Experiment no. 6

Page No.

Aim - Implementation & analysis of RSA cryptosystem & digital Signature Scheme using RSA.

TheoryRSA - RSA algorithm is asymmetric Couptography algorithm. Asymmetric actually means it works on two different keys in Public key & private key since this is asymmetric nabody else except browser can decrypt data even if a third party has public key of browser.

Working of RSA

It works on two keys

Public key - It comprises of two numbers

in which one number is the result - of

product of two large prime numbers This key

is provided to all its users.

Private key - It is derived from two prime numbers involved in public key & it remains always in Private

Characteristics:

O It is a public encryption technique.

O It is safe for data exchange over
internet

O It was atains confidentality of data.

3) If maintains confidentality of data.

3) RSA has high toughness as breaking into

the keys by interceptions is very difficult. RSA (Receiver) Sender) 6 mm unication Encyption Deacoyption | Plaintest plaintext Cipher. Public) text Private Advantages of RSA - It is very easy to implement RSA algorithm RSA algorithm is safe & secure For Hansmitting confidential data:
- Coacking RSA algorithm is very difficult as
it involves complex mathematics: - Shaxing public key to users is easy. Disadvanges of RSA It may fail sometimes because for complete encryption both symmetric & asymmetric encryption is dequired & RSA uses asymmetric encryption only.

It requires 3rd porty to verify reliability of public key sometimes, also slow downs data bransfer

Page No.

```
PROGRAM:
import random
def gcd(a, b):
  while b != 0:
    a, b = b, a % b
  return a
def multiplicative_inverse(e, phi):
  d = 0
  x1 = 0
  x2 = 1
  y1 = 1
  temp_phi = phi
  while e > 0:
    temp1 = temp_phi//e
    temp2 = temp_phi - temp1 * e
    temp_phi = e
    e = temp2
    x = x2 - temp1 * x1
    y = d - temp1 * y1
    x2 = x1
    x1 = x
    d = y1
```

```
y1 = y
  if temp_phi == 1:
    return d + phi
def is_prime(num):
  if num == 2:
    return True
  if num < 2 or num % 2 == 0:
    return False
  for n in range(3, int(num**0.5)+2, 2):
    if num % n == 0:
      return False
  return True
def generate key pair(p, q):
  if not (is prime(p) and is prime(q)):
    raise ValueError('Both numbers must be prime.')
  elif p == q:
    raise ValueError('p and q cannot be equal')
  n = p * q
  phi = (p-1) * (q-1)
  e = random.randrange(1, phi)
  g = gcd(e, phi)
  while g != 1:
```

```
e = random.randrange(1, phi)
    g = gcd(e, phi)
  d = multiplicative inverse(e, phi)
  return ((e, n), (d, n))
def encrypt(pk, plaintext):
  key, n = pk
  cipher = [pow(ord(char), key, n) for char in plaintext]
  return cipher
def decrypt(pk, ciphertext):
  key, n = pk
  aux = [str(pow(char, key, n)) for char in ciphertext]
  plain = [chr(int(char2)) for char2 in aux]
  return ".join(plain)
if name == ' main ':
  p = int(input("Enter a prime number (17, 19, 23, etc): "))
  q = int(input("Enter another prime number (Not one you entered
above): "))
  print("Generating your public / private key-pairs now . . .")
  public, private = generate key pair(p, q)
  print("Your public key is ", public, " and your private key is ",
private)
  message = input("Enter a message to encrypt with your public key:
")
```

```
encrypted_msg = encrypt(public, message)
print("Your encrypted message is: ", ".join(map(lambda x: str(x),
encrypted_msg)))
print("Decrypting message with private key ", private, " . . . ")
print("Your message is: ", decrypt(private, encrypted_msg))
```

OUTPUT:

```
D:\>python rsa.py
Enter a prime number (17, 19, 23, etc): 7
Enter another prime number (Not one you entered above): 11
Generating your public / private key-pairs now . . .
Your public key is (29, 77) and your private key is (89, 77)
Enter a message to encrypt with your public key: HELLO
Your encrypted message is: 4648767639
Decrypting message with private key (89, 77) . . .
Your message is: HELL®

D:\>
```

DIGITAL SIGNATURE USING RSA

STEP 1

	Digital Signatures Scheme
Digitally sign the plaintext with Hashed RSA.	
Plaintext (string):	
test	SHA-1
Hash output(hex):	
a94a8fe5ccb19ba61c4c0873d391e987982fbb	

STEP 2

Hash output(hex):

a94a8fe5ccb19ba61c4c0873d391e987982fbbc

Input to RSA(hex):

a94a8fe5ccb19ba61c4c0873d391e987982fbbc | Apply RSA

STEP 3

RSA public key

Public exponent (hex, F4=0x10001):

10001

Modulus (hex):

a5261939975948bb7a58dffe5ff54e65f0498f9175f5a09288810b8975871e99 af3b5dd94057b0fc07535f5f97444504fa35169d461d0d30cf0192e307727c06 5168c788771c561a9400fb49175e9e6aa4e23fe11af69e9412dd23b0cb6684c4 c2429bce139e848ab26do829073351f4acd36074eafdo36a5eb83359d2a698d3

1024 bit 1024 bit (e=3) 512 bit 512 bit (e=3)

STEP 4

Input to RSA(hex):

a94a8fe5ccb19ba61c4c0873d391e987982fbbc Apply RSA

Digital Signature(hex):

63c3e5c965d89d7b0192e478fe3f4dd52113dd08bd067f2c7c029a4e2f8f885b 6eodob10d524cbc01fd3f1a7b3a1e0f3724b0c87fe5ace2fe32df06144748eb9 026d0f8707148d42f601a0043d70a7d0b72148bb616a5cc36368aa012fafdf98 67ec00100bc2f4952d4447e7ca4c1a35648f4f9c0d680e037d4ec31d1d62fff1

Digital Signature(base64):

Y8PlyWXYnXsBkuR4/j9N1SET3Qi9Bn8sfAKaTi+PiFtuDQsQ1STLwB/T8aezoeDzcksMh/5azi/jLfBhRHSOuQJtD4cHFl1C9gGgBD1wp9C3lUi7YWpcw2NoqgEvr9+YZ+wAEAvC9JUtREfnykwaNWSPT5wNaA4DfU7DHR1i//E=

Status:	
Time: 13ms	

CONCLUSION: Hence we can conclude that we have learned and implemented analysis of RSA cryptosystem and digital signature scheme using RSA