

$$\text{Next } \alpha = H[w'](\alpha+1)$$

$$[0] h \alpha = H[h'0](\alpha+1)$$

$$[1] h g \alpha = H[h'g0](\alpha+1)$$

$$[2] h g f \alpha = H[h'g f 0](\alpha+1)$$

$$r_0 = [1][0] \text{ Next } w$$

$$= H[[0]' \text{Next } 0](wH)$$

$$= \lim_{w \rightarrow \infty} wH$$

$$[0]^{wH} \text{ Next } 0 = \lim_{w \rightarrow \infty} \text{Next } 0 \rightarrow \mathcal{Z}_0$$

$$[0] \text{ Next } 0 = \mathcal{Z}_0$$

$$[0]^2 \text{ Next } 0 = [0]([0] \text{ Next } 0)$$

$$= H([0] \text{ Next } 0)' 0 \cdot 1$$

$$= \lim 1$$

$$[0] \text{ Next } 0 = \mathcal{Z}_0$$

$$([0] \text{ Next } 0)^{\mathcal{Z}_0} 0$$

$$= \lim 0$$

$$[0] \text{ Next } 0 = \mathcal{Z}_0$$

$$[0] \text{ Next } ([0] \text{ Next } 0) = [0] \text{ Next } \mathcal{Z}_0$$

$$= H[\text{Next}' 0](\mathcal{Z}_0 H)$$

$$= \lim \mathcal{Z}_0 H$$

$$= \lim 0$$

$$\text{Next } 0 = \mathcal{E}_0$$

$$\text{Next}$$

$$= \mathcal{E}_0 = \mathcal{Z}_0$$

$$\rightarrow \rightarrow \rightarrow \mathcal{Z}_0$$

$$[0]^{\mathcal{Z}_0} \text{ Next } 0 ?$$