

# A Gentle Introduction to R

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# A Gentle Introduction to R

## Outline

- ▶ Why R?
- ▶ Tools that I'm using in this presentation.
- ▶ Important Data Types
- ▶ The Basics
- ▶ Random Number Generation
- ▶ Computing Pi
- ▶ Data Analysis with Data Frames
- ▶ Simple Linear Regression
- ▶ Multiple Linear Regression

# Why R?

- ▶ You wish to analyze.
- ▶ You wish to create beautiful plots.

# Tools Used in this Presentation

- ▶ R
- ▶ RStudio

# Data Types

## The (IMO) Important Data Types

- ▶ Numerical
- ▶ Character
- ▶ Logical (TRUE, T, FALSE, F)
- ▶ Vectors
- ▶ Data Frames
- ▶ Factors

# Getting Started

Which of the three statements is the correct way to assign a variable in R?

```
> a <- 1
```

```
> 2 -> b
```

```
> c = 3
```

Answer: All three. The “R way”™ of assigning variables is to use the left arrow.

# Vectors :: 1

Like arrays, but better.

```
> my.vector <- c(1, 3, 7, 15, 31)
> my.vector + 1
[1] 2 4 8 16 32
> my.vector * 2
[1] 2 6 14 30 62
> my.vector ^ 2
[1] 1 9 49 225 961
> my.vector > 10
[1] FALSE FALSE FALSE TRUE TRUE
```

## Vectors :: 2

Like arrays, but better.

```
> my.vector <- c(1, 3, 7, 15, 31)
> sum(my.vector)
[1] 57
> sum(my.vector>10)
[1] 2
> mean(my.vector)
[1] 11.4
> median(my.vector)
[1] 7
> sd(my.vector)
[1] 12.19836
```



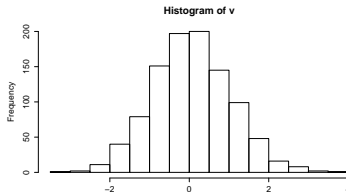
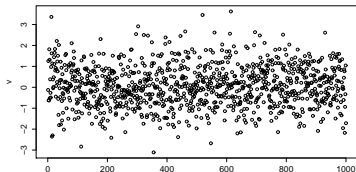
# Random Numbers

- ▶ Normal: `rnorm(n, mean=0, sd=1)`
- ▶ Uniform: `runif(n, low=0, high=1)`

## Quick Test for Normal

Is it true that 'rnorm' produces a normal curve with a mean of 0 and a standard deviation of 1?

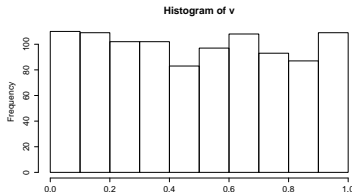
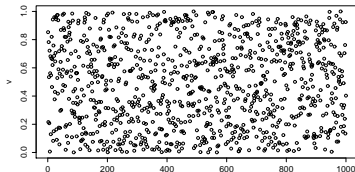
```
> v <- rnorm(1000)
> mean(v)
[1] 0.06681055
> sd(v)
[1] 0.9872857
> plot(v)
> hist(v)
```



## Quick Test for Uniform

Is it true that 'runif' produces a uniform curve with a low of 0 and a high of 1?

```
> v <- runif(1000)
> min(v)
[1] 0.0007571692
> max(v)
[1] 0.9999074
> plot(v)
> hist(v)
```



## Computing Pi using Random Numbers :: Theory

- ▶ A square with sides of length 2 has its center at the origin.
- ▶ A circle with a radius of length 1 has its center at the origin.
- ▶ The length of the side of the square is 2 times the radius of the circle.
- ▶ Area of the square:  $(2r)^2$  or  $4r^2$  or 4.
- ▶ Area of the circle:  $\pi r^2$  or  $\pi$ .
- ▶ The ratio of the area of the two shapes is
$$\frac{\pi}{4} = \frac{\text{Area of the Circle}}{\text{Area of the Square}}$$
- ▶ This means we can write  $\pi$  as
$$\pi = \frac{4 \times \text{Area of the Circle}}{\text{Area of the Square}}$$

## Computing Pi using Random Numbers :: Practice

- ▶ Imagine our square is now a dartboard.
- ▶ We have 100,000 darts to throw at the dartboard.
- ▶ All 100,000 darts must land in the square.
- ▶ We count the darts landing in the circle.
- ▶ We then compute  $\pi$ :

$$\pi = \frac{4 \times \text{Area of the Circle}}{\text{Area of the Square}} = \frac{4 \times \text{Darts in the Circle}}{100,000}$$

## Computing Pi using Random Numbers :: Code

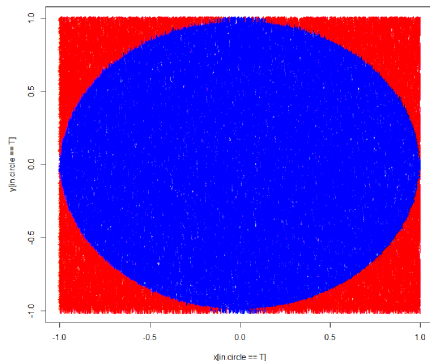
```
> # Start throwing darts
> n <- 100000
> x <- runif(n, -1, 1)
> y <- runif(n, -1, 1)

> # Determine which darts are in the circle
> in.circle <- sqrt(x^2 + y^2) <= 1

> # Estimate pi and calculate the error.
> estimated.pi <- 4 * sum(in.circle) / n
> estimated.pi
[1] 3.14512
> estimated.pi.error <- 100*abs(estimated.pi - pi)/pi
> estimated.pi.error
[1] 0.1122789
```

## Computing Pi using Random Numbers :: Plotting

```
> matplot(x[in.circle==T], y[in.circle==T],  
          col='blue');  
> matplot(x[in.circle==F], y[in.circle==F],  
          col='red', add=T)
```



## Data Analysis :: Reading CSV Files

```
> setwd("~/code/RIntro") # Your working directory
> tax <- read.csv('Tax_Year_2007_County_Income_Data.csv')
> summary(tax)
```

Wages		Dividend		Interest	
Min. :	-1	Min. :	-1	Min. :	-1
1st Qu.:	125193	1st Qu.:	2434	1st Qu.:	6200
Median :	320627	Median :	7234	Median :	14626
Mean :	3327009	Mean :	98482	Mean :	155972
3rd Qu.:	999196	3rd Qu.:	25503	3rd Qu.:	41676
Max. :	669494988	Max. :	19742493	Max. :	34132623

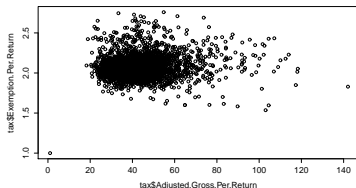
```
> names(tax)
[1] "State.Code"      "County.Code"      "State.Abbr"
     "County"        "Num.Tax>Returns"  "Num.Exemptions"
     "Adjusted.Gross"
[8] "Wages"           "Dividend"         "Interest"
```



## Data Analysis :: Preparing Our Data

Does wealth influence the number of exemptions?

```
> tax$Adjusted.Gross.Per.Return <- tax$Adjusted.Gross / tax$Num.Tax.Ret  
> tax$Exemption.Per.Return <- tax$Num.Exemptions / tax$Num.Tax>Returns  
> median(tax$Adjusted.Gross.Per.Return)  
[1] 40.77554  
> median(tax$Exemption.Per.Return)  
[1] 2.066597  
> plot(tax$Adjusted.Gross.Per.Return, tax$Exemption.Per.Return)
```



## Data Analysis :: Performing the Test

Does the number of exemptions **depend** on the adjusted gross income?

```
> summary(lm(tax$Exemption.Per.Return ~ tax$Adjusted.Gross.Per.Return))
Coefficients:
```

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	2.0408565	0.0084952	240.237	< 2e-16 ***
tax\$Adjusted.Gross.Per.Return	0.0008869	0.0001891	4.691	2.83e-06 ***

---

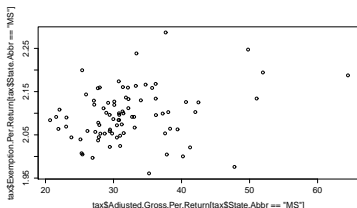
Signif. codes: 0 \*\*\* 0.001 \*\* 0.01 \* 0.05 . 0.1 1

Residual standard error: 0.1372 on 3191 degrees of freedom  
Multiple R-squared: 0.006849, Adjusted R-squared: 0.006538  
F-statistic: 22.01 on 1 and 3191 DF, p-value: 2.832e-06

## Data Analysis :: Preparing Our Data

Does wealth influence the number of exemptions in Mississippi?

```
> plot(tax$Adjusted.Gross.Per.Return[tax$State.Abbbr=="MS"],  
       tax$Exemption.Per.Return[tax$State.Abbbr=="MS"])
```



## Data Analysis :: Performing the Test

Does the number of exemptions **depend** on the adjusted gross income in Mississippi?

```
> summary(lm(tax$Exemption.Per.Return[tax$State.Abbbr=="MS"] ~
             tax$Adjusted.Gross.Per.Return[tax$State.Abbbr=="MS"]))
```

Coefficients:

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	2.0261054	0.0291375	69.536	<2e-16 ***
tax\$Adj...	0.0021531	0.0008805	2.445	0.0166 *

---

Signif. codes: 0 \*\*\* 0.001 \*\* 0.01 \* 0.05 . 0.1 1

Residual standard error: 0.05834 on 81 degrees of freedom  
Multiple R-squared: 0.06875, Adjusted R-squared: 0.05725  
F-statistic: 5.979 on 1 and 81 DF, p-value: 0.01664