## **PART I: GIVEN**

1. Find the root of the following polynomial function using the secant method:

$$x^3 - 4x - 9$$
.

2. Find the root of the following polynomial function using the secant method:

$$x^3 - 4$$
.

3. Find the root of the following polynomial function using the secant method:

$$x^3 - 3$$
.

4. Find the root of the following polynomial function using the secant method:

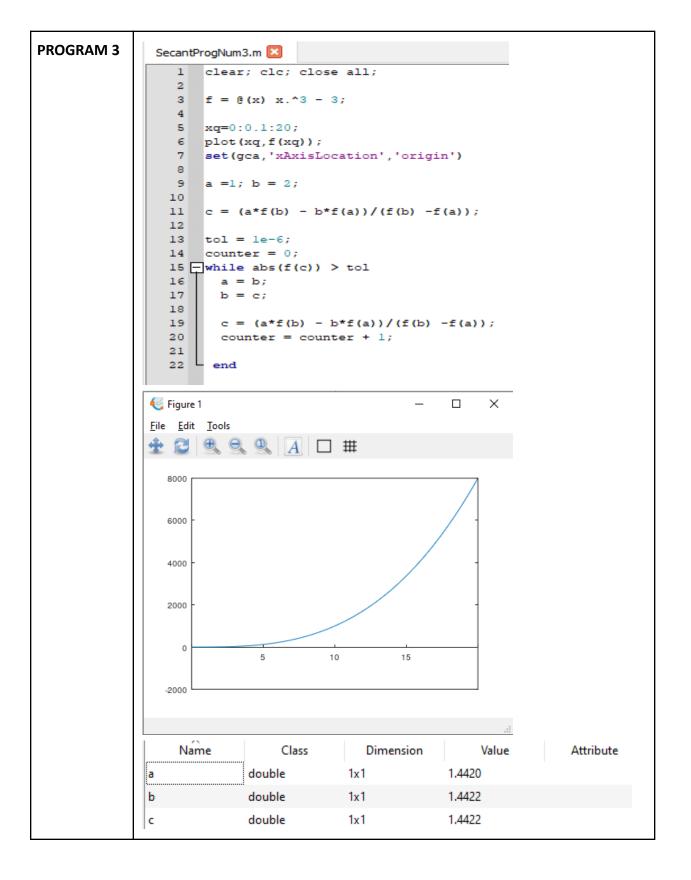
$$x^3 - 3x - 5$$
.

5. Find out after how many iterations the function  $x^4 - x^3 - x^2 - 4$  in the interval [1, 9].

### PART II: SCREENSHOT OF THE OUTPUTS IN GUI OCTAVE

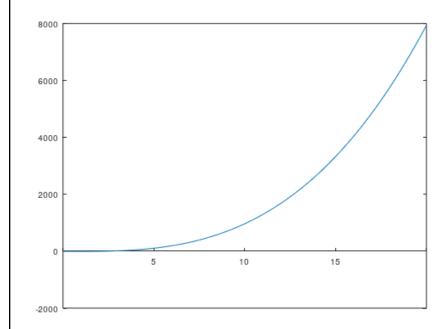
#### PROGRAM 1 1 clear; clc; close all; 2 3 $f = 0(x) x.^3-4*x-9;$ 4 5 xq=0:0.1:20; 6 plot(xq,f(xq)); set(gca,'xAxisLocation','origin') 8 9 a = 2; b = 3;10 11 c = (a\*f(b) - b\*f(a))/(f(b) -f(a));12 13 tol = le-6; 14 counter = 0; 15 -while abs(f(c)) > tol a = b; 16 17 18 c = (a\*f(b) - b\*f(a))/(f(b) -f(a));19 counter = counter + 1; 20 21 22 end 23 8000 6000 4000 2000 5 10 15 -2000 Name Class Dimension Value Attribute double a 1x1 2.7072 b double 1x1 2.7065 c double 1x1 2.7065

```
PROGRAM 2
                  1 clear; clc; close all;
                  2
                  3 f = \theta(x) x.^3-4
                  4
                  5 xq=0:0.1:20;
                      plot(xq,f(xq));
                  6
                      set(gca,'xAxisLocation','origin')
                  8
                  9 a =1.; b = 2;
                 10
                 11 c = (a*f(b) - b*f(a))/(f(b) -f(a));
                 12
                 13 tol = 1e-6;
                     counter = 0;
                 14
                 15 \square while abs(f(c)) > tol
                 16
                       a = b;
                 17
                       b = c;
                 18
                 19
                      c = (a*f(b) - b*f(a))/(f(b) -f(a));
                 20
                      counter = counter + 1;
                 21
                 22 end
               Figure 1
                                                                            \times
               File Edit Tools
               ± ≥ | ⊕, Q, Q, | A | □ ##
                    8000
                    6000
                    4000
                    2000
                                                   10
                   -2000
                                          DILLIGINION
                             Class
                   IVALLIE
                             double
                                                          1.5873
                                            1x1
                             double
                                                          1.5874
               b
                                            1x1
                             double
                                            1x1
                                                          1.5874
               c
```



# PROGRAM 4

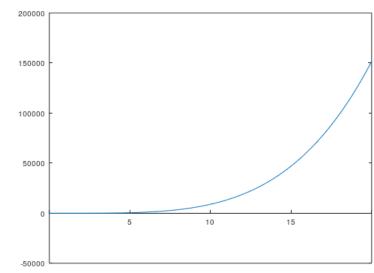
```
asecant1.m
     clear; clc; close all;
  3
     f = 0(x) x.^3-3*x-5;
  4
  5 xq=0:0.1:20;
  6
     plot(xq,f(xq));
  7
     set(gca,'xAxisLocation','origin')
 9
     a = 0.05; b = 0.02;
 10
 11
     c = (a*f(b) - b*f(a))/(f(b) -f(a));
 12
 13 tol = 1e-6;
 14 counter = 0;
 15 -while abs(f(c)) > tol
 16
      a = b;
 17
      b = c;
 18
 19
      c = (a*f(b) - b*f(a))/(f(b) -f(a));
 20
      counter = counter + 1;
 21
 22 L endS
```



Name	Class	Dimension	Value	Attribute
a	double	1x1	2.2776	
b	double	1x1	2.2790	
С	double	1x1	2.2790	

## **PROGRAM 5**

```
clear; clc; close all;
 3
    f = \theta(x) x.^4-x.^3-x.^2-4;
 4
 5
    xq=0:0.1:20;
 6
    plot(xq,f(xq));
 7
    set(gca,'xAxisLocation','origin')
9
    a = 1; b = 9;
10
11
    c = (a*f(b) - b*f(a))/(f(b) -f(a));
12
13
    tol = 1e-6;
    counter = 0;
14
15 — while abs(f(c)) > tol
16
      a = b;
17
      b = c;
18
19
      c = (a*f(b) - b*f(a))/(f(b) -f(a));
20
      counter = counter + 1;
21
22
```



Name Class Dimension Value Attribute

The secant method does not converge. Initial values [1, 9] are too far from the root.