$\psi(\alpha, 1) = R_{\alpha, 1} H\, Sn\, 0$

$\psi(10, 0, 2) \; \Gamma_0 = \lim \alpha : \varphi(\alpha, 0)$

$= H[R_{\alpha,1} H\, Sn\, 0]\, 0$

$\varepsilon_0 = \varphi(1, 0)$

$= \Sigma[[H[R_{1,1} \ldots]\, 0]]] \, H\, Sn\, 0.$

$\varepsilon_0^{\varepsilon_0} \ldots$

$\varepsilon_0 \ldots = \varepsilon_1 = \varphi(1, 1) \quad = R_1^1 H\, Sn\, 0$

$\Gamma_0^{\Gamma_0}$

$= \varphi(1, 0, 1)$

$R_1^1 H\, Sn (R_1^1 H\, Sn\, 0) = \Gamma_0 \times 2$

$H(R_1^1 H\, Sn\, 0)\, 0 = \Gamma_0 \times \omega$

$+1_0$

$R_1^1 H (R_1^1 H\, Sn)\, 0 = \Gamma_0^2$

$H\, Sn (H(R_1^1 H\, Sn)\, 0) = \Gamma_0 \times \omega + 1$

$H\, Sn (H(R_1^1 H\, Sn)\, 0) = \Gamma_0 \times \omega + \omega = \Gamma_0 \times (\omega + 1)$

$H(R_1^1 H)\, Sn\, 0 = \Gamma_0^{\omega}$

$R_1^1 H (R_1^1 H)\, Sn\, 0 = \Gamma_0^{\Gamma_0}$

$R_1 (R_1^1 H)\, Sn\, 0 = \Gamma_0^{\Gamma_0^{\Gamma_0}} = \varphi(1, 0, 1)$

$R_1 (R_1 (R_1^1 H))\, Sn\, 0 = \varphi(1, 0, 2)$

$H R_1 (R_1^1 H)\, Sn\, 0 = \varphi(1, 0, \omega)$

$R_1^1 (R_1^1 H)\, Sn\, 0 = \varphi(2, 0, 0)$

$H R_1^1 H\, Sn\, 0 = \varphi(\omega, 0, 0)$

$Sn\, 0 = \varphi(1)$

$H\, Sn\, 0 = \varphi(1)$

$R_1 H\, Sn\, 0 = \varphi(1, 0) = \varepsilon_0$

$R_1^1 H\, Sn\, 0 = \varphi(1, 0, 0)$

$R_1 H R_1^1 H\, Sn\, 0 = \ldots$

$R_1 H R_1^1 H \ldots = \varphi(\ldots)$

$R_2 R_1^1 H\, Sn\, 0 = SVO ?$

$= R_2^1 R_1^1 H\, Sn\, 0 = R_{2,1}^1 H\, Sn\, 0 ?$

$= H[R_{1,1,1}^1 H\, Sn\, 0]\, 0 = \varphi(1, 0, \ldots)$

$= [[[H[R_{1,1}^1 H\, Sn\, 0] \ldots]]] H\, Sn\, 0$

$= R_1^2 H\, Sn\, 0$

$R_1^{\omega} H\, Sn\, 0 = SVO$

$R_1^{\Omega} H\, Sn\, 0 = LVO$

$= R_1^{1,0} H\, Sn\, 0 = R_1^{1:1} H\, Sn$

$H[R_1^{1:1} H\, Sn\, 0]\, 0 = BHO ?$

$R_1^{\omega:1} H\, Sn\, 0 = BHO$

$= R_1^{\omega:1:1} H\, Sn\, 0 ?$