

c) Plot Z vs. t for each cell when S changed to 100

Initial Conditions

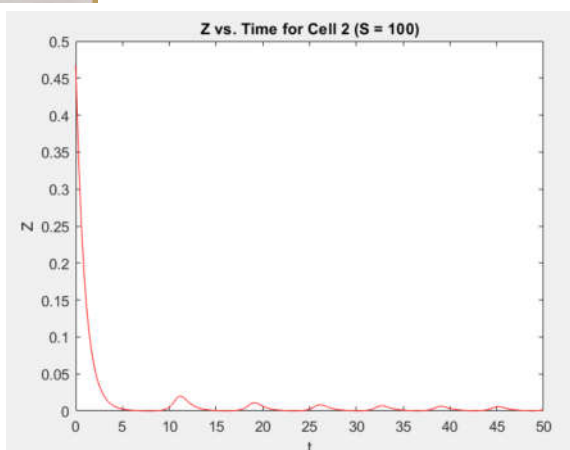
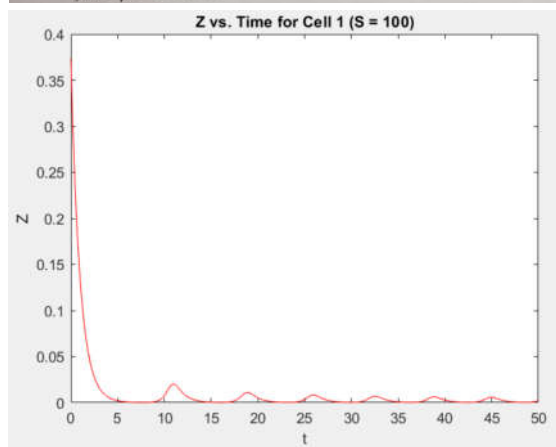
cell 1 $\Rightarrow X = -0.0047, Y = 0.0137, Z = 0.3738$

cell 2 $\Rightarrow X = -0.003525, Y = 0.017125, Z = 0.46725$

cell 3 $\Rightarrow X = -0.005875, Y = 0.010275, Z = 0.28035$

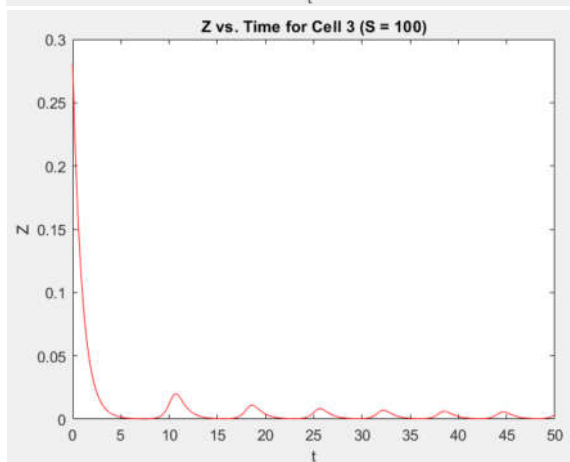
Used same code that was used for part d, just changed S value and Initial Conditions.

AC-DC circuit, $S = 100$



Plots of Z vs. t
for cells 1-3

Incoherent
oscillations



$$S = 105$$

$$\text{steady state} \Rightarrow X = 0.0273, Y = 0.4087, Z = -8.622 \times 10^{-4}$$

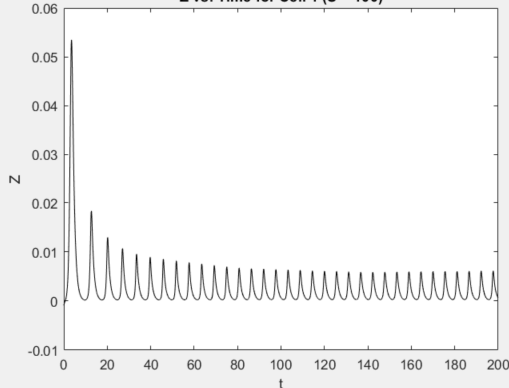
Initial conditions for Z vs. t Plots $S = 105 \rightarrow 100$

$$\text{Cell 1} \Rightarrow X = 0.0273, Y = 0.4087, Z = -8.622 \times 10^{-4}$$

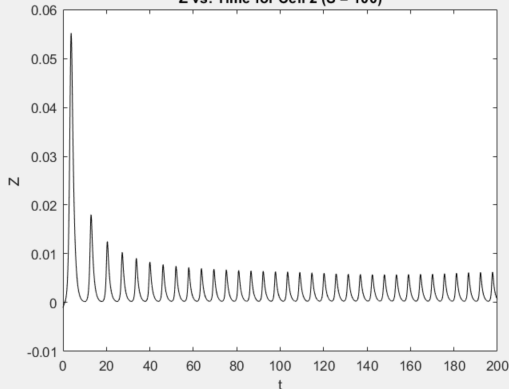
$$\text{Cell 2} \Rightarrow X = 0.034125, Y = 0.510875, Z = -0.0010275$$

$$\text{Cell 3} \Rightarrow X = 0.020475, Y = 0.306525, Z = -6.17 \times 10^{-4}$$

Z vs. Time for Cell 1 (S = 100)



Z vs. Time for Cell 2 (S = 100)

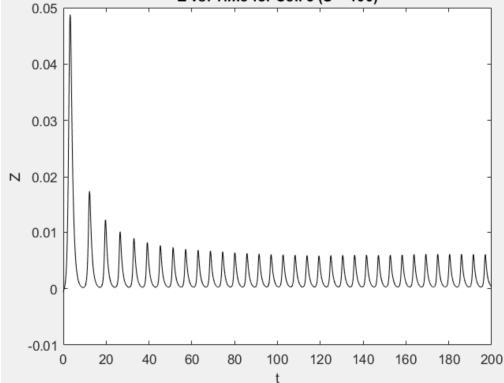


Coherent oscillations

oscillations not damped,
pass through saddle node
bifurcation $S = 105 \rightarrow 100$

By $t \approx 30$, amplitude of
oscillations stays the same.

Z vs. Time for Cell 3 (S = 100)



f) yes because I changed
Signal $S=105$ to $S=100$ in
part e and the resulting
oscillations were coherent.

(I used the parameters from
Table S.1 in my matlab code.)

So, therefore it is possible because
I created plots of z vs. t
for this change in S for part e