CSC425 Week1 Practice

1.Set the working directory

```
setwd('~/Desktop')
```

2. library

```
library(fBasics)

## Loading required package: timeDate

## Loading required package: timeSeries

##

## Rmetrics Package fBasics

## Analysing Markets and calculating Basic Statistics

## Copyright (C) 2005-2014 Rmetrics Association Zurich

## Educational Software for Financial Engineering and Computational Science

## Rmetrics is free software and comes with ABSOLUTELY NO WARRANTY.

## https://www.rmetrics.org --- Mail to: info@rmetrics.org
```

3. import data

```
dat = read.table("ibm.txt", header = T)
head(dat)
##
        date
                   ibm
                           sprtn
## 1 19670331 0.048837 0.039410
## 2 19670428 0.100887 0.042239
## 3 19670531 -0.035234 -0.052441
## 4 19670630 0.067024 0.017512
## 5 19670731 0.020603 0.045344
## 6 19670831 -0.013589 -0.011715
#first two cols of the data
dat[1,]
##
        date
                  ibm
                        sprtn
## 1 19670331 0.048837 0.03941
```

4.Get IBM simpole returns

```
ibm = dat[,2]
head(ibm)
```

```
## [1] 0.048837 0.100887 -0.035234 0.067024 0.020603 -0.013589
```

5.Transform into log returns

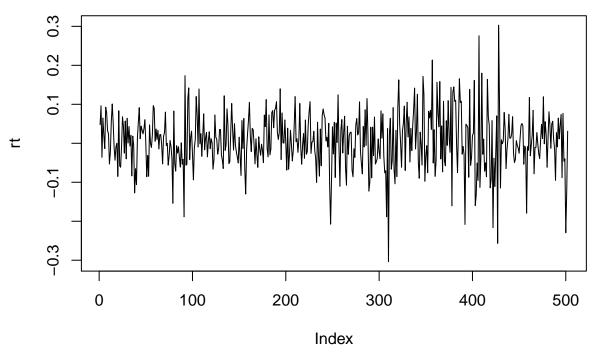
```
rt = log(ibm + 1)
head(rt)
```

[1] 0.04768193 0.09611622 -0.03586969 0.06487347 0.02039363 -0.01368218

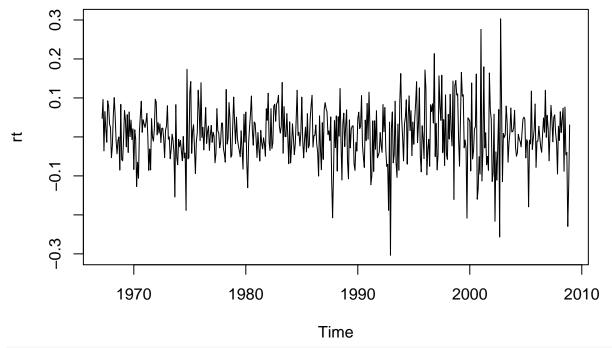
6.Plot

```
# Time plot of log returns with caption
plot(rt, type = 'l')
title(main = 'Time plot of monthly log returns of IBM stock from 1967,3 to 2008,12')
```

Time plot of monthly log returns of IBM stock from 1967,3 to 2008,1

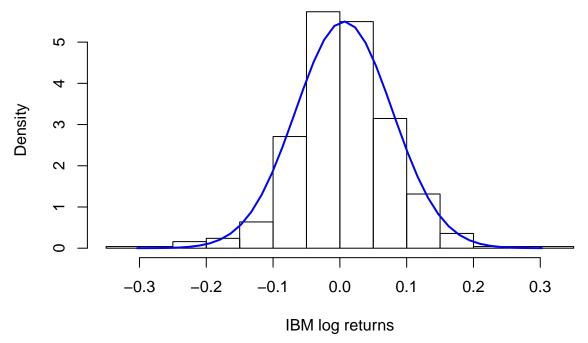


```
# Create Time Series object
rt = ts(rt, frequency = 12, start = c(1967, 3))
# Creates Time plot with time on X-axis
plot.ts(rt)
```



```
# Histogram of IBM returns
hist(rt, xlab = "IBM log returns", freq = FALSE, main = "Histogram")
xfit <- seq(min(rt), max(rt), length = 40)
yfit <- dnorm(xfit, mean = mean(rt), sd = sd(rt))
lines(xfit, yfit, col = "blue", lwd = 2)</pre>
```

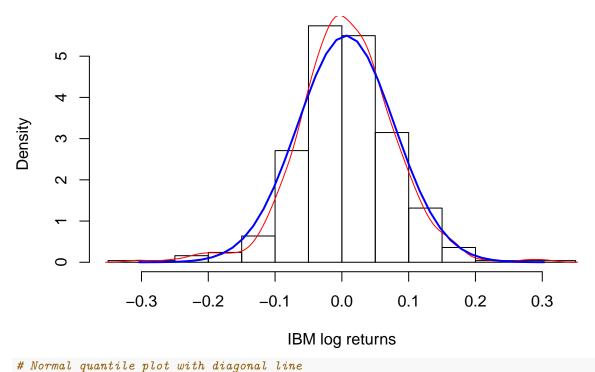
Histogram



Histogram with kernel density curve (approximated returns density)
hist(rt, xlab = "IBM log returns", freq = FALSE, main = "Histogram")

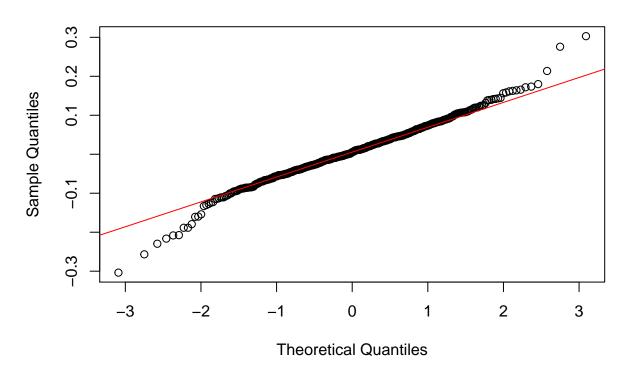
```
lines(density(rt), col = "red")
# Add normal density curve to the histogram if xfit and yfit are already defined
lines(xfit, yfit, col = "blue", lwd = 2)
```

Histogram



```
qqnorm(rt)
qqline(rt, col = 2)
```

Normal Q-Q Plot



7. Summary Statistics

Maximum

0.302915

```
# Compute sample mean
mean(rt)
## [1] 0.006208082
# Compute sample variance
var(rt)
## [1] 0.005258775
\# Compute standard deviation
stdev(rt)
## [1] 0.07251741
# Compute sample skewness
skewness(rt)
## [1] -0.1353432
## attr(,"method")
## [1] "moment"
# Compute basic statistics (better option)
basicStats(rt)
##
                       rt
               502.000000
## nobs
## NAs
                 0.000000
## Minimum
                -0.303683
```

```
## 1. Quartile -0.037641
## 3. Quartile 0.048443
               0.006208
## Mean
## Median
               0.005260
## Sum
                3.116457
## SE Mean
               0.003237
## LCL Mean -0.000151
## UCL Mean
               0.012567
## Variance
                0.005259
## Stdev
                 0.072517
## Skewness
                -0.135343
## Kurtosis
                1.693092
# Compute summary statistics
summary(rt)
##
               1st Qu.
                                              3rd Qu.
        Min.
                          Median
                                       Mean
                                                           Max.
## -0.303700 -0.037640 0.005260 0.006208 0.048440 0.302900
# Perfomr t-test for mean being zero.
t.test(rt)
##
##
  One Sample t-test
##
## data: rt
## t = 1.9181, df = 501, p-value = 0.05567
## alternative hypothesis: true mean is not equal to 0
## 95 percent confidence interval:
## -0.0001509194 0.0125670842
## sample estimates:
##
     mean of x
## 0.006208082
\#Perform\ one\mbox{-sided}\ test
t.test(rt, alternative = c("greater"))
##
## One Sample t-test
##
## data: rt
## t = 1.9181, df = 501, p-value = 0.02783
\ensuremath{\mbox{\#\#}} alternative hypothesis: true mean is greater than 0
## 95 percent confidence interval:
## 0.0008744697
## sample estimates:
    mean of x
## 0.006208082
8. Normality Test
# Perform Jarque-Bera normality test
normalTest(rt, method = c("jb"))
##
## Title:
```

```
## Jarque - Bera Normalality Test
##
## Test Results:
##
    STATISTIC:
##
       X-squared: 62.8363
##
    P VALUE:
##
       Asymptotic p Value: 2.265e-14
##
## Description:
## Thu Sep 14 17:10:19 2017 by user:
# Perform Shapiro-Wilk normality test
normalTest(rt, method = c("sw"))
##
## Title:
## Shapiro - Wilk Normality Test
##
## Test Results:
##
   STATISTIC:
##
      W: 0.9828
   P VALUE:
       1.172e-05
##
##
## Description:
## Thu Sep 14 17:10:19 2017 by user:
9.Skewness Test
s3 = skewness(rt)
T = length(rt)
tst = s3 / sqrt(6/T)
pv = 2 * pnorm(-abs(tst))
## [1] 0.2157246
## attr(,"method")
## [1] "moment"
10. Kurtosis (FAT-TAIL) TEST
k4 = kurtosis(rt)
tst = k4/sqrt(24/T)
pv = 2*pnorm(-abs(tst))
pν
## [1] 9.686087e-15
## attr(,"method")
## [1] "excess"
```