Data Structures and Algorithms : Maximum Satisfaction Homework 2
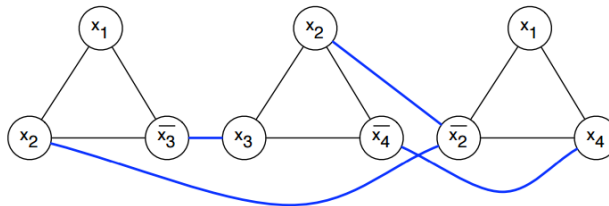
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Introduction

The goal of this project is to develop a Las Vegas type algorithm that maximizes the number of satisfied clauses in a Boolean formula of conjunctive nominal form (CNF).

$$(x_1 \vee x_2 \vee \overline{x_3}) \wedge (x_2 \vee x_3 \vee \overline{x_4}) \wedge (x_1 \vee \overline{x_2} \vee x_4)$$

Requierements

This project was written in **Julia 1.7.0**, it uses the standard packages as well as the ***Plots*** package which you will need to install as follows :

```
1  julia
2  using Pkg
3  Pkg.add("Plots")
```

The entire source code of this project is available via this GitHub repository. This algorithm has been tested on the instances of the 3SAT problem available via this link.

Expected results

According to the different theorems seen in the course, MORE

Experimental results

At each instance the number of variables and clauses varies as well as the number of files in each instance. The graphs below show for each number of variables and each number of clauses the averages obtained by the algorithm on all the files of this instance.
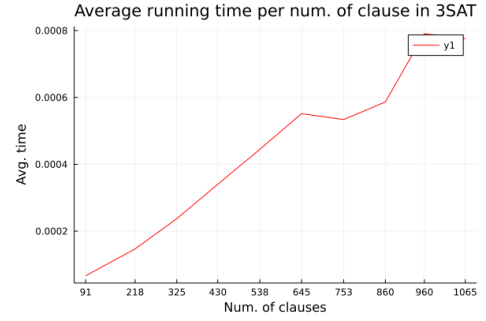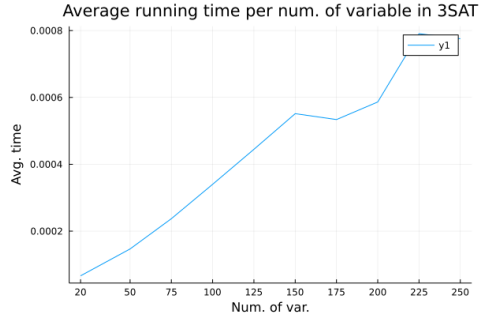
We can easily notice that the more the number of variables (and thus of clauses) increases in the formula, the longer the time taken by the algorithm to find a solution that satisfies $7/8$ of the clauses.
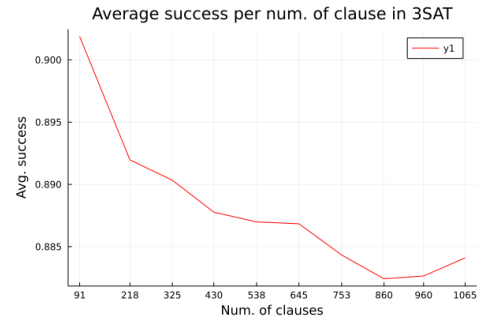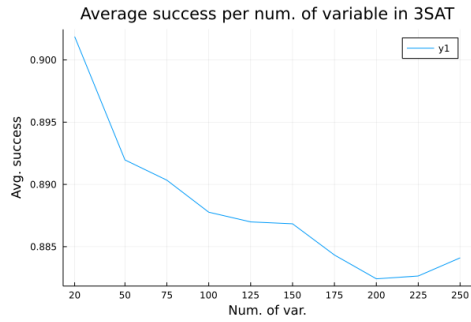
In the same way, the more the number of variables (and clauses) increases, the more the success will decrease. By success, we mean the ratio between the number of satisfied clauses and the total number of clauses.
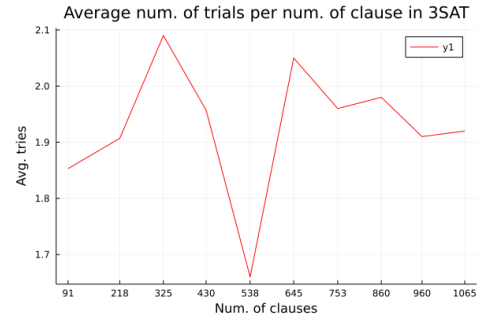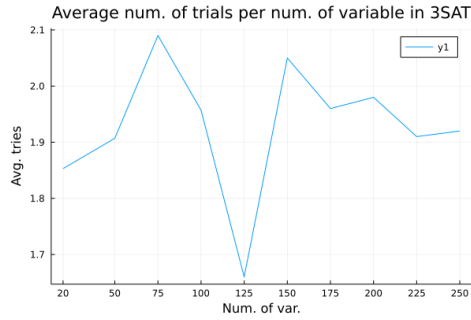
Finally, by number of trials we mean the number of times the algorithm will have to reassign random truth values to obtain a solution where $7/8$ clauses are satisfied. We notice here that this number varies on average between 1.66 and 2.1.

Conclusion