Advanced Bayesian Phylogenetics: Recombination

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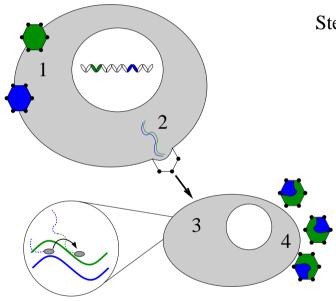
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Genomic Reassortment in HIV

Dual infection can lead to inter-subtype recombination:



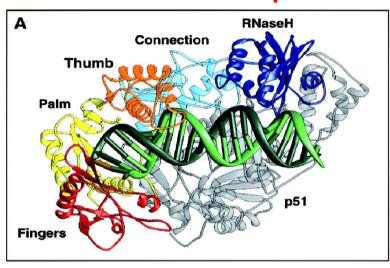
Steps in HIV Sex:

- 1. Co–infection of host cell by two different HIV subtypes
- 2. Co-packing of two different HIV RNAs into a single viron
- 3. Strand jumping during reverse transcription in newly infected host
- 4. Release of recombinant virus

- Originally believed rare
- Now suspected as major contributor to genetic diversity
- Clinical implications of intra-host recombination

Mechanisms and Hot-Spots?

Reverse Transcriptase



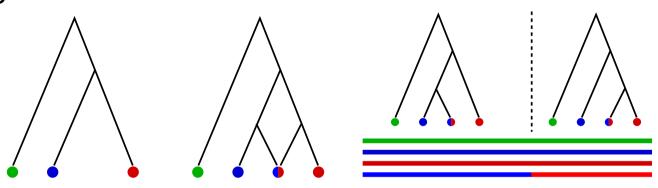
 Probability of strand-slippage/jumping may be function of genomic 1° or 2° structure

Clinical Relevance of Hot-Spots

- In vivo evidence
- In vitro recomb. rates
 50× greater in env
 than gag
- Development of multiple drug resistance (Kitchen et al., 2006)
- Drug choice

Phylogenetic Recombination Detection

Recombination ⇒ genomic break-points with incongruent topologies:

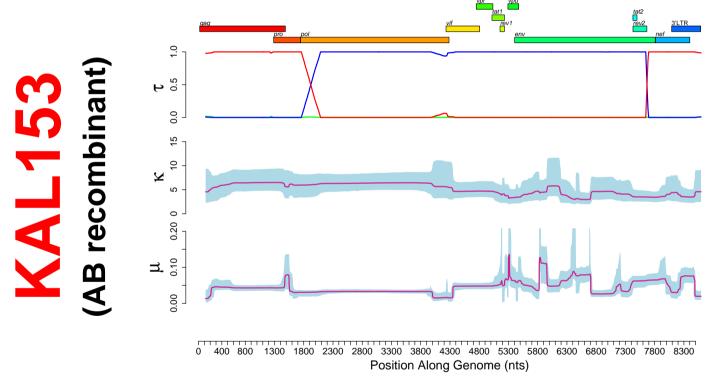




Map break-point locations:

- Hidden Markov models (Husmeier et al., 2003, 2005)
- Multiple change-point models (Suchard, Minin et al., 2002, 2003, 2005)

Dual Multiple Change-Point Process

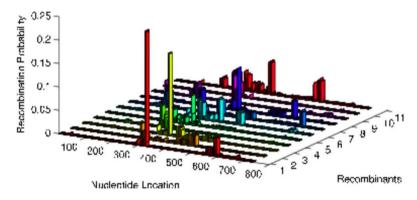


- Separate break-points and rate change-points
- Uncertainty on number and locations of break-points
- Variable dimensional model ⇒ reversible jump MCMC

Putative A/G Inter-Subtype Recombinants

Data:

- 42 unrelated (hopefully) recombinants from LANL
- Of African origins
- Same subtypes to maximize power



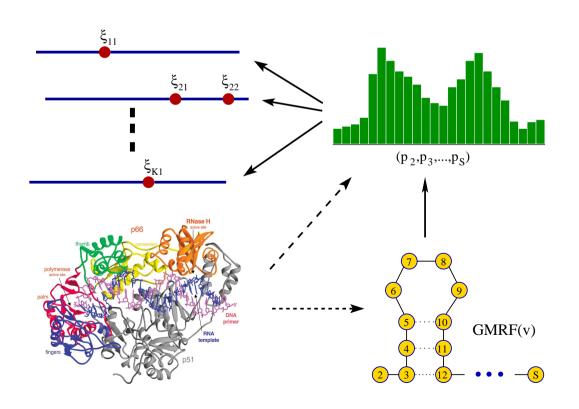
Subset of independent analyses

How to **pool** information?

- Sparse "observations" (# break-points << seq. length)
- Neighboring sites should have similar probabilities

Joint Analysis via Gaussian Markov Random Fields

A GMRF to smooth and estimate population-level recombination log-odds (probabilities):



Normally distributed vector

$$\mathbf{x} \sim \mathcal{N}(\boldsymbol{\nu}, \mathbf{Q}^{-1})$$

is a GMRF wrt graph $\mathcal{G}=(\mathcal{V},\mathcal{E})$ when $\mathbf{Q}>0$ and $Q_{ij}\neq 0$ iff $(i,j)\in\mathcal{E}$

- Q can be huge, but very sparse
- Fast numerical methods available, make the approach feasible (Rue et al., 2001, 2004)

GMRF as an Improper Prior

Field (population-level log-odds) γ :

$$m{\gamma}|\omega \sim \mathcal{N}(\prime, ilde{f Q}^{-1}), ext{ where } ilde{f Q}^{-1} = f Q + \epsilon f I$$

Impropriety: 1^{st} -order random-walk field defined on differences. Baseline $\propto 1$. Normally, not a problem (Sun, 1999).

- Think of break-points as "success counts" $\mathbf{C} = (C_1, \dots, C_S)$ in binomial trials
- What if $C_s = 0$ or $C_s = 42$ for all s?

Prior: Random-walk precision $\omega \sim \Gamma(\cdot, \cdot)$. Express prior belief via $p_i/p_j \leq 7$ -fold (Bernardinelli, 1995; Moumen, 2001)

Non-linearly Constrained GMRFs

The number of break-points $M \sim \text{approximately Poisson}(\delta)$ with $\delta = \sum_{s=1}^{S} p_s$ (le Cam, 1960) for each recombinant.

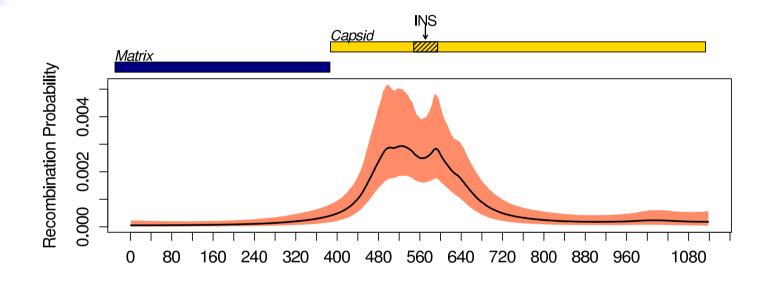
Aim: $Pr(M > 0) \approx 1 - e^{\delta} = c = 0.5$.

Problem: Sum-of-p constraint is non-linear in the field (γ) :

$$\sum_{s=1}^{S} \frac{e^{\gamma_s}}{1 + e^{\gamma_s}} = -\ln(1 - c) \tag{1}$$

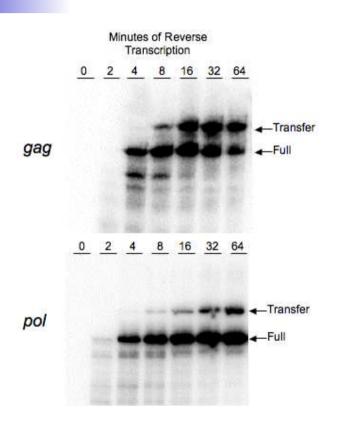
Solution: Linearize constraint via Taylor expansion about arbitrary point \mathbf{v} , then constraint \Rightarrow "re-centering" proposal γ^* from unconstrained GMRF. How to choose \mathbf{v} ?

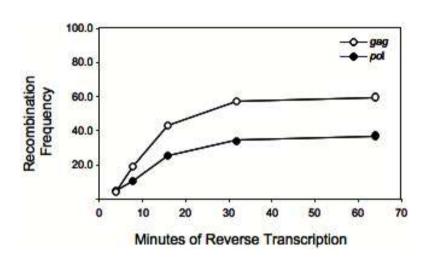
Hot-Spot in gag Gene



- Spatial association with an instability element (INS). INSs are motifs involved in post-transcriptional regulation of gene expression
- In vivo confirmation of hot-spot in the works

Preliminary *in vitro* Strand Transfer Assay





 Results support gag hot-spot. First de novo elucidation of HIV recombination mechanism with computational methods?