

# Package ‘R6arqas’

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**Description** R6 refactor of the original arqas package. Provides analytical metrics for classic queueing models (M/M/1, M/M/s, etc.).  
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'ComplexModels.R'  
'DistributionAnalysis.R'  
'GraphicsAux.R'  
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'SimulateModels.R'  
'zzz.R'

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ClosedJackson	<i>ClosedJackson-class: Closed Jackson network (R6).</i>
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## Description

R6 class for a *closed* Jackson network with a fixed population of  $n$  circulating customers. Each node behaves as an M/M/s queue.

**Arguments**

mu	Numeric vector of service rates.
s	Integer vector with the number of servers per node.
p	Routing matrix. Rows must sum to 1.
n	Integer. Total number of customers in the network.

ClosedNet

*Simulate a closed Jackson-type network***Description**

Wrapper around ClosedNetSim\$new() plus optional parallel replicas.

**Usage**

```
ClosedNet(
  serviceDistribution,
  s,
  p,
  nClients = 3L,
  staClients = 100L,
  transitions = 1000L,
  historic = FALSE,
  nsim = 10L,
  nproc = 1L
)
```

**Arguments**

serviceDistribution	List of distr objects (one per node).
s	Integer vector with the number of servers at each node.
p	Routing matrix ( $\text{length}(s) \times \text{length}(s)$ ), row-stochastic.
nClients	Total number of circulating customers N.
staClients	Warm-up completions discarded from statistics.
transitions	Number of completed services counted for statistics.
historic	Logical, store the full trajectory?
nsim	Integer, number of independent replications.
nproc	Integer, CPU cores (1 = sequential).

**Value**

A ClosedNetSim object, or the aggregated result of combineSimulations() when nsim > 1.

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ClosedNetSim	<i>ClosedNetSim – simulated closed Jackson-type network (R6)</i>
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---

### Description

Pure simulation (event-driven) of a *closed* queueing network with a fixed population of `nClients` customers. Each node is a G/G/s queue. After completing service a customer is routed to the next node according to the user-supplied routing matrix `p` (rows must sum to 1). The algorithm is a line-by-line port of the original S3 function, wrapped now in an R6 class.

### Arguments

<code>serviceDistribution</code>	List of <code>distr</code> objects (one per node).
<code>s</code>	Integer vector with the number of servers at each node.
<code>p</code>	Routing matrix ( $\text{length}(s) \times \text{length}(s)$ ), row-stochastic.
<code>nClients</code>	Total number of circulating customers <code>N</code> .
<code>staClients</code>	Warm-up completions discarded from statistics.
<code>transitions</code>	Number of completed services counted for statistics.
<code>historic</code>	Logical, store the full trajectory?

---

CLOSED_JACKSON	<i>Functional constructor: Closed Jackson network.</i>
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---

### Description

Functional constructor: Closed Jackson network.

### Usage

```
CLOSED_JACKSON(mu, s, p, n)
```

### Arguments

<code>mu</code>	Numeric vector of service rates.
<code>s</code>	Integer vector with the number of servers per node.
<code>p</code>	Routing matrix. Rows must sum to 1.
<code>n</code>	Integer. Total number of customers in the network.

### Value

A `ClosedJackson` object.

---

combineSimulations	<i>Agrega un listado de simulaciones independientes</i>
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---

**Description**

Combina varias réplicas de un modelo de colas calculando promedio, desviación típica y un resumen rápido para cada métrica de interés.

**Usage**

```
combineSimulations(listsims)
```

**Arguments**

listsims            list con objetos de clase (S3 o R6) simulada

**Value**

Un único objeto de la misma clase que listsims[[1]], pero con los campos \$out reemplazados por listas mean/sd/summary

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fitData	<i>Ajusta varias distribuciones a un vector numérico</i>
---------	--

---

**Description**

Ajusta varias distribuciones a un vector numérico

**Usage**

```
fitData(  
  data,  
  ldistr = c("exp", "norm", "weibull", "unif", "lnorm", "gamma", "beta")  
)
```

**Arguments**

data                Vector numérico con las observaciones  
ldistr               character con nombres abreviados de distribuciones (ej. "exp", "norm", "weibull", ...)

**Value**

Lista de objetos fitdist. Clase extra: "FitList"

**See Also**

Other DistributionAnalysis: [goodnessFit\(\)](#), [summaryFit\(\)](#)

---

FW	<i>CDF of the time in system <math>F_W(x)</math></i>
----	--

---

**Description**

CDF of the time in system  $F_W(x)$

**Usage**

FW(qm, x)

**Arguments**

qm	An object that inherits from MarkovianModel.
x	Non-negative numeric vector.

---

FWq	<i>CDF of the waiting time in queue <math>F_{W_q}(x)</math></i>
-----	---

---

**Description**

CDF of the waiting time in queue  $F_{W_q}(x)$

**Usage**

FWq(qm, x)

**Arguments**

qm	An object that inherits from MarkovianModel.
x	Non-negative numeric vector.

---

GG1	<i>Simulate a G/G/1 queue</i>
-----	-------------------------------

---

**Description**

Convenience wrapper around GG1Sim\$new() plus parallel replication.

**Usage**

```
GG1(
  arrivalDistribution = Exp(3),
  serviceDistribution = Exp(6),
  staClients = 100L,
  nClients = 1000L,
  historic = FALSE,
  nsim = 10L,
  nproc = 1L
)
```

**Arguments**

arrivalDistribution	arrival distribution (object from package <i>distr</i> ).
serviceDistribution	service-time distribution (object from <i>distr</i> ).
staClients	integer, number of customers discarded as burn-in (stabilisation stage).
nClients	integer, number of customers collected for statistics.
historic	logical, record evolution of the statistics.
nsim	integer, number of independent replications.
nproc	integer, CPU cores to use. If nproc = 1 the function runs sequentially.

**Value**

If nsim == 1 a single GG1Sim object; otherwise an object of the same class containing aggregated statistics (mean, sd, etc.) produced by combineSimulations().

---

GG1K	<i>Simulate a G/G/1/K queue (wrapper)</i>
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---

**Description**

Simulate a G/G/1/K queue (wrapper)

**Usage**

```
GG1K(
  arrivalDistribution = Exp(3),
  serviceDistribution = Exp(6),
  K = 2L,
  staClients = 100L,
  nClients = 1000L,
  historic = FALSE,
  nsim = 10L,
  nproc = 1L
)
```

**Arguments**

arrivalDistribution, serviceDistribution	objects from package <b>distr</b> defining inter-arrival and service-time laws.
K	integer, maximum queue size ( $\geq 1$ ). The system thus holds at most $K + 1$ customers (1 in service, $K$ waiting).
staClients	warm-up customers to discard.
nClients	accepted customers on which statistics are based.
historic	logical, store full trajectory?
nsim	integer, number of replications.
nproc	integer, CPU cores (1 = sequential).

**Value**

GG1KSim object or aggregated result when `nsim > 1`.

---

GG1KSim	<i>GG1KSim – simulated G/G/1/K queue (R6)</i>
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---

**Description**

Discrete-event simulation of a single-server queue with finite capacity  $K$  (system size =  $K + 1$ , including the job in service). Arrivals finding the system full are **lost**. This is a direct R6 refactor of the legacy function `G_G_1_K()`.

**Arguments**

<code>arrivalDistribution</code> , <code>serviceDistribution</code>	objects from package <b>distr</b> defining inter-arrival and service-time laws.
<code>K</code>	integer, maximum queue size ( $\geq 1$ ). The system thus holds at most $K + 1$ customers (1 in service, $K$ waiting).
<code>staClients</code>	warm-up customers to discard.
<code>nClients</code>	accepted customers on which statistics are based.
<code>historic</code>	logical, store full trajectory?

---

GG1Sim	<i>GG1Sim – simulated G/G/1 queue (R6)</i>
--------	--

---

**Description**

R6 class that simulates a single-server queue with a general (i.i.d.) arrival distribution and a general service distribution – commonly referred to as a *G/G/1* system. The algorithm is exactly the same as the legacy S3 implementation but the results are stored inside the object under field `out`.

**Arguments**

<code>arrivalDistribution</code>	arrival distribution (object from package <i>distr</i> ).
<code>serviceDistribution</code>	service-time distribution (object from <i>distr</i> ).
<code>staClients</code>	integer, number of customers discarded as burn-in (stabilisation stage).
<code>nClients</code>	integer, number of customers collected for statistics.
<code>historic</code>	logical, record evolution of the statistics.



**Stored metrics (slot out)**

- $p_n$  – empirical steady-state probability vector  $P\{N = n\}$ .
- $l$  – mean number of customers in the system  $L$ .
- $l_q$  – mean number of customers in the queue  $L_q$ .
- $w$  – mean waiting time in the system  $W$ .
- $w_q$  – mean waiting time in the queue  $W_q$ .
- $eff$  – empirical efficiency  $W / (W - W_q)$ .
- $\rho$  – empirical traffic intensity  $L - L_q$ .
- `historic` (optional) – matrix with the evolution of the variables during the run when `historic = TRUE`.

GG1\_Inf\_HSIMH

*Simulate a G/G/1/Inf/H queue***Description**

Simulate a G/G/1/Inf/H queue

**Usage**

```
GG1_Inf_HSIMH(
  arrivalDistribution = Exp(3),
  serviceDistribution = Exp(6),
  H = 5L,
  staClients = 100L,
  nClients = 1000L,
  historic = FALSE,
  nsim = 10L,
  nproc = 1L
)
```

**Arguments**

<code>arrivalDistribution</code> , <code>serviceDistribution</code>	Objects from package <b>distr</b> with the inter-arrival and service-time laws.
<code>H</code>	Integer $\geq 1$ , size of the customer population.
<code>staClients</code>	Warm-up customers discarded from statistics.
<code>nClients</code>	Customers collected for statistics.
<code>historic</code>	Logical, store the whole trajectory?
<code>nsim</code>	Integer, number of independent replications.
<code>nproc</code>	Integer, CPU cores (1 = sequential).

**Value**A GG1\_Inf\_HSIMH object, or the aggregated result of `combineSimulations()` when `nsim > 1`.

---

GG1_Inf_HSIMHSim	<i>GG1_Inf_HSIMHSim – simulated G/G/1/Inf/H queue (R6)</i>
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---

### Description

Discrete-event simulation of a single-server queue fed by a *finite* population of H sources. At any moment each source is either **in** the system (being served or waiting) or **outside** and generating its own inter-arrival time. The total population is constant and no arrivals are lost.

### Arguments

arrivalDistribution, serviceDistribution	Objects from package <b>distr</b> with the inter-arrival and service-time laws.
H	Integer $\geq 1$ , size of the customer population.
staClients	Warm-up customers discarded from statistics.
nClients	Customers collected for statistics.
historic	Logical, store the whole trajectory?

---

GGInf	<i>Simulate a G/G/Inf queue</i>
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---

### Description

Wrapper around GGInfSim\$new() plus optional parallel replications.

### Usage

```
GGInf(
  arrivalDistribution = Exp(3),
  serviceDistribution = Exp(6),
  staClients = 100L,
  nClients = 1000L,
  historic = FALSE,
  nsim = 10L,
  nproc = 1L
)
```

### Arguments

arrivalDistribution, serviceDistribution	Distributions from package <b>distr</b> describing inter-arrival and service times.
staClients	Warm-up customers discarded from statistics.
nClients	Customers included in statistics.
historic	Logical, store the whole trajectory
nsim	Integer, number of independent replications.
nproc	Integer, CPU cores (1 = sequential).

### Value

A GGInfSim object, or the aggregated result of combineSimulations() when nsim > 1.

GGInfSim

*GGInfSim – simulated G/G/Inf queue (R6)***Description**

Discrete-event simulation of a queueing system with unlimited parallel servers: every arrival starts service immediately, therefore there is **no queue** and the waiting-time in queue is always 0. The class keeps exactly the same interface used by the other simulation models in this package.

**Arguments**

arrivalDistribution, serviceDistribution	Distributions from package <b>distr</b> describing inter-arrival and service times.
staClients	Warm-up customers discarded from statistics.
nClients	Customers included in statistics.
historic	Logical, store the whole trajectory

GGS

*Simulate a G/G/s queue (wrapper)***Description**

Simulate a G/G/s queue (wrapper)

**Usage**

```
GGS(
  arrivalDistribution = Exp(3),
  serviceDistribution = Exp(6),
  servers = 2L,
  staClients = 100L,
  nClients = 1000L,
  historic = FALSE,
  nsim = 10L,
  nproc = 1L
)
```

**Arguments**

arrivalDistribution, serviceDistribution	<i>distr</i> objects.
servers	integer, number of servers $s$ ( $\geq 1$ ).
staClients	integer, warm-up customers.
nClients	integer, customers collected for stats.
historic	logical, record full trajectory?
nsim	integer, number of replications.
nproc	integer, CPU cores (1 = sequential).

**Value**

GGSSim object or aggregated result when `nsim > 1`.

---

GGSK	<i>Simulate a G/G/s/K queue</i>
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---

**Description**

Simulate a G/G/s/K queue

**Usage**

```
GGSK(
  arrivalDistribution = Exp(3),
  serviceDistribution = Exp(6),
  servers = 2L,
  K = 3L,
  staClients = 100L,
  nClients = 1000L,
  historic = FALSE,
  nsim = 10L,
  nproc = 1L
)
```

**Arguments**

<code>arrivalDistribution</code> , <code>serviceDistribution</code>	objects from package <b>distr</b> defining the inter-arrival and service-time laws.
<code>servers</code>	Integer $\geq 1$ (number of parallel identical servers).
<code>K</code>	Integer $\geq 1$ , maximum queue size (capacity minus servers).
<code>staClients</code>	Warm-up customers to discard.
<code>nClients</code>	Customers accepted for statistics.
<code>historic</code>	Logical, keep full trajectory?
<code>nsim</code>	integer, number of independent replications.
<code>nproc</code>	integer, CPU workers (1 = sequential).

**Value**

A GGSKSim object or the aggregated result of `combineSimulations()` when `nsim > 1`.

---

GGSKSim	<i>GGSKSim – simulated G/G/s/K queue (R6)</i>
---------	---

---

### Description

Discrete-event simulation of a *multi-server* queue with finite capacity **K** (maximum queue length). The system can hold at most  $s + K$  customers (up to  $s$  in service, at most  $K$  in the waiting line). Arrivals that find the system full are **lost**.

### Arguments

arrivalDistribution, serviceDistribution	objects from package <b>distr</b> defining the inter-arrival and service-time laws.
servers	Integer $\geq 1$ (number of parallel identical servers).
K	Integer $\geq 1$ , maximum queue size (capacity minus servers).
staClients	Warm-up customers to discard.
nClients	Customers accepted for statistics.
historic	Logical, keep full trajectory?

---

GGSSim	<i>GGSSim – simulated multiserver G/G/s queue (R6)</i>
--------	--

---

### Description

R6 class that simulates a queue with  $s$  identical servers, general i.i.d. inter-arrival and service-time distributions (G/G/s). It is a direct R6 port of the original S3 function `G_G_S()`. Results are stored in field `out`.

### Arguments

arrivalDistribution, serviceDistribution	<i>distr</i> objects.
servers	integer, number of servers $s$ ( $\geq 1$ ).
staClients	integer, warm-up customers.
nClients	integer, customers collected for stats.
historic	logical, record full trajectory?

### Stored metrics (slot out)

- `pn`, `l`, `lq`, `w`, `wq`, `rho`, `eff` – as in `GG1Sim`.
- `historic` matrix is present when `historic = TRUE`.

GGS\_Inf\_H

*Simulate a G/G/s/Inf/H queue***Description**

Wrapper around GGS\_Inf\_HSim\$new() plus optional parallel replication.

**Usage**

```
GGS_Inf_H(
  arrivalDistribution = Exp(3),
  serviceDistribution = Exp(6),
  servers = 3L,
  H = 5L,
  staClients = 100L,
  nClients = 1000L,
  historic = FALSE,
  nsim = 10L,
  nproc = 1L
)
```

**Arguments**

arrivalDistribution, serviceDistribution	Objects from <b>distr</b> giving the inter-arrival and service-time laws.
servers	Integer $\geq 1$ , number of servers ( $s$ ).
H	Integer $\geq 1$ , customer population size.
staClients	Warm-up customers discarded from statistics.
nClients	Customers collected for statistics.
historic	Logical, store the whole trajectory?
nsim	Integer, number of independent replications.
nproc	Integer, CPU cores (1 = sequential).

**Value**

A GGS\_Inf\_HSim object, or the aggregated result of combineSimulations() when nsim > 1.

GGS\_Inf\_HSim

*GGS\_Inf\_HSim – simulated G/G/s/Inf/H queue (R6)***Description**

Discrete-event simulation of a multi-server queue ( $s$  identical servers) fed by a *finite* population of  $H$  sources. Each source alternates between **inside** the system (being served or waiting) and **outside** where it generates its own inter-arrival time. The total population is constant and no arrivals are lost.

**Arguments**

arrivalDistribution, serviceDistribution	Objects from <b>distr</b> giving the inter-arrival and service-time laws.
servers	Integer $\geq 1$ , number of servers ( $s$ ).
H	Integer $\geq 1$ , customer population size.
staClients	Warm-up customers discarded from statistics.
nClients	Customers collected for statistics.
historic	Logical, store the whole trajectory?

GGs\_Inf\_HY

*Simulate a G/G/s/Inf/H/Y queue***Description**

Wrapper around GGS\_Inf\_HYSim\$new() plus optional parallel replication.

**Usage**

```
GGs_Inf_HY(
  arrivalDistribution = Exp(3),
  serviceDistribution = Exp(6),
  servers = 3L,
  H = 5L,
  Y = 3L,
  staClients = 100L,
  nClients = 1000L,
  historic = FALSE,
  nsim = 10L,
  nproc = 1L
)
```

**Arguments**

arrivalDistribution, serviceDistribution	Objects from <b>distr</b> defining the inter-arrival and service-time laws.
servers	Integer $\geq 1$ , number of servers ( $s$ ).
H	Integer $\geq 1$ , finite customer population.
Y	Integer $\geq 1$ , replacement threshold.
staClients	Warm-up customers discarded from statistics.
nClients	Customers collected for statistics.
historic	Logical, store the whole trajectory?
nsim	Integer, number of independent replications.
nproc	Integer, CPU cores (1 = sequential).

**Value**

A GGS\_Inf\_HYSim object, or the aggregated result of combineSimulations() when nsim > 1.

---

GGs_Inf_HYSim	<i>GGs_Inf_HYSim – simulated G/G/s/Inf/H queue with Y replacements (R6)</i>
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---

### Description

Multi-server queue ( $s$  identical servers) fed by a *finite* population of  $H$  sources **plus** a replacement rule: when the number of customers *inside* the system is  $\leq Y$  the source that just left is immediately replaced by a new one (fresh inter-arrival time is generated). For  $Y \geq H$  the behaviour degenerates to the plain G/G/s/Inf/H case.

### Arguments

arrivalDistribution, serviceDistribution	Objects from <b>distr</b> defining the inter-arrival and service-time laws.
servers	Integer $\geq 1$ , number of servers ( $s$ ).
H	Integer $\geq 1$ , finite customer population.
Y	Integer $\geq 1$ , replacement threshold.
staClients	Warm-up customers discarded from statistics.
nClients	Customers collected for statistics.
historic	Logical, store the whole trajectory?

---

goodnessFit	<i>Pruebas chi-cuadrado y KS para cada ajuste</i>
-------------	---

---

### Description

Pruebas chi-cuadrado y KS para cada ajuste

### Usage

```
goodnessFit(lfitdata)
```

### Arguments

lfitdata	Lista producida por <a href="#">fitData</a>
----------	---

### Value

data.frame con: distribución, estadísticos y *p-values*

### See Also

Other DistributionAnalysis: [fitData\(\)](#), [summaryFit\(\)](#)





---

maxCustomers	<i>Upper bound on the number of customers supported</i>
--------------	---

---

**Description**

Upper bound on the number of customers supported

**Usage**

```
maxCustomers(qm)
```

**Arguments**

qm	An object that inherits from MarkovianModel.
----	--

---

MM1	<i>MM1-class: Class MM1</i>
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---

**Description**

R6 class for the single-server exponential queue (M/M/1).

**Arguments**

lambda	Arrival rate ( $> 0$ ).
mu	Service rate ( $> 0$ ).

**Format**

An `R6Class` generator.

**Public methods**

`$initialize()` Constructor.

`$lambda()` / `$mu()` Return arrival and service rates.

`$Pn(n)` Steady-state probability  $\Pr\{N = n\}$ .

`$FW(x)` CDF of the time *in the system*,  $F_W(x)$ .

`$FWq(x)` CDF of the *waiting* time in queue,  $F_{W_q}(x)$ .

`$Qn(n)` Probability that the queue length equals  $n$ .

`$maxCustomers()` Practical upper bound for the number of customers the model can hold (may be  $\infty$ ).

`$print()` Pretty printer for the console.

**Examples**

```
mm1 <- MM1$new(5, 8)
mm1$out$lq
Pn(mm1, 0:2)
FW(mm1, 1)
```

MM1InfH

*MM1InfH-class: M/M/1/Inf/H finite-population queue***Description**

R6 class for a single-server Markovian queue with a finite population of size  $\leq n_H$ . Kendall notation:  $M/M/1/Inf/H$ .

**Arguments**

<code>lambda</code>	Mean arrival rate ( $> 0$ ).
<code>mu</code>	Mean service rate ( $> 0$ ).
<code>h</code>	Population size (integer $\geq 1$ ).

**Format**

An `R6Class` generator.

**Public methods**

`$initialize()` Constructor.

`$lambda()` / `$mu()` Return arrival and service rates.

`$Pn(n)` Steady-state probability  $\Pr\{N = n\}$ .

`$FW(x)` CDF of the time *in the system*,  $F_W(x)$ .

`$FWq(x)` CDF of the *waiting* time in queue,  $F_{W_q}(x)$ .

`$Qn(n)` Probability that the queue length equals  $n$ .

`$maxCustomers()` Practical upper bound for the number of customers the model can hold (may be  $\infty$ ).

`$print()` Pretty printer for the console.

**Examples**

```
mm <- MM1InfH$new(0.5, 12, 5)
mm$out$1; Pn(mm, 0:3); FWq(mm, 1)
```

MM1K

*MM1K-class: Class MM1K***Description**

Single-server queue with finite capacity  $K$  (M/M/1/K).

**Arguments**

<code>lambda</code>	Arrival rate ( $> 0$ ).
<code>mu</code>	Service rate ( $> 0$ ).
<code>k</code>	Buffer size $K$ (integer $\geq 0$ ).

**Public methods**

`$initialize()` Constructor.

`$lambda()` / `$mu()` Return arrival and service rates.

`$Pn(n)` Steady-state probability  $\Pr\{N = n\}$ .

`$FW(x)` CDF of the time *in the system*,  $F_W(x)$ .

`$FWq(x)` CDF of the *waiting* time in queue,  $F_{W_q}(x)$ .

`$Qn(n)` Probability that the queue length equals  $n$ .

`$maxCustomers()` Practical upper bound for the number of customers the model can hold (may be  $\infty$ ).

`$print()` Pretty printer for the console.

MMInf

*MMInf-class: M/M/Inf infinite-server queue***Description**

MMInf-class: M/M/Inf infinite-server queue

**Arguments**

`lambda` Mean arrival rate ( $> 0$ ).

`mu` Mean service rate ( $> 0$ ).

**Public methods**

`$initialize()` Constructor.

`$lambda()` / `$mu()` Return arrival and service rates.

`$Pn(n)` Steady-state probability  $\Pr\{N = n\}$ .

`$FW(x)` CDF of the time *in the system*,  $F_W(x)$ .

`$FWq(x)` CDF of the *waiting* time in queue,  $F_{W_q}(x)$ .

`$Qn(n)` Probability that the queue length equals  $n$ .

`$maxCustomers()` Practical upper bound for the number of customers the model can hold (may be  $\infty$ ).

`$print()` Pretty printer for the console.

MMS

*MMS-class: Class MMS***Description**

Multi-server exponential queue (M/M/s).

**Arguments**

lambda	Arrival rate ( $> 0$ ).
mu	Service rate ( $> 0$ ).
s	Number of servers (integer $\geq 1$ ).

**Public methods**

`$initialize()` Constructor.

`$lambda()` / `$mu()` Return arrival and service rates.

`$Pn(n)` Steady-state probability  $\Pr\{N = n\}$ .

`$FW(x)` CDF of the time *in the system*,  $F_W(x)$ .

`$FWq(x)` CDF of the *waiting* time in queue,  $F_{W_q}(x)$ .

`$Qn(n)` Probability that the queue length equals  $n$ .

`$maxCustomers()` Practical upper bound for the number of customers the model can hold (may be  $\infty$ ).

`$print()` Pretty printer for the console.

MMSInfH

*MMSInfH-class: M/M/s/Inf/H finite-population queue***Description**

MMSInfH-class: M/M/s/Inf/H finite-population queue

**Arguments**

lambda	Mean arrival rate ( $> 0$ ).
mu	Mean service rate ( $> 0$ ).
s	Servers (integer $\geq 1$ ).
h	Population size ( $\geq s$ ).

**Public methods**

`$initialize()` Constructor.  
`$lambda()` / `$mu()` Return arrival and service rates.  
`$Pn(n)` Steady-state probability  $\Pr\{N = n\}$ .  
`$FW(x)` CDF of the time *in the system*,  $F_W(x)$ .  
`$FWq(x)` CDF of the *waiting* time in queue,  $F_{W_q}(x)$ .  
`$Qn(n)` Probability that the queue length equals  $n$ .  
`$maxCustomers()` Practical upper bound for the number of customers the model can hold (may be  $\infty$ ).  
`$print()` Pretty printer for the console.

MMSInfHY

*MMSInfHY-class: M/M/s/Inf/H with Y replacements***Description**

MMSInfHY-class: M/M/s/Inf/H with Y replacements

**Arguments**

<code>lambda</code>	Mean arrival rate ( $> 0$ ).
<code>mu</code>	Mean service rate ( $> 0$ ).
<code>s</code>	Servers ( $\geq 1$ ).
<code>h</code>	Population size ( $> 0$ ).
<code>y</code>	Number of replacements ( $\geq 1$ ).

**Public methods**

`$initialize()` Constructor.  
`$lambda()` / `$mu()` Return arrival and service rates.  
`$Pn(n)` Steady-state probability  $\Pr\{N = n\}$ .  
`$FW(x)` CDF of the time *in the system*,  $F_W(x)$ .  
`$FWq(x)` CDF of the *waiting* time in queue,  $F_{W_q}(x)$ .  
`$Qn(n)` Probability that the queue length equals  $n$ .  
`$maxCustomers()` Practical upper bound for the number of customers the model can hold (may be  $\infty$ ).  
`$print()` Pretty printer for the console.

MMSK

*MMSK-class: Class MMSK***Description**

Multi-server queue with capacity K (M/M/s/K).

**Arguments**

lambda	Arrival rate ( $> 0$ ).
mu	Service rate ( $> 0$ ).
s	Servers (integer $\geq 1$ ).
k	Capacity K (integer $\geq 0$ ).

**Public methods**

`$initialize()` Constructor.

`$lambda() / $mu()` Return arrival and service rates.

`$Pn(n)` Steady-state probability  $\Pr\{N = n\}$ .

`$FW(x)` CDF of the time *in the system*,  $F_W(x)$ .

`$FWq(x)` CDF of the *waiting* time in queue,  $F_{W_q}(x)$ .

`$Qn(n)` Probability that the queue length equals  $n$ .

`$maxCustomers()` Practical upper bound for the number of customers the model can hold (may be  $\infty$ ).

`$print()` Pretty printer for the console.

M\_M\_1

*Functional constructor for MM1***Description**

Functional constructor for MM1

**Usage**

```
M_M_1(lambda = 3, mu = 6)
```

**Arguments**

lambda	Arrival rate ( $> 0$ ).
mu	Service rate ( $> 0$ ).

---

M_M_1_INF_H	<i>Functional constructor for MM1InfH</i>
-------------	---

---

**Description**

Functional constructor for MM1InfH

**Usage**

```
M_M_1_INF_H(lambda = 0.5, mu = 12, h = 5L)
```

**Arguments**

lambda	Mean arrival rate ( $> 0$ ).
mu	Mean service rate ( $> 0$ ).
h	Population size (integer $\geq 1$ ).

---

M_M_1_K	<i>Functional constructor for MM1K</i>
---------	--

---

**Description**

Functional constructor for MM1K

**Usage**

```
M_M_1_K(lambda = 3, mu = 6, k = 2L)
```

**Arguments**

lambda	Arrival rate ( $> 0$ ).
mu	Service rate ( $> 0$ ).
k	Buffer size K (integer $\geq 0$ ).

---

M_M_INF	<i>Functional constructor for MMInf</i>
---------	---

---

**Description**

Functional constructor for MMInf

**Usage**

```
M_M_INF(lambda = 3, mu = 6)
```

**Arguments**

lambda	Mean arrival rate ( $> 0$ ).
mu	Mean service rate ( $> 0$ ).



---

M_M_S	<i>Functional constructor for MMS</i>
-------	---------------------------------------

---

**Description**

Functional constructor for MMS

**Usage**

```
M_M_S(lambda = 3, mu = 6, s = 2L)
```

**Arguments**

lambda	Arrival rate ( $> 0$ ).
mu	Service rate ( $> 0$ ).
s	Number of servers (integer $\geq 1$ ).

---

M_M_S_INF_H	<i>Functional constructor for MMSInfH</i>
-------------	---

---

**Description**

Functional constructor for MMSInfH

**Usage**

```
M_M_S_INF_H(lambda = 0.5, mu = 12, s = 2L, h = 5L)
```

**Arguments**

lambda	Mean arrival rate ( $> 0$ ).
mu	Mean service rate ( $> 0$ ).
s	Servers (integer $\geq 1$ ).
h	Population size ( $\geq s$ ).

---

M_M_S_INF_H_Y	<i>Functional constructor for MMSInfHY</i>
---------------	--

---

**Description**

Functional constructor for MMSInfHY

**Usage**

```
M_M_S_INF_H_Y(lambda = 3, mu = 6, s = 3L, h = 5L, y = 3L)
```

**Arguments**

lambda	Mean arrival rate ( $> 0$ ).
mu	Mean service rate ( $> 0$ ).
s	Servers ( $\geq 1$ ).
h	Population size ( $> 0$ ).
y	Number of replacements ( $\geq 1$ ).

---

OpenJackson	<i>OpenJackson-class: Open Jackson network (R6).</i>
-------------	--

---

**Description**

R6 class that represents an *open* Jackson network with independent external Poisson arrivals. Each node behaves as an M/M/s queue (implemented internally with MMS).

**Arguments**

lambda	Numeric vector of external arrival rates.
mu	Numeric vector of service rates.
s	Integer vector with the number of servers per node.
p	Routing matrix (square, rows sum $\leq 1$ ).

**Fields (read-only)**

- `lambda_vec` – external arrival rates (numeric vector).
- `mu_vec` – service rates at nodes.
- `servers_vec` – servers per node.
- `routing` – routing matrix  $P$ .

**Key methods**

- `$Pn(n)` – joint steady-state probability  $\Pr\{N = n\}$ .
- `$node(i)` – returns the MMS model of node  $i$ .
- `$print()` – console summary (overrides default).

OpenNet

*Simulate an open Jackson-type network***Description**

Wrapper around `OpenNetSim$new()` plus optional parallel replication.

**Usage**

```
OpenNet(
  arrivalDistribution,
  serviceDistribution,
  s,
  p,
  staClients = 100L,
  transitions = 1000L,
  historic = FALSE,
  nsim = 10L,
  nproc = 1L
)
```

**Arguments**

<code>arrivalDistribution</code>	List of <code>distr</code> objects (or <code>no_distr()</code> ) giving the external arrival law for every node.
<code>serviceDistribution</code>	List of <code>distr</code> objects with service-time laws.
<code>s</code>	Integer vector, servers per node.
<code>p</code>	Routing matrix; rows must sum to $\leq 1$ . The extra probability $(1 - \sum_j p_{ij})$ is interpreted as leaving the network from node $i$ .
<code>staClients</code>	Warm-up completions discarded from statistics.
<code>transitions</code>	Number of completed services counted for statistics.
<code>historic</code>	Logical, collect whole trajectory?
<code>nsim</code>	Integer, number of independent replications.
<code>nproc</code>	Integer, CPU cores (1 = sequential).

**Value**

A `OpenNetSim` object, or the aggregated result of `combineSimulations()` when `nsim > 1`.

---

OpenNetSim	<i>OpenNetSim – simulated open Jackson-type network (R6)</i>
------------	--

---

**Description**

Discrete-event simulation of an *open* queueing network with external arrivals at one or more nodes and probabilistic routing between nodes. Each node behaves as a G/G/s queue. The internal logic is delegated to the legacy helper `OpenNetwork_secquential()` so the numerical results remain identical to the original S3 code, but all outputs are exposed through the field `out` of the R6 object.

**Arguments**

<code>arrivalDistribution</code>	List of <code>distr</code> objects (or <code>no_distr()</code> ) giving the external arrival law for every node.
<code>serviceDistribution</code>	List of <code>distr</code> objects with service-time laws.
<code>s</code>	Integer vector, servers per node.
<code>p</code>	Routing matrix; rows must sum to $\leq 1$ . The extra probability $(1 - \sum_j p_{ij})$ is interpreted as leaving the network from node $i$ .
<code>staClients</code>	Warm-up completions discarded from statistics.
<code>transitions</code>	Number of completed services counted for statistics.
<code>historic</code>	Logical, collect whole trajectory?

---

OPEN_JACKSON	<i>Functional constructor: Open Jackson network.</i>
--------------	--

---

## Description

Functional constructor: Open Jackson network.

## Usage

```
OPEN_JACKSON(lambda, mu, s, p)
```

## Arguments

<code>lambda</code>	Numeric vector of external arrival rates.
<code>mu</code>	Numeric vector of service rates.
<code>s</code>	Integer vector with the number of servers per node.
<code>p</code>	Routing matrix (square, rows sum $\leq 1$ ).

## Value

An `OpenJackson` object.

---

ParallelizeSimulations

*Ejecuta en paralelo nsim simulaciones de un modelo*


---

### Description

Ejecuta en paralelo nsim simulaciones de un modelo

### Usage

```
ParallelizeSimulations(modelfunction, parameters, nsim = 1L, nproc = 1L)
```

### Arguments

modelfunction	Función que genera <b>una</b> réplica (debe retornar un objeto con campo \$out)
parameters	list con los argumentos que recibe modelfunction
nsim	Número de réplicas a lanzar
nproc	Núcleos a utilizar ( $\geq 1$ ). Si vale 1 $\rightarrow$ secuencial

### Value

Una lista con las réplicas, o la única réplica si nsim == 1

---

plot\_history

*Quick historic plot for any simulated queue or network*


---

### Description

Quick historic plot for any simulated queue or network

### Usage

```
plot_history(x, var = "L", ...)
```

### Arguments

x	A single simulation object (GG1Sim, OpenNetSim, ...) <b>or</b> a list of such objects.
var	One of "L", "Lq", "W", "Wq", "Clients", "Intensity".
...	Extra parameters forwarded to the internal helpers (e.g., minrange, maxrange, depth, showMean, showValues).

### Value

A **ggplot2** object.

---

$P_n$	<i>Steady-state probability <math>\Pr\{N = n\}</math></i>
-------	---

---

**Description**

S3 frontend that delegates to `qm$Pn(n)`.

**Usage**

```
Pn(qm, n)
```

**Arguments**

<code>qm</code>	An object that inherits from <code>MarkovianModel</code> .
<code>n</code>	Non-negative integer vector.

---

$Q_n$	<i>Probability that the queue length equals <math>n</math></i>
-------	--

---

**Description**

Probability that the queue length equals  $n$

**Usage**

```
Qn(qm, n)
```

**Arguments**

<code>qm</code>	An object that inherits from <code>MarkovianModel</code> .
<code>n</code>	Non-negative integer vector.

---

<code>summaryFit</code>	<i>Resumen gráfico (densidad, CDF y Q-Q plot)</i>
-------------------------	---

---

**Description**

Resumen gráfico (densidad, CDF y Q-Q plot)

**Usage**

```
summaryFit(
  lfitdata,
  graphics = c("ggplot2", "graphics"),
  show = c("all", "dens", "cdf", "qq")
)
```

**Arguments**

<code>lfitdata</code>	Salida de <code>fitData</code>
<code>graphics</code>	"graphics" o "ggplot2"
<code>show</code>	"all", "dens", "cdf" o "qq"

**See Also**

Other DistributionAnalysis: `fitData()`, `goodnessFit()`

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