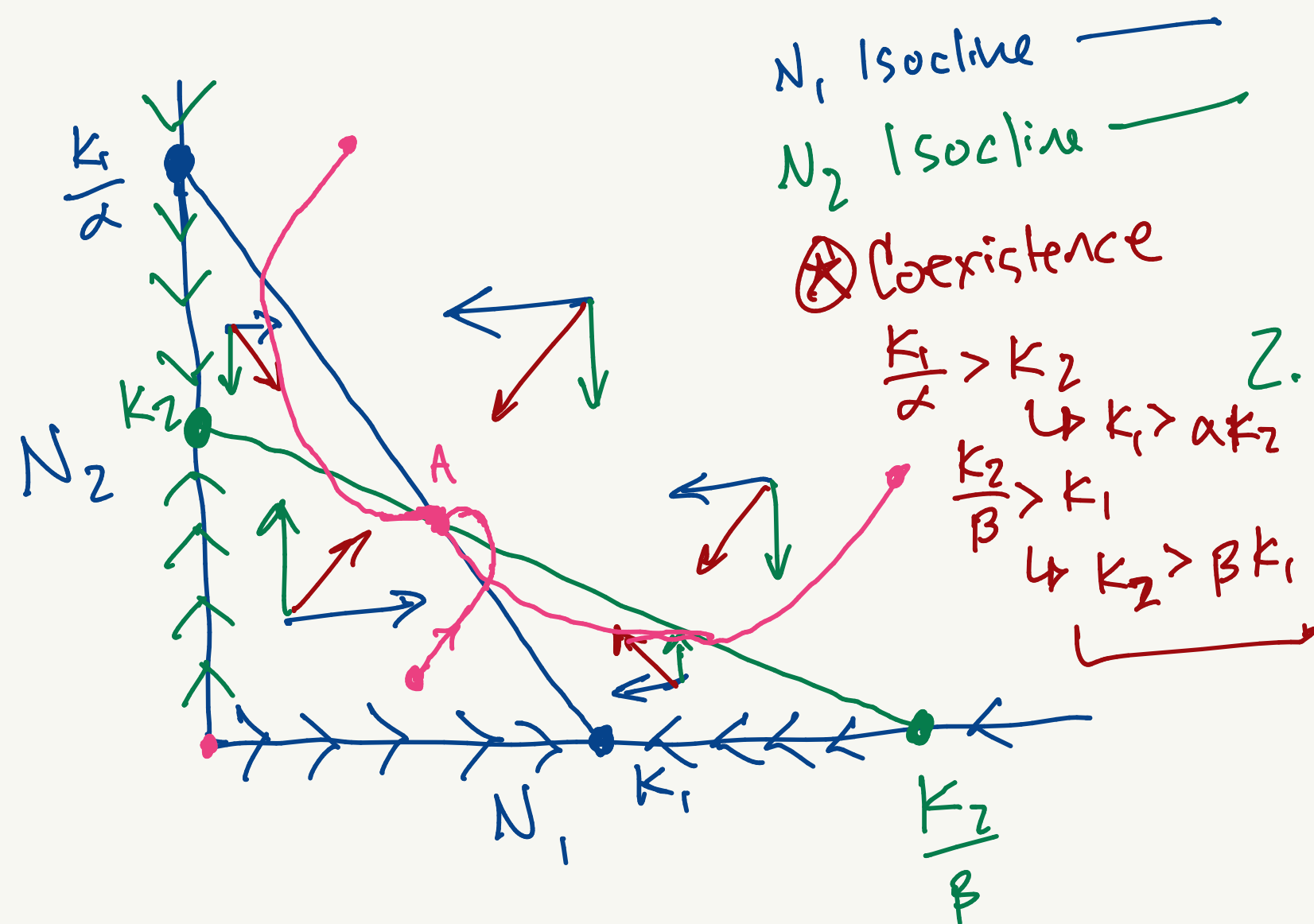
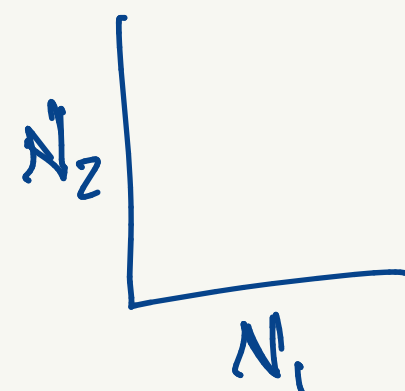


$$\begin{cases} \frac{dN_1}{dt} = r_1 N_1 \left(1 - \frac{N_1 + \alpha N_2}{K_1} \right) \\ \frac{dN_2}{dt} = r_2 N_2 \left(1 - \frac{N_2 + \beta N_1}{K_2} \right) \end{cases}$$

1. First solve for $\frac{dN_1}{dt} = 0$, $\frac{dN_2}{dt} = 0$

→ give us N_1 isocline
 N_2 isocline



2. Isoclines

N_1 isocline
 $N_1^* = K_1 - \alpha N_2$

N_2 isocline
 $N_2^* = K_2 - \beta N_1$

- Draw lines by solving for intercepts

y-int: $0 = K_1 - \alpha N_2$
 $\alpha N_2 = K_1$
 $N_2 = \frac{K_1}{\alpha}$

x-int: $N_1^* = K_1 - 0$
 $N_1^* = K_1$

y-int: $N_2^* = K_2 - 0$

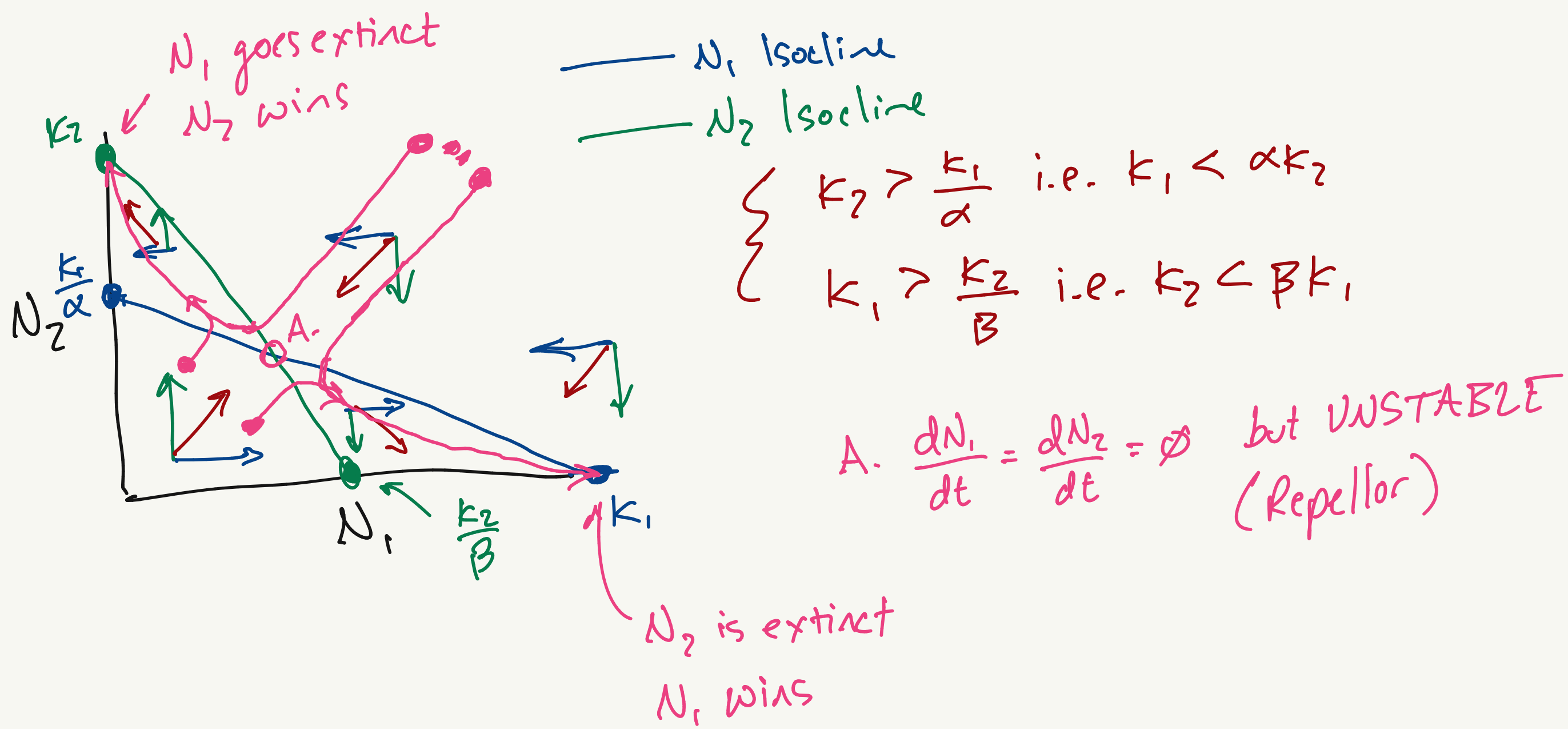
x-int: $0 = K_2 - \beta N_1$

$\beta N_1 = K_2$

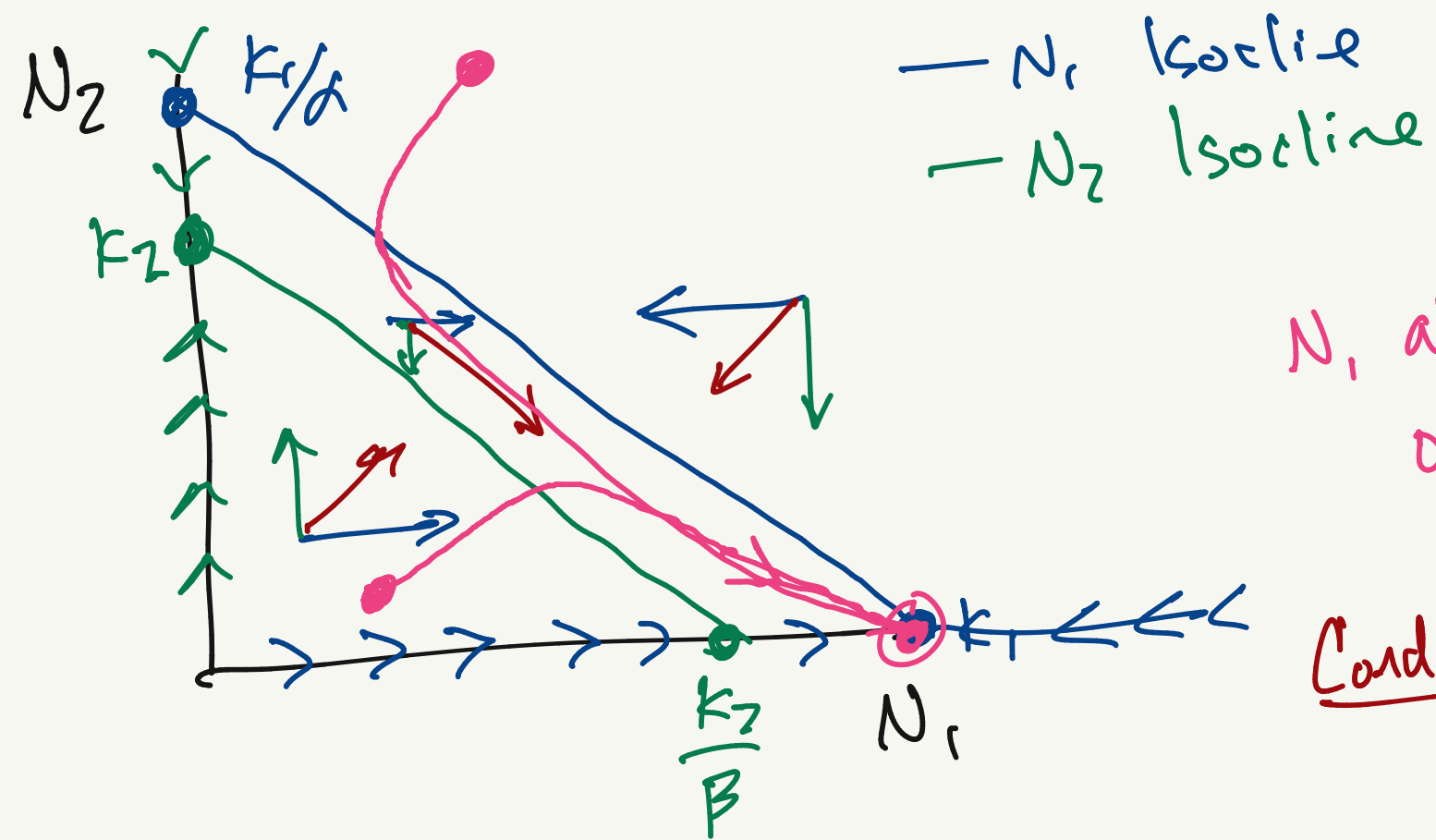
$N_1 = \frac{K_2}{\beta}$

3. Determine the flow

A: $\frac{dN_1}{dt} = \frac{dN_2}{dt} = 0$
(Attractor)



- Sensitivity to initial conditions
- Competitive Exclusion of one over the other depending on where the populations start in (N_1, N_2) space



N_1 always outcompetes N_2

Condition:

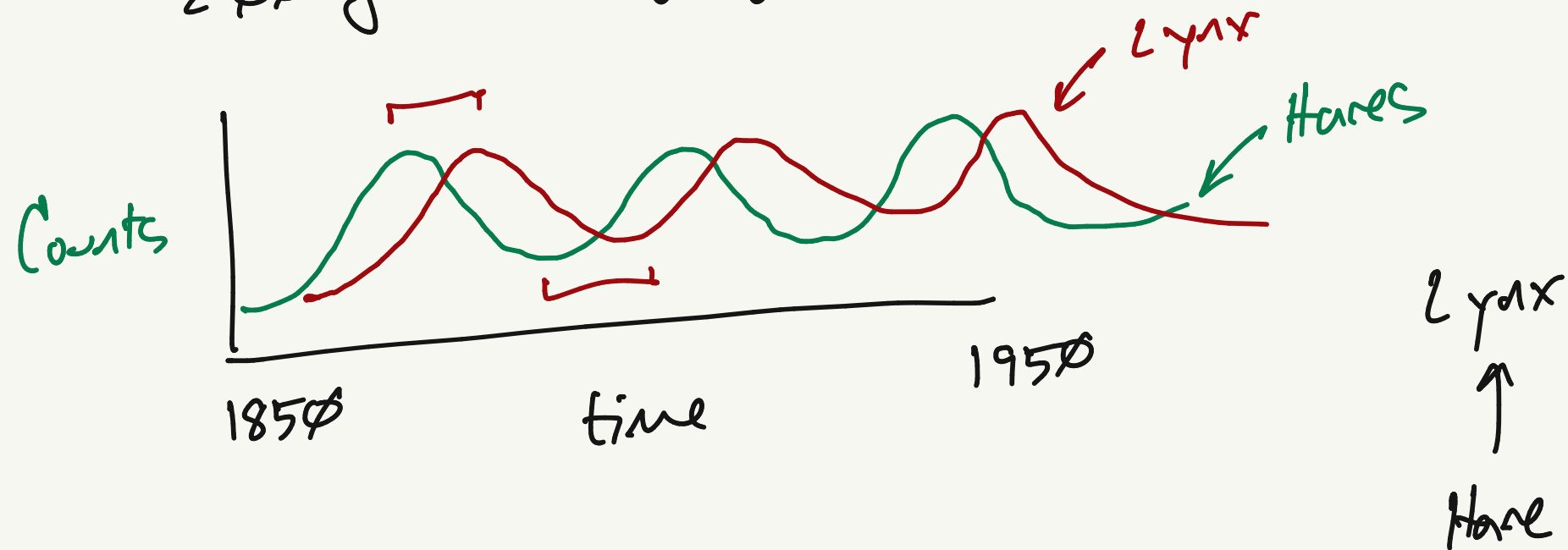
$$\frac{k_1}{\alpha} > k_2 \Rightarrow k_1 > \alpha k_2$$

$$k_1 > \frac{k_2}{\beta} \quad k_1 > \frac{k_2}{\beta}$$

Predation & Herbivory ~ Chap. 12

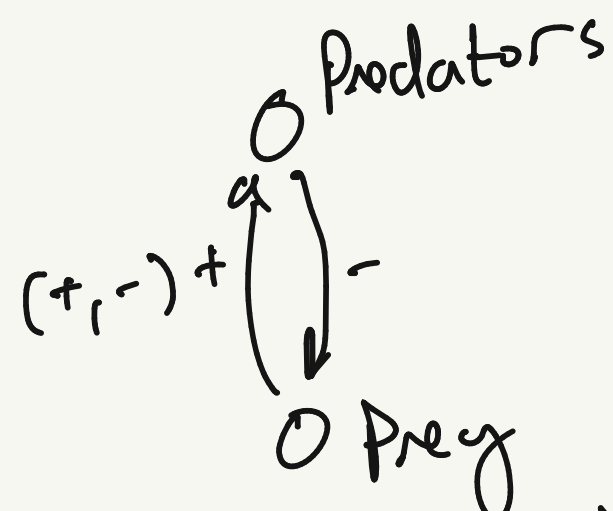
Hudson's Bay Company

- 200 years of fur counts { snowshoe hares
Lynx

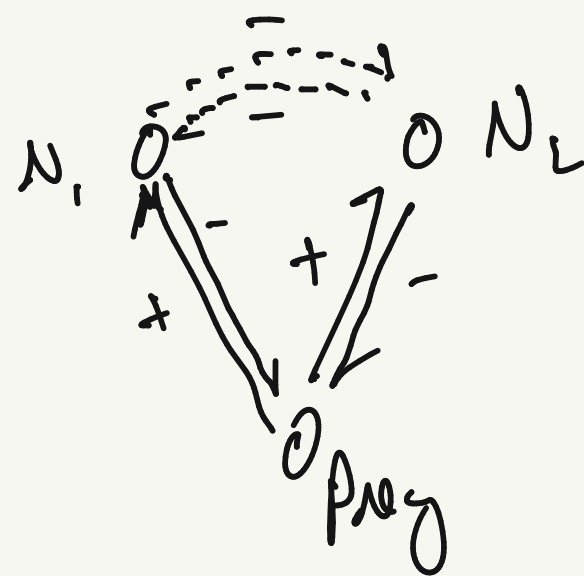


- original idea was that these ~~had~~ trends were due to climate

- Predation is a form of exploitation



Arrows represent not biomass flow but "effect"



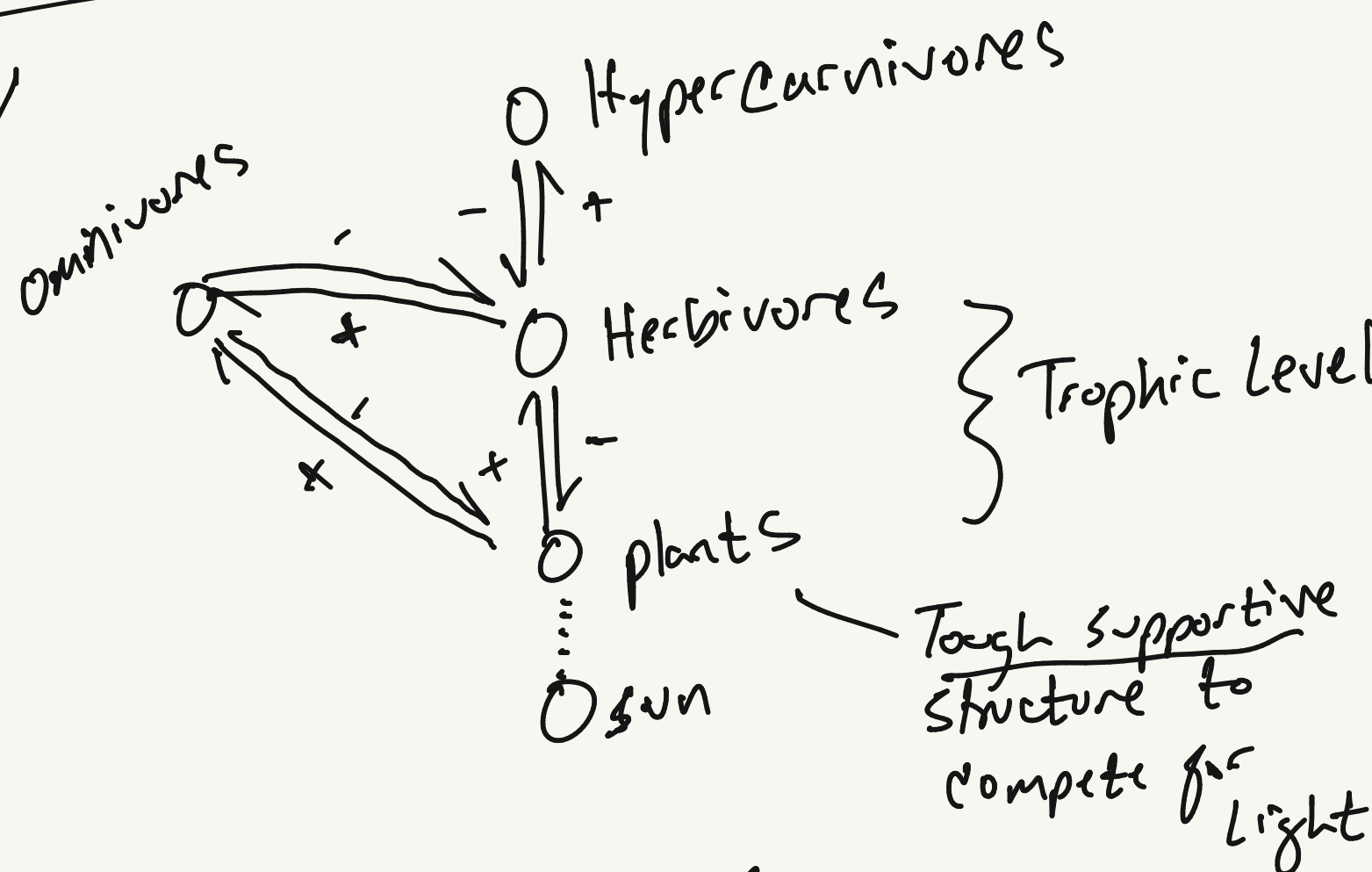
- Predators kill and eat other organisms

- Herbivores and parasites eat tissues/internal fluids of organisms they rely on
* ~~kill~~ but not immediately kill

- Predators
 - Hypercarnivores (cats)
 - Generalist consumers such as omnivores

Food Web

Food Chain

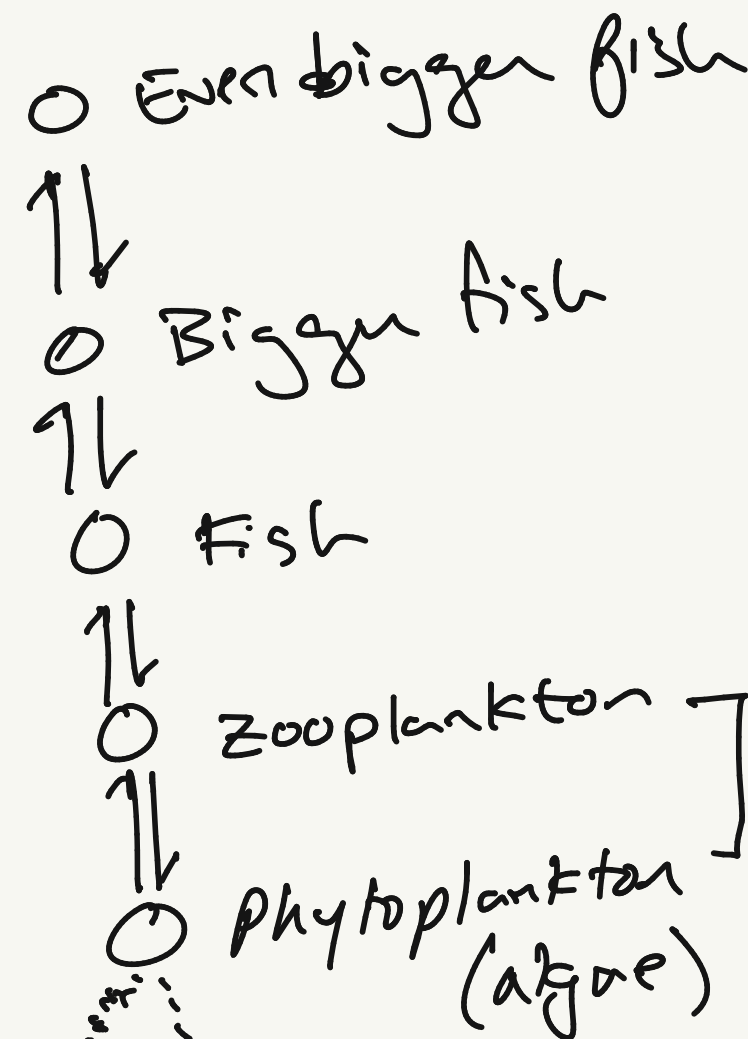


Terrestrial Systems

→ Consider the species in each of these functional groups

Food chain

etc.



Marine Systems

- Parasitoids - insects that lay one or a few eggs in another host insect
- As the eggs grow and hatch, the parasitoid offspring consume the host and kill it