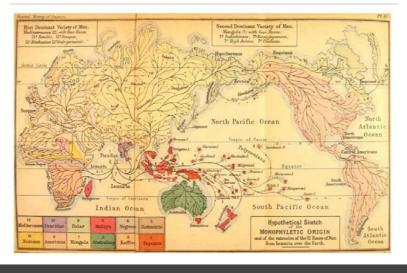
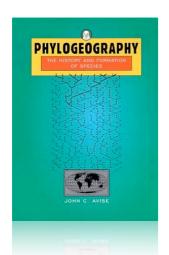


Philippe Lemey & Marc Suchard

# Lemuria and Darwin's origin of species



# Phylogeography



"a field of study concerned with the principles and processes governing the geographic distribution of genealogical lineages, especially those within and among closely related species."

Avise, 2000

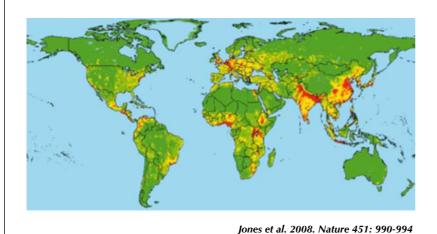
# Phylogeography

### Why bother?

Phylogeographic methods provide a means of examining the history of genetic exchange among populations, with the potential to distinguish biogeographic patterns of genetic variation caused by gene flow from those caused by common ancestry.



# Epidemiology: emerging diseases go global



phylosemina

# Phylogeographic inference

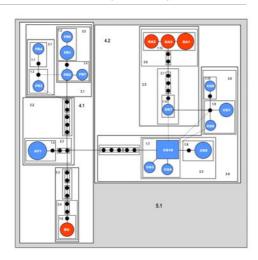
"Three roads diverged?"



# Phylogeographic inference (road I)

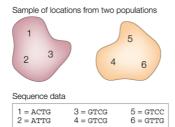
Nested clade phylogeographic analysis (NCPA)





### Nested Clade Phylogeographic Analysis

- 1. make a haplotype tree
- 2. test whether there is a relationship between 'nested clades' and geography
- 3. Use inference key to find out the most likely explanation:
  - vicariance
  - · isolation by distance
  - range expansion







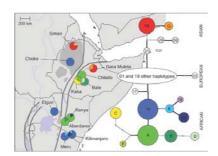
Inference key: http://darwin.uvigo.es/download/geodisKey\_28Apr09.pdf

Software: http://darwin.uvigo.es/software/geodis.html

### Nested Clade Phylogeographic Analysis

### Pro NCPA:

 first attempt to provide an exploratory method of phylogeography



### Nested Clade Phylogeographic Analysis

#### Con NCPA:

- Lack of statistical rigor: "...NCPA does not assess error in its inferences about historical processes or contemporary gene flow..." (Knowles and Maddison, 2002)
- One study showed incorrect historical processes were inferred by NCPA in over 75% of the simulated datasets (Panchal and Beaumont 2007)
- Better alternative: Model-based inference in phylogeography (Nielsen and Beaumont, 2009; Beaumont et al 2010)

### NCPA Pro and Con

The controversy has been battled out in the literature...

COMMENTARY

NEWS AND VIEWS

### WHY DOES A METHOD THA TO BE USED? THE ANSWER REPLY

Department of Biology Campus Box 1137, Washington University, St. L.

Email: temple\_a@wustLedu

MADVA DO

In defence of model-based inference in

Department of Biology, Campus Box 1137, Washington University, St. Louis, MO 63130

Coherent and incoherent and human evolution

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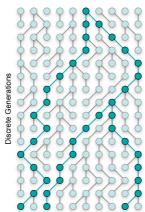
Department of Biology, Washington University, St. Louis, MO 63130

Department of Biology

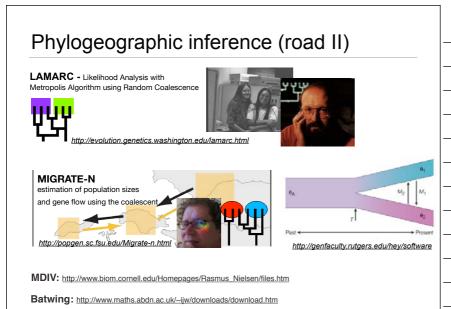
# Phylogeographic inference (

### Coalescent theory:

- is a statistical framework for the analysis of genetic polymorphism data
- is an extension of classical population-genetics theory and models
- one can estimate time (number of generations) for lineages to coalesce
- many applications (including migration analysis)



(road II)	

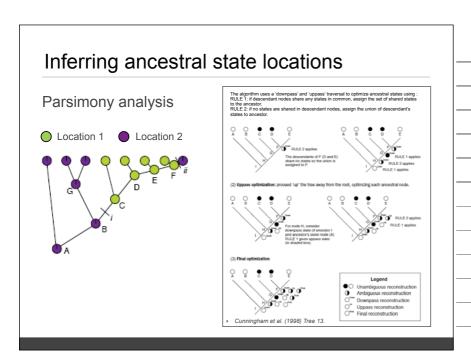


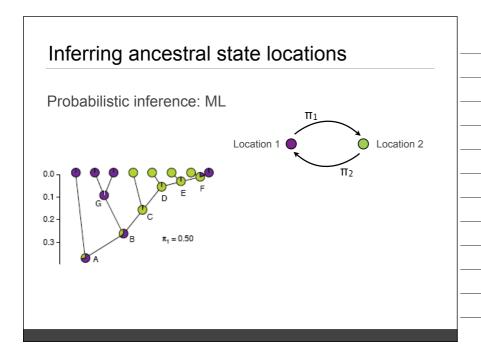
# Viral phylogeography 60°N 30°N 0° 30°S 60°S 180°W °E 180°W

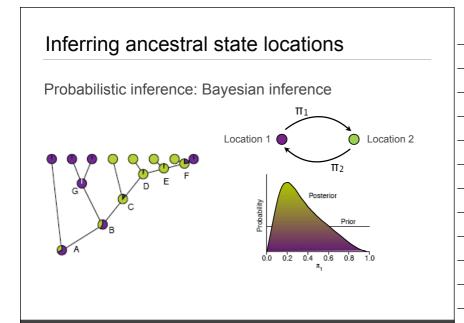
# Understanding the evolutionary history of human viruses, along with the factors that have shaped their spatial distributions, is one of the most active areas of study in the field of microbial evolution. Eddie Holmes, Ann Rev Microbiol 2008

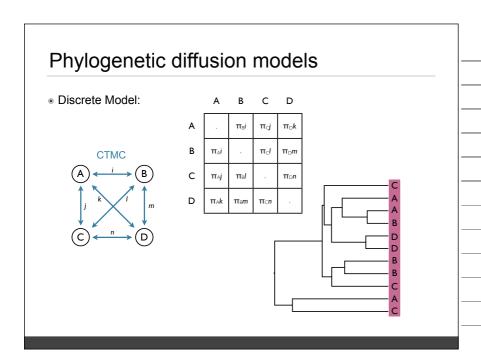
Phylogeographic patterns in RNA viruses

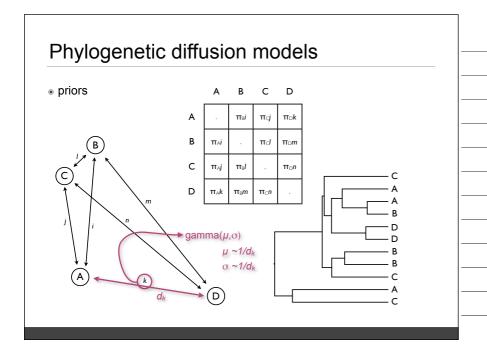
# Viral phylogeography a Pol Figure Figure











### Bayesian stochastic search variable selection

• linear regression:

$$X_1,...,X_p$$

potential predictors

$$Y = [X_1,...,X_P] \beta + \varepsilon$$

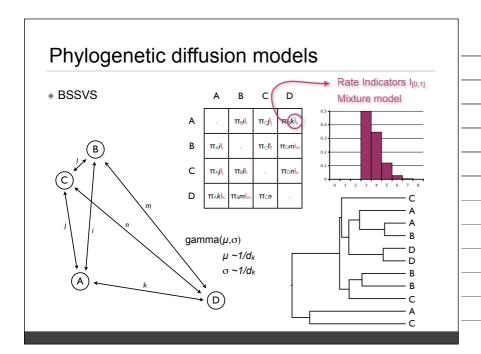
N-dimensional outcome variable Y

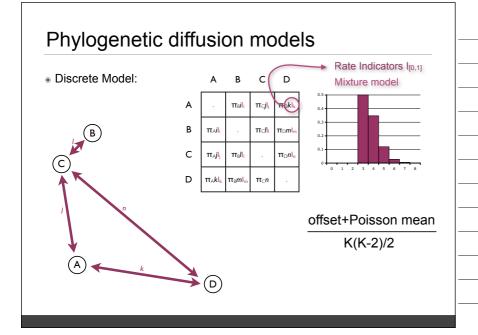
$$\beta_p$$
 for  $p = 1,...,P \neq 0$ 

$$\longrightarrow$$
 X<sub>P</sub> helps predicting Y

Optimal set of predictors?

- BSSVS:
  - 1. augment model-state space with 0,1-indicators  $(\delta_1,...,\delta_P)$  impose prior  $p(\beta)$  with mean = 0, var  $\approx PxP$  matrix
  - 2. Explore joint state space  $(\delta, \beta)$  using MCMC



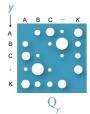


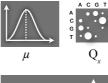
### Implementation

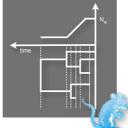
- Given sequence data (Dx) that is temporally and geographically (D<sub>Y</sub>) spaced estimate true values of:
  - → substitution parameters (μ and Q)
  - + ancestral genealogy (g =  $E_g$ ,  $t_y$ ) tree topology

dates of divergence

- ightharpoonup population history ( $\theta$ )
- discrete location states







· Bayesian inference

 $\mathsf{P}(g,\mu,\theta,\mathsf{Q}_{x},\mathsf{Q}_{y}|\mathsf{D}_{x},\mathsf{D}_{y}) = \frac{1}{7} \mathsf{Pr}\{\mathsf{D}_{x}|g,\mu,\mathsf{Q}| \mathsf{Pr}\{\mathsf{D}_{y}|g,\mathsf{Q}_{y}\}f_{g}(g|\theta)f_{\mu}(\mu)f_{g}(\theta)f_{\varsigma}(\mathsf{Q}_{x})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma}(\mathsf{Q}_{y})f_{\varsigma$ 

### Bayesian phylogeographic reconstruction

- Advantages:
  - √ a discretized diffusion proce with standard models for se
  - √ incorporates branch length
  - √ handles rapid and unequal
  - √ accommodates uncertainty
  - √ accommodates uncertainty
  - √ no need to fix Markov mode
  - √ geography-based priors and
  - √ time-measured diffusion an

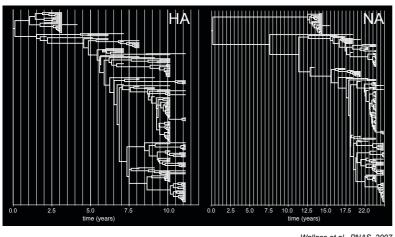
### H5N1 'bird flu'

- Wild fowl act as natural asym
- first HPAI outbreak in Guangdong, China in 1996
- 'Bird flu' outbreak in Hong Kong in 1997
- the A/goose/Guangdong/ 1/96 (Gs/GD) virus lineage has become the longest recorded HPAI virus to remain endemic in poultry



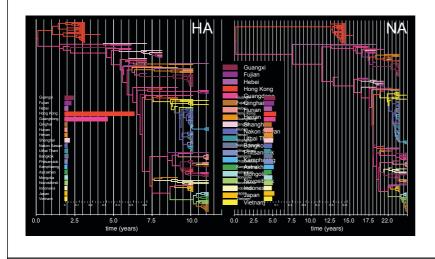
ess that we can fit simultaneously equence evolution	
differences	
rates of state exchange	
in the diffusion process	
in the unknown phylogeny	
el to obtain ancestral states	
d BSSVS	
d demography co-estimation	
ptomatic carriers	
promote odinore	

# Influenza A H5N1



Wallace et al., PNAS, 2007

# Influenza A H5N1: discrete model

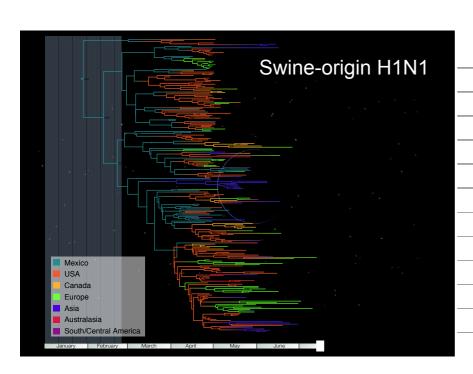


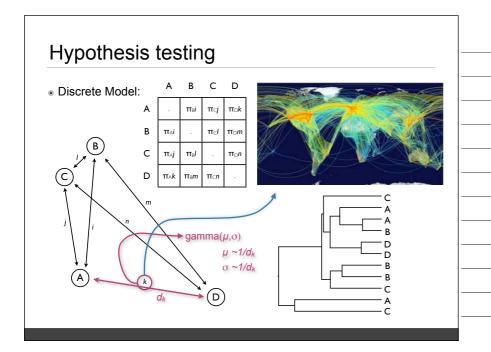
# Influenza A H5N1: BSSVS



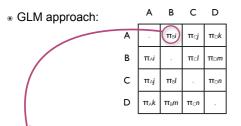
A Bayes factor test to identify epidemiological linkage







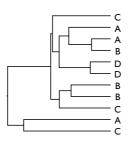
### Hypothesis testing



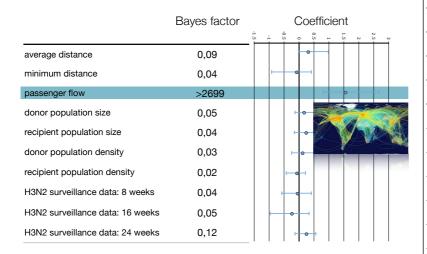
 $\log \lambda_{AB} = \delta_{\log P_1} \beta_{\log P_1} \log P_{1AB} + \delta_{\log P_2} \beta_{\log P_2} \log P_{2AB} + \dots + \delta_{\log P_n} \beta_{\log P_n} \log P_{nAB}$ 

Potential predictors for rate of diffusion:

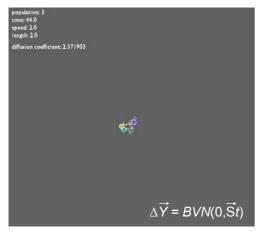
$$P_{1}, P_{2}, ...$$



### Hypothesis testing



### Continuous phylogenetic diffusion



$$\overrightarrow{Y} = (Y_{lat}, Y_{long})$$

$$\overrightarrow{Y}_{tip} = (Y_1, ..., Y_N)$$

$$\overrightarrow{Y}_{internal} = (\overrightarrow{Y}_{N+1}, ..., \overrightarrow{Y}_{2N-2})$$

$$\overrightarrow{Y}_{root}$$

$$\overrightarrow{Y}_{i}$$

$$\overrightarrow{Y}_$$

# Implementation

- Given sequence data (D<sub>X</sub>) that is temporally *and* geographically (D<sub>Y</sub>) spaced estimate true values of:
  - substitution parameters ( $\mu$  and  $Q_{\nu}$ )
  - ancestral genealogy (g =  $E_g$ ,  $t_y$ ) tree topology

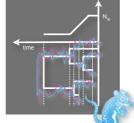
dates of divergence

- population history (θ)
- · continuous location traits

 $\Delta \overrightarrow{Y} = BVN(0, \overrightarrow{St})$ 







· Bayesian inference

 $P(g,\mu,\theta,Q_x,S|D_x,D_y) = \frac{1}{Z} Pr\{D_x|g,\mu,Q_x\} Pr\{D_y|g,S\} f_g(g|\theta) f_\mu(\mu) f_\theta(\theta) f_q(Q_x) f_S(S) f_\mu(Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{out},Y_{o$ 

# A random rabies walk through time and space





### A relaxed random walk

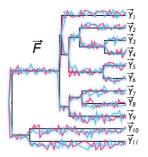
$$\vec{Y} = (Y_{lat}, Y_{long})$$

$$\vec{Y}_{tip} = (\vec{Y}_{1}, ..., \vec{Y}_{N})$$

$$\vec{Y}_{internal} = (\vec{Y}_{N+1}, ..., \vec{Y}_{2N-2})$$

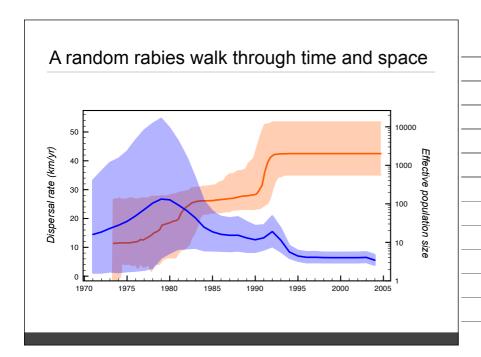
$$\vec{Y}_{root}$$

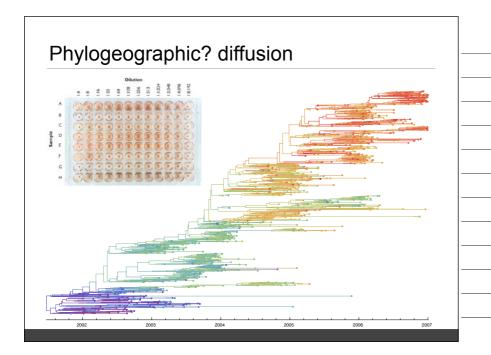
$$\Delta \vec{Y} = BVN(0, \vec{S}t)$$



Instantaneous diffusion rate  $\sim 1/\sigma^2$ 

Drummond et al., 2006  $1/\sigma^2 \times \phi_b$  where b is a branch in  $\vec{F}$ 





# Acknowledgements

- Marc Suchard, University of California
- Andrew Rambaut, University of Edinburgh
- Alexei Drummond, University of Auckland
- John Welch, University of Edinburgh
- Beth Shapiro, Penn State University
- Eric Bloomquist, The Ohio State University

#### Influenza A

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- Christian Thiemann, Northwestern University
- FWO
- Marsden Grant

