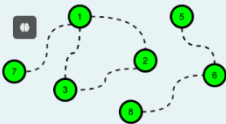


Determine the minimum cost to provide library access to all citizens of HackerLand. There are  $n$  cities numbered from 1 to  $n$ . Currently there are no libraries and the cities are not connected. Bidirectional roads may be built between any city pair listed in *cities*. A citizen has access to a library if:

- Their city contains a library.
- They can travel by road from their city to a city containing a library.

**Example**

The following figure is a sample map of HackerLand where the dotted lines denote possible roads:



$c_{road} = 2$   
 $c_{lib} = 3$   
 $cities = [[1, 7], [1, 3], [1, 2], [2, 3], [5, 6], [6, 8]]$

The cost of building any road is  $c_{road} = 2$ , and the cost to build a library in any city is  $c_{lib} = 3$ . Build 5 roads at a cost of  $5 \times 2 = 10$  and 2 libraries for a cost of 6. One of the available roads in the cycle  $1 \rightarrow 2 \rightarrow 3 \rightarrow 1$  is not necessary. There are  $q$  queries, where each query consists of a map of HackerLand and value of  $c_{lib}$  and  $c_{road}$ . For each query, find the minimum cost to make libraries accessible to all the citizens.

**Function Description**

Complete the function *roadsAndLibraries* in the editor below.  
*roadsAndLibraries* has the following parameters:

- *int n*: integer, the number of cities
- *int c\_lib*: integer, the cost to build a library
- *int c\_road*: integer, the cost to repair a road
- *int cities[m][2]*: each *cities[i]* contains two integers that represent cities that can be connected by a new road

**Returns**

- *int*: the minimal cost

**Input Format**

The first line contains a single integer  $q$ , that denotes the number of queries.

The subsequent lines describe each query in the following format:

- The first line contains four space-separated integers that describe the respective values of  $n, m, c_{lib}$  and  $c_{road}$ , the number of cities, number of roads, cost of a library and cost of a road.
- Each of the next  $m$  lines contains two space-separated integers,  $u[i]$  and  $v[i]$ , that describe a bidirectional road that can be built to connect cities  $u[i]$  and  $v[i]$ .

**Constraints**

- $1 \leq q \leq 10$
- $1 \leq n \leq 10^5$
- $0 \leq m \leq \min(10^6, \frac{n \cdot (n-1)}{2})$
- $1 \leq c_{road}, c_{lib} \leq 10^5$
- $1 \leq u[i], v[i] \leq n$
- Each road connects two distinct cities.