Make Interpretable Discrete Representation via Vector **Quantized-Variational AutoEncoder**

Anonymous ACL submission

Abstract

VAE, unsupervised. discrete representations, loss to distance vector quantization, reversible generator.

$$\mathcal{L}_{VAE}(\boldsymbol{\theta}_{G}, \boldsymbol{\theta}_{E}; \boldsymbol{x}) = - \mathbf{KL}(q_{E}(\boldsymbol{z}|\boldsymbol{x}) || p(\boldsymbol{z})) + \mathbb{E}_{q_{E}(\boldsymbol{z}|\boldsymbol{x})q_{D}(\boldsymbol{c}|\boldsymbol{x})} \left[\log p_{G}(\boldsymbol{x}|\boldsymbol{z}, \boldsymbol{c}) \right],$$
(6

Introduction

1

$D(\boldsymbol{x}) = q_D(\boldsymbol{c}|\boldsymbol{x}).$ (7)

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2 Model

VAE 2.1

$$\log q_{\Phi}(z|x^i) = \log \mathcal{N}(z; \mu^{(i)}, \sigma^{2(i)}I)$$
 (1)

$$\mathcal{L}_{Attr,c}(\boldsymbol{\theta}_G) = \mathbb{E}_{p(\boldsymbol{z})p(\boldsymbol{c})} \left[\log q_D(\boldsymbol{c}|\widetilde{G}_{\tau}(\boldsymbol{z},\boldsymbol{c})) \right].$$
 (8)

$$\mathcal{L}_{\mathbf{Attr},z}(\boldsymbol{\theta}_G) = \mathbb{E}_{p(\boldsymbol{z})p(\boldsymbol{c})} \left[\log q_E(\boldsymbol{z}|\widetilde{G}_{\tau}(\boldsymbol{z},\boldsymbol{c})) \right].$$
 (9)

$$L(\theta, \phi; x^{(i)}) \simeq \frac{1}{2} \sum_{j=1}^{J} \left(1 + \log((\sigma_j^{(i)})^2) - (\mu_j^{(i)})^2 - (\sigma_j^{(i)})^2 \right)$$

$$\min_{\boldsymbol{\theta}_G} \mathcal{L}_G = \mathcal{L}_{\text{VAE}} + \frac{1}{L} \sum_{l=1}^{L} \log p_{\boldsymbol{\theta}}(x^{(i)}|z^{(i,l)})$$
 2.2.2 Discriminator

where
$$z^{(i,l)} = \mu^{(i)} + \sigma^{(i)} \odot \epsilon^{(l)}$$
 and $\epsilon^{(l)} \sim \mathcal{N}(0,I)$

$$\min_{\boldsymbol{\theta}_G} \mathcal{L}_G = \mathcal{L}_{\text{VAE}} + \lambda_c \mathcal{L}_{\text{Attr},c} + \lambda_z \mathcal{L}_{\text{Attr},z}, \qquad (10)$$

$$\mathcal{L}_s(\boldsymbol{\theta}_D) = \mathbb{E}_{\mathcal{X}_L} \left[\log q_D(\boldsymbol{c}_L | \boldsymbol{x}_L) \right]. \tag{11}$$

Semi-supervised

$$\log p_{\theta}(\mathbf{x}) = -\log \int p_{\theta}(\mathbf{z}) p_{\theta}(\mathbf{x}|\mathbf{z}) d\mathbf{z}$$

$$\geq \mathbb{E}_{q_{\phi}(\mathbf{z}|\mathbf{x})} [\log p_{\theta}(\mathbf{x}|\mathbf{z})] - \mathbf{KL}(q_{\phi}(\mathbf{z}|\mathbf{x})||p_{\theta}(\mathbf{z})).$$

(13)

 $\min_{\boldsymbol{\theta}_D} \mathcal{L}_D = \mathcal{L}_s + \lambda_u \mathcal{L}_u.$

2.3 Neural Discrete Representation Learning

 $\mathcal{L}_{u}(\boldsymbol{\theta}_{D}) = \mathbb{E}_{p_{G}(\hat{\boldsymbol{x}}|\boldsymbol{z},\boldsymbol{c})p(\boldsymbol{z})p(\boldsymbol{c})} \big[\log q_{D}(\boldsymbol{c}|\hat{\boldsymbol{x}}) + \beta \mathcal{H}(q_{D}(\boldsymbol{c}'|\hat{\boldsymbol{x}})) \big],$

Toward Controlled Generation of Text

2.2.1 Generator

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$$\hat{\boldsymbol{x}} \sim G(\boldsymbol{z}, \boldsymbol{c}) = p_G(\hat{\boldsymbol{x}}|\boldsymbol{z}, \boldsymbol{c})$$

$$= \prod_t p(\hat{\boldsymbol{x}}_t|\hat{\boldsymbol{x}}^{
(3)$$

$$q(z = k|x) = \begin{cases} 1 & \text{for } \mathbf{k} = \operatorname{argmin}_{j} ||z_{e}(x) - e_{j}||_{2}, \\ 0 & \text{otherwise} \end{cases},$$
(14)

$$\hat{x}_t \sim \mathbf{softmax}(o_t/\tau),$$
 (4)

$$z_q(x) = e_k$$
, where $k = \operatorname{argmin}_j ||z_e(x) - e_j||_2$ (15)

$$\boldsymbol{z} \sim E(\boldsymbol{x}) = q_E(\boldsymbol{z}|\boldsymbol{x}).$$
 (5)

$$L = \log p(x|z_q(x)) + \|\mathbf{sg}[z_e(x)] - e\|_2^2 + \beta \|z_e(x) - \mathbf{sg}[e]\|_2^2,$$
(16)

Algorithm 1 Controlled Generation of Text

Require: A large corpus of unlabeled sentences $\mathcal{X} = \{x\}$ A few sentence attribute labels $\mathcal{X}_L = \{(x_L, c_L)\}$ Parameters: $\lambda_c, \lambda_z, \lambda_u, \beta$ – balancing parameters

1: Initialize the base VAE by minimizing Eq.(6) on \mathcal{X} with c sampled from prior p(c)

- 2: repeat
- 3: Train the discriminator D by Eq.(13)
- 4: Train the generator G and the encoder E by Eq.(10) and minimizing Eq.(6), respectively.
- 5: until convergence

Ensure: Sentence generator G conditioned on disentangled representation $(\boldsymbol{z},\boldsymbol{c})$

2.4 Soft-to-Hard Vector Quantization

$$\phi(z) := \mathbf{softmax}(-\sigma[\|z - c_1\|^2, \dots, \|z - c_L\|^2]) \in \mathbb{R}^L$$
(17)

$$\lim_{\sigma \to \infty} \phi_j(z) = \begin{cases} 1 & \text{if } j = \arg\min_{j' \in [L]} ||z - c_{j'}|| \\ 0 & \text{otherwise} \end{cases}$$
(18)

$$\tilde{Q}(z) := \sum_{j=1}^{L} c_j \phi_i(z) = C\phi(\mathbf{z}), \qquad (19)$$

$$\hat{Z} = D(E(Z)) = [\hat{Q}(z^{(1)}), \cdots, \hat{Q}(z^{(m)})]$$
$$= [\hat{\phi}(\mathbf{z}^{(1)}), \cdots, \hat{\phi}(\mathbf{z}^{(\mathbf{m})})].$$

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2.5 Wasserstein AutoEncoder

Theorem 1 For any function $G: \mathcal{Z} \rightarrow \mathcal{X}$ we have

$$\inf_{\Gamma \in \mathcal{P}(X \sim P_X, Y \sim P_G)} \mathbb{E}_{(X,Y) \sim \Gamma} \left[c(X,Y) \right] =$$

where Q_Z is the marginal distribution of Z when $X \sim P_X$ and $Z \sim Q(Z|X)$.

- 2.6 Visualization for Discrete
- 2.7 Gumbel-softmax?
- 2.8 RevNet

use fewer samples (update 2 times once)

- 2.9 Contributions
 - propose RVQVAE which
 - do experiments on
 - compare with soft-to-hard, extension to Wasswerstein like WAE
 - Visualization for discrete
 - Reversible??

3 Experiments

generation(VQVAE, small), attribute accurancy(), Samples

3.1 sentiment

IMDB, SST

3.2 question type

TREC

- 3.3 data augmentation, semi-supervised
- 3.4 compare to S-VAE
- 3.5 language model?
- 3.6 synthetic: LSTM?
- 3.7 prior
- 3.8 language model(WK2) & inputless +
 (latent=3*3) + Sample + condition
 generate(semi-supervise) + visualization
 + prior(something like style transfer)
- 3.9 soft-to-hard? how to map? (use model?) distance measurement?
- 3.10 probability? Wasserstein?
- 3.11 compare with soft-to-hard, Wasserstein !!
- 3.12 unsupervised conditional together
- 3.13 revertible generator(sequence)
- 3.14 discussion

compare with soft-to-hard

extend to Wasserstein(WAE)

combine reversible generator(fewer samples/epochs to convergence?)

References

Samuel R. Bowman, Luke Vilnis, Oriol Vinyals, Andrew M. Dai, Rafal Józefowicz, and Samy Bengio. 2015. Generating sentences from a continuous space. *CoRR* abs/1511.06349. http://arxiv.org/abs/1511.06349.

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Zhiting Hu, Zichao Yang, Xiaodan Liang, Ruslan Salakhutdinov, and Eric P. Xing. 2017. Controllable text generation. *CoRR* abs/1703.00955. http://arxiv.org/abs/1703.00955.

Aäron van den Oord, Oriol Vinyals, and Koray Kavukcuoglu. 2017. Neural discrete representation learning. *CoRR* abs/1711.00937. http://arxiv.org/abs/1711.00937.

Model	Standard		Inputless Decoder		
Wiodei	validation ppl	test ppl	validation ppl	test ppl	
RNNLM(with dropout=0.2)	122.26	118.49	682.76	642.71	
RVAE(w/o dropout)	152.13	144.47	171.53	157.83	
VQVAE(w/o dropout)	148.94	141.50	128.72	118.12	

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Table 1: Language Model Results on PTB.

Model	Standard		Inputless Decoder		
Wodel	validation ppl	test ppl	validation ppl	test ppl	
RNNLM(with dropout=0.2)	128.43	122.80	993.59	934.34	
RVAE(w/o dropout)	229.47	207.51	88.35??	79.48??	
VQVAE(w/o dropout)	132.17	118.90	208.78	189.48	

Table 2: Language Model Results on WK2. Need check?or omit?

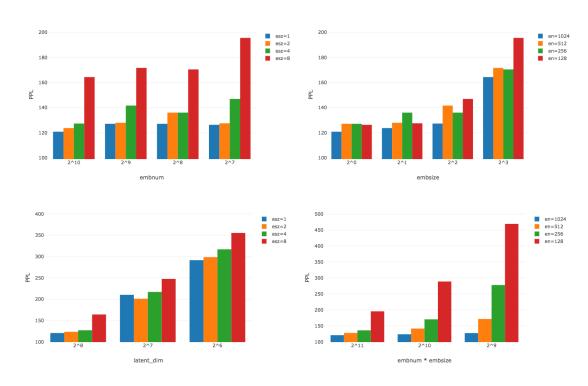


Figure 1: Latent comparisions.

latentdim = latent1 * latent2 * embsize, embnum

http://arxiv.org/abs/1702.08139.

Table 3: Different latent size. Maybe figure is better?

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Samples(Various) (Inputless)

Table 4: Samples.

(van den Oord et al., 2017) (Bowman et al., 2015) (Yang et al., 2017) (Hu et al., 2017) (?)

appendix

Zichao Yang, Zhiting Hu, Ruslan Salakhutdinov, and Taylor Berg-Kirkpatrick. 2017. Improved variational autoencoders for text modeling using dilated convolutions. *CoRR* abs/1702.08139.

single	the food was good but the service was horrible.	1
single		1
all in order	the food was good, but the service was terrible.	1
permutations-rand	came here for the first time last night.	1
random	food was good, service was a little slow,	1
reduce any	food was very good, service was fast and friendly.	1
absolutely single	1	11

Table 5: Samples via different ways.

VISUAL RESULTS (unsupervised)

Figure 2: Visualizations of learned latent representations.

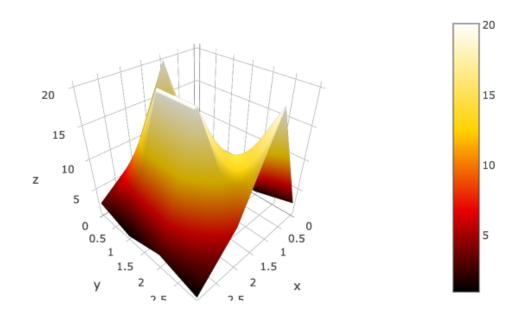


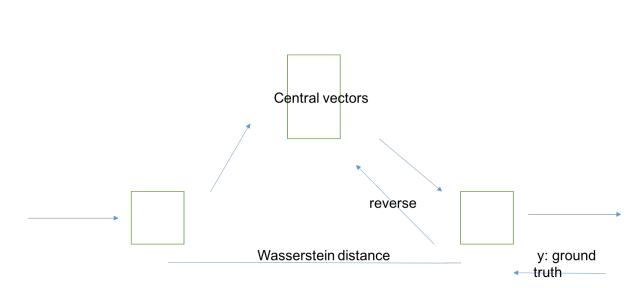
Figure 3: Latent visualizationss.

Model	Length		Diversity	
Model	bos	rand	bos	rand
single	3.82	6.86	1	11
all in order	2.0	4.43	1	11
permutations-rand	3.82?	6.84?	1	11
random	4.57	6.73	1	11
single absolutely	1	11	1	11

Table 6: sample length comparisions.(capability of store information) NOT NEED BEAM-SEARCH?

Semi-supervised Results

Table 7: Semi-supervised Results.



R-VQVAE ARCHITECTURE: 1 VAE + 2 DISCRETE REPRESENTATIONS

Figure 4: R-VQVAE

PRIOR COMPARISION

Figure 5: Prior comparision

Prior
i thought the movie was too bland and too much

i guess the movie is too bland and too much

i guess the film will have been too bland

this was one of the outstanding thrillers of the last decade this is one of the outstanding thrillers of the all time this will be one of the great thrillers of the all time Table 8: Each triple of sentences is [origin, VQVAE, VQVAE on prior].