

我怎么能不努力奋斗

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Sharif University CTF 2016 - Smooth As Silk

Category: Crypto Points: 200 Solves: 11

Description:

$p > q$

$n = p * q =$

11461532818525251775869994369956628325
43747851048527273041984332051794060180
85975529256294517956119903726515687701
81872282590309894187815091191649914833
27480541943252538623487647730747233702
69667454085070040009481121919737770904
07558162018558945596691322909404307420
09458460610320649042655174591026813839
38040436418768165985990648563582666503
39178617149833032309379858059729179857
419751093138295863034844253827963

$flag = md5(str(p))$

EN:

Can solve it by using Pollard P-1 Factorization Method (http://www.mersennewiki.org/index.php/P-1_Factorization_Method) ;

$$E = 2^{E_2} * 3^{E_3} * 5^{E_5} * ... * B$$

step 01: select B1

$$N = p * q \quad (p > q)$$

$$q \leq \sqrt{N}$$

$$B1 = \sqrt{N}$$

more B1 is bigger, the more possible can find out it(?! maybe, No!)

step 02: count out E2, E3, E5

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1. Sharif University CTF 2016 -- Android App(309)
2. Sharif University CTF 2016 - Smooth As Silk(284)
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5. nullcon HackIM 2016 -- Crypto Question 4(84)

$2^{E2} \leq B1, 3^{E3} \leq B1 \dots$

$E2 = \log(B1) / \log(2)$

$E3 = \log(B1) / \log(3)$

$E5 = \log(B1) / \log(5)$

$E7 = \log(B1) / \log(7)$

...

push 2 in the z[] E2 times, push 3 in the z[] E3 times, push 5 in the z[] E5 times ...

step 03:

$x = a$, (a is a prime)

$i = 0$

do

$x^{z[i]} \equiv a \pmod{n}$

$x = a$

until $\gcd(n, x-1) \neq 1$

$\gcd(n, x-1)$ is one factor of N.



```
#!/usr/bin/python3
import math
```

```
n=1146153281852525177586999436995662832543747851
048527273041984332051794060180859755292562945179
561199037265156877018187228259030989418781509119
164991483327480541943252538623487647730747233702
696674540850700400094811219197377709040755816201
855894559669132290940430742009458460610320649042
655174591026813839380404364187681659859906485635
826665033917861714983303230937985805972917985741
9751093138295863034844253827963
```

```
z=[]
```

```
prime=
```

```
[2,3,5,7,11,13,17,19,23,29,31,37,41,43,47,53,59,
61,67,71,73,79,83,89,97,101,103,107,109,113,127,
131,137,139,149,151,157,163,167,173,179,181,191,
193,197,199,211,223,227,229,233,239,241,251,257,
263,269,271,277,281,283,293,307,311,313,317,331,
337,347,349,353,359,367,373,379,383,389,397,401
```

```

337,347,349,353,359,367,373,379,383,389,397,401,
409,419,421,431,433,439,443,449,457,461,463,467,
479,487,491,499,503,509,521,523,541,547,557,563,
569,571,577,587,593,599,601,607,613,617,619,631,
641,643,647,653,659,661,673,677,683,691,701,709,
719,727,733,739,743,751,757,761,769,773,787,797,
809,811,821,823,827,829,839,853,857,859,863,877,
881,883,887,907,911,919,929,937,941,947,953,967,
971,977,983,991,997];
def gcd(a,b):
    if b==0:
        return a
    return gcd(b,a%b)

def e(a,b):
    return pow(a,b)%n

def mysqrt(n):
    x=n
    y=[]
    while(x>0):
        y.append(x%100)
        x=x//100
    y.reverse()
    a=0
    x=0
    for p in y:
        for b in range(9,-1,-1):
            if(( (20*a+b)*b)<=(x*100+p)):
                x=x*100+p - ((20*a+b)*b)
                a=a*10+b
                break

    return a

B1=mysqrt(n)
for j in range(0,len(prime)):
    for i in range(1,
int(math.log(B1)/math.log(prime[j]))+1):
        z.append(prime[j])

#print(z)

for pp in prime:
    i=0
    x=pp
    while(1):
        x=e(x,z[i])
        i=i+1
        y=gcd(n,x-1)
        if(y!=1):

```



95848342444874747250406086158079501874635573
35614460164427946005333954173610613867070612
58449029078376132360127073305093209304646989
7180304950009985176985012500000000000000000
000
000

0001

n=11461532818525251775869994369956628325437
47851048527273041984332051794060180859755292
56294517956119903726515687701818722825903098
94187815091191649914833274805419432525386234
87647730747233702696674540850700400094811219
19737770904075581620185589455966913229094043
07420094584606103206490426551745910268138393
80404364187681659859906485635826665033917861
71498330323093798580597291798574197510931382
95863034844253827963

p=95848342444874747250406086158079501874635
57335614460164427946005333954173610613867070
61258449029078376132360127073305093209304646
9897180304950009985176985012500000000000000
00
00

q=11957987510443514049047696785587234758227
15337336358989187681659859906485635826665033
91786171498330323093798580597291798574197510
93138295863034844253827963

```
flag=md5(str(p)) =  
c78504a558bdb6213b9019f6925fa4ae
```

flag is c78504a558bdb6213b9019f6925fa4ae

这个是因子分解，用 Pollard P-1因子分解法

(http://www.mersennewiki.org/index.php/P-1_Factorization_Method) , pyhton3 源码看上面。

还是要看B1的选择，选择不好也是有可能解不出，解不出就重新选择，直到解出。

分类: CTF,writeup

标签: ctf, SharifCTF2016, math

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