

# Assignment #5

CSc 4220/6220 - Computer Networks

November 16, 2017

→ *You should submit your own work with programming assignment.*

1. Consider the topology shown in Figure 1. Denote the three subnets with hosts (starting clockwise at 12:00) as Networks A, B, and C. Denote the subnets without hosts as Networks D, E, and F.
  - (a) Assign network addresses to each of these six subnets, with the following constraints: All addresses must be allocated from 214.97.254/23; Subnet A should have enough addresses to support 250 interfaces; Subnet B should have enough addresses to support 120 interfaces; and Subnet C should have enough addresses to support 120 interfaces. Of course, subnets D, E and F should each be able to support two interfaces. For each subnet, the assignment should take the form a.b.c.d/x or a.b.c.d/x e.f.g.h/y.
  - (b) Using your answer to part (a), provide the forwarding tables (using longest prefix matching) for each of the three routers.

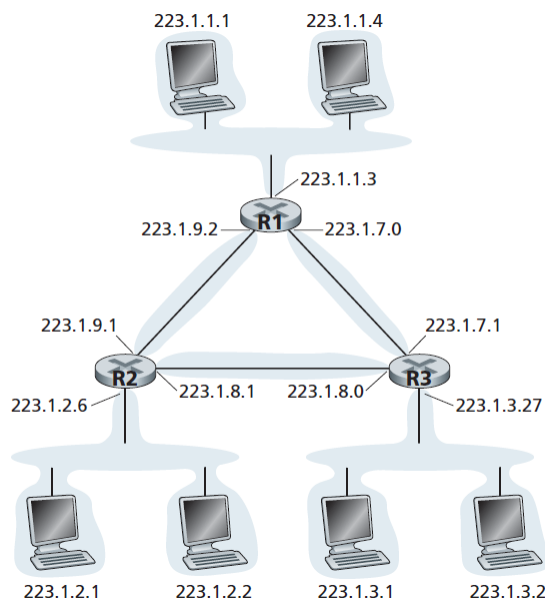


Figure 1: Network topology

2. Consider the following network in Figure 2. With the indicated link costs, use Dijkstra's shortest-path algorithm to compute the shortest path from x to all network nodes. Show how the algorithm works by computing a table similar to Table 5.1 in the textbook.

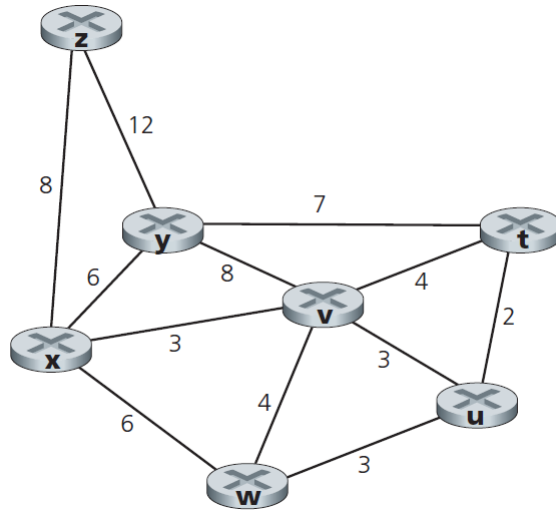


Figure 2: Network topology

3. Consider the network shown in Figure 3, and assume that each node initially knows the costs to each of its neighbors. Consider the distance-vector algorithm and show the distance table entries at node z.

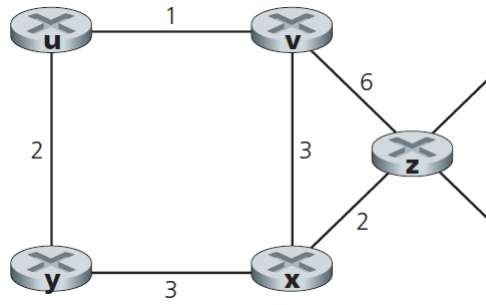


Figure 3: Network topology

4. Consider the network fragment shown in Figure 4.  $x$  has only two attached neighbors,  $w$  and  $y$ .  $w$  has a minimum-cost path to destination  $u$  (not shown) of 5, and  $y$  has a minimum-cost path to  $u$  of 6. The complete paths from  $w$  and  $y$  to  $u$  (and between  $w$  and  $y$ ) are not shown. All link costs in the network have strictly positive integer values.
- (a) Give  $x$ 's distance vector for destinations  $w$ ,  $y$ , and  $u$ .
  - (b) Give a link-cost change for either  $c(x,w)$  or  $c(x,y)$  such that  $x$  will inform its neighbors of a new minimum-cost path to  $u$  as a result of executing the distance-vector algorithm.
  - (c) Give a link-cost change for either  $c(x,w)$  or  $c(x,y)$  such that  $x$  will not inform its neighbors of a new minimum-cost path to  $u$  as a result of executing the distance-vector algorithm.

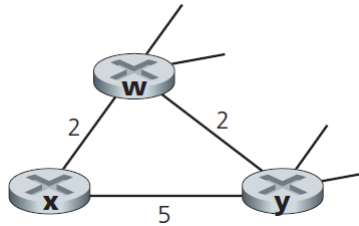


Figure 4: Network topology

5. Consider the three-node topology shown in Figure 5. Rather than having the link costs shown in Figure 4.30, the link costs are  $c(x, y) = 3, c(y, z) = 6, c(z, x) = 4$ . Compute the distance tables after the initialization step and after each iteration of a synchronous version of the distance-vector algorithm (as we did in our earlier discussion of Figure 5).

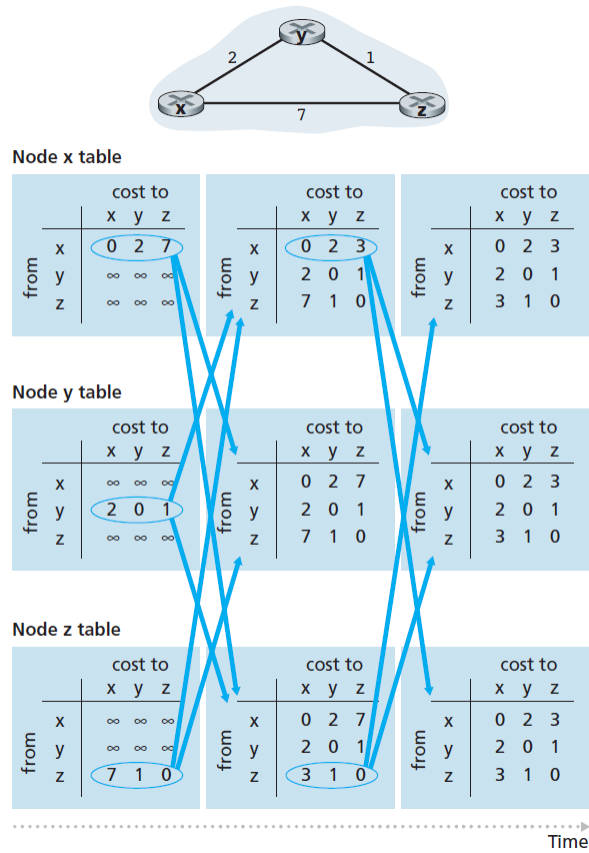


Figure 5: Network topology

## 6. *Programming Assignment:*

Based on the content covered in the class, you are required to implement a simplified network store-forward simulating program. You can conduct the homework by yourself or work with another student as a group. You are required to implement shortest path algorithm (Dijkstra) for the graph, which is shown in Figure 6.

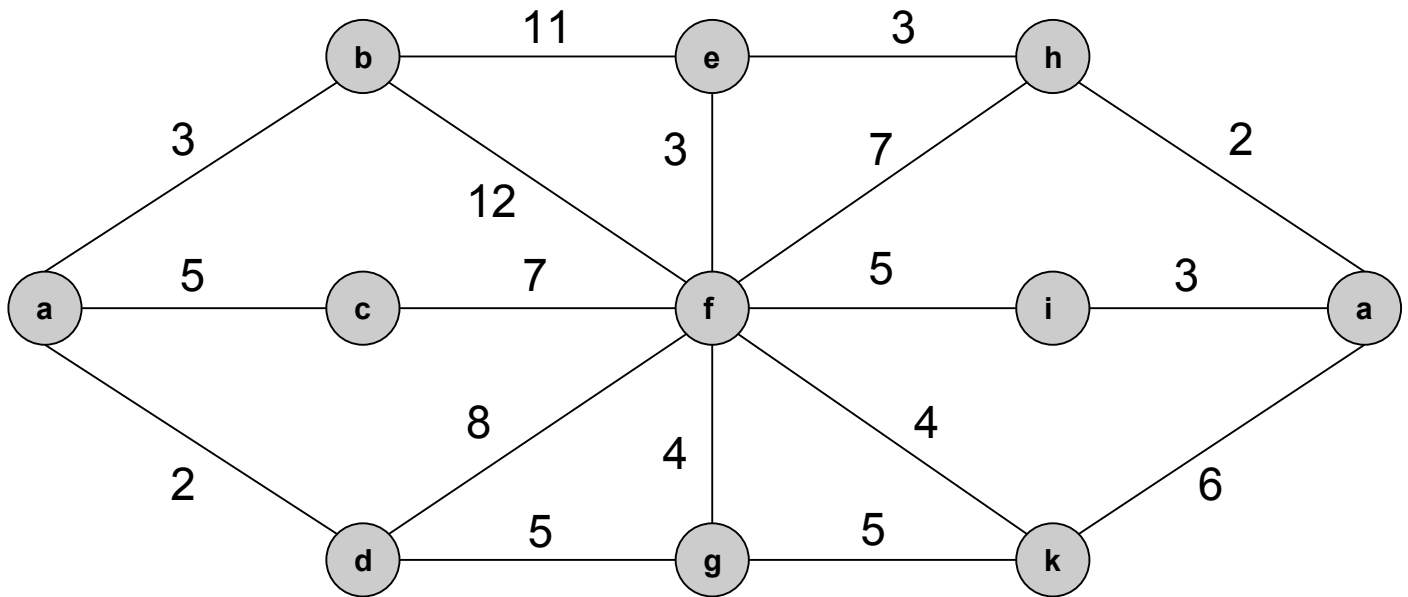


Figure 6: Network graph model

In the figure, a number along a link shows the cost of each link. To find a path from one node to another node, you should use Dijkstra's shortest path algorithm.

- Inputs of the program:
  - Our specific graph model
  - Starting point (Sender)
  - Ending point (Receiver)
- Outputs of the program:
  - Cost of the path
  - Visited nodes on the path

### **You have to:**

- Implement algorithm (with your preferred programming language) running on the control plane.
- Submit all your code blocks into the iCollege
- Demonstrate your program to the TA during the TA's office hour