

Artificial Intelligence for Physics Discovery: Theory Perspective

Jesse Thaler



Associate Professor
Center for Theoretical Physics



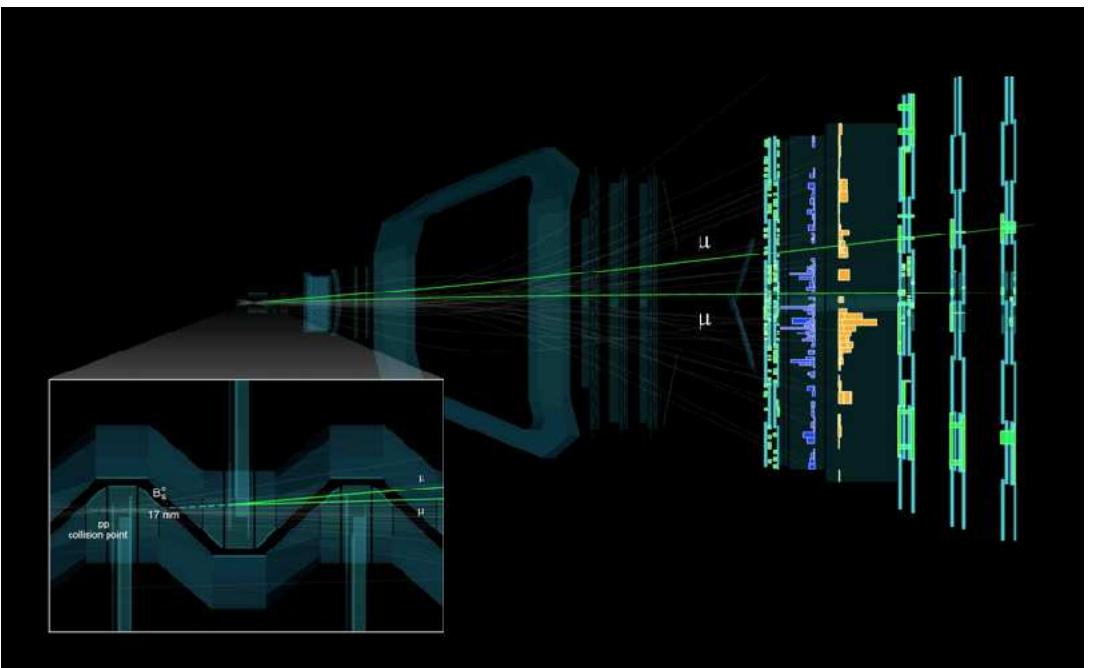
Director, NSF Institute for Artificial Intelligence
and Fundamental Interactions (IAIFI)

AAAS Annual Meeting — February 8-11, 2021

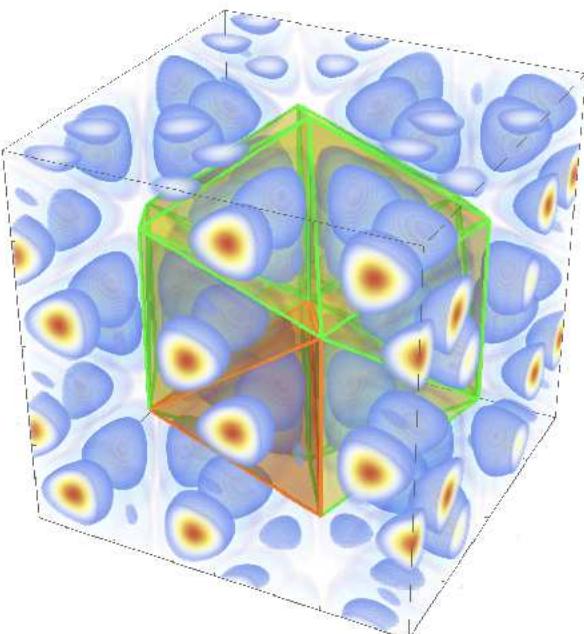
Physics Discovery In and Beyond the Standard Model

Opportunities for advances via artificial intelligence

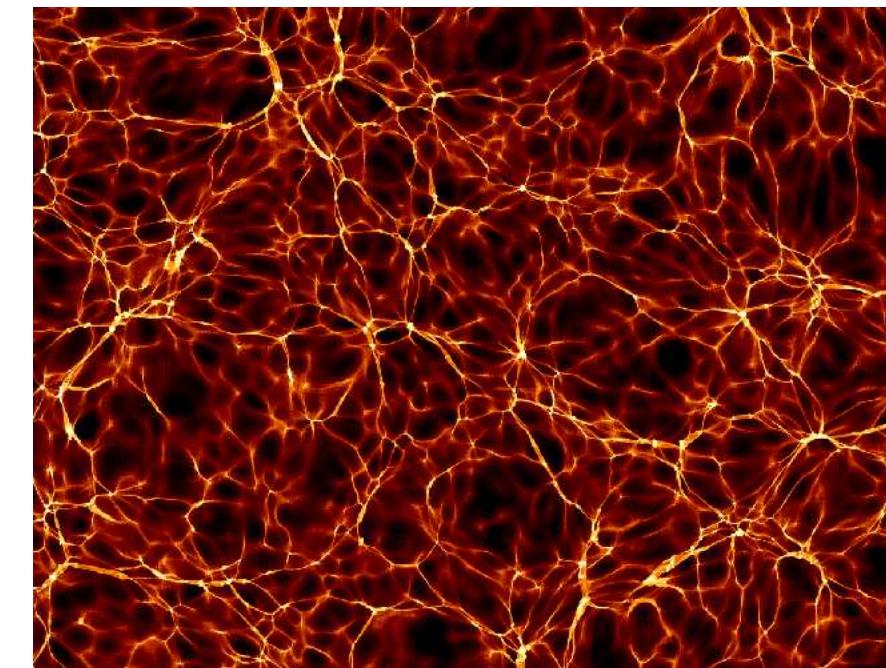
New Particles & Forces



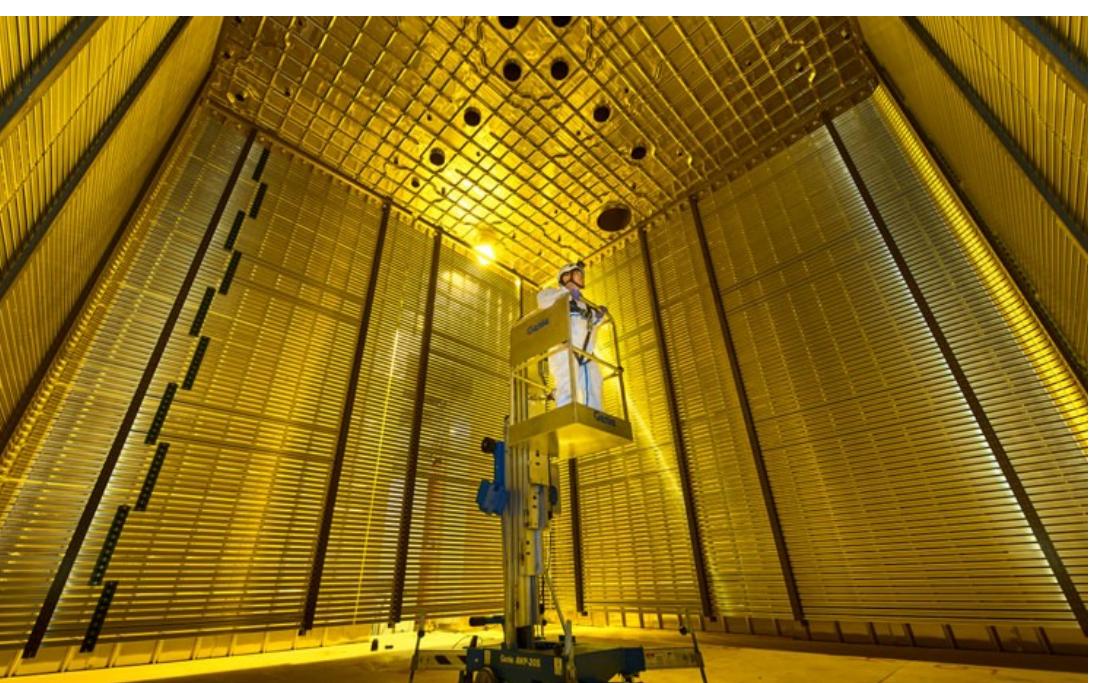
Strong Dynamics



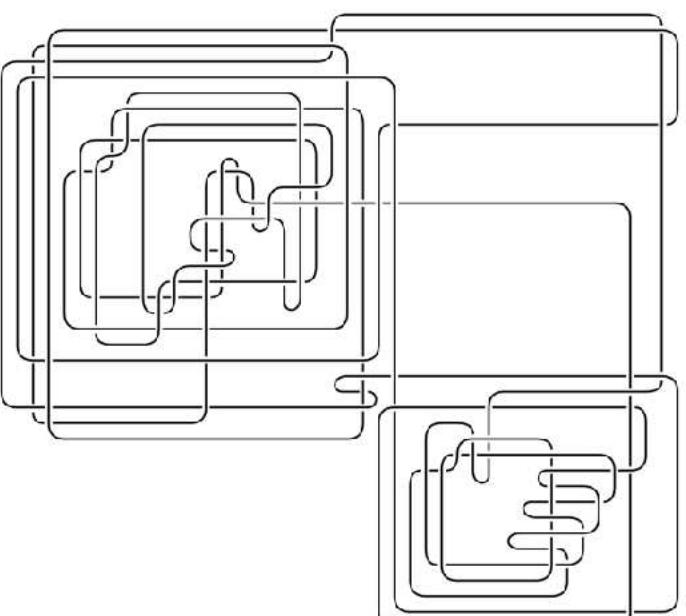
Dark Matter



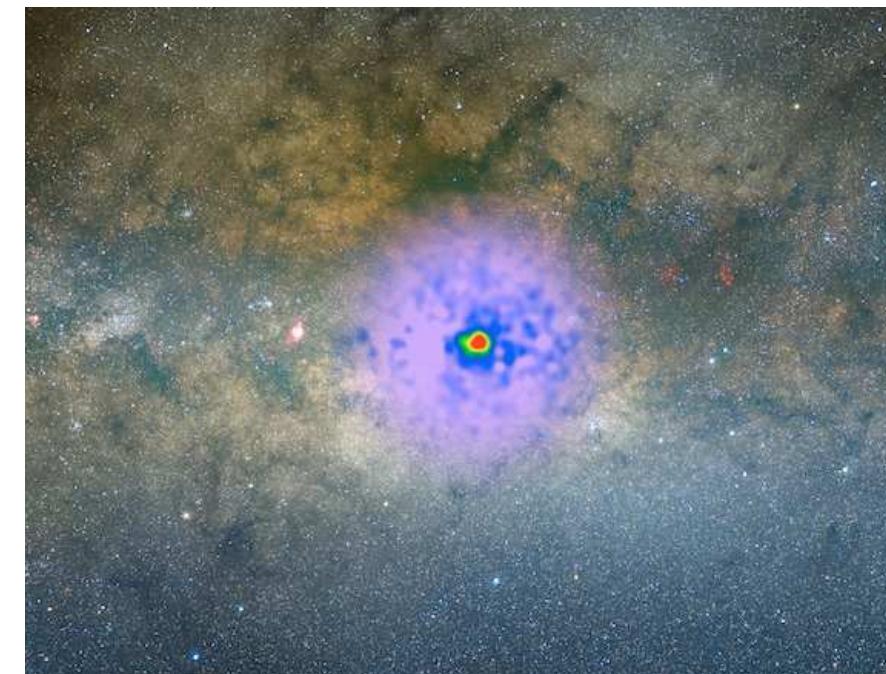
Neutrino Detection



Mathematical Physics

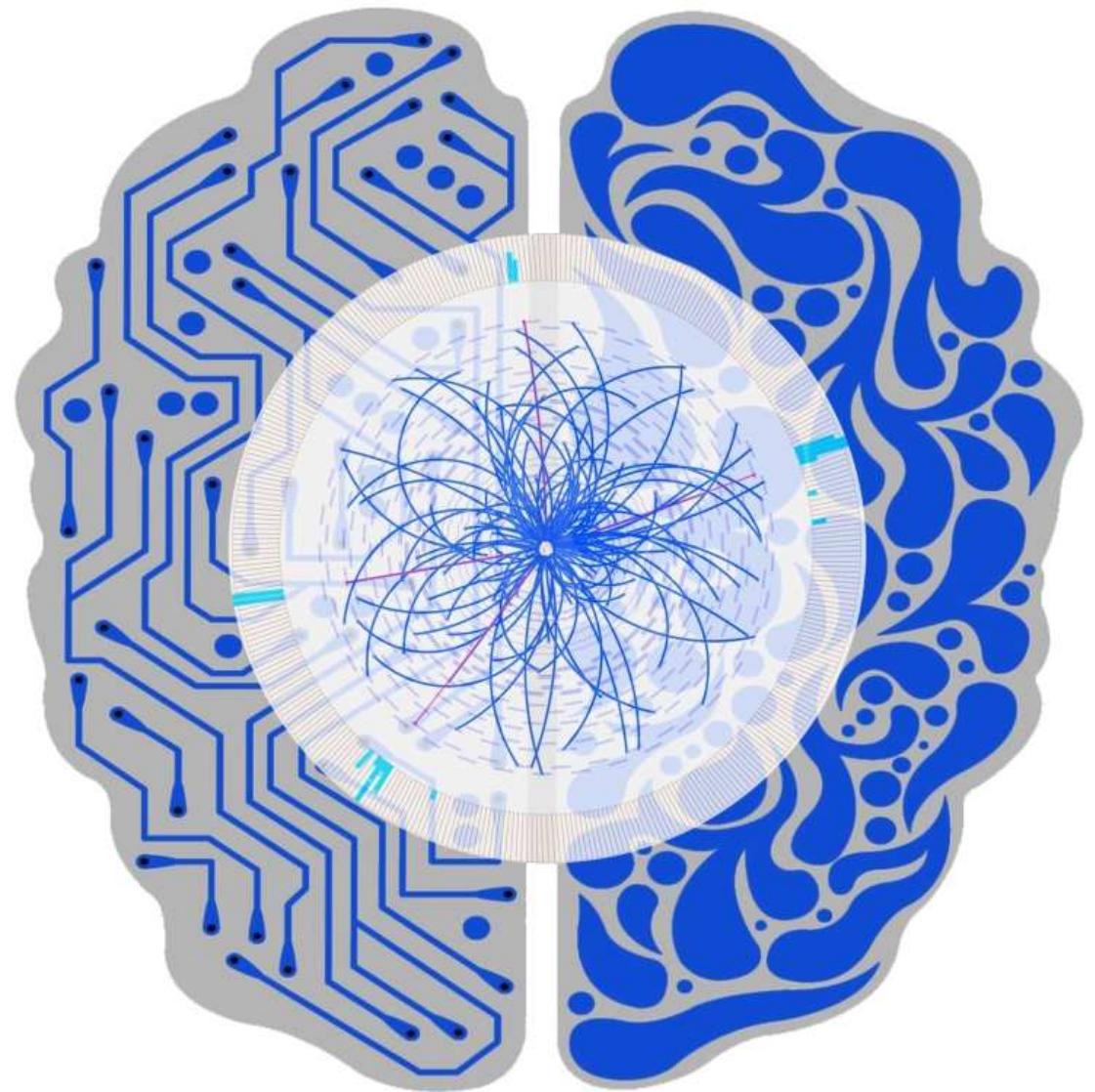


Astrophysics & Cosmology



...

Theory Perspective



*Can a machine “think”
like a physicist?*

The New York Times



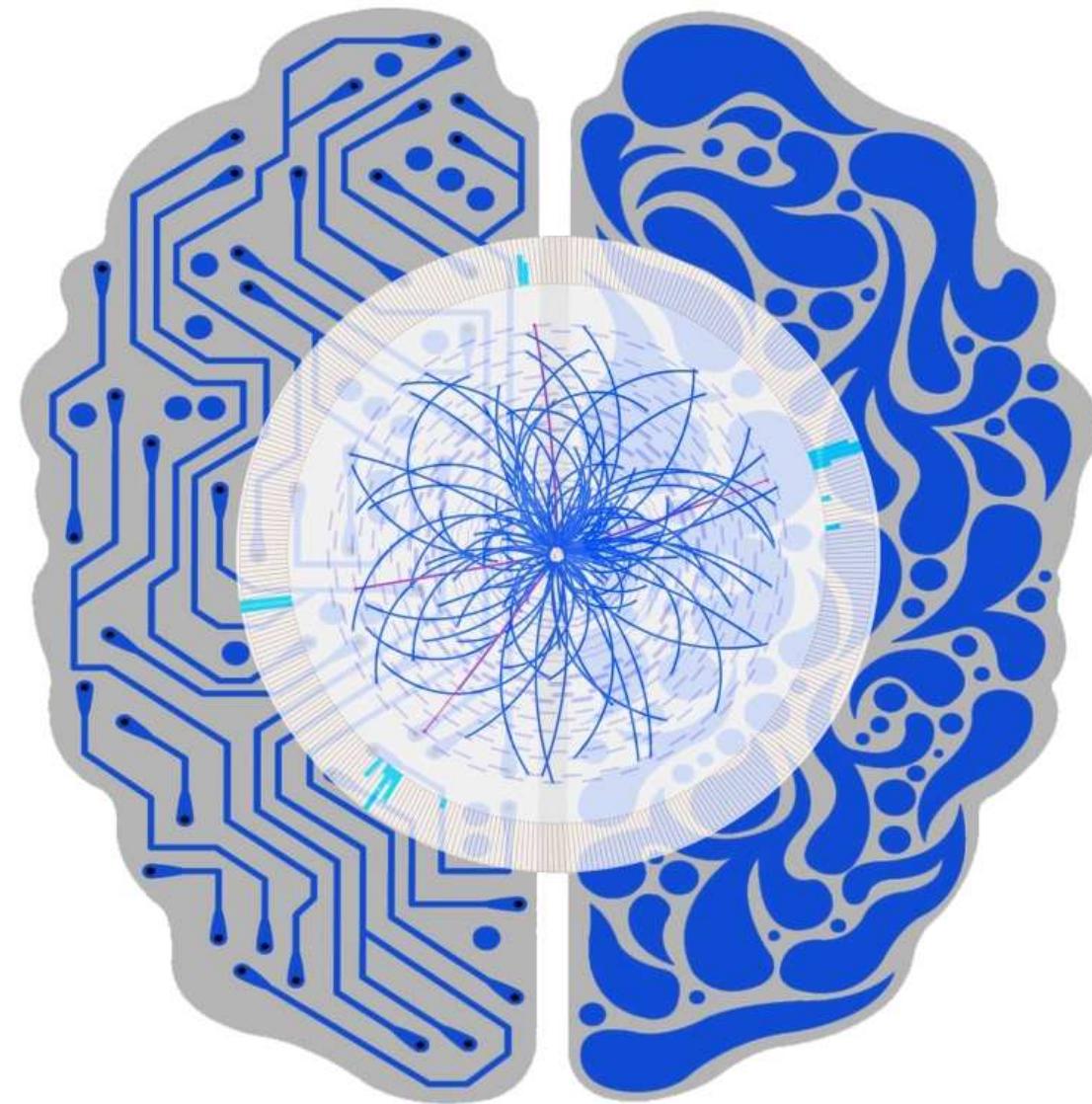
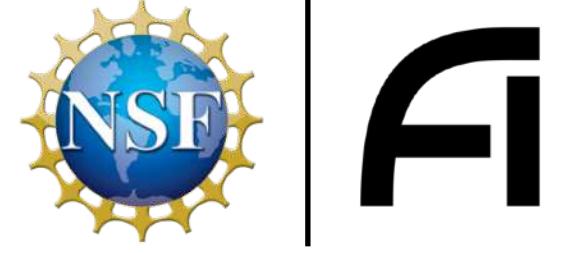
By Dennis Overbye

Nov. 23, 2020

Can a Computer Devise a Theory of Everything?



Theory Perspective



*Can a machine “think”
like a physicist?*

A thumbnail image of a New York Times article. The title reads "Can a Computer Devise a Theory of Everything?" and is attributed to Dennis Overbye. The date is Nov. 23, 2020. The background of the thumbnail is a dark version of the brain graphic from the top left.

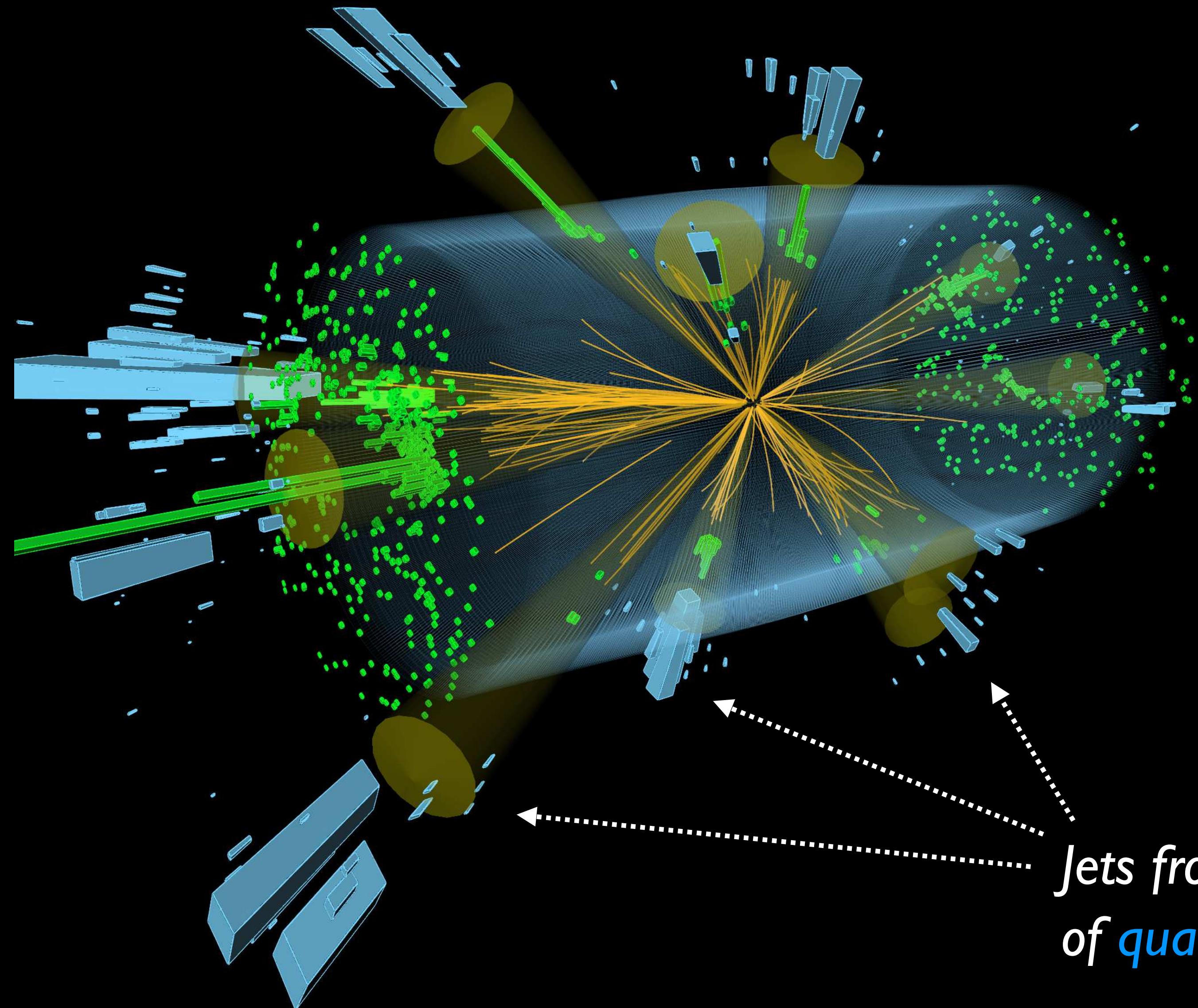


Deep Learning meets Deep Thinking

Artificial intelligence based on first principles & best practices of fundamental physics

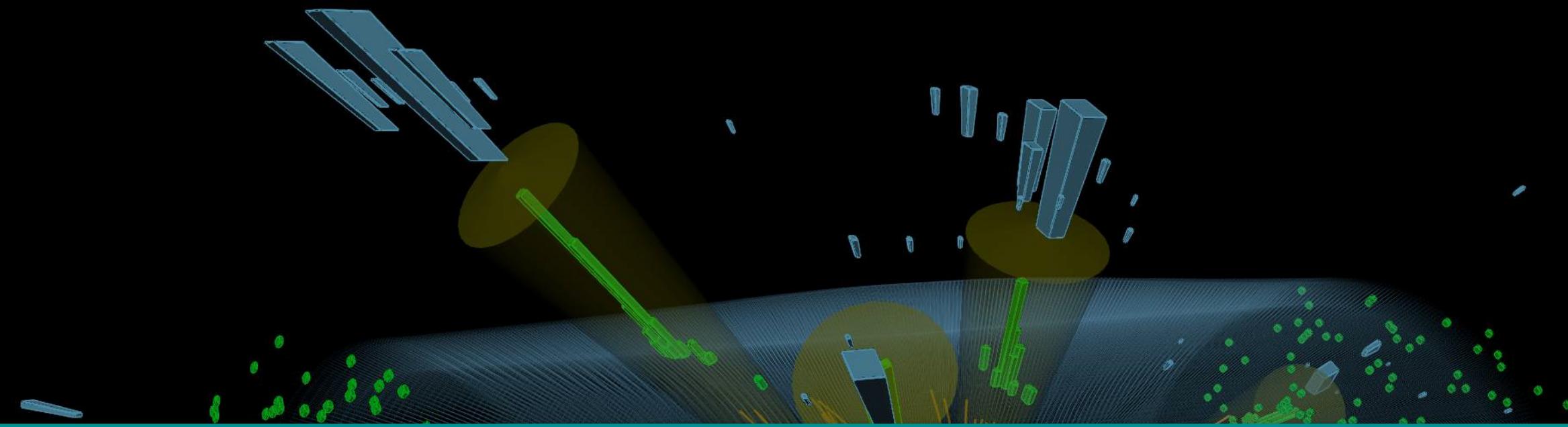
[see NSF Institute for Artificial Intelligence and Fundamental Interactions, <http://iaifi.org/>]

Learning from Particle Collisions



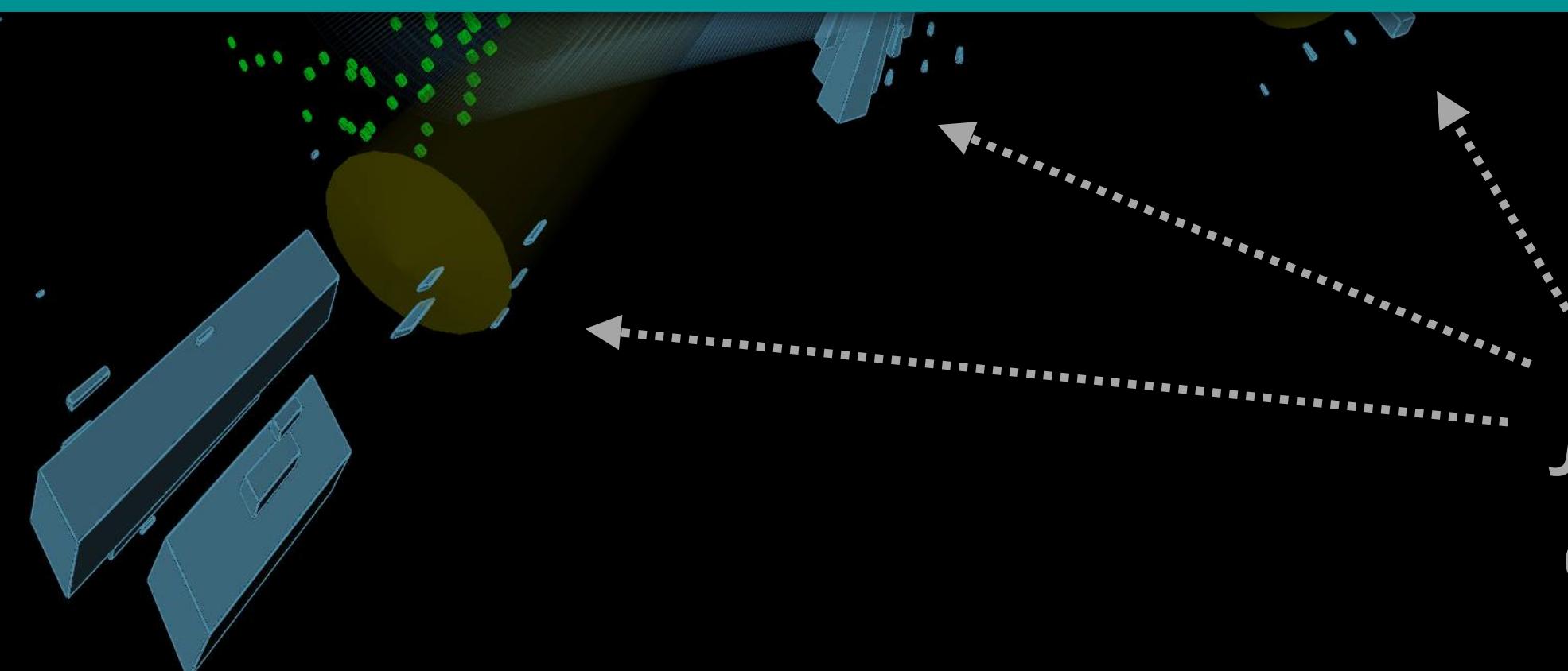
*Jets from fragmentation
of quarks and gluons*

Learning from Particle Collisions



“What formalisms are needed to take advantage of ML?”

“Why are particle physics tasks amenable to ML?”



*Jets from fragmentation
of quarks and gluons*

Machine Learning Foundations

“What formalisms are needed?”
“Why are tasks amenable to ML?”

E.g.: *Likelihood ratio trick*

Goal: Estimate likelihood ratio $p(x) / q(x)$

Training Data: Finite samples P and Q

Learnable Function: $f(x)$ parametrized by, e.g., neural networks

Loss Function(al): $L = -\langle \log f(x) \rangle_P + \langle f(x) - 1 \rangle_Q$

Asymptotically: $\arg \min_{f(x)} L = \frac{p(x)}{q(x)}$

$$-\min_{f(x)} L = \int dx p(x) \log \frac{p(x)}{q(x)}$$

Kullback–Leibler divergence

[see e.g. D’Agnolo, Wulzer, [PRD 2019](#); simulation-based inference in Cranmer, Brehmer, Louppe, [PNAS 2020](#); relation to f-divergences in Nguyen, Wainwright, Jordan, [AoS 2009](#)]

Machine Learning Foundations

“What formalisms are needed?”
“Why are tasks amenable to ML?”

E.g.: *Likelihood ratio trick*

Asymptotically, same structure as **Lagrangian mechanics!**

Action: $L = \int dx \mathcal{L}(x)$

Lagrangian: $\mathcal{L}(x) = -p(x) \log f(x) + q(x)(f(x) - 1)$

Euler-Lagrange: $\frac{\partial \mathcal{L}}{\partial f} = 0$

Solution: $f(x) = \frac{p(x)}{q(x)}$

Foundation of Deep Learning is indeed Deep Thinking

[see e.g. D’Agnolo, Wulzer, [PRD 2019](#); simulation-based inference in Cranmer, Brehmer, Louppe, [PNAS 2020](#); relation to f-divergences in Nguyen, Wainwright, Jordan, [AoS 2009](#)]

Machine Learning Requirements

“What formalisms are needed?”
“Why are tasks amenable to ML?”

If you have...

Well-specified loss
Reliable training data
Learnable function

...then you can leverage ML!

Many particle physics tasks can be translated into this language

Highlight via 3 examples
from my research with:

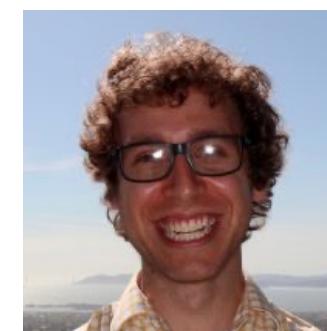


Patrick Komiske



Eric Metodiev

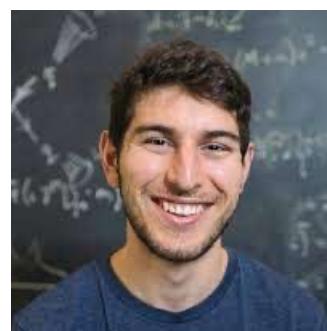
+



Ben Nachman



Anders Andreassen



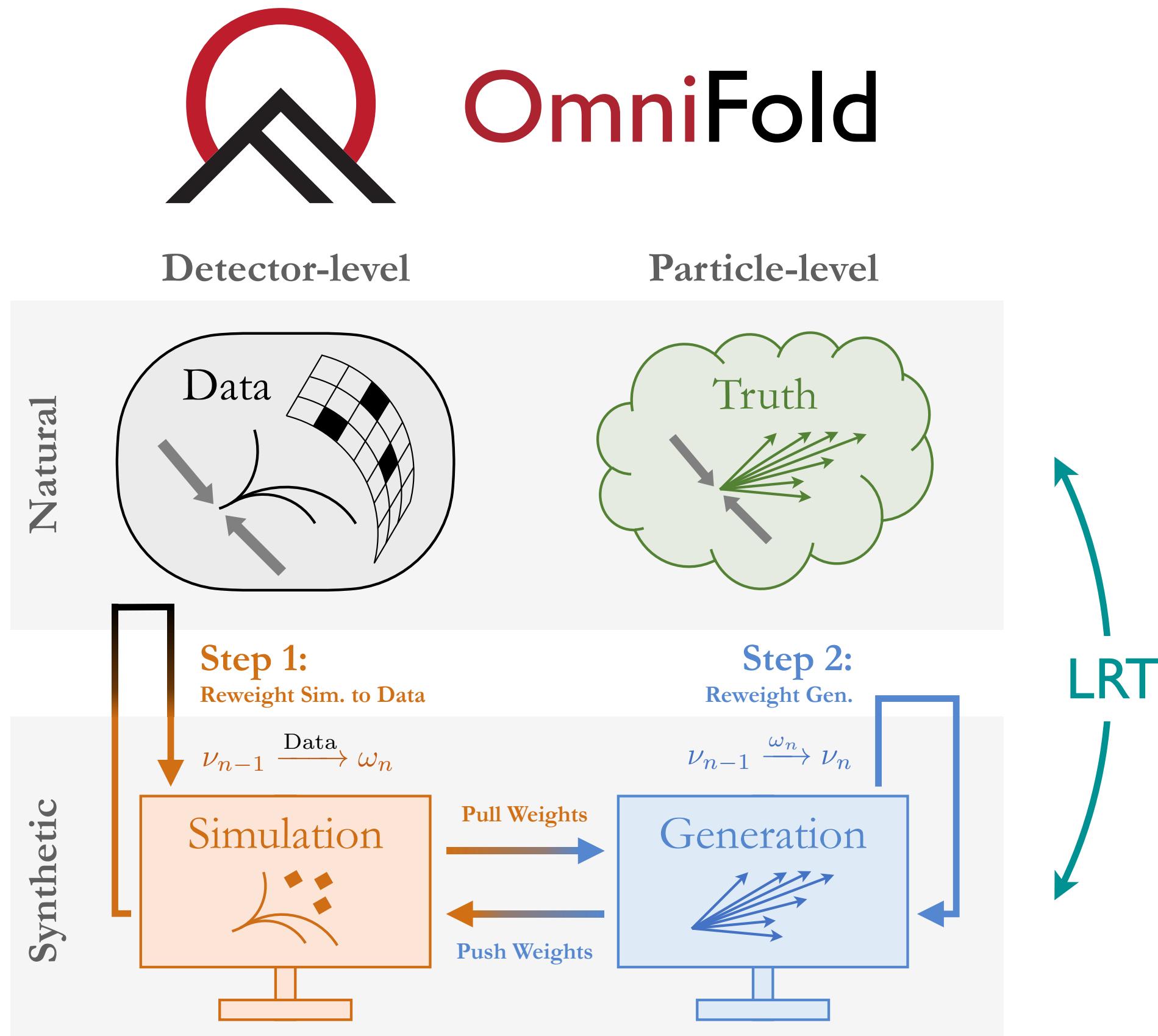
Anthony Badea

[see [HEPML-LivingReview](#) for extensive bibliography]

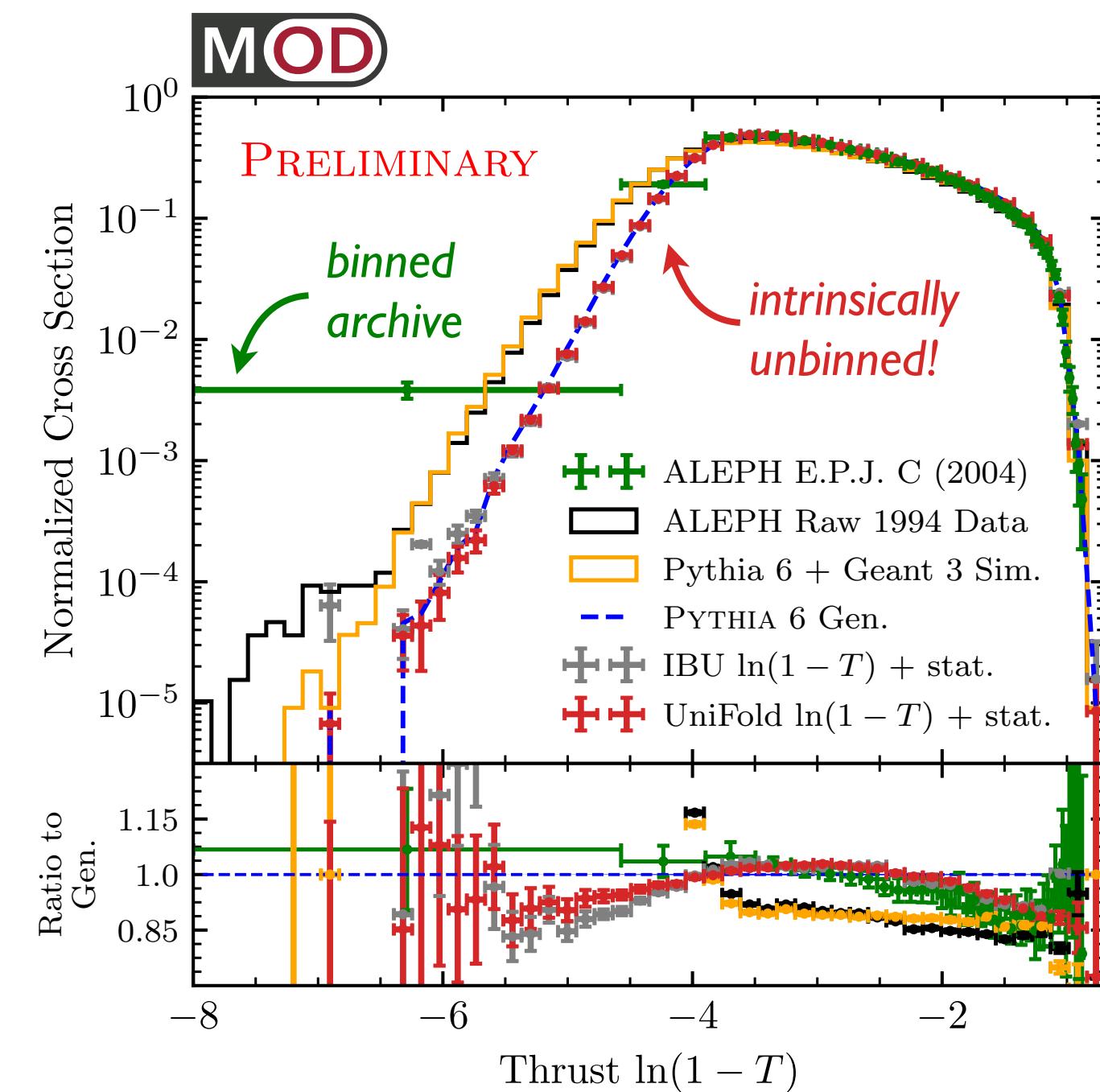
Detector Unfolding

Reweighting strategy exploiting *likelihood ratio trick*

Well-specified loss
Reliable training data
Learnable function



Multi-dimensional unbinned detector corrections
via iterated *binary classification*



[Andreassen, Komiske, Metodiev, Nachman, *JDT, PRL* 2020]

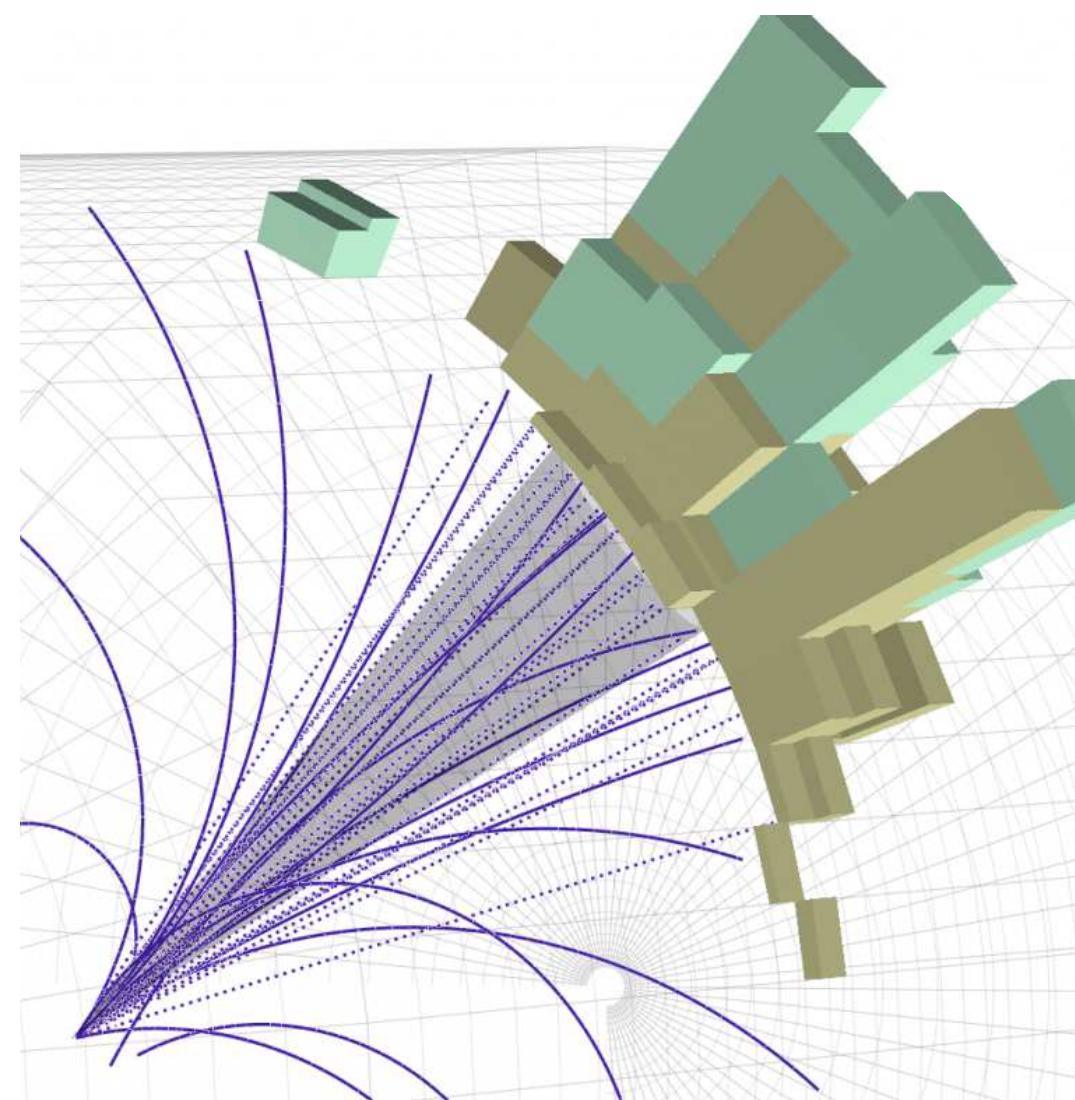
[talk by Badea, *ICHEP 2020*; cf. ALEPH, *EPJC 2004*]

Disentangling Jet Categories

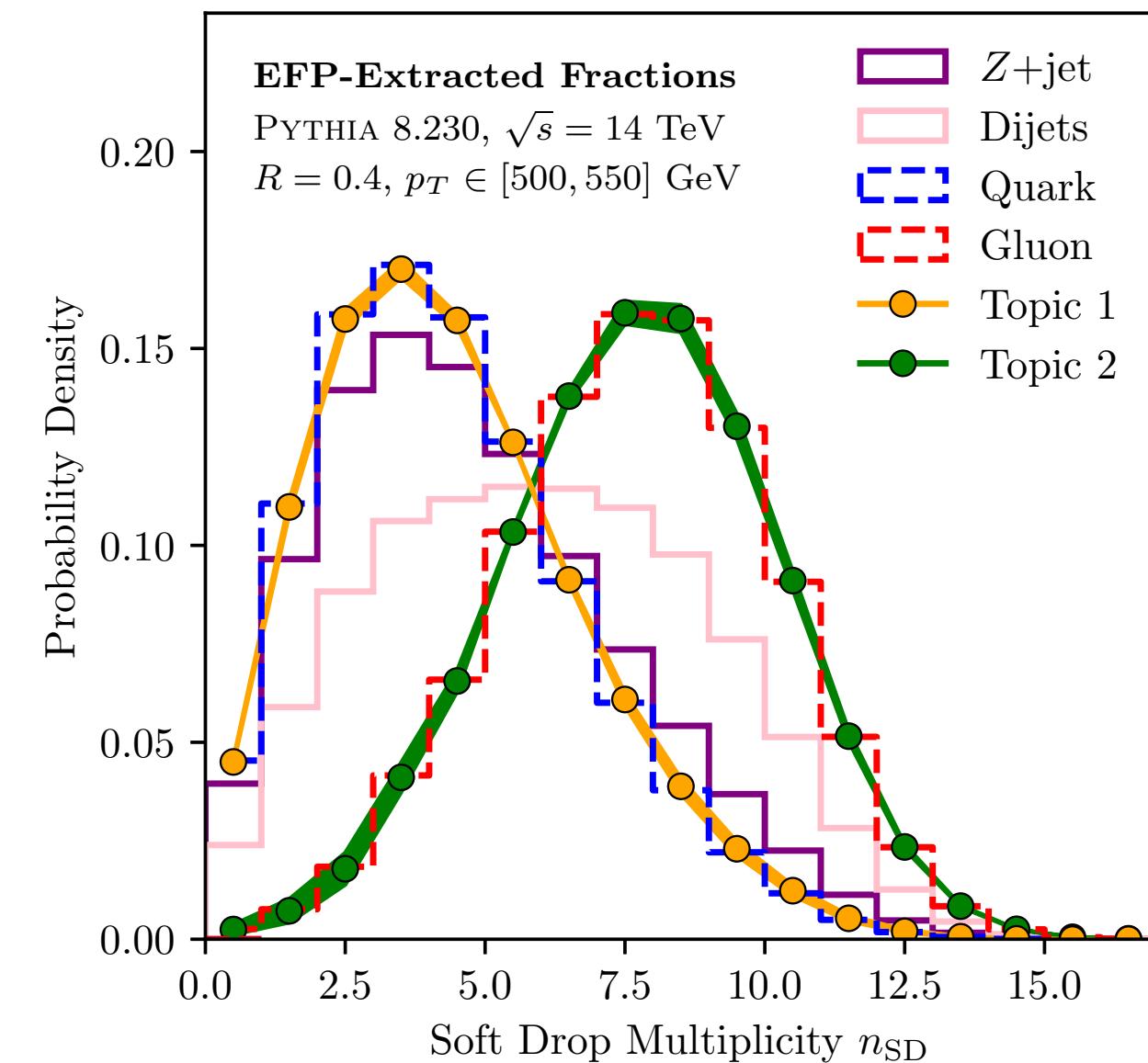
Separating quarks from gluons in *real collider data*

Well-specified loss
Reliable training data
Learnable function

Does this jet arise from a *quark* or *gluon*?



While you can't label individual jets...



Addressing this question with synthetic data encounters large theoretical uncertainties

...you can extract *quark* and *gluon* distributions from *mixed samples of real collider data*

[Komiske, Metodiev, JDT, [JHEP 2018](#); using Metodiev, Nachman, JDT, [JHEP 2017](#); Metodiev, JDT, [PRL 2018](#)]
see also Blanchard, Flaska, Handy, Pozzi, Scott, [PLMR 2013](#); Katz-Samuels, Blanchard, Scott, [JMLR 2016](#)]

Energy Flow Networks

Flexible architecture built around symmetries of particle data

Well-specified loss
Reliable training data
Learnable function

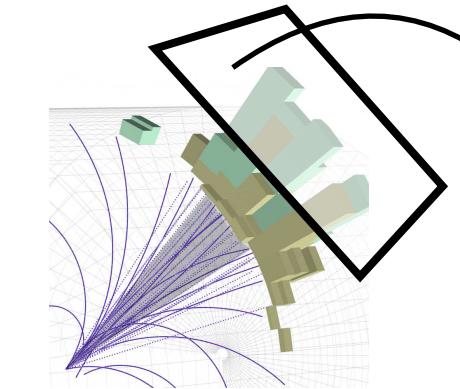
Decompose full **solution** into
latent space of **visualizable** elements

$$S(\mathcal{J}) = F(V_1, V_2, \dots, V_\ell)$$

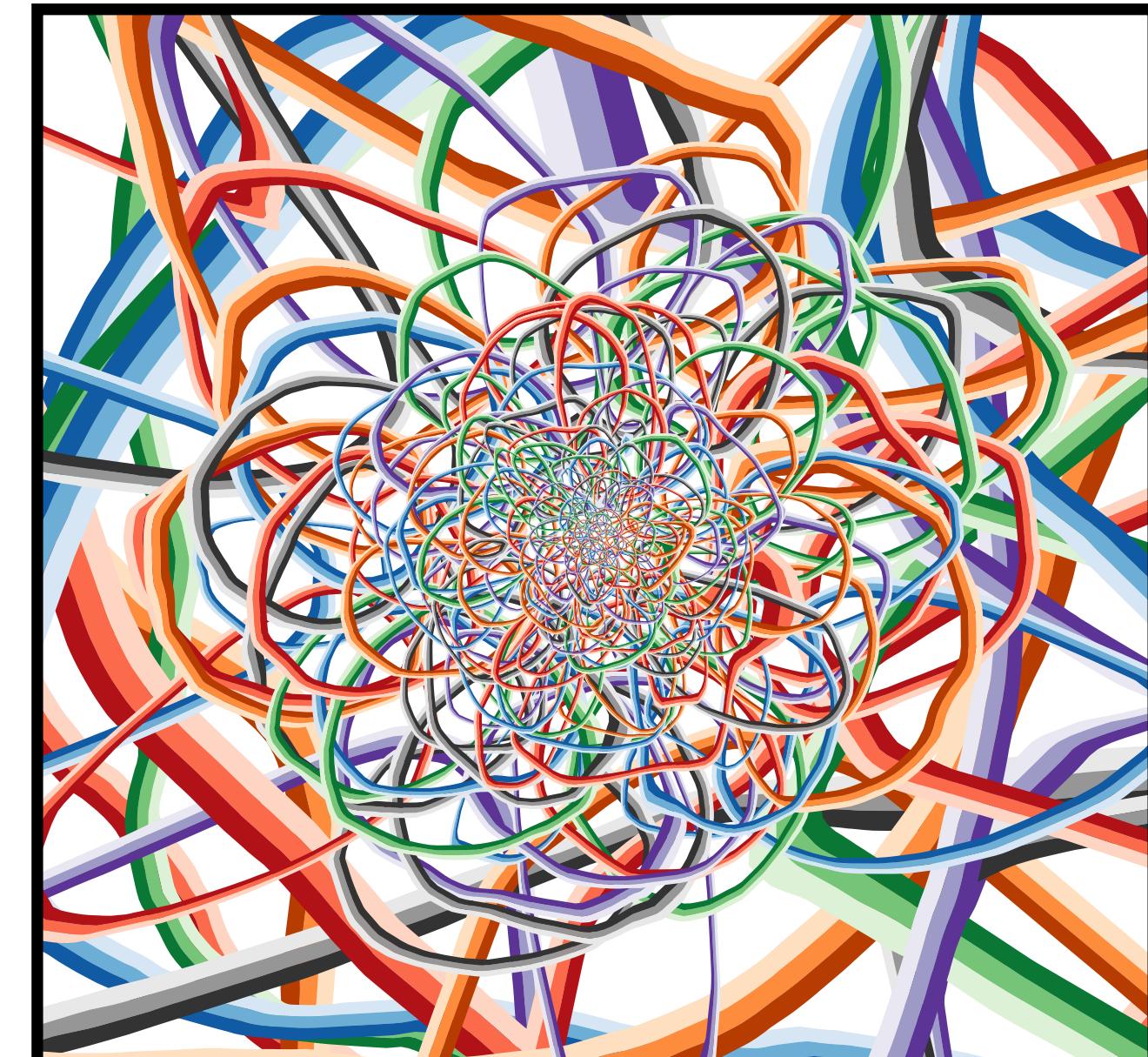
Identical particles are *indistinguishable* (QM)

$$V_a(\mathcal{J}) = \sum_{i \in \mathcal{J}} E_i \Phi_a(\hat{n}_i)$$

Energy flow is “**safe**” (QFT)

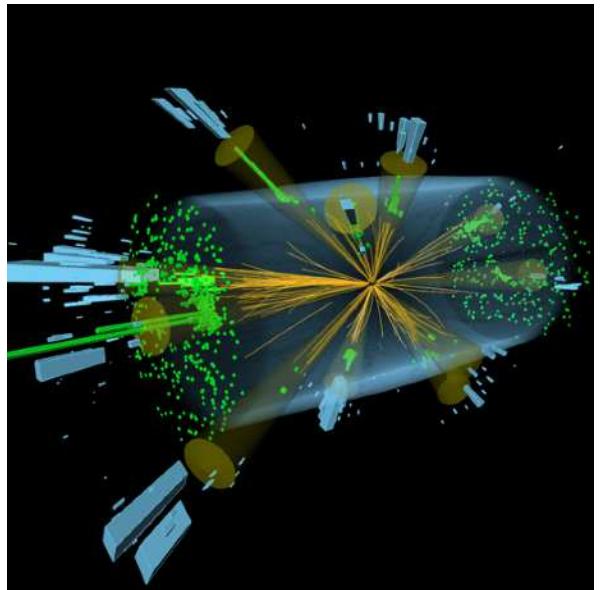


Network learns to solve jet tasks by
exploiting **fractal structure** of jet formation

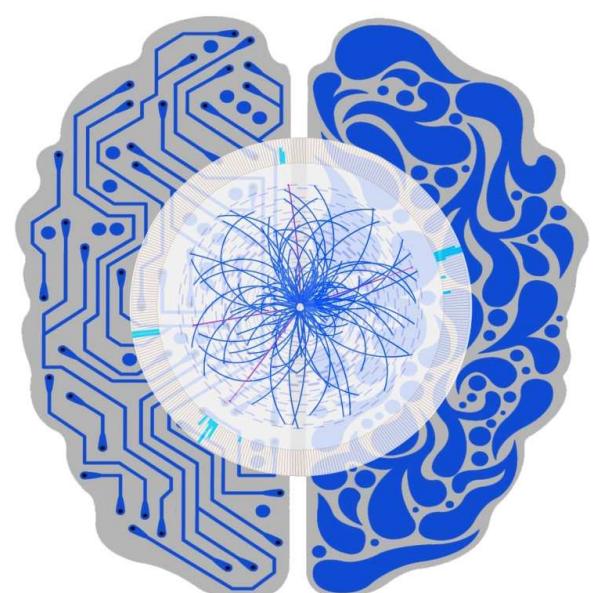


[Komiske, Metodiev, JDT, *JHEP* 2019; see also Komiske, Metodiev, JDT, *JHEP* 2018; code at [energyflow.network](#); special case of Zaheer, Kottur, Ravanbakhsh, Poczos, Salakhutdinov, Smola, *NeurIPS* 2017]

Summary: Artificial Intelligence for Physics Discovery

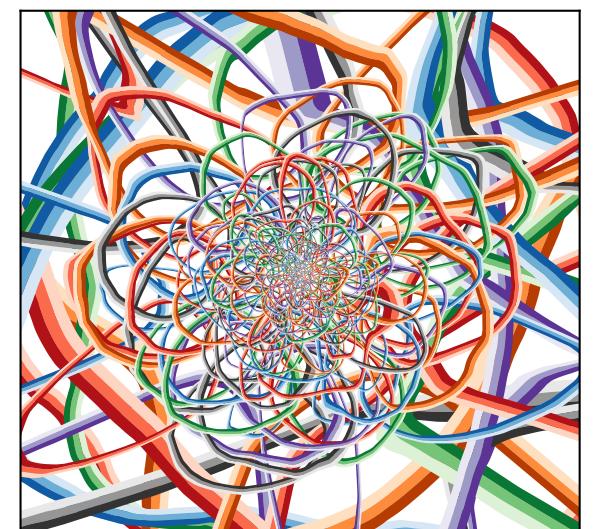


Many opportunities for physics discovery with ML



Requires shift of theoretical perspective
from solving problems to specifying problems

Many physics tasks translatable to well-specified loss,
reliable training data, and learnable function



AI techniques are most powerful when they directly
incorporate physics principles and best practices

For Discussion

Welcoming Daniel Whiteson into the conversation

“But what has the machine learned?”

“How do we ensure robustness of AI?”

“Can AI replace traditional physics theory?”

Looking forward to a lively discussion of these and other topics in February!