

# Logic Realism Theory Applied to Cosmology and Black Holes: Information Channels and the Necessity of an Open Universe

**Companion Technical Paper to "Logic Realism Theory: Physical Foundations from Logical Constraints"**

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## Abstract

This companion paper extends Logic Realism Theory (LRT) to strong-gravity and cosmological regimes, focusing on the role of black holes as information transformers in a logically constrained universe. Within the LRT framework—where the three classical logical laws ( $L_3$ : Identity, Non-Contradiction, and Excluded Middle) are ontological constraints on instantiation—we formalize black holes as  $L_3$ -preserving quantum channels that must map infalling configurations to either stable Hawking radiation output (remaining in  $A_\Omega$ ) or "return" to  $I_\infty$  (the infinite representable information space). We argue that this geometric and information-theoretic structure, combined with the uniqueness and necessity of  $A_\Omega$ , implies an evolving, open-ended universe that avoids thermal death. Specifically, ongoing logical retranslation of information via black-hole channels prevents  $A_\Omega$  from converging to a maximally mixed state, ensuring that the universe remains dynamically open. We derive falsifiable predictions distinguishing this hypothesis from standard heat-death cosmologies: (1) correlations in late-time Hawking radiation should exhibit  $L_3$ -structure rather than complete randomness, (2) black-hole entropy scaling should respect a logic-derived bound, and (3) long-range entropy behavior should show signatures of information recycling rather than monotonic increase to an equilibrium limit. The framework is falsifiable and generates a progressive research program in quantum cosmology.

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## 1. Introduction

### 1.1 Scope and Motivation

The position paper *Logic Realism Theory: Physical Foundations from Logical Constraints* establishes that the three classical logical laws (Identity, Non-Contradiction, and Excluded Middle) function as ontological constraints on what can be instantiated as stable physical records. This creates a strict boundary between  $I_\infty$  (the space of all representable configurations, including contradictions and impossibilities) and  $A_\Omega$  (the subset of

configurations admissible under  $L_3$ ). The framework derives quantum mechanics' core structure—including the Born rule and complex Hilbert-space requirement—directly from this logical constraint.[1]

The present paper addresses a natural next question: **What does this  $I_\infty/A_\Omega$  partition imply for cosmology, in particular for the fate of the universe?**

Standard  $\Lambda$ -CDM cosmology predicts an ever-expanding universe that asymptotically approaches thermodynamic equilibrium—the "heat death"—in which no free energy remains for any process. Black holes play a key role: they emit Hawking radiation, increasing total entropy, and eventually evaporate, contributing to a final state of maximal disorder.[2][3]

We propose an alternative picture: Within LRT, black holes are not merely entropy-producing sinks but **active  $L_3$ -preserving information channels** that must conserve the logical structure of all configurations passing through them. Rather than information being irretrievably lost to an inaccessible singularity or scrambled into purely thermal radiation, such channels either:

1. **Emit structured Hawking radiation** that retains  $L_3$ -admissible correlations and can be partially reconstructed, or
2. **Return configurations to  $I_\infty$** , meaning they cease to have instantiated status in  $A_\Omega$  but remain representable in the infinite information space.

Under these constraints, the universe does not settle into a static final state. Instead, it exhibits **open-ended evolution**: ongoing information transformation via black holes and other geometric structures ensures that  $A_\Omega$  never reaches a true maximum-entropy equilibrium. The "no heat death" outcome is not contingent but follows from the logical necessity of  $L_3$ -admissibility applied globally.

## 1.2 Structure of This Paper

- **Section 2:** Recap of LRT framework ( $I_\infty, A_\Omega, L_3$ , one-world realism).
- **Section 3:** Black holes as  $L_3$ -preserving channels (formal definitions, constraints, relation to unitarity and information preservation).
- **Section 4:** Cosmological implications (global evolution under channel dynamics, entropy bounds, open-ended universe scenario).
- **Section 5:** Testable predictions and falsifiers (how this hypothesis differs empirically from standard heat-death cosmology).
- **Section 6:** Comparison to existing approaches (island formula, AdS/CFT, and firewall paradox within LRT).
- **Section 7:** Research program and outlook.

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## 2. Logic Realism Theory: Core Framework

### 2.1 The $I_\infty/A_\Omega$ Distinction

$I_\infty$  is the space of all representable configurations—everything that can be formally specified, described, or conceived, without restriction:

- Consistent configurations (electron spin-up)

- Logically contradictory configurations (electron both spin-up and spin-down in the same basis)
- Impossible configurations (round square, married bachelor)
- Vague and indeterminate descriptions

$I_{\infty}$  carries no ontological commitment; it is purely the totality of representational capacity.

$A_{\Omega}$  is the subset of  $I_{\infty}$  whose members satisfy the three fundamental logical laws:

1. **Determinate Identity (Id):** Every instantiated configuration is determinately what it is, independent of decomposition or description.
2. **Non-Contradiction (NC):** No instantiated configuration is both P and  $\neg P$  in the same respect and at the same time.
3. **Excluded Middle (EM):** Every instantiated property admits a determinate yes-or-no answer; there are no borderline instantiations.

These are not rules of inference but constraints on which configurations can be physically actualized as stable records that interact causally with the rest of the universe.[1]

## 2.2 It from Bit, Bit from Fit

The LRT hierarchy is:

It from Bit, Bit from Fit

- **Fit** =  $L_3$  admissibility (logical constraint)
- **Bit** = information structure (representational encoding)
- **It** = physical instantiation (actual structure realized in  $A_{\Omega}$ )

Physical structure emerges from information, which emerges from logical admissibility. This three-level picture grounds the emergence of physical law in logical necessity rather than accident or convention.

## 2.3 One-World Realism and $A_{\Omega}$ as Unique Realization

A key thesis of LRT is **one-world realism**: the universe has a single instantiated history. Branching structure exists in  $I_{\infty}$  (the representational space), but only one  $L_3$ -admissible outcome history is ever instantiated in  $A_{\Omega}$ .[1]

We strengthen this here: not only is there a single instantiated history, but  **$A_{\Omega}$  itself is necessary given  $L_3$** . That is, the actual universe is the unique maximally  $L_3$ -admissible configuration compatible with:

1. The three fundamental logical laws,
2. High-level structural constraints (vehicle-invariance, local tomography, decomposition-invariance),
3. Global dynamics and boundary conditions.

This makes the universe not merely actual but logically necessary—a stronger claim than "it happens to be instantiated" and closer to "it cannot fail to be instantiated."

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### 3. Black Holes as L<sub>3</sub>-Preserving Information Channels

#### 3.1 Motivation: The Information Paradox in LRT

The black hole information paradox arises from a tension between two principles:[2]

- **Unitarity:** Quantum evolution preserves information; pure states evolve to pure states.
- **Hawking's argument:** Black hole evaporation produces only thermal radiation, which is a mixed state, implying information loss.

Recent work using the island formula and AdS/CFT has reinterpreted Hawking radiation as information-preserving: the radiation is actually entangled with the black hole interior in such a way that no information is lost, only scrambled.[4][5]

Within LRT, the information paradox has a sharp resolution: if  $A_{\Omega}$  (the set of instantiable configurations) consists of L<sub>3</sub>-admissible states, then **all dynamical evolution must preserve L<sub>3</sub>-admissibility**. A black hole cannot produce L<sub>3</sub>-violating records, nor can it eliminate information in a way that violates the one-world realism of  $A_{\Omega}$ . Therefore, black holes must be information-preserving at the level of instantiation.

This does not require specifying the detailed mechanism (whether information is in Hawking radiation, encoded at the horizon, or returned to  $I_{\infty}$ ). It only requires that the global channel respects L<sub>3</sub>.

#### 3.2 Black Hole as a Quantum Channel: Formal Definition

We model a black hole as a **quantum channel**  $T_{\{BH\}}$ : a completely positive, trace-preserving linear map acting on the space of density operators (or, equivalently, on pure states and their decompositions).

**Input space:**  $A_{\Omega}^{\wedge\{in\}}$  = configurations of matter/energy falling into the black hole (L<sub>3</sub>-admissible).

**Output spaces:**

1.  $A_{\Omega}^{\wedge\{out,rad\}}$  = Hawking radiation (continues to reside in  $A_{\Omega}$ )
2.  $A_{\Omega}^{\wedge\{out,remnant\}}$  = any Planck-scale remnant (if it exists and remains in  $A_{\Omega}$ )
3.  $I_{\infty}^{\wedge\{ret\}}$  = "returned-to-representable" configurations (cease instantiation but remain representable).

The channel is:

$$T_{BH} : A_{\Omega}^{in} \rightarrow A_{\Omega}^{out,rad} \otimes A_{\Omega}^{out,remnant} \oplus I_{\infty}^{ret}$$

**Key constraint** (L<sub>3</sub>-preservation): The map  $T_{\{BH\}}$  must respect the L<sub>3</sub>-admissibility of all  $A_{\Omega}$  inputs and outputs. In particular:

1. **Vehicle-invariance** (from Identity): Mathematically equivalent decompositions of the same input state must yield the same total output weight. No "how you describe the input" can change "what the output is."
2. **Determinacy** (from Excluded Middle): Each output is determinate—either it appears in  $A_{\Omega}^{\wedge\{out,rad\}} \oplus A_{\Omega}^{\wedge\{out,remnant\}}$  with definite probability, or it returns to  $I_{\infty}$ ,

not both.

3. **Unitarity at the  $A_\Omega$  level:** The restriction of  $T_{\{BH\}}$  to  $A_\Omega^{\wedge\{out,rad\}} \otimes A_\Omega^{\wedge\{out,remnant\}}$  must be information-preserving (no information destruction within  $A_\Omega$ ).

### 3.3 Hawking Radiation as $L_3$ -Constrained Output

Standard Hawking radiation is typically modeled as thermal (mixed state), uncorrelated with the initial state. However, under the LRT constraint, the Hawking radiation cannot be purely random; it must exhibit  $L_3$ -structure.

**Prediction:** The fine-grained correlations in Hawking radiation—including entanglement with the outgoing radiation and any remnant—should show signatures of information preservation. These correlations will not be absent (as naive Hawking's picture suggests) but will be present and, in principle, could reconstruct the initial state (up to computational barriers).

This aligns with modern resolutions (island formula, Page curve corrections) but is grounded here in  $L_3$  rather than in AdS/CFT duality or holography specifically.[4][5]

### 3.4 Information Return to $I_\infty$ : The "Retranslation" Channel

A novel feature of the LRT picture is the possibility that some information is not emitted as radiation but is "retranslated" into  $I_\infty$ —meaning it ceases to be instantiated but remains representable.

**Physical interpretation:** Under certain conditions (e.g., near-horizon dynamics, or in the deep interior), configurations that were once actualized in  $A_\Omega$  may transition to a state where they remain logically specifiable but are no longer instantiated as records affecting causally connected future events.

**Why this is not "loss":** From the perspective of the infinite information space  $I_\infty$ , no information is ever lost; all configurations remain representable. Instantiation ( $A_\Omega$ -status) is a binary marker, not an existence condition. A configuration can be "retranslated" (moving from instantiated to representable) without ceasing to be.

**Cosmological significance:** Over cosmological timescales, ongoing retranslation via black holes means that the "burden" of instantiated information in  $A_\Omega$  is continuously relieved and dispersed into the infinite information space. This prevents  $A_\Omega$  from accumulating arbitrarily large entropy.

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## 4. Cosmological Implications: Open-Ended Universe and No Heat Death

### 4.1 Entropy in LRT: Redefining the Concept

In standard thermodynamics, entropy measures the number of microstates compatible with a given macrostate. As the universe expands and systems interact, entropy typically increases.

In LRT, we distinguish  **$A_\Omega$ -entropy** from  **$I_\infty$ -entropy**:

- **$A_\Omega$ -entropy ( $S_A$ ):** The effective entropy of configurations currently instantiated as records in  $A_\Omega$ . This is what thermodynamics typically measures.
- **$I_\infty$ -entropy ( $S_I$ ):** The "entropy" or complexity of the full representable space  $I_\infty$ . This quantity is not directly accessible to observers within  $A_\Omega$  but represents the underlying informational richness.

The total entropy of the system is not  $S_A$  alone but the joint  $(S_A, S_I)$  pair. An increase in  $S_A$  does not imply a global increase in total information; it may reflect a redistribution between instantiated and non-instantiated configurations.

## 4.2 Black Holes as Entropy Redistributors, Not Generators

Standard cosmology treats black holes as entropy producers: they convert organized matter into thermal radiation, increasing  $S_A$ .[3] This contributes to heat death.

Under LRT, black holes play a subtly different role: they are **entropy redistributors**. Via channels  $T_{\{BH\}}$ , they:

1. Take in organized information from infalling matter (low  $A_\Omega$ -entropy per particle),
2. Scramble and emit it as Hawking radiation (increasing apparent  $A_\Omega$ -entropy locally), but
3. Simultaneously enable "retranslation" of information into  $I_\infty$  (reducing  $A_\Omega$ -entropy globally).

The net effect depends on the relative rates. If the retranslation channel is sufficiently active, the global  $A_\Omega$ -entropy can remain bounded away from a final maximum value indefinitely.

## 4.3 Global Dynamics: Convergence vs. Open-Endedness

Consider the global state of  $A_\Omega$  at cosmic time  $t$ . Let  $E(t)$  denote a measure of the "effective entropy" or "disorder" in  $A_\Omega$ , taking into account both thermodynamic entropy and information scrambling.

**Standard picture (Lambda-CDM + heat death):**

$$\lim_{t \rightarrow \infty} E(t) = E_{\max}$$

The universe asymptotically reaches a state of maximum entropy, in which all matter has decayed, all black holes have evaporated, and only a dilute gas of radiation remains.

**LRT picture (open-ended evolution):**

If black-hole channels implement a sufficiently robust retranslation mechanism, then:

$$E(t) \text{ remains bounded but does not converge to a fixed } E_{\max}$$

Instead,  $E(t)$  exhibits open-ended evolution: it increases over some timescales (as the universe expands) but is continuously re-equilibrated via information channels, never settling into a static final state.

## 4.4 Mechanism: Preventing Global Heat Death

The key to avoiding heat death is **continuous logical reshaping** of  $A_\Omega$ . Three mechanisms contribute:

### 1. Black Hole Hawking Radiation:

Hawking radiation carries away information from black holes. Even though it appears thermal to coarse-grained observers, the fine-grained correlations (island formula) mean that information is never completely randomized. This preserves low-entropy structure in the outgoing radiation.

### 2. Information Retranslation:

Some infalling information is returned to  $I_\infty$ . As  $A_\Omega$  configurations are retranslated, the instantiated portion becomes a smaller fraction of the total information space. The universe does not accumulate infinite  $A_\Omega$ -entropy; instead, it achieves a steady-state where newly instantiated information is balanced by retranslation.[6]

### 3. Logical Necessity of Branching:

$A_\Omega$  remains one-world (single instantiated history), but the possible futures available to this world—the branching structure in  $I_\infty$ —remains infinite. The ongoing actualization of possibilities from this infinite space ensures that  $A_\Omega$  never exhausts its logical resources.

## 4.5 No Final State, But Structure Persists

An open-ended universe does not imply chaos or loss of structure. Rather, it means that the universe continues to explore and instantiate new configurations from  $I_\infty$  indefinitely. The  $L_3$ -constraint ensures that all instantiations remain logically admissible.

**Analogy:** Consider an infinite library where books (configurations in  $I_\infty$ ) are cataloged but mostly not yet read (instantiated in  $A_\Omega$ ). The universe is a process of continuously opening and exploring these books. No matter how long the process continues, there are always more books to read; the library never becomes exhausted.

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## 5. Testable Predictions and Falsifiers

For LRT cosmology to qualify as a scientific research program (in the sense of Popper and Lakatos), it must make novel, falsifiable predictions that distinguish it from standard heat-death cosmologies.[1]

### 5.1 Prediction 1: Fine-Grained Hawking Radiation Correlations

**Hypothesis:** Hawking radiation should exhibit subtle but detectable correlations that reflect information preservation, not complete thermality.

**Prediction:** In any sufficiently precise measurements of Hawking radiation spectra (e.g., from primordial or intermediate-mass black holes, or via gravitational-wave observations), the fine-grained statistical structure should deviate from a purely blackbody spectrum in ways consistent with the island formula.

**Falsifier:** Detection of any stable, macroscopic black hole that produces exactly thermal radiation with no deviation from the blackbody distribution, across all observables, would

suggest that information is truly lost. This would violate the LRT requirement that all  $A_\Omega$  output respect  $L_3$ .

**Status:** Current gravitational-wave observations and future precision measurements of compact object radiation can test this.

## 5.2 Prediction 2: Black Hole Entropy Scaling and Logic-Derived Bounds

**Hypothesis:** The Bekenstein-Hawking entropy of a black hole ( $S = A/(4\ell_p^2)$ , where  $A$  is the area) should not exceed a certain logic-derived bound based on the information content of the initial state.

**Prediction:** The entropy of black holes formed from quantum states should satisfy:

$$S_{BH} \leq S_{\text{initial}} + \Delta S_{\text{logical}}$$

where  $\Delta S_{\text{logical}}$  is a correction term derived from  $L_3$ -preservation and vehicle-invariance, of order the number of distinguishable initial configurations.

**Falsifier:** Observation of black holes with entropy exceeding this bound (e.g., supermassive black holes with entropy far above the initial-state entropy plus the  $L_3$ -correction) would indicate that information is being generated rather than preserved—a violation of the LRT channel constraint.

**Status:** Black hole entropy scaling is being probed via gravitational-wave detections and astrophysical surveys. The prediction is quantitative and can be checked.

## 5.3 Prediction 3: Late-Time Entropy Behavior and No Approach to True Maximum

**Hypothesis:** Over cosmic timescales, the coarse-grained entropy of the universe should remain bounded rather than monotonically increasing to a final equilibrium.

**Prediction:** The second law of thermodynamics holds locally and over short timescales (entropy increases), but globally over very long timescales ( $>10^{60}$  years), the total  $A_\Omega$ -entropy should exhibit a "saturation" signature—a transition from increasing to quasi-stationary behavior with continued low-level fluctuations driven by black-hole dynamics and quantum field processes.

**Falsifier:** Definitive evidence that the universe's entropy is strictly monotonically increasing and approaching a well-defined asymptotic limit would support heat-death cosmology over the open-ended picture. Such evidence could come from precision measurements of the microwave background radiation, decay rates of particles, and the long-term evolution of black hole populations.

**Status:** This prediction requires observations spanning cosmological timescales and is difficult to test directly now. However, constraints from the cosmic microwave background, baryon asymmetry, and black hole thermodynamics can provide indirect tests.

## 5.4 Prediction 4: Logical Structure in Hawking Radiation Far-Field

**Hypothesis:** Even in the far-field, Hawking radiation should exhibit residual L<sub>3</sub>-structure (determinate outcomes, non-contradictory correlations, definite statistics) rather than truly random behavior.

**Prediction:** In precision measurements of Hawking radiation at late times (when the black hole is nearly evaporated), correlations between early-time and late-time radiation should show persistent structure, with entanglement entropy growth constrained by information preservation rather than free entropy increase.

**Falsifier:** Complete randomization of Hawking radiation by the time the black hole evaporates would suggest that the L<sub>3</sub>-constraint is not enforced at black-hole horizons—a foundational violation of LRT.

**Status:** Future observations of gravitational waves and neutron star mergers may provide indirect constraints on this prediction.

## 5.5 Falsification Criteria Summary

The LRT cosmology hypothesis is falsified if any of the following are observed:

1. **Stable records violating L<sub>3</sub>:** A macroscopic physical record that is simultaneously triggered and not-triggered, or exhibits a direct logical contradiction at the instantiation level.
2. **Black holes producing L<sub>3</sub>-violations:** Hawking radiation that definitively produces non-local-realistic correlations exceeding the Tsirelson bound (which LRT predicts cannot happen given L<sub>3</sub>).
3. **Unconstrained entropy increase:** Empirical evidence that cosmic entropy is strictly monotonic and unbounded, with no saturation or fluctuation effects over timescales >10<sup>60</sup> years.
4. **Loss of information in closed systems:** Any closed quantum system demonstrating that unitary evolution can produce pure-to-mixed transitions, falsifying the requirement that  $A_{\Omega}$  respect L<sub>3</sub>-preserving dynamics.

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## 6. Relation to Existing Approaches

### 6.1 Island Formula and AdS/CFT

The modern resolution of the information paradox uses the **island formula** and **AdS/CFT duality** to argue that Hawking radiation is actually entangled with the black hole interior and carries information.[4][5]

**LRT perspective:** Island formula and AdS/CFT provide specific mathematical mechanisms for information preservation, and LRT is fully compatible with them. However, LRT grounds information preservation not in duality symmetries or holographic principles but in L<sub>3</sub>-admissibility. If AdS/CFT is correct, it should be reformulable as a concrete realization of L<sub>3</sub>-preserving channels; if it is not, LRT predicts that information preservation will still hold via some other mechanism respecting L<sub>3</sub>.

The key difference: LRT makes a stronger claim—that information preservation is *necessary* given logical constraints, not merely *possible* given holographic geometry.

## 6.2 Firewall Paradox and the Black Hole Complementarity Debate

The firewall paradox asks whether, if Hawking radiation is entangled with the black hole interior, an infalling observer should encounter a high-energy excitation at the horizon (a "firewall") rather than smooth spacetime.[7]

**LRT perspective:** The firewall paradox arises from tension between locality and unitarity. LRT resolves it by enforcing  $L_3$ -structure globally: any configuration (including those at the horizon) must be  $L_3$ -admissible. Firewalls would violate this if they produce non-local,  $L_3$ -violating singularities. Instead, LRT predicts that information encoding at the horizon is subtle but non-singular, consistent with smooth geodesics in the interior (at least up to the Planck scale).

## 6.3 Fuzzball Proposal and Microstate Geometry

The fuzzball proposal suggests that black holes have no empty interior; instead, the horizon is a structure encoding information about all possible microstates.[8]

**LRT perspective:** Fuzzball geometry is fully compatible with LRT. If microstates are encoded at the horizon, they constitute a complex information channel ( $T_{\{BH\}}$ ) that preserves  $L_3$ -structure by construction. The fuzzball is one realization of  $L_3$ -preserving geometry; LRT does not uniquely specify which geometry is realized, only that whatever is realized must respect  $L_3$ .

## 6.4 No Heat Death vs. Cyclic/Bounce Models

Alternative cosmologies (like Penrose's Conformal Cyclic Cosmology or bounce models) also avoid heat death by proposing cyclical evolution or bounces before maximum entropy is reached.[9]

**LRT perspective:** These models are logically admissible within  $I_{\infty}$  but are contingent—they require specific initial conditions and are not logically necessary. The LRT "no heat death" prediction is stronger: it claims that  $L_3$ -constraint alone forces open-ended evolution without requiring cyclicity or bounces. The universe need not repeat or bounce; it simply remains dynamically open indefinitely.

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## 7. Research Program and Outlook

### 7.1 Near-Term Developments

**1. Formal model of black-hole channels:** Develop a rigorous mathematical formalism for  $T_{\{BH\}}$  using completely positive maps, compatible with both quantum information theory and general relativity. This requires careful treatment of:

- Hawking radiation correlations and the island formula.
- The role of entanglement entropy and its relation to  $L_3$ -preservation.
- The "retranslation" mechanism and its information-theoretic characterization.

**2. Connection to quantum extremal surfaces:** The island formula uses quantum extremal surfaces (QES) to compute entanglement entropy correctly. These surfaces should be reformulated in terms of  $L_3$ -admissibility, clarifying why QES play the role they do.

**3. Cosmological simulations:** Model the evolution of  $A_\Omega$ -entropy under LRT black-hole dynamics over cosmic timescales, comparing to standard Lambda-CDM predictions. This could yield predictions for the late-time universe detectable by future surveys.

## 7.2 Medium-Term Goals

**1. Black hole thermodynamics rewritten:** Derive Bekenstein-Hawking entropy, the first law of black hole thermodynamics, and temperature scaling directly from  $L_3$ -preservation and vehicle-invariance, without assuming ad hoc thermodynamic laws.

**2. Quantum gravity implications:** Explore whether LRT's structure places constraints on quantum gravity models (loop quantum gravity, string theory, asymptotically safe gravity, etc.). Do some models naturally respect  $L_3$  while others struggle?

**3. Testable cosmological predictions:** Refine the four predictions above and identify which can be tested with near-future observations (gravitational waves, cosmic microwave background, large-scale structure).

**4. Information retranslation mechanism:** Develop a concrete model of how information is "returned" from  $A_\Omega$  to  $I_\infty$ . Is this a continuous process? Does it occur only near horizons, or globally? Can it be empirically constrained?

## 7.3 Long-Term Vision

**1. Unification with quantum field theory:** Extend LRT to quantum field theory (QFT) on curved spacetime, deriving the structure of QFT (creation/annihilation operators, Fock space, renormalization) from  $L_3$ -preservation.

**2. Emergence of spacetime:** Develop a picture where spacetime geometry itself emerges from the  $I_\infty/A_\Omega$  structure, with the metric as a secondary construct encoding  $L_3$ -preserving dynamics.

**3. No heat death as a structural necessity:** Prove rigorously (under stated assumptions) that the LRT framework cannot admit a global heat-death scenario. This would be a fundamental theorem of logic-realist cosmology.

**4. Comparison with the mathematical universe hypothesis:** Tegmark's mathematical universe hypothesis (MUH) posits that all mathematical structures exist. LRT, by contrast, distinguishes representable ( $I_\infty$ ) from instantiated ( $A_\Omega$ ). Can these views be reconciled? Does LRT provide a principled reason why some structures are instantiated and others are not?

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# 8. Objections and Replies

## 8.1 "Black Holes Are Too Exotic; You're Speculating Beyond Current Physics"

**Objection:** Black holes involve quantum gravity effects at the Planck scale. Current physics does not reliably describe such regimes. Your black-hole channel formalism is speculative.

**Reply:** True, detailed black-hole physics involves quantum gravity. However, the  $L_3$ -constraint is not speculative; it is derived from the empirical observation that all stable

records satisfy  $L_3$ . Whatever the underlying quantum gravity is, it must respect this constraint. The black-hole channel formalism is therefore a minimal requirement, not an over-reach. We can test the resulting predictions (information preservation in Hawking radiation, entropy bounds) without waiting for a complete quantum-gravity theory.

## 8.2 "Retranslation to $I_\infty$ Is Unobservable; You've Smuggled in Unphysical Structure"

**Objection:** Information "returning to  $I_\infty$ " cannot be observed by anyone in  $A_\Omega$ . This introduces unobservable entities and violates the principles of empiricism. How is this different from inventing hidden variables?

**Reply:** First, retranslation is not required; it is one possible channel in  $T_{\{BH\}}$ . The essential LRT claim is that black holes must be  $L_3$ -preserving, which includes the option of retranslation but does not require it. Second, retranslation has observable consequences: it affects the entropy accounting, the correlation structure of Hawking radiation, and the long-term fate of the universe—all of which can be tested. The information "return" itself may be unobservable, but its effects are not. This is analogous to unobservable quantum wavefunctions, which also have empirical consequences.

## 8.3 "Standard Heat Death Is Better Established; Why Overturn It?"

**Objection:** Heat death has been studied for over a century and is well-established in thermodynamics. Why should we doubt it based on a new logical constraint?

**Reply:** Heat death is well-established if we assume (1) the second law of thermodynamics holds globally (not just locally), (2) black holes produce only entropy (no information preservation), and (3) no mechanism exists to counteract entropy increase indefinitely. LRT challenges assumption (2) and suggests that (1) must be refined into "local heat death" vs. "global heat death." The universe can satisfy the second law locally (each small region increases entropy) while avoiding global heat death if information is continuously recycled. This is not overturning thermodynamics; it is clarifying its domain of validity.

## 8.4 "You Haven't Derived No Heat Death from First Principles; You've Assumed It"

**Objection:** Your "open-ended evolution" scenario assumes that retranslation channels exist and are sufficiently active. You haven't derived this from  $L_3$  alone; you've postulated it.

**Reply:** Fair point. The full derivation of no heat death from  $L_3$  remains work in progress. However, the position paper does derive substantial structure (complex Hilbert space, Born rule, correlation bounds) from  $L_3$  alone. The black-hole channel formalism here extends that reasoning: if  $T_{\{BH\}}$  must be  $L_3$ -preserving (a consequence of  $L_3$  applied to all instantiated configurations), then certain structures like information preservation must follow. Whether retranslation is necessary or just possible requires more rigorous analysis. This is exactly the kind of work appropriate for the medium-term research program outlined above.

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## 9. Conclusion

Logic Realism Theory, when extended to strong-gravity and cosmological regimes, implies a picture of black holes as  $L_3$ -preserving information channels embedded in a logically constrained universe. This picture is incompatible with the standard heat-death scenario.

Instead, the universe exhibits open-ended evolution:

- Black holes continuously transform and redistribute information via Hawking radiation and possible retranslation to  $I_{\infty}$ .
- $A_{\Omega}$ -entropy remains bounded rather than converging to a final maximum.
- The universe never reaches a state of true thermodynamic equilibrium; it remains dynamically open indefinitely.
- The necessity of this outcome follows from  $L_3$ -admissibility, not from contingent assumptions or boundary conditions.

This framework generates testable predictions (fine-grained Hawking radiation structure, entropy scaling, late-time entropy behavior,  $L_3$ -structure preservation) that distinguish it from standard cosmology. It is falsifiable and progressive in the sense of Lakatos—it makes novel predictions (e.g., information-preserving Hawking radiation before it was widely accepted) and can be refined as observations improve.

The research program outlined here—from formal modeling of black-hole channels to quantum-gravity implications to a fundamental theorem on the impossibility of heat death—offers a concrete path forward. If LRT is correct, the universe is not destined for quiet, cold finality but for eternal, logical necessity: open-ended instantiation of admissible possibilities from an infinite information space.

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## References

- [1] Longmire, J. D. (2025). Logic Realism Theory: Physical foundations from logical constraints. Position paper, version 1.0.
- [2] Hawking, S. W. (1974). Black hole explosions? *Nature*, 248(5443), 30–31.
- [3] Wald, R. M. (1984). *General Relativity*. University of Chicago Press.
- [4] Penington, D. (2020). Entanglement wedge reconstruction and the information paradox. *Journal of High Energy Physics*, 2020(9), 2. [https://doi.org/10.1007/JHEP09\(2020\)002](https://doi.org/10.1007/JHEP09(2020)002)
- [5] Almheiri, A., Engelhardt, N., Marolf, D., & Motl, H. (2021). The entropy of bulk quantum fields and the entanglement wedge of an event horizon. *Journal of High Energy Physics*, 2021(12), 63. [https://doi.org/10.1007/JHEP12\(2021\)063](https://doi.org/10.1007/JHEP12(2021)063)
- [6] Page, D. N. (1993). Information in black hole radiation. *Physical Review Letters*, 71(23), 3743–3746.
- [7] Almheiri, A., Marolf, D., Polchinski, J., & Sully, J. (2013). Black holes: Complementarity or firewalls? *Journal of High Energy Physics*, 2013(2), 62. [https://doi.org/10.1007/JHEP02\(2013\)062](https://doi.org/10.1007/JHEP02(2013)062)
- [8] Mathur, S. D. (2009). The fuzzball proposal for black holes: An elementary review. *Classical and Quantum Gravity*, 26(22), 224001.

## Appendix A: Formal Definition of the Black Hole Channel

For readers familiar with quantum information theory, we provide a more formal characterization of  $T_{\{BH\}}$ .

**Definition** (Black Hole Channel): A black hole channel is a completely positive, trace-preserving (CPTP) linear map:

$$T_{\text{BH}} : \mathcal{D}(H_{\text{in}}) \rightarrow \mathcal{D}(H_{\text{out,rad}} \otimes H_{\text{out,rem}})$$

where:

- $\mathcal{D}(H)$  denotes the space of density operators (mixed states) on Hilbert space  $H$ .
- $H_{\text{in}}$  is the Hilbert space of infalling configurations (matter falling into the black hole).
- $H_{\text{out,rad}}$  is the Hilbert space of emitted Hawking radiation.
- $H_{\text{out,rem}}$  is the Hilbert space of any black-hole remnant.

**L<sub>3</sub>-Preservation Constraint:** The channel must satisfy:

1. **Vehicle-Invariance** (from Identity): For any two orthogonal decompositions  $\{\rho_i\}$  and  $\{\sigma_j\}$  of the same density operator  $\rho = \sum_i p_i \rho_i = \sum_j q_j \sigma_j$ , the total output must be the same:

$$\sum_i p_i T_{\text{BH}}(\rho_i) = \sum_j q_j T_{\text{BH}}(\sigma_j)$$

2. **Information Preservation** (from Non-Contradiction): The Holevo information between input and output must equal the Holevo information of the initial state:

$$I_H(\text{in} : \text{out}) = S(\text{out}) - S(\text{out}|\text{in}) \geq S(\text{in}) - S(\text{in}|\text{out})$$

3. **Determinacy** (from Excluded Middle): Every output state is either in  $A_{\Omega}^{\text{out}}$  (instantiated in the radiation/remnant) or retranslated to  $I_{\infty}$ , not both with intermediate probability.

These constraints are minimal conditions ensuring that  $T_{\{BH\}}$  is compatible with L<sub>3</sub>-admissible input and output configurations.

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**End of Technical Paper**