

sheet 2 x $\frac{\text{Eco Tut 5}}{21} \times \frac{18}{21} = 4.1$

Q] Let good X \rightarrow Coffee
Y \rightarrow Sandwich

For Consumer Equilibrium
in 2 Commodity Case

$$\frac{MU_x}{P_x} = \frac{MU_y}{P_y}$$

Here $\frac{MU_y}{MU_x} = 2$ [given]

Also, $P_x = 5$ & $P_y = 3$

So, $\frac{P_x}{P_y} \neq \frac{MU_x}{MU_y}$; $\frac{3}{5} \neq \frac{1}{2}$

Consumer is not at eqib.

To be at eqib $\frac{MU_x}{MU_y}$ should increase, this will only

happen when MU_y falls, MU_y will fall if consumer consumes more of good Y (sandwich) due to law of DMU (Diminishing Marginal Utility)

So, consumer should consume more of sandwiches

Q2] Let good X → juice
Y → wheat

given $P_Y = 12$

$$MU_X = 2.5 MU_Y$$

At eq/b: $\frac{MU_X}{MU_Y} = \frac{P_X}{P_Y}$

$$\text{So, } P_X = \frac{MU_X}{MU_Y} \times P_Y$$

$$12 - 002 = 5P = 2.5 \times 12$$

$$P_X = 30$$

Q3] $I = 5000$ $U = \sqrt{q_1 q_2}$

with $p_1 = 50$ & $p_2 = 20$

If consumer spends his entire income

$$I = p_1 q_1 + p_2 q_2$$

$$5000 = 50 q_1 + 20 q_2 \Rightarrow 500 = 5 q_1 + 2 q_2 \quad \text{--- (1)}$$

To maximise utility function

we take $\frac{dU}{dq_1} = 0$ derivative test

$$U = \sqrt{q_1 q_2} = \sqrt{q_1 (500 - 5 q_1)}$$

$$500 = 5 q_1 + 2 q_2$$

$$500 = 5 q_1 + 2 q_2$$

u^2 will be max when U will be max
max order \leftarrow

$$U^2 = 9_1 (500 - 59_1)$$

$$xUM \cdot 5 = xUM^2$$

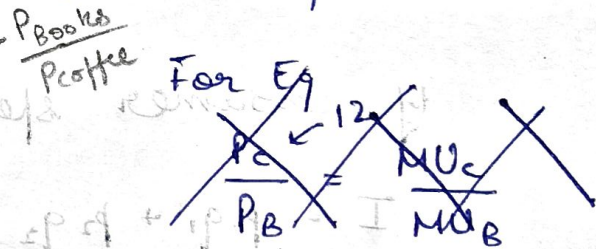
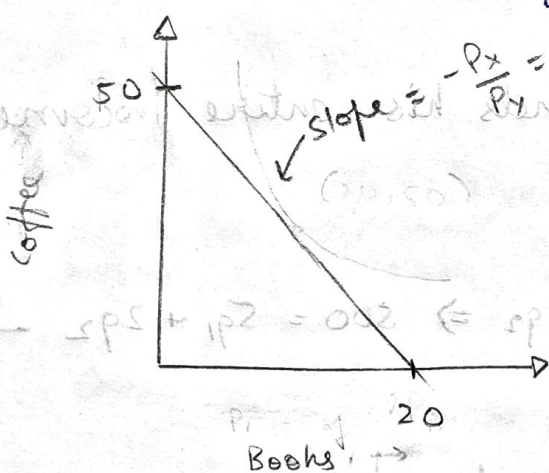
$$0 = \frac{d(U^2)}{d9_1} = \frac{1}{2UM} [500 - 109_1]$$

$$9_1 = \frac{500}{10} = 50$$

using eqⁿ ① $9_2 = \frac{500 - 59_1}{2}$

$$9_2 = 125$$

Q7] Drawing graph Using given Information



$$① - P_B Q_B + P_C Q_C = 600$$

$$P_B = ? \quad P_C = 12$$

$$Q_B = 20 \quad Q_C = 50$$

test substitution \rightarrow Income remains const

$$P_B Q_B = P_C Q_C$$

$$P_B = \frac{12 \times 50}{20} = 30$$

$$\text{So, Income} = P_B Q_B + P_C Q_C = 600$$

$$\text{Slope} = - \frac{P_{BB}}{P_{BC}} = - \frac{30}{12}$$

85]

$$P_x = \begin{cases} 2 & Q_x \leq 200 \\ 0.5 & Q_x > 200 \end{cases}$$

$$P_y = 1$$

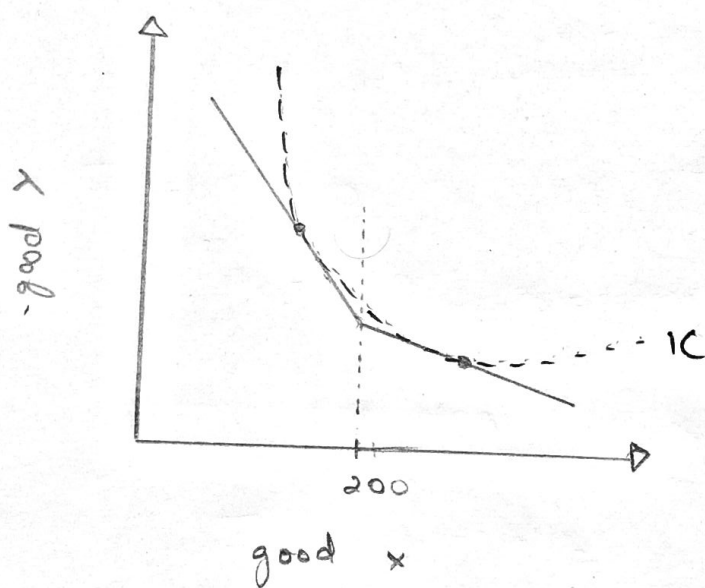
$$\text{Income} = I = 500$$

$$\text{slope of Budget line} = -\frac{P_x}{P_y}$$

$$S = \begin{cases} -2/1 & Q_x \leq 200 \\ -0.5/1 & Q_x > 200 \end{cases}$$

$$\tan^{-1}(-2) = -63^\circ$$

$$\tan^{-1}(-0.5) = -26^\circ$$



Yes, it is possible
to have multiple
Eq. Points.