### 13. Education

Econ 373: US Economic History

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Fall 2023

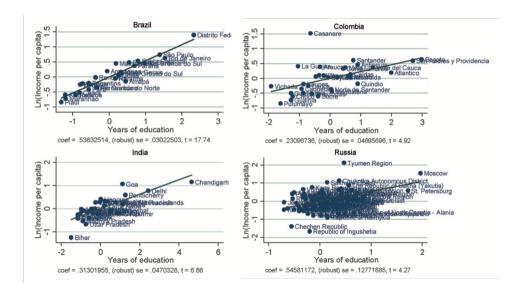
#### Education and Human Capital

• **This lecture** is about the economics and history of the changing role of education and skills in the American labor market over the twentieth century

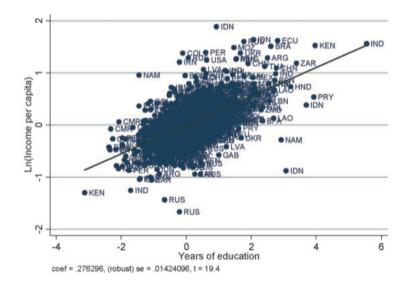
- Education, skills, or human capital are important determinants of individual labor market outcomes and widely understood to be fundamental to economic growth
- And the evolution of the wage structure reflects the relative growth in the demand for and supply of skills, which depend on historical economic and social conditions

 Both forces interact to create a race between education and technology that continues to shape economic growth and inequality in the United States The Impact of Human Capital around the World and in the United States

## Education is positively correlated with income p.c. within countries



### Education is positively correlated with income p.c. across countries



# The impact of education (and skills) around the world

• One group of economists—Gennaioli, La Porta, Lopez-de-Silanes, and Shleifer (2013)—find that the impact of education on income per capita is large

- In particular, the private return for an individual are positive and modest, while social return for society are positive and quite large: 6-8 percent versus > 25 percent
- In part, this is because the supply of skills leads to the new ideas, greater knowledge exchange, and higher productivity for firm, cities, regions, and countries
- In the popular press, this is reflected in the work of Garett Jones

# The impact of education (and skills) around the world

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- As economists we still want to understand the incentive to invest in human capital and how this has changed over time—we will turn focus to the United States
- To do this, we can use ordinary least squares to estimate the returns to education

$$\log W_i = \beta_0 + \beta_1 \text{education}_i + \varepsilon_i$$

where i indexes individuals,  $W_i$  is the hourly, weekly, or annual wage of individual i, and education, is the highest number of completed years of schooling by i

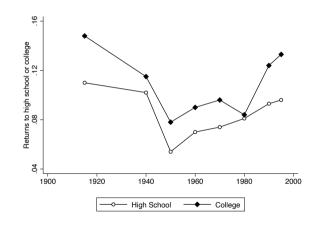
• The coefficient of interest,  $\beta_1$ , measures the percent increase of an average individual's wage from one additional year of schooling

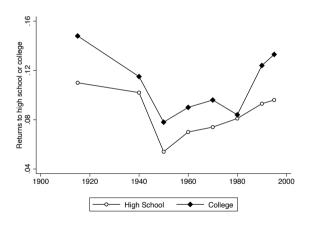
• Economists will also often use the same ordinary least squares to estimate the returns from achieving a particular degree status (e.g., high school or college graduate) using

$$\log W_i = \beta_0 + \beta_1 \text{high school}_i + \varepsilon_i$$
 or  $\log W_i = \beta_0 + \beta_1 \text{college}_i + \varepsilon_i$ 

where high school; or college; are equal to 1 if the degree was completed and 0 otherwise

- Then (a transformation of) the coefficient,  $\exp(\beta_1) 1$ , measures the percent difference of an average individual's wage from completing a given degree or not
- To estimate  $\beta_1$  we need data on earnings and education for US individuals over time, which we can get from the US census back to 1940 and for an lowa census in 1915





- Returns to schooling exhibit a U-shaped pattern over twentieth century
- This pattern illustrates the interaction between technology and skills

- Turning to the whole US economy, we can ask how much education contributed to economic growth over the twentieth century using a simple economic framework
- Let's use the Cobb-Douglas production function where the exponents sum to one:

$$Y = A \times K^{1-\alpha} \times L^{\alpha}$$

which we can rewrite in the *intensive* (per worker) form:

$$Y/L = A \times K^{1-\alpha} \times L^{\alpha-1} \implies y = A \times k^{1-\alpha}$$

and then in the rate of change form:

$$\dot{y} = \dot{A} + (1 - \alpha) \times \dot{k}$$

• This formulation treats the labor input too simplistically, instead we want to capture the role of education through labor as the combination of hours (L) and efficiency units (E):

$$Y = A \times K^{1-\alpha} \times (L \cdot E)^{\alpha}$$

which we can rewrite in the rate of change form:

$$\dot{y} = \dot{A} + (1 - \alpha) \times \dot{k} + \alpha \times \dot{E}$$

- Ultimately, we are interested in measuring  $(\alpha \times \dot{E})/\dot{y}$  over time
- ullet To do this, we need to measure  $\dot{y}$ ,  $\dot{E}$ , and  $\alpha$  from US data over the twentieth century

Period				
1915–40	2.45	0.50	0.143	1.38
1940–60 1960–80	2.92 2.41	0,49 Time pe	oriods 0.118 0.171	
1980–2005 1915–2005				

Period						
			$0.7 = \alpha E^*/y^*$			
1915–40	2.45	0.50	0.143	1.38		
1940-60						
1960-80						
1980-2005						
1915-2005						

	(1)	(2)	(3)	
Average annual percer point change in:			Fraction "explained" by educational change	
Period	<i>y</i> *	$E^{\star}$	$\alpha \cdot E^*/y^*$	
1915–40	2.45	0.50	0.143	1.38
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Period	$y^*$	$E^{\star}$	$\alpha \cdot E^*/y^*$	education	
1915–40	2.45	0.50	0.143	1.38	
1940-60	2.92	0.49	0.118	1.52	
1960-80	2.41	0.59	0.171	1.93	
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- The average worker had 5.91 more years of schooling in 2005 than in 1915 and this explains 13.6 percent of the change in output per worker over that period
- This is why Claudia Goldin and Larry Katz call the 20thC the "human capital century"

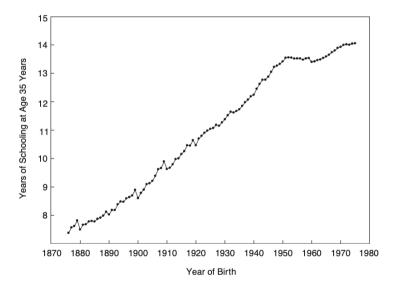
The Human Capital Century

## **Human capital** in the twentieth century

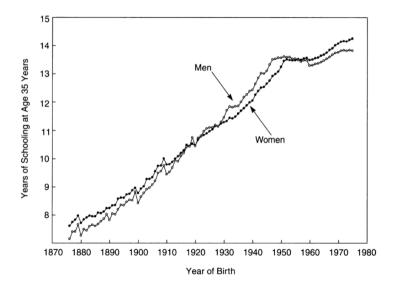
- The nineteenth century in the United States was a period of industrialization that is often associated with capital investment
- At the start of the twentieth century, Americans began to make the transition toward an emphasis on human capital, education, and skills as a source of the wealth of nations

- After 1900, access to schooling in the United States increased and was less attached to personal station or residence—with the big exception(!) of access by race
- Even rich European nations would lag behind the United States by five decades or more

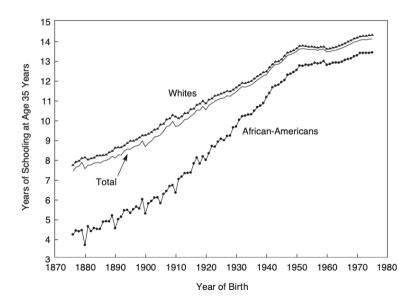
### What does the human capital century look like by cohort?



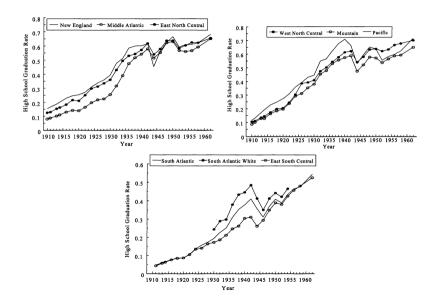
## What does the human capital century look like **by gender**?



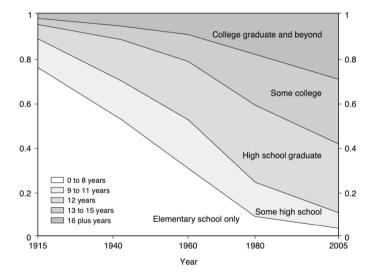
## What does the human capital century look like by race?



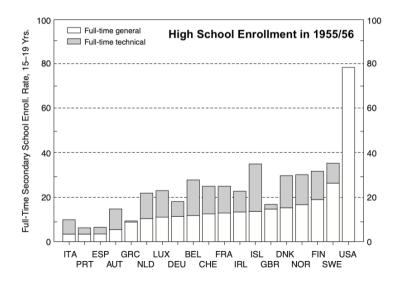
## What does the human capital century look like by region?



### What does the human capital century look like in the workforce?



### What does the human capital century look like **compared to Europe**?



- So by the middle of the twentieth century the United States outpaced every country in the world in terms of high school enrollment, although progress was uneven
- What were the economic forces behind the high school movement? e.g.,
- taxable wealth of residents
- distribution of income
- racial and ethnic homogeneity
- opportunity cost of youth employment
- structural change out of agriculture
- many, fiscally independent school districts

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We can understand the contribution of some of these factors in terms of supply and demand and using simple regression analysis

- How do we model the market of high school graduation?
  - Demand → preferences over schooling
  - Supply → cost of provision of schooling
- Empirically, we can model enrollment in public and private high schools at the state-year level  $(Y_{it})$  as a function of several variables  $(X_{it})$ :

$$Y_{it} = \beta_0 + \beta_1 X_{1,it} + \dots + \beta_J X_{J,it} + \varepsilon_{it}$$

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$$Y_{it} = \beta_0 + \underbrace{\beta_1 X_{1,it} + \dots + \beta_J X_{J,it}}_{ ext{wealth, wage, religion, region}} + \varepsilon_{it}$$

$$Y_{i,1910} = \beta_0 + \beta_1 X_{1,i,1910/12} + \dots + \beta_J X_{J,i,1910/12} + \varepsilon_{i,1910}$$

	(1)	(2) Levels						
	1910	1928	1928	1928-1910	1938-1928	1938-1928	1910	1928
Log per capita taxable wealth, 1912 or 1922, × 10 <sup>-1</sup>	0.236 (0.0901)	0,852 (0,368)		0.857 (0.260)	1,25 (0,345)		7.47I (0.45I)	7.926 (0.386)
% ≥\$ 65 years, 1910 or 1930 % of labor force in manufacturing, 1910 or 1930	2.13 (0.260) -0.0673 (0.0335)	1.423 (0.788) -0.144 (0.0972)						
% Catholic, 1910 or 1926 South	-0.0913 (0.0305) -0.0449 (0.00932)	-0.377 (0.0867) -0.0935 (0.0272)						
New England	0.0444	0.100						
Middle Atlantic								
Males in public colleges /17-year-olds, 1910 Wage in manufacturing, 1929, × 10 <sup>-1</sup>								
Wage × % in manufacturing, × 10 <sup>-1</sup> Auto registrations per								
capita, 1930, × 10 <sup>-2</sup> Log agricultural income per agricultural worker, 1920								

$$Y_{i,1928} = \beta_0 + \beta_1 X_{1,i,1922/26/30} + \dots + \beta_J X_{J,i,1922/26/30} + \varepsilon_{i,1928}$$

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% ≥\$ 65 years, 1910 or 1930 % of labor force in manufacturing, 1910 or 1930	2.13 (0.260) -0.0673 (0.0335)	1.423 (0.788) -0.144 (0.0972)	1.846 (0.774) 0.989 (0.481)					
% Catholic, 1910 or 1926 South	-0.0913 (0.0305) -0.0449 (0.00932)	-0.377 (0.0867) -0.0935 (0.0272)	-0.274 (0.0849) -0.131 (0.0294)					
New England	0.0444	0.100	(0,0294)					
Middle Atlantic		, , ,	-0.0635 (0.0338)					
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- Results for correlation with HS graduation in 1910 and 1928:
  - More wealth ↑
  - An older population ↑
  - A larger manufacturing base ↓
  - More Catholics ↓
  - South ↓, New England ↑ relative to excluded regions

$$\Delta Y_{it} = \beta_0 + \beta_1 X_{1,i,t} + \cdots + \beta_J X_{J,it} + \Delta \varepsilon_{i,1928}$$

	(1)	(2) Levels		(4)	(5) Differences			
	1910	1928	1928	1928–1910	1938-1928	1938-1928	1910	1928
Log per capita taxable wealth, 1912 or 1922, × 10 <sup>-1</sup>	0.236 (0.0901)	0.852 (0.368)		0.857 (0.260)	1.25 (0.345)		7.47I (0.45I)	7.926 (0.386)
% ≥\$ 65 years, 1910 or 1930 % of labor force in manufacturing, 1910 or 1930	2.13 (0.260) -0.0673 (0.0335)	1.423 (0.788) -0.144 (0.0972)		-1.749 (0.737) -0.0495 (0.0947)	-0.527 (0.866) 0.126 (0.0934)			
% Catholic, 1910 or 1926 South	-0.0913 (0.0305) -0.0449	-0.377 (0.0867) -0.0935		-0.265 (0.0900) -0.0735	0.0595 (0.0841) 0.0375			
New England	(0.00932) 0.0444 (0.0121)	(0.0272) 0.100 (0.0310)		(0.0267) 0.0811 (0.0333)	(0,0306)			
Middle Atlantic	(	()/		(===5557	0.0620			
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#### The **high school movement**

- Results for correlation with HS graduation in 1910 and 1928:
  - More wealth ↑
  - An older population ↑
  - A larger manufacturing base ↓
  - More Catholics ↓
  - South ↓, New England ↑ relative to excluded regions
- Results for correlation with change in HS graduation from 1910 to 1928:
  - More wealth leads to faster growth
  - An older population, larger manufacturing base, more Catholics leads to slower growth
  - The South grows slower, New England grows faster relative to excluded regions

#### The **high school movement**

- The high school movement was a grassroots campaign, not the result of legal compulsion
- Places that were richer and had a more homogeneous population led the way
- Boys and girls participated equally, whites and blacks did not
- Graduation rates were higher in small towns and in places that were more agricultural
- During the expansion, quality remained high and the curriculum changed
- Importantly, the high school movement adapted to and accommodated structural change, and helped to smooth the transition to the modern economy

### Education and labor markets at mid-century

- By 1940, the median youth in most US regions was a high school graduate
- This reflected America's distinctive approach to secondary school:
  - 1. decentralization of control
  - 2. local funding (through property taxes)
  - 3. open-access schooling
  - 4. separation of church and state
  - 5. gender neutrality
  - 6. open and forgiving
- One implication of these virtues can be seen in the experience **women**, one exception can be see in the experience of **African-Americans**

### Education and labor markets at mid-century

- For women, a few key issues are to understand:
  - the slope of labor demand curve
  - the degree of substitution between male and female labor
  - the extent to which women were substitutes for more or less skilled men
- The economists Acemoglu, Autor, and Lyle (2004) find:
  - a 10% increase in relative female labor supply lowers female wages 7-8%
    - $\rightarrow$  female labor demand elasticity of 1.2 to 1.5
  - a 10% increase in relative female labor supply lowers male wages 3-5%
    - $\rightarrow$  elasticity of substitution between male and female labor of  $\approx 3$
  - women were closer substitutes for men in the middle of the skill distribution
- So women were poised to (and did!) make labor market gains over the next half century

### Education and labor markets at mid-century

- For African-Americans, an important debate among economists is whether human capital or structural labor market factors explain wage differences relative to whites
- The economists Carruthers and Wanamaker (2017) use a decomposition to understand the reasons behind the black-white wage gap
- A key aspect of this study is measure differences in school quality between blacks and whites—one year of schooling was not the same amount of human capital by race
- Indeed, schools that were actually "separate but equal" in the Jim Crow era would have reduced wage inequality by 29%-48%
- So African-Americans were poised to (and did!) benefit tremendously from Civil Rights era reforms of schooling—as documented by the economist Wright (2013)

- In the late eighteenth century the United States was the "best poor man's country"
- Land was abundant and farming provided for a high standard of living in relative global terms, wealth and income were quite equally distributed
- In the late nineteenth century (circa 1890) the standard of living had climbed higher, but wealth and income were less equally distributed

• In part due to the process of industrialization, the returns to skill were increased and by the beginning of the twentieth century were at a peak

- Starting in the 1910s and 1920s occupations that that previously required education and substantial training began deskilling
  - e.g., clerical occupations began to substitute office machinery for skills

At the same, the "closing of the border" and reduction in immigration increased the wages
of less skilled workers

- And, as an outcome of the early advances of the high school movement, the supply of skills increased and depressed the wages of white collar workers
- Between the 1910s and 1950s inequality decreased and wage distribution compressed

- Moving forward to the last quarter of the 20thC, the United States had just experienced a
  period of rapid economic growth and was in the midst of historically low inequality
  - but from the late 1970s to the 2010s wage inequality increased
- From here we want a unified explanation for the changing returns to skills—we will use a supply-demand-institutions framework summarized by the following equations:

$$Q_t = A_t [\lambda_t S_t^{\rho} + (1 - \lambda_t) U_t^{\rho}]^{\frac{1}{\rho}}$$
 and  $U_t = [\theta_t H_t^{\eta} + (1 - \theta_t) O_t^{\eta}]^{\frac{1}{\eta}}$ 

where Q is output, A is productivity, S is college labor, H is high school labor, and O is high school dropout labor, and  $\lambda$  and  $\theta$  are technology shifters

• The elasticities of substitution between different types of labor are given by:

$$\sigma_{SU} = 1/(1-
ho)$$
 and  $\sigma_{HO} = 1/(1-\eta)$ 

• We can write college wages relative to high school wages as

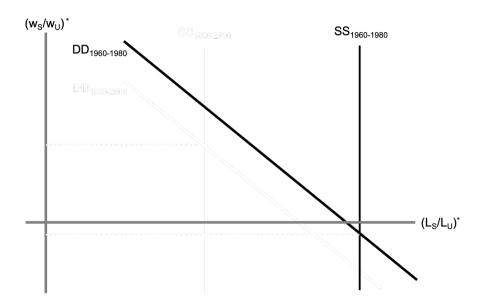
$$\log \left( \frac{w_{St}}{w_{Ut}} \right) = \log \left( \frac{\lambda_t}{1 - \lambda_t} \right) - \frac{1}{\sigma_{SU}} \log \left( \frac{S_t}{U_t} \right)$$

And high school wages relative to high school dropout wages as

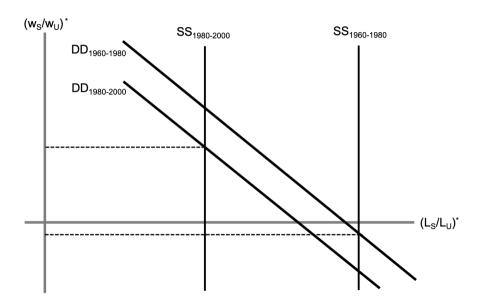
$$\log \left( \frac{w_{Ht}}{w_{Ot}} \right) = \log \left( \frac{\theta_t}{1 - \theta_t} \right) - \frac{1}{\sigma_{HO}} \log \left( \frac{H_t}{O_t} \right)$$

- So relative wages are determined by technology shifters ( $\lambda$  and  $\theta$ ), the relative supply of different labor groups to each other, and the relevant elasticity of substitution
- We can use this framework to analyze changes in the wage structure over time

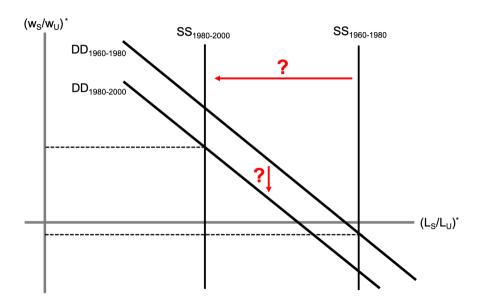
## The supply, demand, and institutions framework



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# The **college** wage premium

	Relative	Relative	Relative Demand	Relative Demand	Relative Demand
	Wage	Supply	$(\sigma_{SU}=1.4)$	$(\sigma_{SU}=1.64)$	$(\sigma_{SU}=1.84)$
1915-40	-0.56	3.19	2.41	2.27	2.16
1940-50	-1.86	2.35	-0.25	-0.69	-1.06
1950-60	0.83	2.91	4.08	4.28	4.45
1960-70	0.69	2.55	3.52	3.69	3.83
1970-80	-0.74	4.99	3.95	3.77	3.62
1980-90	1.51	2.53	4.65	5.01	5.32
1990-2000	0.58	2.03	2.84	2.98	3.09
1990-2005	0.50	1.65	2.34	2.46	2.56
1940-60	-0.51	2.63	1.92	1.79	1.69
1960-80	-0.02	3.77	3.74	3.73	3.73
1980-2005	0.90	2.00	3.27	3.48	3.66
1915-2005	-0.02	2.87	2.83	2.83	2.82

# The **college** wage premium

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## The **high school** wage premium

			Relative	Relative	Relative
	Relative	Relative	Demand	Demand	Demand
_	Wage	Supply	$(\sigma_{HO}=2)$	$(\sigma_{HO}=3)$	$(\sigma_{HO}=5)$
1915-40	-0.38	5.54	4.79	4.41	3.66
1940-50	-1.32	4.38	1.74	0.42	-2.22
1950-60	0.15	2.72	3.02	3.17	3.47
1960-70	0.01	5.31	5.33	5.34	5.36
1970-80	-0.01	5.65	5.63	5.62	5.60
1980-90	0.44	4.04	4.92	5.36	6.24
1990-2000	0.25	1.87	2.37	2.62	3.12
1990-2005	0.11	1.52	1.75	1.86	2.09
1940-60	-0.59	3.55	2.38	1.79	0.62
1960-80	0.00	5.48	5.48	5.48	5.48
1980-2005	0.24	2.53	3.02	3.26	3.75
1915-2005	-0.17	4.25	3.91	3.75	3.41

#### Who **won** the race?

- Over the second half of the twentieth century growth in the relative demand for skilled workers outpaced growth in the relative supply of skilled workers
- And the human capital century ended with more inequality expressed in the premium for college (relative to high school) and high school (relative) high school dropout labor
- This contrasts sharply with the pattern earlier in the first half of twentieth century in which the relative supply of skills expanded (responding to the relative skill premium)
- So in this explain inequality arises from a breakdown in access to education opportunities and inflexibility of educational institutions' response to increasing technological change