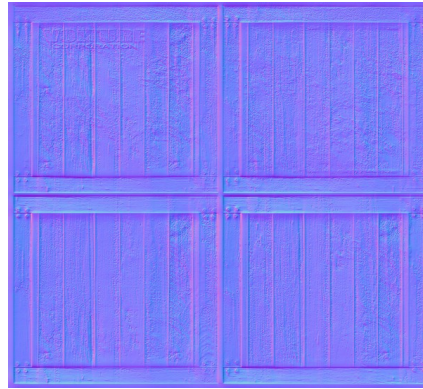


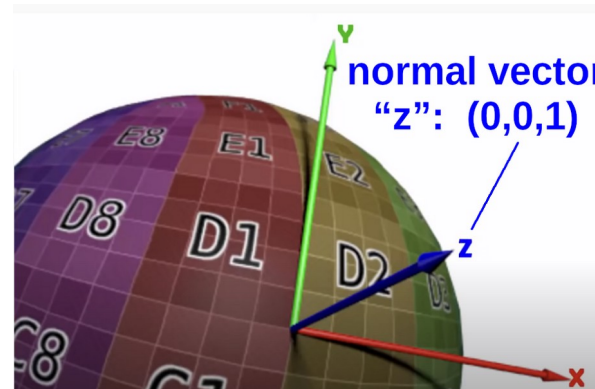
Normal Mapping



Diffuse map



Normal map



Tangent space (per vertex):
x,y are in the plane of the triangle.
The normal vector "z" is up: XYZ(0,0,1)
Range for X, Y, and Z each: -1 to 1

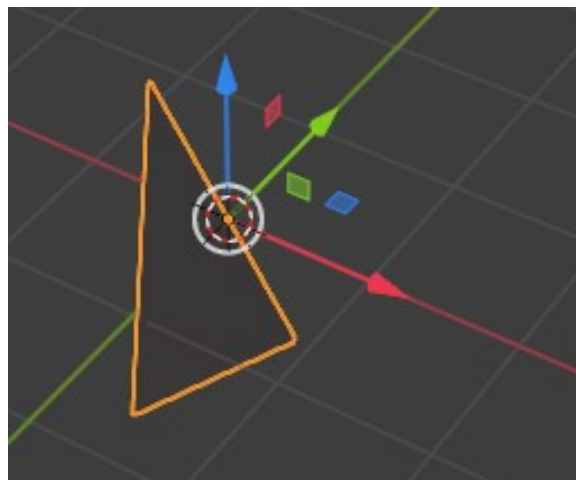
Normals are unit vectors perpendicular to the surface of a 3D object.

In the normal map, the RGB color value for a perpendicular normal vector is:
 $(\text{normalVector} / 2) + \text{vec3}(0.5, 0.5, 0.5) = \text{RGB}(0.5, 0.5, 1.0)$

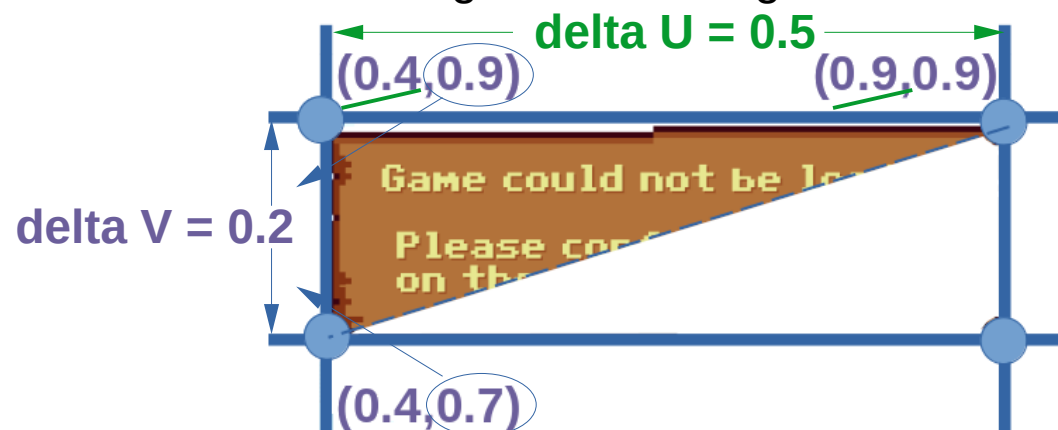
Range for R, G, and B each: 0 to 1



The three vertices of a triangle can be anywhere in a 3D space:



However, UV coordinates are a 2D projection onto a triangle and can be used to calculate the tangent and bitangent:

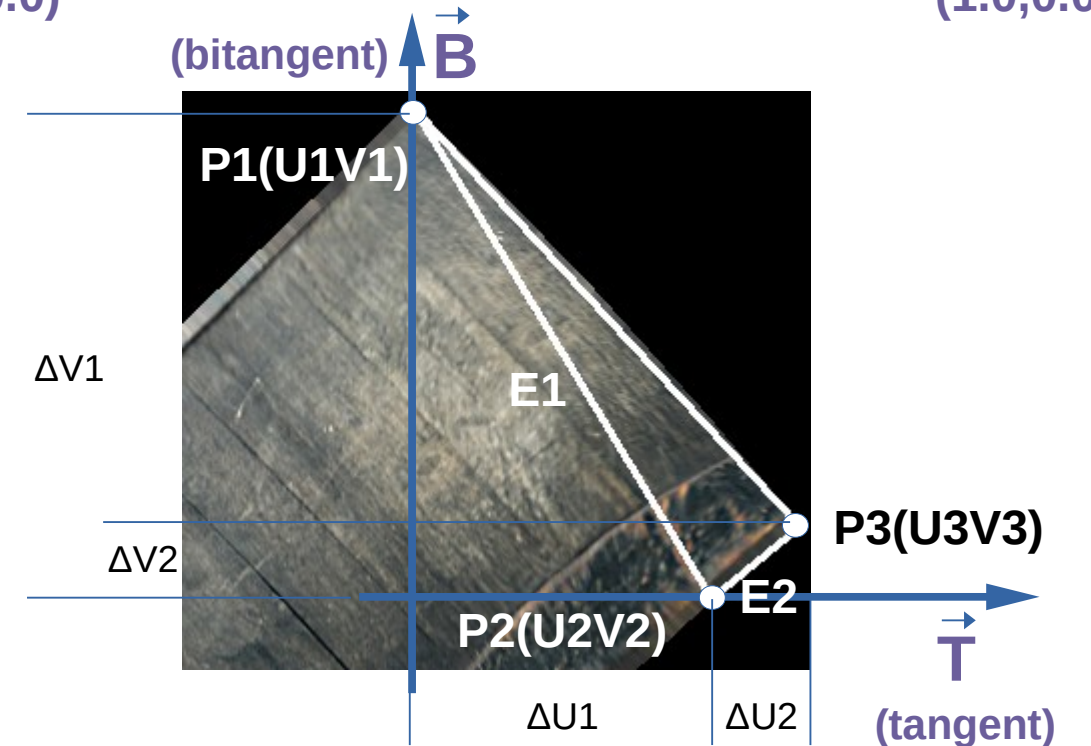


UV Coordinates

(0.0,1.0) Used to define a sub-area in an image; for example in a texture atlas:



Each vertex gets a pair of UV coordinates.



$$\begin{aligned} \vec{E1} &= \Delta U1 \vec{T} + \Delta V1 \vec{B} \\ \vec{E2} &= \Delta U2 \vec{T} + \Delta V2 \vec{B} \end{aligned}$$

$$\begin{bmatrix} E1x & E1y & E1z \\ E2x & E2y & E2z \end{bmatrix} = \begin{bmatrix} \Delta U1 & \Delta V1 \\ \Delta U2 & \Delta V2 \end{bmatrix} \begin{bmatrix} Tx & Ty & Tz \\ Bx & By & Bz \end{bmatrix}$$

$$\begin{bmatrix} Tx & Ty & Tz \\ Bx & By & Bz \end{bmatrix} = \frac{1}{\Delta U1 \Delta V2 - \Delta U2 \Delta V1} \begin{bmatrix} \Delta V2 & -\Delta V1 \\ -\Delta U2 & \Delta U1 \end{bmatrix} \begin{bmatrix} E1x & E1y & E1z \\ E2x & E2y & E2z \end{bmatrix}$$