

An Analysis of Missing Transverse Momentum Triggers for Improving Efficiency at the ATLAS Experiment at CERN

by

Joseph Corrado

Thesis Submitted in Partial Fulfillment of the
Requirements for the Degree of
Bachelors with Honors

in the
Department of Physics
Faculty of NYU Physics

© Joseph Corrado 2019
NEW YORK UNIVERSITY
Spring 2019

Copyright in this work rests with the author. Please ensure that any reproduction
or re-use is done in accordance with the relevant national copyright legislation.

Approval

Name: Joseph Corrado

Degree: Bachelors with Honors (Physics)

Title: An Analysis of Missing Transverse Momentum
Triggers for Improving Efficiency at the ATLAS
Experiment at CERN

Examining Committee: **Chair:** Allen Mincer
Senior Supervisor
Professor

Kyle Cranmer
Professor

Daniel Zwanziger
Dean of Undergraduate Studies
Professor

Date Defended: May 20th, 2019

Abstract

This is a blank document from which you can start writing your thesis.

Keywords:

Dedication

This is an optional page.

Acknowledgements

This is an optional page.

Table of Contents

Approval	ii
Abstract	iii
Dedication	iv
Acknowledgements	v
Table of Contents	vi
List of Tables	vii
List of Figures	viii
1 Introduction	1
1.1 The Large Hadron Collider	1
1.2 ATLAS Experiment	1
1.3 Trigger System	2
1.4 Missing Transverse Momentum	2
1.5 Efficiency Curves	2
1.6 Improving Efficiency Using Combined Algorithms	3
1.6.1 Transverse Mass Cut	4
1.7 Results	5
1.7.1 Algorithms that did not do better combined	5
1.7.2 Algorithms that did do better combined	6
1.7.3 Best Combined Algorithms and Best Individual Algorithms	7
1.8 Predicting the unbiased MET Distribution as the LHC Uses a Higher Lumi- nosity	8
Bibliography	9
Appendix A Code	9

List of Tables

List of Figures

Figure 1.1	Efficiencies of METCELL and METTOPOCLPS	5
Figure 1.2	Efficiencies of METTOPOCL and METTOPOCLPUC	5
Figure 1.3	Efficiencies of METCELL and METTOPOCLPUC	6
Figure 1.4	Efficiencies of METTOPOCL and METTOPOCLPUC	6
Figure 1.5	Efficiencies of METTOPOCL and METTOPOCLPUC	7

Chapter 1

Introduction

1.1 The Large Hadron Collider

The Large Hadron Collider is the most powerful particle accelerator in the world, located in CERN on the France-Swiss border. The circumference of the LHC is 27km, and is located 100m underground. The maximum energy possible to accelerate the particles to in the LHC is directly dependent on the size of the LHC and the strength of the magnets used to accelerate the particles. In order to achieve the design energy of 7 TeV per proton, it was necessary to have a circumference of 27km, and to use some of the most powerful dipoles and radiofrequency cavities in existence. Inside the pipes where the protons travel, a very strong vacuum is required, and so the pressure in some parts is over $10^{-9}Pa$. The beams are made up of cylinder-like bunches. Using these bunches, the expected number of collisions is 10^{34} per cm^2 per second. The time between bunches is about $25ns$, so in the entire circumference of the LHC, there are about 3550 bunches.

1.2 ATLAS Experiment

ATLAS (A Toroidal LHC ApparatuS) is one of seven particle detector experiments constructed at the Large Hadron Collider, a particle accelerator at CERN. When the LHC runs at full energy and intensity, about 600 million proton-proton collisions take place every second inside the ATLAS detector. The amount of data collected for each event is around 1MB, which means that there is approximately:

$$10^9 Hz(1Mb) = 1Pb/s$$

of data produced. Because this is significantly larger than any practical system can handle, there are **triggers** that are designed to reject uninteresting events and keep the interesting ones. For ATLAS, the trigger system is designed to collect about 200 events per second. This means that ATLAS collects about 4 petabytes of data per year. There are 10^{11} protons in a bunch. The proton-proton interaction cross section is approximately $100mb$.

1.3 Trigger System

In particle physics, a trigger is a system that uses simple criteria to rapidly decide which events in a particle detector to keep when only a small fraction of the total can be recorded. The trigger system is necessary because of limitations in terms of data storage capacity and rates. In general, the experiments typically search for “interesting” events (decays of rare particles) that occur at relatively low rates, so we need to have trigger systems that identify events that should be recorded for later analysis. The Large Hadron Collider has an event rate of approximately 1 GHz. The triggers are divided into levels so that each level selects the data that becomes an input for the next level, which has more time available and more information to make better decisions. There is the **Level-1 (L1)** system, which is based on custom electronics, and the **High Level Trigger (HLT)** system, that relies on commercial processors. The L1 system uses only coarsely segmented data from the calorimeter and muon detectors, while holding all the high-resolution data in pipeline memories in the electronics.

1.4 Missing Transverse Momentum

The transverse momentum is defined to be the momentum in the transverse plane to the beam axis. Because the protons in the beam pipe collide approximately head-on in opposite directions, we expect the produced particles to have approximately zero momentum. As a result, we know we must conserve transverse momentum. The total transverse momentum is defined to be the vector sum of the transverse momenta of the particles produced in the beam pipe. Missing transverse momentum is defined as the vector sum of the transverse momenta of all invisible particles. The missing transverse momentum can be understood as the amount by which produced particles are failing to obey conservation of the three-momentum. Therefore, by only using muon-triggered events that passed a W transverse mass cut enriches the W and therefore real MET content.

1.5 Efficiency Curves

An efficiency curve illustrates the probability of an algorithm to classify the MET of an event as above or below a threshold value as a function of the MET as determined by another, “true” algorithm. So we can ask, what is the efficiency of $L1 > 30$ as a function of CELL MET. What this is means is we are taking the MET as determined by CELL to be the true MET, and we want to know how well (what the probability is) L1 does at classifying events as having MET above or below 30 at each value of the MET determined by CELL. The way one would read a plot of this efficiency is to pick a value of CELL MET (on the x-axis) and ask “of the number of events CELL determined had this MET, what fraction did L1 determine had MET greater than the threshold [30 GeV]”. The fraction [of the total amount of events CELL determined was in that MET bin] that L1 determined was

greater than the threshold would be the height of the efficiency curve at that value of CELL MET. A perfect efficiency curve would look like a step function centered at the threshold around which one is trying to classify the MET of events. The fact that efficiency curves in reality do not look like step functions can be understood in terms of Type I and Type II error. The step function for the efficiency curve would be centered on the threshold one is asking for the efficiency about. The fact that the efficiency curve immediately to the left of the threshold is not zero means that, of the events CELL determined had MET lower than the threshold, L1 determined some fraction of those events had an MET higher than the threshold. The fact that the efficiency curve immediately to the right of the threshold is not one means that, of the events CELL said had MET larger than the threshold, L1 said some fraction of those events had MET lower than the threshold. In this case, the fraction of events L1 determined had an MET higher than the threshold, given that CELL said the MET was higher than the threshold, is less than one.

1.6 Improving Efficiency Using Combined Algorithms

In this assignment, we wanted to see if we could obtain an increase in efficiency by combining uncorrelated algorithms together subject to the constraint of the trigger rate. The issue is that there are many pairs of thresholds that when combine will keep the proper trigger rate. In the parameter space of all possible combinations of combined thresholds, we have two degrees of freedom in determining what the appropriate thresholds on a pair of algorithms should be. In order to simplify the problem, I imposed the constraint that the two trigger rates for the algorithms had to be the same. Therefore, I removed a degree of freedom in the parameter space by constraining my solution space to pairs of thresholds that satisfy the trigger rate and lie on the line $y = x$. The monotonicity of the fraction of events kept as you change either of the thresholds on the algorithms guarantees that there will be a unique solution to both of these constraints on the parameter space.

Once we added the constraint of keeping the same fraction individually, the problem essentially became one-dimensional, and I used the popular bisection root-finding method in order to compute the solution to the optimal pair of thresholds.

This consisted of guessing an individual fraction for each of the algorithms to keep, and then computing what the combined fraction of events kept was. We iterated this process until the combined fraction kept matched the trigger rate to within one bin. The level curve describing the set of pairs of thresholds such that the trigger rate constraint is satisfied is given by the constraint:

$$f(\tau_\alpha, \tau_\beta) = C$$

for some C . Here, f is the function representing the fraction of events kept when the algorithms are used together at the same time. In order to compute C , we used the fraction of passnoalg data that passed an L1 MET cut of 50 GeV and a CELL MET cut of 100

GeV. For our analysis, C turned out to be 0.0059. So we needed to solve the equation $f(\tau_\alpha, \tau_\beta) = 0.0059$. However, because the parameter space is two-dimensional, and the evaluation of f takes a long time (fraction of events kept by both algorithms, and by each one individually), we introduced the constraint that the two individual fractions kept needed to be the same.

1.6.1 Transverse Mass Cut

In addition to the cuts on the various algorithms, we also needed to introduce a cut on the transverse mass that is detected to ensure we only keep events with a transverse mass close to that of the W boson ($80.379 \pm 0.012 \text{ GeV}/c^2$). We compute the transverse mass using:

$$m_T = \sqrt{2P_\mu P_\nu (1 + \cos(\phi))}$$

In addition to the aforementioned cuts, we also added a cut on the transverse mass for the range $40 \leq m_T \leq 100$.

1.7 Results

1.7.1 Algorithms that did not do better combined

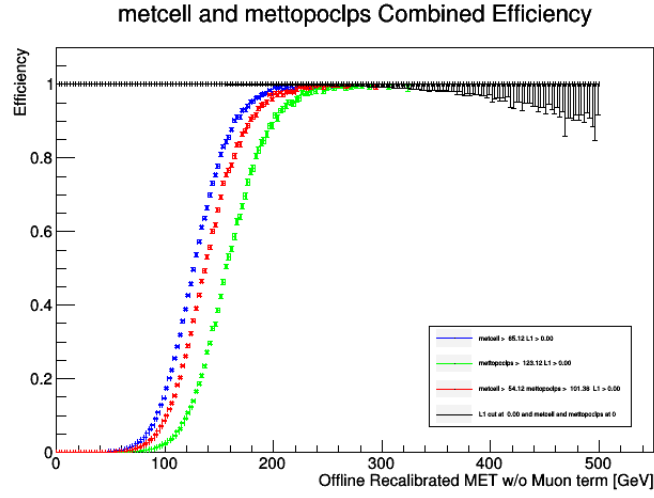


Figure 1.1: Efficiencies of METCELL and METTOPOCLPS

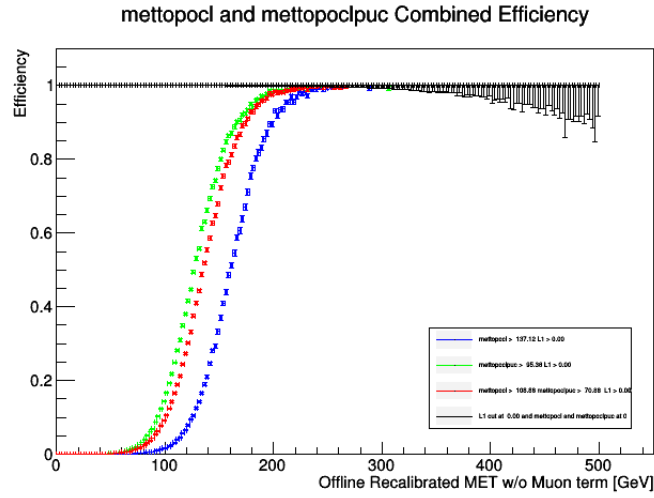


Figure 1.2: Efficiencies of METTOPOCL and METTOPOCLPUC

1.7.2 Algorithms that did do better combined

We found that we were able to achieve an increase in the overall efficiency for some of the pairs of algorithms considered.

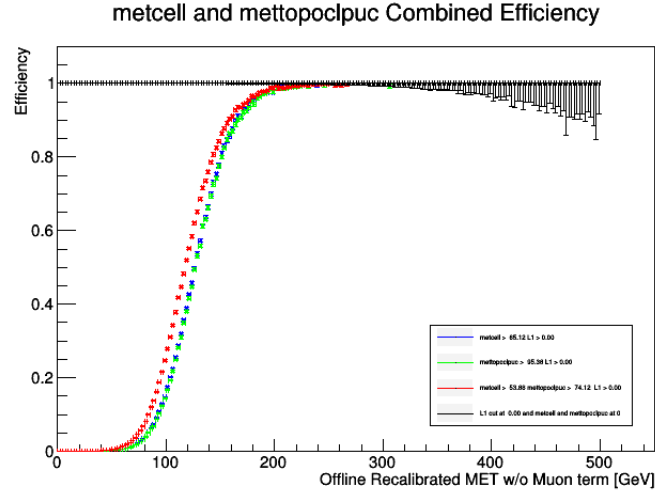


Figure 1.3: Efficiencies of METCELL and METTOPOCLPUC

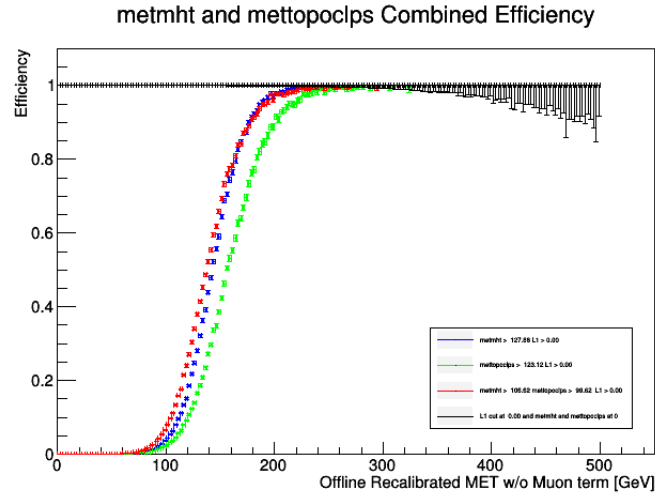


Figure 1.4: Efficiencies of METTOPOCL and METTOPOCLPUC

1.7.3 Best Combined Algorithms and Best Individual Algorithms

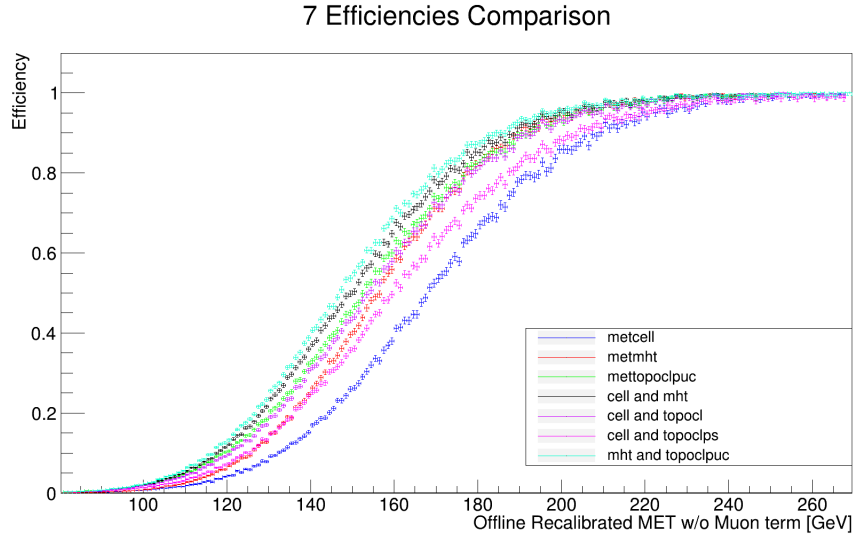


Figure 1.5: Efficiencies of METTOPOCL and METTOPOCLPUC

1.8 Predicting the unbiased MET Distribution at Higher Luminosity

Our goal is to empirically reconstruct the unbiased MET distribution using ZeroBias HLT noalg L1XE30 and HLT noalg L1XE50 data. We want to use this data to determine the CELL MET distribution as a function of μ . Because the zerobias events only allow us to go up to about 80 GeV, we use the HLTnoalg_L1XExx triggered events in order to extend to higher MET. We correct the HLTnoalg_L1XExx data using the efficiency curves determined from lower threshold triggers. In addition to performing this correction, we needed to propagate the errors properly on the corrected distribution because it depends on the fit functions to the efficiency in which the fitting parameters have some uncertainty. In order to do the reconstruction, we needed to perform several steps:

1. compute the efficiency of $L1 > 30\text{GeV}$ for HLT_ZB_L1ZB data as a function of CELL MET
2. correct the HLT_ZB_L1XE30 data back to the HLT_ZB_L1ZB distribution by multiplying by the prescale and dividing by the efficiency.
3. compute the efficiency of $L1 > 50\text{GeV}$ for HLT_ZB_L1XE30 data as a function of CELL MET
4. correct the HLT_ZB_L1XE50 data back to the HLT_ZB_L1ZB distribution by multiplying by the corresponding prescale, and dividing by both of the previously computed efficiencies.

For this project, we used the 2015, 2016 and 2017 combined HLTnoalg_L1Z , HLTnoalg_L1XE30 and HLTnoalg_L1XE50 data produced by Jonathan Burr on 11/17/2017 from the zerobias and JETM10 trees. In addition, we removed the events from runs 330203, 331975 and 334487 because these events had large MET events without jets and the logbook says there were calorimeter noise problems in these runs.

Appendix A

Code