

Introduction to Slide Set 14

- Writing correct software for a shared memory computer requires some understanding of how updates to memory made by one thread can be seen by other threads.
- X86 hardware behaves "mostly" as you would expect, but there are some "corner cases" that might be surprising.
- Other popular architectures such as ARM and PowerPC can provide even more surprising results to naive programmers.

Learning Objectives

By the time we finish talking about this slide set in lectures you should be able to:

- Define sequential consistency.
- Evaluate memory orderings allowed by the TSO/ x86 memory model.
- Explain how TSO or more relaxed consistency models differs from sequential consistency.
- Explain what a fence operation is and why it is necessary.
- Define what is meant by a data race
- Define sequential consistency for data race free programs

```
Core C1 Core C2 Comments

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B1: if( r1!=SET ) goto L1; // iterate many times
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Can r2 get value other than NEW?

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Can r2 get value other than NEW?

Potential scenarios:

- 1. C1 and C2 have non-FIFO store buffer, S1 misses and S2 hits
- 2. L2 executed before L1 (out-of-order execution with speculation)

Core C1 Core C2 Comments

S1: \mathbf{x} =NEW S2: \mathbf{y} =NEW // Initially \mathbf{x} = \mathbf{y} =0

L1: r1=y L2: r2=x

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What are "legal" outcomes after above code executes?

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B: (r1,r2) = (NEW,NEW)

C: (r1,r2) = (0,0)

D: All of the above

E: A or B (but not C)

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What are "legal" outcomes after above code executes? (r1, r2) = (0, NEW) for execution S1, L1, S2, then L2 (r1, r2) = (NEW, 0) for S2, L2, S1, and L1

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(r1, r2) = (NEW, NEW), e.g., for S1, S2, L1, and L2

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How about following? Is this a legal outcome?

(r1, r2) = (0, 0)

Core C1

Core C2

Comments

S1: x=NEW

S2: **y**=NEW

// Initially x=y=0

L1: r1=y L2: r2=x

What are "legal" outcomes after above code executes?

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How about following? Is this a legal outcome?

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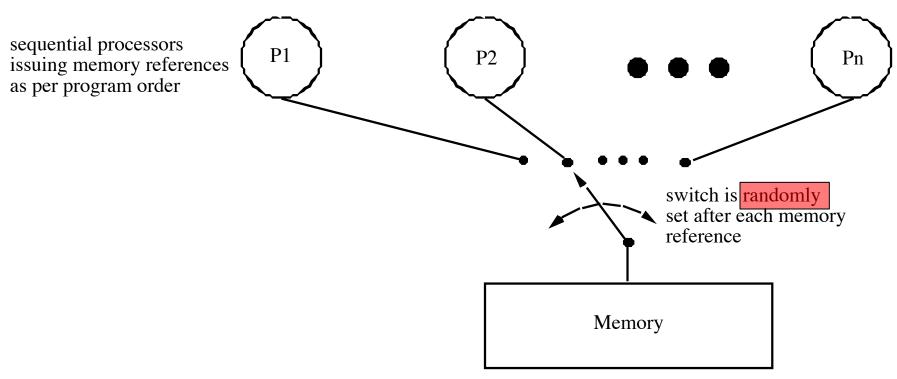
This last result can happen on x86 processors from Intel and AMD due to their use of write buffering to enhance performance.

Consistency Model

- Memory consistency model specifies
 <u>allowable</u> orderings of loads and stores to
 <u>different locations</u> (e.g., x and y last slide)
- The number of <u>allowable</u> execution orderings generally far greater than one.
- Ordering of operations from different processors is non-deterministic. Software must use synchronization (mutexes, semaphores, etc...) to provide determinism.

Sequential Consistency

 Sequential consistency is basically a "naïve" programmer's intuition of allowable orderings:



Sequential Consistency

 A multiprocessor is <u>sequentially consistent</u> if the result of any execution is the same as if the operations of all the processors were executed in some sequence, and the operations of each individual processor appear in this sequence in the order specified by its program (Lamport)

 Note: Parallelism still possible (many interleaving orders are equivalent).

Memory Order

- Single writer multiple reader (SWMR)
 restriction implies all memory operations can
 be placed into a global "memory order"
- Consistency can then be defined in terms of relationship of "program order" to "memory order"

Sequential Consistent memory ordering

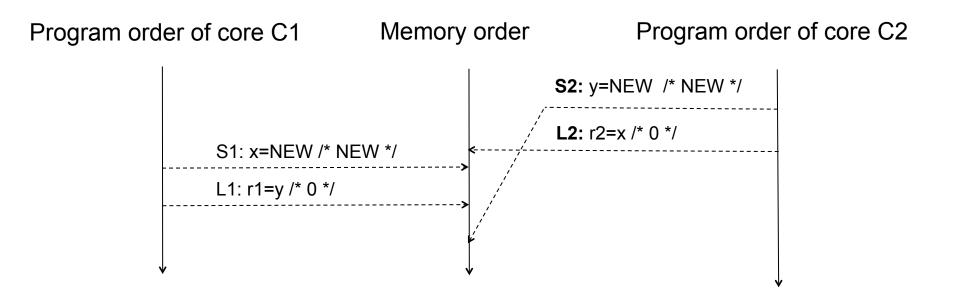
Program order of core C2 Program order of core C1 Memory order L1: r1=flag /* 0 */ S1: data=NEW /* NEW */ L1: r1=flag /* 0 */ L1: r1=flag /* 0 */ S2: flag=SET /* SET */ L1: r1=flag /* SET */ L2: r2=data /* NEW */

SC Ordering Rules

Operations from a single thread must respect following orderings when placed into memory order:

- Load -> Load
- Load -> Store
- Store -> Store
- Store -> Load

Example of Non-SC execution:



S2 and L2 violate "Store -> Load" ordering rule.

```
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Allowable outcomes if memory system is sequentially consistent?

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A: (r1,r2) = (SET,0)
B: (r1,r2) = (SET,NEW)
C: Both A and B
D: Other
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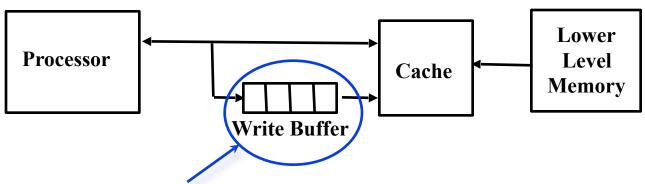
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- Recall: Stores update memory at commit stage for Tomasulo with reorder buffer.
- Problem: Store miss stalls commit.

 Solution: Avoid stall by storing into a FIFO write buffer like we saw for write through cache.

Impact on consistency model?

Write Buffer, Revisited



Holds data awaiting write to coherent cache

- Q. Why a write buffer?
- Q. Why a buffer, why not just one register?
- Q. Are Read After Write (RAW) hazards an issue for write buffer?

A. So CPU doesn't stall

A. Bursts of writes are common.

A. Yes! Drain buffer before next read, or send read after 1st checking write buffers (stall or bypass value if match found)

Total Store Order (TSO/x86) Memory Model

Use of write (store) buffer considered very important by Intel and AMD for x86.

Leads to total store order memory model supported by x86.

In general, memory model on multicore processors is not sequential consistency.

TSO/x86 Ordering Rules

Operations from a single thread must respect following orderings when placed into memory order:

- Load -> Load
- Load -> Store
- Store -> Store
- Store -> Load : TSO/x86 allow loads to appear before prior store in memory order to enable write buffer in each core

```
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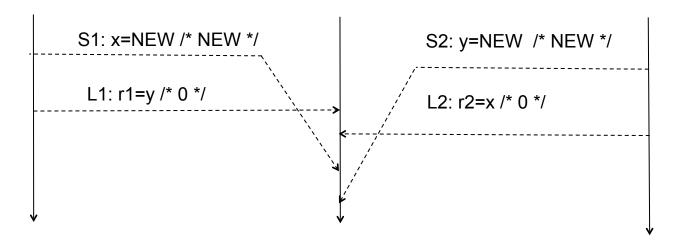
L1: r1=y L2: r2=x

Example #2, TSO/x86 ordering

Program order of core C1

Memory order

Program order of core C2



(r1, r2) = (0, 0) is legal outcome under TSO/x86 (!)

Fence Operations

- Hardware provides ISA support to enable intended execution of code in Example #2.
- Fence instruction ensures prior memory operations inserted into memory order before subsequent memory operations. E.g., for TSO require:

```
Store -> Fence
Fence -> Load
```

Core C1 Core C2

S1: x=NEW

S2: **y**=NEW

F1: Fence F2: Fence

L1: r1=y L2: r2=x

Comments

// Initially x=y=0

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Core C1 Core C2

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F1: Fence F2: Fence
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L2: r2=x

L1: r1=**y**

Allowable outcomes if memory system supports TSO?

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F1: Fence F2: Fence

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Comments

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Relaxed Memory Consistency

 PowerPC, ARM increase performance by enforcing memory ordering ONLY when programmer asks for it explicitly

 Require fence operations to enforce most ordering

Related: Write atomicity

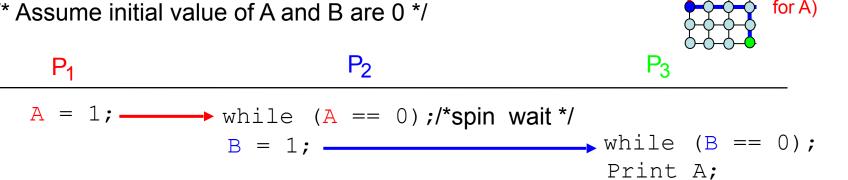
 When performing a store does new value become visible to all other threads at same time?

Yes: called write atomicity (or store atomicity)

 PowerPC & ARM: Do not enforce write atomicity (breaks SWMR assumption)

Example 3: Causality

/* Assume initial value of A and B are 0 */



- Causality: "If I see it and tell you about it, then you see it too."
- Programmer's intuition about causality ("Print A" displays "1") may be violated on a system lacking write atomicity

(message

When do we need fences?

 Typically, programmer uses "synchronization" to protect accesses to shared data.

E.g., critical section

```
aquire(mutex) // synchronization
modify shared data
release(mutex) // synchronization
```

Data Races

 Data race: Two or more threads accessing same data with one thread writing and no synchronization between accesses

SC for DRF Programs

 Fact: All memory consistency models support sequential consistency for programs free of data races.

 Avoid needing to worry about hardware consistency model if you use correct synchronization (e.g., mutex)