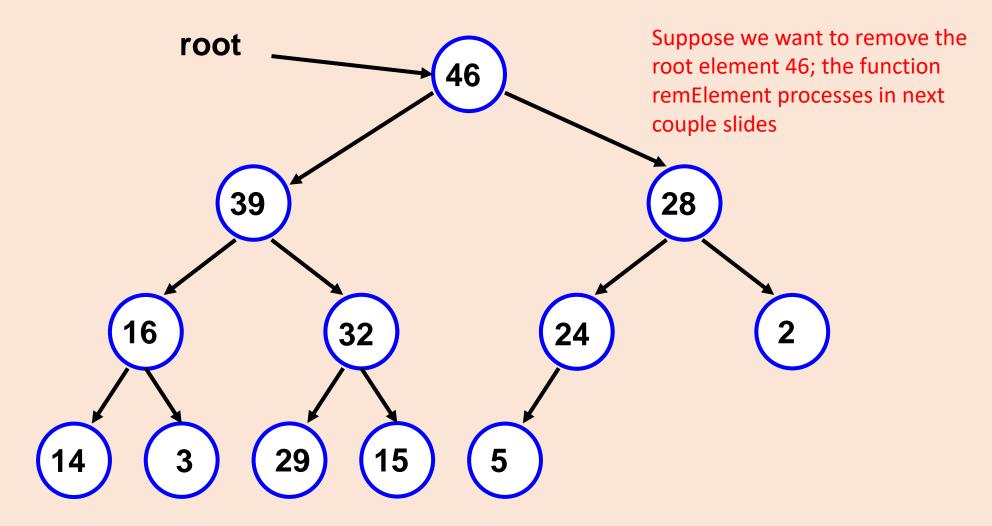
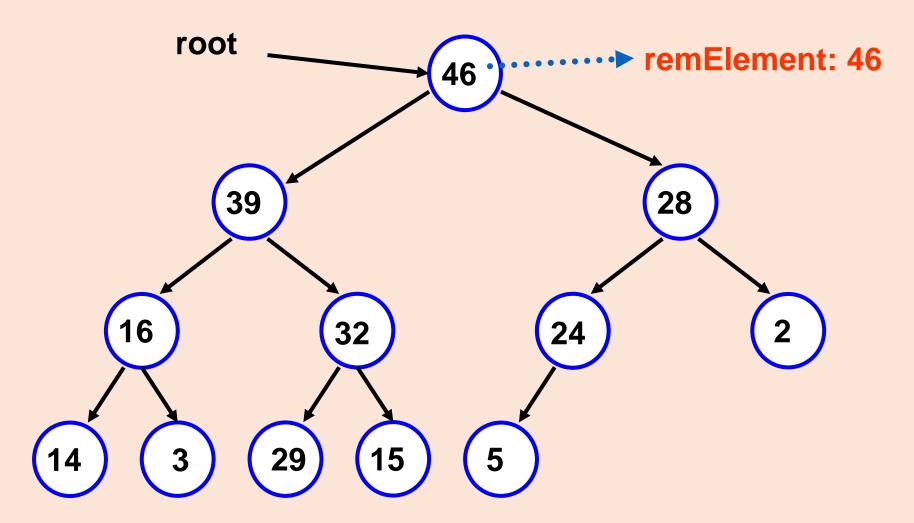
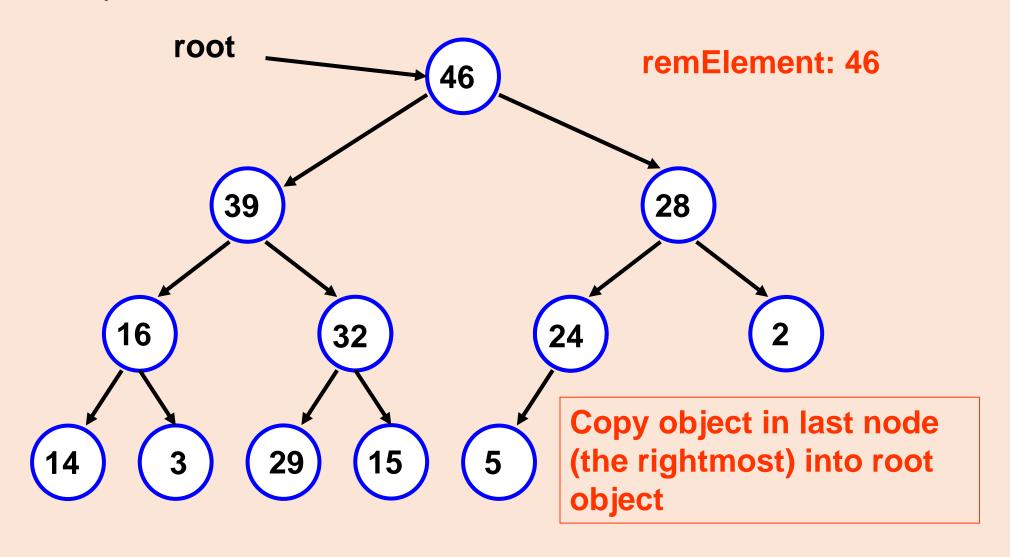
# Heapify (ReheapDown) or Dequeue process

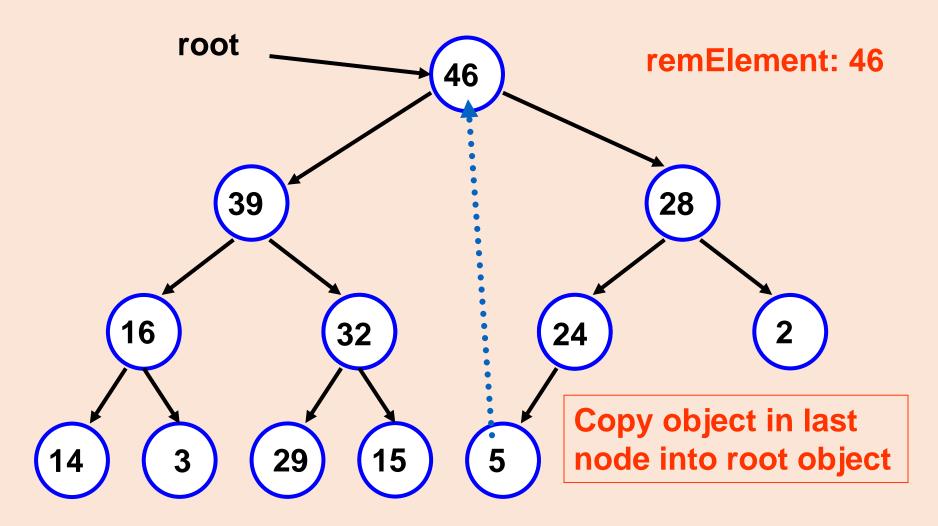
#### Dequeue

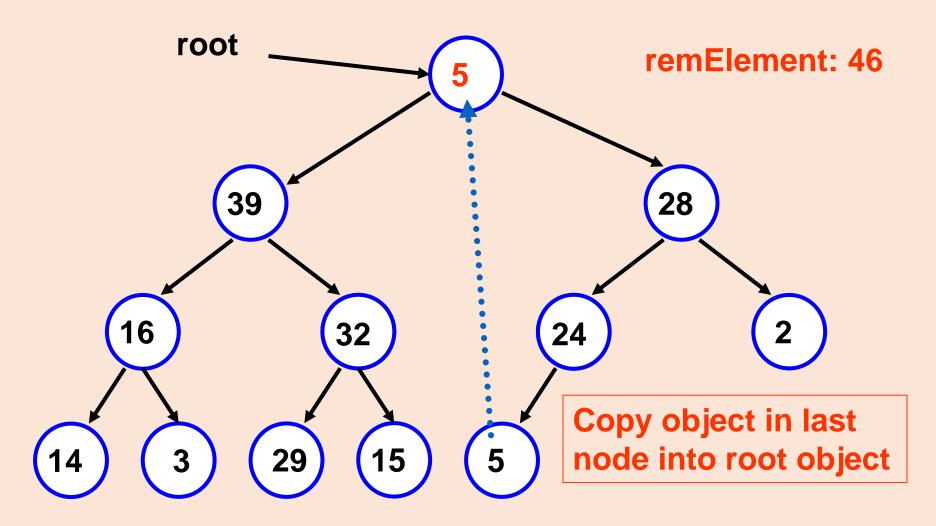
- Dequeuing (removing) the object with the greatest value appears to be a O(1) operation
- However, after removing the object, we must turn the resultant structure into a heap again, for the next dequeue.
- Fortunately, it only takes O( lg n ) time to turn the structure back into a heap again (which is why dequeue in a heap is a O( lg n ) operation

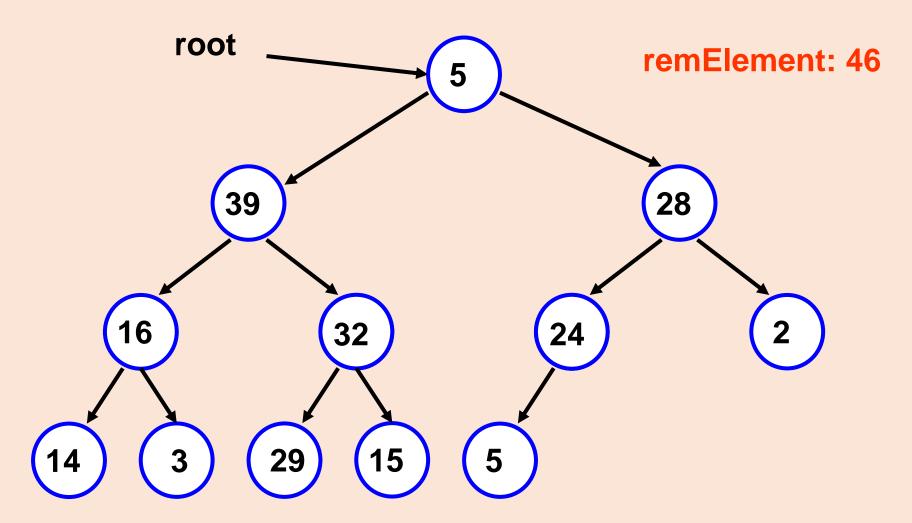


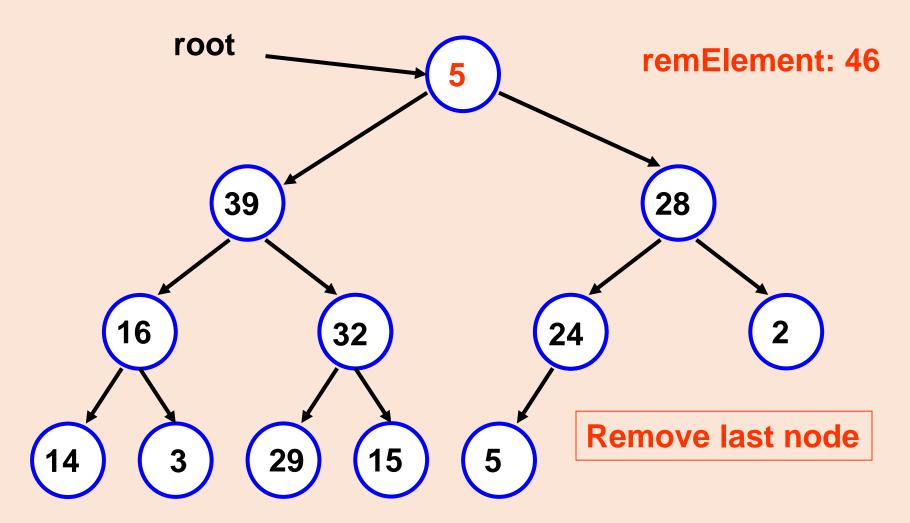


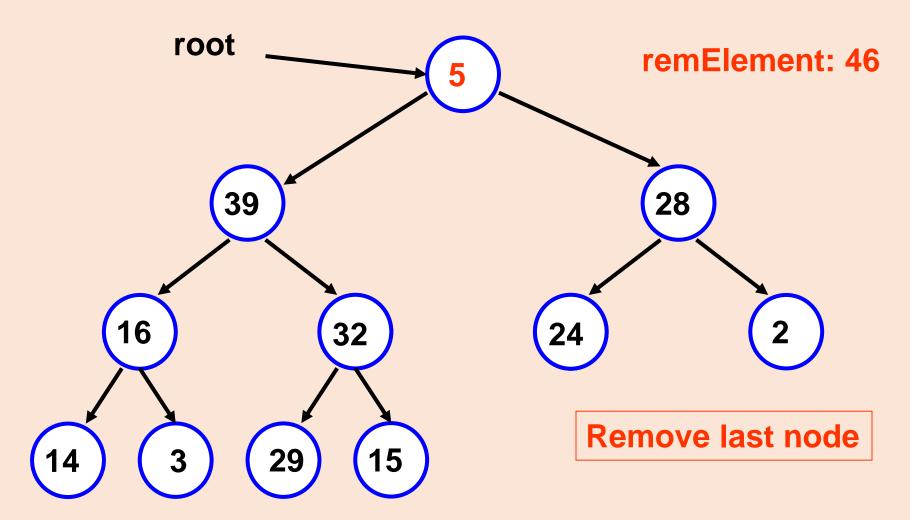


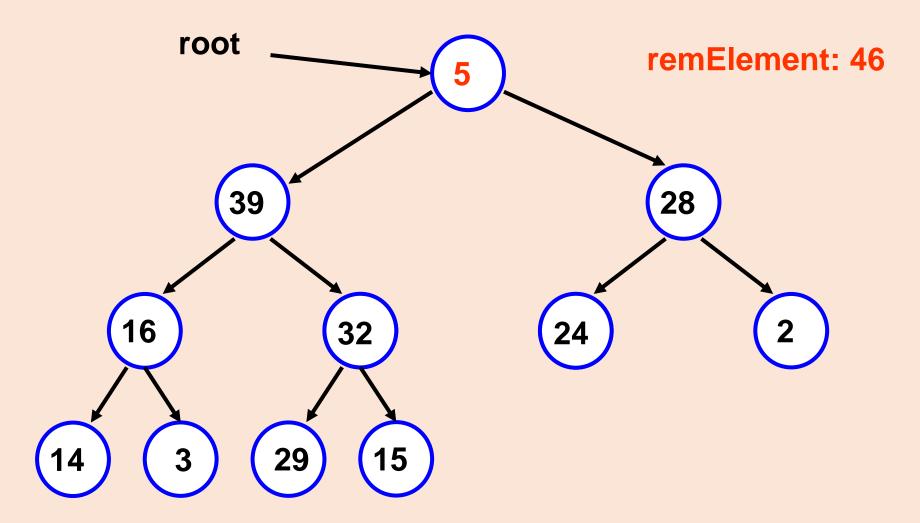


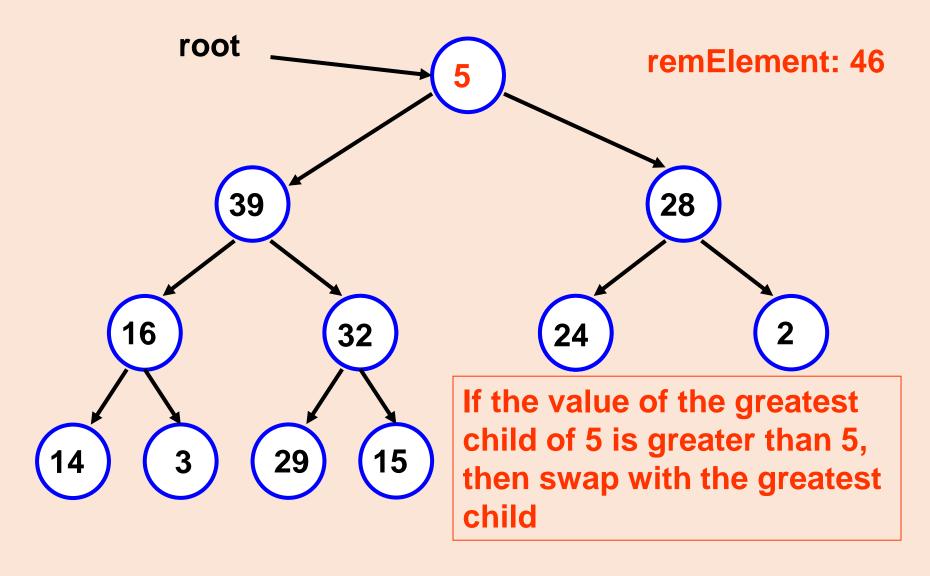


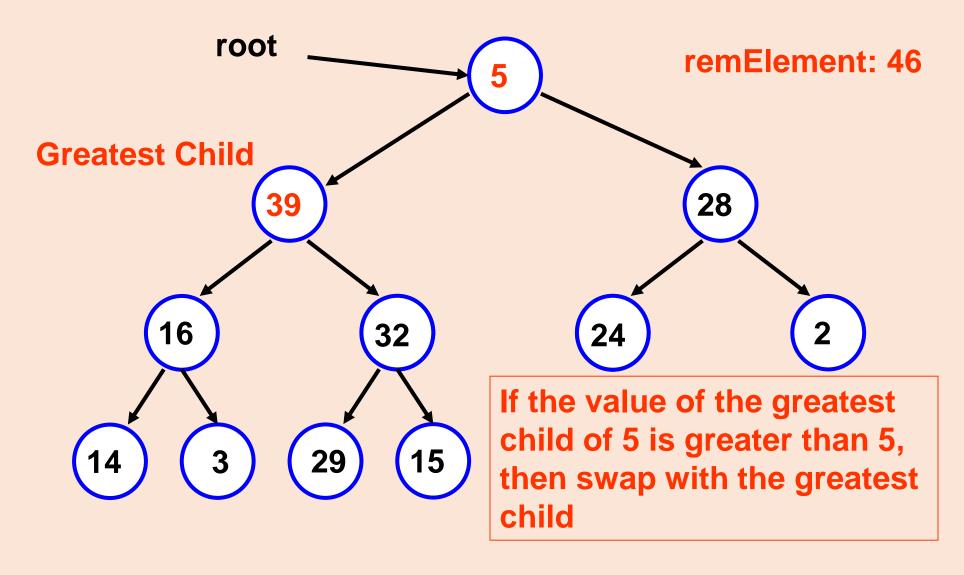


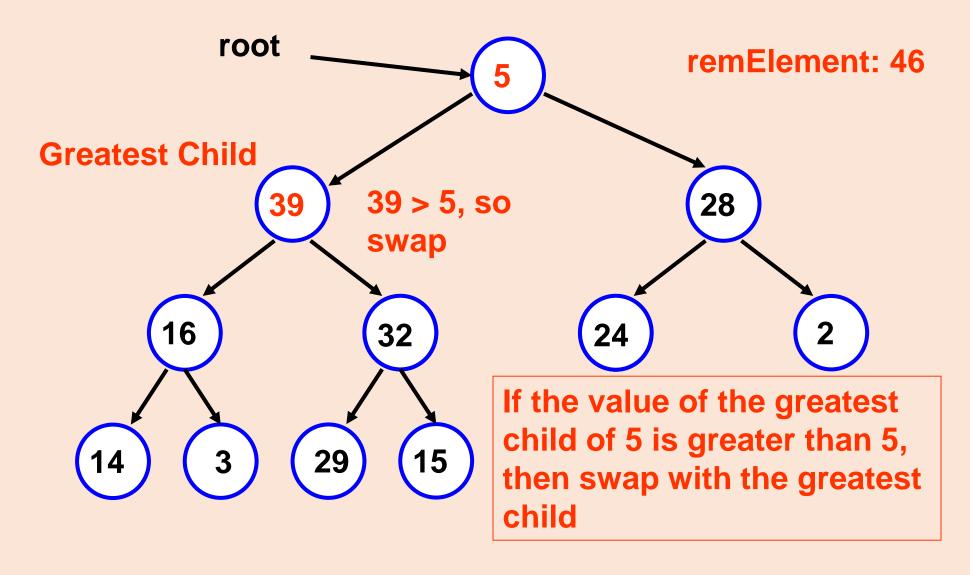


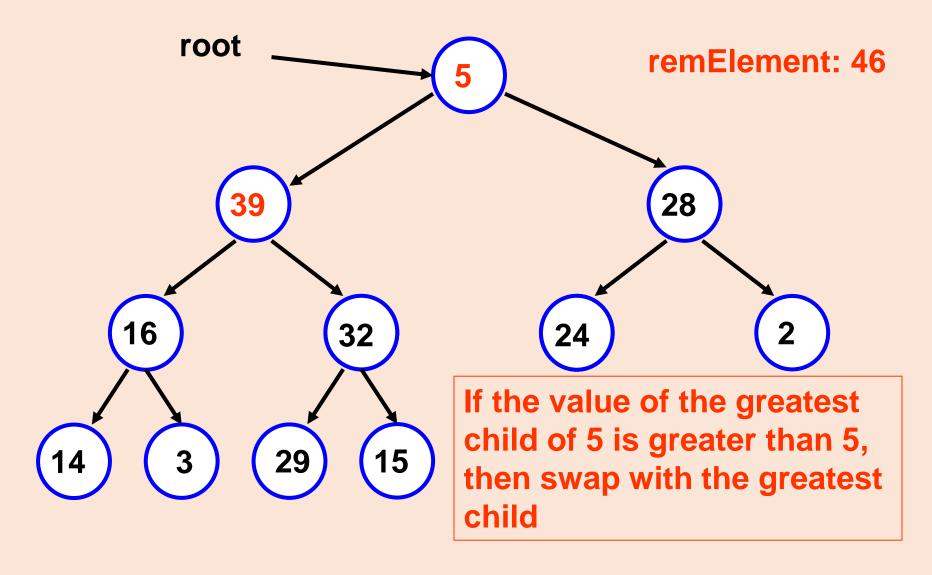


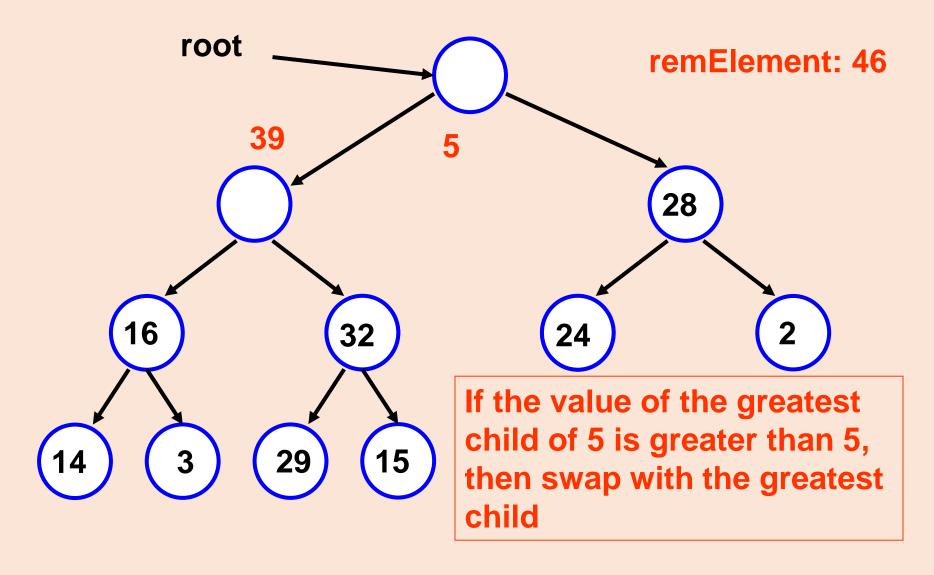


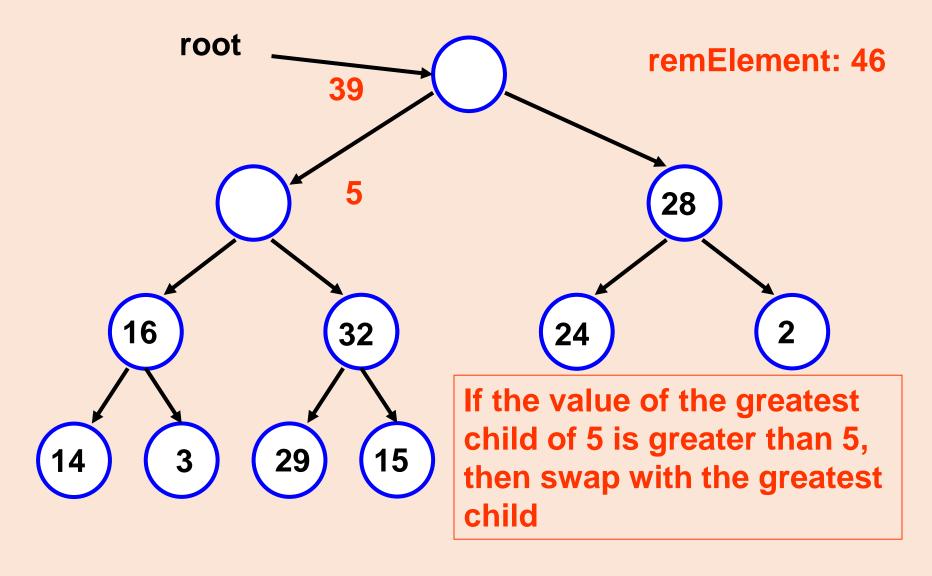


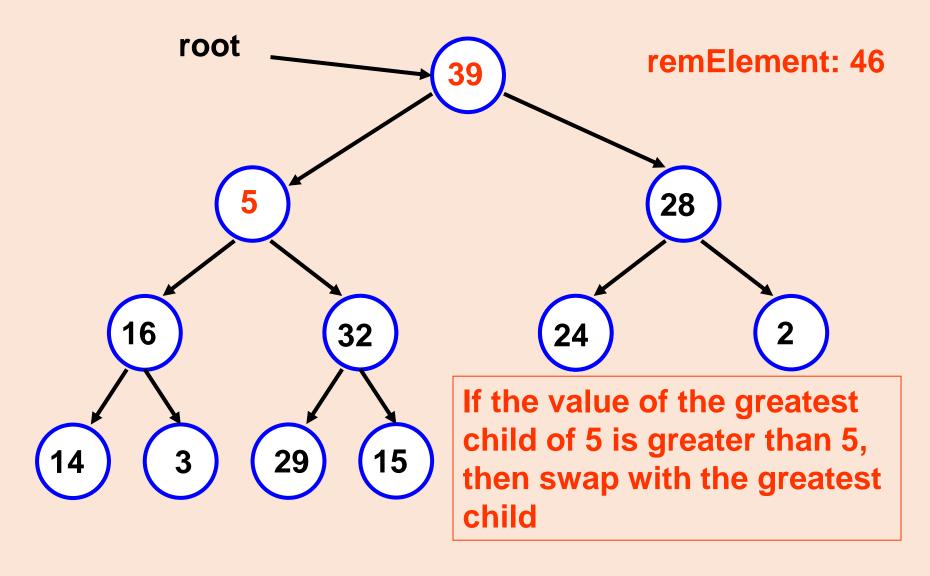


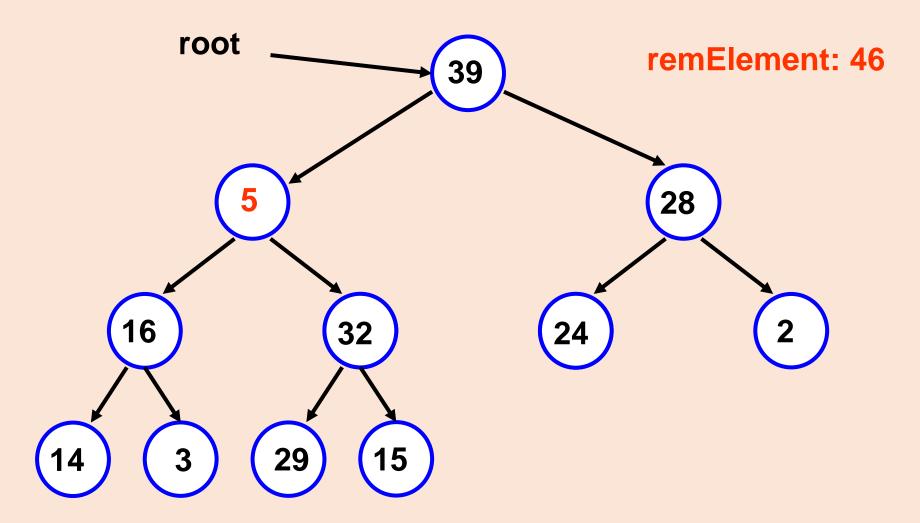


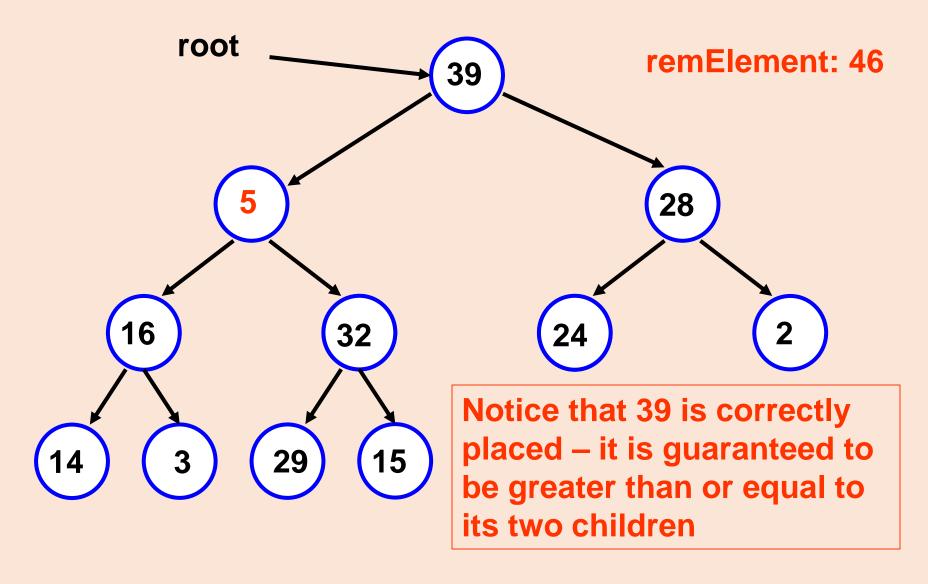


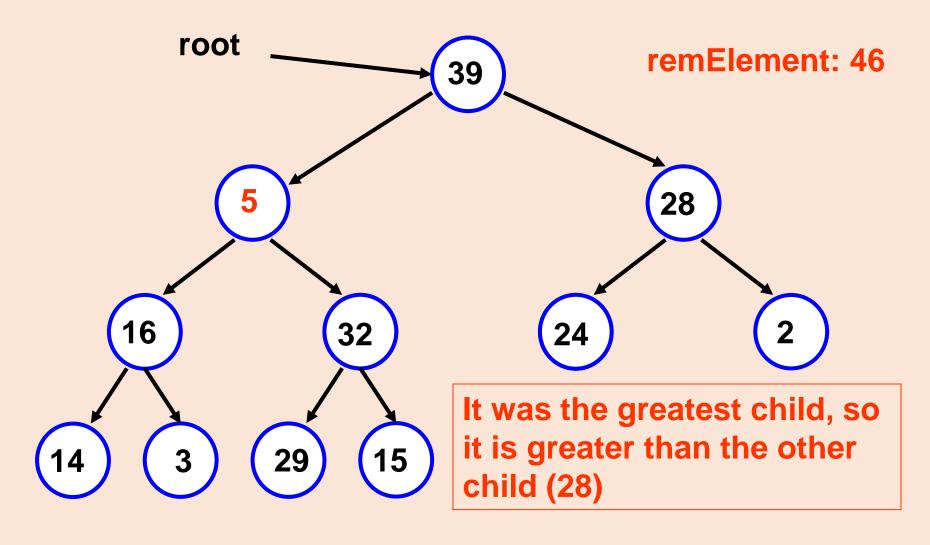


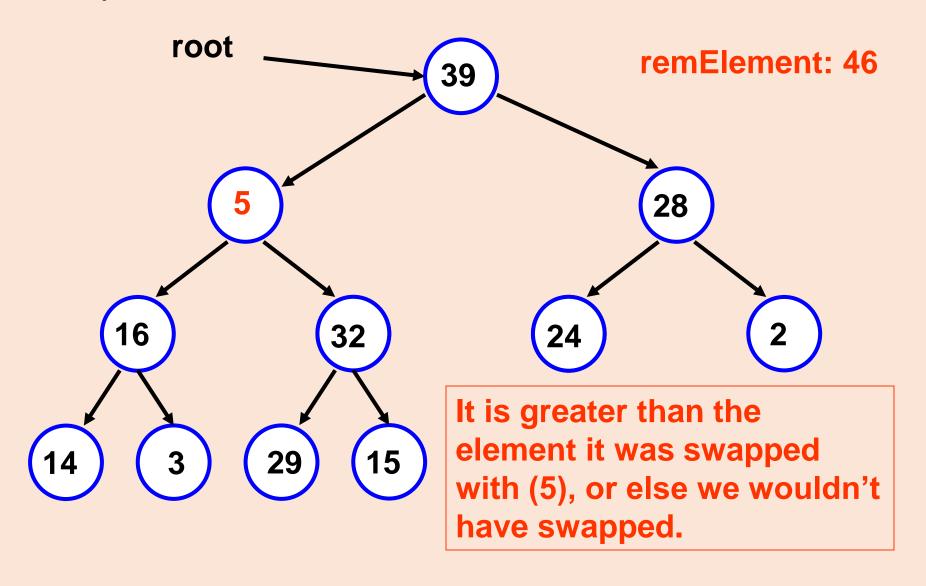


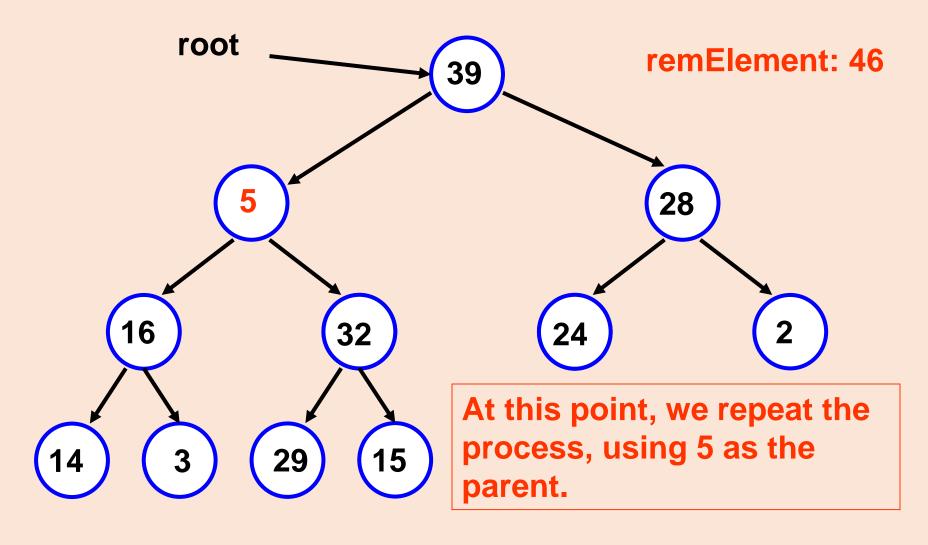


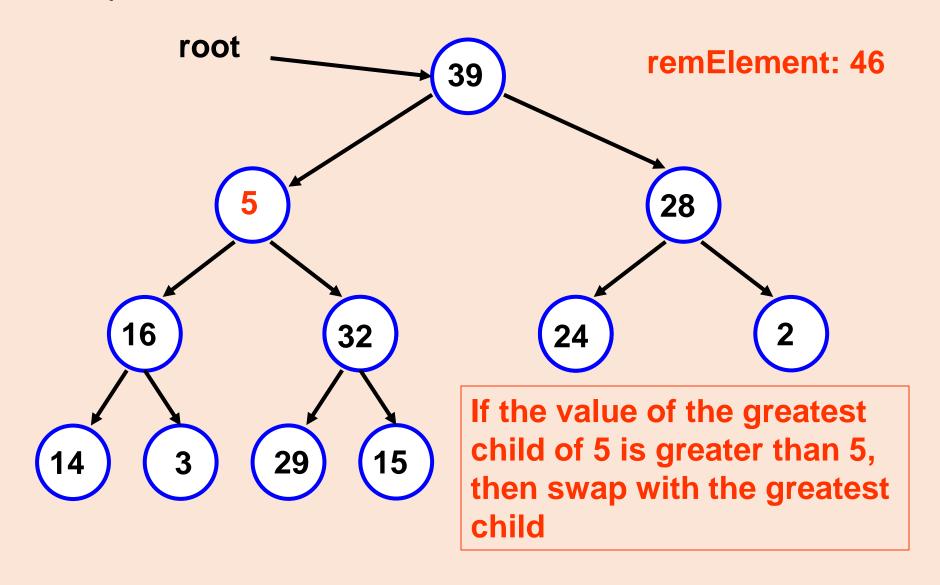


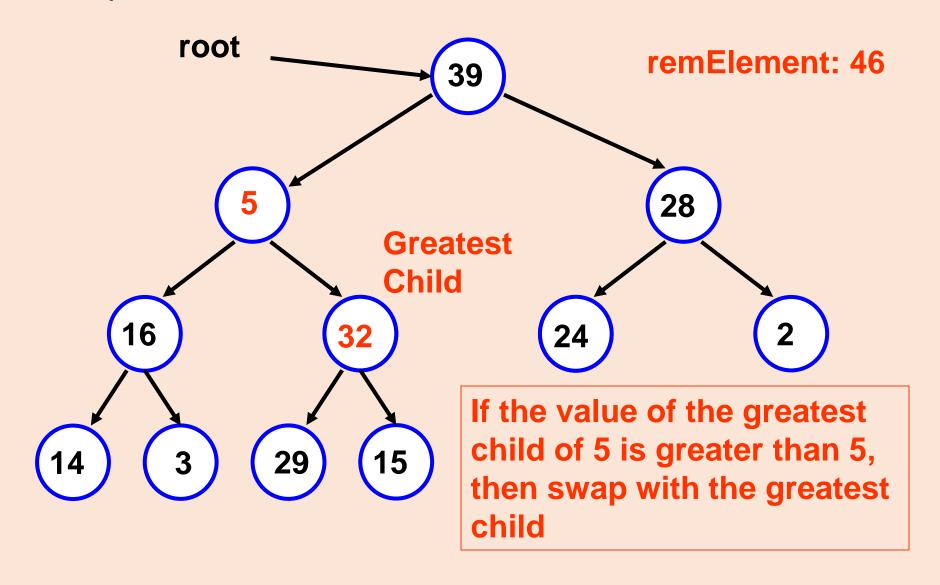


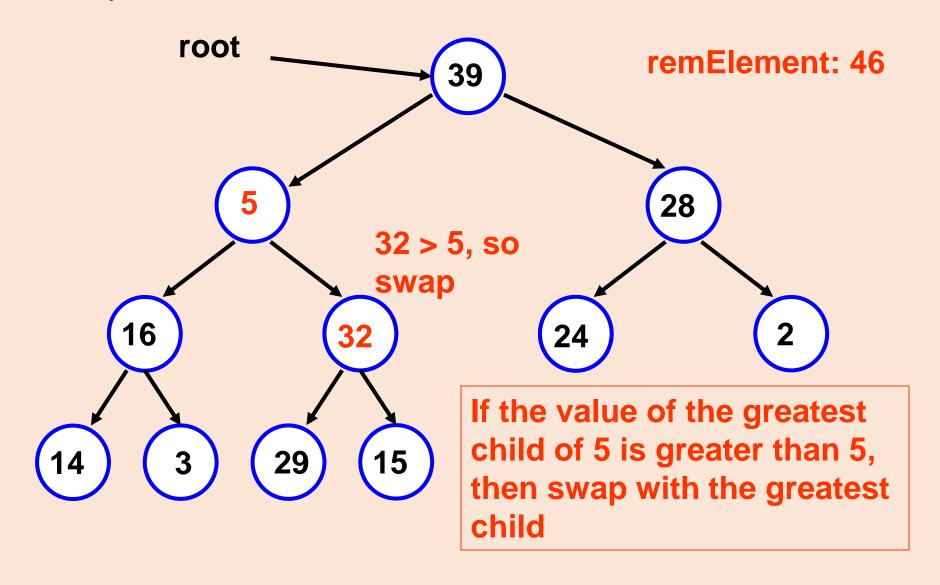


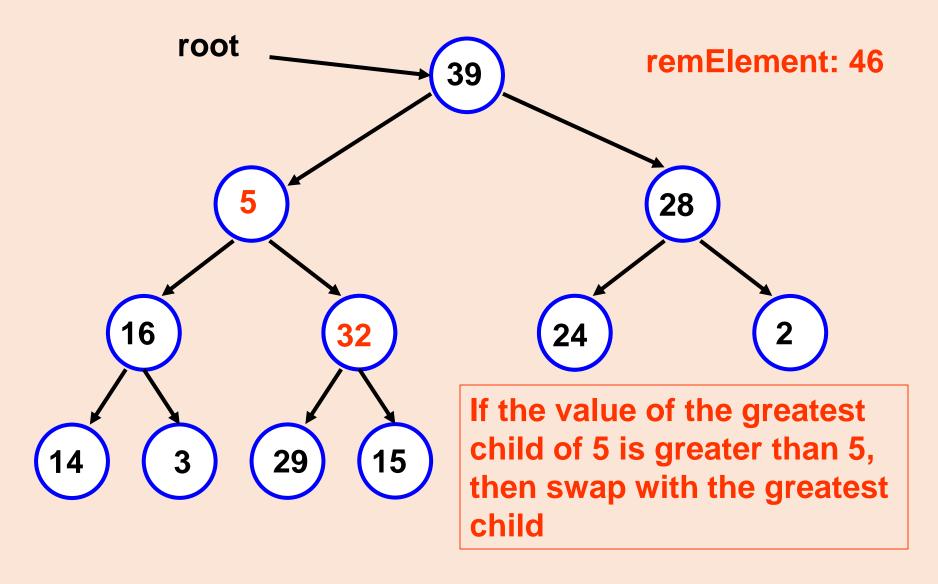


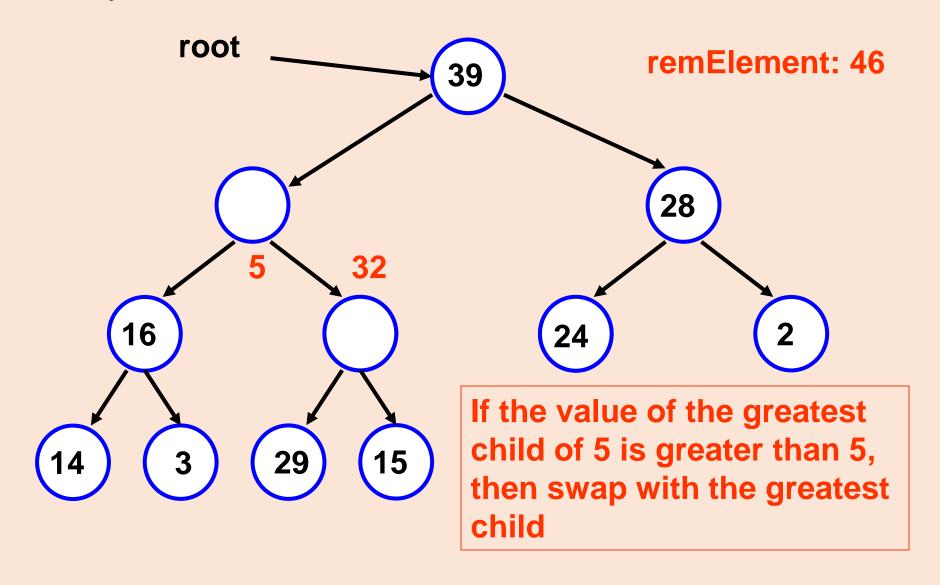


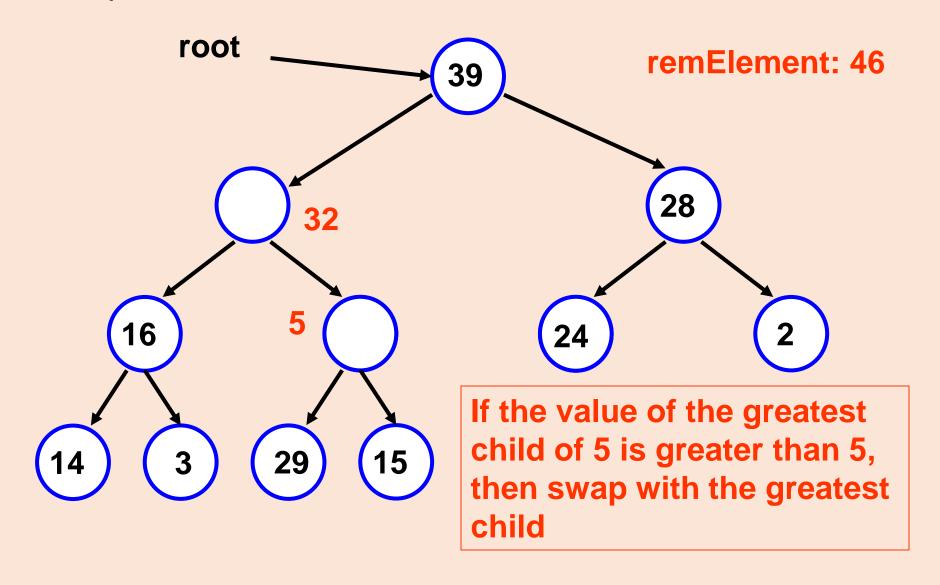


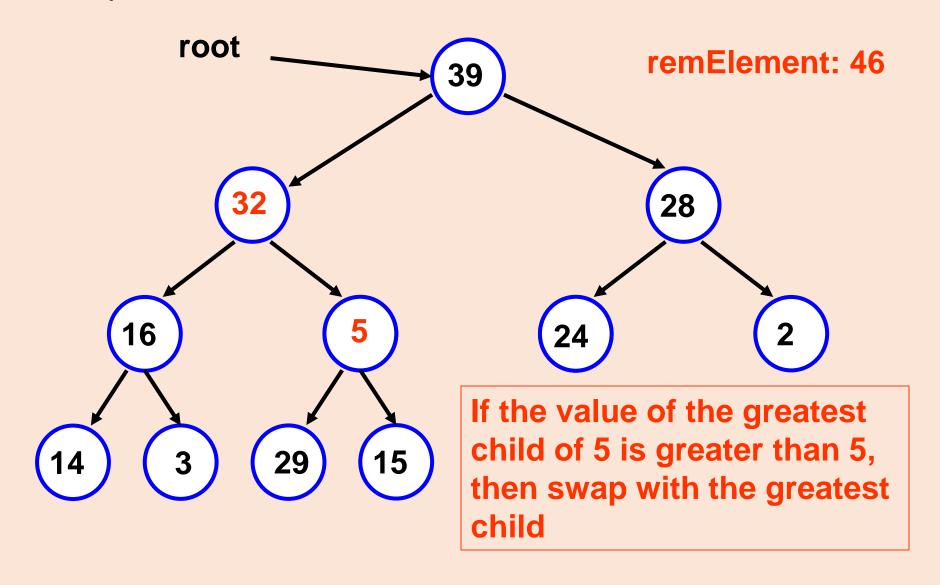


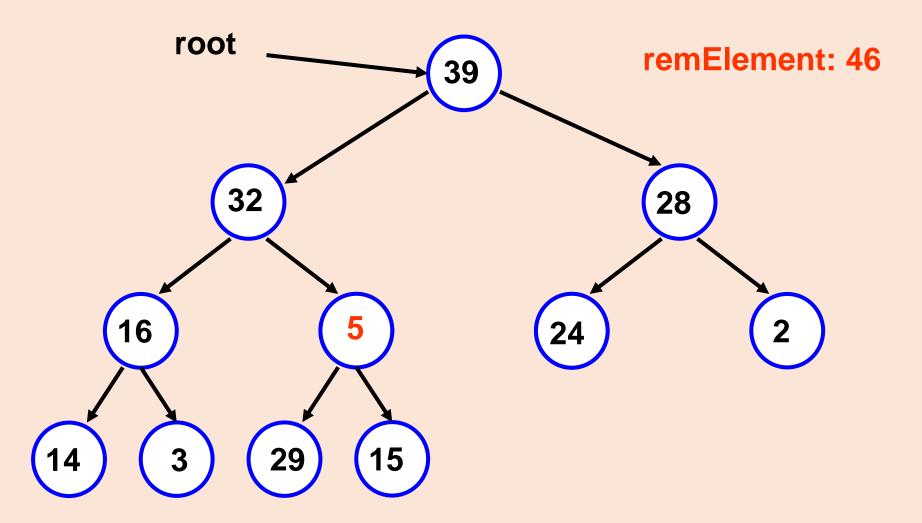


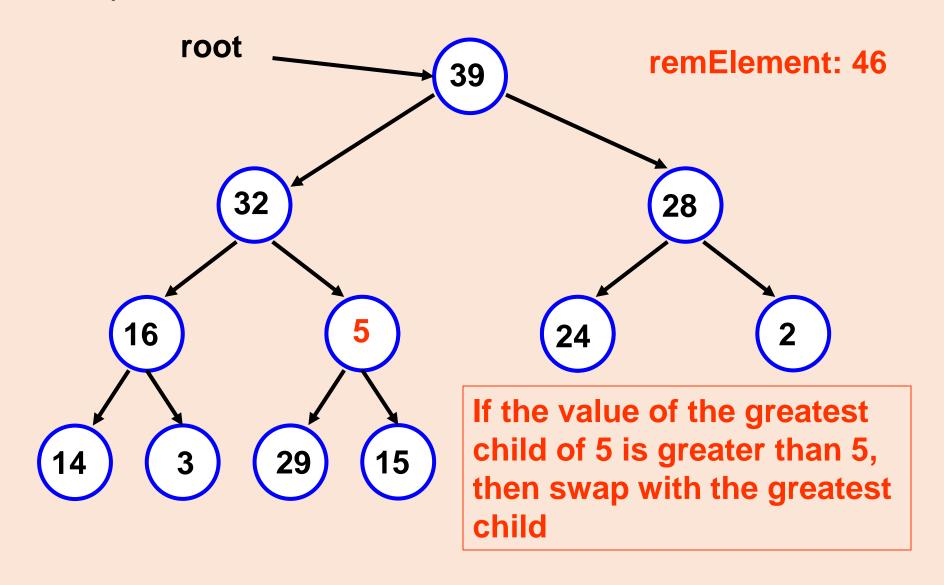


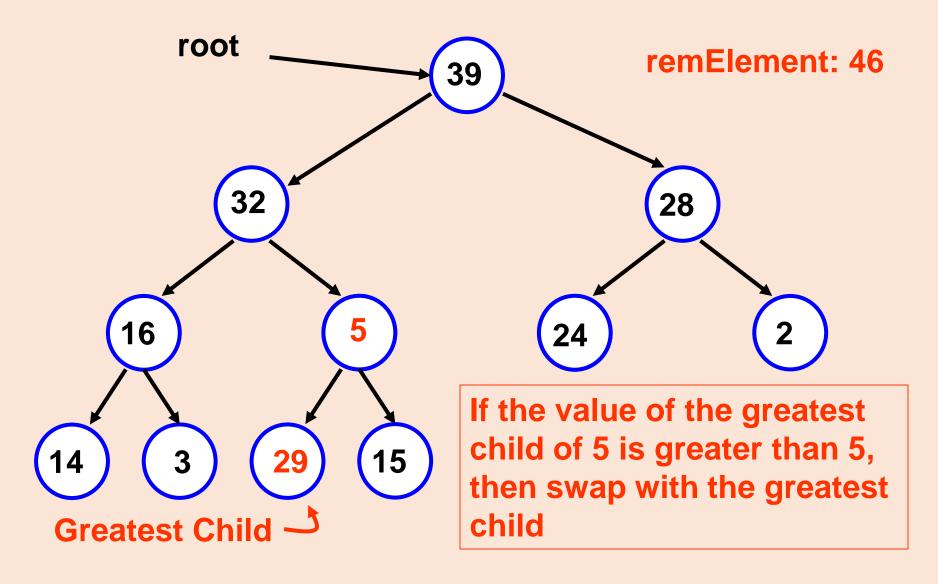


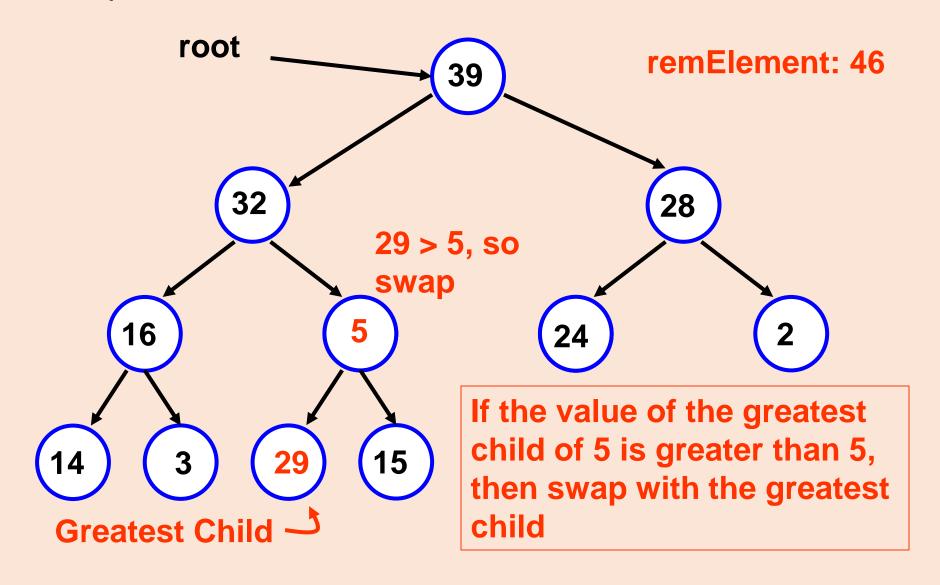


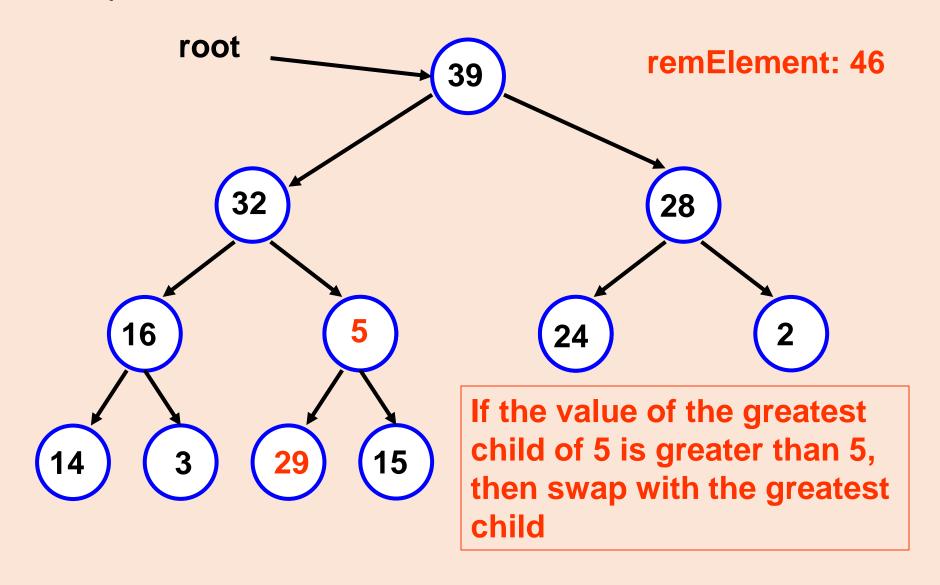


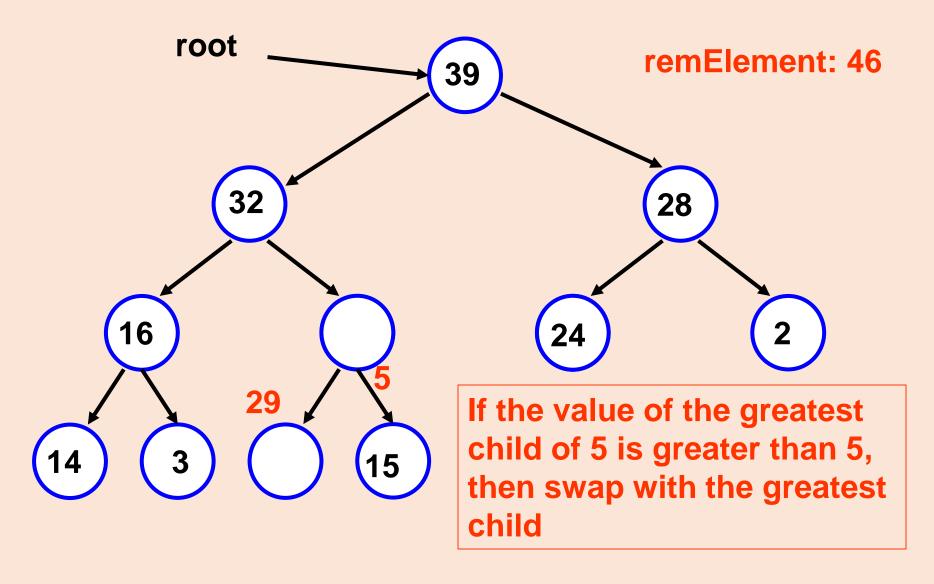


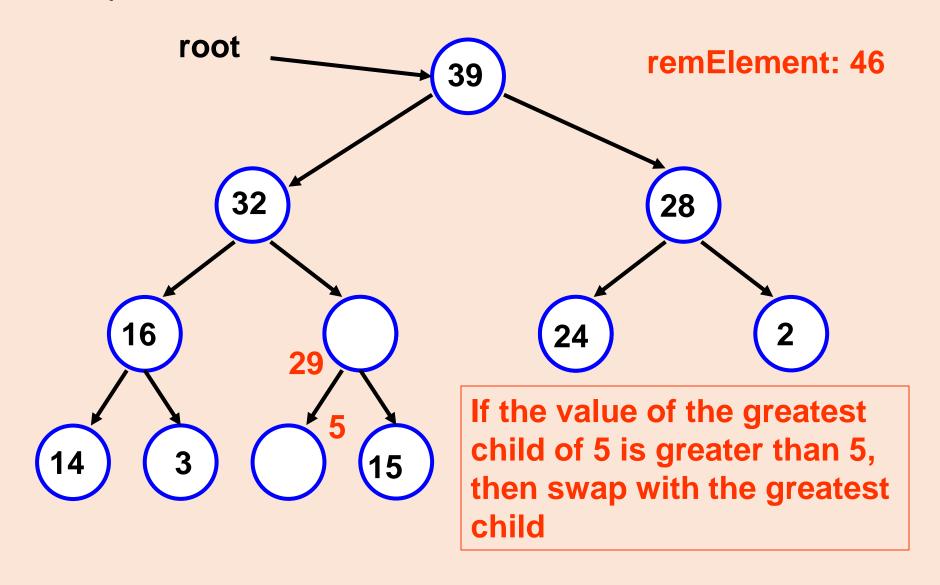


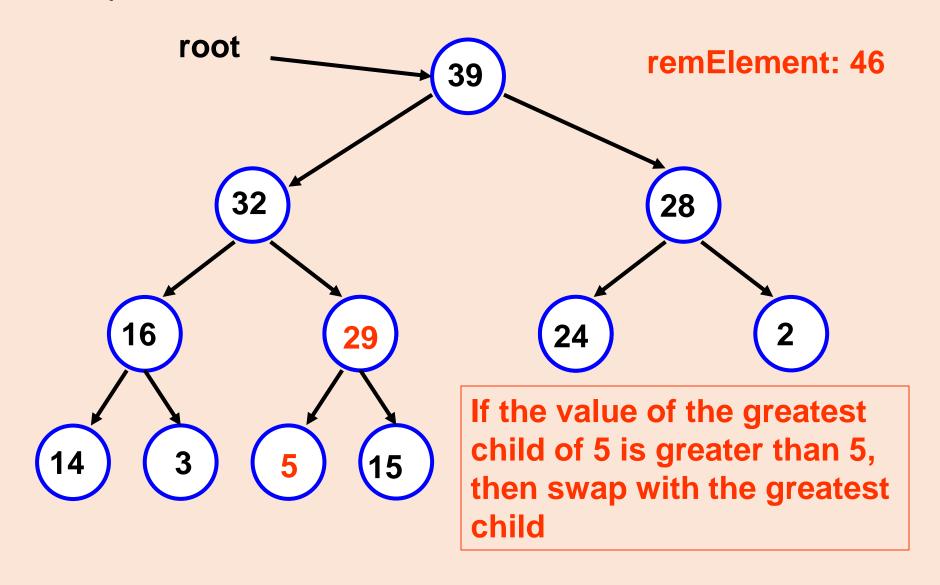


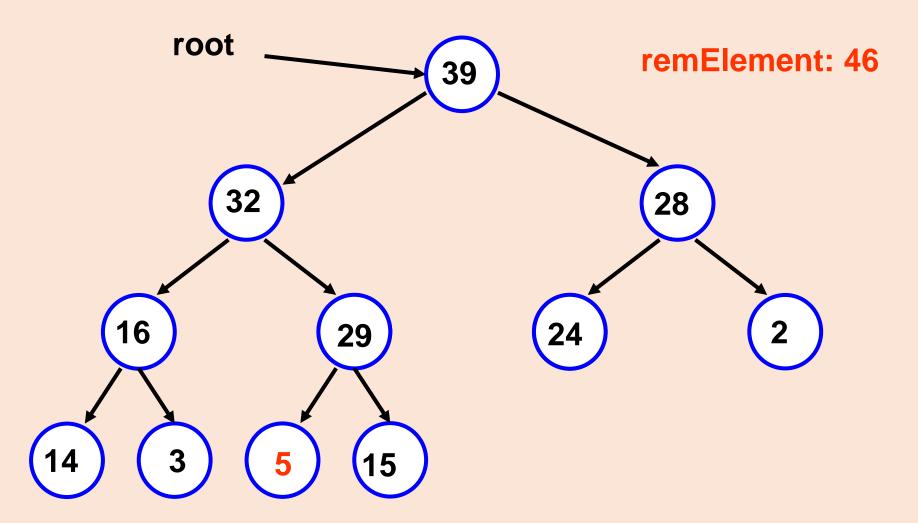


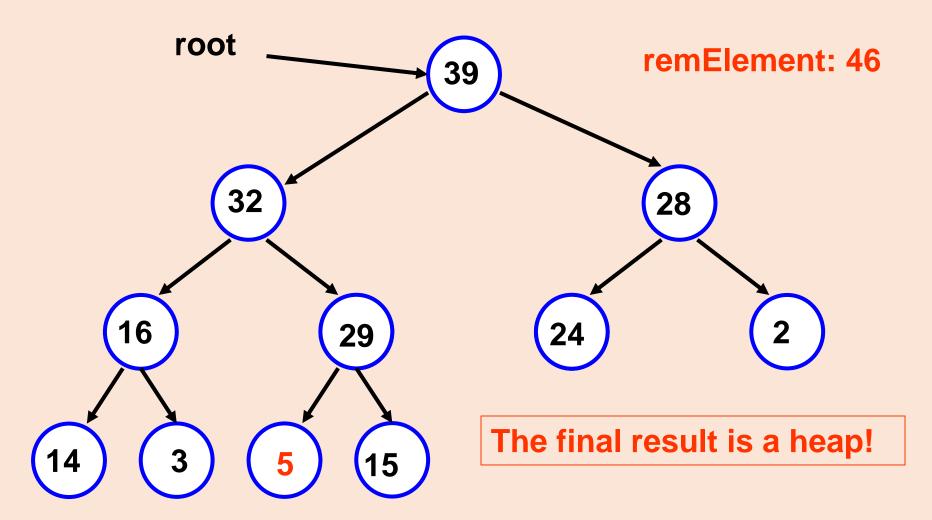


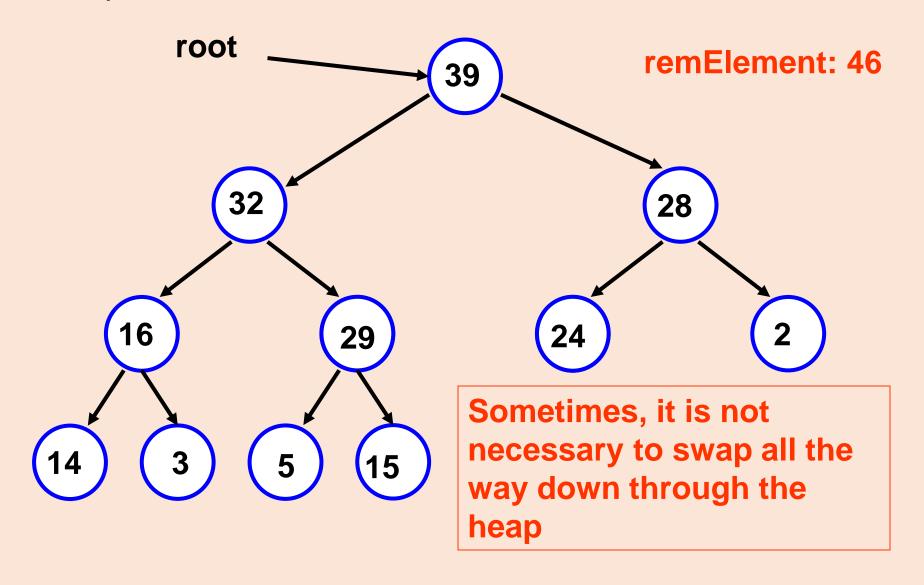


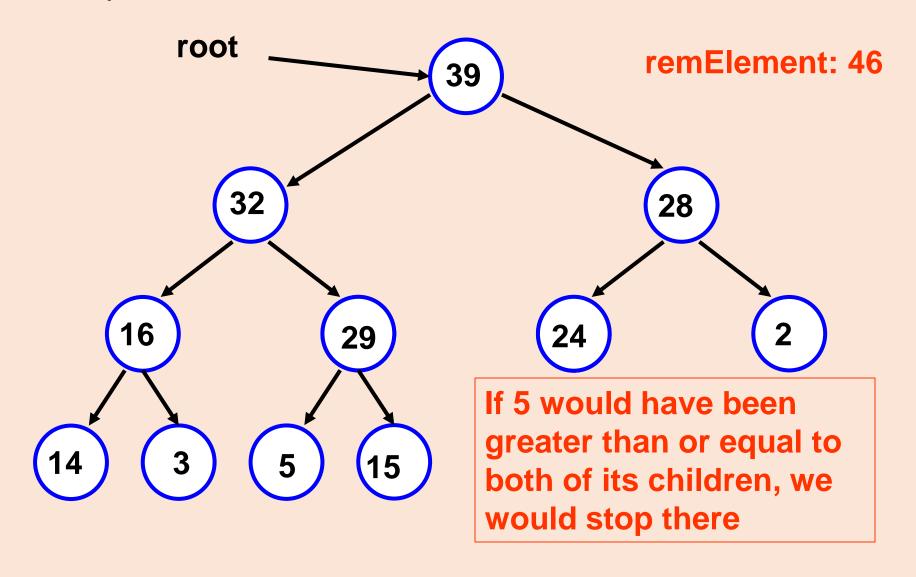












#### Heapify or ReheapDown

- The process of swapping downwards to form a new heap is called *heapifying*
- When, we heapify, it is important that the rest of the structure is a heap, except for the root node that we are starting off with; otherwise, a new heap won't be formed
- A loop is used for heapifying; the number of times through the loop is always O(lg n) or less, which gives the O(lg n) complexity
- Each time we swap downwards, the number of nodes we can travel to is reduced by approximately half

#### ReheapDown Algorithm

- If the root is a leaf node, do nothing
- Find the maximum of the root's children
- If the root is less than the max child, swap the two nodes and recurse on the max child's index, which now contains the root's value