Clarifications from previous class

Revercible:

Equivalent to:

P = SD where S is symmetric and D is diagonal.

For HKY85:

$$\frac{P}{\phi_{A}} = \begin{pmatrix} * & \phi_{C} & \gamma \phi_{C} & \phi_{T} \\ \phi_{A} & * & \phi_{G} & \gamma \phi_{T} \\ \gamma \phi_{A} & \phi_{C} & * & \phi_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * \end{pmatrix} = \begin{pmatrix} * & 1 & \gamma_{T} & \phi_{A} & 0 & 0 & 0 \\ 1 & * & 1 & \gamma_{T} & \phi_{A} & 0 & 0 & 0 \\ \gamma & 1 & * & 1 & \gamma_{T} & \phi_{C} & 0 & 0 & 0 \\ \gamma & 1 & \gamma_{T} & 1 & \gamma_{T} & \gamma_{T} & \phi_{C} & 0 & 0 & 0 \\ \gamma & \gamma & 1 & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} & \gamma_{T} & \gamma_{T} & \gamma_{T} & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} & \gamma_{T} & \gamma_{T} & \gamma_{T} & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} & \gamma_{T} & \gamma_{T} & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} & \gamma_{T} & \gamma_{T} & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} & \gamma_{T} & \gamma_{T} & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} & \gamma_{T} & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} & \gamma_{T} & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} & \gamma_{T} & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} & \gamma_{T} & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & \gamma_{T} \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & * \\ \phi_{A} & \gamma \phi_{C} & \phi_{O} & \gamma_{C} \\ \phi_{A} & \gamma \phi_{C} & \phi_{C} & \gamma_{C} \\ \phi_{C} & \gamma \phi_{C} & \gamma_{C} \\ \phi_{C} & \gamma \phi_{C} & \gamma_{C} \\ \phi_{C} & \gamma_{C} &$$

Where do we get the unknown model paramotors? These are 17, \$\phi_A, \Phi_c, \Phi_c^2\$.

We fit them by maximum likelihood!

Pr (sequences ltree, x, \$\phi_A, \$\phi_c, \$\phi_a)

How do we know how many parameters to include (e.g., determine optimal model complexity)?