

Difference of two array

$$\begin{array}{r} -1 \quad -1 \quad -1 \quad +1 \quad -1 \\ | \quad | \quad | \quad | \quad | \\ 1 \quad 1 \quad 1 \quad 1 \quad 1 \end{array}$$

26 9 28

8 4 1 8 3

Approach

$$\begin{array}{r} -1 \quad -1 \quad -1 \quad +1 \quad -1 \\ | \quad | \quad | \quad | \quad | \\ 1 \quad 1 \quad 1 \quad 1 \quad 1 \end{array}$$

add zero

$$\begin{array}{r} 1 \quad 1 \quad 1 \quad 1 \quad 1 \quad | \\ | \quad | \quad | \quad | \quad | \\ 0 \quad 2 \quad 9 \quad 8 \end{array}$$

\rightarrow a

b

$$\begin{array}{r} 0 \quad 8 \quad 1 \quad 3 \\ | \\ \text{new} \end{array}$$

k — diff

12
29

~~first~~ we need to subtract $1, 1, 1, 1$ from 298

size of $1, 1, 1, 1 \Rightarrow 4$

size of $2, 9, 8 \Rightarrow 3$

we need to take the new array as size of bigger one.

now we set the iterator i, j, k to the end of end of arrays and we move one by one till we get ($k >= 0$) condition

+ carry)

1) Now we subtract $i j$ ($b[ij]$) not satisfy $a[ij]$ then we assign carry to (-1) , and we increment the $b[ij]$ to 10 more the we subtract.

2) If it satisfy then simply we subtract and assign $c = 0$;

3. But there is problem in case $1000 - 1$, the b array will

then $1000 \leftarrow j$

therefore

stop soon

no $-1 \rightarrow i$

therefore we need to check

$\Leftarrow k$

that is $i \geq 0$ we take $b[ij]$.

normal value if it is less then we

take 0 .

4. And at last we need to exceed

all the preceding ~~zeroes~~ "0"

like $0813 \Rightarrow 813$

\bar{x}

Rotate an array

Approach

e.g. 1 2 3 4 | S

if $K=0$

1 2 3 4 | S

$K=1$

S 1 2 3 4

$K=2$

4 S 1 2 3

$K=3$

3 4 S 1 2

$K=4$

2 3 4 S 1

$K=5$

1 2 3 4 S

$K=6$

S 1 2 3 4

$K=-1$

2 3 4 S 1

Now for the negative value

we just subtract the K value

from the total size

$K = 8 - (-1) = 9$

$K = K + count$

$K = 8 - (-1) + 5 = 4$

$K = 4, K = -1$

i.e. for $K = -1$ we need to rotate the array only by 4

$\therefore K = -1, K = 4$ are same

Now for the printing the reverse one

we just divide the array in 2 parts

first part 1 2 | 3 4 5 if $K=3$

$P_1 = 0 \rightarrow a.length - K - 1;$

$P_2 = a.length - K \rightarrow a.length - 1;$

therefore we can conclude

that if we get $K >$ than

the size of the array

then we need to see how

many times the array

rotate

like if $K = 101$

then the array

rotate only

1 times

$K = 101 / size$

$101 / 5$

remainder $\boxed{1}$

Similarly like

$K=6$

$K = 6 / 5 = 1$

i.e. why $K = 1$ and

$K = 6$

are same

$K = 6 - 1 = 5$

$K = 5 + 1 = 6$

$K = 6 - 6 = 0$

$K = 0 + 6 = 6$

$K = 6 - 6 = 0$

$K = 0 + 6 = 6$

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$K = 0 + 6 = 6$

Subset of array

3

10, 20, 30

approach:-

output

we used the concept of binary
here

— — 30

— 20 —

— 20 30

10 — —

10 — 30

10 20 —

10 20 30

total no. of subsets = $2^3 \Rightarrow 8$ $\text{for } n \Rightarrow 2^n$

0 → 0 0 0 do we replace

1 → 0 0 1 0 with "—" and 1 with

2 → 0 1 0 and 1 with

3 → 0 1 1 or array of element.

4 → 1 0 0

5 → 1 0 1

6 → 1 1 0

7 → 1 1 1

for (int j = arr.length - 1; j >= 0; j--)

int rr = i / 2;

i = i / 2;

initially set = " " ; set = "-" + set;

else

{ set = arr[j] + set; }

{}

{}

* Whether number is prime or not

for the prime number we check the no. if number is only divisible by 1 number i.e... 1 or number itself.

\Rightarrow we need not to check the whole 1 or traverse all the no'

just we need to check \sqrt{n} of that number if the no is not divisible by \sqrt{n} then it is prime.

\Rightarrow starting point = 2 to \sqrt{n}

if $\{ \text{for } i=2; i \leq i < n; i++ \} \}$

If ($n, i == 0$)

{ not prime }

}

after that prime.

* Fibonacci Series

0, 1, 1, 2, 3, 5, 8, 13, 21, 34 - - -

Approach - a + b = sum starting points $\Rightarrow 0, 1$

$\Rightarrow 1 \rightarrow -b \rightarrow a$ sum = a+b

1 a b

2 b c = 2

3 3 5

5 8

8 13

now we swap

b to sum a to b

a to b b to sum

then we move the window

of two one by one

* The curious case of Benjamin Bulbs (Puzzle)

there are 100 bulbs and initially they are off, the voltage fluctuates n times at 1 fluctuation it on the all bulbs.

The bulb that remains on after n fluctuation are only the perfect squares, why because it depends upon factor that bulb

I have if they have even then it remain off and having odd factor then it remain on..
all the perfect squares have odd factor.

ceil and floor (Binary search application)

In this question

array \Rightarrow 12 14 16 18 20 22

if we need

to find if data is given = 17

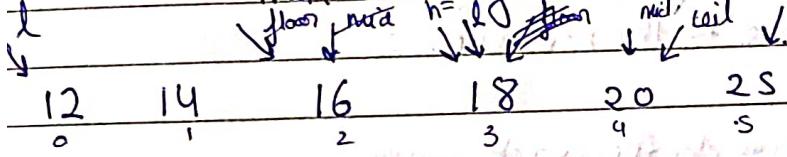
now data = 17

then ceil \rightarrow 18

floor \rightarrow 16

and if data = 16

then ceil = floor = 16



$7 > 16$; data > mid

$l = mid + 1$

we make mid \Rightarrow floor

again

$l = 18$, mid = 20

$h = 22$, $20 > 17$, data < mid

then $h = mid - 1$, $h = 18$ we set ceil = a[mid]

again

$l = 18 \Rightarrow mid = 18$

$h = 18$ then we set ceil = a[mid]

ceil = 18

floor = 17

and if data == mid

then we simply make ceil = floor = a[mid]

now how binary search work

int l = 0;

int h = a.length - 1;

while (l <= h)

3. int m = (l+h)/2;

If (data > m)

$l = m + 1$

else if (data < m)

$h = m - 1$

else

{ means if

data == mid;

{

we divide the array

every time

First Index and last Index

~~8~~

2. 3. 4. 4. 4. 4. 4. 8
0 1 2 3 4 5 6 7

first index = 2

last index = 6

~~tit take on~~

2, 4, 10, 10, 30, 30, 30, 30, 40
0 1 2 3 4 5 6 7 8

mid(1) L(1) mid(2) L(2) mid(3) L(3) H(1)

↓ ↓ ↓ ↓ ↓ ↓

1. Binary Search (for finding last index)

In this algorithm we wasn't break the loop ~~as the last~~

loop in third condition i.e. when ($\text{data} == \text{mid}$) there are

we simply put the low index just to ($\text{mid} + 1$) we get the

we mark that mid as an potential answer and we

check further on the right side of that mid if there exist

we change that potential one to the new one.

Similarly for the first index we do the exact same
but in that we move the H to $\text{mid} - 1$, here we need
to check on the left hand side of that mid, again we
mark the mid as potential answer after all iteration
we get the first index.

2-D arraysMatrix Multiplication:

$$\begin{array}{c}
 \text{P} \times \text{Q} \\
 \begin{array}{ccccc}
 0 & 1 & 2 & 3 & 3 \times 3 \\
 \text{A} \times \text{B} \\
 \begin{array}{ccccc}
 0 & 1 & 2 & 3 & 1 \times \text{m} \\
 1 & 4 & 5 & 6 & 1 \times 4 \\
 2 & 7 & 8 & 9 & 2 \times 3
 \end{array}
 \end{array}
 \end{array}
 \Rightarrow
 \begin{array}{c}
 3 \times 2 \\
 1 \times 4 + 2 \times 2 + 3 \times 1 \\
 " \\
 " \\
 "
 \end{array}$$

now multiplication only be possible when
column of first one equal to row of second one.

3 x 2

$$\begin{aligned}
 \Rightarrow & (0,0) * (0,0) + (0,1) * (1,0) + (0,2) * (2,0) \\
 & (1,0) * (0,0) + (1,1) * (1,0) + (1,2) * (2,0) \\
 & (2,0) * (0,0) + (2,1) * (1,0) + (2,2) * (2,0)
 \end{aligned}$$

If ($m = p$)

3 c = newint[n][q]

for (int i = 0; i < n; i++)

3 for (int j = 0; j < q; j++)

3 c[i][j] = 0;

for (int k = 0; k < m; k++)

3 c[i][j] = c[i][j] + a[i][k] * b[k][j];

3 }

3 for (int i = 0; i < n; i++)

3 for (int j = 0; j < q; j++)

3 }

Wave traversal

0	2	3	4	If ($j \% 2 == 0$)
1	5	6	7	then we move up to down
2	9	8	2	if not
0	1	2	3	we move bottom to up.

Spiral display

2	3	4	5
6	7	8	9
10	3	1	6
21	22	4	8

2	3	9
1	7	8
8	2	8

1	2	3	2
4	5	6	3
7	8	9	4

approach:

$$\min r = 0;$$

$$\min c = 0;$$

$$\max r = \text{a.length} - 1;$$

$$\max c = \text{a[0].length} - 1;$$

we first iterate the whole matrix until we reach the corner.

just print the all the number inside the matrix.

$$\Rightarrow \text{Total} = n * m; \text{count} = 0 \Rightarrow \text{to } n * m$$

\Rightarrow first we move left then bottom then right
and then top, and we need to also eliminate the corners.
that occurring 2 times.

$$\text{if } \Rightarrow \min r \Rightarrow \max r, \min c = \text{constant}; \text{count} \leq \text{total}$$

every time we increase count;

$$\text{next } \min c + 1 \Rightarrow \max c, \max r = \text{constant}; \text{count} \leq \text{total}$$

$$\text{next } \max r - 1 \Rightarrow \min r, \max c = \text{constant}; \text{count} \leq \text{total}$$

$$\text{next } \max c - 1 \Rightarrow \min c + 1; \min r = \text{constant}; \text{count} \leq \text{total}.$$

Exit point of A Matrix

Matrix consist of only 0 and 1

when ever 0 encounters if it moves start no change in direction

but when the 1 encounters it moves by 90° angle and carry on

N

W E

S



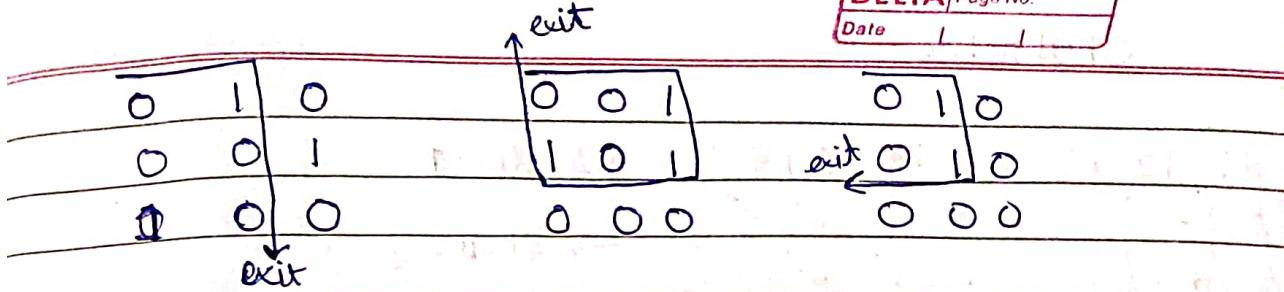
turn lastiam

$\sim \Theta(n^2)$

20 40 100 110 120

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approach:-

just initially the direction is east

we assign direction to an no: East $\Rightarrow j+i$

N east = 0

west $\Rightarrow j-i$

E south = 1

North $\Rightarrow i-j$

S west = 2

south $\Rightarrow i+j$

north = 3

+ east = 0

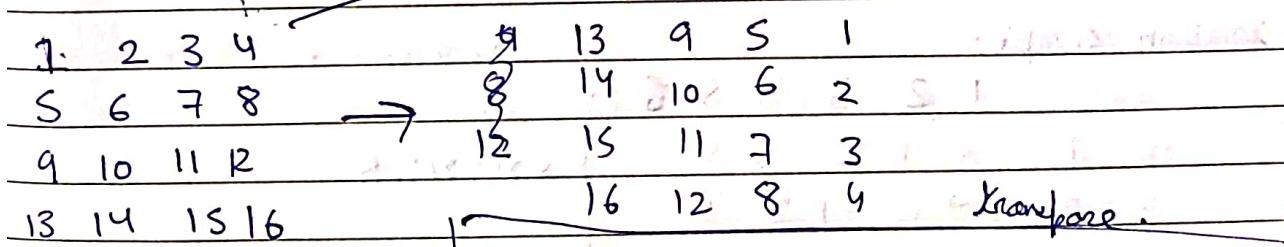
we plus each and every element of the array the we decide

and we take Modulo of 4 because at 4 we need 0,

dir = $(\text{dir} + \text{arr}[i][j]) \% 4;$

and break the loop we exist $i \geq 0, j \leq 0, i > \text{arr.length}/j > \text{arr.length}-1$

Rotate By 90-degree



new approach

first make transpose

logic remain in upper triangle and
swap the value
~~logic swap i and j~~
~~of arr[i][j] to arr[j][i]~~

1	S	9	13	reverse the column	reverse logic
2	6	10	14	value	i ↓ j ↓
3	7	11	15	13 9 S 1	1 2 3 4
4	8	12	16	14 10 6 2	swap i and j and i++ ; j-- ;
				15 11 7 3	
				16 12 8 4	j-- ;

Shell rotate

11	12	13	14	15	16	17		shell - 1
21	22	23	24	25	26	27		shell - 2
31	32	33	34	35	36	37		shell - 3
41	42	43	44	45	46	47		
51	52	53	54	55	56	57		

If Shell = 2, rotation = 2

23 24 25 26 27

22 46

32 42 43 44 45

Approach: \rightarrow Spiral concept or Rotation concept.

first we copy the element of ~~shell~~ shell to 1-D array

rotate the 1-D array by π rotation.

for $n = \text{large} \Rightarrow \pi = n; \text{count};$

if $\pi < 0, \pi = \text{count} + \text{rotation}.$

then we fill the shell from 1-D array.

Rotation concept.

1 2 3 4 5 6 7

$\pi = 1 \rightarrow 5 1 2 3 4$

$\pi = 2 \rightarrow 4 5 1 2 3$

$\pi = 3 \rightarrow 3 4 5 1 2$

$\pi = 4 \rightarrow 2 3 4 5 1$

$\pi = 5 \rightarrow 1 2 3 4 5$

$\pi = 6 \rightarrow 5 1 2 3 4$

Rotation = no rotation

$\pi = \pi / 5$

and -1 rotation

= 4 rotation

Approach \Rightarrow $a_1 \text{ length } k-1$

$a_2 \text{ length } k$

$a_3 \text{ length } k-1$

$a_4 \text{ length } k$

$a_5 \text{ length } k-1$

$a_6 \text{ length } k$

~~SDP~~: [S 6 7 1 2 3 4]

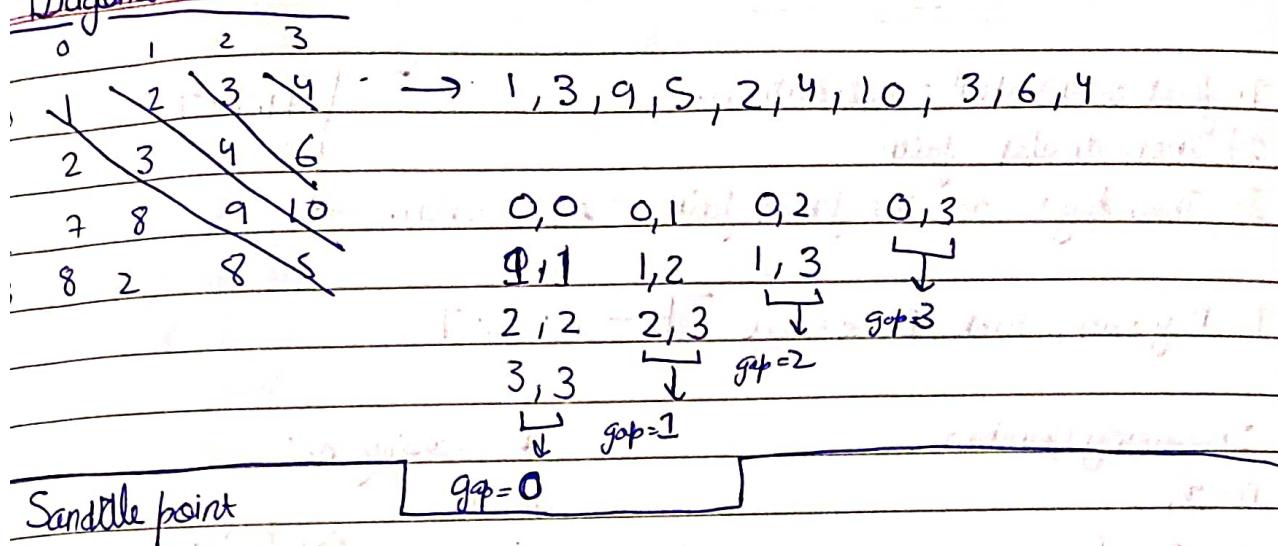


11. This approach will work in



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Diagonal Traversal



Value
Saddle point is that ~~point~~ in a matrix in which it has lowest value in his row and ~~is~~ highest value in his column.

Approach:- ~~Get~~ get the minimum value in a row and make as potential answer until it become the larger of ~~it~~ in that column.
Saddle point. ~~if it is the point and not proceed to another~~

Search in sorted 2d array

Approach:- Since the array is ~~sorted~~ sorted therefore check the number is ~~greater than~~ less than the last ~~last~~ element and greater than the first element, if yes then check in that array. you don't need to traverse the whole array.

(~~22~~ 22) ~~22~~ is ($22 < 15$) no
($22 < 19$) no
($22 < 23$) yes then search in ~~last~~ last array

Recursions

1. first establish the expectation.
- 2) Then develop faith
3. Then try to achieve from faith \rightarrow expectation.

H.L.T

1. Dry run, stack, Base case

L.L.T

Increasing number

$$n=5,$$

$\Rightarrow 1$

2. what is needed and given

3

4

5

$$\text{expect} \Rightarrow f(5) = \frac{1}{2} + f(4)$$

$$f(4) = \frac{1}{2} + f(3)$$

$$f(3) = \frac{1}{2} + f(2)$$

$$f(2) = \frac{1}{2} + f(1)$$

$$\Rightarrow f(1) = \frac{1}{2} + f(0)$$

\Rightarrow then $Pdi(n-1);$

$\Rightarrow Syso(n);$

1. first expect that $f(5)$ will give 5,4,3,2,1

2. faith in $f(4)$ that give 4,3,2,1

3. Build relation between ~~faith~~ and achieve

from ~~faith~~ to expectation

$$4) f(5) = 5 + f(4)$$

5) Dry run the code and check the base condition.

Output: 5,4,3,2,1

$n=$	1
$n=$	2
$n=$	3
$n=$	4
$n=$	5

If ($n == 0$)

return;

$f(s)$

System.out.print(n)
 $f(s-1);$

Decreasing no:

$$n=5$$

$$4$$

$$3$$

$$2$$

$$1$$

$$exp\ f(5) = 5 + f(4)$$

$$f(4) = 4 + f(3)$$

$$f(3) = 3 + f(2)$$

$$f(2) = 2 + f(1)$$

$$f(1) = 1 + f(0)$$

$$\Rightarrow H.L.T \quad \text{if } n == 0 \text{ return } 1$$

$$\Rightarrow Syso(n)$$

$$Pdi(n-1);$$

Increasing and decreasing $n=3$

output = 3 2 1 1 2 3

new expectation = $f(3) = 3 2 1 1 2 3$ faith = $f(2) = 2 1 1 2$ now achieve faith \rightarrow expectation \Rightarrow System.out.print(n);

fun(n-1);

System.out.print(n);

dry run

base case
 $n=3$
 $1+3n = 0$ $1+2n = 1$ $2+2n = 2$ $1+2n = 3$

3

2

1

1

2

3

 $+3's to expect$ $+3$ Power of Logarithmic

variation

$P(2, 1024) \rightarrow 2^{1024}$

1) $f(2, 512) \rightarrow 2^{512} \rightarrow$ give answer

3) $P(2, 1024) = 2^{512} * 2^{512}$

and for odd no we need to

multiple by 2 once more $\Rightarrow 2^{512} * 2^{512} * 2$ $\Rightarrow f(n == 0)$

getnum 1;

int $x_{n1} = \text{Power}(x, n/2);$ int $x_{nx} = x_{n1} * x_{n1};$ if ($n/2 == 1$) $\frac{1}{2} x_{nx} = x_{nx} * x_{nx};$

10	0	\downarrow
10	1	$1 \times 10 \rightarrow 10$
10	2	$10 \times 10 \rightarrow 10^2$
10	4	$10 \times 10^2 \rightarrow 10^4$
10	8	$10 \times 10^4 \rightarrow 10^8$

 \rightarrow output 10^8 10^8

Print Zig-Zag

If ($n = 0$)

return;

System.out.print("Pre "+n); → Pre order

nz(n-1); → left call

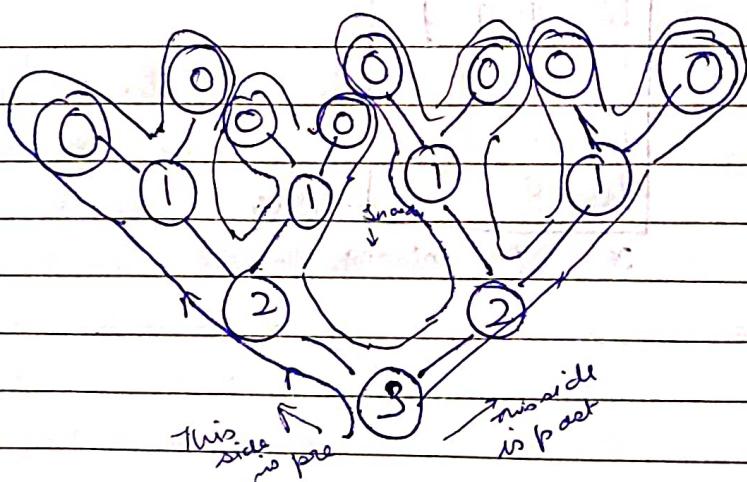
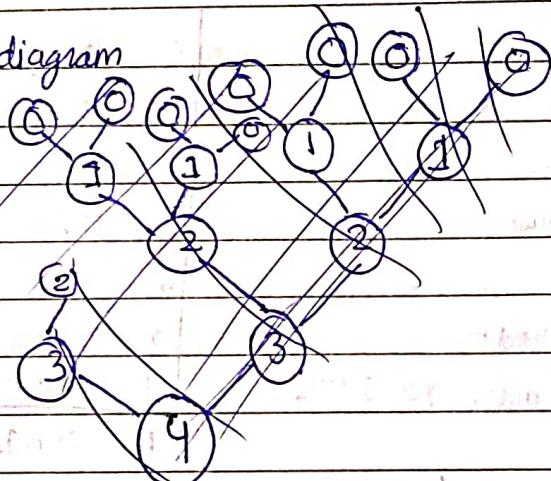
System.out.print("In "+n); → Inorder

nz(n-1); → Right call

System.out.print("Post "+n); → Post order

We use Euler's diagram

$n = 4$



Pre → 3 In 1 Post 1

Pre - 2 Post 1 Just 2

Pre 1 Post 2 Pre 1

In 1 In 3 In 1

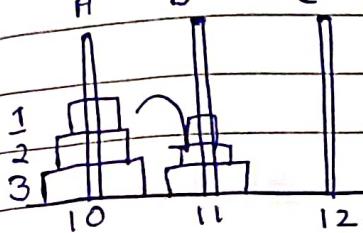
Post 1 Pre 2 Post 1

In 2 Pre 1 Post 2

Pre 1 In 1 Post 3

Tower of Hanoi

There are 3 towers all the elements in $\{A\}$ have to be go in tower B using C .



But there are conditions:-

- Move one disk at a time
- Never place a smaller disk under a larger disk
- you can move disk at the top.

now output:-

1 [10 → 11]

approach:-

2 [10 → 12]

expectation :-

1 [11 → 12]

$f(3) \Rightarrow$ will put all the element in tower B

3 [10 → 11]

with following all rules using tower C

1 [12 → 10]

faith $\Rightarrow f(2) \Rightarrow$ will put all the element in

2 [12 → 11]

tower C will following all rules using tower B .

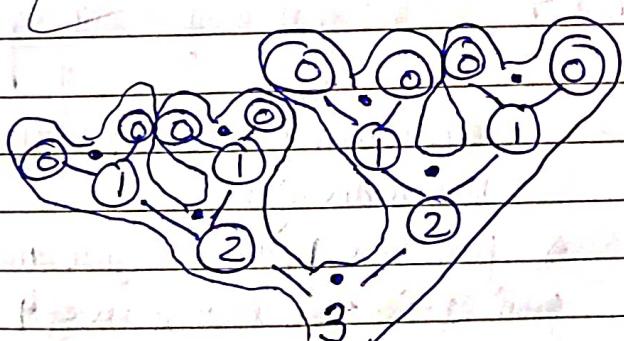
1 [10 → 11]

now achieve ~~faith~~ expectation from faith.

\Rightarrow fun($n-1, A, C, B$)

System.out.print($n \{ + A + " \rightarrow " + C \}$)

fun($n-1, B, A, C$)



In 1 sn1 : 1

In 2 : 1

In 1 : 1

In 3 : 1

In 1 : 1

In 2 : 1

Recursion using arrays

1. First Index

$\Rightarrow 2 \ 4 \ 7 \ 8 \ 9 \ 4 \ 4 \ 15 \ 6$
 $\quad \quad 0 \ 1 \ 2 \ 3 \ 4 \ 5 \ 6 \ 7 \ 8$

now if the find value is 4 (Input)

then first index of 4 is 1.

\Rightarrow array initial find.

$\text{Exp} = f(a, 0, 4) \rightarrow \text{firstIndex of } 4 \rightarrow 1$

'faith' $f(a, 1, 4) \rightarrow$ this will give me from $1 \rightarrow 8$, the first index of 4.

faith \rightarrow expectation.

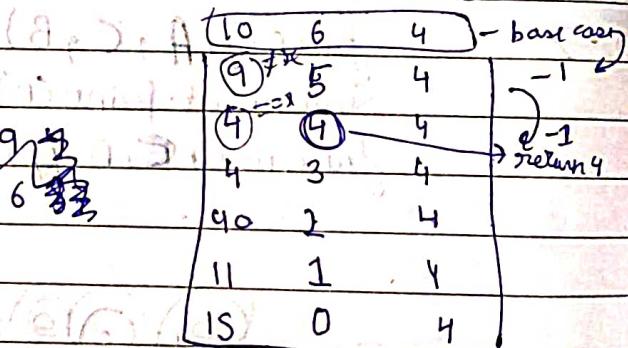
now we have to check that $a[0] == x$ if yes then 0 is the first index else index that given by the faith is the first index.

If for the first index we will check in prior ~~that~~ before the call. If it the current value $= x$ then we return else we ~~not~~ call the next one.

2. Last Index

$\Rightarrow 15 \ 11 \ 40 \ 4 \ 4 \ 9 \ 13 \ 15 \ 6$
 $\quad \quad 0 \ 1 \ 2 \ 3 \ 4 \ 5 \ 6 \ 7 \ 8$

15 11 40 4 4 9
 $\quad \quad 0 \ 1 \ 2 \ 3 \ 4 \ 5 \ 6 \ 7 \ 8$



now if the find value is 4

then last index of 4 is 4

\Rightarrow expectation $f(a, 0, 4)$ will give

last index of 4.

\Rightarrow faith $f(a, 1, 4)$ will give one the from $1 \rightarrow 5$ the last index of 4

now from faith \rightarrow expectation.

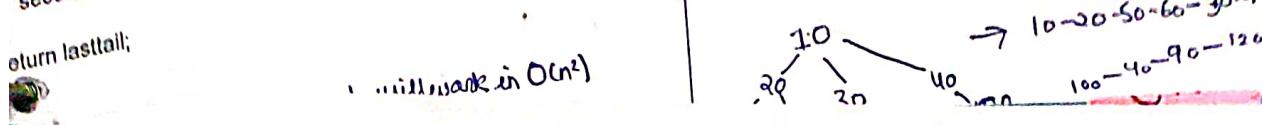
If ~~faith~~ there are no value in the array if the user enter ~~then~~ then faith not able.

Suppose, for suppose if the number present at the 0^{th} index only then faith will not able to find the last index.

It is possible that 0^{th} index may have that no if they have return that index else return -1, (because faith not able to find ~~not~~ first index).

If faith find the last index then return that index.

\Rightarrow for the last index we check from the back of the array.



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Revise all indices of array

ArrayLists

1. Get Subsequences

New

New approach :-

for ex, Str = abc

expectation (Str = abc) = [, -c, -bc, -bc]

now the Subsequences are

faith :- (Str bc) = [, -c, b -, bc]

b-

bc

faith \rightarrow expectation :- now "a" will intersect in two ways
when bc is either yes or no.

a - code for sequence :- for (String i : zeros)

a - c nos.add (" " + i);

ab - for (String j : zeros)

ab c nos.add (" " + j);

1) Get KPC, Input: now for ex. input 78

In this question then output \Rightarrow [t v, t w, t x, u v, u w, u x]

0 \rightarrow .i \Rightarrow 7 8

1 \rightarrow abc t v \Rightarrow t v, uv

2 \rightarrow def u \Rightarrow fw, hw

3 \rightarrow ghi x \Rightarrow tx, ux

4 \rightarrow jkl approach :- first we store this string in a single string

5 \rightarrow mno now expectation [(Str 78)] \Rightarrow [t v, t w, t x, u v, u w, u x]

6 \rightarrow pqr s faith [(Str 8)] \Rightarrow [v, w, x] that it will give

7 \rightarrow tu all KPC of 8

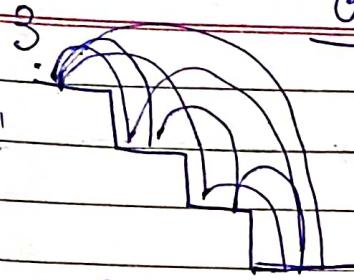
8 \rightarrow vw x now faith \rightarrow expectation :- all the characters of 7, single by single

9 \rightarrow yz intersect with 8, first t = t v, t w, t x, then u \Rightarrow uv, uw, ux.

Code :- char a = str.charAt(0); // 7

String res = str.substring(1); // 8

ArrayList<String> res = getKPC(str);

Gret stair paths

$$\text{If input} = 3$$

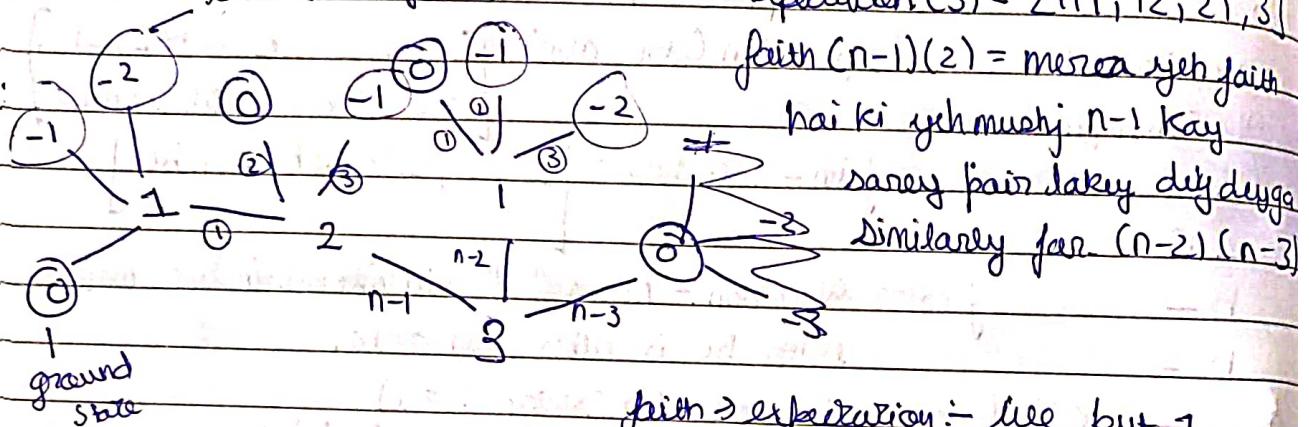
No. of ways that he can come to the ground.

$$\Rightarrow [111, 12, 21, 3]$$

$$\Rightarrow \text{Expectation} = 3^2 \Rightarrow [1112]$$

From ground (forward)

$$\text{Expectation}(3) = \sum [111, 12, 21, 3]$$



$$\text{faith}((n-1)(2)) = \text{mera yeh faith}$$

hai ki yeh mushi n-1 Kay

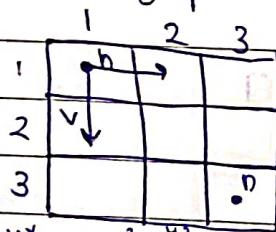
sarey pair lajuy dil deya

Similarly far. (n-2)(n-3)

faith \rightarrow expectation - see part 1

in front of (n-1) and

2 in front of (n-2) and 3 in front
of (n-3)

Gret Maze path

$$3 \times 3 \Rightarrow [hhvv, hvhv, hvvh, vhvh, vhv, vvhh]$$

we need to reach to the "0" Destination.

New expectation:

$$\text{faith} = \sum (j < 3)$$

$$\text{when hari} = (1, 2)$$

will give us all the pairs

$$\text{and } \sum (i < 3)$$

Vert $\div (2, 1)$ will give us all the pairs

1,1 we faith \rightarrow expectation see just but h in front of hari and v in front of vert.

Bubble Sort

1.1 S 9 8 2 1



8 9

1.2 S 9 8 2 1



2 9

1.3 S 8 9 2 1



1 9

1.4 S 8 2 9 1



9 1

1.5 S 8 2 1 9

2.1 5 8 2 1 9



2 8

2.2 S 8 2 1 9



1 8

2.3 S 2 8 1 9



1 9

2.4 S 2 1 8 9

3.1 2 5 1 8 9



1 8 9

3.2 2 5 1 8 9



1 8 9

3.3 2 1 5 8 9

3.4 2 1 5 8 9

4.

4.1 2 1 5 8 9



4.2 1 2 5 8 9

Now for n number the outer most loop iterate to $(n-1)$

\Rightarrow Code for bubble sort

```
for(int i, i<= arr.length - 1, i++)
{
    for(int j, j< arr.length - i, j++)
    {
        if (arr[j+1] < arr[j])
            swap(arr, j+1, j);
    }
}
```

Time complexity $O(n^2)$

... manach will work in $O(n^2)$

```

graph TD
    10[10] --> 20[20]
    10 --> 30[30]
    10 --> 40[40]
    40 --> 80[80]
    40 --> 100[100]
    100 --> 40_1[40]
    100 --> 90[90]
    100 --> 121[121]
  
```

Selection sort $O(n^2)$

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Selection Sort		in small (just check with m)	
1. i ↓	1.1 5 9 8 1 2	2. i ↓	m
i ↓	5 9 8 1 2 m ↗ ↙ j	2.1 1 9 8 5 2	i m m m m
i ↓	5 9 8 1 2 m ↗ ↙ j	2.2 1 9 8 5 2	i m m m m
i ↓	5 9 8 1 2 m ↗ ↙ j	2.3 1 9 8 5 2	i m m m m
i ↓	5 9 8 1 2 m ↗ ↙ j	2.4 1 9 8 5 2	i m m m m
i ↓	5 9 8 1 2 m ↗ ↙ j	2.4 1 9 8 5 2	i m m m m
i ↓	5 9 8 1 2 m ↗ ↙ j	2.4 1 9 8 5 2	i m m m m
3.	3.1. 1 2 8 5 3 9	4.1	i ↓
i ↓	1 2 8 5 3 9 m ↗ ↙ j	1 2 5 8 9	m
i ↓	1 2 8 5 3 9 m ↗ ↙ j	1 2 5 8 9	m
i ↓	1 2 8 5 3 9 m ↗ ↙ j	1 2 5 8 9	m
3.3	3.3 1 2 8 5 9 5 8 9 ↓ j	array is sorted now.	

code for selection sort

$$\text{if } n = 5$$

```
for (int i=0; i< arr.length; i++) { } (0,1,2,3)
```

$$3 \quad \inf \min = 1;$$

```
for ( int j = i+1; j < arr.length; j++ ) {
```

$\min = j$

Dwarp (anji, min)

3

Quick on
mangoes n' Jorugh

Time complexity = $O(n^2)$

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Inversion sort

	9 9 S 1 3
1.	1.1 $\boxed{2} \rightarrow 9^*$ S 1 3
	1.1 $\boxed{2 9} S^* 1 3$
	1.1 $S \rightarrow 9$ 1 3
2.1	$\boxed{2 9} \rightarrow 8^* 1 3$
2.2	$\boxed{2 8} \rightarrow 9 1 3$
	$\Rightarrow \boxed{2 8 9} 1 3$
3.1	$\boxed{2 8 9} \rightarrow 1^* 9 3$
3.2	$\boxed{2 8} \rightarrow 1 \boxed{9} 3$
3.3	$\boxed{2} \rightarrow \boxed{1} \boxed{9} 3$
3.4	$\boxed{1} \boxed{2} \boxed{8} \boxed{9} 3$

4.1	$\boxed{1} \boxed{2} \boxed{8} \boxed{9} \rightarrow 3^* 4$
4.2	$\boxed{1} \boxed{2} \boxed{8} \boxed{3} \rightarrow 9^* 5$
4.3	$\boxed{1} \boxed{2} \boxed{3} \boxed{S} \rightarrow 9$ <i>break.</i>
4.4	$\boxed{1} \boxed{2} \boxed{3} \boxed{S} \rightarrow 9$

code for insertion

→ 0th element is already sorted.

```
for (int i=1; i<arr.length; i++)
```

```
    for (int j=i-1; j>=0; j--)
```

```
        if (arr[j] > arr[j+1])
```

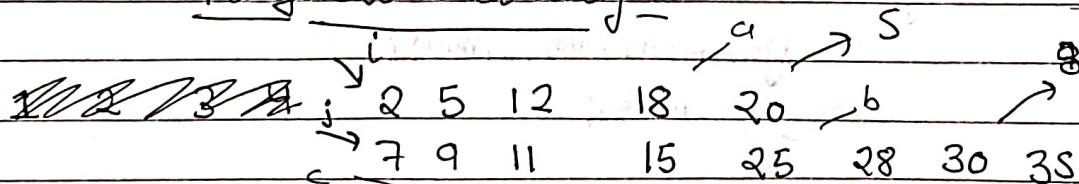
```
            Swap(arr, j, j+1);
```

do

{ break;

} } }

Merge two Sorted array -



now new array size [13] $\underbrace{1}_{k_1} \underbrace{2}_{k_2} \underbrace{3}_{k_3} \underbrace{4}_{k_4} \underbrace{5}_{k_5} \underbrace{7}_{k_6} \underbrace{9}_{k_7} \underbrace{11}_{k_8} \underbrace{12}_{k_9} \underbrace{15}_{k_{10}} \underbrace{20}_{k_{11}} \underbrace{25}_{k_{12}} \underbrace{28}_{k_{13}} \underbrace{30}_{k_{14}}$

1. If $a[i] < b[j]$)

then we insert $a[i]$ in $c[k]$

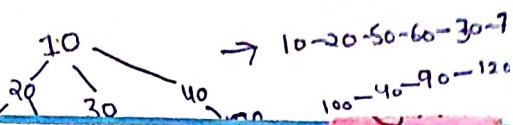
2. Else we insert $b[j]$ in $c[k]$

3. And rest element of ~~A~~ A is stored in $c(k)$

and rest element of ~~B~~ B is stored in $c(k)$

urn last tall;

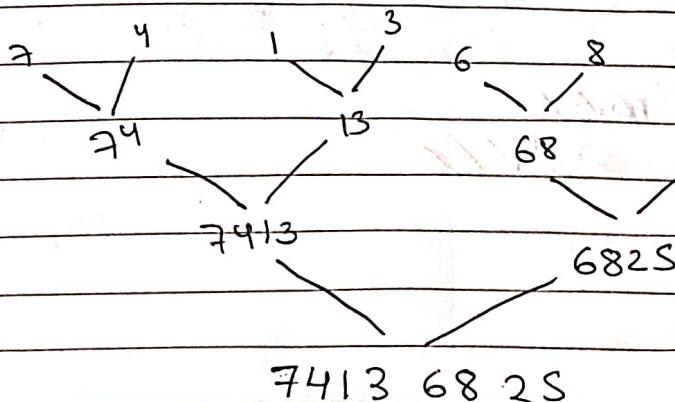
... approach will work in $O(n^2)$



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Merge sort



code

```
public static int[] mergesort(int[] arr, int lo, int hi)
```

```
{ if (lo == hi) {
```

```
    int[] res = new int[1];
```

```
    res[0] = arr[lo];
```

```
    return res;
```

```
    int mid = (lo + hi) / 2; // get the middle element
```

```
    int[] a = mergesort(arr, lo, mid); // faith that it will give sorted
```

```
    int[] b = mergesort(arr, mid + 1, hi); // faith that it will give sorted
```

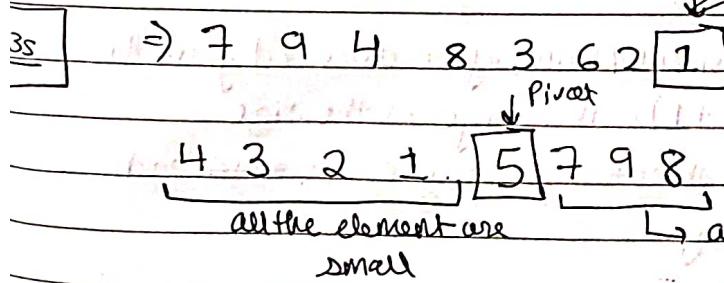
```
    int[] res = MergeTwoSortedArray(a, b); // this function will
```

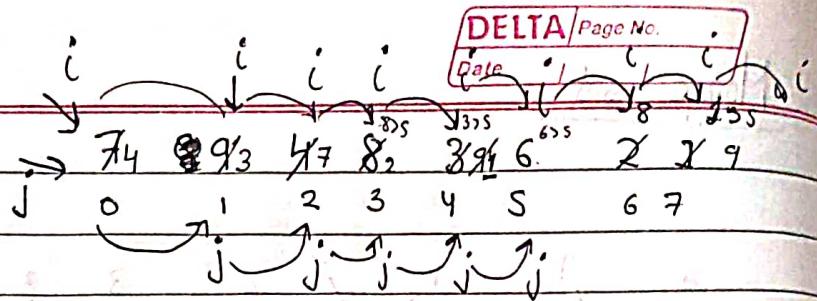
```
    return res;
```

Merge the two sorted arrays

Partition of an array

Pivot = 5





now after that we take the and we choose element.

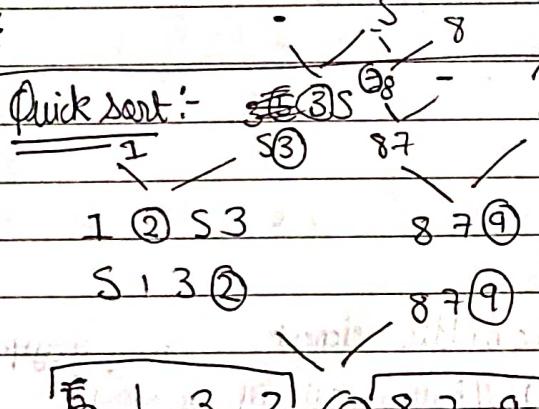
code :-

```

int size = m;
int arr[] freq = new int[m];
for (int i=0; i<size; i++)
    int index freq[i];
}

```

(Implementation of Quick Sort using Divide and Conquer)



Time complexity $O(n \log n)$

```

public static void quickSort (int arr[], int lo, int hi)
{
    if (lo >= hi)
        return;
    int pivot = partition (arr, lo, hi);
    int pivotIndex = partition (arr, pivot, lo, hi);
    quickSort (arr, lo, pivot - 1);
    quickSort (arr, pivot + 1, hi);
}

```

Count Sort :- Count Sort is used where data is present in large amount but they are defined in a particular range. (Stable Sort)

Approach:

1. first find the minimum and maximum value of the data and from this we get the range ($\max - \min + 1$) is the range or the size of the new array which will store the frequency of the each element in the original array.

like 2 2 0 0 1 3

2 → 2 → 2 After that we sum every consecutive elements, 2, 4, 5, 6

0 → 2 → 4 So decrease by 1, 1, 3, 4, 5, this shows that

1 → 1 → 5 0 → 1 is the area of 2, 1 → 3 is the area of 0 and

3 → 1 → 6 4 → 1 is the area of 1, 3 is the area of 5.



... which will work in $O(n^2)$

20 30 40 100 40

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^{original}
Now after that iterate the 'array arr' in a reverse order,
we take the last value from array and we check in frequency array (val-min)
and we decrease the value by 1; also decrease the frequency of a particular
element.

Code :-

```
int size = max - min + 1;
int freq[] = new int[size];
for (int i=0, i < arr.length; i++)
    {
        int index = arr[i] - min;
        freq[index]++;
    }
}
```

```
for (int i=0; i < arr.length; i++)
    {
        arr[i] = arr[i];
    }
```

```
for (int i=1; i < freq.length; i++)
    freq[i] += freq[i-1];
}
```

```
int ans[] = new int[arr.length];
for (int i=arr.length; i>=0; i--)
    {
        int val = arr[i];
        int pos = freq[val-min];
        int index = pos - 1;
        ans[index] = val;
        freq[val-min] --;
    }
}
```

PRINT PERMUTATIONS

```

graph TD
    abc[abc] -- 1 --> cba[cba]
    abc -- 2 --> bac[bac]
    abc -- 3 --> cab[cab]
    cba -- 4 --> bca[bca]
    cba -- 5 --> bdc[bdc]
    cba -- 6 --> acb[acb]
    bac -- 4 --> bca[bca]
    bac -- 5 --> bdc[bdc]
    bac -- 6 --> acb[acb]
    cab -- 4 --> bca[bca]
    cab -- 5 --> bdc[bdc]
    cab -- 6 --> acb[acb]
    bca -- 1 --> b[b]
    bca -- 2 --> c[c]
    bdc -- 1 --> b[b]
    bdc -- 2 --> c[c]
    acb -- 1 --> b[b]
    acb -- 2 --> c[c]
  
```

- approach : we need to think that ~~what~~ what character should be the starting point of each permutation.
 - therefore we check each and every character

* String SS = Str.substring(0, i) + Str.substring(i+1);

Iteratively :- (using String builder)

If string is $a^0 b^1 c^2$, length factorial $\rightarrow 6!$

3	0				
2	0-0	abc	3	1	aob/c₂
1	0-0		2	0-1	bac
	0-0		1	0-0	
				0-0	

$\begin{array}{ c c } \hline 3 & 3 \\ \hline \end{array}$	a, b, c_2	$\begin{array}{ c c } \hline 3 & 4 \\ \hline \end{array}$	a, b, c_2	$\begin{array}{ c c } \hline 3 & 5 \\ \hline \end{array}$
$\begin{array}{ c c } \hline 2 & 0-0 \\ \hline \end{array}$	a, c, b	$\begin{array}{ c c } \hline 2 & 1 \rightarrow 1 \\ \hline \end{array}$	b, c, a	$\begin{array}{ c c } \hline 2 & 1-2 \\ \hline \end{array}$ c, b, a
$\begin{array}{ c c } \hline 1 & 0-1 \\ \hline \end{array}$		$\begin{array}{ c c } \hline 1 & 0-1 \\ \hline \end{array}$		$\begin{array}{ c c } \hline 1 & 0-1 \\ \hline \end{array}$
$\begin{array}{ c c } \hline 0 & 0-0 \\ \hline \end{array}$		$\begin{array}{ c c } \hline 0 & 0 \\ \hline \end{array}$		$\begin{array}{ c c } \hline 0 & 0 \\ \hline \end{array}$

```
for(int i=0 ; i<factorial ; i++)  
    { int n = length ;  
        symb ("\\n") ;  
        int temp = i ;  
        symb.append (temp) ;
```

3 ~~输出~~ int sum = temp'; n;

int quo = temp / n;

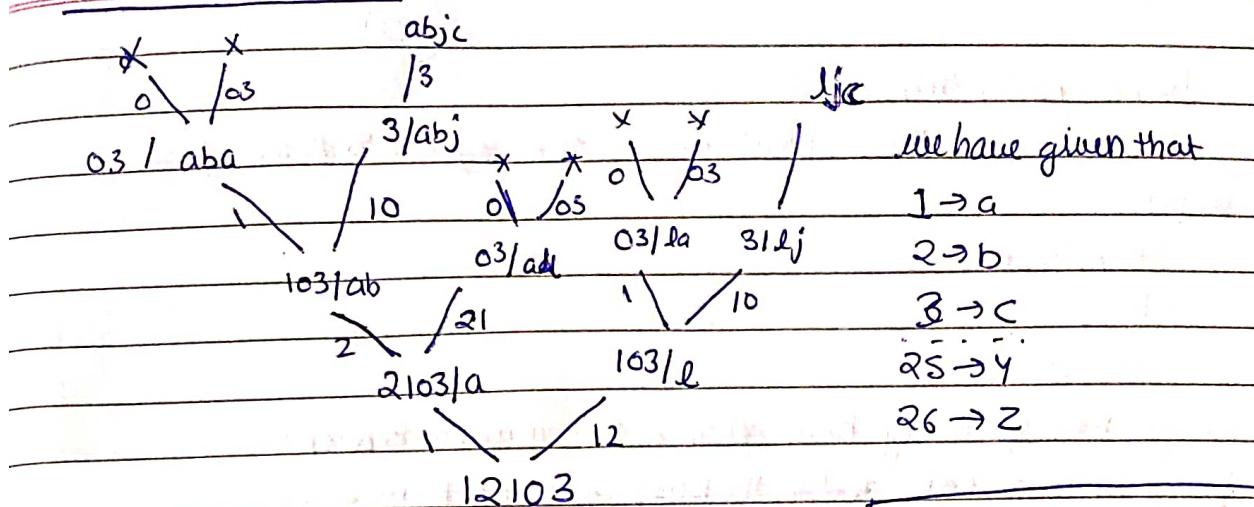
System.out.print(Sb.charAt(gem));

Sh. detektorchart(Gem) j

~~temp = quo j~~

$$n = -j$$

PRINT ENCODING



Now exceptions = 993, 303

```

public static void printEncodings(String str, String asf) {
    if (str.length() == 0) {
        System.out.println(asf);
        return;
    } else if (str.length() == 1) {
        char ch = str.charAt(0);
        if (ch == '0') {
            return;
        } else {
            int chv = ch - '0';
            char as = (char)(a' + chv - 1);
            System.out.println(asf + as);
        }
    } else {
        char ch = str.charAt(0);
        String ss = str.substring(1);
        if (ch == '0') {
            return;
        } else {
            int chv = ch - '0';
            char as = (char)(a' + chv - 1);
            printEncodings(ss, asf + as);
        }
        String ch12 = str.substring(0, 2);
        String res = str.substring(2);
        int chval = Integer.parseInt(ch12);
        if (chval <= 26) {
            char as = (char)(a' + chval - 1);
            printEncodings(res, asf + as);
        }
    }
}

```

Concept

'6' ≠ 6

↓
ascii

54

now if we want to
convert '6' → 6

[6' - '0']

↓
54 - 48 → 6

(60)

Target Sum Subset10, 20, 30, 40, 50

We have to print all those subset whose sum equals to K or suppose 60
 output:-

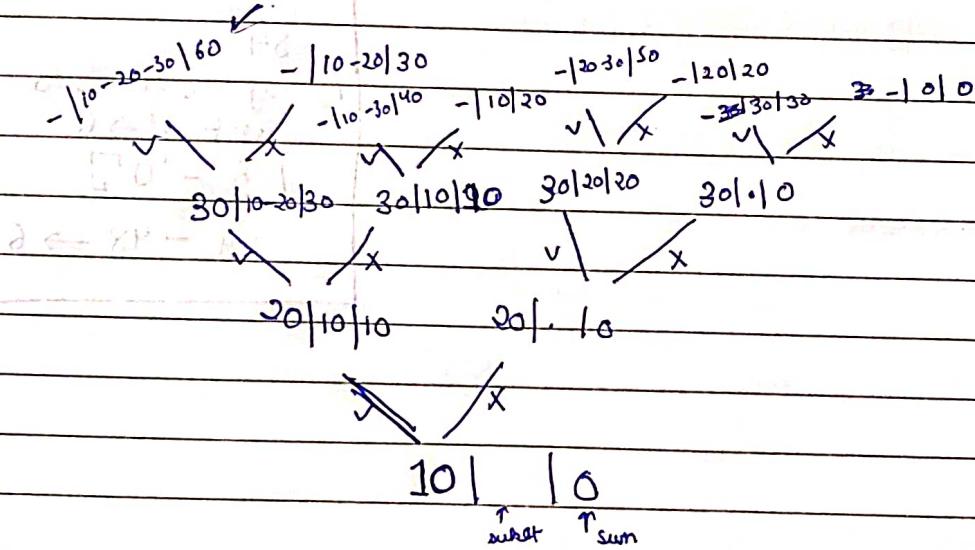
10, 20, 30

10, 50

20, 40

every option of array have option is that it wants to become
 partial subset or not and in the base case we have

eg:- 10, 20, 30

PrintTargetSumSubset(~~int arr, int idx, string set, int sos, int tar~~)

{ if (arr.length == idx)

{ if (sos == tar)

{ SOS(set);

{ }

{ return;

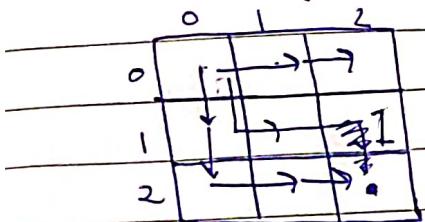
PrintTargetSumSubset(arr, idx+1, set+arr[idx], sos+arr[idx], tar);

PrintTargetSumSubset(arr, idx+1, set, sos, tar);

{}

Flood Fill

* You are given $n \times m$ matrix, you have to give all those path from source to destination such that same path does not repeat its path anywhere.



✓ ddg1d \times drrrd
 \times rrrdd \times ddgtgrd
 \times rdg1d

here 0 are paths and 1 are walls.

things to remember

1. while visiting every cell we need to keep in mind that if that happens [$row < 0, col < 0, row == arr.length, col == arr[0].length, \text{maze}[row][col] == 1, visited[row][col] == true$]

we need to return if we encounter any of the above condition.

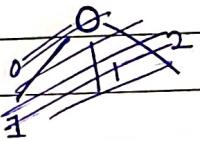
2. after we reach to the destination we need to keep in mind that we also have to unvisit all those cell that we have marked true (why) (because we need all paths not only one path).

N Queens

* You are given $n \times n$ matrix such that you have placed number of queen such that they will not kill each other.

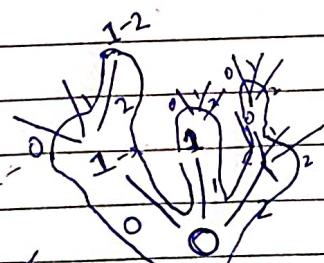
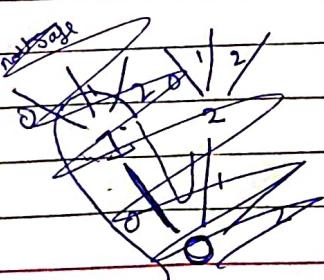
	0	1	2
0	*	*	*
1	*	.	*
2	:	:	:

Output 0-0, 1-2 [we can only put 2 queen in 3x3 matrix]



here are rows and options are the column.

* we check for each and every column that it is safe to place the queen.



Generic TREE

move a Leaf in a generic tree

```
public static void removeLeaves(Node node) {
    // write your code here
    for(int i = node.children.size()-1; i>=0; i--) {
        Node child = node.children.get(i);
        if(child.children.size() == 0) {
            node.children.remove(child);
        }
    }
    for(Node child: node.children)
        removeLeaves(child); // faith that it will remove all nodes
}
```

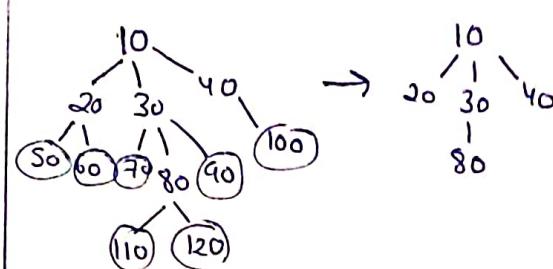
this approach is use time of $O(n)$

linearize of a generic tree

```
public static Node linearize2(Node node) {
    // write your code here
    if(node.children.size() == 0)
        return node;
    Node lasttail = linearize2(node.children.get(node.children.size()-1));
    while(node.children.size() > 1) {
        Node lastchild = node.children.remove(node.children.size()-1);
        Node secondlastchild = node.children.get(node.children.size()-1);
        Node secondlastchildtail = linearize2(secondlastchild);
        secondlastchildtail.children.add(lastchild);
    }
    return lasttail;
```

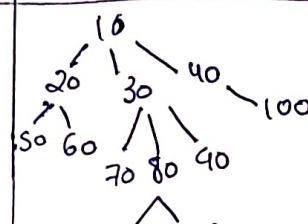
second approach // this approach will work in $O(n^2)$

```
public static void linearize(Node node) {
    // write your code here
    for(Node child: node.children) {
        linearize(child);
    }
    while(node.children.size() > 1) // this thing have to be done until we get the last child
    {
        Node lastchild = node.children.remove(node.children.size()-1);
        Node secondlastchild = node.children.get(node.children.size()-1);
        Node secondlastchildtail = getTail(secondlastchild);
        secondlastchildtail.children.add(lastchild);
    }
    private static Node getTail(Node node) {
        while(node.children.size() == 1)
            node = node.children.get(0);
        return node;
    }
}
```

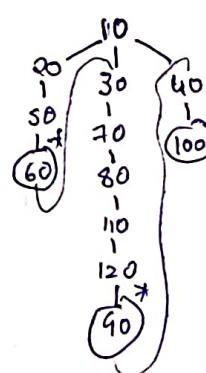


// We have to remove the node in reverse order because if we start from the front then it cause an ~~error~~ error.

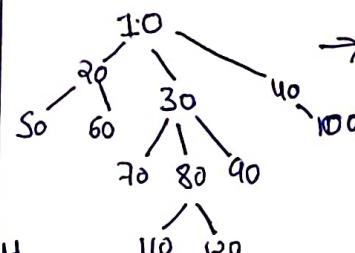
$[2|3|4|5|6] \rightarrow [3|4|5|6]$, then 3 will be left. Because this error will not occur in reverse.



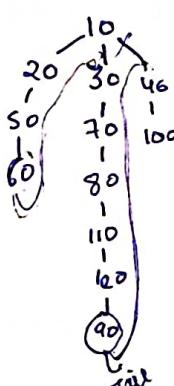
$(10 - 20 - 50 - 60 - 30 - 70 - 80)$
 $100 - 40 - 90 - 120 - 110$



In this it will not only ~~not~~ linearize three child but also give three tail also



$(10 - 20 - 50 - 60 - 30 - 70 - 80)$
 $100 - 40 - 90 - 120 - 110$



```
import java.io.
```

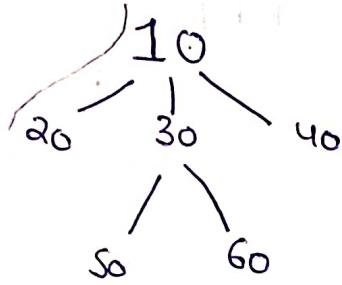
Preorder and postorder iteratively

```

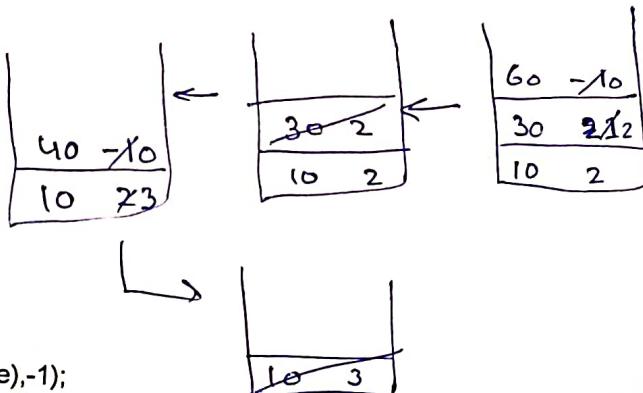
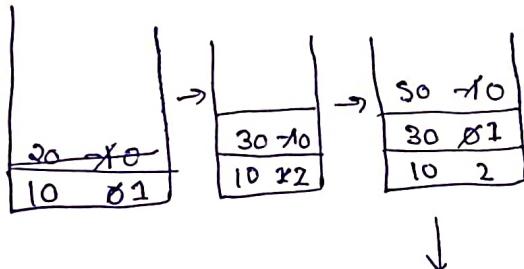
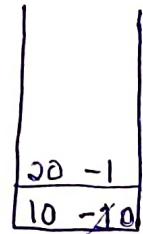
static class Pair {
    Node node;
    int state;
    Pair(Node node,int state) {
        this.node = node;
        this.state = state;
    }
}

public static void IterativePreandPostOrder(Node node) {
    // write your code here
    Stack<Pair> st = new Stack<>();
    st.push(new Pair(node,-1));
    String pre = "";
    String post = "";
    while(st.size()!=0) {
        Pair top = st.peek();
        if(top.state == -1) {
            pre += top.node.data + " ";
            top.state++;
        } else if(top.state == top.node.children.size()) {
            post += top.node.data + " ";
            st.pop();
        } else {
            Pair cp = new Pair(top.node.children.get(top.state),-1);
            st.push(cp);
            top.state++;
        }
    }
    System.out.println(pre);
    System.out.println(post);
}

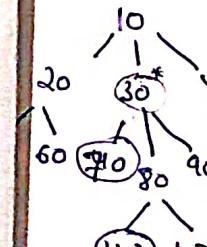
```



$\text{pre} = 10 \ 20 \ 30 \ 50 \ 60 \ 40$
 $\text{post} = 20 \ 50 \ 60 \ 30 \ 40 \ 10$



Time complexity = $O(n)$
 Space \rightarrow Height of the tree = $O(n)$



Approach:- we
 and
 how often that
 that is our

Has Path

```

lowest common ancestor
public static ArrayList<Integer> nodeToRootPath(Node node, int data) {
    if (node.data == data) {
        ArrayList<Integer> path = new ArrayList<>();
        path.add(node.data);
        return path;
    }
    for (Node child : node.children) {
        ArrayList<Integer> ptc = nodeToRootPath(child, data);
        if (ptc.size() > 0) {
            ptc.add(node.data);
            return ptc;
        }
    }
    return new ArrayList<>();
}
  
```

```

public static int lca(Node node, int d1, int d2) {
    // write your code here
    ArrayList<Integer> path1 = nodeToRootPath(node, d1);
    ArrayList<Integer> path2 = nodeToRootPath(node, d2);

    int i = path1.size() - 1;
    int j = path2.size() - 1;

    while(i >= 0 && j >= 0 && path1.get(i) == path2.get(j)) {
        i--;
        j--;
    }
    i++;
    j++;

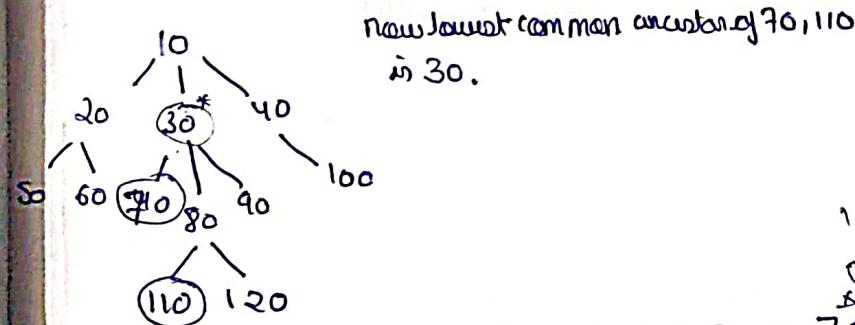
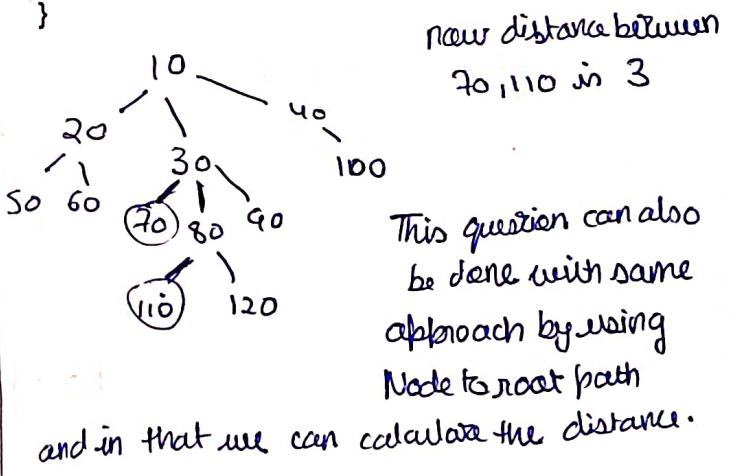
    return path1.get(i);
}
  
```

```

Distance between two nodes in a generic tree
public static int distanceBetweenNodes(Node node, int d1, int d2) {
    // write your code here
    ArrayList<Integer> p1 = nodeToRootPath(node, d1);
    ArrayList<Integer> p2 = nodeToRootPath(node, d2);

    int i = p1.size() - 1;
    int j = p2.size() - 1;

    while(i >= 0 && j >= 0 && p1.get(i) == p2.get(j)) {
        i--;
        j--;
    }
    i++;
    j++;
    return i + j;
}
  
```



approach:- we first get the node to root path of 70 \rightarrow 70, 30, 10.
and also for the node to root path of 110 \rightarrow 110, 80, 30, 10.

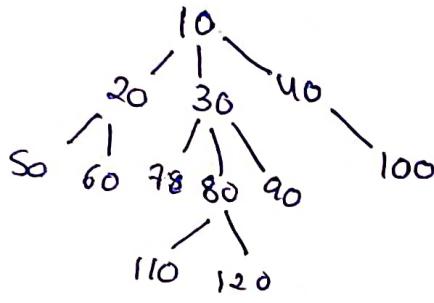
now after that we compare both the first node is different
that is our LCA

1	2	3
0	1.	2
—		—

1	2	3
0	1.	2
—		—

ceil and floor of a node in a generic tree
 static int ceil; //smallest among larger
 static int floor; //largest among smaller

```
public static void ceilAndFloor(Node node, int data) {
    // Write your code here
    if(node.data > data) {
        if(node.data < ceil) // here we are finding the
            ceil = node.data; smaller among larger
    }
    if(node.data < data) {
        if(node.data > floor) // here we are finding the
            floor = node.data; larger among smaller.
    }
    for(Node child: node.children)
    {
        ceilAndFloor(child,data);
    }
}
```



(6S)

ceil of 65 → 70

floor of 65 → 60

ceil → smallest among larger [just larger]

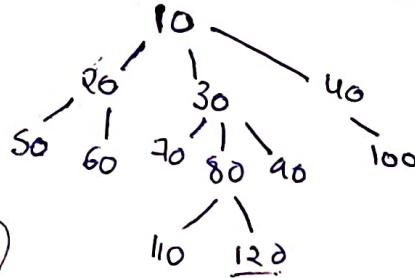
floor → largest among smaller [just smaller]

for 5

we have ceil → 70
floor → -∞

ceil → Integer.MAX_VALUE
floor → Integer.MIN_VALUE.

for 125
we have floor → 125
ceil → +∞



Now if the value of k = 1
the largest value is 120

k = 2

largest is 110

k = 4

largest is 90

k Largest number in a tree

```
public static int kthLargest(Node node, int k) {
    // write your code here
    int factor = Integer.MAX_VALUE;
    floor = Integer.MIN_VALUE;
    for(int i=0;i<k;i++)
    {
        ceilAndFloor(node,factor); //this will set the floor
        factor = floor;
        floor = Integer.MIN_VALUE;
    }
    return factor;
}
```

Similarly this can also be modified into kth smallest node or number in a generic tree and this can be done by taking the ceil(smallest among the largest). i.e. ceil

GRAPH

Has Path

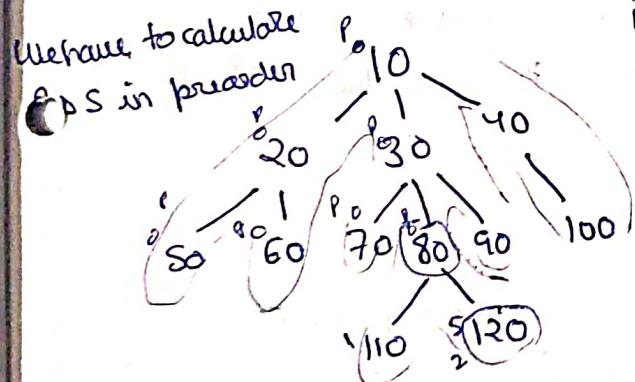
Travel and change strategy

Predecessor and successor of a node in generic tree

```
static Node predecessor;
static Node successor;
static int state;
public static void predecessorAndSuccessor(Node node, int data) {
    // write your code here
}
```

```
if(state == 0)
{
    if(node.data == data)
    {
        state = 1;
    }
    else
        predecessor = node;
}
else if(state == 1)
{
    successor = node;
    state = 2;
}

for(Node child: node.children)
{
    predecessorAndSuccessor(child,data);
}
```



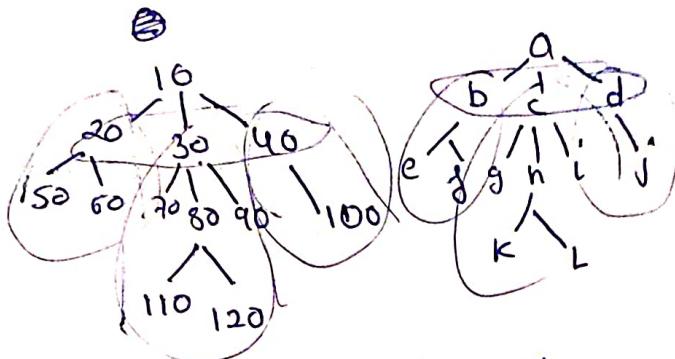
i.e. if $\text{data} = 110$
then $S = 120$
 $P = 80$
and $\text{data} = 100$
 ~~$P = 90$~~ $S = \text{null}$
 $\Rightarrow \text{data} = 10$
 $P = \text{null}$
 $S = 20$

Approach: Travel and change strategy

If the state is 0 we move in Preorder
if the data found then we increase the state - 1
shows that the data is found and if the data found the next will be the Success then
increase the state.

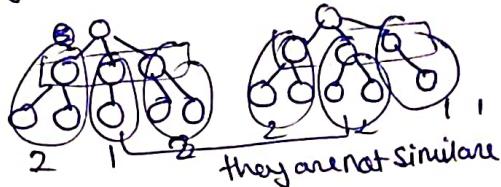
'e generic tree similar

```
ublic static boolean areSimilar(Node n1, Node n2) {  
    if(n1.children.size() != n2.children.size())  
    {  
        return false;  
    }  
    for(int i=0;i<n1.children.size();i++)  
    {  
        Node c1 = n1.children.get(i);  
        Node c2 = n2.children.get(i);  
        if(areSimilar(c1,c2)==false)  
        {  
            return false;  
        }  
    }  
    return true;  
}
```



// We just need to count the number
of node have similar in both trees
of the child.

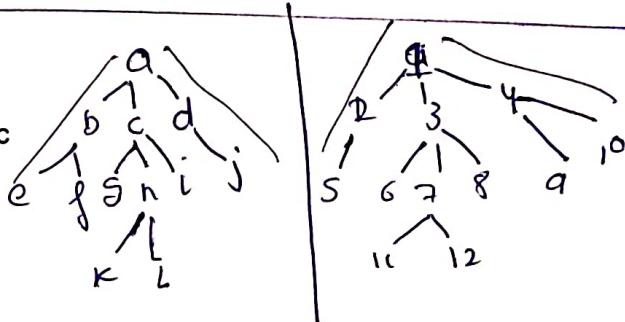
Wrong case



re generic tree is mirror of each other

nd also this question can be a is generic tree is symmetric

```
ublic static boolean areMirror(Node n1, Node n2) {  
    // write your code here  
    if(n1.children.size()!=n2.children.size())  
    {  
        return false;  
    }  
    for(int i=0;i<n1.children.size();i++)  
    {  
        Node c1 = n1.children.get(i);  
        Node c2 = n2.children.get(n2.children.size()-i-1);  
        if(areMirror(c1,c2) == false)  
        {  
            return false;  
        }  
    }  
    return true;  
}
```



We just need to focus on
shape.

If the first node child equals to
the last node child we didn't
have to care ~~the~~ about the middle one
⇒

// for the Symmetricity one
thing is important that
tree is mirror of itself if it is
then it

nd also this question can be a is generic tree is symmetric

```
ublic static boolean IsSymmetric(Node node) {  
    // write your code here  
    return areMirror(node, node);  
}
```

node with maximum sub tree sum

```

this can also be done by travel and change strategy)
static int maxSumNode = 0;
static int maxSum = Integer.MIN_VALUE;
public static int
returnSumAndCalculateMaximumSumInTree(Node node)
{
    int sum = 0;
    for(Node child: node.children)
    {
        int cn =
        returnSumAndCalculateMaximumSumInTree(child); // faith that it will give Sum of child and
        sum += cn;
    }
    sum += node.data; // after that we check and find the maximum sum
    if(sum > maxSum) // then we note that sum and that node data.
    {
        maxSumNode = node.data;
        maxSum = sum;
    }
}
return sum;
}

```

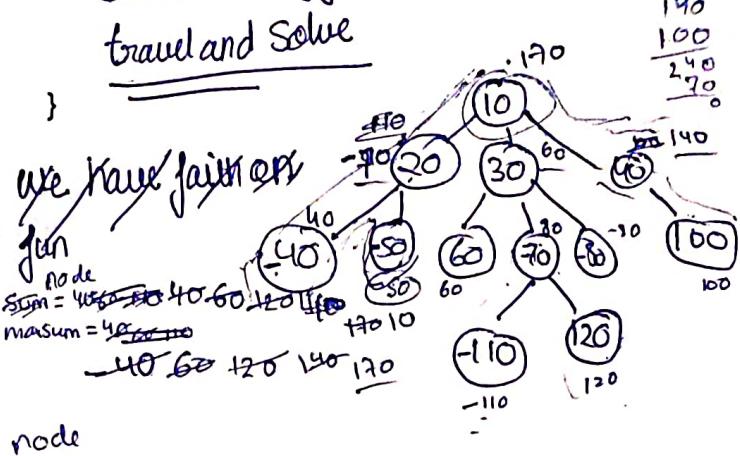
diameter of a generic tree (travel and change)

```

static int dia = 0;
public static int calculateHeightDeepest(Node node)
{
    int dph = -1; // deepest height
    int sdh = -1; // second deepest height
    for(Node child: node.children){
        int height = calculateHeightDeepest(child);
        if(height > dph)
        {
            sdh = dph;
            dph = height;
        }
        else if(height > sdh)
        {
            sdh = height;
        }
    }
    int cand = dph + sdh + 2;
    if(cand > dia) {
        dia = cand;
    }
    dph += 1;
    return dph;
}

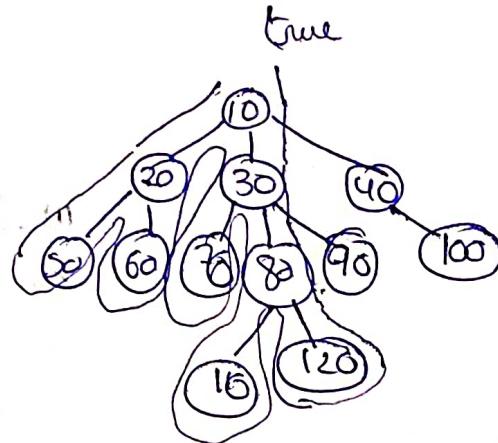
```

Same Strategy
travel and Solve



nd In generic tree

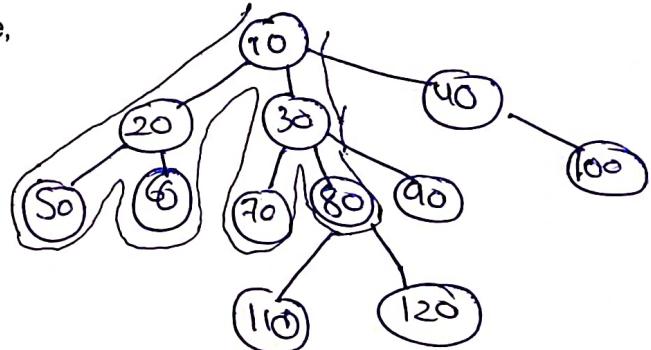
```
ublic static boolean find(Node node, int data) {
    // write your code here
    if(node.data == data){
        return true;
    }
    for(Node child: node.children)
    {
        boolean res = find(child,data);
        if(res == true)
            return true;
    }
    return false;
```



Node To Root Path In Generic Tree

```
ublic static ArrayList<Integer> nodeToRootPath(Node node,
int data){
    // write your code here
    if(node.data == data)
    {
        ArrayList<Integer> res = new ArrayList<>();
        res.add(node.data);
        return res;
    }
    for(Node child: node.children)
    {
        ArrayList<Integer> pathTillChild =
nodeToRootPath(child,data);
        if(pathTillChild.size() > 0)
        {
            pathTillChild.add(node.data);
            return pathTillChild;
        }
    }
    return new ArrayList<>();
```

~~for 120 80~~

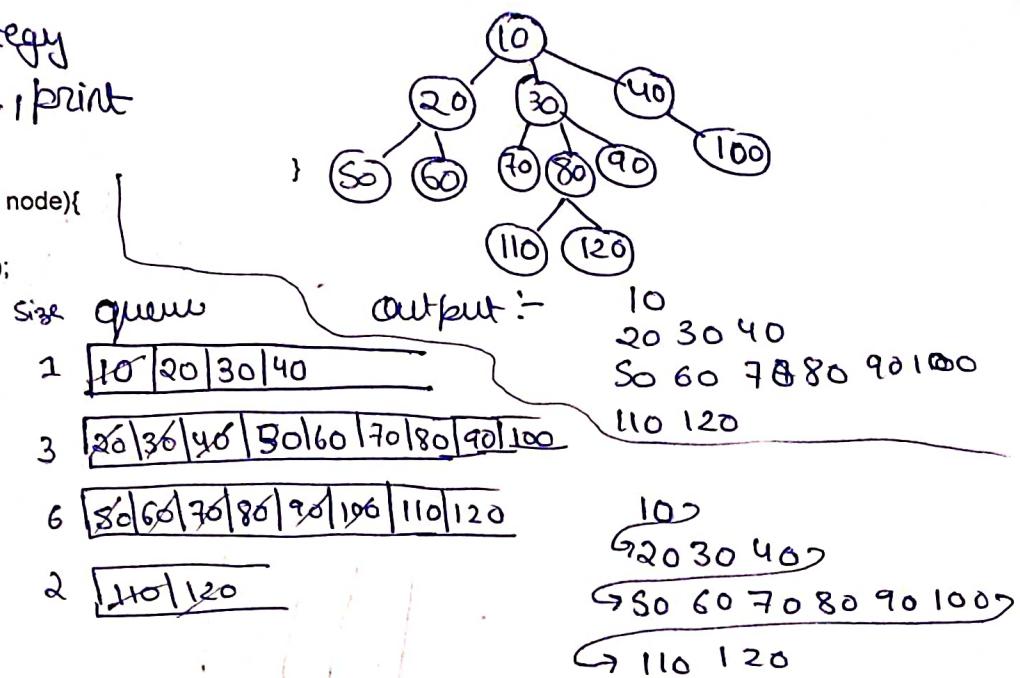


⇒ [80, 30, 10]

We follow the strategy
Push, remove, print

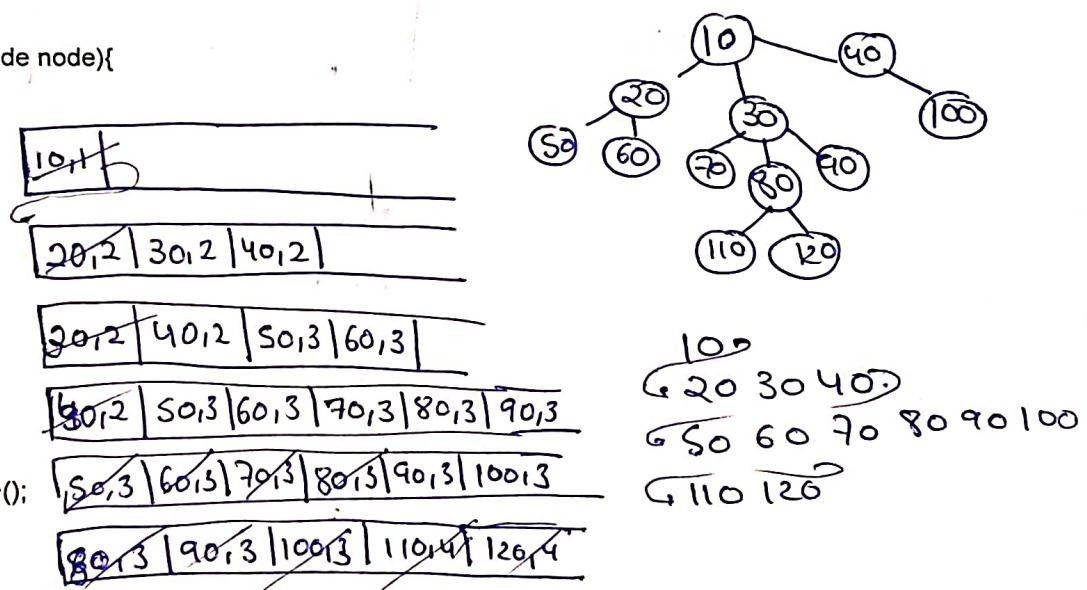
Line Order Linewise

```
public static void levelOrderLinewise3(Node node){
    // write your code here
    Queue<Node> pq = new ArrayDeque<>();
    pq.add(node);
    while(pq.size()!=0)
    {
        int size = pq.size();
        for(int i=0;i<size;i++){
            node = pq.remove();
            System.out.print(node.data+" ");
            for(Node child: node.children)
            {
                pq.add(child);
            }
        }
        System.out.println();
    }
}
```



Approach 2

```
public static void levelOrderLinewise4(Node node){
    public static class Pair
    {
        int level;
        Node node;
        Pair(){}
        Pair(Node node,int level){
            this.node = node;
            this.level = level;
        }
    }
    Queue<Pair> pq = new ArrayDeque<>();
    Pair root = new Pair(node,1);
    pq.add(root);
    int level = 1;
    while(pq.size()!=0)
    {
        Pair p = pq.remove();
        if(p.level>level)
        {
            level = p.level;
            System.out.println();
        }
        System.out.print(p.node.data+" ");
        for(Node child: p.node.children)
        {
            pq.add(new Pair(child,p.level+1));
        }
    }
}
```

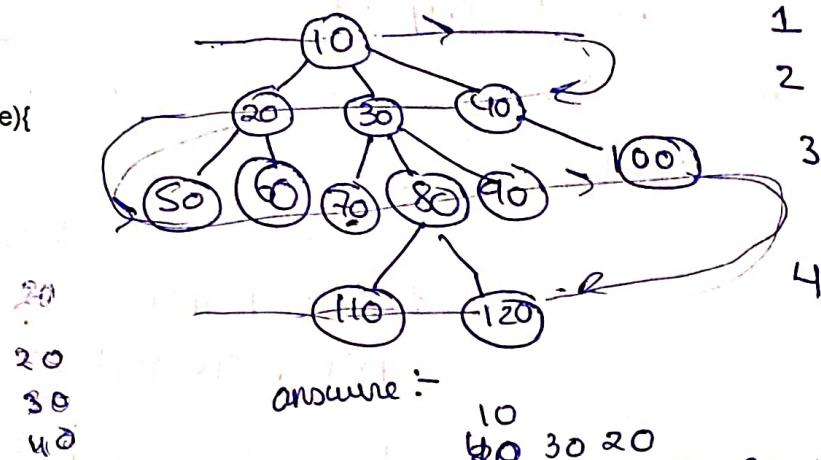


int Zig Zag

```

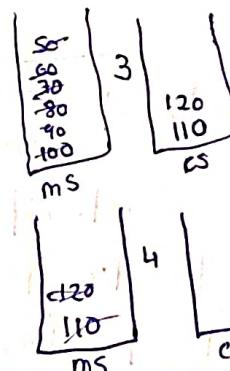
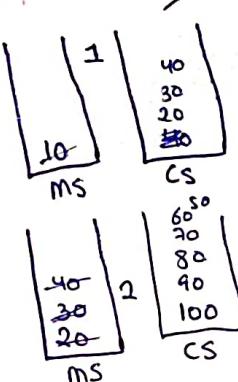
public static void levelOrderLinewiseZZ(Node node){
    // write your code here
    Stack<Node> mst = new Stack<>();
    Stack<Node> hst = new Stack<>();
    mst.push(node);
    int level = 1;
    while(mst.size()!=0)
    {
        node = mst.pop();
        System.out.print(node.data+" ");
        if(level%2 == 1)
        {
            for(int i=0;i<node.children.size();i++)
            {
                hst.push(node.children.get(i));
            }
        }
        else
        {
            for(int i=node.children.size()-1;i>=0;i--)
            {
                hst.push(node.children.get(i));
            }
        }
        if(mst.size() == 0)
        {
            mst = hst;
            level++;
            hst = new Stack<>();
            System.out.println();
        }
    }
}

```



10
 $40 \ 30 \ 20$
 $50 \ 60 \ 70 \ 80 \ 90 \ 100$
 $120 \ 110$

10
 $\curvearrowleft 40 \ 30 \ 20$
 $\curvearrowleft 50 \ 60 \ 70 \ 80 \ 90 \ 100$
 $\curvearrowleft 120 \ 110$



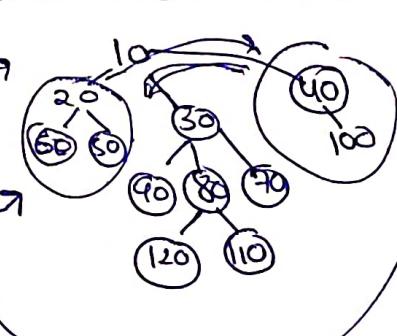
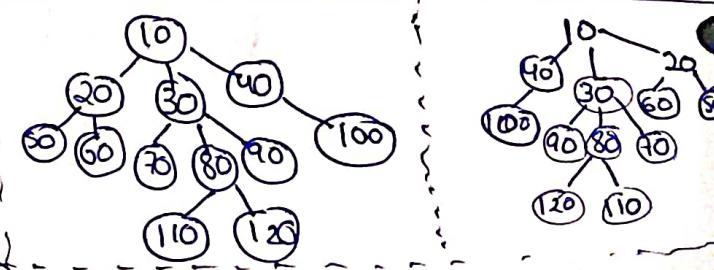
Error of a tree

```

public static void mirror(Node node){
    // write your code here
    // on mirror function i had a faith that this will give me the data to
    // a respective node.children to be reverse
    for(Node child: node.children)
    {
        mirror(child); // faith on every child to convert into its
                      // mirror
    }
    // to meet the faith from expectation we need to move all the
    // node.children with there family in the reverse order
}

```

Collections.reverse(node.children); // this function will entirely
change the whole node with there family in the reverse order



GRAPH

Has Path
 import java.io.*;
 import java.util.*;

```
public class Main {
    static class Edge {
        int src;
        int nbr;
        int wt;
    }

    Edge(int src, int nbr, int wt){
        this.src = src;
        this.nbr = nbr;
        this.wt = wt;
    }
}

public static void main(String[] args) throws
Exception {
    BufferedReader br = new
    BufferedReader(new
    InputStreamReader(System.in));

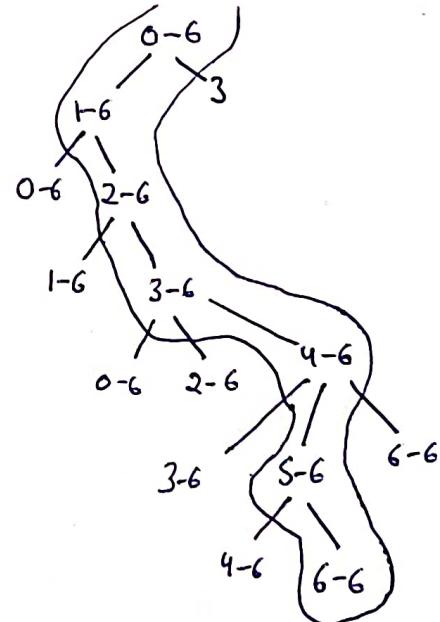
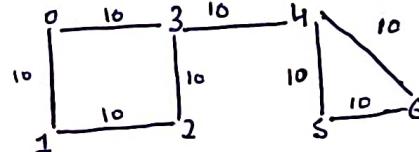
    int vtes = Integer.parseInt(br.readLine());
    ArrayList<Edge>[] graph = new
    ArrayList[vtes];
    for(int i = 0; i < vtes; i++){
        graph[i] = new ArrayList<>();
    }

    int edges = Integer.parseInt(br.readLine());
    for(int i = 0; i < edges; i++){
        String[] parts = br.readLine().split(" ");
        int v1 = Integer.parseInt(parts[0]);
        int v2 = Integer.parseInt(parts[1]);
        int wt = Integer.parseInt(parts[2]);
        graph[v1].add(new Edge(v1, v2, wt));
        graph[v2].add(new Edge(v2, v1, wt));
    }

    int src = Integer.parseInt(br.readLine()); // Source
    int dest = Integer.parseInt(br.readLine()); // destination
    boolean[] visited = new boolean[vtes]; // boolean array
    boolean res =
    hasPath(graph, src, dest, visited);
    System.out.println(res);
    // write your code here
}
```

```
public static boolean
hasPath(ArrayList<Edge>[] graph, int src, int
dest, boolean[] visited)

{
    if(src == dest)      // If src == dest
    {
        return true;
    }
    visited[src] = true; // else mark visited
    for(Edge edge : graph[src])
    {
        if(visited[edge.nbr] == false){
            boolean haspathnbr = hasPath(graph,
            edge.nbr, dest, visited); // find an nbr that it will give or tell
            if(haspathnbr == true)  // that they can't have path
            {
                return true;
            }
        }
    }
    return false;
}
```



```

Iterative Depth First Search
public static void
IterativeDepthFS(ArrayList<Edge>[] graph,int
src,boolean[] visited)
{
    Stack<Pair> st = new Stack<>();
    st.push(new Pair(src,src+""));
    while(st.size()!=0)
    {
        Pair rem = st.pop();
        if(visited[rem.v] == true)
        {
            continue;
        }
        visited[rem.v] = true;
        System.out.println(rem.v+"@"+rem.psf);
        for(Edge edge: graph[rem.v])
        {
            if(visited[edge.nbr] == false)
            {
                st.push(new
                Pair(edge.nbr,rem.psf+edge.nbr));
            }
        }
    }
}

```

DFS in ~~stack~~ first in LIFO order.
⇒ It is similar to the BFS
but here we use stack
instead of queue

How DFS is different from BFS

In DFS first we go down or reach to the deepest value in the tree or graph and the euler goes up.
where as in BFS it is more like level order of tree, it increases in a gradual manner like radius.

```

Get Connected component of Graph
public static void main(String[] args) throws
Exception {
    // same as the first main in the solution//
comps>ArrayList<ArrayList<Integer>> comps = new
ArrayList<>();

```

```

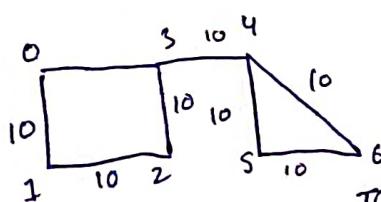
// write your code here
boolean[] visited = new boolean[vtces];
for(int v=0;v<vtces;v++) // we check every vertices
{
    if(visited[v] == false) // If the vertices are not visited
        then we makes a call
    {
        ArrayList<Integer> comp = new
        ArrayList<>();
        getallConnectedPair(graph,v,comp,visited);
        comps.add(comp);
    }
}
System.out.println(comps);
}

```

```

public static void
getallConnectedPair(ArrayList<Edge>[]
graph,int src,ArrayList<Integer> comp,boolean[]
visited)
{
    visited[src] = true;
    comp.add(src);
    for(Edge edge: graph[src])
    {
        if(visited[edge.nbr] == false)
        {
            getallConnectedPair(graph,edge.nbr,comp,visit
            ed);
        }
    }
}

```



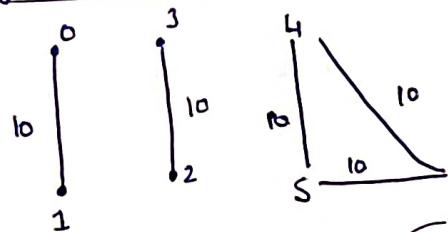
$\{[0,1,2,3,4,5,6]\}$

Is Graph is connected

```

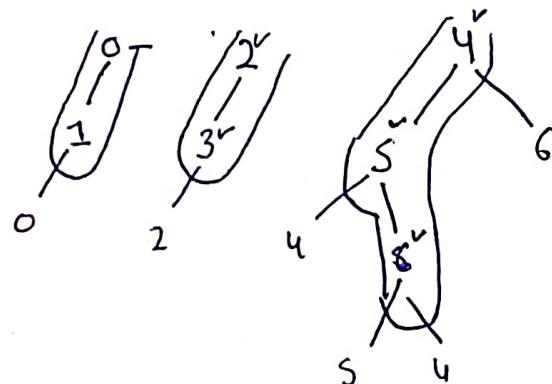
if(comps.size() == 1)
{
    System.out.println("true");
}
else
{
    System.out.println("false");
}

```



$\{[0,1], [3,2], [4,5,6]\} \rightarrow \text{comps}$

0 1 2 3 4 5 6

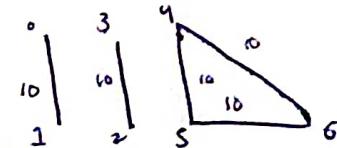


Is Graph connected :-

This question is almost equals to the get component of graph.

\Rightarrow If the graph is connected the arraylist of comps have only ~~one~~ one long comp component

\Rightarrow If the graph is not connected then it has more than one component like



$\{[0,1], [3,2], [4,5,6]\}$

We are required to find out how many people will get infected in time t, if the infection spreads to neighbour of infected person

SPread Of Infection in 1 unit of time

public static void

getcountofinfectedpeople(ArrayList<Edge>[] graph,int src,int t,boolean[] visited)

{

 ArrayDeque<Pair> queue = new ArrayDeque<>();

 queue.add(new Pair(src,src+"",0));
 int count = 0;

 while(queue.size()!=0)
{

 Pair rem = queue.removeFirst();
 if(visited[rem.v] == true)

 {
 continue;

 visited[rem.v] = true;
 if(rem.t > t)

 {
 break;

 count++;

 for(Edge edge: graph[rem.v])
{

 if(visited[edge.nbr] == false)

 {

 queue.add(new

 Pair(edge.nbr,rem.psf+edge.nbr,rem.t + 1));

 }

 }

 System.out.println(count);

}

DIJKSHTRA ALGORITHM

Shortest path in Weights (Dijkshtra Algorithm)

public static void

DijkstraAlgorithm(ArrayList<Edge>[] graph,int src,boolean[] visited)

{

 PriorityQueue<Pair> pq = new

PriorityQueue<>();

 pq.add(new Pair(src,src+"",0));

 while(pq.size()!=0)

{

 Pair rem = pq.remove();

 if(visited[rem.v] == true)

 {

 continue;

 }

 visited[rem.v] = true;

 System.out.println(rem.v+" via

" + rem.psf + " @ " + rem.wt);

 for(Edge edge: graph[rem.v])

{

 if(visited[edge.nbr] == false)

 {

 pq.add(new

 Pair(edge.nbr,rem.psf+edge.nbr,rem.wt+edge.

wt));

}

}

}

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}

You are required to generate the all moves of a knight starting in (row, col) such that the knight visits all cells of the board exactly once.

Hamiltonian and cycle

`if(visited.size() == graph.length-1) // why
graph.length-1 bcz in initializing the function we
pass the string psf as src+" " where as we pass
the visited as blank therefore psf is always in
lead with 1 with respect to visited`

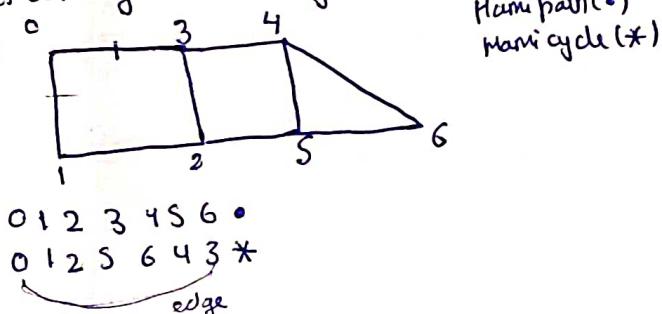
```

{
    boolean closingedge = false;
    for(Edge edge:graph[src]) // we check in
    {
        if(edge.nbr == osrc) // every nbr that
        {                      // we get any
            closingedge = true; // edge with
        }                      // original src.
    }

}
if(closingedge)
{
    System.out.println(psf+"*");
}
else
{
    System.out.println(psf+".");
}
return;
}

```

A Hamiltonian path is such which visits all vertices without visiting any twice.
A hamiltonian path become a cycle if there is an edge between first and last vertex.



0 3 4 6 5 2 1 *

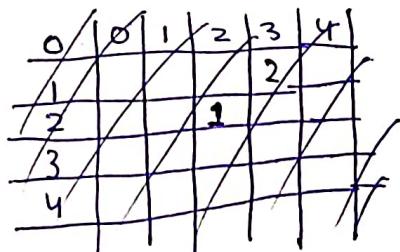
approach:- This question is very similar to print all path question. only difference we just need to check if there is any edge with source is yes then print * else .

Knight Tour

```

public static void printKnightsTour(int[][] chess,int r,int c,int move) {
    if(r<0 || c<0 || c>=chess.length ||
    r>=chess.length || chess[r][c]>0)
    {
        return; // ↳ visited once .
    }
    else if(move ==
    chess.length*chess.length)
    {
        chess[r][c] = move;
        displayBoard(chess);
        chess[r][c] = 0;
        return;
    }
    chess[r][c] = move;
    printKnightsTour(chess,r-2,c+1,move+1);
    printKnightsTour(chess,r-1,c+2,move+1);
    printKnightsTour(chess,r+1,c+2,move+1);
    printKnightsTour(chess,r+2,c+1,move+1);
    printKnightsTour(chess,r+2,c-1,move+1);
    printKnightsTour(chess,r+1,c-2,move+1);
    printKnightsTour(chess,r-1,c-2,move+1);
    printKnightsTour(chess,r-2,c-1,move+1);
    chess[r][c] = 0;
}

```



0	1	2	3	4
0	9		2	3
1	8		7	
2		6		4
3	7		5	
4		6	5	

Remove mark* work add*

→ Breadth First Search

```
public static void main(String[] args) throws Exception {
    BufferedReader br = new BufferedReader(new InputStreamReader(System.in));

    int vtces = Integer.parseInt(br.readLine());
    ArrayList<Edge>[] graph = new ArrayList[vtces];
    for (int i = 0; i < vtces; i++) {
        graph[i] = new ArrayList<>();
    }

    int edges = Integer.parseInt(br.readLine());
    for (int i = 0; i < edges; i++) {
        String[] parts = br.readLine().split(" ");
        int v1 = Integer.parseInt(parts[0]);
        int v2 = Integer.parseInt(parts[1]);
        graph[v1].add(new Edge(v1, v2));
        graph[v2].add(new Edge(v2, v1));
    }

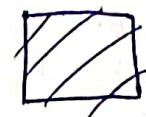
    int src = Integer.parseInt(br.readLine());
    boolean[] visited = new boolean[vtces];
    ArrayDeque<Pair> queue = new ArrayDeque<>();
    queue.add(new Pair(src, src+""));
    while(queue.size()!=0)
    {
        // remove mark* work add*
        Pair rem = queue.removeFirst();
        if(visited[rem.v] == true)
        {
            continue;
        }
        visited[rem.v] = true;
        System.out.println(rem.v+"@"+rem.psf);
        for(Edge edge: graph[rem.v])
        {
            if(visited[edge.nbr] == false)
            {
                queue.add(new
                    Pair(edge.nbr,rem.psf+edge.nbr));
            }
        }
    }
}
```



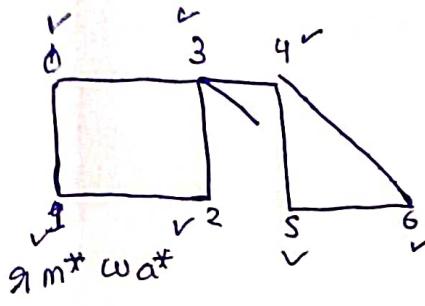
Is graph Cyclical

```
boolean[] visited = new boolean[vtces];
for(int v=0;v<vtces;v++)
{
    if(visited[v] == false)
    {
        //traversal
        boolean cycle =
ispair(graph,v,visited);
        if(cycle){
            System.out.println("true");
            return;
        }
    }
}
System.out.println("false");
// write your code here
}

public static boolean ispair(ArrayList<Edge>[]
graph,int src,boolean[] visited)
{
    ArrayDeque<Pair> queue = new
ArrayDeque<>();
    queue.add(new Pair(src,src+""));
    //remove mark* work add*
    while(queue.size()!=0)
    {
        Pair rem = queue.removeFirst();
        if(visited[rem.v] == true)
        {
            return true;
        }
        visited[rem.v] = true;
        for(Edge e : graph[rem.v])
        {
            if(visited[e.nbr] == false)
            {
                queue.add(new
                    Pair(e.nbr,rem.psf+e.nbr));
            }
        }
    }
    return false;
}
```



- Breadth first search expand in radius,
- Breadth first search is also equals to level order in tree.

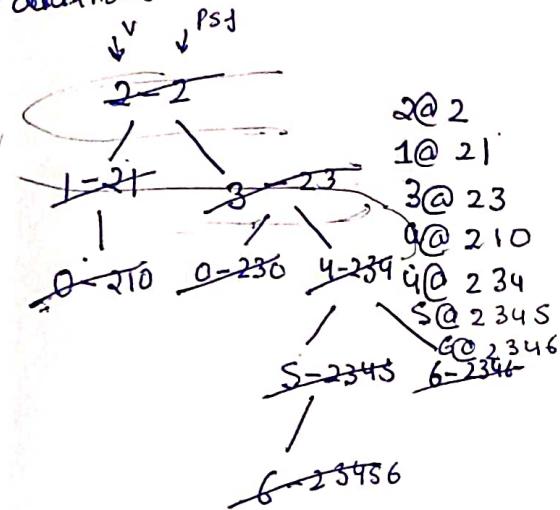


$g_1 = \text{remove}$

$\text{mark}^* = \text{mark those who are not visited}$

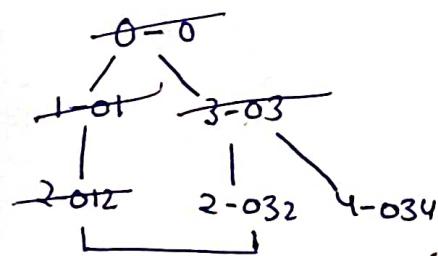
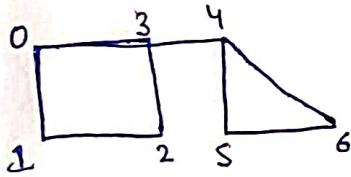
$w = \text{wank}$

$a^* = \text{add those who are not visited}$



Is graph is cyclic

We use BFS



2 is added two times that shows that get 2 is in the closed 2 from two path that means graph is cyclic.

✓ Is Graph is BiPartite
public static boolean
iscycleisbiPartite(ArrayList<Edge>[] graph, int
src, int[] visited)

```

    {
        ArrayDeque<Pair> queue = new
        ArrayDeque<>();
        queue.add(new Pair(src, src + "", 0));
        while(queue.size() != 0)
        {
            Pair rem = queue.removeFirst();
            if(visited[rem.v] != -1)
            {
                if(visited[rem.v] != rem.level)
                {
                    return false;
                }
            }
            else{
                visited[rem.v] = rem.level;
            }
            for(Edge edge: graph[rem.v])
            {
                if(visited[edge.nbr] == -1)
                queue.add(new
                Pair(edge.nbr, rem.psf + edge.nbr, rem.level + 1));
            }
        }
        return true;
    }
}

```

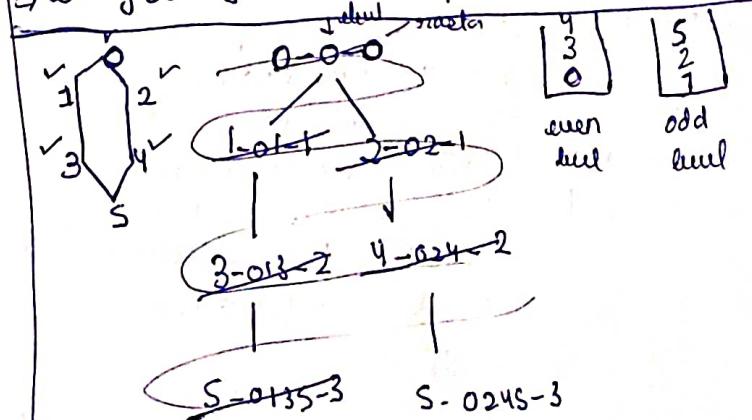
A graph is called bipartite if it is possible to split its vertices in two sets of mutually exclusive and exhaustive vertices such that all edges are across sets.

⇒ It is the extension of graph cycle

⇒ every non-cyclic graph is bipartite

⇒ If cycle is there then it should be even.

⇒ every odd cycle is not bipartite graph.



* You have to find in how many way can we select a pair of students such that both students are from different club.

Perfect Friend

```
boolean[][] visited = new boolean[n];
ArrayList<ArrayList<Integer>> comps =
new ArrayList<>();
for(int i=0;i<n;i++)
{
    if(visited[i] == false)
    {
        ArrayList<Integer> comp = new
        ArrayList<>();
        getallpathPair(graph,i,comp,visited);
        comps.add(comp);
    }
}
// System.out.println(comps);
int count = 0;
for(int i=0;i<comps.size();i++)
{
    for(int j = i+1;j<comps.size();j++)
    {
        int pair = comps.get(i).size() *
comps.get(j).size();
        count += pair;
    }
}
System.out.println(count);
```

```
public static void
getallpathPair(ArrayList<Edge>[] graph,int
src,ArrayList<Integer> comp,boolean[] visited)
```

```
{
    visited[src] = true;
    comp.add(src);
    for(Edge edge: graph[src])
    {
        if(visited[edge.n] == false)
        {
            getallpathPair(graph,edge.n,comp,visited);
        }
    }
}
```

} Hanay baray a gya hai ki
(0-1) ab club main and (2,3),(4,5,6)
are club hain. Now the ways

(0-1) C₁

(2-3) C₂

(4-5-6) C₃

we can select the clubs ² C₁ C₂ → 4 ways

→ C₁ C₃ → 6 ways

C₂ C₃ → 6 ways

Total ways = 16
pairs

Number of Island

```
{
    boolean[][] visited = new
    boolean[arr.length][arr[0].length];
    int count = 0;
    for(int i=0;i<arr.length;i++)
    {
        for(int j=0;j<arr[i].length;j++)
        {
            if(arr[i][j] == 0 && visited[i][j] == false)
            {
                getislandPair(arr,i,j,visited);
                count++;
            }
        }
    }
    System.out.println(count);
    // write your code here
}
public static void getislandPair(int[][] arr ,int
i,int j,boolean[][] visited)
{
    if(i<0 || j<0 || i>=arr.length || j>=arr[0].length
|| arr[i][j] == 1 || visited[i][j] == true)
    {
        return;
    }
    visited[i][j] = true;
    getislandPair(arr,i-1,j,visited);
    getislandPair(arr,i,j+1,visited);
    getislandPair(arr,i,j-1,visited);
    getislandPair(arr,i+1,j,visited);
}
```

0 are the island and 1 is water, we have to determine that how many islands are there in a 2d matrix.

now the simple approach is that we need to take care of visited one

- If Jha call laga rahan hain wo water toh nahi hain
- Or call marte water wo call board dey bahan na Jay.



PRIMS ALGORITHM

Minimum wire required to connect all vertices
(Prims algorithm)

```

public static void
PrimsAlgorithm(ArrayList<Edge>[] graph,int
src,boolean[] visited)
{
    PriorityQueue<Pair> pq = new
PriorityQueue<>();  $\begin{matrix} \text{src} \\ | \\ \downarrow \text{av} \end{matrix}$   $\nearrow \text{wt}$  .
pq.add(new Pair(src,-1,0));
while(pq.size()!=0)
{
    Pair rem = pq.remove();
    if(visited[rem.v] == true)
    {
        continue;
    }
    visited[rem.v] = true;
    if(rem.av!=-1)
        System.out.println("[ "+rem.v+"-
"+rem.av+"@"+rem.wt+"]");

    for(Edge edge: graph[rem.v])
    {
        if(visited[edge.nbr] == false)
        {
            pq.add(new
Pair(edge.nbr,rem.v,edge.wt));
        }
    }
}

```

In Prims algorithm we ~~are~~ keep track
the acquire vertex, and for the
first vertex we haven't print.

How dijkstra is different from Prims
In Dijkstra we add the ~~edge~~ weight of edge
and we add the path so far.

Order of compilation // DFS

```

boolean[] visited = new boolean[vtes];
Stack<Integer> st = new Stack<>();
for(int v=0;v<vtes;v++)
{
    if(visited[v] == false)
    {
        TopoLogicalSort(graph,v,visited,st);
    }
}
while(st.size()!=0)
{
    System.out.println(st.pop());
}
// write your code here
}

```

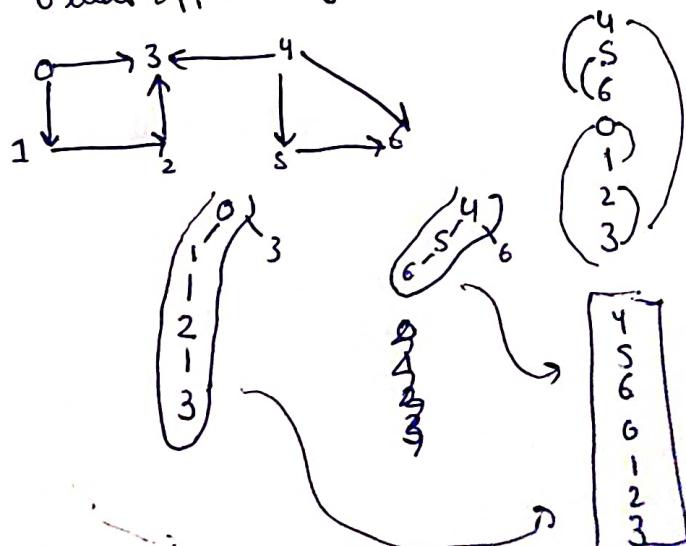
```

public static void
TopoLogicalSort(ArrayList<Edge>[] graph,int
src,boolean[] visited,Stack<Integer> st)
{
    visited[src] = true;
    for(Edge edge: graph[src])
    {
        if(visited[edge.nbr] == false)
        {
            TopoLogicalSort(graph,edge.nbr,visited,st);
        }
    }
    st.push(src);
}

```

\Rightarrow order of compilation is always in
reverse order of stack print.

\Rightarrow Topological sort: A permutation of vertices
for a directed acyclic graph is called
topological sort if for all directed edges UV ,
 U will appear before V in the graph.



Order Of Compilation (TOPOLOGICAL SORT)

\Rightarrow work in post order of the enter
stack used here for topological
sort to ~~to~~ satisfy the conditions.
but order of compilation is in reverse.

Multisolver

```
static String spath;
static Integer spathwt = Integer.MAX_VALUE;
static String lpath;
static Integer lpathwt = Integer.MIN_VALUE;
static String cpath;
static Integer cpathwt = Integer.MAX_VALUE;
static String fpath;
static Integer fpathwt = Integer.MIN_VALUE;
static PriorityQueue<Pair> pq = new
PriorityQueue<>();
public static void
multisolver(ArrayList<Edge>[] graph, int src, int
dest, boolean[] visited, int criteria, int k, String
psf, int wsf) {
    if(src == dest)
    {
        if(wsf < spathwt)
        {
            spathwt = wsf;
            spath = psf;
        }
        if(wsf > lpathwt)
        {
            lpathwt = wsf;
            lpath = psf;
        }
        if(wsf < criteria) // floor
        {
            if(wsf > fpathwt)
            {
                fpathwt = wsf;
                fpath = psf;
            }
        }
        if(wsf > criteria) // ceil
        {
            if(wsf < cpathwt)
            {
                cpathwt = wsf;
                cpath = psf;
            }
        }
        if(pq.size() < k) // Kth largest value.
        {
            pq.add(new Pair(wsf,psf));
        }
    }
}
```

```

    if(wsf > pq.peek().wsf) // If the incoming player
    {                                in greater than the
        pq.remove();                  top of priority
        pq.add(new Pair(wsf,psf));    then we remove
    }                                and add the
}                                new player.
return;
}
visited[src] = true;
for(Edge edge: graph[src])
{
    if(visited[edge.nbr] == false) // Only for those who
    {                                had not visited
        multisolver(graph,edge.nbr,dest,visited,criteria,k
,psf+edge.nbr,wsf+edge.wt);
    }
}
visited[src] = false; // This can be used when we want to
visit the destination from
all different paths.
```

* In this question we visit all paths

* Now will travelling we can able to find out minimum weight path, maximum weight path, ceil and floor of a particular criteria, and kth largest value.

ceil → smallest among larger values.
floor → largest among smallest values.

Now for the kth largest number
we used the approach of team selection.

team.

- first we add all the members till kth
- after that we check in team (Priority Queue) that →
- If incoming player have more value or is greater than the top of priority queue.
- then we remove and add new player
- approach is like the funnel if good the remove and add new.