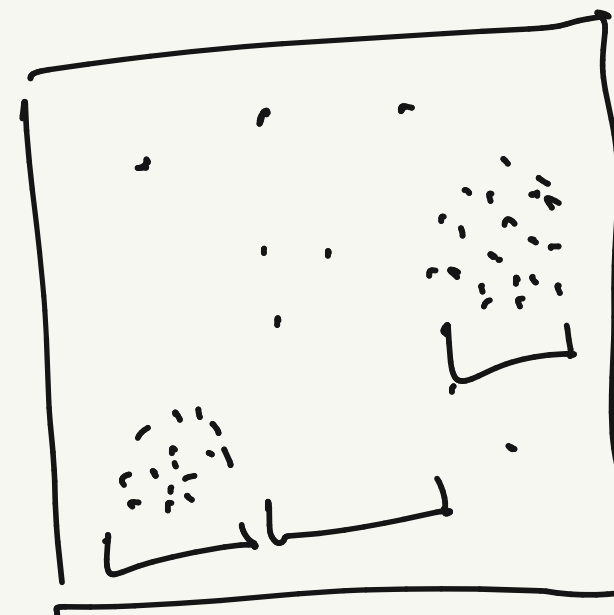


- Different ways to be a predator
 - Move about in search of prey

- Some Sit-and-wait
 - Moray eels
 - Many spiders



- Prey density
- Variability in density
- Predator velocity
- Handling time
- Prey velocity

Encounter Rate

Different strategies nested with active predation

Actively hunt

Scavenge

Steal (kleptoparasitism)
↳ seabirds

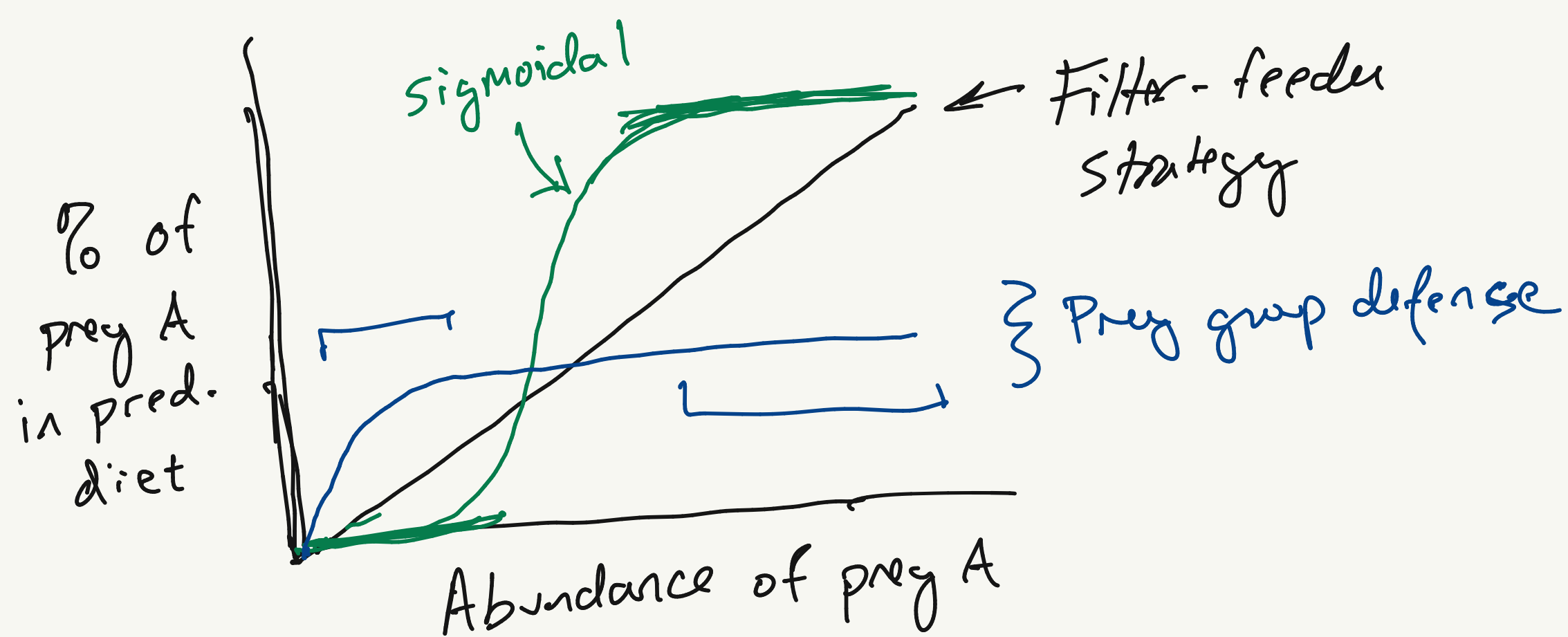
- Foraging Decisions

Filter Feeding

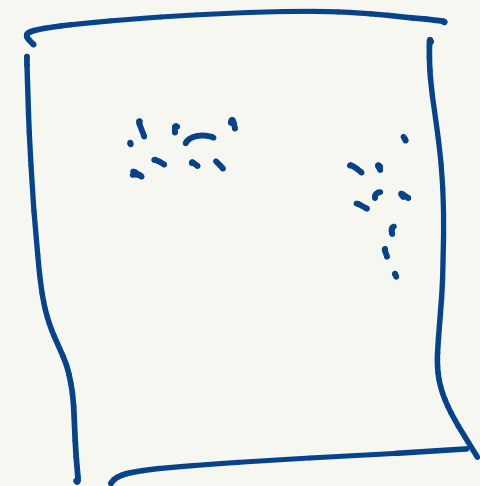
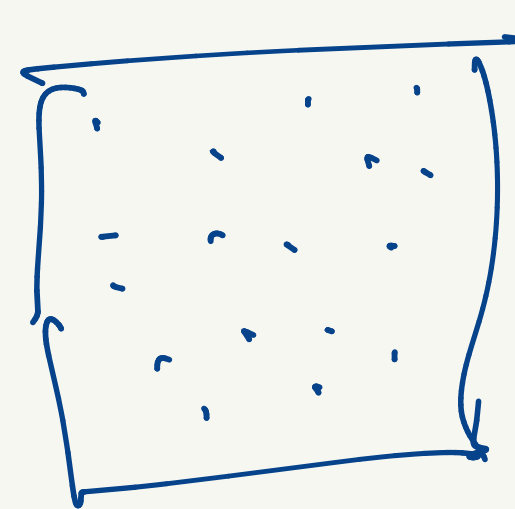
consuming prey
in proportion to their
abundance

Strong Preference

- Consume specific
prey more than
expected based
on abundance



- Filter-feeding strategy is a good strategy if ~~for~~ food is uniformly distributed



- Whatever prey is more profitable

$$P = \frac{E}{T} \quad \Bigg\}$$

$$P = \frac{E}{T}$$

$$P = \frac{\phi E}{\phi T + (1-\phi)W}$$

ϕ Prob. of success

P_{day}

Low density prey ~ 1 encounter per day

ϕ ~ Prob. that we ~~are~~ successfully obtain at least 1 prey

$\phi_1 = S \leftarrow$ Probability that we successfully obtain the prey in a single encounter

catching at least one

$$P_{\text{day}} = \frac{\phi(E_{\text{gain}} - E_{\text{loss}}) + (1-\phi)(0 - E_{\text{loss}})}{\phi(1 \text{ day}) + (1-\phi)(1 \text{ day})}$$

High density prey ~ 10 encounters

Many combinations of success

Failure: $\emptyset \emptyset \emptyset \emptyset \emptyset \emptyset \emptyset \emptyset \emptyset \emptyset$

$$\Pr(\text{at least one success}) = 1 - \underbrace{\Pr(\text{failure})}_{(1-S)^{10}}$$

$$\Pr(\text{at least one success}) = 1 - (1-S)^{10}$$

$$P_{\text{day}} = \frac{\phi(E_{\text{gain}} - E_{\text{loss}}) + (1-\phi)(0 - E_{\text{loss}})}{\phi(1) + (1-\phi)(1)}$$

$$\phi(1) + (1-\phi)(1)$$



$$\phi + 1 - \phi = 1$$

$$E_{\text{gain}} = 3000 \text{ kcal}$$

$$E_{\text{loss}} = 2000 \text{ kcal}$$

Low density prey (1 encounter)

$$\text{if } \phi_1 = 5$$

$$\uparrow 0.1$$

$$P_{\text{day}} = 0.10(3000) + 0.9(-2000)$$

$$= -1500 \text{ kcal}$$

High prey density environment

$$\phi_{10} = 1 - (1 - s)^{10}$$

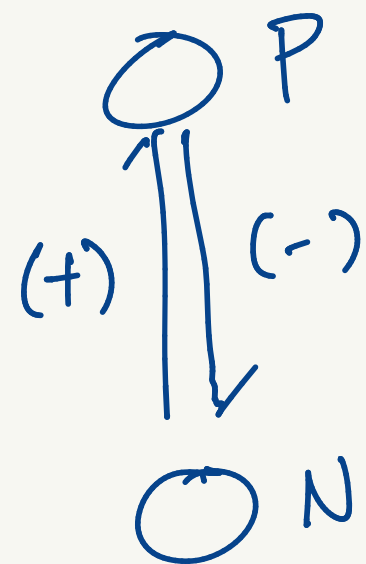
$$\uparrow 0.1$$

$$\phi_{10} = 0.65$$

$$P_{\text{day}} = (0.65)(3000) + (0.35)(-2000)$$

$$= 1250 \text{ kcal}$$

Lotka-Volterra Predator Prey Model



$$\frac{dP}{dt} = \underbrace{b a N P}_{\text{conversion efficiency} \sim 0.1\%} - m P$$

$$\frac{dN}{dt} = r N - a N P$$

Examine the units

$$\frac{[\text{individuals}]}{[\text{time}]} = \frac{1}{[\text{time}]}$$

$$[\text{inds}] - [?] [\text{inds}] [\text{inds}]$$

$$\frac{[\text{inds}]}{[\text{time}]} = \frac{[\text{inds}]}{[\text{time}]} - \frac{1}{[\text{inds}] [\text{time}]} [\text{inds}^2]$$

$\frac{[\text{inds}]}{[\text{time}]}$

$$a = \frac{1}{[\text{ind}] [\text{time}]}$$

Capture efficiency
 $a \cdot N = \# \text{ of prey killed per predator per unit time}$

$$\frac{dP}{dt} = b a N P - \underline{m} P$$

$$\frac{dN}{dt} = r N - a N P$$

1) Solve for steady states

2) This gives you the N-isocline: $\frac{dN}{dt} = 0$

P-isocline: $\frac{dP}{dt} = 0$

N-isocline: $\frac{dN}{dt} = 0$

$$r N - a N P = 0$$

$$\cancel{r N} = a \cancel{N} P$$

$$r = a P$$

$$P = \frac{r}{a} \leftarrow$$

$$\underline{\underline{P = \frac{r}{a}}}$$

if $a \uparrow$ then $P \downarrow$

because predators that
are too efficient consume
their sole source of growth