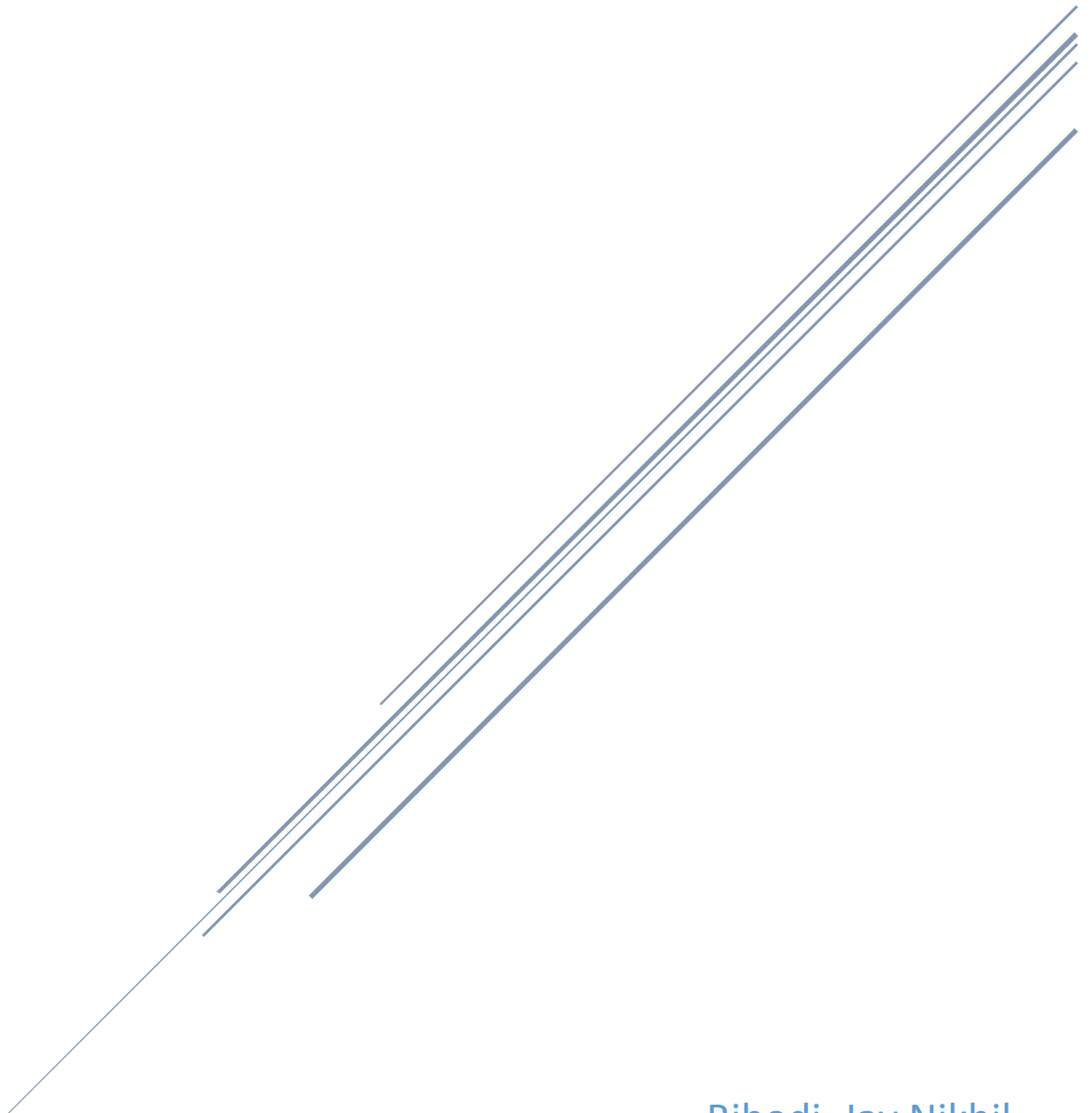


# ASSIGNMENT 1

Programming Languages



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CSC 135, Section 1, Tu-Th: 1:30 – 2:45

### Grammar:

block ::= B {statemt} E [D]  
statemt ::= asignmt | ifstmt | while | inpout | block  
asignmt ::= A ident ~ exprsn  
ifstmt ::= I comprsn T block [L block]  
while ::= W comprsn block  
inpout ::= iosym ident {, ident}  
comprsn ::= ( oprnd opratr oprnd )  
exprsn ::= factor {sumop factor}  
factor ::= oprnd {prodop oprnd}  
oprnd ::= integer | ident | ( exprsn )  
ident ::= letter {char}  
char ::= letter | digit  
integer ::= digit {digit}  
iosym ::= R | O  
opratr ::= < | = | > | !  
sumop ::= + | -  
prodop ::= \* | /  
letter ::= X | Y | Z  
digit ::= 0 | 1

The tokens are: B E D A ~ I T L W , ( ) R O < + > ! + - \* / X Y Z 0 1

Nonterminals are shown as lowercase words. Note that the following characters are NOT tokens (they are EBNF metasyms): | { }

1. Compute the FIRST and FOLLOW for all the non-terminal in the above grammar.

Non Terminal	First	Follow
Digit	{ 0 , 1 }	Follow ( char ) U First ( digit ) U Follow ( integer ) = { ~ , , , E , < , = , > , ! , ) , * , / , + , - , 0 , 1 }
Letter	{ X , Y , Z }	First ( char ) U Follow ( char ) = { 0 , 1 , X , Y , Z , ~ , , , E , < , = , > , ! , ) , * , / , + , - }
Prodop	{ * , / }	First ( oprnd ) = { 0 , 1 , X , Y , Z , ( }
Sumop	{ + , - }	First ( factor ) = { 0 , 1 , X , Y , Z , ( }
Opratr	{ < , = , > , ! }	First ( oprnd ) = { 0 , 1 , X , Y , Z , ( }
Iosym	{ R , O }	First ( ident ) = { X , Y , Z }
Integer	First ( digit ) = { 0 , 1 }	Follow ( oprnd ) = { < , = , > , ! , ) , * , / , + , - , E }

Char	First ( letter ) U First ( digit ) = { 0 , 1 , X , Y , Z }	Follow ( ident ) = { ~ , , , E , < , = , > , ! , ) , * , / , + , - }
Ident	First ( letter ) = { X , Y , Z }	{ ~ } U { , , } U Follow ( inpout ) U Follow ( oprnd ) = { ~ , , , E , < , = , > , ! , ) , * , / , + , - }
Oprnd	First ( integer ) U First ( letter ) U { ( } = { 0 , 1 , X , Y , Z , ( }	First ( opratr ) U { ) } U First ( prodop ) U Follow ( factor ) = { < , = , > , ! , ) , * , / , + , - , E }
Factor	First ( oprnd ) = { 0 , 1 , X , Y , Z , ( }	First ( sumop ) U Follow ( exprsn ) = { + , - , E , ) }
Exprsn	First ( factor ) = { 0 , 1 , X , Y , Z , ( }	Follow ( asignmt ) U { ) } = { E , ) }
Comprsn	{ ( }	{ T } U follow ( block ) = { T , B }
Input	First ( iosym ) = { R , O }	Follow ( statemt ) = { E }
While	{ W }	Follow ( statemt ) = { E }
Ifstmt	{ I }	Follow ( statemt ) = { E }
Asignmt	{ A }	Follow ( statemt ) = { E }
Statemt	First ( asignmt ) U First ( ifstmt ) U First ( while ) U First ( inpout ) U First ( block ) = { A , I , W , R , O , B }	{ E }
Block	{ B }	Follow ( statemt ) U { L } U follow ( ifstmt ) U follow ( while ) = { \$ , E , L }

2. Show that the grammar satisfies the two requirements for predictive parsing (it does, you just need to prove it). Make sure that you read the supplement regarding the rules for an EBNF grammar below.

Answer :

**block ::=**

$\text{first ( statemt )} \cap \{ E \} = \{ A , I , W , R , O , B \} \cap \{ E \} = \emptyset$

$\text{follow ( block )} \cap \{ D \} = \{ \$ , E , L \} \cap \{ D \} = \emptyset$

**stetemt ::=**

$\text{first ( asignmt )} \cap \text{first ( ifstmt )} \cap \text{first ( while )} \cap \text{first ( inpout )} \cap \text{first ( block )}$

$= \{ A \} \cap \{ I \} \cap \{ W \} \cap \{ R , O \} \cap \{ B \} = \emptyset$

**asignmt ::=** trivial case

**ifstmt ::=**

$\text{first ( block )} \cap \text{follow ( ifstmt )} = \{ B \} \cap \{ E \} = \emptyset$

**while ::=** trivial case

**inpout ::=**

$\text{first}(\text{ident}) \cap \text{follow}(\text{inpout}) = \{X, Y, Z\} \cap \{E\} = \emptyset$

**comprsn ::=** trivial case

**exprsn ::=**

$\text{first}(\text{sumop}) \cap \text{first}(\text{factor}) \cap \text{follow}(\text{exprsn})$

$= \{+, -\} \cap \{0, 1, X, Y, Z, (\} \cap \{E, )\} = \emptyset$

$\text{first}(\text{sumop}) \cap \text{first}(\text{factor}) = \emptyset$

$\text{first}(\text{factor}) \cap \text{follow}(\text{exprsn}) = \emptyset$

**factor ::=**

$\text{first}(\text{prodop}) \cap \text{first}(\text{oprnd}) \cap \text{follow}(\text{factor}) = \{*, /\} \cap \{0, 1, X, Y, Z, (\} \cap \{+, -, E, )\} = \emptyset$

$\text{first}(\text{prodop}) \cap \text{first}(\text{oprnd}) = \emptyset$

$\text{first}(\text{oprnd}) \cap \text{follow}(\text{factor}) = \emptyset$

**oprnd ::=**

$\text{first}(\text{integer}) \cap \text{first}(\text{ident}) \cap \{(\}$

$= \{0, 1\} \cap \{X, Y, Z\} \cap \{(\} = \emptyset$

$\text{first}(\text{integer}) \cap \text{first}(\text{ident}) \cap \{)\} = \emptyset$

$\text{first}(\text{integer}) \cap \text{first}(\text{ident}) \cap \text{first}(\text{exprsn}) = \emptyset$

**ident ::=**

$\text{first}(\text{char}) \cap \text{follow}(\text{ident})$

$= \{0, 1, X, Y, Z\} \cap \{\sim, ,, E, <, =, >, !, ), *, /, +, -, \} = \emptyset$

**char ::=**

$\text{first}(\text{letter}) \cap \text{first}(\text{digit}) = \{X, Y, Z\} \cap \{0, 1\} = \emptyset$

**integer ::=**

$\text{first}(\text{digit}) \cap \text{follow}(\text{integer}) = \{0, 1\} \cap \{<, =, >, !, ), *, /, +, -, E\} = \emptyset$

**iosym ::=** trivial case

**opratr ::=** trivial case

**sumop ::=** trivial case

**prodop** ::= trivial case

**letter** ::= trivial case

**digit** ::= trivial case