

Programming Fundamentals – ENSF 337

Lab 1

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B01

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Exercise B. Variables and Basic Arithmetic

Source Code:

```
/*  
  
    File Name: lab1_exe_B.c  
    Assignment: Lab 1 Exercise B  
    Lab Section: B01  
    Completed By: Jaxon Braun  
    Submission Date: Sept 20, 2021  
*/  
  
#include <stdio.h>  
  
int main()  
{  
    double num1 = -34.5;  
    double num2 = 98.7;  
  
    double sum;           // sum of num1 and num2  
    double sumSquared;    // the square of num1 plus num2  
  
    sum = num1 + num2;  
  
    sumSquared = sum * sum;  
  
    printf("The sum squared is %f\n", sumSquared);  
  
    sumSquared *= 2;  
  
    printf("The sum squared now is: %f\n", sumSquared);
```

```
    return 0;  
}
```

Output:

```
The sum squared is 4121.640000  
The sum squared now is: 8243.280000
```

Exercise C. Operator Precedence

- a) $z = 2.5 + 4 * -1.5 - (2.5 + 4) * -1.5$
 $z = 2.5 + 4 * -1.5 - 6.5 * -1.5$
 $z = 2.5 + -6 - -9.75$
 $z = 6.25$
- b) $z = 18 / 4 + 18 \% 4$
 $z = 4 + 2$
 $z = 6$
- c) $z = 4 / 18 + 4 \% 18$
 $z = 0 + 4$
 $z = 4$
- d) $z = 5 * 2.5 - 4 / 5$
 $z = 12.5 - 0$
 $z = 12.5$
- e) $z = 1 - (1 - (1 - (1 - (1 - 4))))$
 $z = 1 - (1 - (1 - (1 - (-3))))$
 $z = 1 - (1 - (1 - (4)))$
 $z = 1 - (1 - (-3))$
 $z = 1 - (4)$
 $z = -3$
- f) $z = \text{sqrt}(\text{sqrt}(\text{double}4))$
 $z = \text{sqrt}(2)$
 $z = 1.414214$

Exercise D: Mathematical Expressions

Source code:

```
/*  
  
File Name: lab1_exe_D.c  
  
Assignment: Lab 1 Exercise D  
  
Lab Section: B01  
  
Completed By: Jaxon Braun  
  
Submission Date: Sept 20, 2021  
  
*/  
  
  
#include <stdio.h>  
#include <math.h>  
  
  
int main()  
{  
  
    float angle;  
  
    printf("Please enter a value for an angle in radians: \n");  
  
    scanf("%f", &angle);  
  
  
    // using the built in math.h function to calculate sin(x) where x = angle  
  
    float result_sin_function = sin(angle);  
  
    printf("Using the built-in function, sin(%f) = %f \n", angle, result_sin_function);  
  
  
    // using the taylor series approximation to calculate sin(x) where x = angle  
  
    float three_fact = 3 * 2 * 1, five_fact = 5 * 4 * 3 * 2 * 1, seven_fact = 7 * 6 * 5 * 4 * 3 * 2 * 1;  
  
    float result_taylor_approx = angle - (pow(angle, 3) / three_fact) + (pow(angle, 5) / five_fact) - (pow(angle, 7) /  
seven_fact);  
  
    printf("Using the taylor series approximation, sin(%f) = %f \n", angle, result_taylor_approx);  
  
  
    return 0;  
}
```

Terminal output:

```
Please enter a value for an angle in radians:  
1  
Using the built-in function, sin(1.000000) = 0.841471  
Using the taylor series approximation, sin(1.000000) = 0.841468
```

Angle	Built-in sin(x)	Taylor Approximation of sin(x)
0	0.000000	0.000000
0.5	0.479426	0.479426
1	0.841471	0.841468
2.5	0.598472	0.588534

Exercise E: Problem Solving

Source Code:

```
/*
```

```
File Name: lab1_exe_E.c
```

```
Assignment: Lab 1 Exercise E
```

```
Lab Section: B01
```

```
Completed By: Jaxon Braun
```

```
Submission Date: Sept 21, 2021
```

```
*/
```

```
#include <stdio.h>
```

```
#include <stdlib.h>
```

```
#include <math.h>
```

```
int main()
```

```
{
```

```
float a, b, c;
```

```
//asking for the inputs of coefficients a b and c
```

```
printf("This program calculates the solutions of a quadratic equation given the coefficients in  
the general quadratic equation  $ax^2 + bx + c$ . \n");
```

```
printf("Please enter a value for coefficient a: \n");
```

```
scanf("%f", &a);
```

```
printf("Please enter a value for coefficient b: \n");
```

```
scanf("%f", &b);
```

```
printf("Please enter a value for coefficient c: \n");
```

```
scanf("%f", &c);
```

//computing the discriminant of the equation to determine if the equation will have complex solutions or not

```
float discriminant = (pow(b, 2)) - (4 * a * c);
```

//separating the quadratic into two ratios in order to simplify calculation. Using the absolute value of the discriminant for now, but will consider its true value later in order to determine if we need to represent complex solutions or not

```
float ratio_1 = (b * -1) / (2 * a);
```

```
float ratio_2 = (sqrt(abs(discriminant))) / (2 * a);
```

//if the discriminant is 0 or greater, we calculate the solutions using the quadratic equation normally. If the discriminant is less than zero, we must represent the complex solutions, which we can do by simply adding an i to ratio_2 and not add together ratio_1 and ratio_2. We also need to print the results here, as the formatting is different depending on if we need complex solutions or not.

```
if (discriminant >= 0){
```

```
    float x_1 = ratio_1 + ratio_2;
```

```
    float x_2 = ratio_1 - ratio_2;
```

```
    printf("The solutions to the quadratic are: \n x_1 = %f and x_2 = %f \n", x_1, x_2);
```

```
}
```

```
else {
```

```
    ratio_2 = abs(ratio_2);
```

```
    printf("The solutions to the quadratic are: \n x_1 = %f + %fi and x_2 = %f - %fi \n",  
ratio_1, ratio_2, ratio_1, ratio_2);
```

```
}
```

```
return 0;
```

```
}
```

Terminal Outputs:

```
This program calculates the solutions of a quadratic equation given the coefficients in the general
quadratic equation  $ax^2 + bx + c$ .
Please enter a value for coefficient a:
1
Please enter a value for coefficient b:
2
Please enter a value for coefficient c:
2
The solutions to the quadratic are:
x_1 = -1.000000 + 1.000000i and x_2 = -1.000000 - 1.000000i
```

```
This program calculates the solutions of a quadratic equation given the coefficients in the general
quadratic equation  $ax^2 + bx + c$ .
Please enter a value for coefficient a:
1
Please enter a value for coefficient b:
-4
Please enter a value for coefficient c:
3
The solutions to the quadratic are:
x_1 = 3.000000 and x_2 = 1.000000
```

```
This program calculates the solutions of a quadratic equation given the coefficients in the general
quadratic equation  $ax^2 + bx + c$ .
Please enter a value for coefficient a:
2
Please enter a value for coefficient b:
-6
Please enter a value for coefficient c:
3
The solutions to the quadratic are:
x_1 = 2.366025 and x_2 = 0.633975
```

a	b	c	Root 1	Root 2
1	2	2	-1 + 1i	-1 - 1i
1	-4	3	3	1
2	-6	3	2.366025	0.633975