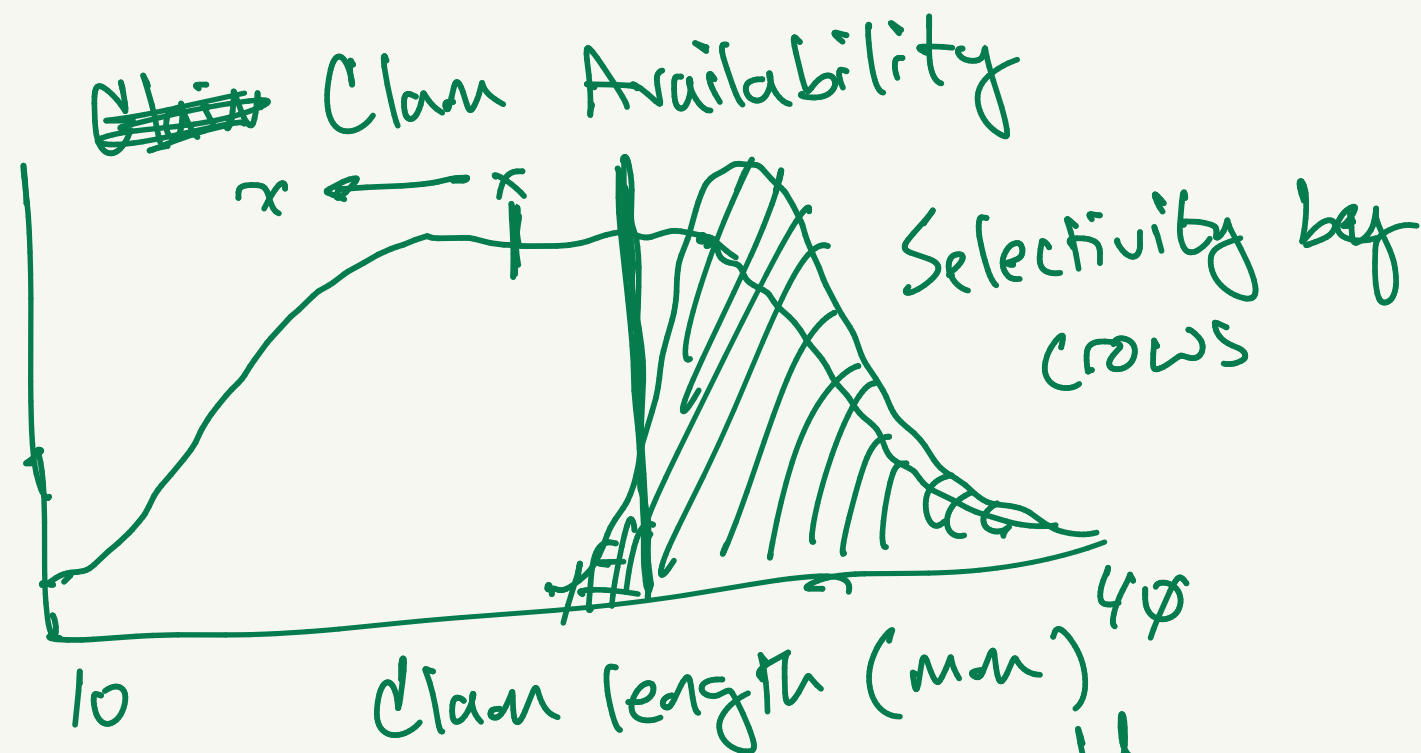


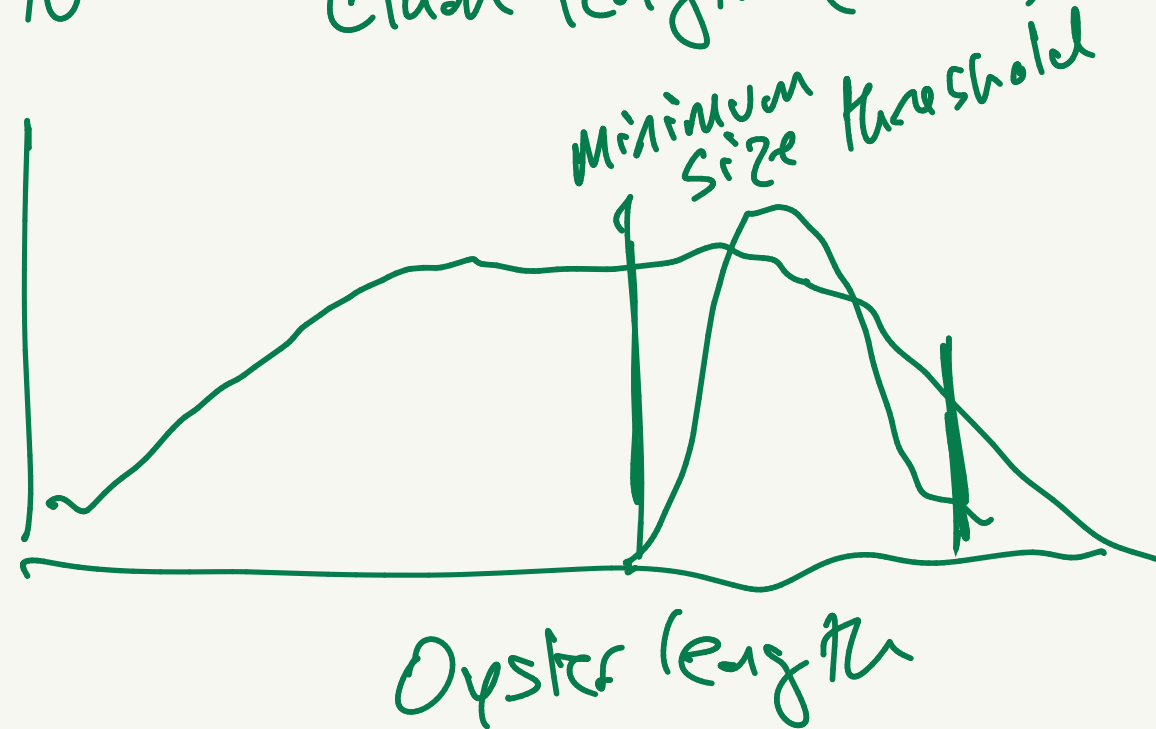
Organisms that forage in a way that their net energy gain is maximized will be selected for

Clams / Crows



foraging decisions find the minimum viable clam size.

Oystercatchers



Decapod crustaceans

$$P = \frac{E_{\text{gained}} - E_{\text{lost}}}{T} \approx E \text{ (net energy gain)}$$

$$P = \frac{\sigma E}{\sigma H + (1-\sigma)W}$$

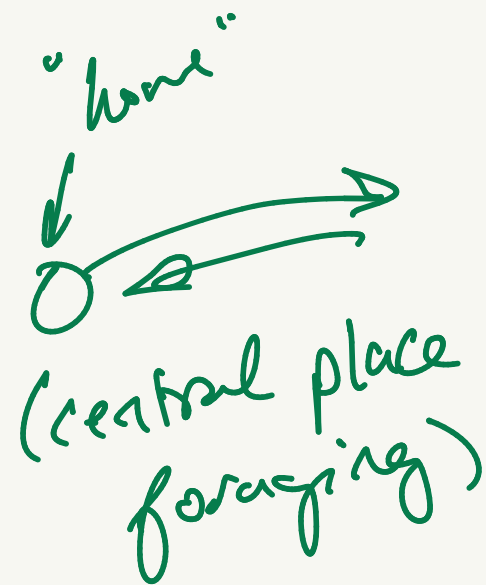
$\sigma$  = probability of success

$H$  = Handling time

$W$  = Wasted time

- Directly incorporate different temporal costs into our estimation of profitability

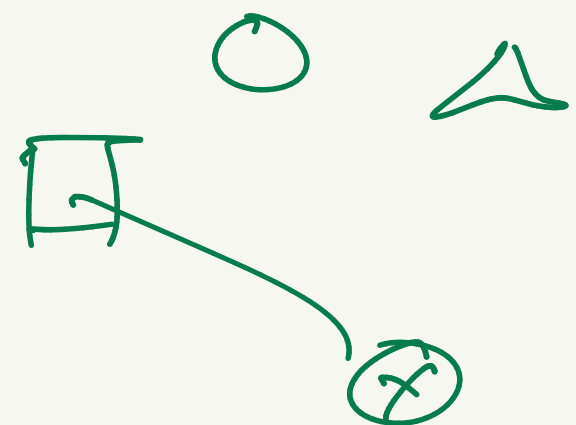
Failure is a risk



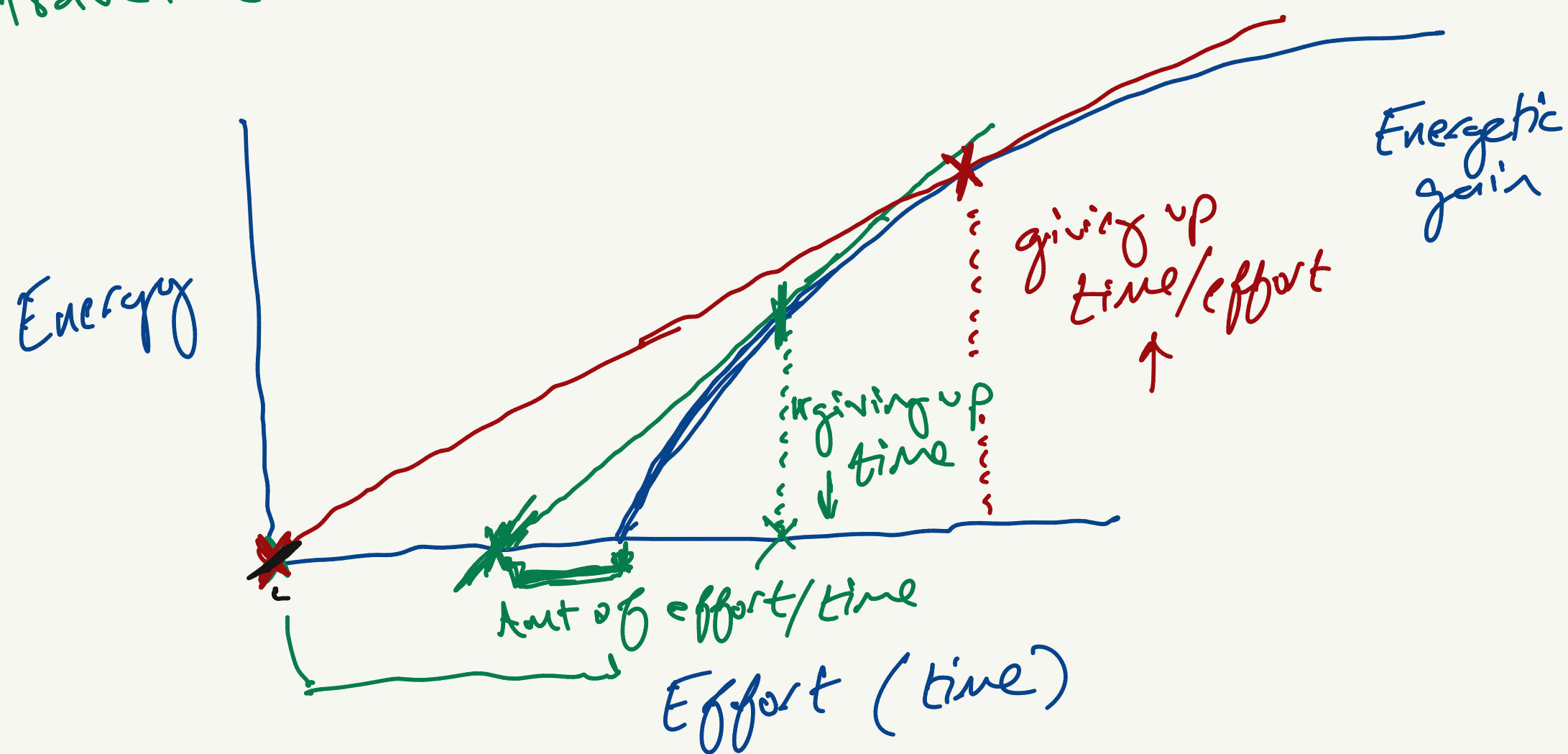
Marginal Value Theorem (Charnov 1976)

- Habitat is heterogeneous landscape with different amounts of food that requires different amounts of foraging effort to extract

- Optimal Foraging: organism must forage in the most profitable patch

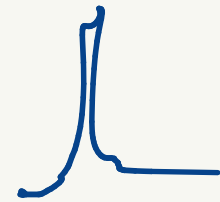


- A foraging animal should stay in a patch until the time when the rate of energy gain has declined to the average rate of energy gain in the habitat
- The "giving-up time" should vary as a function of the travel costs



Risk: Do animals gamble

- 2 scenarios

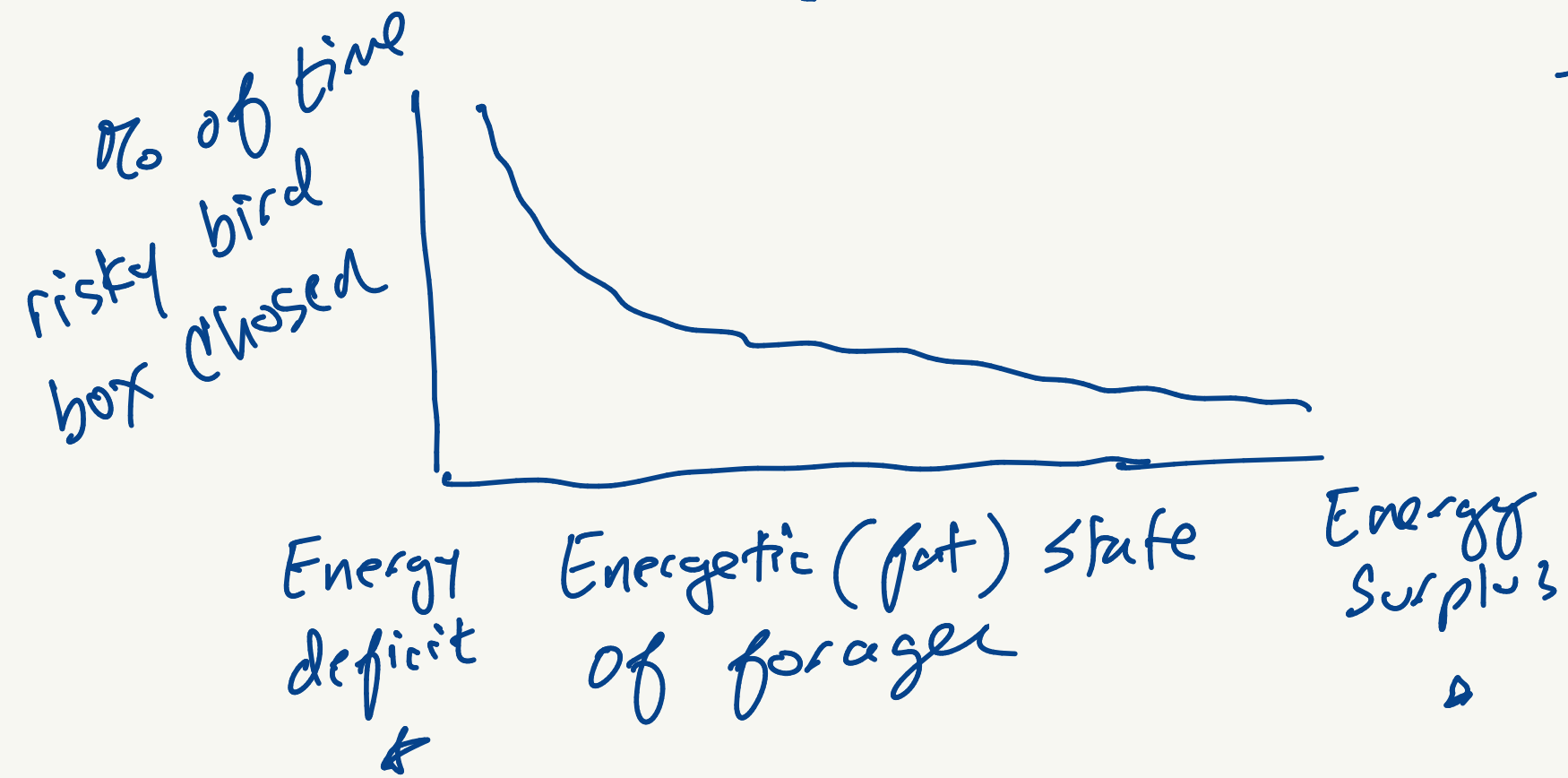


$$\begin{aligned} \sum x &= 9 & \bar{x} &= 1 \\ \sum x &= 9 & \bar{x} &= 1 \end{aligned}$$

(constant) Blue bird box									
(risky) Red bird box	0	0	3	0	0	3	0	0	3

- If you are risk-sensitive, these 2 scenarios are different

risk-insensitive both scenarios are the same



- When organisms are near starvation they tend to choose riskier strategies (if they are risk sensitive)

# Game Theory

## Prisoner's Dilemma

PA

		PB	
		Cooperate	Defect
Cooperate		R	S
Defect		T	P

PAYOFF  
Matrix

What strategy  
Maximizes Fitness  
PAYOFF

R = Reward

S = Sucker's Payoff

T = temptation payoff

P = punishment payoff

$$T > R > P > S$$

NASH Equilibrium : Strategy where no player can  
do better by changing their  
strategy

Fitness as the result of ~~the~~ interactions

Beetle population: Large Morph Small Morph  
A B

Small morph: lower energetic requirements

large morph:  $\uparrow$  E requirements

Competitive advantage against small morphs

		Beetle 2	
		A	B
Beetle 1	A	3	8
	B	1	5

How do we determine the fitness of  $\begin{cases} A \\ B \end{cases}$