

# Simulation and Theory of Bacterial Transformation

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# Outline

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Introduction

Motivation

Biological Background

Simulation

Results

Conclusions

# Motivation

- Ubiquitous threat of antibiotic resistance
- Main mechanisms of transmission

## Goal

Identify what most significantly affects resistant cell dominance.

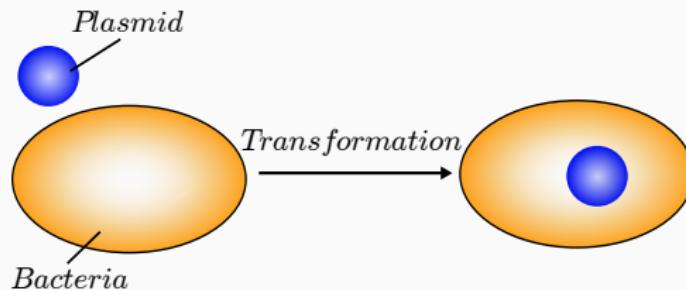
# Plasmids

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- Small, independently replicating genetic material
- Often include DNA segments encoding antibiotic resistance
- Imposes a fitness cost on host cell

# Transformation and Conjugation

- **Transformation:** Cell incorporates plasmid from environment
- **Conjugation:** Plasmid transferred between cells



# Outline

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Simulation

Population Dynamics Model

Simulation Methods

Results

Conclusions

# Simulation vs Modeling

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- Stochastic vs Deterministic
- Information about average behavior vs specific system

# Simulation vs Modeling

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Reaction  $R \xrightarrow{\delta} \emptyset$  (1)

# Simulation vs Modeling

Reaction  $R \xrightarrow{\delta} \emptyset$  (1)

Differential equation  $\frac{dR}{dt} = -\delta R$  (2)

$$R(t) = R_0 e^{-\delta t} \quad (3)$$

# Population Dynamics Model - Constant

$$\begin{aligned}\frac{dS}{dt} &= b_S \left(1 - \frac{S+R}{K}\right) S - \alpha S \\ \frac{dR}{dt} &= b_R \left(1 - \frac{S+R}{K}\right) R + \alpha S - \delta R\end{aligned}$$

# Population Dynamics Model - Linear

$$\frac{dS}{dt} = b_S \left(1 - \frac{S + R}{K}\right) S - \alpha \left(\frac{P}{P_0}\right) S$$

$$\frac{dR}{dt} = b_R \left(1 - \frac{S + R}{K}\right) R + \alpha \left(\frac{P}{P_0}\right) S - \delta R$$

$$\frac{dP}{dt} = -\alpha \left(\frac{P}{P_0}\right) S$$

# Population Dynamics Model - Recycled

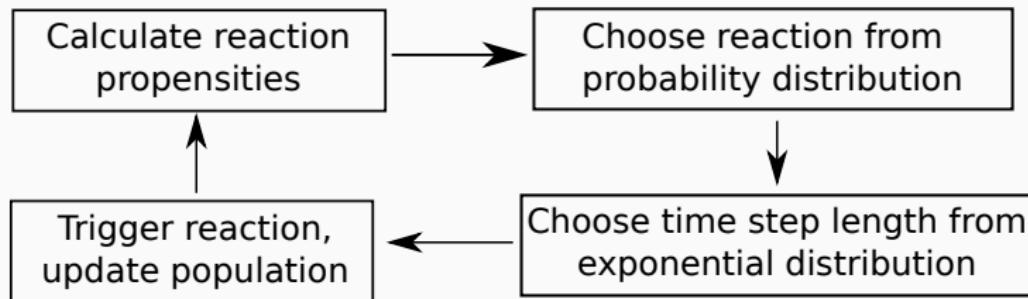
$$\frac{dS}{dt} = b_S \left(1 - \frac{S + R}{K}\right) S - \alpha \left(\frac{P}{P_0}\right) S$$

$$\frac{dR}{dt} = b_R \left(1 - \frac{S + R}{K}\right) R + \alpha \left(\frac{P}{P_0}\right) S - \delta R$$

$$\frac{dP}{dt} = -\alpha \left(\frac{P}{P_0}\right) S + \delta R$$

# Kinetic Monte Carlo Method

- Initially used to simulate chemical reactions
- Captures information about dynamics of a growing system



# Optimizations

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- Sets vs. lists
- Occupancy lists
- `imshow` vs. `plcolor`

# Outline

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Introduction

Simulation

Results

Well-Mixed

Lattice

Conclusions

# Parameter Space

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# Outline

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Simulation

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# Backup slides

# References i