (symbols)
        return (TT-CHECK-ALL (KB, φ, rest, model ∪ {P : true})) and
               (TT-CHECK-ALL (KB, φ, rest, model))

```

```
Code: import  
itertools  
import re
```

```
def evaluate(expr, model):
```

Evaluate a propositional logic expression under a given model (assignment). Supported operators:

~ : NOT  
^ : AND  
: OR  
->: IMPI  
<->: BIC  
!!!!

```
# Replace biconditional and implication first    expr
= expr.replace("<->", " == ")
expr = expr.replace(">", " <=")
```

```
# Replace negation ~ with explicit parentheses (not X)
expr = re.sub(r'~(\w+)', r'(not \1)', expr)
expr = re.sub(r'~\((([^)])+)\)\)', r'(not (\1))', expr)
```

```
# Replace AND and OR    expr  
= expr.replace("^", " and ")  expr  
= expr.replace("v", " or ")
```

```

# Replace symbols with their boolean values in the model    for
sym, val in model.items():
    expr = re.sub(r'\b' + re.escape(sym) + r'\b', str(val), expr)

# Evaluate the final Python boolean expression    return
eval(expr)

def tt_entails(kb, query, symbols):
    """
    Truth-table enumeration to check if KB entails Query.
    Prints the truth table and returns True if entails, else False.    """
    entails = True    models = list(itertools.product([True, False],
repeat=len(symbols)))

    print("Truth Table Evaluation:\n")    header = " | "
    ".join(symbols) + " | KB | Query | KB  $\Rightarrow$  Query"
    print(header)    print("-" * len(header) * 2)

    for values in models:
        model = dict(zip(symbols, values))
        kb_val = evaluate(kb, model)    query_val
        = evaluate(query, model)    implication
        = (not kb_val) or query_val

        if kb_val and not query_val:
            entails = False

        row = " | ".join(['T' if v else 'F' for v in values])    row += f" | {'T' if kb_val else 'F'} | "
        {'T' if query_val else 'F'} | {'T' if implication else 'F'}"    print(row)

    print("\nResult:")
    if entails:
        print("The Knowledge Base entails the Query (KB  $\vDash$  Query)")
    else:
        print("The Knowledge Base does NOT entail the Query (KB  $\nvDash$  Query)")

# Example usage:

kb = "(Q  $\rightarrow$  P)  $\wedge$  (P  $\rightarrow$   $\sim$ Q)  $\wedge$  (Q  $\vee$  R)"    symbols
= ["P", "Q", "R"]

```

```
queries = ["R", "R -> P", "Q -> R"]
```

for query in queries:

```
    print(f"\nEvaluating Query: {query}\n")
    tt_entails(kb, query, symbols)
    print("\n" + "="*50 + "\n")
```

Output:

The screenshot shows three separate evaluations of logical queries in the IDLE Shell 3.13.5 window. Each evaluation includes a truth table and a result.

- Evaluating Query: R**

  - Truth Table Evaluation:**

P	Q	R	KB	Query	KB $\Rightarrow$ Query
T	T	T	F	T	T
T	T	F	F	F	T
T	F	T	T	T	T
T	F	F	F	F	T
F	T	T	F	T	T
F	T	F	F	F	T
F	F	T	T	T	T
F	F	F	F	F	T

  - Result:**  
The Knowledge Base entails the Query (KB  $\models$  Query)

- Evaluating Query: R -> P**

  - Truth Table Evaluation:**

P	Q	R	KB	Query	KB $\Rightarrow$ Query
T	T	T	F	T	T
T	T	F	F	F	T
T	F	T	T	T	T
T	F	F	F	F	T
F	T	T	F	F	T
F	T	F	F	F	T
F	F	T	T	F	F
F	F	F	F	T	T

  - Result:**  
The Knowledge Base does NOT entail the Query (KB  $\not\models$  Query)

- Evaluating Query: Q -> R**

  - Truth Table Evaluation:**

P	Q	R	KB	Query	KB $\Rightarrow$ Query
T	T	T	F	T	T
T	T	F	F	F	T
T	F	T	T	T	T
T	F	F	F	F	T
F	T	T	F	T	T
F	T	F	F	F	T
F	F	T	T	T	T
F	F	F	F	T	T

  - Result:**  
The Knowledge Base entails the Query (KB  $\models$  Query)

## Program 7

Implement unification in first order logic

Algorithm:

8/10/23

Week - 7

Completeness of unification in first order logic (S7) : X

(P, Q)  $\Leftarrow$  (Q, P)  $\Leftarrow$  P = Q

Algorithm :

Step 1) If  $\varphi_1$  or  $\varphi_2$  is a variable or const, then:

- If  $\varphi_1$  or  $\varphi_2$  are identical, then return NIL
- Else if  $\varphi_1$  is variable,
  - if  $\varphi_1$  occurs in  $\varphi_2$ , return FAILURE
  - else return  $(\varphi_2/\varphi_1)$
- Else if  $\varphi_2$  is variable,
  - if  $\varphi_2$  occurs in  $\varphi_1$ , then return FAILURE
  - else return  $(\varphi_1/\varphi_2)$
- else return failure

Step 2) If the initial predicate symbol in  $\varphi_1$  &  $\varphi_2$  are not same return FAILURE

Step 3) If  $\varphi_1$  and  $\varphi_2$  have different arguments, then FAIL

Step 4) Set Substitution set (SUBST) to NIL.

Step 5) For i=1 to the no. of elements in  $\varphi_1$ ,

- call unify function with i'th element of  $\varphi_1$ , with i'th element of  $\varphi_2$ . Put result into S.
- If S-failure, return failure.
- If S  $\neq$  NIL, do
  - Apply S to remainder of L1 & L2
  - SUBST = APPEND(S, SUBST)

Step 6) Return SUBST.

## Code:

```
def is_variable(x):
```

return isinstance(x, str) and x.islower()

```
def is_constant(x):
```

return isinstance(x, str) and x[0].isupper()

def occurs check(var, expr, subst):

"""\Check if var occurs in expr after applying current substitution""""

```
if var == expr:      return True    elif isinstance(expr, list):
```

return any(occurs\_check(var, e, subst) for e in expr)

elif expr in subst:

return occurs check(var, subst[expr], subst)

```
return False
```

```
def unify(x, y, subst=None, depth=0):
```

"""\Main unification function with debug prints""""

indent = " " \* depth if subst is None:

```

print(indent + f"Substitution failed.")      return None    print(indent
+ f"Unify({x}, {y}) with subst = {subst}")

if x == y:
    print(indent + "Terms are identical, no change.")
return subst  elif is_variable(x):
    return unify_var(x, y, subst, depth)
elif is_variable(y):
    return unify_var(y, x, subst, depth)  elif
isinstance(x, list) and isinstance(y, list):      if len(x) !=
len(y):      print(indent + "Lists have different lengths.
Fail.")      return None      for xi, yi in zip(x, y):
    subst = unify(xi, yi, subst, depth + 1)      if
subst is None:      print(indent + "Failed to unify list
elements.")      return None      return subst
else:
    print(indent + "Cannot unify different constants or structures. Fail.")
return None

def unify_var(var, x, subst, depth):
    indent = " " * depth
if var in subst:
    print(indent + f"{var} is in subst, unify({subst[var]}, {x})")
return unify(subst[var], x, subst, depth + 1)  elif is_variable(x) and
x in subst:
    print(indent + f"{x} is in subst, unify({var}, {subst[x]})")
return unify(var, subst[x], subst, depth + 1)  elif occurs_check(var,
x, subst):
    print(indent + f"Occurs check failed: {var} occurs in {x}")
return None  else:      print(indent + f'Add
{var} -> {x} to subst')      subst[var] = x
return subst

# Example expressions
expr1 = ['f', 'X', ['g', 'Y']]  expr2
= ['f', 'a', ['g', 'b']]

print("Starting Unification:\n") result =
unify(expr1, expr2, subst={})
print("\nFinal Unification Result:", result)

```

Output:

```

>>> ===== RESTART: D:/1BM23CS145/unification.py =====
Starting Unification:

Unify(['f', 'X', ['g', 'Y']], ['f', 'a', ['g', 'b']]) with subst = {}
  Unify(f, f) with subst = {}
    Terms are identical, no change.
  Unify(X, a) with subst = {}
    Add a -> X to subst
  Unify(['g', 'Y'], ['g', 'b']) with subst = {'a': 'X'}
    Unify(g, g) with subst = {'a': 'X'}
      Terms are identical, no change.
    Unify(Y, b) with subst = {'a': 'X'}
      Add b -> Y to subst

Final Unification Result: {'a': 'X', 'b': 'Y'}
>>>

```

Ln: 559 Col: 0

### **Program 8**

Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning.

Algorithm:

Code: import re

```
class KnowledgeBase:
    def __init__(self):
        self.facts = set()
        self.rules = []

    def add_fact(self, fact):
        self.facts.add(fact)

    def add_rule(self, head, body, label=None):
        self.rules.append({"head": head, "body": body, "label": label})

    def substitute(self, expr, subs):
        for var, val in subs.items():
            expr = re.sub(r'\b' + var + r'\b', val, expr)
        return expr

    def extract_predicate(self, expr):
        pass
```

→ Algorithm :  
 function FOL-FC-Ask( $KB, \alpha$ ) returns a substitution or false  
 input:  $KB$ , the knowledge base  
 local variables: new  
 repeat until new is empty  
 new ←  $\emptyset$   
 for each rule in  $KB$  do  
      $(p_1 \wedge \dots \wedge p_n \Rightarrow q) \leftarrow \text{STANDARDIZE-VARIABLES}(\text{rule})$   
     for each  $\theta$  rule that  $\text{SUBST}(\theta, p_1 \wedge \dots \wedge p_n)$   
         =  $\text{SUBST}(\theta, p_1 \wedge \dots \wedge p_n)$   
         for some  $(p'_1 \wedge \dots \wedge p'_n) \in KB$  do  
             if  $\text{SUBST}(\theta, p'_i)$  respects all  $p_j$ 's  
                 if  $\theta$  does not unify with some sentence  
                     already in  $KB$  or new then  
                         add  $\theta$  to new  
                          $\theta \leftarrow \text{UNIFY}(q, \theta)$   
                         if  $\theta$  is not fail then return  $\theta$   
                 add new to  $KB$   
 return false

```

m = re.match(r'(\w+)\[((^\s)*))', expr)
if not m:
    return None, []
pred, args = m.groups()
args = [a.strip() for a in args.split(',') if a.strip()]
return pred, args

def unify(pattern, fact):
    p_pred, p_args = extract_predicate(pattern)
    f_pred, f_args = extract_predicate(fact)  if p_pred != f_pred or len(p_args) != len(f_args):
        return None  subs = {}  for
    pa, fa in zip(p_args, f_args):
        if pa[0].islower():      if pa in
            subs:          if subs[pa] != fa:
                return None  else:
            subs[pa] = fa
        elif pa != fa:        return
    None
    return subs

def forward_chain(kb, query):
    derived = True  steps = []
    while derived:  derived =
        False  for rule in kb.rules:
            body = rule["body"]
            head = rule["head"]
            label = rule["label"]
            matches = []
            for cond in body:
                new_matches = []  for
                m in matches:  for
                    fact in kb.facts:
                        subs = unify(cond, substitute(fact, m))
                        if subs is not None:
                            combined = {**m, **subs}  consistent = True
                            for
                            k in combined:  if k in m and m[k] != combined[k]:
                                consistent = False
                            break  if consistent:
                                new_matches.append(combined)  matches
                            = new_matches
                            for subs in matches:
                                new_fact = substitute(head, subs)
                            if new_fact not in kb.facts:
                                kb.facts.add(new_fact)

```

```

derived = True           steps.append({           "rule":"
label,                   "substitution": subs,
                           "premises": [substitute(c, subs) for c in body],
                           "derived": new_fact
})
print(f'Derived: {new_fact} by rule {label} with substitution {subs}')
return steps

```

```

def print_proof(query, steps):
    derived_by = {step["derived"] : step for step in steps}

```

```

        def print_tree(goal, indent=""):
if goal not in derived_by:
    print(f'{indent}- {goal}') else:
    step = derived_by[goal]      print(f'{indent}- {goal}'
[derived by: {step['rule']}]"')      for p in step["premises"]:
print_tree(p, indent + " ")

```

```

    print(f'\nProof tree for query '{query}':')
print_tree(query)

```

```

# ----- #
Create knowledge base
# ----- kb
= KnowledgeBase()

```

```

kb.add_fact("Owns(A, t1)") kb.add_fact("Missile(t1)")
kb.add_fact("American(Robert)") kb.add_fact("Enemy(A,
America)")

```

```

kb.add_rule("Criminal(p)", ["American(p)", "Weapon(q)", "Sells(p, q, r)", "Hostile(r)"],
label="R_crime") kb.add_rule("Sells(Robert, x, A)", ["Missile(x)", "Owns(A, x)"],
label="R_sells_by_robert") kb.add_rule("Weapon(x)", ["Missile(x)"],
label="R_missile_weapon") kb.add_rule("Hostile(x)", ["Enemy(x, America)"],
label="R_enemy_hostile")

```

```

query = "Criminal(Robert)"
steps = forward_chain(kb, query)

```

```

print("\n==== Knowledge Base Facts after Forward Chaining ====") for
f in sorted(kb.facts):
    print(" -", f)

```

```

print("\nDerivation steps:") for i,
step in enumerate(steps, 1):
    print(f"Step {i}: rule {step['rule']} ")
print(" substitution:", step["substitution"])
print(" premises used:")      for p in
step["premises"]:
    print(" -", p)  print(" derived:",
step["derived"], "\n")

print("==== Query Result ====") if query in kb.facts:
print(f"Query '{query}' is TRUE (derived)") else:
print(f"Query '{query}' could NOT be derived")

print_proof(query, steps)

```

### Output:

```

=====
RESTART: D:/IBM23CS145/AI/week8_forward_reasoning.py =====
Derived: Sells(Robert, tl, A) by rule R_sells_by_robert with substitution {'x': 'tl'}
Derived: Weapon(tl) by rule R_missile_weapon with substitution {'x': 'tl'}
Derived: Hostile(A) by rule R_enemy_hostile with substitution {'x': 'A'}
Derived: Criminal(Robert) by rule R_crime with substitution {'p': 'Robert', 'q': 'tl', 'r': 'A'}

==== Knowledge Base Facts after Forward Chaining ====
- American(Robert)
- Criminal(Robert)
- Enemy(A, America)
- Hostile(A)
- Missile(tl)
- Owns(A, tl)
- Sells(Robert, tl, A)
- Weapon(tl)

Derivation steps:
Step 1: rule R_sells_by_robert
substitution: {'x': 'tl'}
premises used:
- Missile(tl)
- Owns(A, tl)
derived: Sells(Robert, tl, A)

Step 2: rule R_missile_weapon
substitution: {'x': 'tl'}
premises used:
- Missile(tl)
derived: Weapon(tl)

Step 3: rule R_enemy_hostile
substitution: {'x': 'A'}
premises used:
- Enemy(A, America)
derived: Hostile(A)

Step 4: rule R_crime
substitution: {'p': 'Robert', 'q': 'tl', 'r': 'A'}
premises used:
- American(Robert)
- Weapon(tl)
- Sells(Robert, tl, A)
- Hostile(A)
derived: Criminal(Robert)

==== Query Result ====
Query 'Criminal(Robert)' is TRUE (derived)

Proof tree for query 'Criminal(Robert)':
- Criminal(Robert) [derived by: R_crime]
- American(Robert)
- Weapon(tl) [derived by: R_missile_weapon]
- Missile(tl)
- Sells(Robert, tl, A) [derived by: R_sells_by_robert]
- Missile(tl)
- Owns(A, tl)
- Hostile(A) [derived by: R_enemy_hostile]
- Enemy(A, America)

```

Ln: 29 Col: 27

## Program 9

Create a knowledge base consisting of first order logic statements and prove the given query using Resolution

Algorithm:

Week - 9  
Resolution in FOL  
Date: 29/10/2025

\* Create a knowledge base consisting of first order logic statements and prove the given query using resolution given KB or manually.

Given KB or manually:

$$\begin{aligned} 1. & \neg \text{food}(x) \rightarrow \text{likes}(\text{John}, x) \\ 2. & \text{food}(\text{apple}) \wedge \text{food}(\text{vegetables}) \\ 3. & \text{food}(\text{apple}) \wedge \text{food}(\text{vegetables}) \\ 4. & \neg \text{eats}(x, y) \wedge \neg \text{killed}(x) \rightarrow \text{food}(y) \\ 5. & \text{eats}(\text{Anil}, \text{Peanuts}) \wedge \text{alive}(\text{Anil}) \\ 6. & \neg \text{eats}(\text{Anil}, x) \rightarrow \text{eats}(\text{Harry}, x) \\ 7. & \neg \text{killed}(x) \rightarrow \text{alive}(x) \\ 8. & \neg \text{alive}(x) \rightarrow \neg \text{killed}(x) \end{aligned}$$

To prove:

$$\text{likes}(\text{John}, \text{Peanuts})$$

Rules: (1)  $\neg A \vee B \rightarrow (A \rightarrow B)$   
(2) eliminate implication:  $\neg A \rightarrow B \rightarrow (A \rightarrow B)$   
(3)  $\neg \neg A \rightarrow A$   
(4)  $A \wedge B \rightarrow A$   
(5)  $A \wedge B \rightarrow B$   
(6)  $A \vee B \rightarrow \neg B \rightarrow \neg A$   
(7)  $\neg \neg A \rightarrow A$   
(8) move negation ( $\neg$ ) inwards

$$\begin{aligned} 1. & \neg \text{food}(x) \rightarrow \text{likes}(\text{John}, x) \\ 2. & \text{food}(\text{apple}) \wedge \text{food}(\text{vegetables}) \\ 3. & \neg \text{eats}(x, y) \wedge \neg \text{killed}(x) \rightarrow \text{food}(y) \\ 4. & \text{eats}(\text{Anil}, \text{Peanuts}) \wedge \text{alive}(\text{Anil}) \\ 5. & \neg \text{eats}(\text{Anil}, x) \vee \text{eats}(\text{Harry}, x) \\ 6. & \neg \neg \text{killed}(x) \rightarrow \text{alive}(x) \\ 7. & \neg \text{alive}(x) \vee \neg \text{killed}(x) \\ 8. & \text{move negation ( $\neg$ ) inwards} \\ 9. & \neg \text{food}(x) \rightarrow \text{likes}(\text{John}, x) \\ 10. & \neg \text{food}(\text{apple}) \vee \neg \text{food}(\text{vegetables}) \\ 11. & \neg \text{eats}(x, y) \vee \neg \text{killed}(x) \rightarrow \text{food}(y) \\ 12. & \neg \text{eats}(\text{Anil}, \text{Peanuts}) \vee \neg \text{alive}(\text{Anil}) \\ 13. & \neg \neg \text{killed}(x) \rightarrow \text{alive}(x) \\ 14. & \neg \text{alive}(x) \vee \neg \text{killed}(x) \end{aligned}$$

iii) Rename variables:

$$\begin{aligned} 1. & \neg \text{food}(y) \rightarrow \text{likes}(\text{John}, y) \\ 2. & \neg \text{food}(\text{apple}) \vee \neg \text{food}(\text{vegetables}) \\ 3. & \neg \text{eats}(y, z) \vee \neg \text{killed}(y) \rightarrow \text{food}(z) \\ 4. & \neg \text{eats}(\text{Anil}, \text{Peanuts}) \vee \neg \text{alive}(\text{Anil}) \\ 5. & \neg \neg \text{killed}(x) \rightarrow \text{alive}(x) \\ 6. & \neg \text{alive}(x) \vee \neg \text{killed}(x) \end{aligned}$$

Resolution by contradiction:

$$\begin{aligned} 1. & \neg \text{food}(y) \rightarrow \text{likes}(\text{John}, y) \\ 2. & \neg \text{food}(\text{apple}) \vee \neg \text{food}(\text{vegetables}) \\ 3. & \neg \text{eats}(y, z) \vee \neg \text{killed}(y) \rightarrow \text{food}(z) \\ 4. & \neg \text{eats}(\text{Anil}, \text{Peanuts}) \vee \neg \text{alive}(\text{Anil}) \\ 5. & \neg \neg \text{killed}(x) \rightarrow \text{alive}(x) \\ 6. & \neg \text{alive}(x) \vee \neg \text{killed}(x) \end{aligned}$$

Step 1: Eliminate biconditionals & implications:

$$\begin{aligned} 1. & \neg \text{food}(y) \rightarrow \text{likes}(\text{John}, y) \\ 2. & \neg \text{food}(\text{apple}) \vee \neg \text{food}(\text{vegetables}) \\ 3. & \neg \text{eats}(y, z) \vee \neg \text{killed}(y) \rightarrow \text{food}(z) \\ 4. & \neg \text{eats}(\text{Anil}, \text{Peanuts}) \vee \neg \text{alive}(\text{Anil}) \\ 5. & \neg \neg \text{killed}(x) \rightarrow \text{alive}(x) \\ 6. & \neg \text{alive}(x) \vee \neg \text{killed}(x) \end{aligned}$$

Step 2: Standardize variable avoid by renaming them:

$$\begin{aligned} 1. & \neg \text{food}(y) \rightarrow \text{likes}(\text{John}, y) \\ 2. & \neg \text{food}(\text{apple}) \vee \neg \text{food}(\text{vegetables}) \\ 3. & \neg \text{eats}(y, z) \vee \neg \text{killed}(y) \rightarrow \text{food}(z) \\ 4. & \neg \text{eats}(\text{Anil}, \text{Peanuts}) \vee \neg \text{alive}(\text{Anil}) \\ 5. & \neg \neg \text{killed}(x) \rightarrow \text{alive}(x) \\ 6. & \neg \text{alive}(x) \vee \neg \text{killed}(x) \end{aligned}$$

Step 3: Skolemization:

$$\begin{aligned} 1. & \neg \text{food}(y) \rightarrow \text{likes}(\text{John}, y) \\ 2. & \neg \text{food}(\text{apple}) \vee \neg \text{food}(\text{vegetables}) \\ 3. & \neg \text{eats}(y, z) \vee \neg \text{killed}(y) \rightarrow \text{food}(z) \\ 4. & \neg \text{eats}(\text{Anil}, \text{Peanuts}) \vee \neg \text{alive}(\text{Anil}) \\ 5. & \neg \neg \text{killed}(x) \rightarrow \text{alive}(x) \\ 6. & \neg \text{alive}(x) \vee \neg \text{killed}(x) \end{aligned}$$

Step 4: Drop universal quantifiers:

$$\begin{aligned} 1. & \neg \text{food}(y) \rightarrow \text{likes}(\text{John}, y) \\ 2. & \neg \text{food}(\text{apple}) \vee \neg \text{food}(\text{vegetables}) \\ 3. & \neg \text{eats}(y, z) \vee \neg \text{killed}(y) \rightarrow \text{food}(z) \\ 4. & \neg \text{eats}(\text{Anil}, \text{Peanuts}) \vee \neg \text{alive}(\text{Anil}) \\ 5. & \neg \neg \text{killed}(x) \rightarrow \text{alive}(x) \\ 6. & \neg \text{alive}(x) \vee \neg \text{killed}(x) \end{aligned}$$

Step 5: Distribute  $\wedge$  over  $\vee$ :

$$\begin{aligned} 1. & \neg \text{food}(y) \rightarrow \text{likes}(\text{John}, y) \\ 2. & \neg \text{food}(\text{apple}) \wedge \neg \text{food}(\text{vegetables}) \\ 3. & \neg \text{eats}(y, z) \wedge \neg \text{killed}(y) \rightarrow \text{food}(z) \\ 4. & \neg \text{eats}(\text{Anil}, \text{Peanuts}) \wedge \neg \text{alive}(\text{Anil}) \\ 5. & \neg \neg \text{killed}(x) \rightarrow \text{alive}(x) \\ 6. & \neg \text{alive}(x) \vee \neg \text{killed}(x) \end{aligned}$$

Step 6: Simplify:

$$\begin{aligned} 1. & \neg \text{food}(y) \rightarrow \text{likes}(\text{John}, y) \\ 2. & \neg \text{food}(\text{apple}) \wedge \neg \text{food}(\text{vegetables}) \\ 3. & \neg \text{eats}(y, z) \wedge \neg \text{killed}(y) \rightarrow \text{food}(z) \\ 4. & \neg \text{eats}(\text{Anil}, \text{Peanuts}) \wedge \neg \text{alive}(\text{Anil}) \\ 5. & \neg \neg \text{killed}(x) \rightarrow \text{alive}(x) \\ 6. & \neg \text{alive}(x) \vee \neg \text{killed}(x) \end{aligned}$$

Step 7: Assumption in Rule 3:

$$\begin{aligned} 1. & \neg \text{food}(y) \rightarrow \text{likes}(\text{John}, y) \\ 2. & \neg \text{food}(\text{apple}) \wedge \neg \text{food}(\text{vegetables}) \\ 3. & \neg \text{eats}(y, z) \wedge \neg \text{killed}(y) \rightarrow \text{food}(z) \\ 4. & \neg \text{eats}(\text{Anil}, \text{Peanuts}) \wedge \neg \text{alive}(\text{Anil}) \\ 5. & \neg \neg \text{killed}(x) \rightarrow \text{alive}(x) \\ 6. & \neg \text{alive}(x) \vee \neg \text{killed}(x) \end{aligned}$$

Code:

# STEP 1. Input FOL Statements

FOL\_statements = {

```
'a': "Vx: food(x) → likes(John, x)",
'b': "food(Apple) ∧ food(Vegetables)",
'c': "VxVy: eats(x, y) ∧ ¬killed(x) → food(y)",
'd': "eats(Anil, Peanuts) ∧ alive(Anil)",
'e': "Vx: eats(Anil, x) → eats(Harry, x)",
'f': "¬killed(x) → alive(x)",
'g': "¬alive(x) → ¬killed(x)",
'h': "likes(John, Peanuts)"
```

}

```
print("== STEP 1: Given FOL Statements ==")
for key, val in FOL_statements.items():
    print(f'{key}. {val}')
```

# STEP 2. Eliminate Implications

```
print("== STEP 2: After Removing Implications ==")
```

```
CNF_imp_removed = {
    'a': "¬food(x) ∨ likes(John, x)",
    'b1': "food(Apple)",
    'b2': "food(Vegetables)",
    'c': "¬eats(x, y) ∨ killed(x) ∨ food(y)",
    'd1': "eats(Anil, Peanuts)",
    'd2': "alive(Anil)",
    'e': "¬eats(Anil, x) ∨ eats(Harry, x)",
    'f': "killed(x) ∨ alive(x)",
    'g': "¬alive(x) ∨ ¬killed(x)",
    'h': "likes(John, Peanuts)"
}
```

```
for key, val in CNF_imp_removed.items():
    print(f'{key}. {val}')
```

```
# STEP 3. Standardize Variables and Drop Quantifiers
```

```
print("== STEP 3: Standardized Variables (Dropped Quantifiers) ==") for
key, val in CNF_imp_removed.items():
    print(f'{key}. {val}')
```

```
# STEP 4. Final CNF Knowledge Base
```

```
print("== STEP 4: Final CNF Clauses ==")
```

```
CNF_clauses = [
    "¬food(x) ∨ likes(John, x)",
    "food(Apple)",
    "food(Vegetables)",
    "¬eats(y, z) ∨ killed(y) ∨ food(z)",
    "eats(Anil, Peanuts)",
    "alive(Anil)",
    "¬eats(Anil, w) ∨ eats(Harry, w)",
    "killed(g) ∨ alive(g)",
    "¬alive(k) ∨ ¬killed(k)",
    "likes(John, Peanuts)"
]
```

```
for i, clause in enumerate(CNF_clauses, start=1):
    print(f'{i}. {clause}')
```

## # STEP 5. Resolution Proof (Text-Based)

```
print("== STEP 5: Resolution Proof ==")
```

```
steps = [
    ("1", "Negate Goal", "¬likes(John, Peanuts)"),
    ("2", "Resolve (1) with (¬food(x) ∨ likes(John, x)) using {x/Peanuts}", "¬food(Peanuts)", ("3",
    "Resolve (2) with (¬eats(y,z) ∨ killed(y) ∨ food(z)) using {z/Peanuts}", "¬eats(y,Peanuts) ∨ killed(y)"),
    ("4", "Resolve (3) with (eats(Anil, Peanuts)) using {y/Anil}", "killed(Anil)"),
    ("5", "Resolve (4) with (¬alive(k) ∨ ¬killed(k)) using {k/Anil}", "¬alive(Anil)"), ("6",
    "Resolve (5) with (alive(Anil))", "⊥ (Contradiction)")
]
```

for num, action, result in steps: print(f"Step

{num}: {action} ")

```
    print(f"    ⇒ {result}\n")
```

```
print("Contradiction reached ⇒ Therefore, John likes Peanuts is TRUE.\n")
```

Output:

```
== STEP 1: Given FOL Statements ==
a. vx: food(x) → likes(John, x)
b. food(Apple) ∧ food(Vegetables)
c. vxvy: eats(x, y) ∧ ¬killed(x) → food(y)
d. eats(Anil, Peanuts) ∧ alive(Anil)
e. vx: eats(Anil, x) → eats(Harry, x)
f. vx: ¬killed(x) → alive(x)
g. vx: alive(x) → ¬killed(x)
h. likes(John, Peanuts)
== STEP 2: After Removing Implications ==
a. ¬Food(x) ∨ likes(John, x)
b1. food(Apple)
b2. food(Vegetables)
c. ¬eats(x, y) ∨ killed(x) ∨ food(y)
d1. eats(Anil, Peanuts)
d2. alive(Anil)
e. ¬eats(Anil, x) ∨ eats(Harry, x)
f. killed(x) ∨ alive(x)
g. ¬alive(x) ∨ ¬killed(x)
h. likes(John, Peanuts)
== STEP 3: Standardized Variables (Dropped Quantifiers) ==
a. ¬Food(x) ∨ likes(John, x)
b1. food(Apple)
b2. food(Vegetables)
c. ¬eats(x, y) ∨ killed(x) ∨ food(y)
d1. eats(Anil, Peanuts)
d2. alive(Anil)
e. ¬eats(Anil, x) ∨ eats(Harry, x)
f. killed(x) ∨ alive(x)
g. ¬alive(x) ∨ ¬killed(x)
h. likes(John, Peanuts)
== STEP 4: Final CNF Clauses ==
1. ¬Food(x) ∨ likes(John, x)
2. food(Apple)
3. food(Vegetables)
4. ¬eats(y, z) ∨ killed(y) ∨ food(z)
5. eats(Anil, Peanuts)
6. alive(Anil)
7. ¬eats(Anil, w) ∨ eats(Harry, w)
8. killed(g) ∨ alive(g)
9. ¬alive(k) ∨ ¬killed(k)
10. likes(John, Peanuts)
== STEP 5: Resolution Proof ==
Step 1: Negate Goal
    ⇒ ¬likes(John, Peanuts)

Step 2: Resolve (1) with (¬food(x) ∨ likes(John, x)) using {x/Peanuts}
    ⇒ ¬food(Peanuts)

Step 3: Resolve (2) with (¬eats(y,z) ∨ killed(y) ∨ food(z)) using {z/Peanuts}
    ⇒ ¬eats(y,Peanuts) ∨ killed(y)

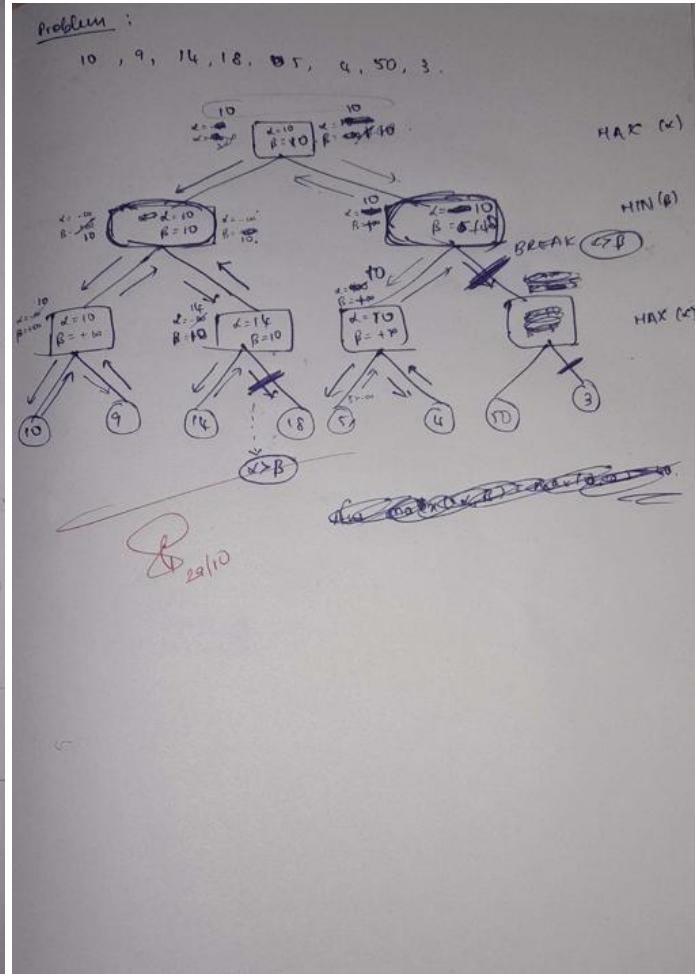
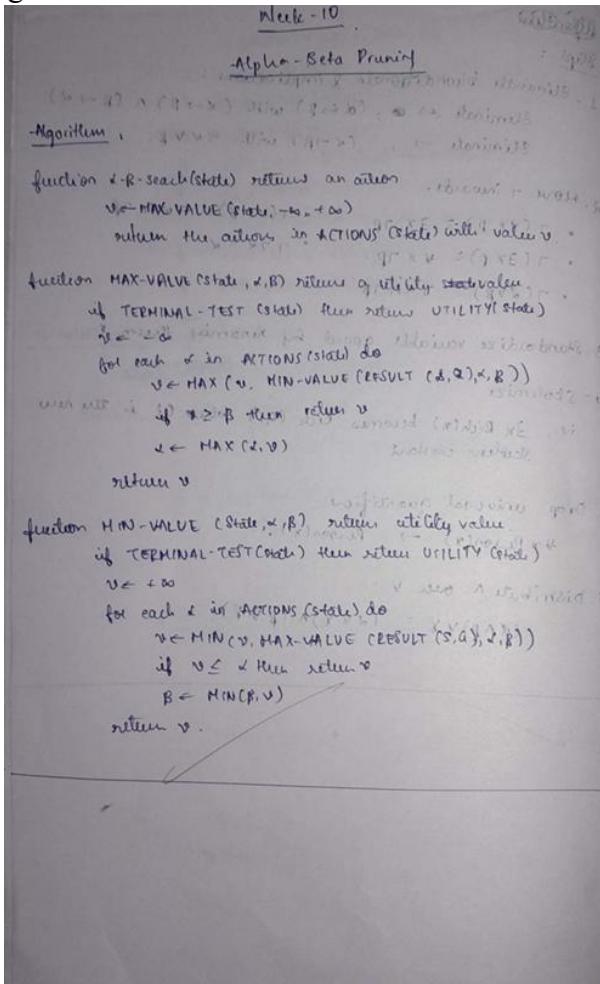
Step 4: Resolve (3) with (eats(Anil, Peanuts)) using {y/Anil}
    ⇒ killed(Anil)

Step 5: Resolve (4) with (¬alive(k) ∨ ¬killed(k)) using {k/Anil}
    ⇒ ¬alive(Anil)
```

## Program 10

Implement Alpha-Beta Pruning.

Algorithm:



Code:

```

import math

# ----- #
Define the game tree structure
# ----- game_tree =
{
    'A': ['B', 'C'],
    'B': ['D', 'E'],
    'C': ['F', 'G'],
    'D': ['L1', 'L2'],
    'E': ['L3', 'L4'],
    'F': ['L5', 'L6'],
    'G': ['L7', 'L8'],
}

```

```

'L1': 10,
'L2': 9,
'L3': 14,
'L4': 18,
'L5': 5,
'L6': 4,
'L7': 50,
'L8': 3
}

# ----- # Pretty
print the game tree as ASCII art # -----
----- def print_tree():
    print("\nGame Tree Structure:\n")
    print("      A (MAX)")
    print("      /   \\" )  print(
    B (MIN)  C (MIN)") 
    print("      /   \\" /   \\" )
    print("      D (MAX) E (MAX) F (MAX) G (MAX)")
    print("      /   \\" /   \\" /   \\" /   \\" )  print(
10  9  14  18  5  4  50  3")  print("\n-----\n")
-----\n")

# -----
# Alpha-Beta Pruning Implementation (with detailed trace) #
----- def alphabeta(node,
depth, alpha, beta, maximizing_player):  indent = " " *
depth # indentation for better readability

    # If leaf node  if isinstance(game_tree[node],
int):
        print(f'{indent}Reached leaf {node} with value {game_tree[node]}')
        return game_tree[node]

    # MAX node  if maximizing_player:  print(f'{indent}Exploring MAX node {node}')
    (depth={depth}), α={alpha}, β={beta}")  max_eval = -math.inf  for child in
game_tree[node]:
        print(f'{indent}--> Exploring child {child} of {node}')
        eval = alphabeta(child, depth + 1, alpha, beta, False)
        max_eval = max(max_eval, eval)  alpha = max(alpha, eval)
        print(f'{indent}Updated MAX node {node}: value={max_eval}, α={alpha}, β={beta}')
        if beta <= alpha:
            print(f'{indent}!!! Pruning at MAX node {node} (β={beta} ≤ α={alpha})')

```

```

break      return max_eval

    # MIN node  else:
print(f'{indent}Explo
ring MIN node
{node}
(depth={depth}),
α={alpha},
β={beta}")
min_eval = math.inf
for child in
game_tree[node]:
    print(f'{indent}--> Exploring child {child} of {node}"      eval = alphabeta(child,
depth + 1, alpha, beta, True)      min_eval = min(min_eval, eval)      beta = min(beta,
eval)      print(f'{indent}Updated MIN node {node}: value={min_eval}, α={alpha},
β={beta}")      if beta <= alpha:
        print(f'{indent}!!! Pruning at MIN node {node} (β={beta} ≤ α={alpha})")
break
return min_eval

```

```

# -----
# Run the algorithm
# ----- print_tree()
print("Starting Alpha-Beta
Pruning...\n")

best_value = alphabeta('A', 0, -math.inf, math.inf, True)

print("\n-----") print(f"
Best achievable value at root (A): {best_value}") print("-----")

```

Output:

