

---

## Table of Contents

Jason Chiarulli .....	1
Problem 2.3 .....	1
Problem 2.5 .....	2
Problem 2.12 .....	3
Problem 3.13 .....	4
Problem 3.18 .....	5

## Jason Chiarulli

% Matlab for Engineers, Third Edition  
% Chapter 2 & 3 Homework

clear, clc

## Problem 2.3

% The following calculations demonstrate the order of  
% operations in MATLAB which follow the standard algebraic  
% rules for the order of operations.  
% First, the calculations inside the parentheses are performed  
% from the innermost set to the outermost.  
% Next, the exponentiation operations are performed.  
% Then, the multiplication and division operations are  
% performed from left to right.  
% Finally, the addition and subtraction operations are  
% performed from left to right.

```
5^2
(5 + 3)/(5*6)
sqrt(4 + 6^3)
9 + 6/12 + 7*5^(3+2)
1 + (5*3/6^2) + (2^(2-4))*1/5.5
```

*ans* =

25

*ans* =

0.2667

*ans* =

14.8324

---

```
ans =  
  
2.1884e+04
```

```
ans =  
  
1.4621
```

## Problem 2.5

```
% (a)  
square_edge = 5      % Defines the length of the edge  
                  % of a square  
Area_of_square = square_edge^2 % Calculates the area of  
                  % the square  
  
% (b)  
cube1_edge = 10      % Defines the length of the edge  
                  % of a cube  
Surface_Area_of_cube1 = 6*cube1_edge^2 % Calculates the surface area  
                  % of the cube  
  
% (c)  
cube2_edge = 12      % Defines the length of the edge  
                  % of a cube  
Volume_of_cube2 = cube2_edge^3 % Calculates the volume  
                  % of the cube
```

```
square_edge =  
  
5
```

```
Area_of_square =  
  
25
```

```
cube1_edge =  
  
10
```

```
Surface_Area_of_cube1 =  
  
600
```

```
cube2_edge =  
  
12
```

---

```
Volume_of_cube2 =
```

```
1728
```

## Problem 2.12

```
% (a)
a = 1:20      % a is an evenly spaced vector
               % containing 20 elements

% (b)
b = [0:(pi/10):(2*pi)] % b is a vector from 0 to
                        % 2*pi with increments of pi/10

% (c)
c = linspace(4, 20, 15) % c is a vector of 15 values
                        % from 4 to 20

% (d)
d = logspace(1, 3, 10) % d is a vector of 10 values
                       % between 10^1 to 10^3
```

```
a =
```

```
Columns 1 through 13
```

```
      1      2      3      4      5      6      7      8      9     10     11
12      13
```

```
Columns 14 through 20
```

```
      14      15      16      17      18      19      20
```

```
b =
```

```
Columns 1 through 7
```

```
      0      0.3142      0.6283      0.9425      1.2566      1.5708      1.8850
```

```
Columns 8 through 14
```

```
      2.1991      2.5133      2.8274      3.1416      3.4558      3.7699      4.0841
```

```
Columns 15 through 21
```

```
      4.3982      4.7124      5.0265      5.3407      5.6549      5.9690      6.2832
```

```
c =
```

```
Columns 1 through 7
```

---

```

    4.0000    5.1429    6.2857    7.4286    8.5714    9.7143   10.8571

Columns 8 through 14

    12.0000    13.1429    14.2857    15.4286    16.5714    17.7143   18.8571

Column 15

    20.0000

d =

    1.0e+03 *

Columns 1 through 7

    0.0100    0.0167    0.0278    0.0464    0.0774    0.1292    0.2154

Columns 8 through 10

    0.3594    0.5995    1.0000

```

## Problem 3.13

```

distance = 120           % Distance from the point of line
                        % of sight to the building
theta = [30+3, 30-3] % Maximum and minimum values for
                        % the angle of the line of sight
                        % stored in a matrix
radians = theta*pi./180 % Converts the maximum and
                        % minimum values of theta from
                        % degrees to radians
heights = distance*tan(radians) % Calculates the maximum
                                % and minimum heights
                                % and displays the values
                                % in a matrix

distance =

    120

theta =

    33    27

radians =

```

---

0.5760      0.4712

heights =

77.9289      61.1431

## Problem 3.18

```
deviation_of_random_numbers = 23.5 % Preferred standard deviation
                                % of the random numbers
mean_of_random_numbers = 80 % Preferred mean of the random numbers
x = deviation_of_random_numbers*randn(1, 10000) +
    mean_of_random_numbers;
% Generates 10,000 Gaussian random numbers with a standard
% deviation of 23.5 and a mean of 80.
% The output is suppressed by using a semicolon at the end of
% line, so the command prompt is not overwhelmed with data.
mean_confirmation = mean(x) % Confirms the mean of the 10,000 Gaussian
                            % random numbers to be 80 by taking
                            % the mean of x.
std_confirmation = std(x) % Confirms the standard deviation of the
                          % 10,000 Gaussian random numbers to be
                          % 23.5 by using the std function to
                          % evaluate x.
```

deviation\_of\_random\_numbers =

23.5000

mean\_of\_random\_numbers =

80

mean\_confirmation =

80.0047

std\_confirmation =

23.2469

*Published with MATLAB® R2017a*