Model fitting to human choice and accuracy data

```
"Accuracy increased across the block overall":
```

Effect 01: "trial" F(6.87,116.86)=29.902, p=0.000

"but did so faster in blocks with familiar cues.":

Effect 01: "trial" F(6.87,116.86)=29.902, p=0.000Effect 02: "novel" F(1.00,17.00)=149.680, p=0.000Effect 03: "novel""trial" F(6.94,117.96)=2.899, p=0.008

"Participants began with a bias to respond `target` that abated across the block in roughly equal measure for the two conditions."

Effect 01: "trial" F(7.37,125.24)=46.063, p=0.000 Effect 02: "novel" F(1.00,17.00)=24.619, p=0.000 Effect 03: "novel""trial" F(6.78,115.25)=0.454, p=0.861 interaction between conditions

"specifically, mean values of alpha R were" ... "for blocks with familiar and novel cues respectively, diverging reliably from the respective parameters" ... "that yielded maximal performance under this model in both cases"

 $\begin{array}{ll} \text{mean fittings} &: 0.39\ 0.58\\ \text{mean optimals} &: 0.08\ 0.11\\ \text{std fittings} &: 0.27\ 0.23\\ \text{std optimals} &: 0.02\ 0.05 \end{array}$

familiar ttest : t(17) = +4.89, p = 0.000 novel ttest : t(17) = +8.10, p = 0.000

"similarly, mean values for tau were" ... "both showing a divergence from the performance-maximising parameters" ... "that was statistically reliable"

alpha_m

mean fittings $: 0.91\ 0.96$ mean optimals $: 0.74\ 0.47$ std fittings $: 0.72\ 0.71$ std optimals $: 0.44\ 0.37$

familiar ttest2 : t(17) = +0.84, p = 0.414 novel ttest2 : t(17) = +2.69, p = 0.016

tau

mean fittings : 0.38 0.56 mean optimals : 0.06 0.08 std fittings : 0.28 0.22 std optimals : 0.03 0.04

familiar ttest : t(17) = +5.03, p = 0.000 novel ttest : t(17) = +8.74, p = 0.000

"however, values of tau were smaller ... and values of alpha R were larger" ... "in the familiar relative to novel cues condition"

```
alpha_M ttest : t(17) = -0.26, p = 0.798 alpha_R ttest : t(17) = -2.41, p = 0.028 tau ttest : t(17) = -2.54, p = 0.021
```

"interaction between fittings/optimal and familiar/novel"

alpha_R

```
Effect 01: "cue" F(1.00,17.00)=7.686, p=0.013 Effect 02: "optimal" F(1.00,17.00)=75.997, p=0.000 Effect 03: "optimal""cue" F(1.00,17.00)=3.936, p=0.064 tau Effect 01: "cue" F(1.00,17.00)=8.002, p=0.012 Effect 02: "optimal" F(1.00,17.00)=73.070, p=0.000 Effect 03: "optimal""cue" F(1.00,17.00)=4.852, p=0.042
```

RANKSUM TEST

adaptation between conditions

fittings on ta3

```
p(alpha_M) = 0.861
p(alpha_R) = 0.032
p(tau ) = 0.044
```

optimals on ta3

```
p(alpha_M) = 0.005

p(alpha_R) = 0.082

p(tau) = 0.072
```

deviance from optimality

familiar on ta3

```
p(alpha_M) = 0.799
p(alpha_R) = 0.000
p(tau ) = 0.000
novel on ta3
p(alpha_M) = 0.096
p(alpha_R) = 0.000
p(tau ) = 0.000
```

CORRELATION PARAMETER / PERFORMANCE

ALPHA M

r(familiar) = -0.3481 r(novel) = -0.2434 p(familiar) = 0.1569p(novel) = 0.3304

ALPHA R

r(familiar) = - 0.7253 r(novel) = -0.3711 p(familiar) = 0.0007 p(novel) = 0.1295

TAU

r(familiar) = -0.6943 r(novel) = -0.4387 p(familiar) = 0.0014p(novel) = 0.0658

BIC SCORES

Fitting (familiar / novel)

0 (,	,	
BIC(human)		$= 32.0413 \pm 0.1759$	$= 32.7083 \pm 0.0744$
BIC(god)		$= 38.6333 \pm 0.3613$	$=40.0568 \pm 0.1324$
BIC(hbm)		$= 36.8194 \pm 0.5052$	$= 38.6293 \pm 0.2327$
BIC(ta3)		$= 37.8985 \pm 0.2117$	$= 39.1219 \pm 0.1770$
BIC(ta3opt)		$= 39.7748 \pm 0.3826$	$=41.7100 \pm 0.2193$
BIC(co3)		$= 38.0386 \pm 0.2196$	$= 38.9329 \pm 0.1918$
BIC(co3opt)		$=40.6822 \pm 0.3417$	$=41.7815\pm0.2204$
BIC(taco4)		$= 39.0755 \pm 0.1762$	$= 40.0401 \pm 0.1637$
BIC(taco4opt)		$=41.3003 \pm 0.3899$	$=43.1427 \pm 0.2243$

Test (familiar / novel)

BIC(human)	$= 31.9841 \pm 0.2089$	$= 32.7730 \pm 0.0544$
BIC(god)	$= 38.2427 \pm 0.4556$	$=40.0047 \pm 0.2188$
BIC(hbm)	$= 36.5909 \pm 0.5426$	$= 38.3735 \pm 0.2471$
BIC(ta3)	$= 39.5754 \pm 0.3627$	$=41.0839 \pm 0.4033$
BIC(ta3opt)	$= 40.4352 \pm 0.4451$	$=41.6207 \pm 0.3443$
BIC(co3)	$=40.0569 \pm 0.3723$	$=41.0461 \pm 0.3670$
BIC(co3opt)	$=41.0717 \pm 0.4175$	$=41.7441 \pm 0.3819$

BIC(taco4) $= 41.2352 \pm 0.3060$ $= 42.5176 \pm 0.3498$ BIC(taco4opt) $= 41.6794 \pm 0.4745$ $= 43.1694 \pm 0.3673$