HarveyMuddX: CS005x CS For All: Introduction to Computer Science and Python Programming

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Week 3: Functions and Recursion > Homework 3 > Problem 1: Turtle

Problem 1: Turtle

Problem 1: Python Turtles

In this problem, you'll start working with Python's turtle, a drawing library.

When you're finished with this assignment, submit your code at the bottom of this page.

Trying turtle out

Try these commands in the trinket below. You don't need the comments, but they shouldn't hurt if you paste them:

```
from turtle import *  # loads the turtle library...
width(5)  # make the turtle pen 5 pixels wide
shape('turtle') # use a turtle shape!
forward(100)  # turtle goes forward 100 steps
right(90)  # turtle turns right 90 degrees
up()  # turtle lifts its pen up off of the
paper
forward(100)  # turtle goes forward 100 steps
down()  # turtle puts its pen down on the paper
color("red")  # turtle uses red pen
circle(100)  # turtle draws circle of radius 100
color("blue")  # turtle changes to blue pen
forward(50)  # turtle moves forward 50 steps
```

If you'd like to check out all of the available turtle commands, the full turtle reference is available at this official turtle library page.

The poly Function

Start by making a copy of this trinket. You'll write all of the Homework 3, Problem 2 functions in this trinket.

```
To run this septagonal example, enter ) under the function and then run the trinket.
```

The spiral Function

The poly function is an example of single-path recursion: the recursive calls are made a single time, so that there is a single, step-by-step path taken—both by the code and by the turtle!

Next, you'll try another single-path recursive function on your own.

To start, underneath the poly function, write another named spiral. Here is its signature:

```
def spiral( initialLength, angle, multiplier
):
```

This spiral function should use the turtle drawing functions to create a spiral that:

- has its first segment of length initialLength and
- whose neighboring segments form angles of angle degrees.
- The multiplier will be a float that will indicate how each segment changes in size from the previous one. For example, with a multiplier of 0.5 each side in the spiral should be *half* the length of the previous side.

Base cases!

The spiral should stop drawing when it has reached a side length of:

- less than 1 pixel or
- greater than 500 pixels

```
spiral ( 100, 90, 0.9 Here's a picture from the call )
```

Try altering your spiral function with different drawing attributes—for example:

- · different values of multiplier and angle
- include a different value of the line width in the code (or a changing value that depends on initialLength)
- a different, pre-programmed color within the function, or
- a random color for each segment of the spiral—by calling

```
c = choice(['green','red','blue']
)
color( c )
```

The chai Function: Branching Recursion

Next, you'll build a *branching-recursion* example. It's in branching that recursion is at its most "magical"—but it's also true that in composing these functions, it can be the most mind-bending. What's remarkable is that the "magic" is, in the end, completely understandable.

Start by pasting the chai function from class:



```
def chai(size):
   """ our chai function!
    if (size < 9):
       return
    else:
        forward(size)
        left(90)
        forward(size/2.0)
        right (90)
        right (90)
        forward(size)
        left(90)
        left(90)
        forward(size/2.0)
        right (90)
        backward(size)
        return
                   chai( 100
```

Then, try running it with)

Next, add one branch of recursion between the two calls to right (90), by pasting a recursive call to chai(size/2) .

Try it out!

Finally, add a second branch. It's really nothing more than a second branch, but because it's realized recursively, the resulting work (and visual intricacy) can be much greater!

chai(size/2

In addition to the above call, between the two calls to left (90), paste a recursive call to)

Try it out! Try it with some different parameters, as well. For example, you could:

```
chai(size/2 chai(size/3
```

- leave the first branching call at)
 and change the second to)
- or vice-versa
- try adding a color change (or two) within the code
- try adding a line-width change (or two) within the code

All of these example runs will build up intuition about how branching recursion works. In the end, it's simply creating a smaller version of the overall structure at *more than one location* within that structure.

The key to making "branching-recursion" work is *making sure that your turtle* **ends** at the same location that it **begins**. That is how you know that the statements after the recursive calls are moving the turtle as expected.

The sytree Function

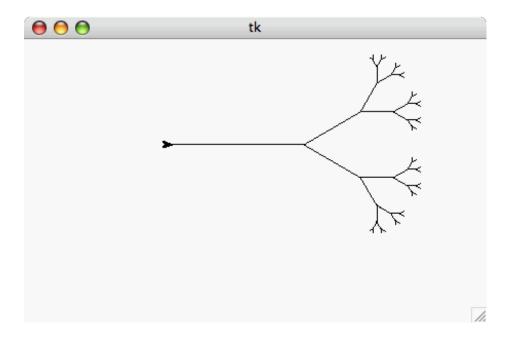
Next, you'll write another branching example—here, "branching" seems like a particularly appropriate descriptor!

The idea here is to create a function that draws the *side-view* of a tree, hence sytree:

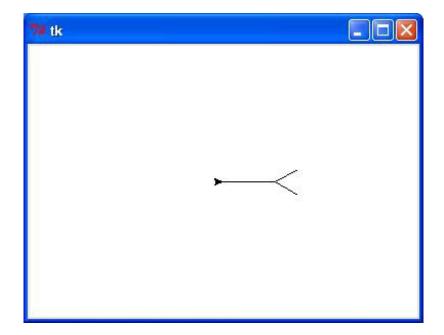
```
def svtree( trunklength, levels
)
```

svtree(128, 6

Here is an example of the output from my function when) is run:



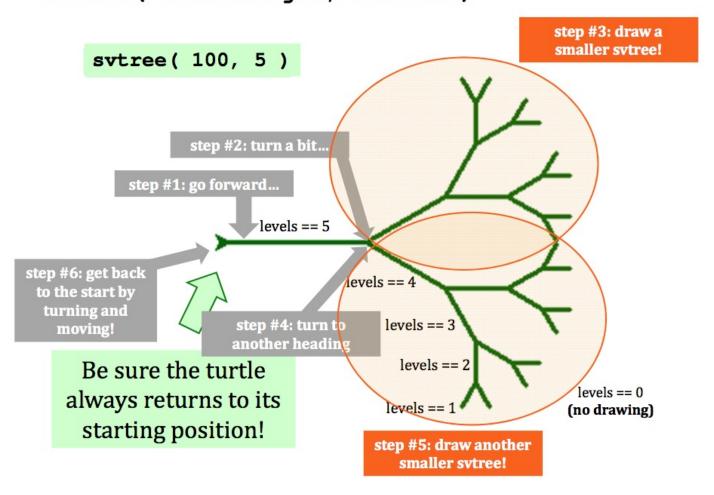
svtree(50, 2) and another example of the output when) is run:



Note that these are really side view!

Calling left (90); svtree (100,5) will yield a more traditional tree pose! Also, here is a picture showing the self-similar breakdown of svtree (from the slides). This is, in fact, an almost complete map of the svtree code!

svtree(trunkLength, levels)



Hints

Consider the chai function above—and its recursive extension. It's is a good starting point for sytree.

The key to happiness with recursive drawing is this: *the pen must be back at the start (root) of the tree at the end of the function call*! That way, each portion of the recursion "takes care of itself" relative to the other parts of the image.

Don't worry about the exact angle of branching or the amount of reduction of the trunklength in sub-branches, etc. However, you can design your own tree by making aesthetic choices for each of these, if you like!

Once you have the svtree function working, alter it so that it has **three or more branches**, instead of only two. You can get some very dense "foliage" very quickly, and even more "life-like" results are possible if you use non-identical branching angles and size multipliers!

Also, you could have the width or color depend on the value of levels. If you make the final "level" red, you can create an apple tree or, if you make that final "level" a random color, you can produce fall-foliage-type effects!

The flakeside Function

The Koch Snowflake is an example of very deeply branching recursion. Here, however, the branching is **inward** rather than outward, as in <u>svtree</u>.

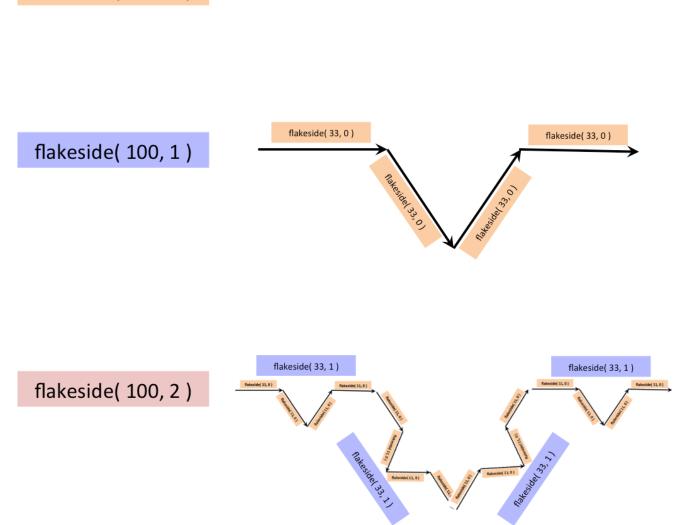
The Koch snowflake is a fractal with three identical sides—it's the sides themselves that are defined recursively. Because of this, we provide the overall snowflake function for you to use—here it is:

flakeside(sidelength,

Your task is to implement levels)

to complete the definition of the Koch Snowflake.

First, here is a graphical summary of its structure:



Hints

A base-case Koch snowflake side is simply a straight line of length sidelength.

Each recursive level replaces the *middle third* of the snowflake's side with a "bump," i.e., two sides that would be part of a one-third-scale equilateral triangle.

See if you can determine the self-similar structure of the Koch snowflake! Some hints:

- If levels is zero, the base case, then flakeside should produce a single segment (base case!)
- If levels is zero, notice that each flakeside at level 3 contains four flakesides of level 2
- Each <u>flakeside</u> at level 2 contains four <u>flakesides</u> of level 1 and so on, so <u>flakeside</u> will need to call itself *four* times!

Remember that flakeside is only creating one of the three sides of the snowflake! Because of this, it does **not** have to end in precisely the same location as it begins... (If it did, all three sides would be on top of one another...)

Here are images of four different values of levels for a snowflake, 0, 1, 2, and 3:

More information on this Koch fractal curve is here, among other places on the web.

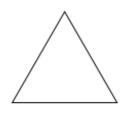
Submit Homework 3, Problem 1

0 point possible (ungraded)

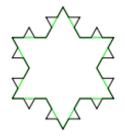
For this problem, your code will not be graded. However, we do still ask you to submit all of your code.

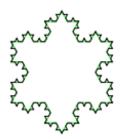
To submit Homework 3, Problem 1, you'll need to copy your code from your trinket and paste it into the box below. After you've pasted your code below, click the "Check" button.

IMPORTANT: Make sure that there aren't spaces at the beginning of your code, and that you copied all of the characters. If there are extra spaces or you are missing spaces, our server won't be able to run your code and we won't be able to give you any of the points you deserve for your hard work.









1

2

3

4

5

6

7

from turtle import *

```
import time
9
10
def poly(n,
N):
11
    """ draws n sides of an N-sided regular polygon
*****
12
    if n ==
0:
13
       return
None
14
else:
15
        forward(50)
16
        left( 360.0/N
17
```

8

```
poly( n-1, N
18
19
20
def spiral(initialLength, angle,
multiplier):
21
    """ draws spiral
.....
22
    if (initialLength < 1) or (initialLength >
500):
23
        return
None
24
else:
25
        forward(initialLength)
```

Press ESC then TAB or click outside of the code editor to exit correct

correct

Test results

CORRECT See full output See full output

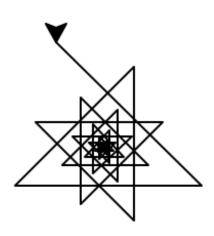
You have used 1 of 3 attempts Some problems have options such as save, reset, hints, or show answer. These options follow the Submit button.

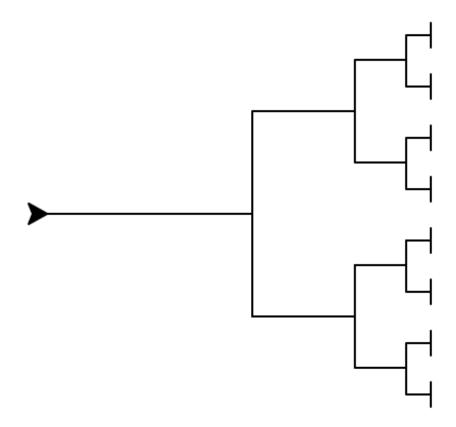
Homework 3, Problem 1 Questions

30.0/30.0 points (graded)

Does your spiral function produce a spiral similar to the one shown below when you run the line spiral (2, 135, 1.1)?

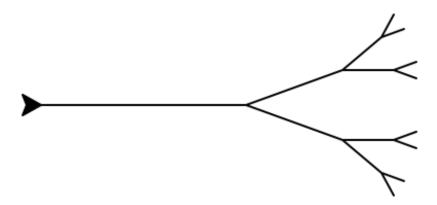
Does your chai function produce an image similar to the one shown below when you run the line chai (100)?





Does your sytree function produce a tree similar to the once shown below when you run the line svtree(100, ?

4)



Does the snowflake function produce a Koch snowflake similar to the image below when you run the line snowflake(100,

2)

?

You have used 1 of 3 attempts Some problems have options such as save, reset, hints, or show answer. These options follow the Submit button.

