

```
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Exponent: 65537 (0x10001)
```

This already looks very fishy. Those \xff bytes show that the modulus is very close to a power of 2, multiplied by some number. Factoring this number would be impossible if we started from the beginning, but we can find the square root of the number and start from there. The following script does just that:

```
def isqrt(n):
    x = n
    y = (x + n // x) // 2
    while y < x:
    x = y
    y = (x + n // x) // 2
    return x</pre>
```

```
n = 6795799294454170907963733149583528805101773617294621926897912431021967690181463414199405691024966518249
e = 65537

i = isqrt(n)

p, q = 0, 0

while True:
    if n - (i * (n / i)) == 0:
        p = i
        q = n/i
        break
    i += 1

print p
print q
```

This gives us  $\,p\,$  and  $\,q\,$ , which are indeed twin primes. All we have to do now is to decrypt  $\,$  cipher.bin . We can achieve this with the following script:

```
e = 65537
def egcd(a, b):
 if a == 0:
  return (b, 0, 1)
  g, y, x = \operatorname{egcd}(b % a, a)
  return (g, x - (b // a) * y, y)
def modinv(a, m):
 g, x, y = egcd(a, m)
 if g != 1:
  raise Exception('modular inverse does not exist')
 else:
  return x % m
cipher = open('cipher.bin', 'rb').read().encode('hex')
cipher = int(cipher, 16)
fi = (p-1)*(q-1)
d = modinv(e, fi)
flag = pow(cipher, d, n)
print ('%x' % flag).decode('hex')
```

After executing this, we get the flag in the output:

Congratulations! Here is a treat for you: flag{how\_d0\_you\_7urn\_this\_0n?}

## Other write-ups and resources

• https://github.com/jesstess/tinyctf/blob/master/rsa/rsa.md

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