- Residual

 $e_1 = y_1 - \hat{y}_1 = y_2 - wtx_1$ 

 $e = \begin{bmatrix} e_1 \\ e_2 \end{bmatrix}$ 

= \frac{1}{2} \fra

< X-Xw

e= /- Xw

- Residual Sum of Squares (RSS)]

- ete

 $\sum_{i=1}^{N} e_{i}^{2} = \sum_{i=1}^{N} (y_{i} - w x_{i})^{2} = e^{T} e = (y - Xw)^{T} (y - Xw)$ 

Practice Try to prove the below equations are some with distributive bun

 $(Y-Xw)^{T}(y-Xw)=Y^{T}y-w^{T}X^{T}y-y^{T}Xw+w^{T}X^{T}Xw$ 

(y-x~) [y-x~)

 $= \left( y^{\top} u^{\top} X^{\top} \right) \left( y - \chi_{u} \right) = y^{\top} y - u^{\top} X^{\top} y - y^{\top} \chi_{u} + u^{\top} X^{\top} X u$