1.

The previous challenges covered <u>Insertion Sort</u>, which is a simple and intuitive sorting algorithm with a running time of $O(n^2)$. In these next few challenges, we're covering a <u>divide-and-conquer</u> algorithm called Quicksort (also known as Partition Sort). This challenge is a modified version of the algorithm that only addresses partitioning. It is implemented as follows:

Step 1: Divide

Choose some pivot element, p, and partition your unsorted array, arr, into three smaller arrays: left, right, and equal, where each element in left < p, each element in right > p, and each element in equal = p

Example

```
arr = \left[5, 7, 4, 3, 8\right]
```

In this challenge, the pivot will always be at arr[0], so the pivot is 5.

 $arr \text{ is divided into } \textbf{left} = \{4,3\}, \textbf{equal} = \{5\}, \text{ and } \textbf{right} = \{7,8\}.$ Putting them all together, you get $\{4,3,5,7,8\}$. There is a flexible checker that allows the elements of left and right to be in any order. For example, $\{3,4,5,8,7\}$ is valid as well.

Given arr and p=arr[0], partition arr into left, right, and equal using the Divide instructions above. Return a 1-dimensional array containing each element in left first, followed by each element in right.

Function Description

Complete the quickSort function in the editor below.

quickSort has the following parameter(s):

• int arr[n]: arr[0] is the pivot element

int[n]: an array of integers as described above

The first line contains \emph{n} , the size of arr.

The second line contains n space-separated integers arr[i] (the unsorted array). The first integer, arr[0], is the pivot element, p.

Constraints

- $1 \le n \le 1000$ $-1000 \le arr[i] \le 1000$ where $0 \le i < n$
- All elements are distir

2.

Whenever George asks Lily to hang out, she's busy doing homework. George wants to help her finish it faster, but he's in over his head! Can you help George understand Lily's homework so she can hang out with

Consider an array of n distinct integers, $arr = [a[0], a[1], \ldots, a[n-1]]$. George can swap any two elements of the array any number of times. An array is be a utiful if the sum of |arr[i] - arr[i-1]| among

Given the array arr, determine and return the minimum number of swaps that should be performed in order to make the array beautiful.

Example

```
arr = [7, 15, 12, 3]
```

One minimal array is [3,7,12,15]. To get there, George performed the following swaps:

```
Swap Result [7, 15, 12, 3] 3 7 [3, 15, 12, 7] 7 15 [3, 7, 12, 15]
```

It took 2 swaps to make the array beautiful. This is minimal among the choices of beautiful arrays possible.

Complete the lilysHomework function in the editor below.

lilysHomework has the following parameter(s):

• int arr[n]: an integer array

Returns

· int: the minimum number of swaps required

Input Format

The first line contains a single integer, n, the number of elements in arr. The second line contains n space-separated integers, arr[i].

Constraints

- $1 \le n \le 10^5$
- $1 \le arr[i] \le 2 \times 10^9$

Sorting is useful as the first step in many different tasks. The most common task is to make finding things easier, but there are other uses as well. In this case, it will make it easier to determine which pair or pairs of elements have the smallest absolute difference between them.

Example

arr = [5, 2, 3, 4, 1]

Sorted, arr' = [1, 2, 3, 4, 5]. Several pairs have the minimum difference of 1: [(1, 2), (2, 3), (3, 4), (4, 5)]. Return the array [1, 2, 2, 3, 3, 4, 4, 5].

NoteAs shown in the example, pairs may overlap.

Given a list of unsorted integers, arr, find the pair of elements that have the smallest absolute difference between them. If there are multiple pairs, find them all.

Function Description

Complete the closestNumbers function in the editor below.

closestNumbers has the following parameter(s):

• int arr[n]: an array of integers

Returns

- int[]: an array of integers as described

Input Format

The first line contains a single integer n, the length of arr. The second line contains n space-separated integers, arr[i].

Constraints

- $\begin{array}{ll} \bullet & 2 \leq n \leq 200000 \\ \bullet & -10^7 \leq arr[i] \leq 10^7 \\ \bullet & \text{All } a[i] \text{ are unique in } arr. \end{array}$

Output Format

Sample Input 0

10 -20 -3916237 -357920 -3620601 7374819 -7330761 30 6246457 -6461594 266854