

Comprehensive *in situ* constraints on LPO fabric of fast-spreading oceanic lithosphere from seismic anisotropy

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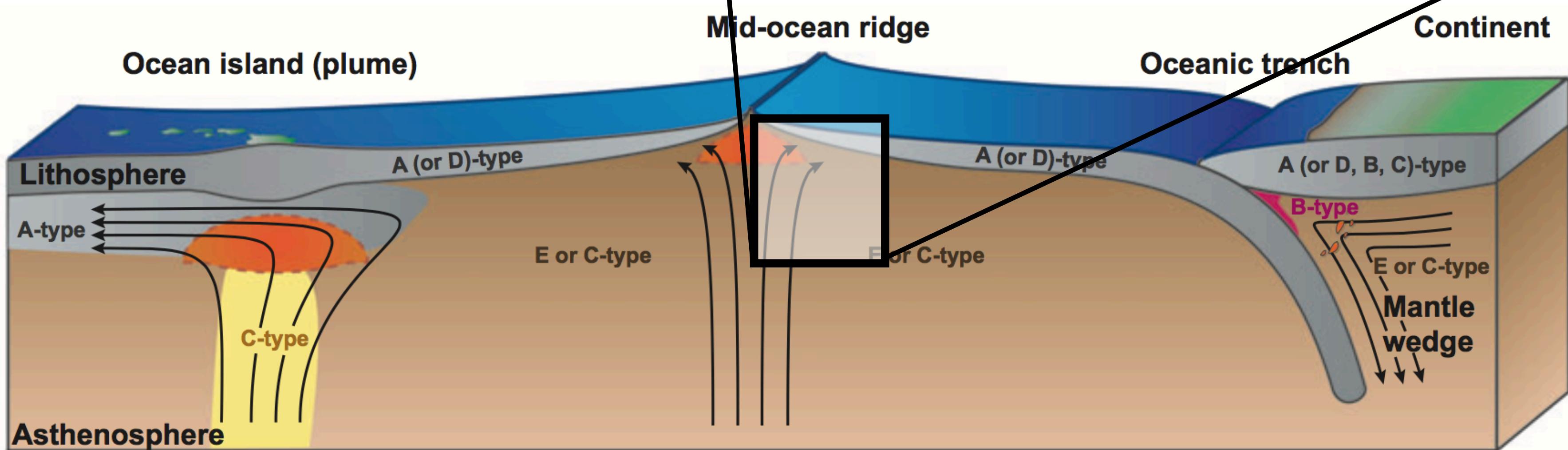
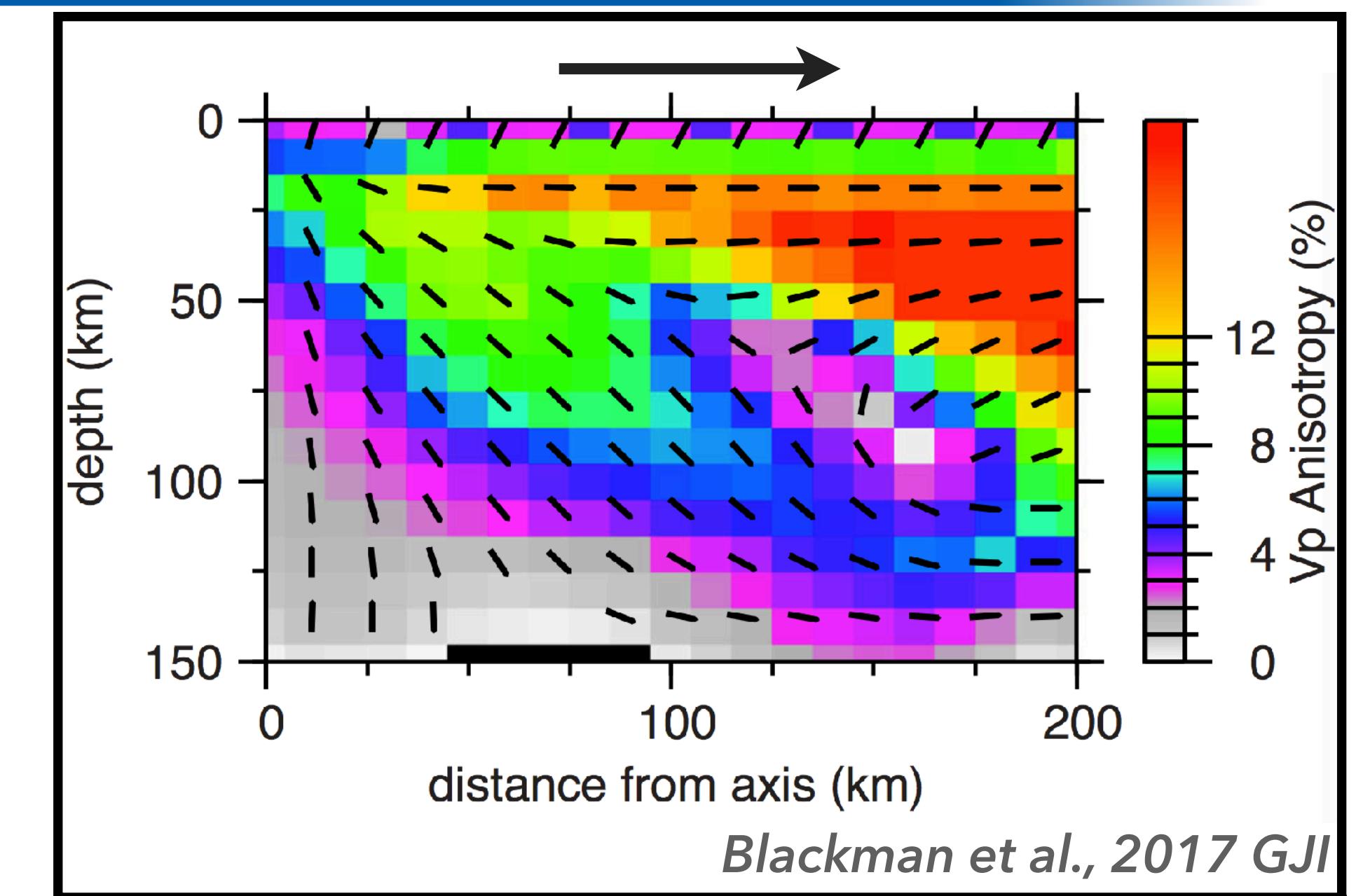


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Motivation

Geodynamic models simulate LPO fabric formation and evolution at mid-ocean ridge

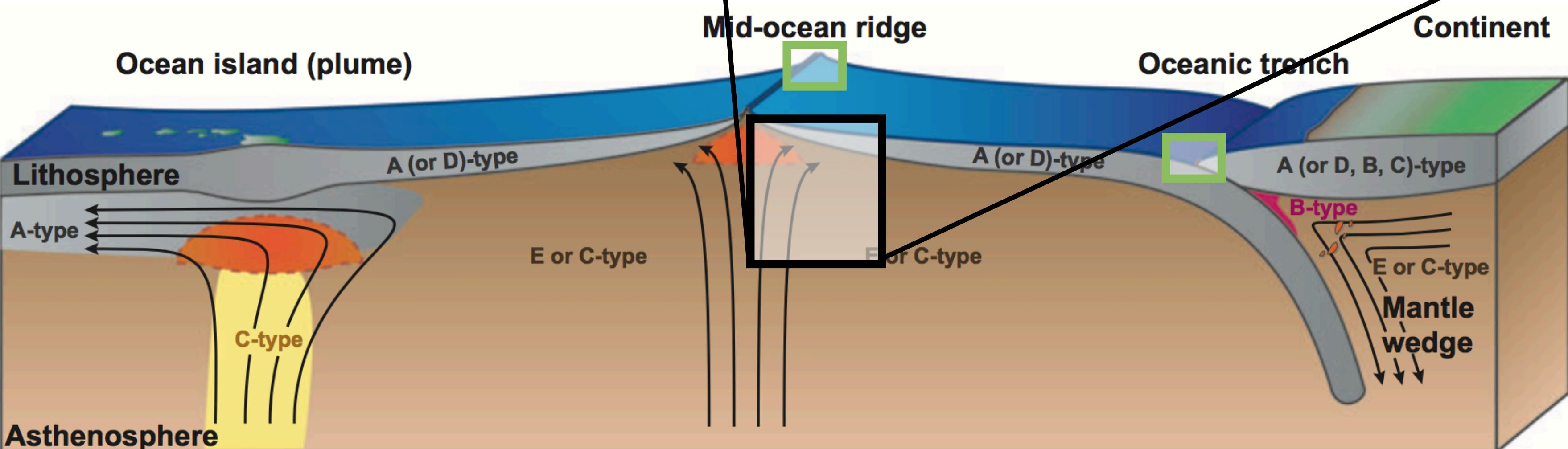
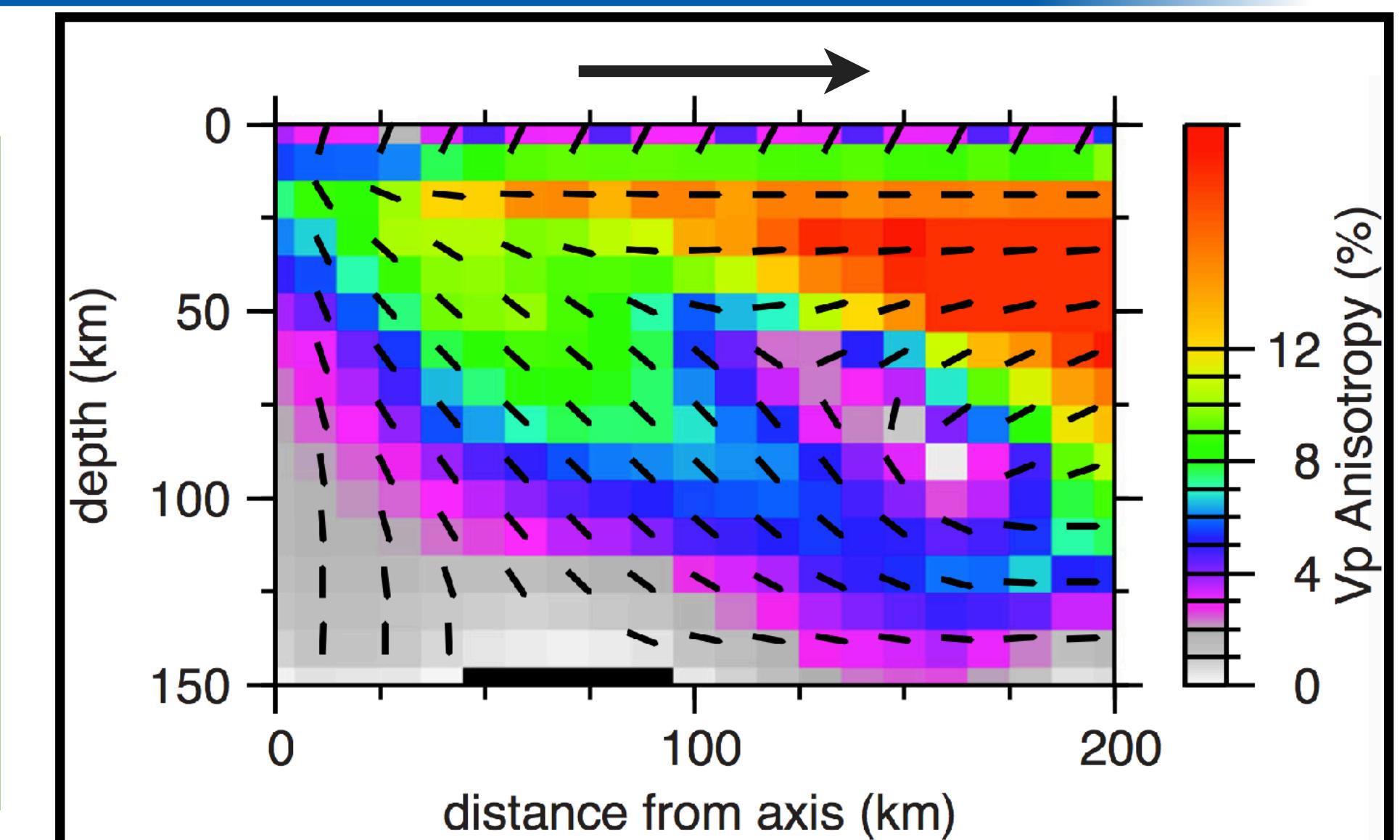
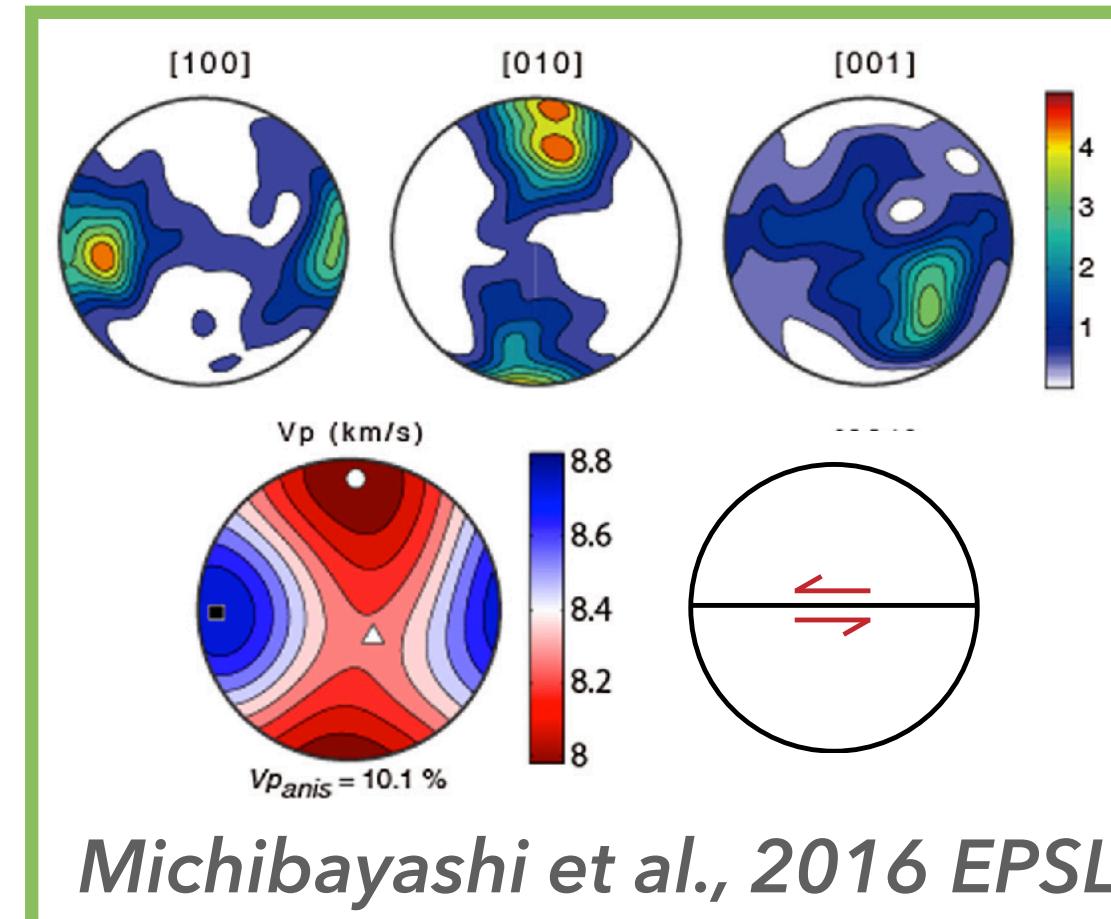


Motivation

Geodynamic models simulate LPO fabric formation and evolution at mid-ocean ridge

Observations:

- ▶ Hand-sample peridotite fabrics
- ▶ 10^{-3} - 10^2 m length scale

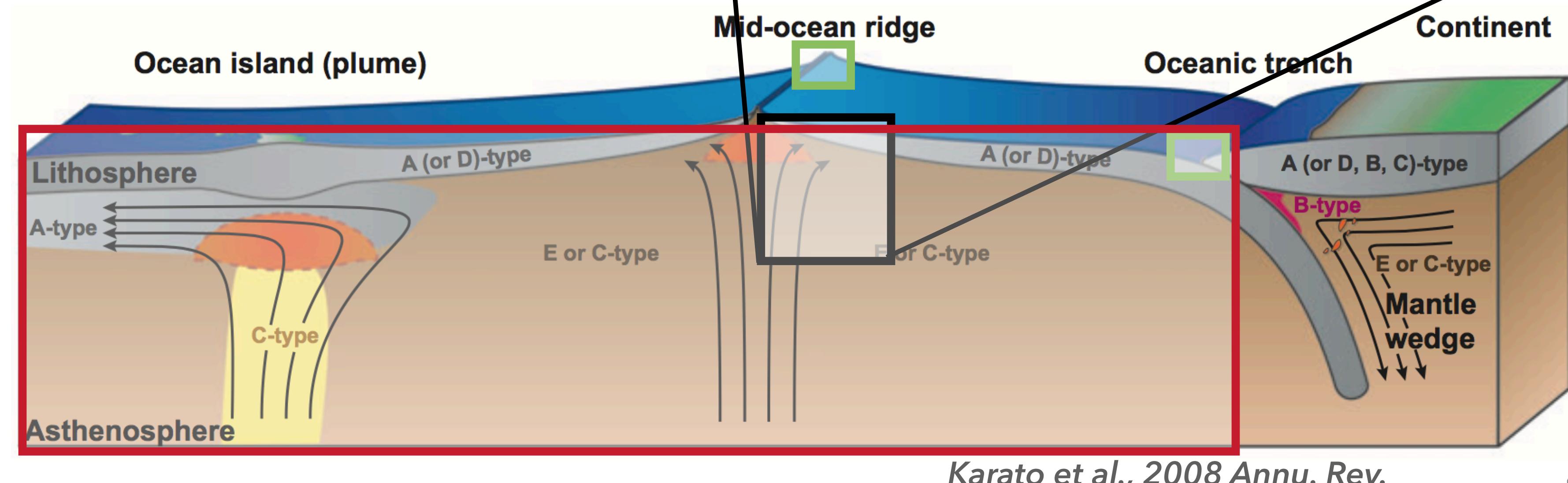
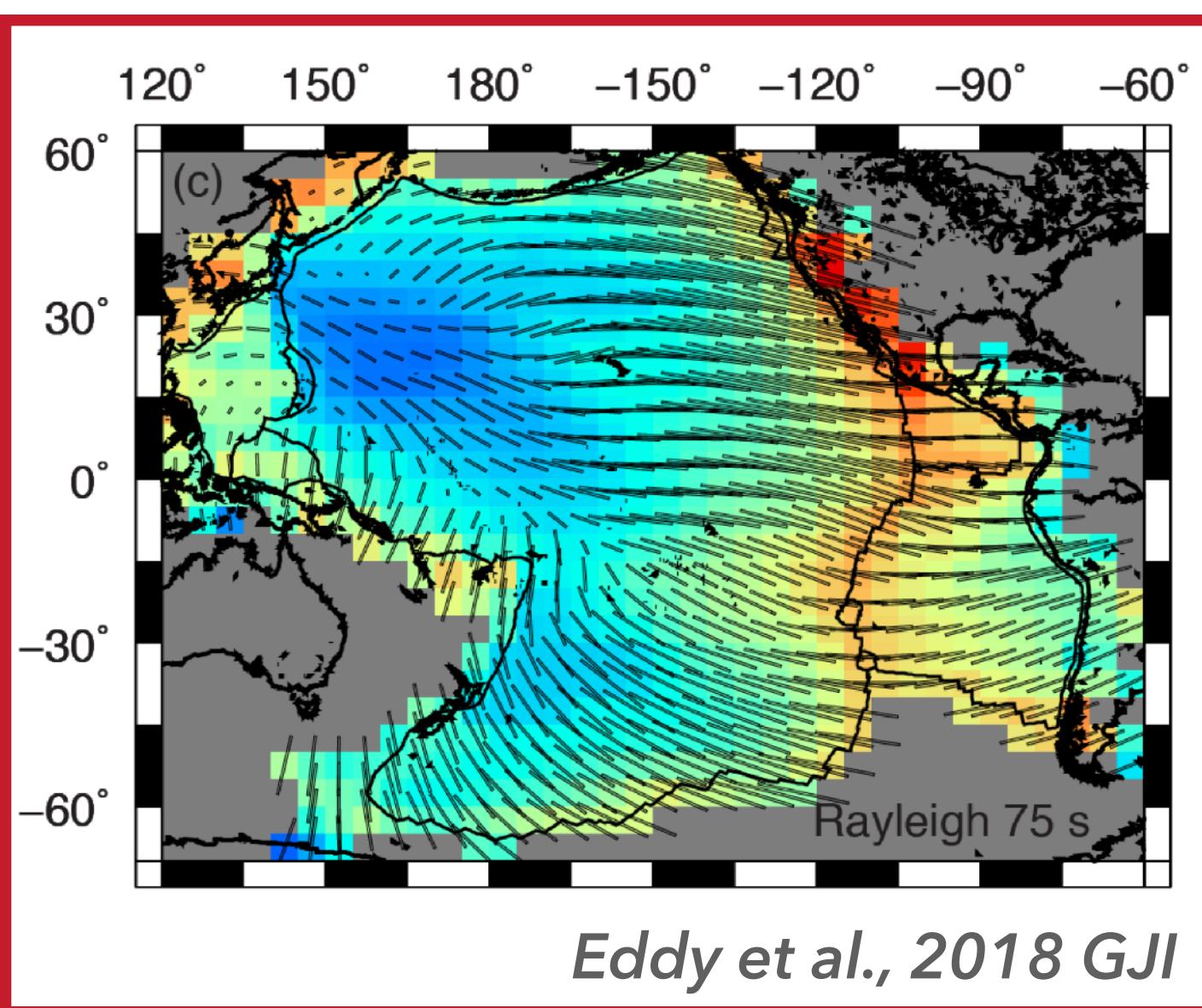
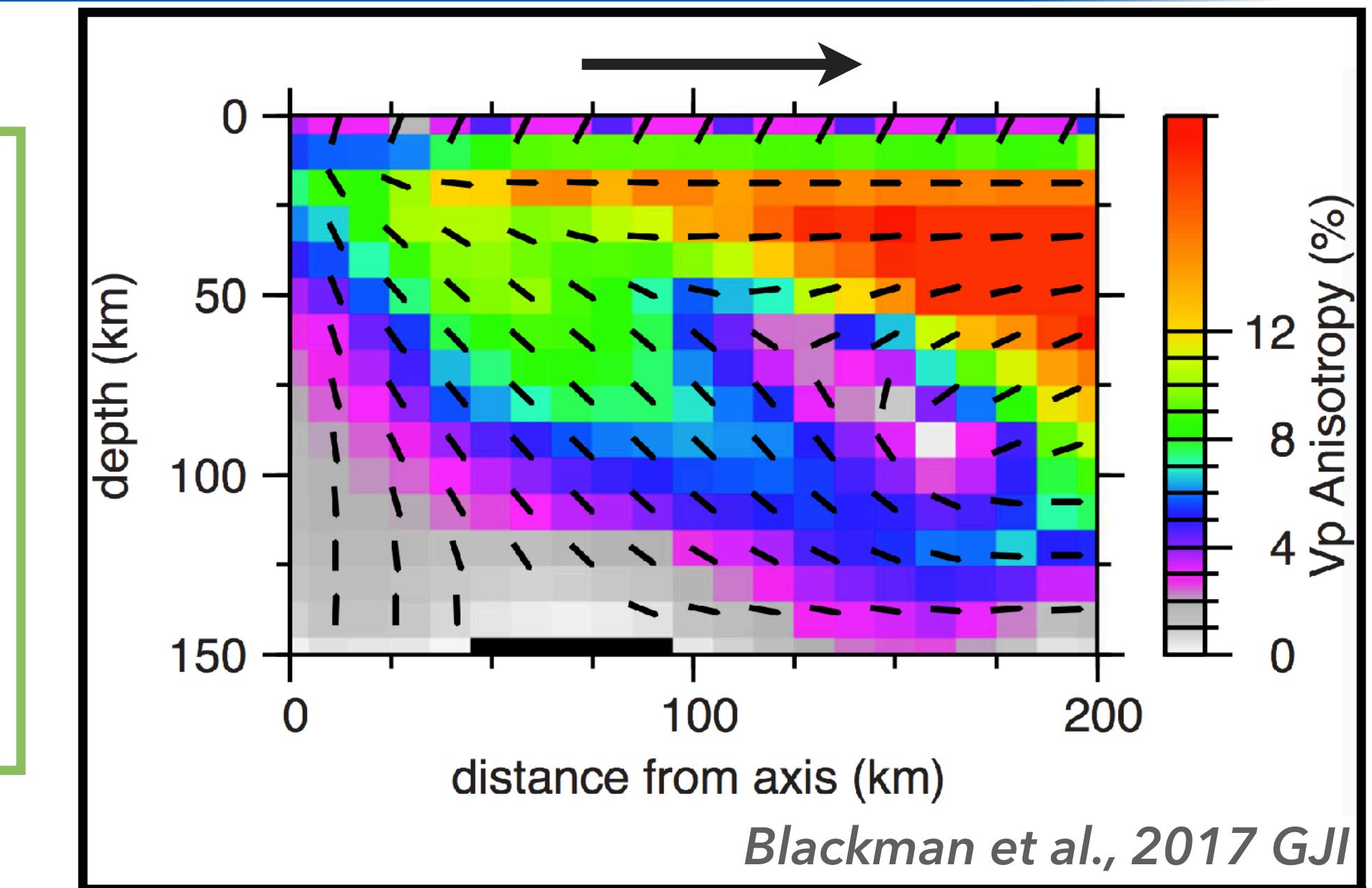
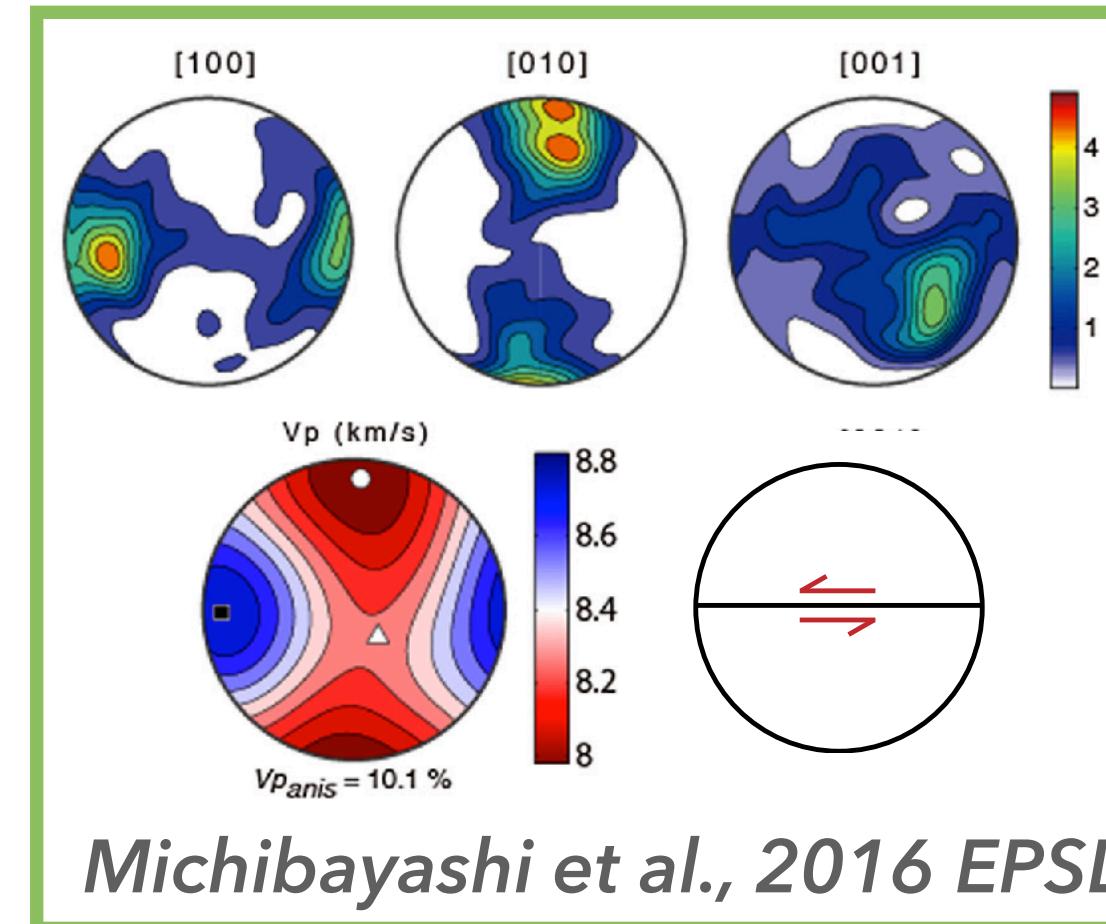


Motivation

Geodynamic models simulate LPO fabric formation and evolution at mid-ocean ridge

Observations:

- ▶ Hand-sample peridotite fabrics
- ▶ 10^{-3} - 10^2 m length scale
- ▶ Seismic anisotropy observations
- ▶ 10^3 - 10^7 m length scale

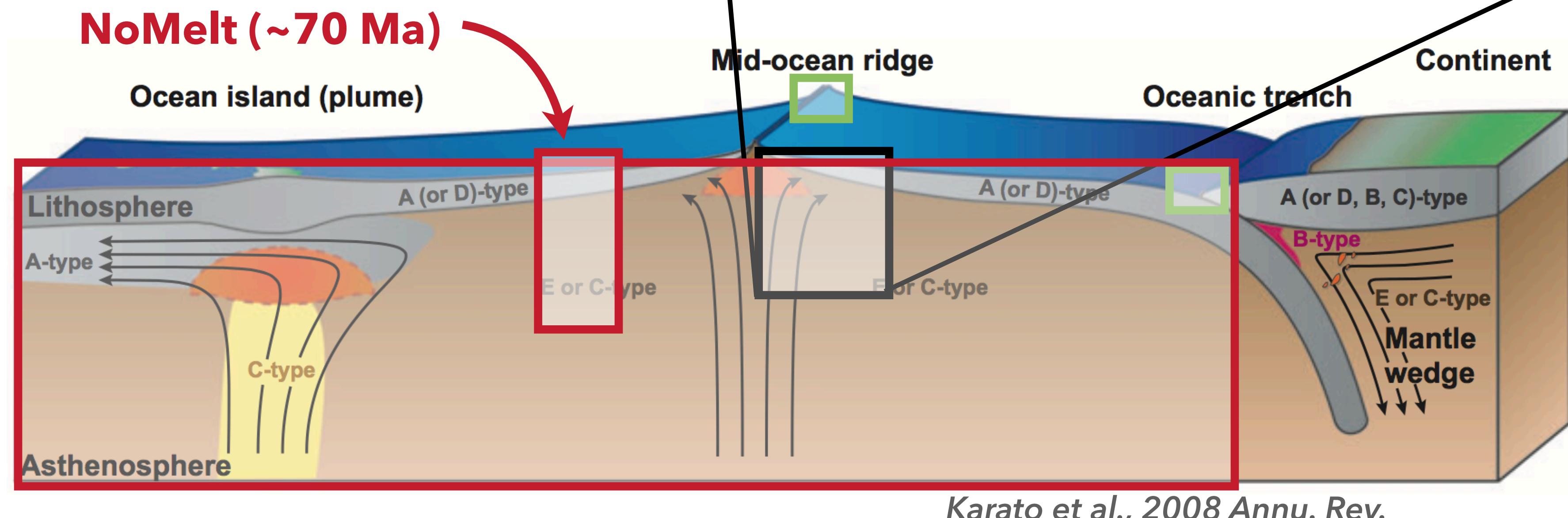
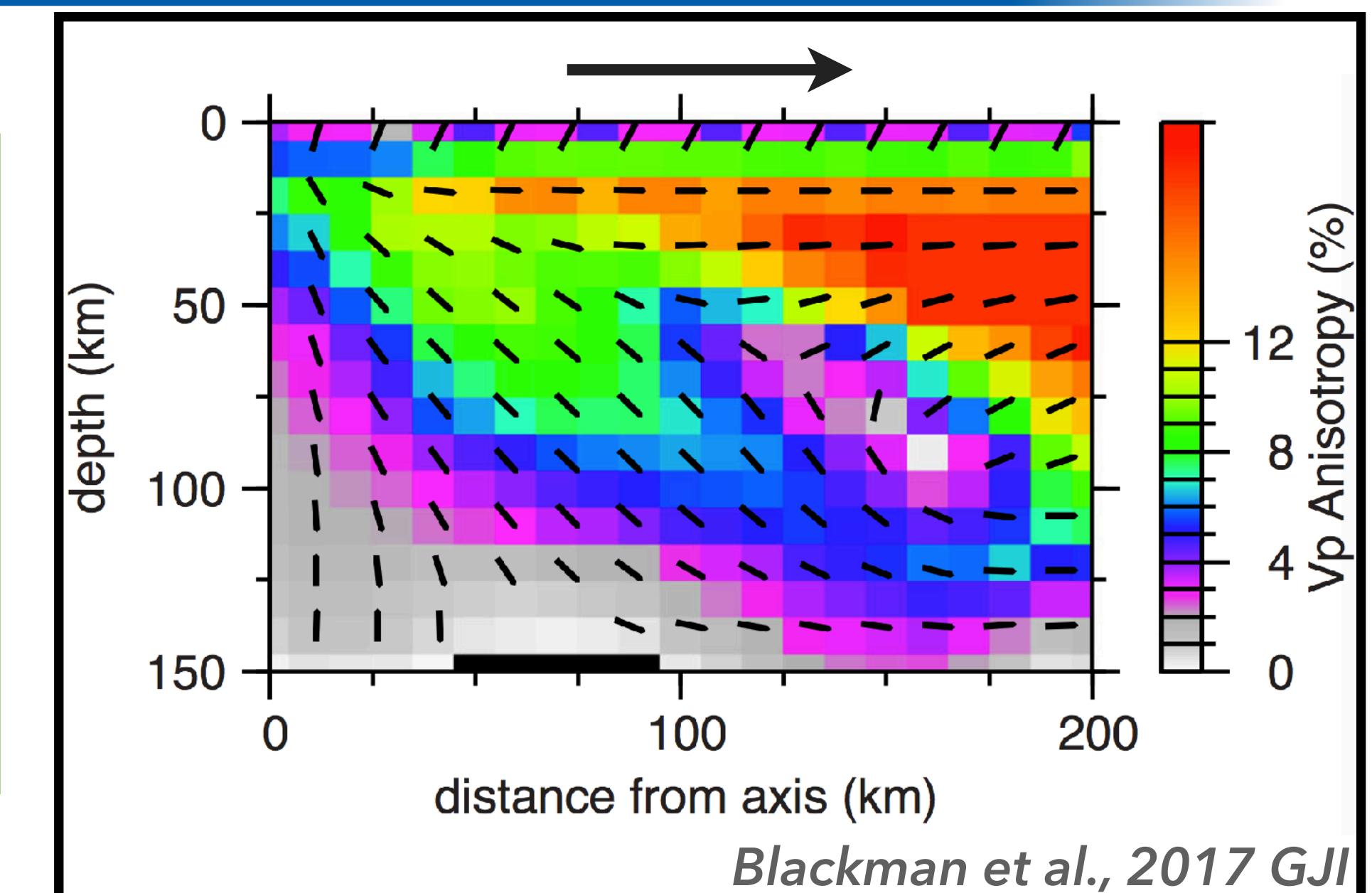
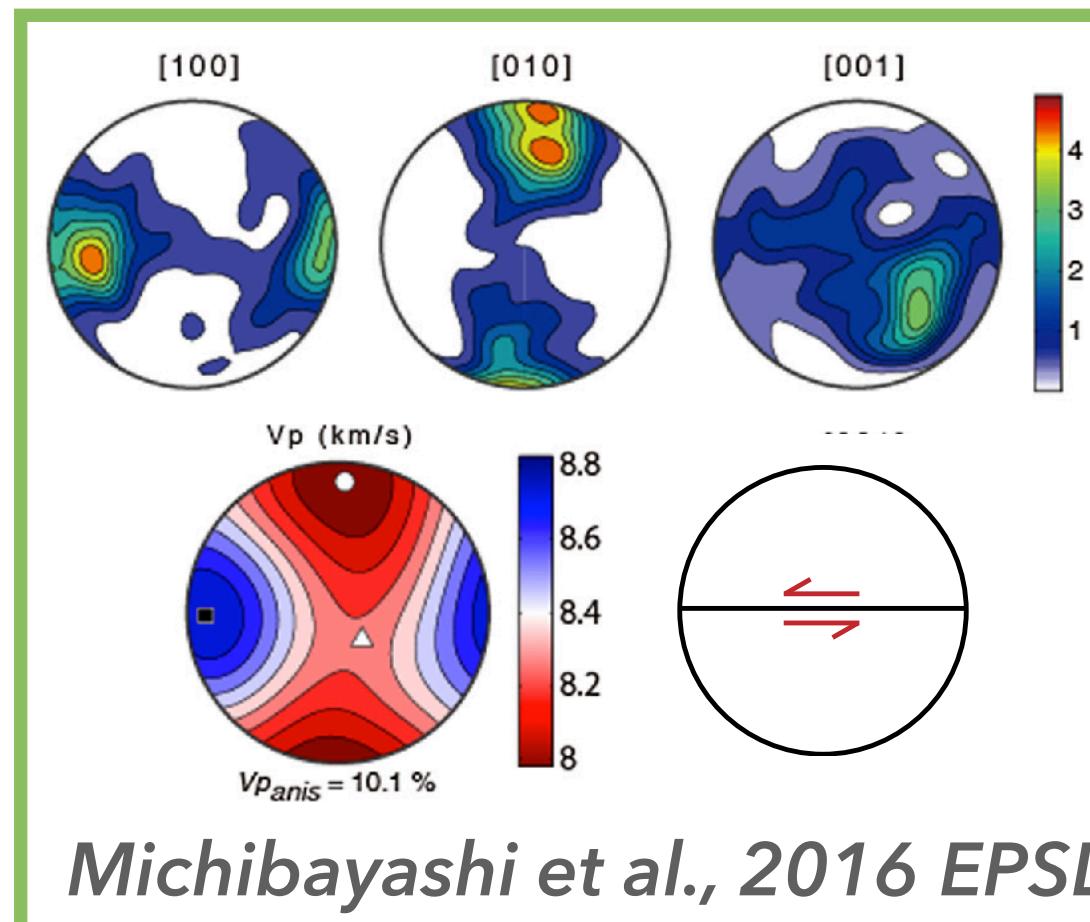
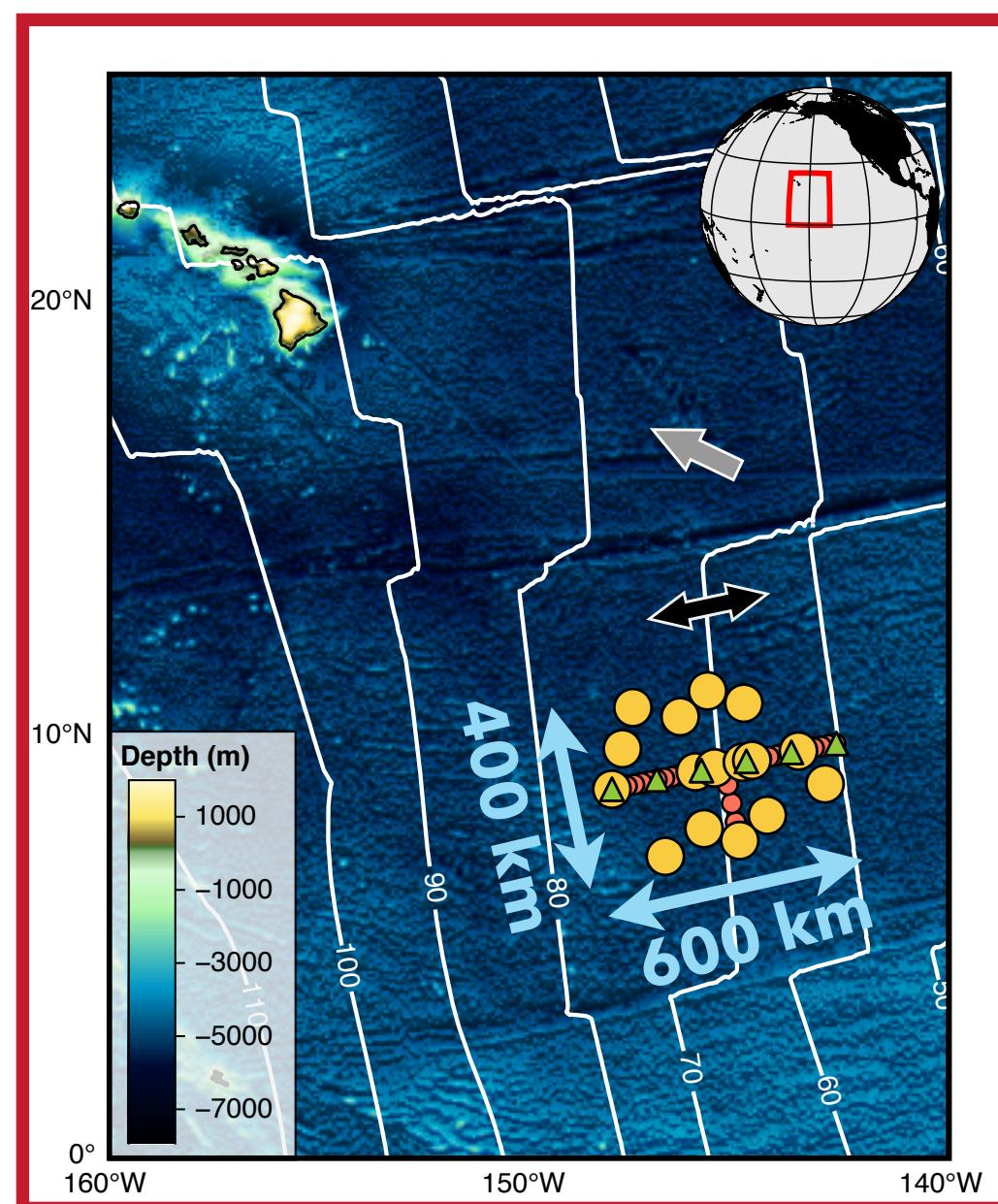


Motivation

Geodynamic models simulate LPO fabric formation and evolution at mid-ocean ridge

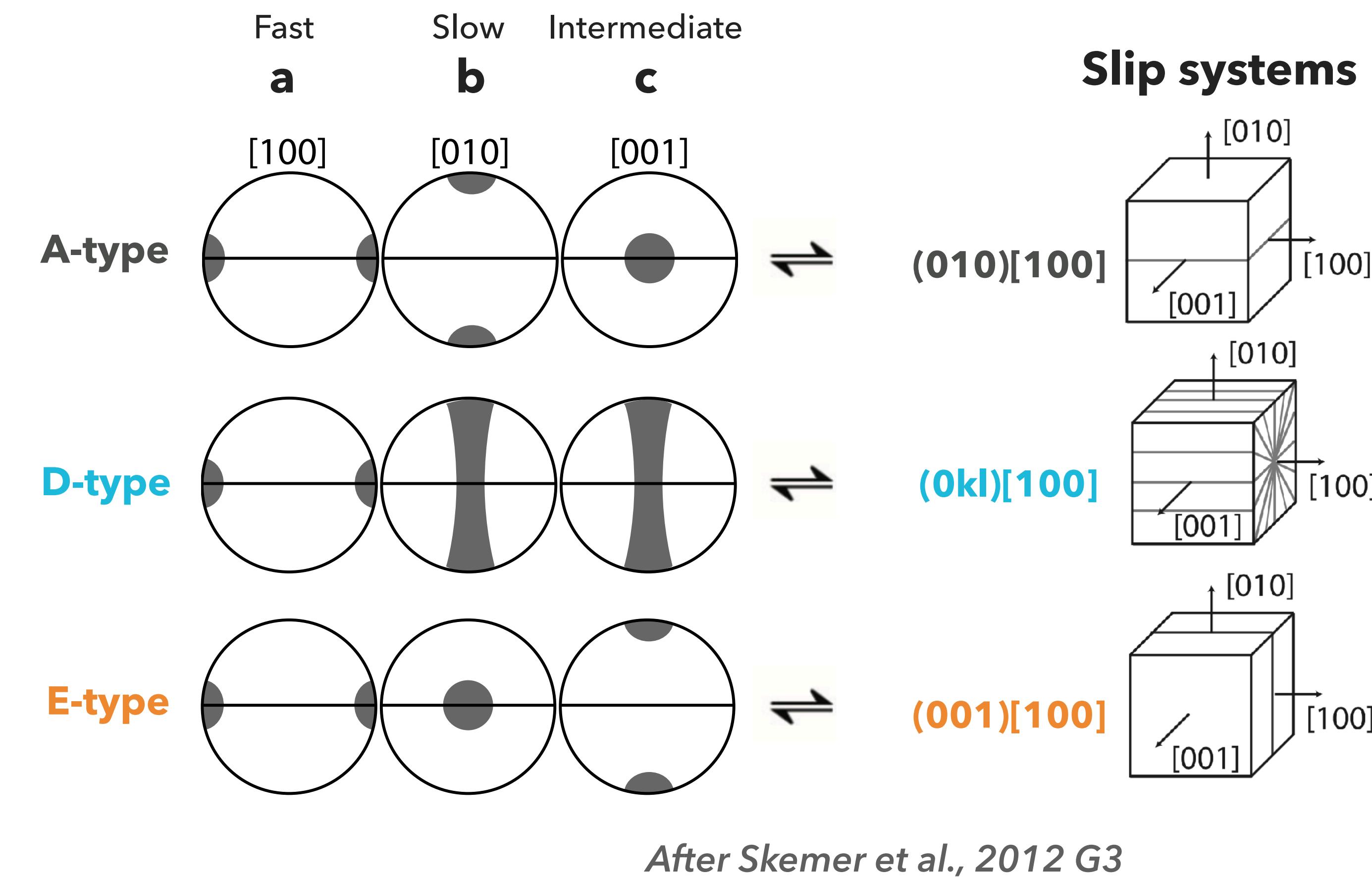
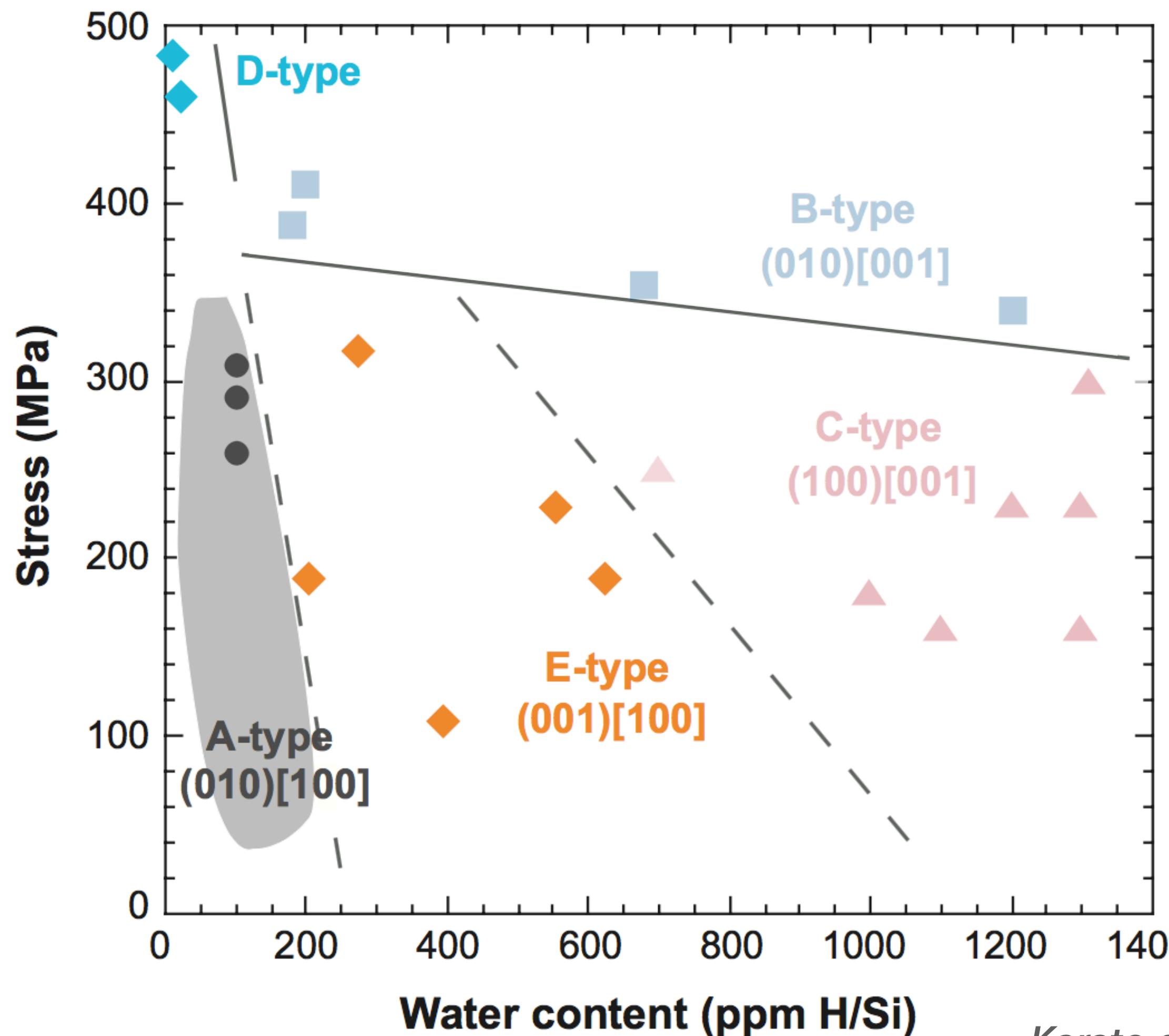
Observations:

- ▶ Hand-sample peridotite fabrics
- ▶ 10^{-3} - 10^2 m length scale
- ▶ Seismic anisotropy observations
- ▶ 10^3 - 10^7 m length scale



Olivine LPO fabric types

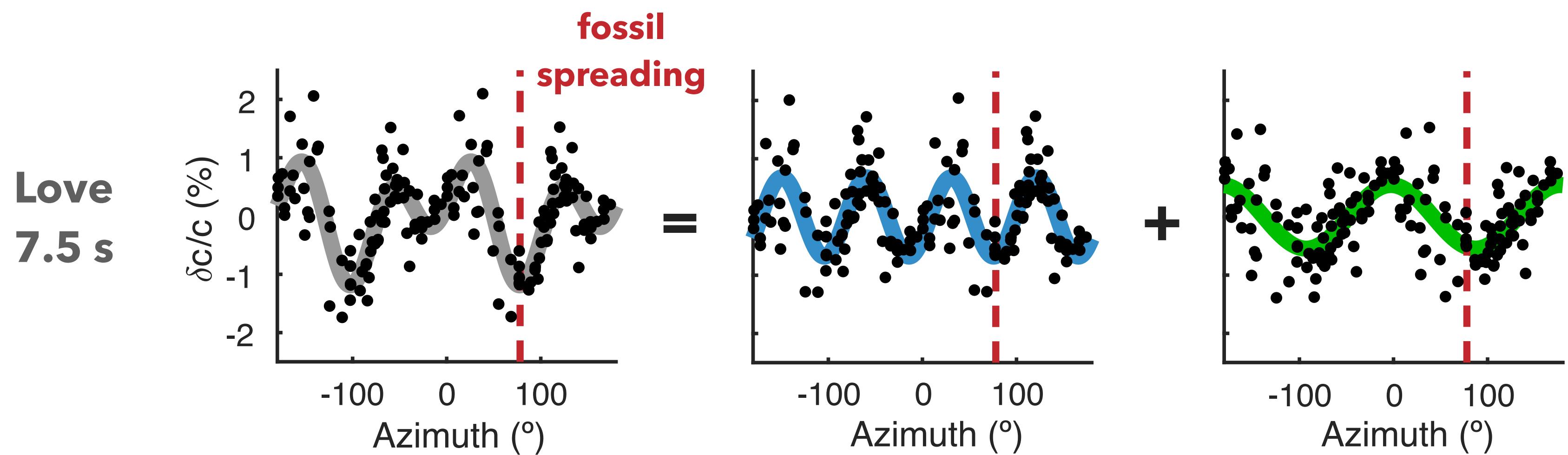
LPO fabric development depends on
stress, H₂O content, and temperature



NoMelt anisotropy observations

Surface Waves:

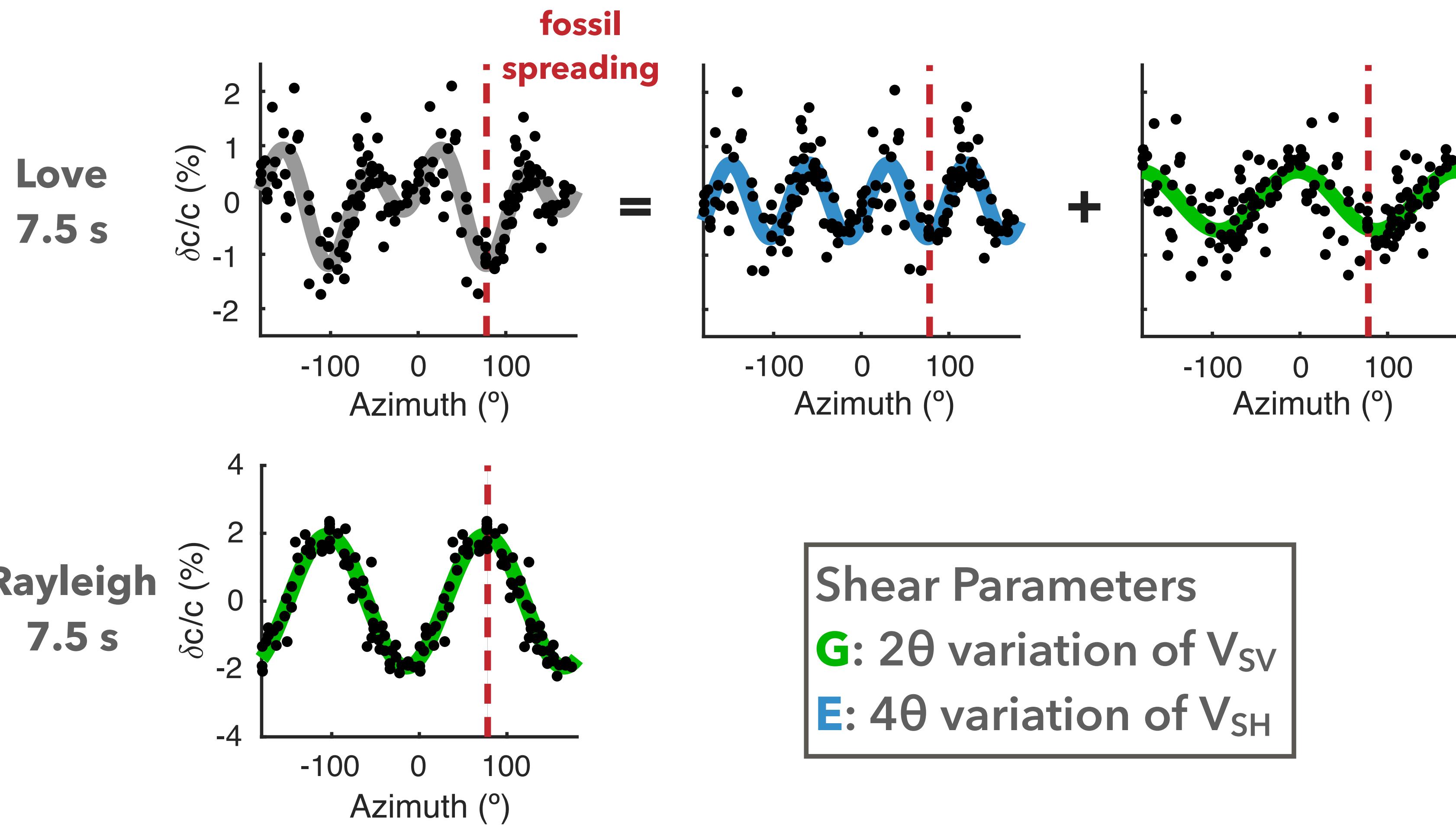
Love 2θ & 4θ (5-7.5 s)
Rayleigh 2θ (5-150 s)



NoMelt anisotropy observations

Surface Waves:

Love 2θ & 4θ (5-7.5 s)
Rayleigh 2θ (5-150 s)

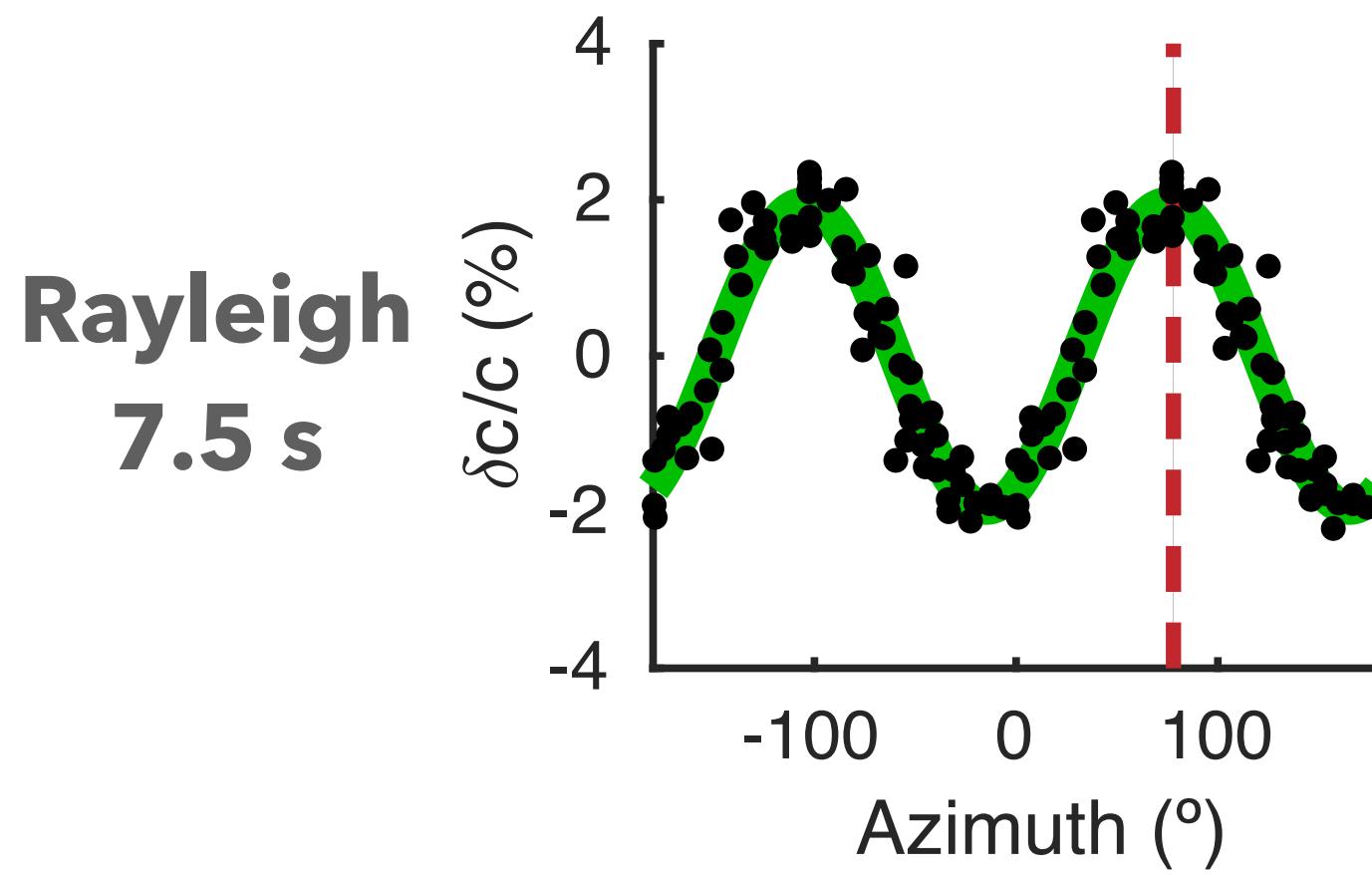
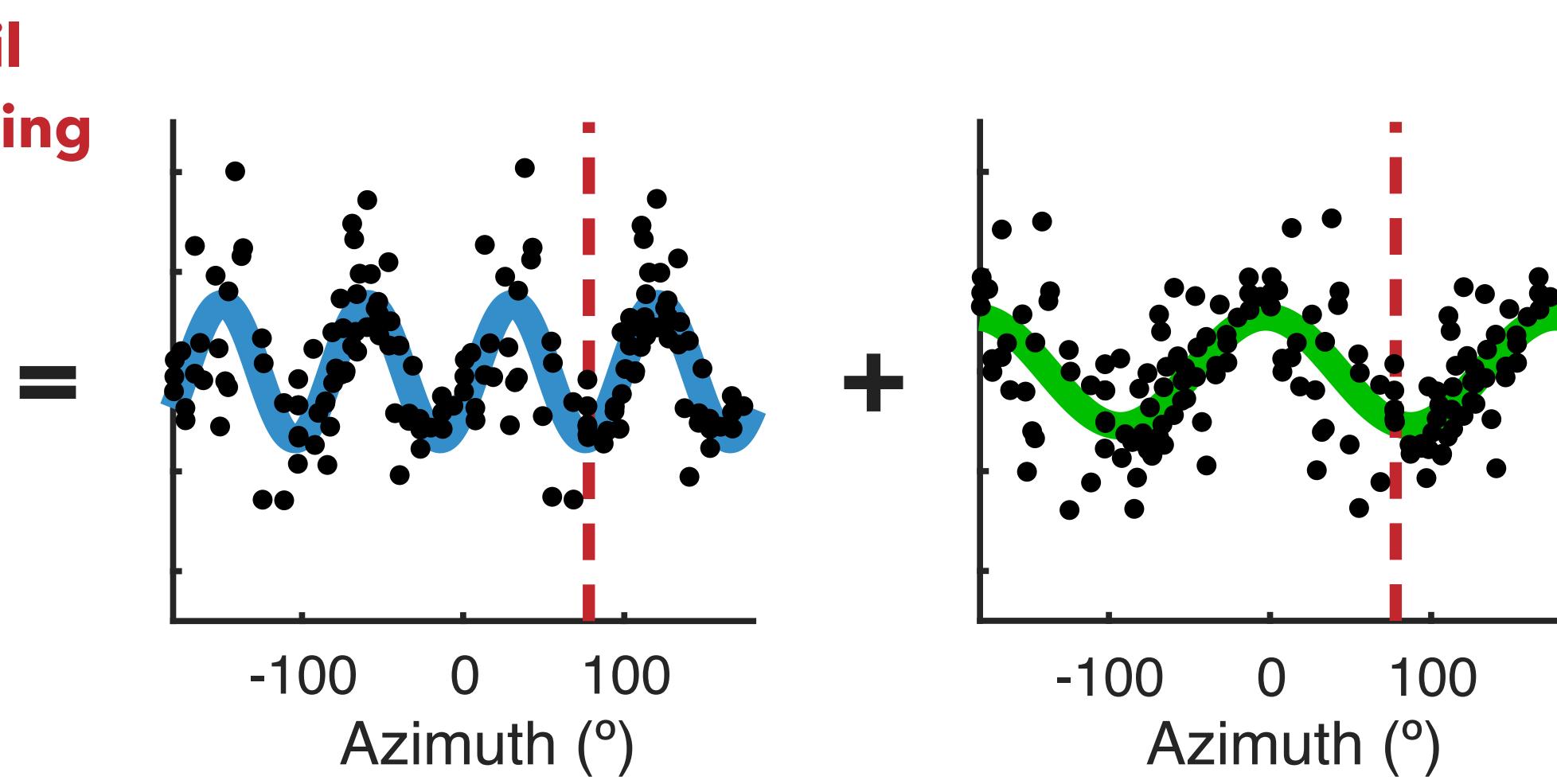
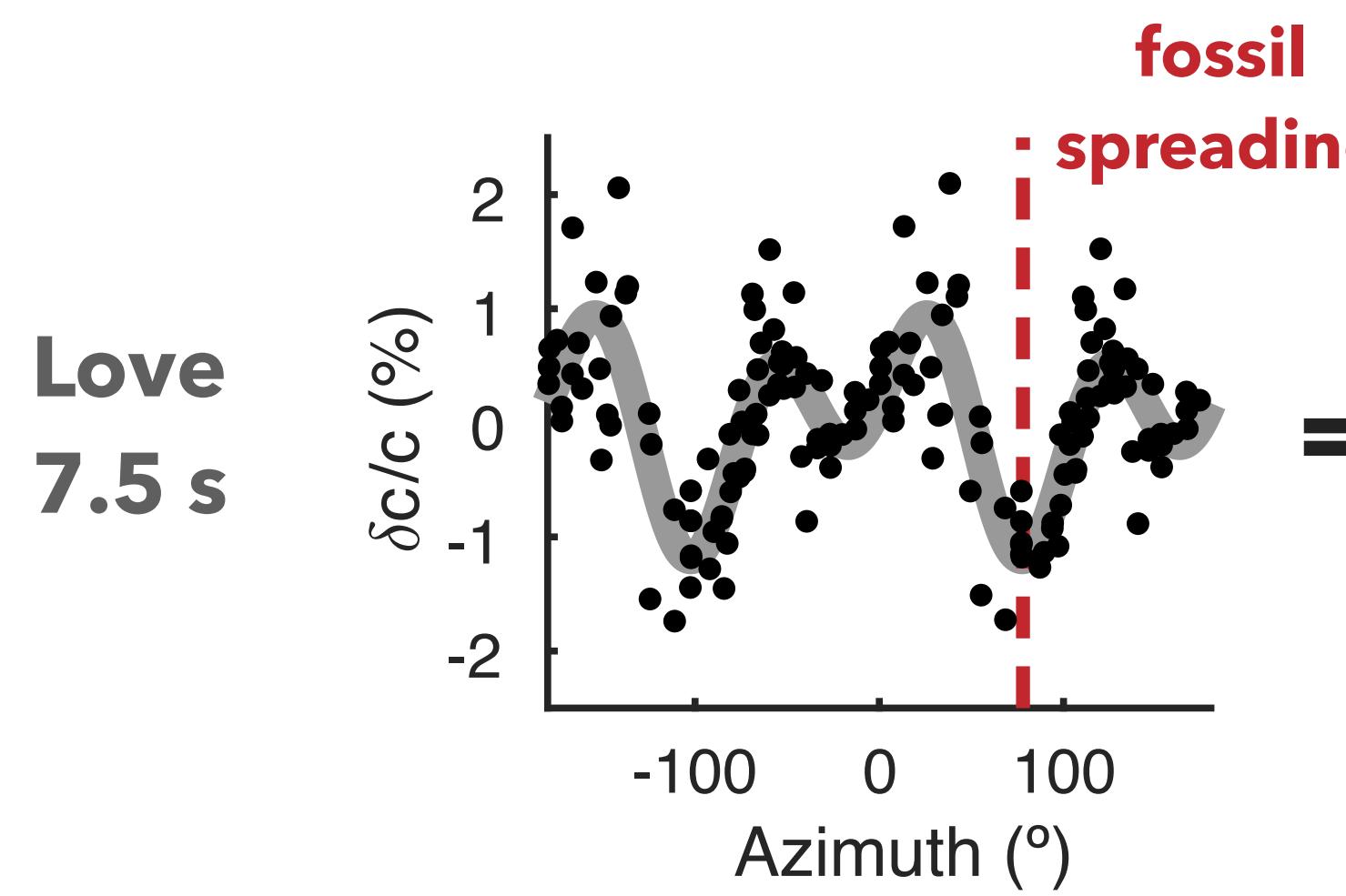


Shear Parameters
G: 2θ variation of V_{SV}
E: 4θ variation of V_{SH}

NoMelt anisotropy observations

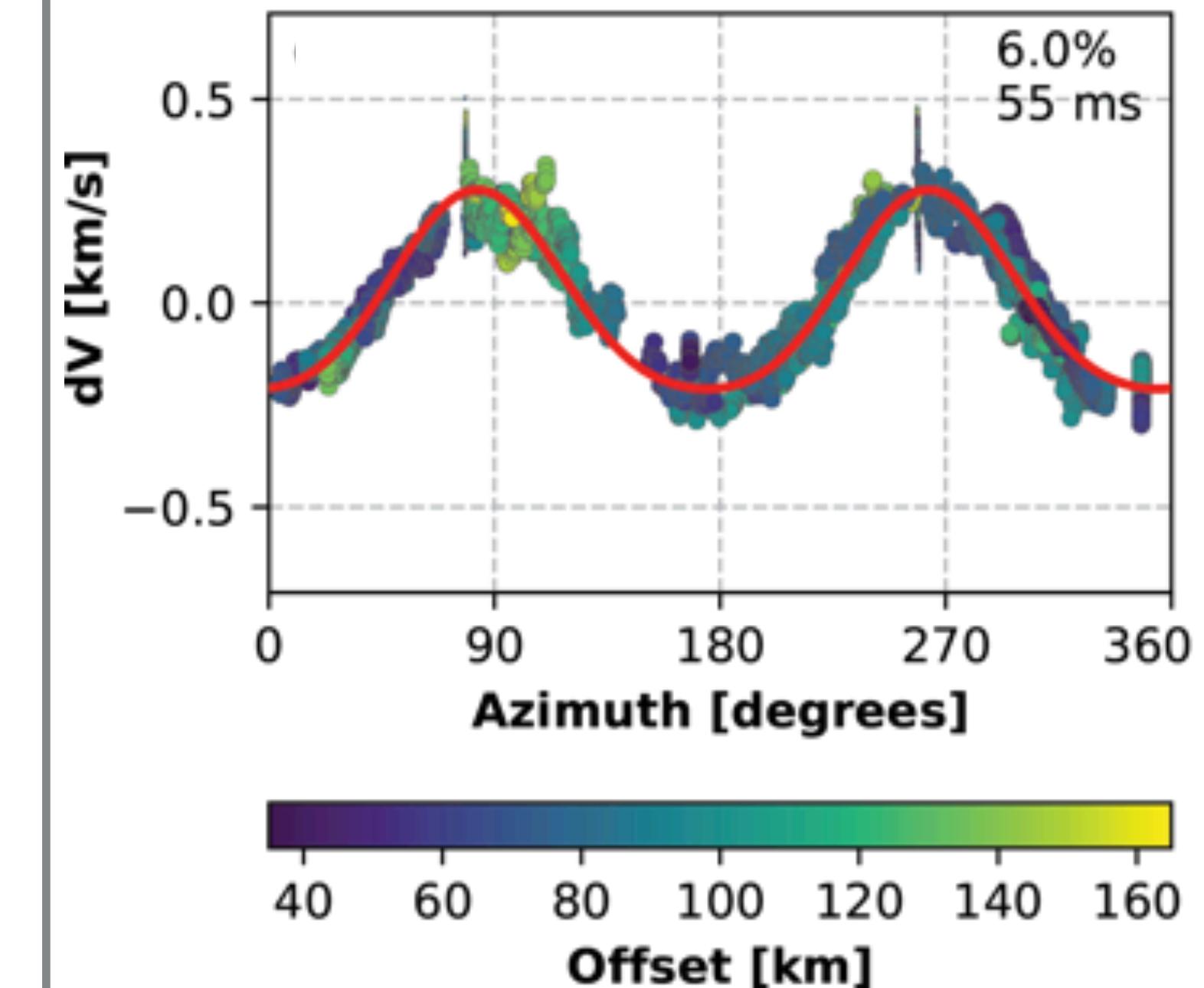
Surface Waves:

Love 2θ & 4θ (5-7.5 s)
Rayleigh 2θ (5-150 s)



Shear Parameters
G: 2θ variation of V_{SV}
E: 4θ variation of V_{SH}

Pn anisotropy



Compressional Parameters
B: 2θ variation of V_P

Constraining the elastic tensor (\mathbf{C}_{ij})

**13 elastic parameters required
to constrain 13 elements of \mathbf{C}_{ij}**

$$C_{ij} = \begin{pmatrix} A + B_c + E_c & A - 2N - E_c & F + H_c & 0 & 0 & \frac{1}{2}B_s + E_s \\ \cdot & A - B_c + E_c & F - H_c & 0 & 0 & \frac{1}{2}B_s - E_s \\ \cdot & \cdot & C & 0 & 0 & H_s \\ \cdot & \cdot & \cdot & L - G_c & G_s & 0 \\ \cdot & \cdot & \cdot & \cdot & \cdot & L + G_c & 0 \\ \cdot & \cdot & \cdot & \cdot & \cdot & \cdot & N - E_c \end{pmatrix}$$

Azimuthal Anisotropy:

$$\rho V_{qP}(\theta)^2 = A + B_c \cos(2\theta) + B_s \sin(2\theta) + E_c \cos(4\theta) + E_s \sin(4\theta)$$

$$\rho V_{qSV}(\theta)^2 = L + G_c \cos(2\theta) + G_s \sin(2\theta)$$

$$\rho V_{qSH}(\theta)^2 = N - E_c \cos(4\theta) - E_s \sin(4\theta)$$

Constraining the elastic tensor (\mathbf{C}_{ij})

**13 elastic parameters required
to constrain 13 elements of \mathbf{C}_{ij}**

Rayleigh waves (2θ)

- ▶ L, G, B, H
(V_{SV})

Love waves (2θ, 4θ)

- ▶ N, E, G
(V_{SH})

Pn (2θ, 4θ)

- ▶ A, B, E
(V_{PH})

Scaling relations

- ▶ C, H, F
(V_{PV})

- ▶ A, B below 7 km

9 terms

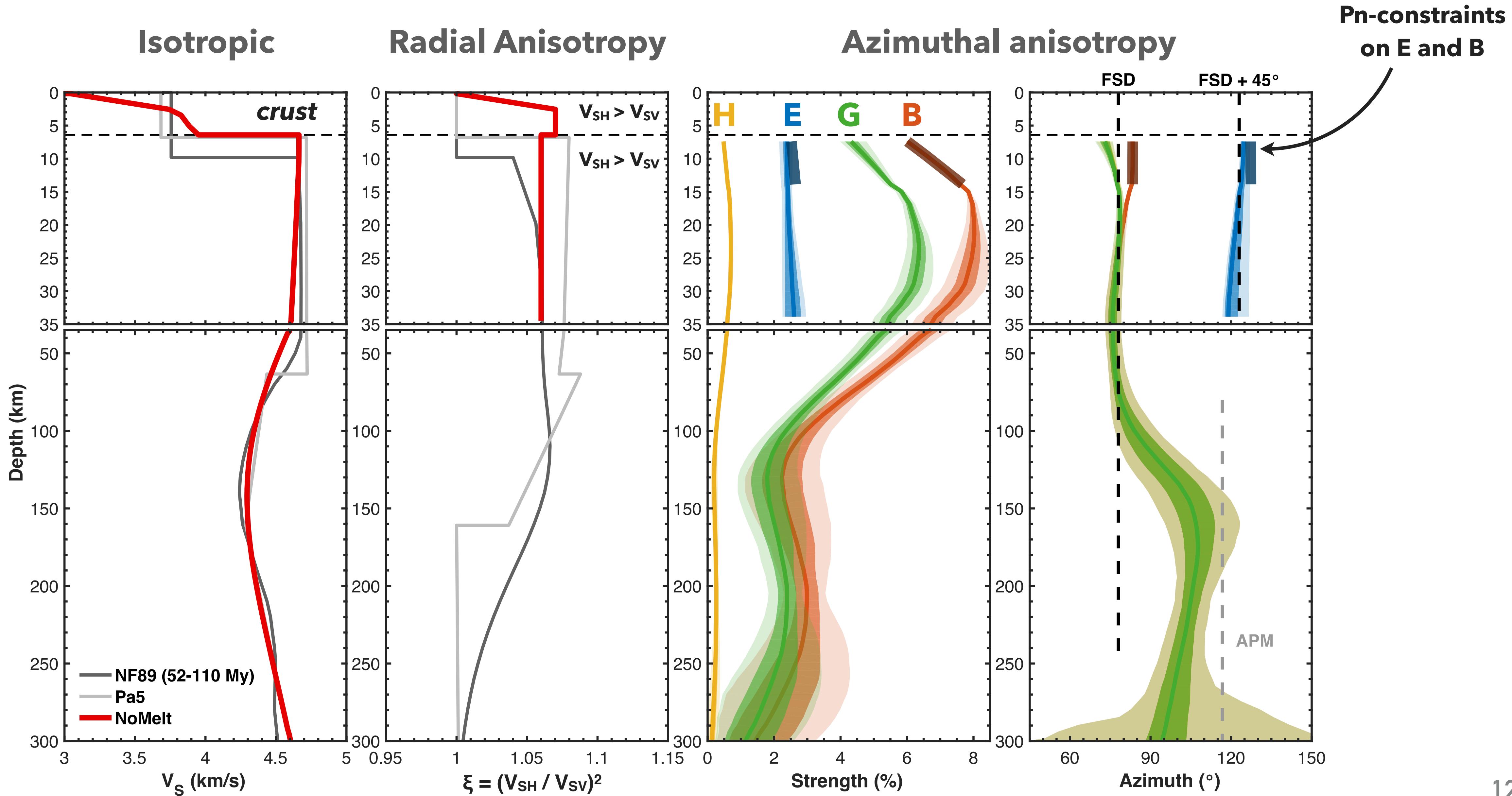
4 terms

$$\mathbf{C}_{ij} = \begin{pmatrix} A + B_c + E_c & A - 2N - E_c & F + H_c & 0 & 0 & \frac{1}{2}B_s + E_s \\ \cdot & A - B_c + E_c & F - H_c & 0 & 0 & \frac{1}{2}B_s - E_s \\ \cdot & \cdot & C & 0 & 0 & H_s \\ \cdot & \cdot & \cdot & L - G_c & G_s & 0 \\ \cdot & \cdot & \cdot & \cdot & L + G_c & 0 \\ \cdot & \cdot & \cdot & \cdot & \cdot & N - E_c \end{pmatrix}$$

$$\mathbf{C}_{ij} = \begin{pmatrix} \text{Blue} \times \text{Green} \times \text{Orange} & \text{Green} \times \text{Orange} & \text{Blue} \times \text{Black} & 0 & 0 & \text{Blue} \times \text{Green} \times \text{Orange} \\ \cdot & \text{Blue} \times \text{Green} \times \text{Orange} & \text{Blue} \times \text{Black} & 0 & 0 & \text{Blue} \times \text{Green} \times \text{Orange} \\ \cdot & \cdot & \text{Blue} \times \text{Black} & 0 & 0 & \text{Blue} \times \text{Black} \\ \cdot & \cdot & \cdot & 0 & 0 & \text{Blue} \times \text{Green} \\ \cdot & \cdot & \cdot & \cdot & \text{Blue} \times \text{Green} & 0 \\ \cdot & \cdot & \cdot & \cdot & \text{Blue} \times \text{Green} & 0 \\ \cdot & \cdot & \cdot & \cdot & \cdot & \text{Green} \times \text{Orange} \end{pmatrix}$$

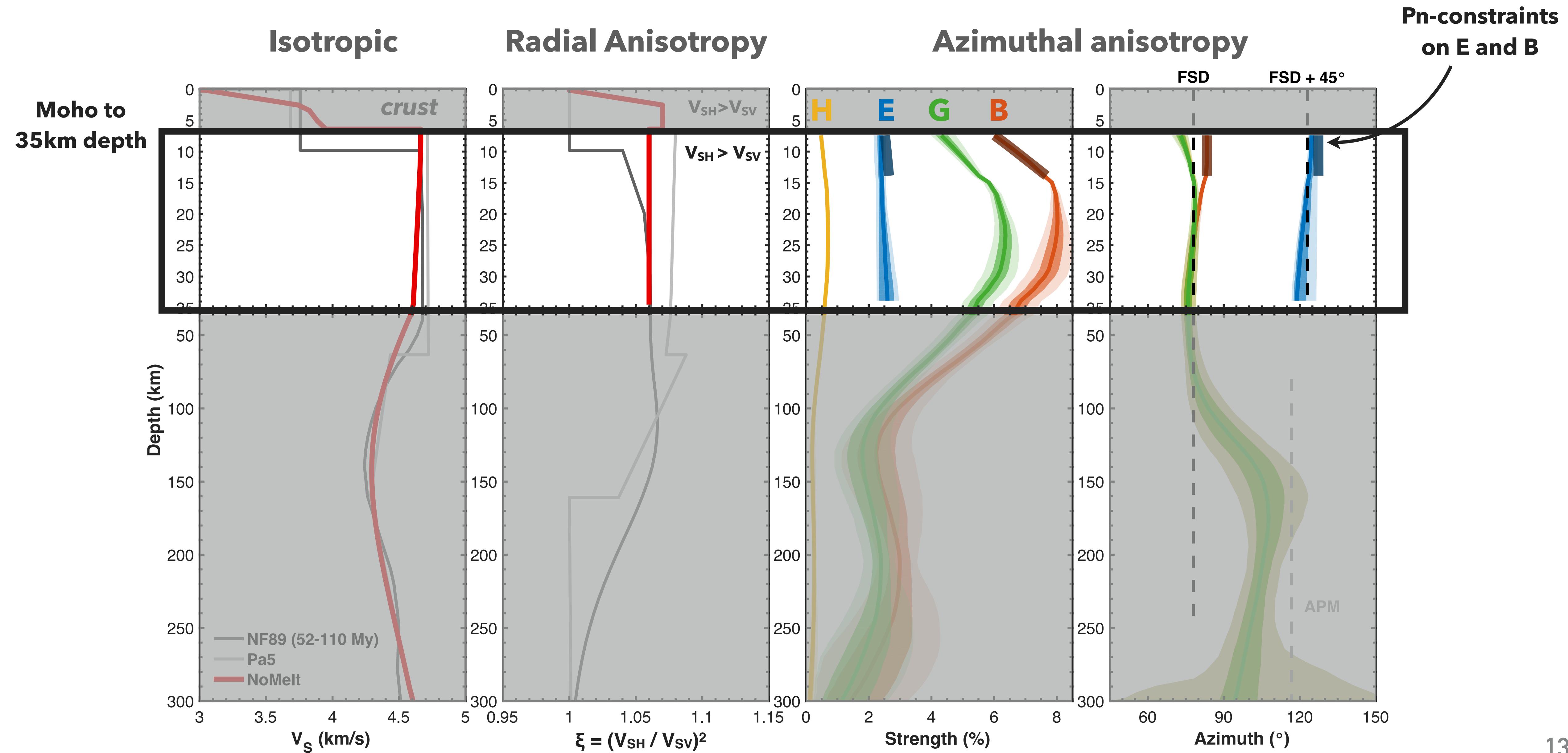
Elastic model

$V_s, \xi, G, B, H, E,$
 $\Psi_G, \Psi_B, \Psi_H, \Psi_E$

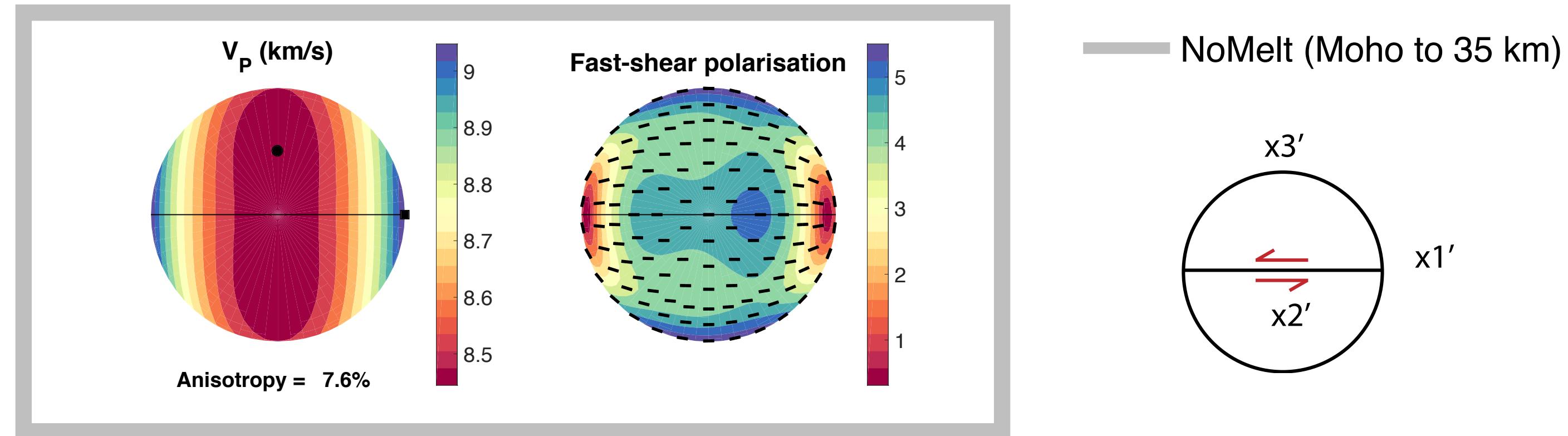


Elastic model

$V_s, \xi, G, B, H, E,$
 $\Psi_G, \Psi_B, \Psi_H, \Psi_E$



Comparison to petrofabrics

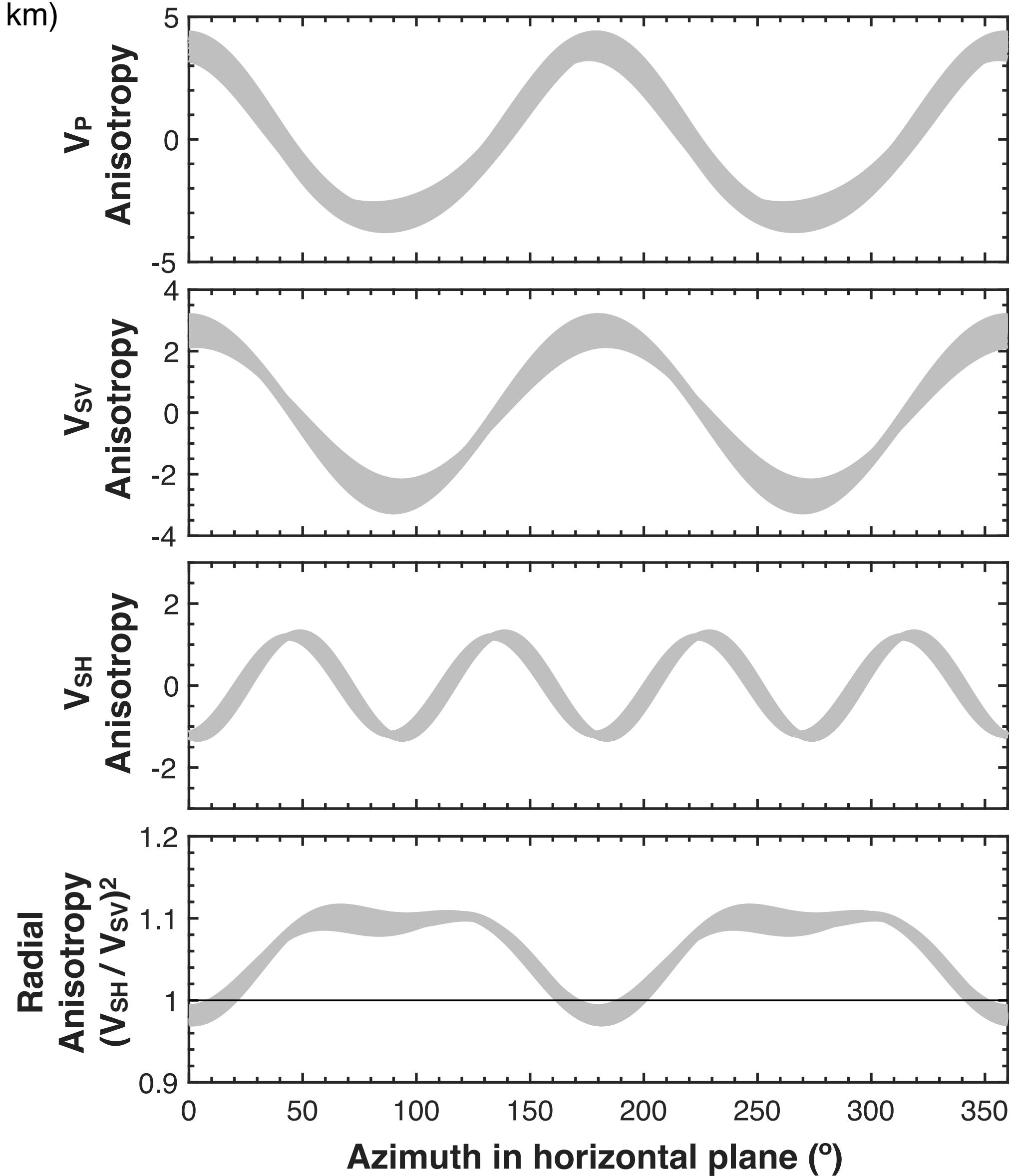


Azimuthal Anisotropy:

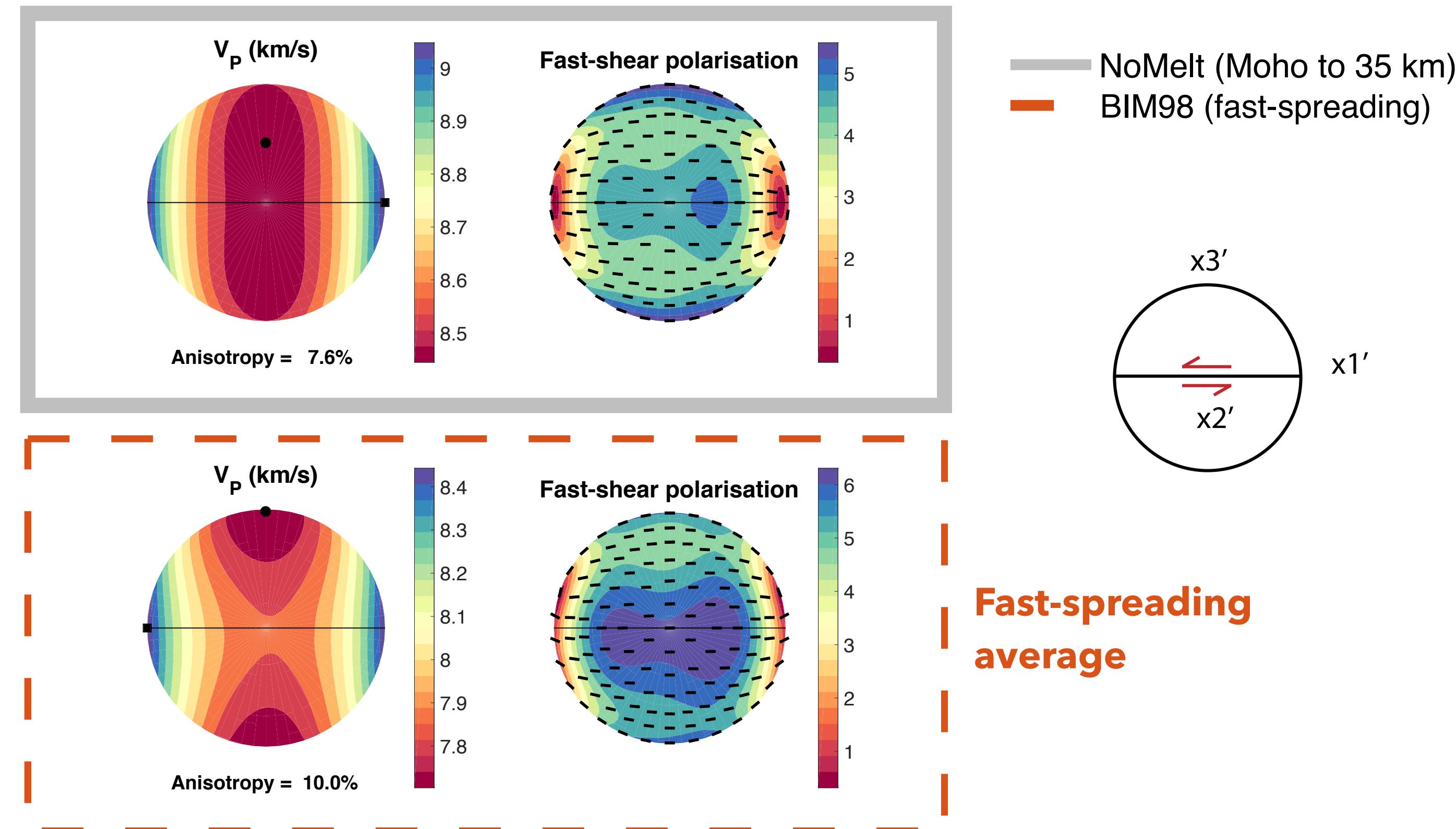
$$\rho V_{qP}(\theta)^2 = A + B_c \cos(2\theta) + B_s \sin(2\theta) + E_c \cos(4\theta) + E_s \sin(4\theta)$$

$$\rho V_{qSV}(\theta)^2 = L + G_c \cos(2\theta) + G_s \sin(2\theta)$$

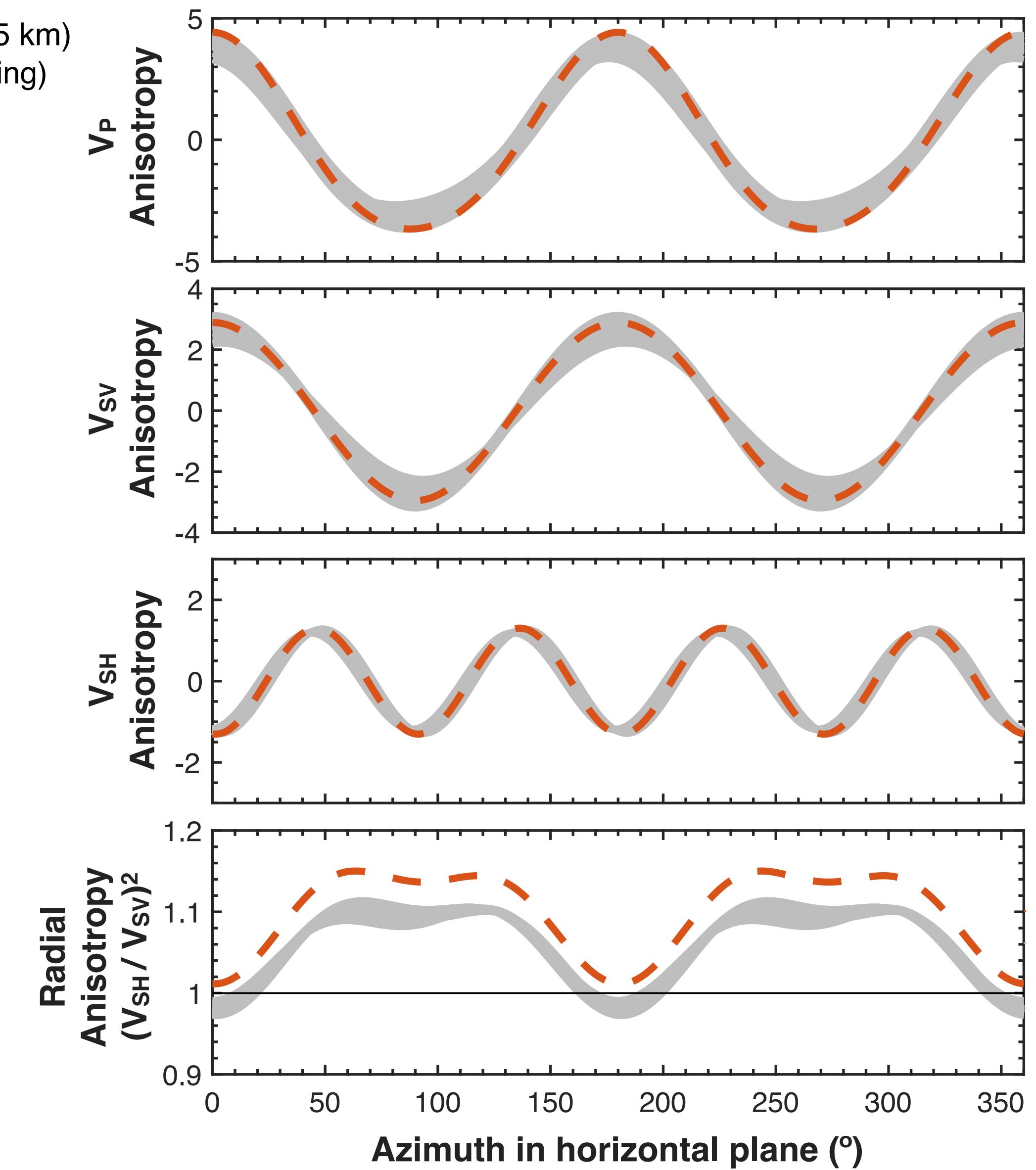
$$\rho V_{qSH}(\theta)^2 = N - E_c \cos(4\theta) - E_s \sin(4\theta)$$



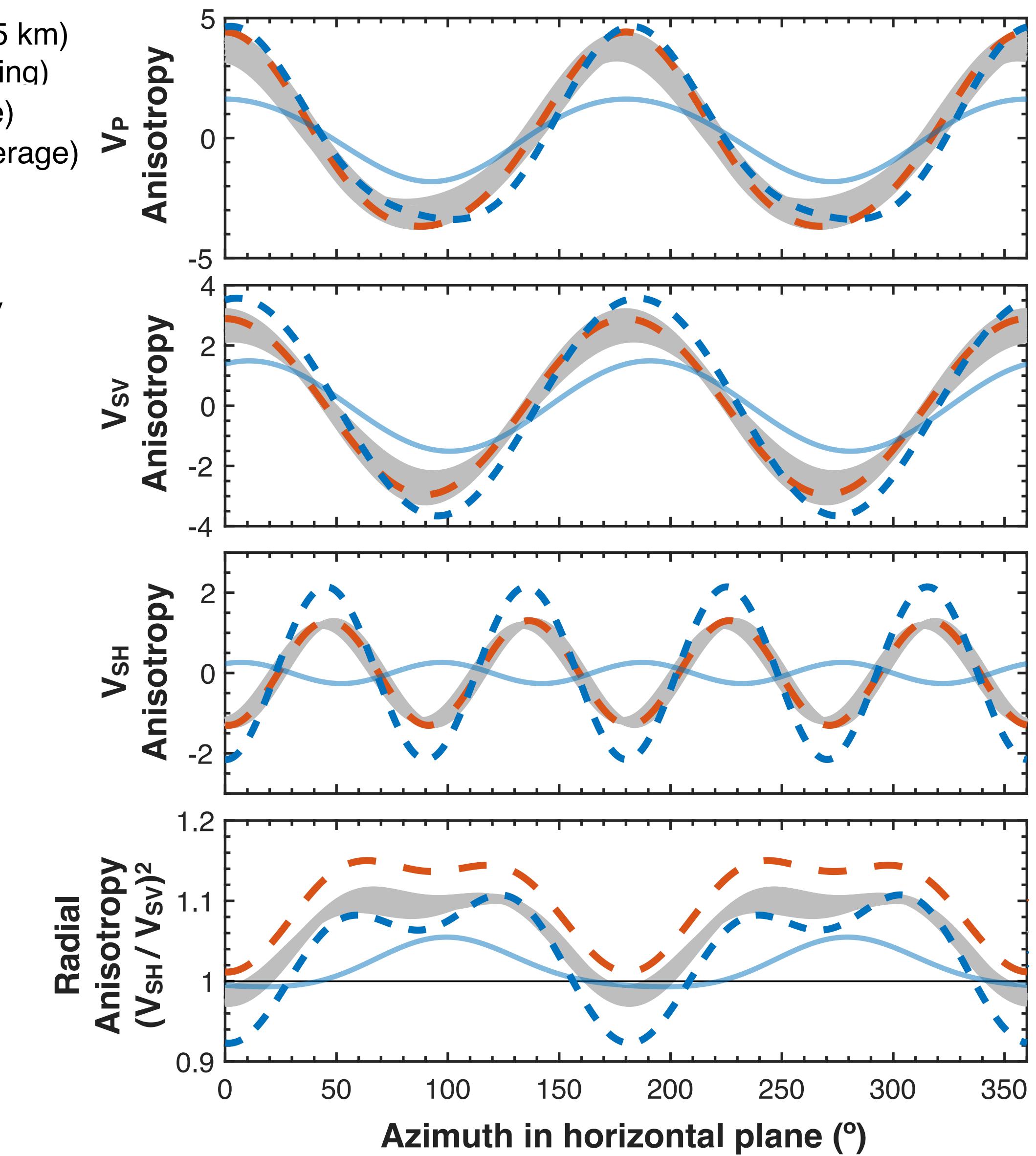
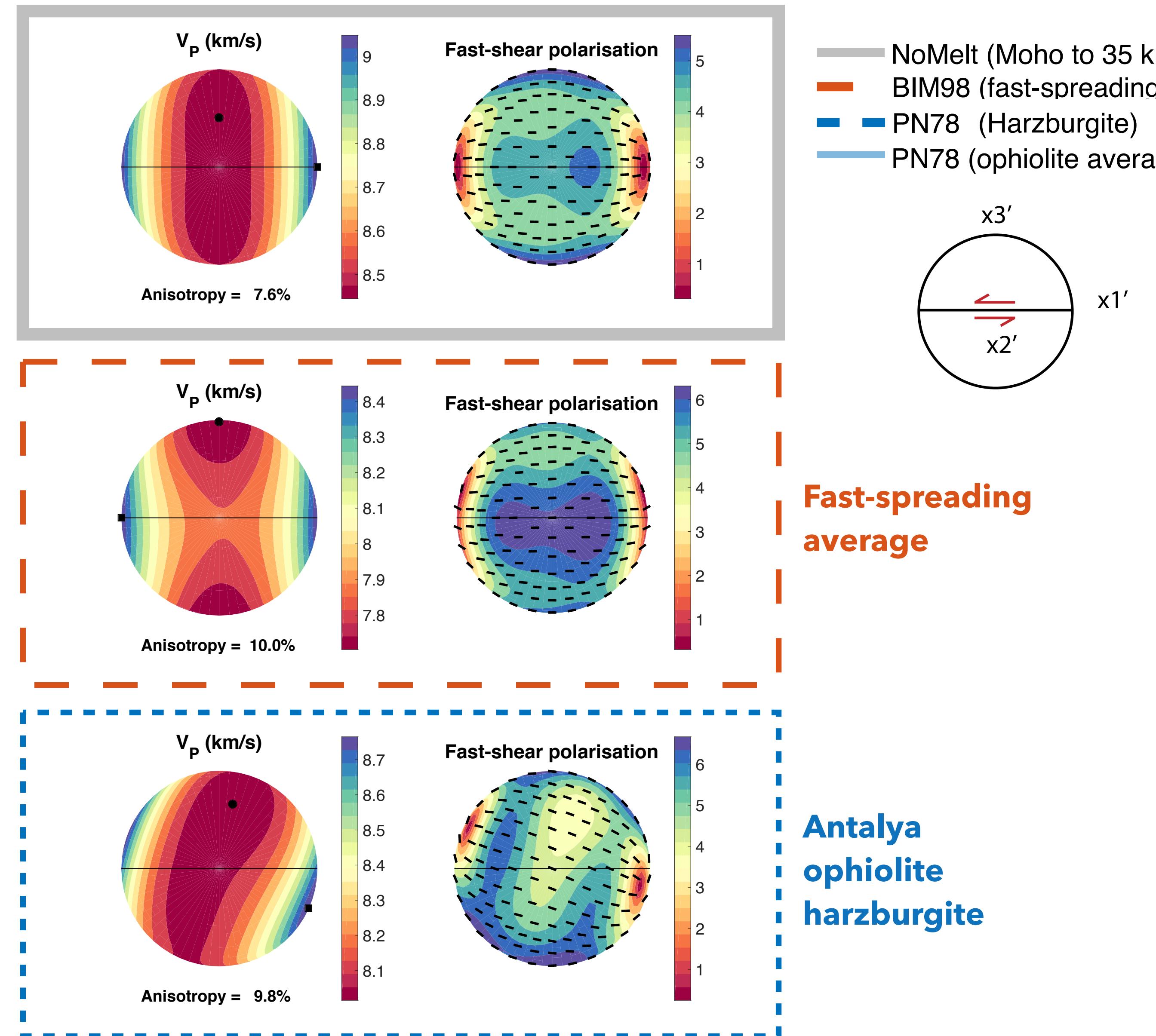
Comparison to petrofabrics



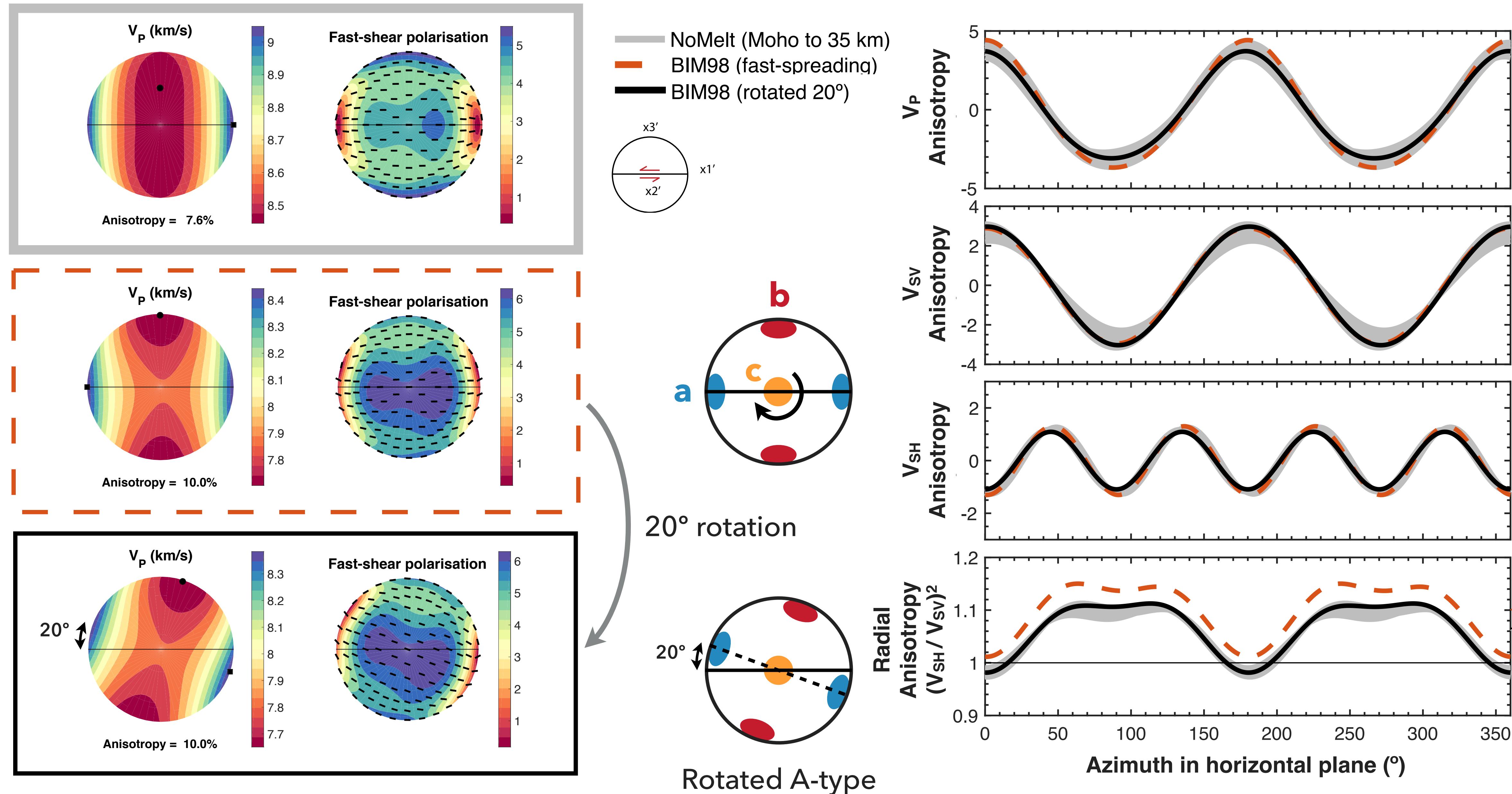
- ▶ Excellent agreement of azimuthal anisotropy
- ▶ NoMelt radial anisotropy is relatively weak



Comparison to petrofabrics



Comparison to petrofabrics: Rotated A-type fabric?

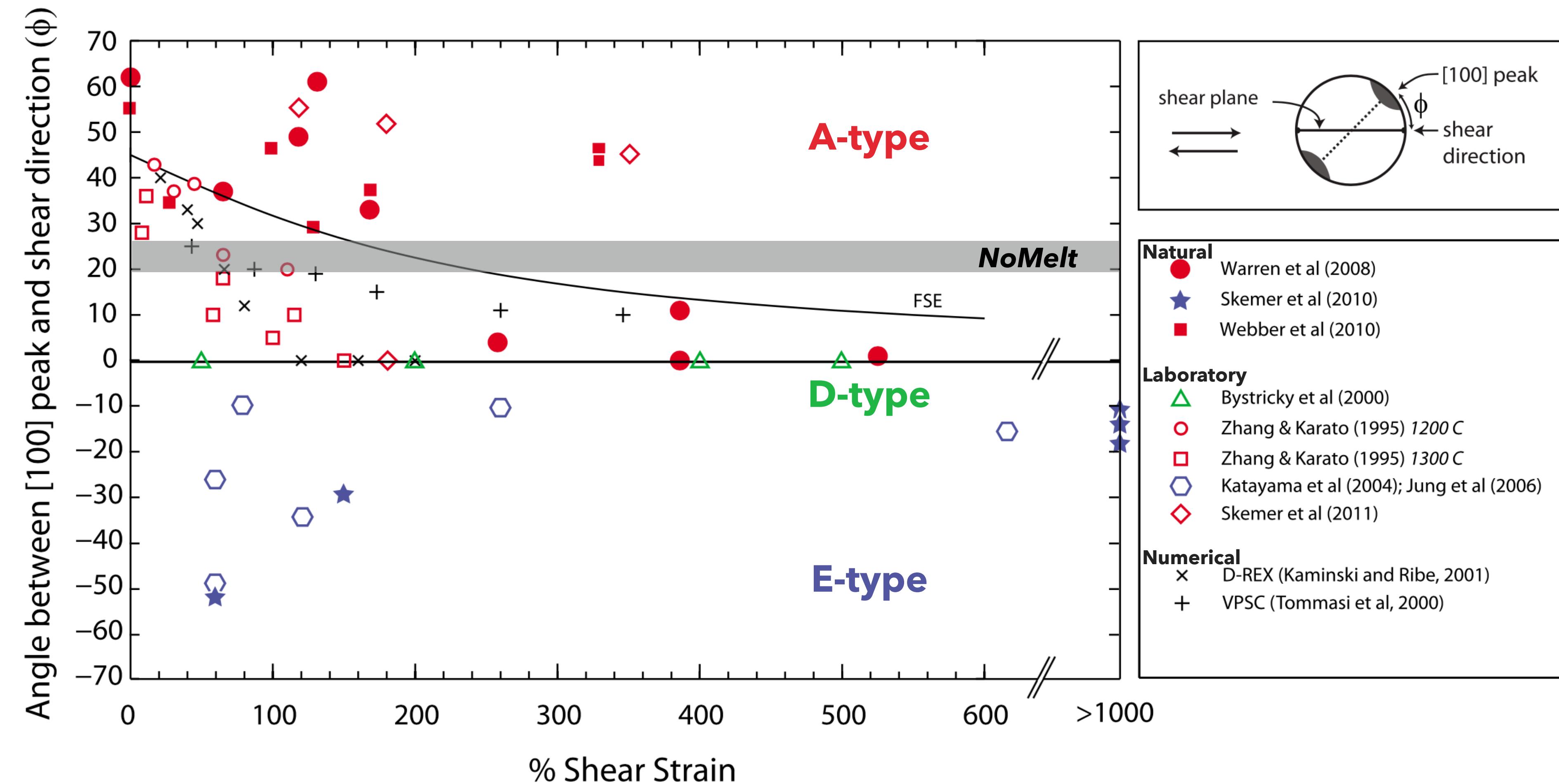


Rotated fabrics: observations

a-axis rotation away from inferred shear plane ranging from 0°-60° for natural and laboratory samples

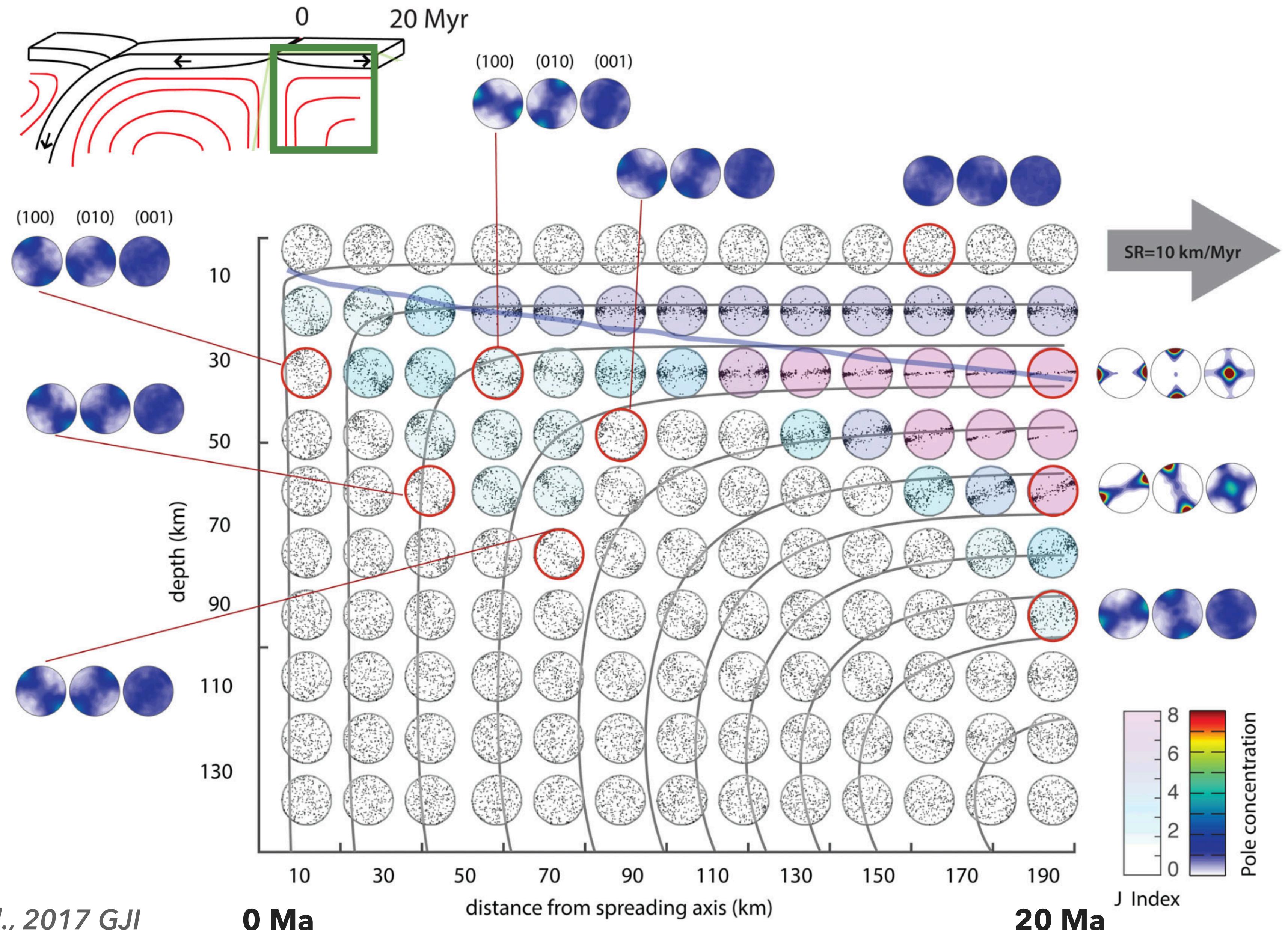
20°-25° is consistent with shear strain <200-300%

- LPO evolution dependent on:
- ▶ finite strain
 - ▶ pre-existing fabric
 - ▶ deformation temperature
 - ▶ orthopyroxene content
 - ▶ grain size



Rotated fabrics: geodynamic modeling

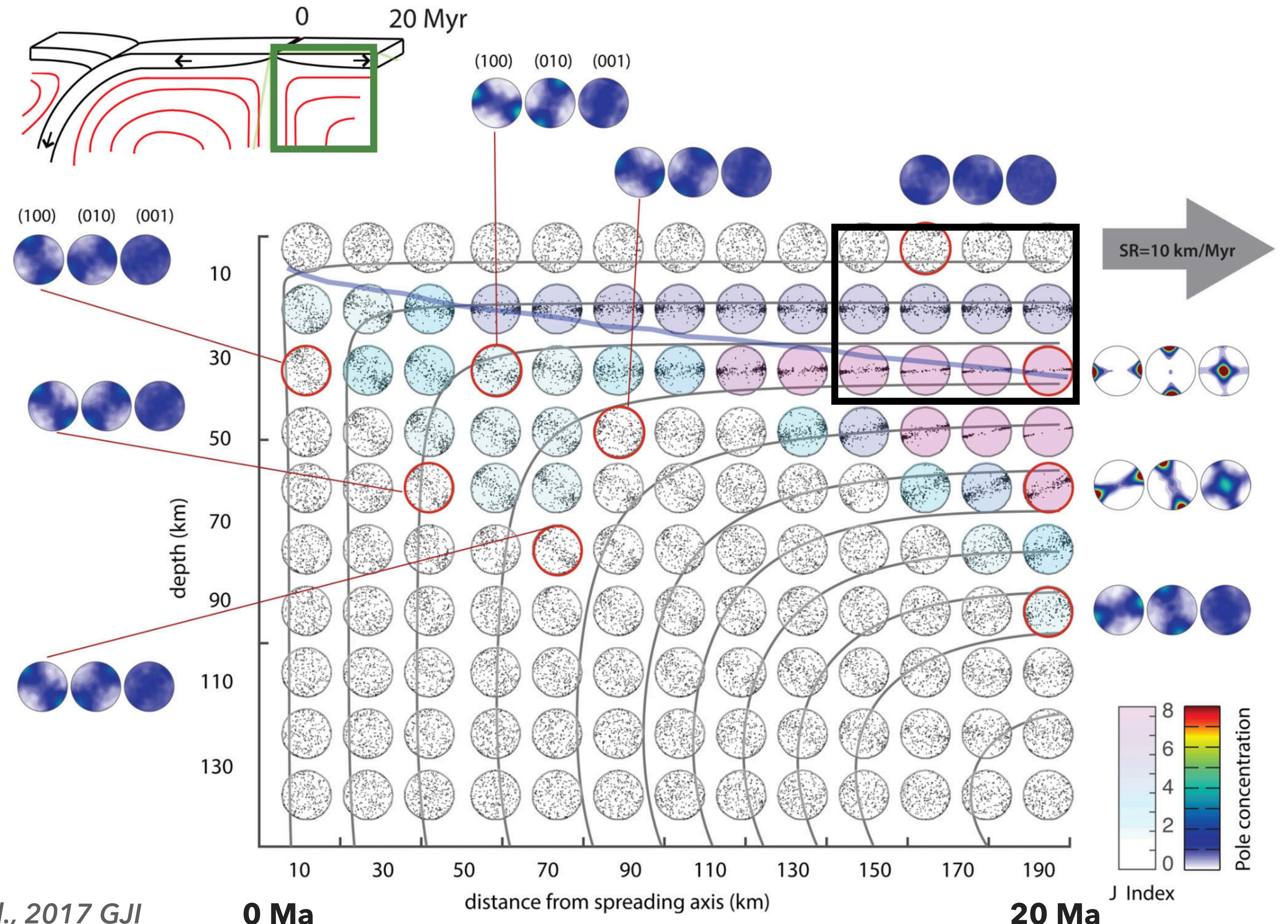
CPO development of fully-coupled, power-law ($n=2$), polycrystal material



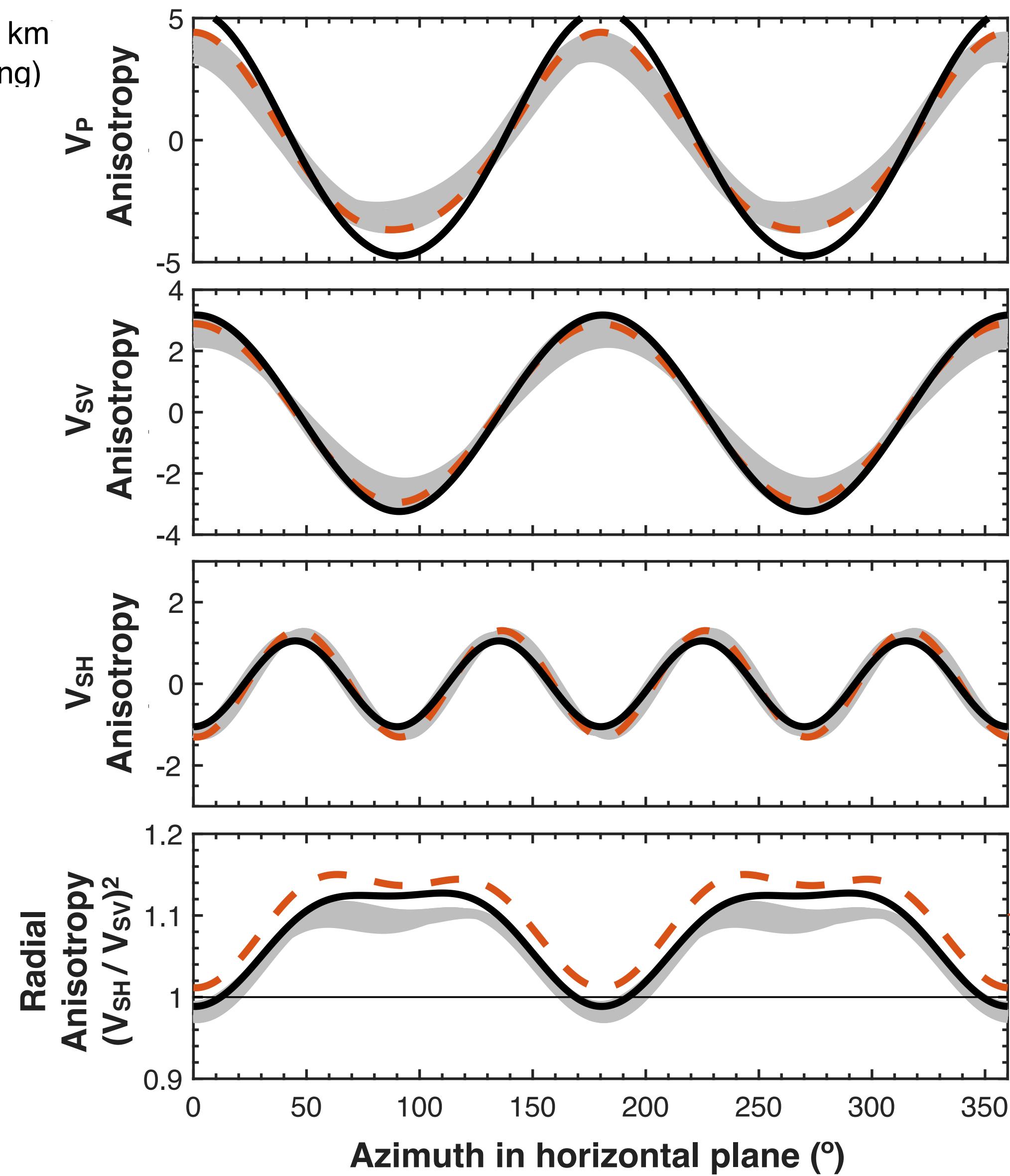
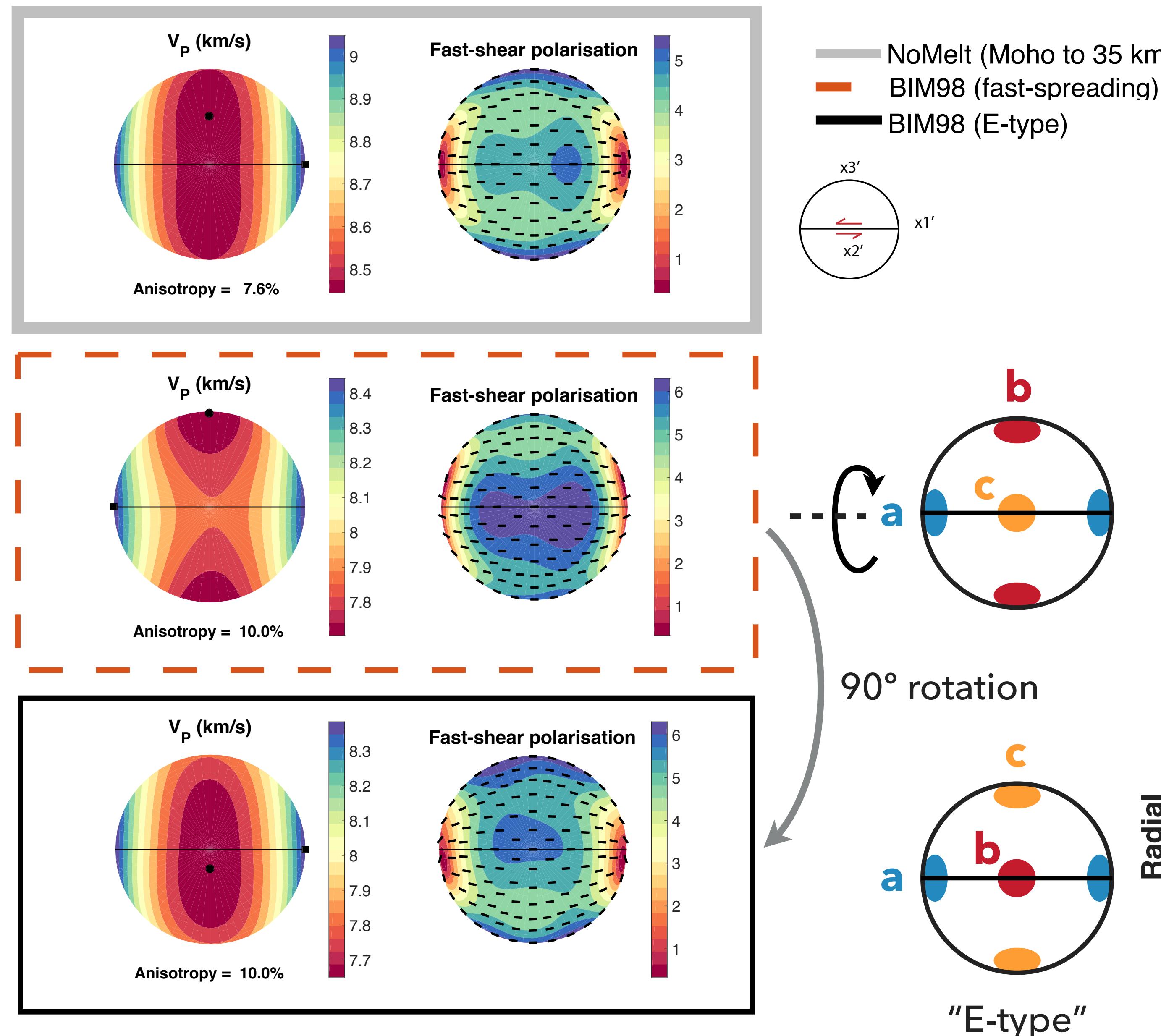
Rotated fabrics: geodynamic modeling

CPO development of fully-coupled, power-law ($n=2$), polycrystal material

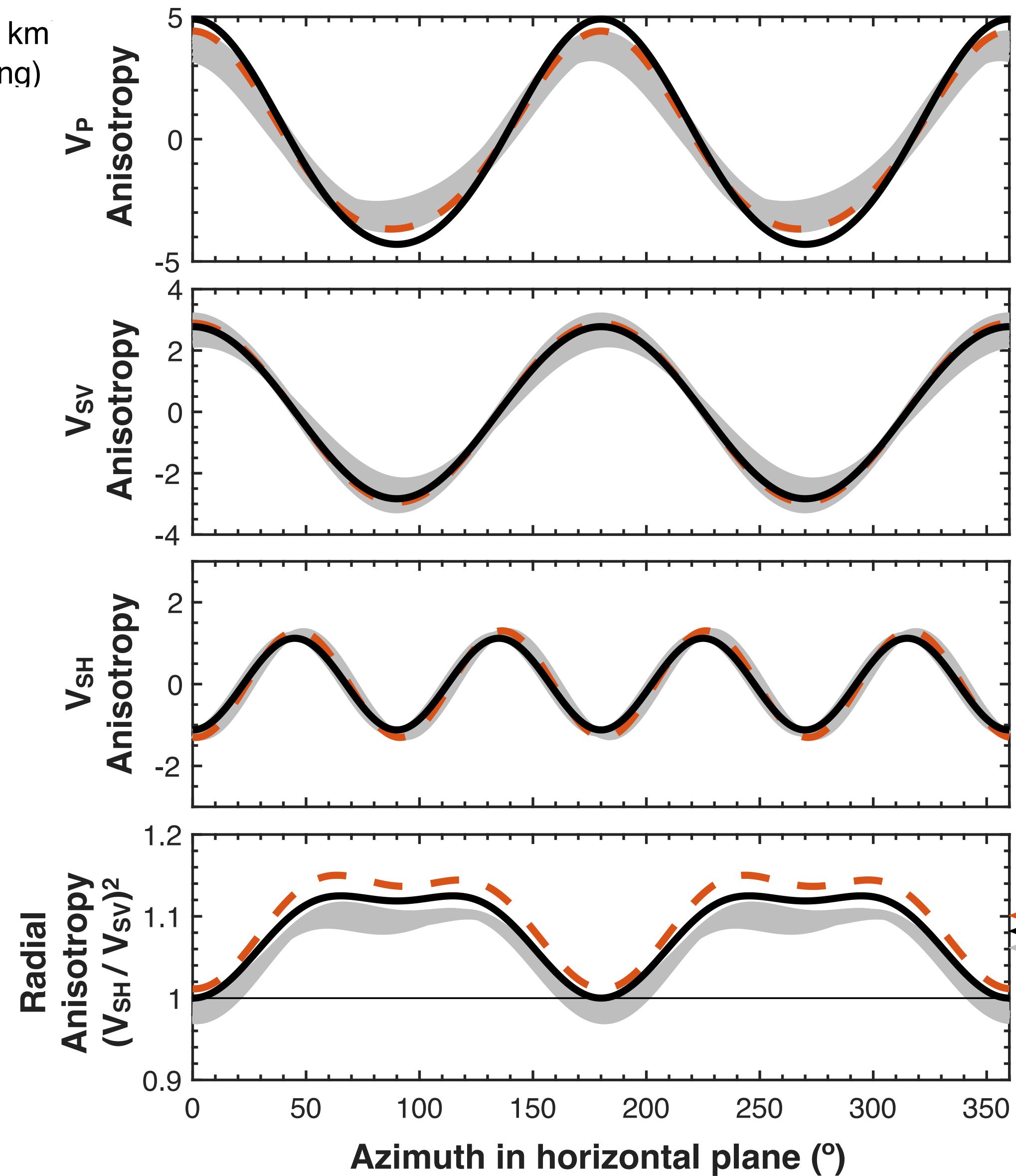
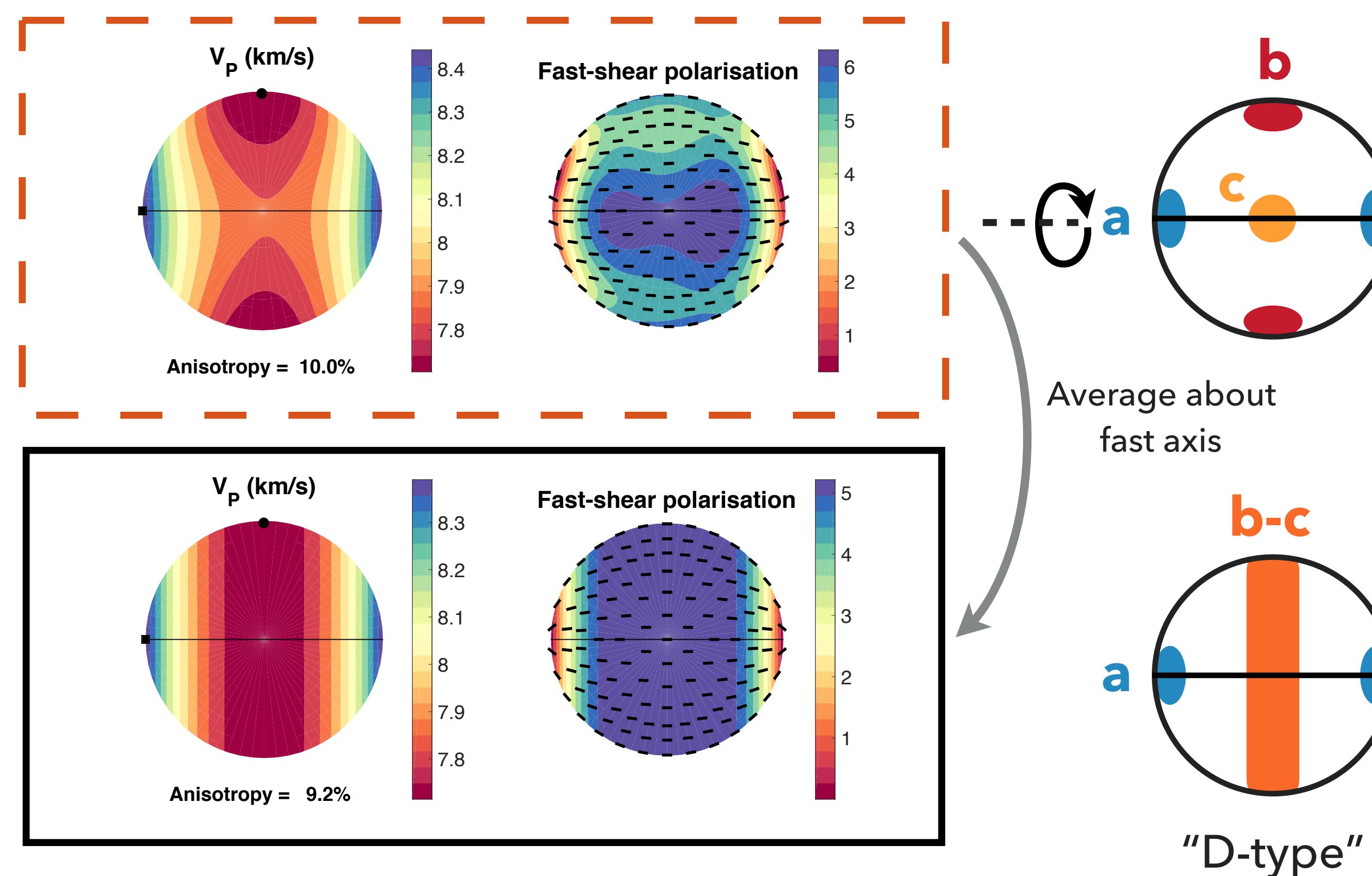
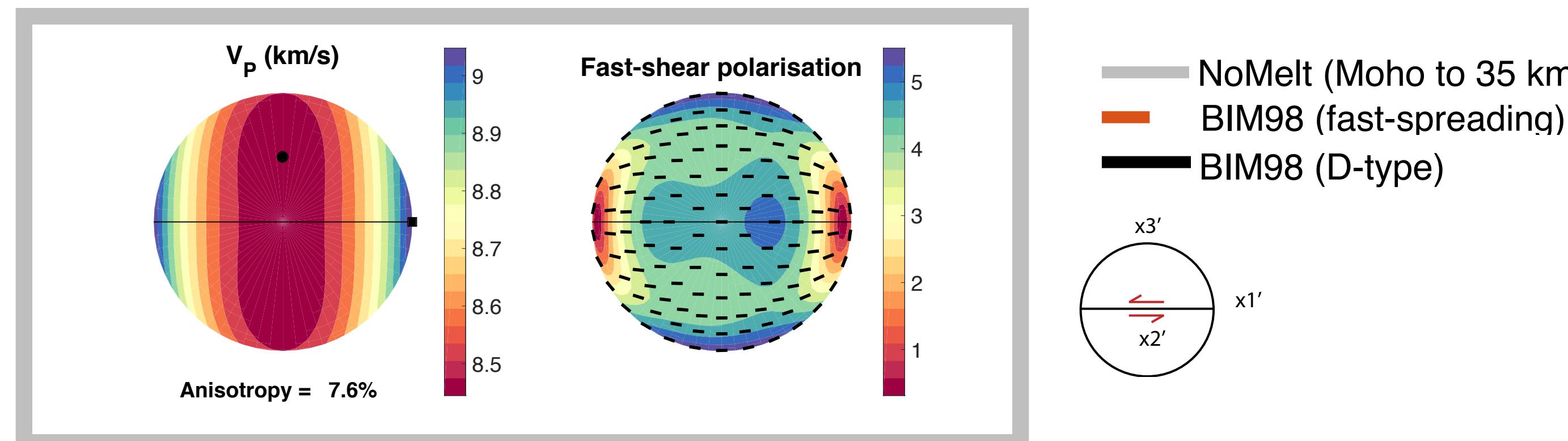
- ▶ lithospheric a-axes horizontally aligned
- ▶ shear strains in the lithosphere too large
- ▶ cooling rate?



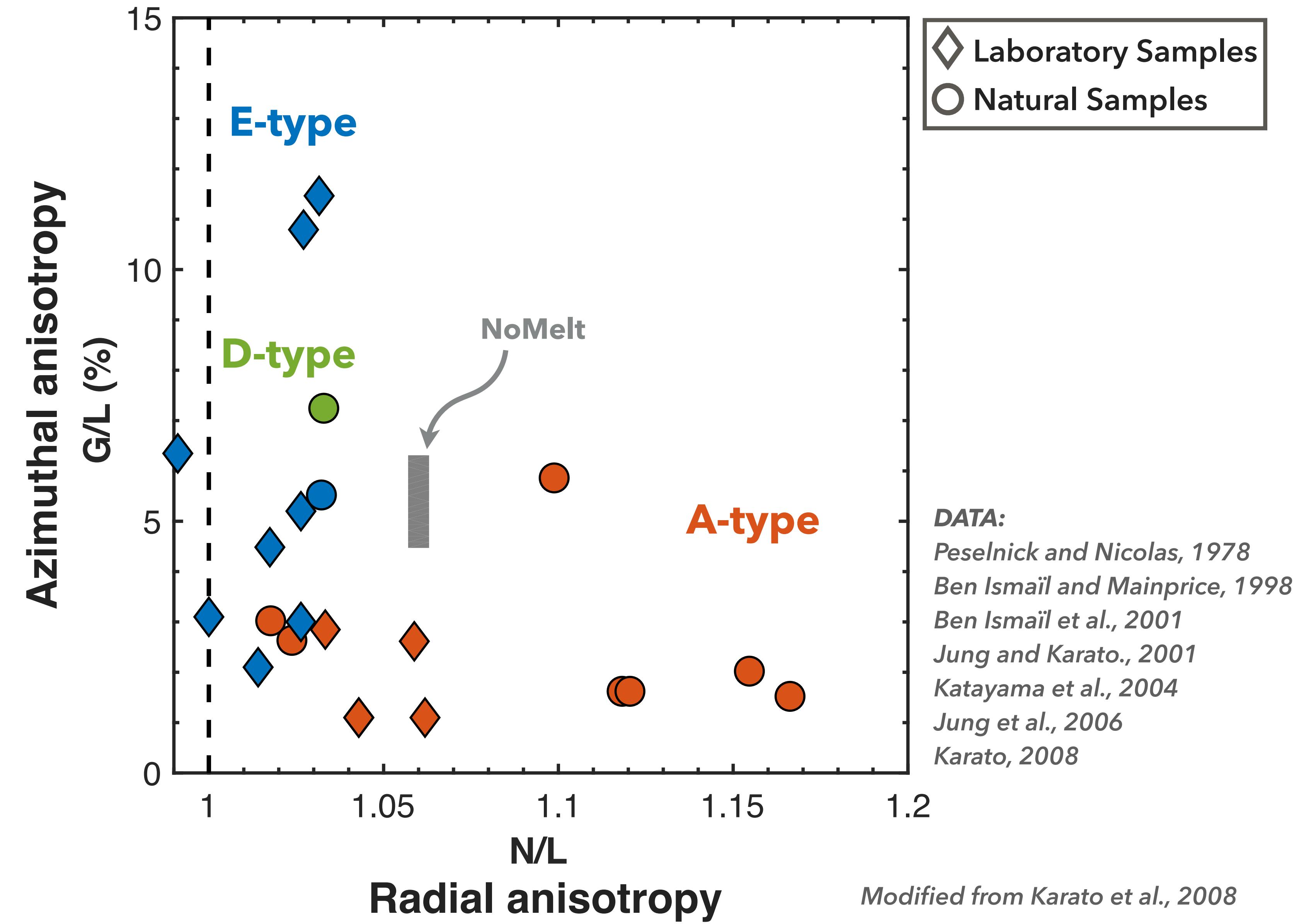
Comparison to petrofabrics: E-type?



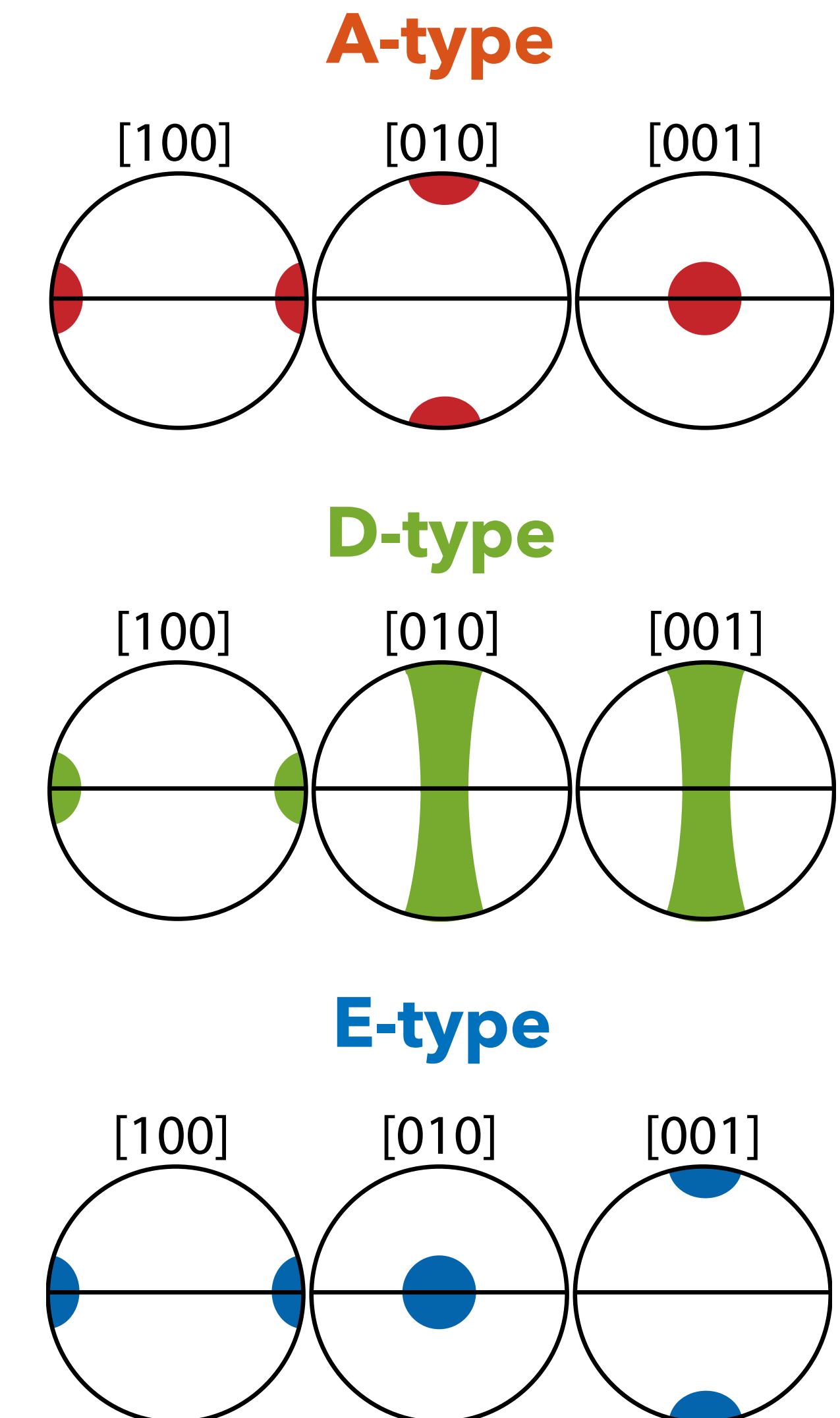
Comparison to petrofabrics: D-type?



Fabric types



Modified from Karato et al., 2008



Conclusions

*We model the full anisotropic variability of surface- and Pn-waves, providing a first *in situ* elastic tensor for 70 Ma oceanic lithosphere.*

- ▶ Anisotropy **strength** and **direction** consistent with oceanic petrofabrics, bridging the gap between outcrop and seismic length scales
 - ▶ Remarkably coherent LPO alignment across NoMelt (~400x600km)

- ▶ **Strong** azimuthal anisotropy and relatively **weak** radial anisotropy consistent with:
 - ▶ (preferred) **A-type fabric rotated 20°-25°**, suggesting lithospheric shear strains < 200%-300%
 - ▶ or E-type fabric: moderate H₂O concentration during fabric formation near the ridge
 - ▶ or D-type fabric: high stress, low H₂O environment near ridge

