Signals and Systems Systems and their classifications-I

Static and Dynamic Systems

(Memory less & Memory Systems)

Systems

- Broadly speaking, a system is anything that responds when stimulated or excited
- The systems most commonly analyzed by engineers are artificial systems designed and built by humans
- Engineering system analysis is the application of mathematical methods to the design and analysis of systems

Feedback Systems

In a **feedback** system the response of the system is "fed back" and combined with the excitation is such a way as to optimize the response in some desired sense. Examples of feedback systems are

- 1. Temperature control in a house using a thermostat
- 2. Water level control in the tank of a flush toilet.
- 3. Pouring a glass of lemonade to the top of the glass without overflowing.
- 4. A refrigerator ice maker which keeps the bin full of ice but does not make extra ice.
- 5. Driving a car.

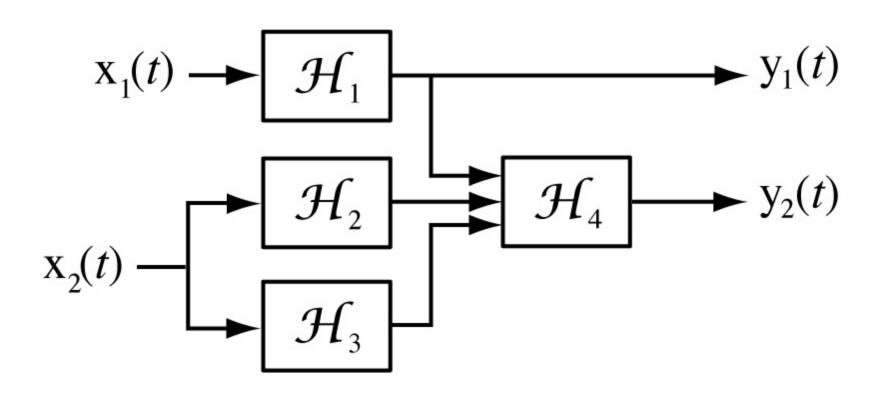
Systems

- Systems have inputs and outputs
- Systems accept excitations or input signals at their inputs and produce responses or output signals at their outputs
- Systems are often usefully represented by block diagrams

A single-input, single-output system block diagram

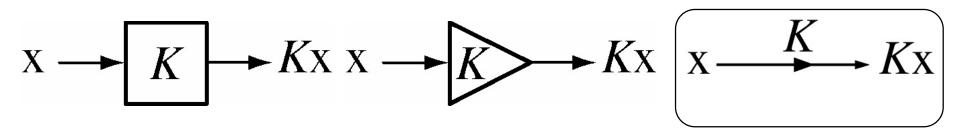
$$\mathbf{x}(t) \longrightarrow \boxed{\mathcal{H}} \longrightarrow \mathbf{y}(t)$$

A Multiple-Input, Multiple-Output System Block Diagram

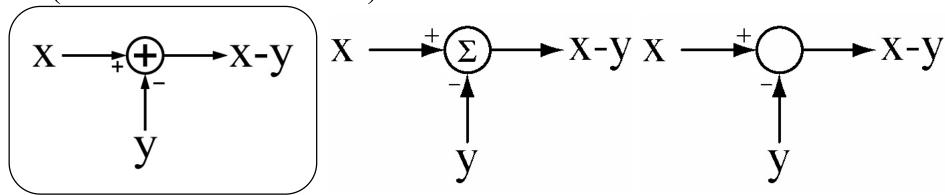


Block Diagram Symbols

Three common block diagram symbols for an **amplifier** (we will use the last one).



Three common block diagram symbols for a **summing junction** (we will use the first one).



Block Diagram Symbols

Block diagram symbol for an integrator

$$x(t)$$
 $\longrightarrow \int_{-\infty}^{t} x(\tau) d\tau$

CLASSIFICATION OF SYSTEMS

- Linear & Nonlinear Systems
- Time invariant & Time varying Systems
- Causal & Non- causal Systems
- Static and Dynamic Systems
- Memory & Memory less Systems
- Stable & unstable system

LTI Systems (continuous-time and discrete time)

Systems

$$ip \rightarrow z(t) \longrightarrow SYS \longrightarrow Y(t) \longrightarrow O/P$$

$$y(1) \quad y(t) \longrightarrow z(t-1) = z(0) \longrightarrow PqSt$$

$$y(1) \quad y(t) \longrightarrow z(t) \longrightarrow present$$

$$z(t+1) = z(2) \longrightarrow Future$$

Static and Dynamic Systems

(Memory less & Memory Systems)

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(1) Static & dynamic sys. >

Static > IF o/p of sys depands only on present values of i/p at each &

every instant of time then sys. will be static.

* These sys. are also known as memoryless system.
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Dynamic - * If o/p of sys depands on past (or) Future values of ip at any instant of time then sys will be dynamic.

* This sys are also known as sys with memory.

Cont..

2.
$$\Rightarrow$$
 Check static dynamic sys.
(1) $\forall (+) = z(+) + z(+-1)$ (5.) $\forall (+) = \text{Even}[z(+)]$.
(2) $\forall (+) = z(-t)$ (6.) $\forall (+) = \text{Real}[z(+)]$.
(3.) $\forall (+) = z(\sin t)$ (7.) $\forall (+) = \int_{-\infty}^{\infty} z(z) dz$.
(4.) $\forall (+) = z(+-1)$ (8.) $\forall (+) = e^{-(+1)}z(+)$

Cont..

Ans -> (1) Dynamic.

- (2) Dynamic.
- (3.) $V(+) = x(\sin t)$ $Y(-\pi) = x(0)$ $-3.14 \sec = x(0)$ Future system is dynamic.
- (4) Dynamic
- (5) g(t) = x(t) + x(-t)

$$y(1) = x(1) + x(-1)$$

system is static

system is dynamic.

(6.) y(+) = x(+) + x(+)

Cont...

Note-

- (1) Integral & derivative systaire dynamic syst
- (2) In case of time scaling (or) time shifting system will be dynamic.

Thank You