

Competition ~ Chapter 14

1917 - A.G. Tansley



Galium (bedstraw plant)

1917 A.G. Tansley Observation

<i>G. hercynicum</i> (G.h.)	→ acidic soils
<i>G. pumillum</i> (G.p.)	→ calcareous soils

Experiment

Grew G.h.

Acidic Soil

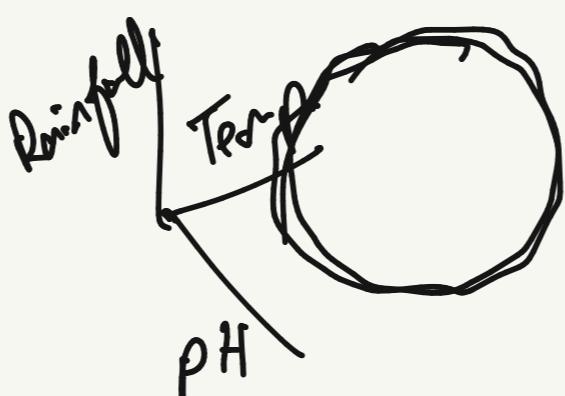
Calcareous Soil

Acidic Soil

Calcareous soil

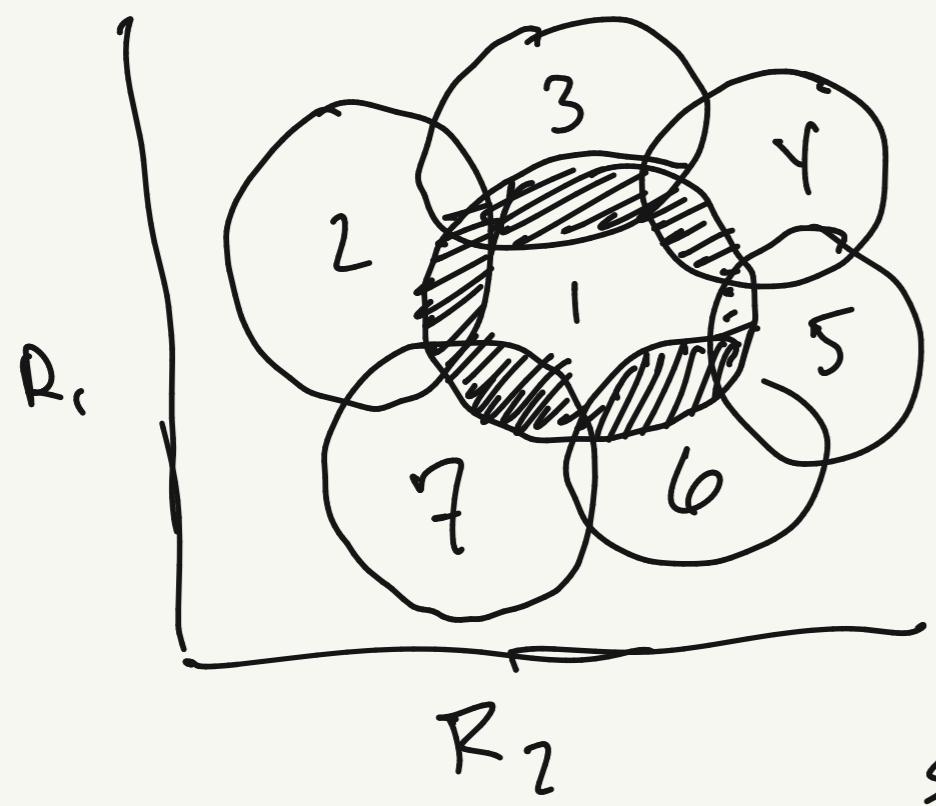
Niche - Resources and Conditions species require in order to grow and have fitness $> \emptyset$

n-dimensional hyper volume



Together → G.h. dominated and out-competed G.p. in acidic soils

→ G.p. dominated and out-competed G.h. in calcareous soils



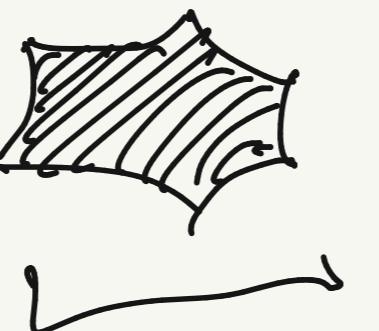
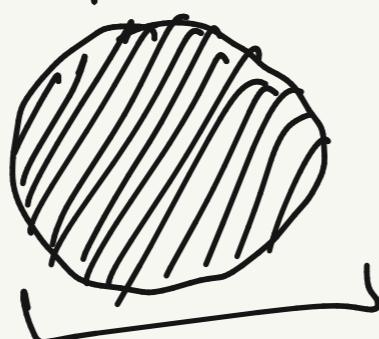
- Resources
- Food
 - Water
 - Space
 - Light
 - Nutrients

Anything that is limited that a species needs

Niche — Fundamental

Realized

Species 1



Realized Niche
(Actual)

Fundamental Niche
(Potential)

due to competition

$$rN \left(1 - \frac{N}{K}\right) = \phi ?$$

assuming $r > \phi$

$N^* = \phi$ extinction

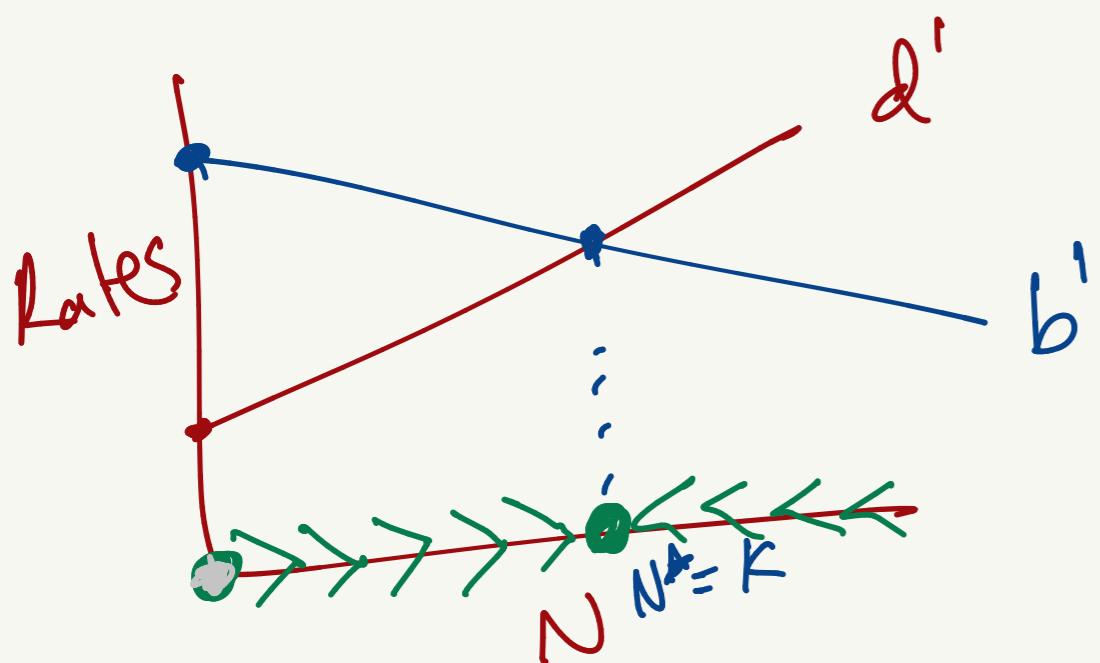
$$1 - \frac{N}{K} = \phi \rightarrow 1 = \frac{N}{K}$$

$$\underline{\underline{N^* = K}}$$

$$\frac{dN}{dt} = rN \left(1 - \frac{N}{K}\right)$$

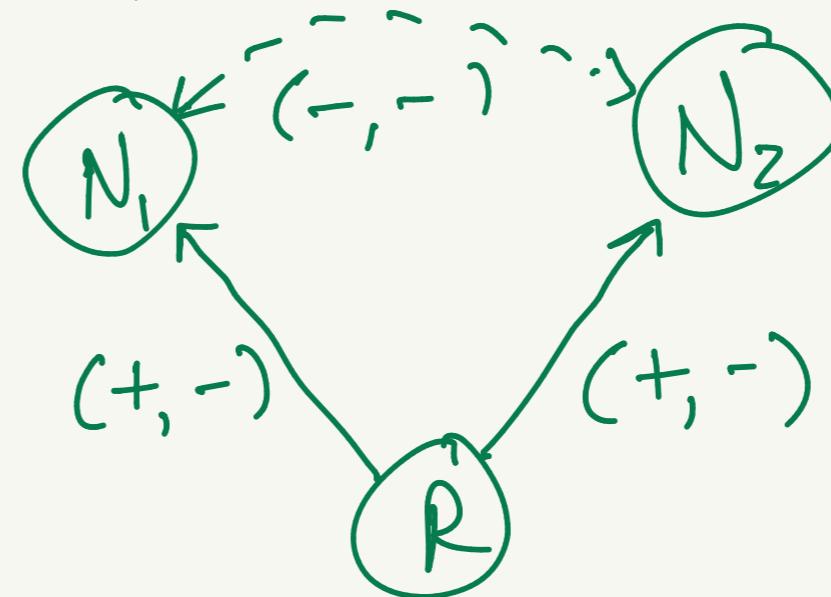
Intraspecific Competition
(Same species)

$$\frac{dN}{dt} = rN \left(1 - \frac{N}{K}\right)$$



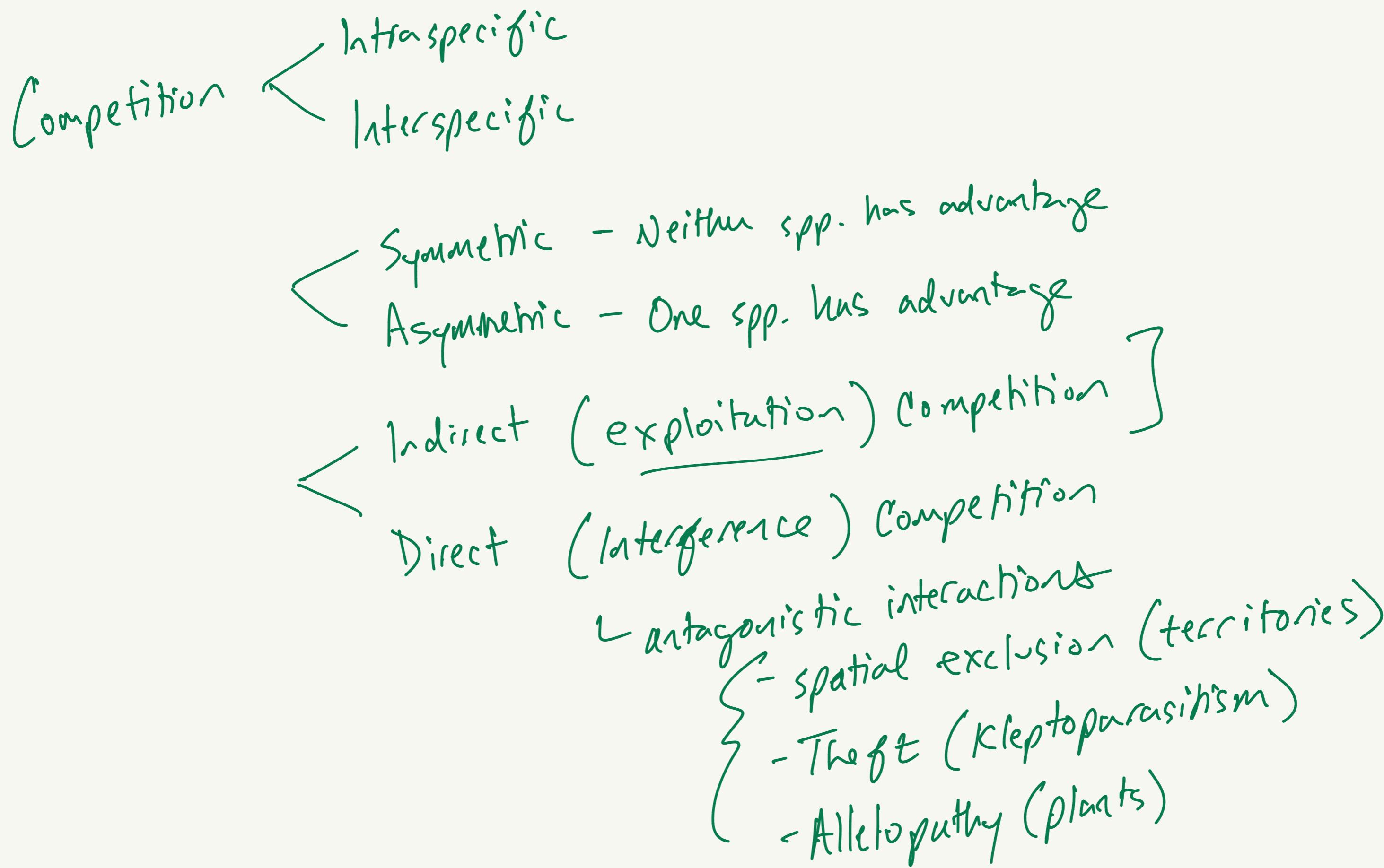
As $N \rightarrow K$ then $(1 - \frac{N}{K}) \rightarrow 0$
 and $\frac{dN}{dt} \rightarrow 0$ meaning growth is
 slowing down. It is slowing down
 b/c individuals are running out of
 resources

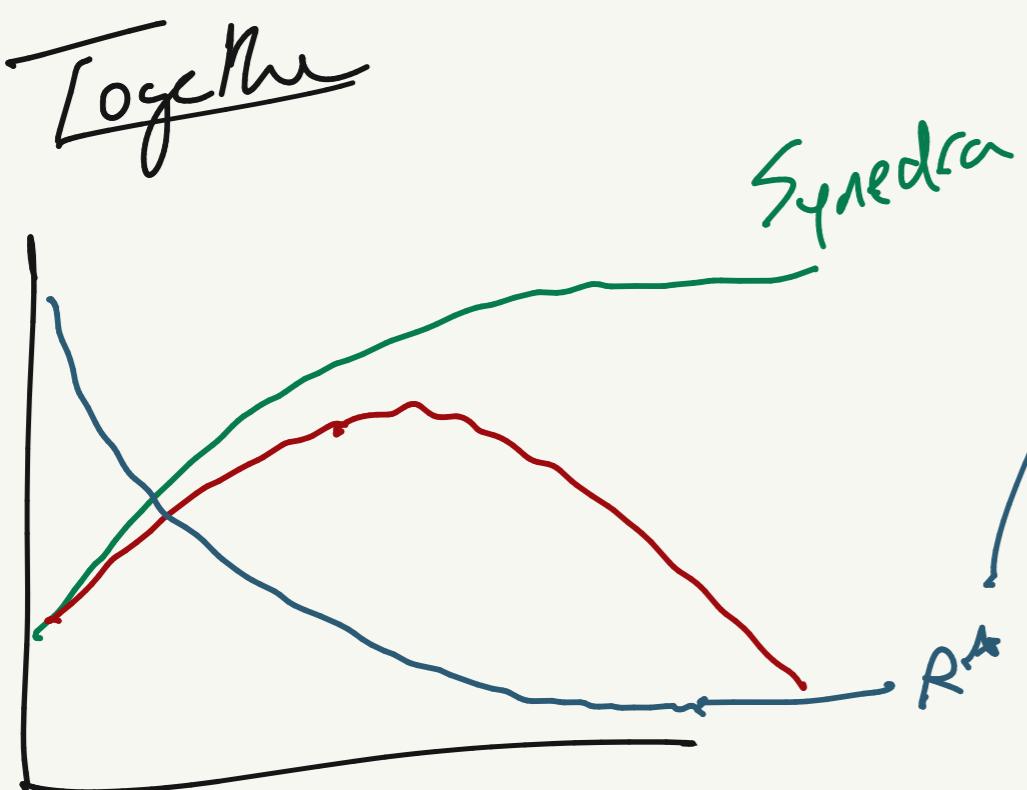
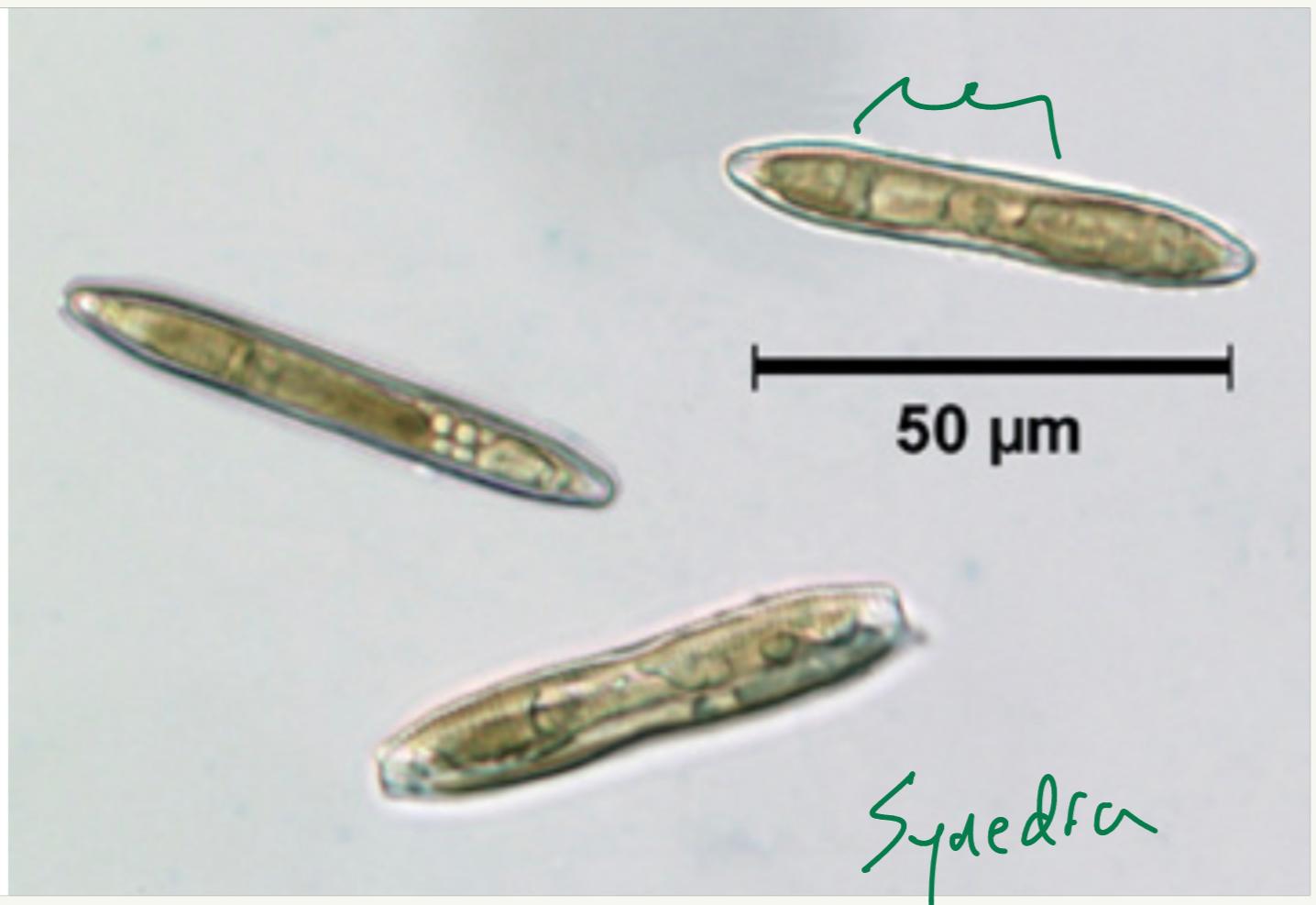
Another type of competition: Interspecific Competition
 - Competition between different species



Competition is
indirect

Symmetric - neither spp. has
 an advantage
 vs.
 Asymmetric

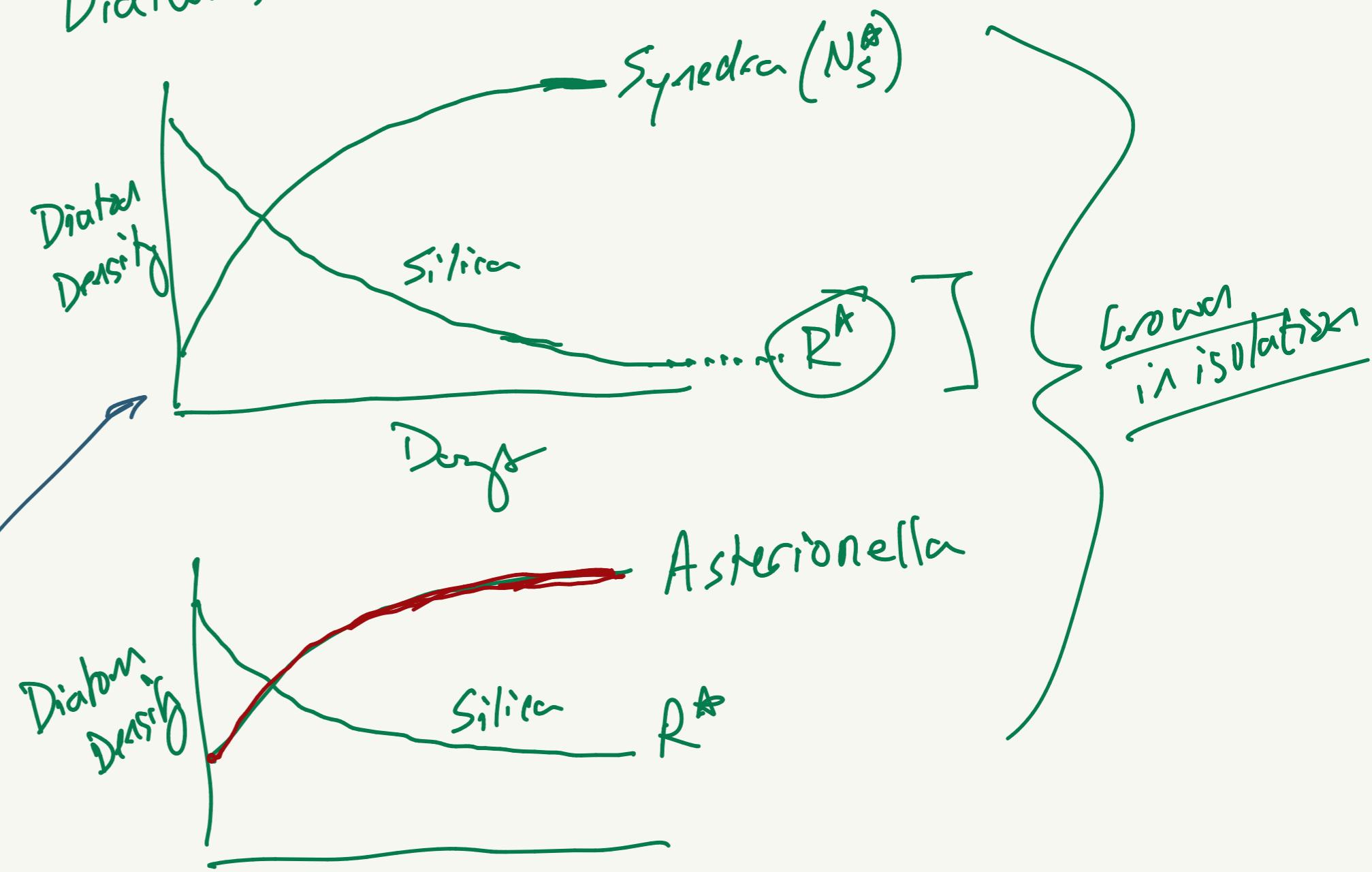




- Competing Organisms deplete Resources

1981 by Tilman

Diatoms



Synechococcus pushes ~~to~~ the shared resource to a lower steady state R^*

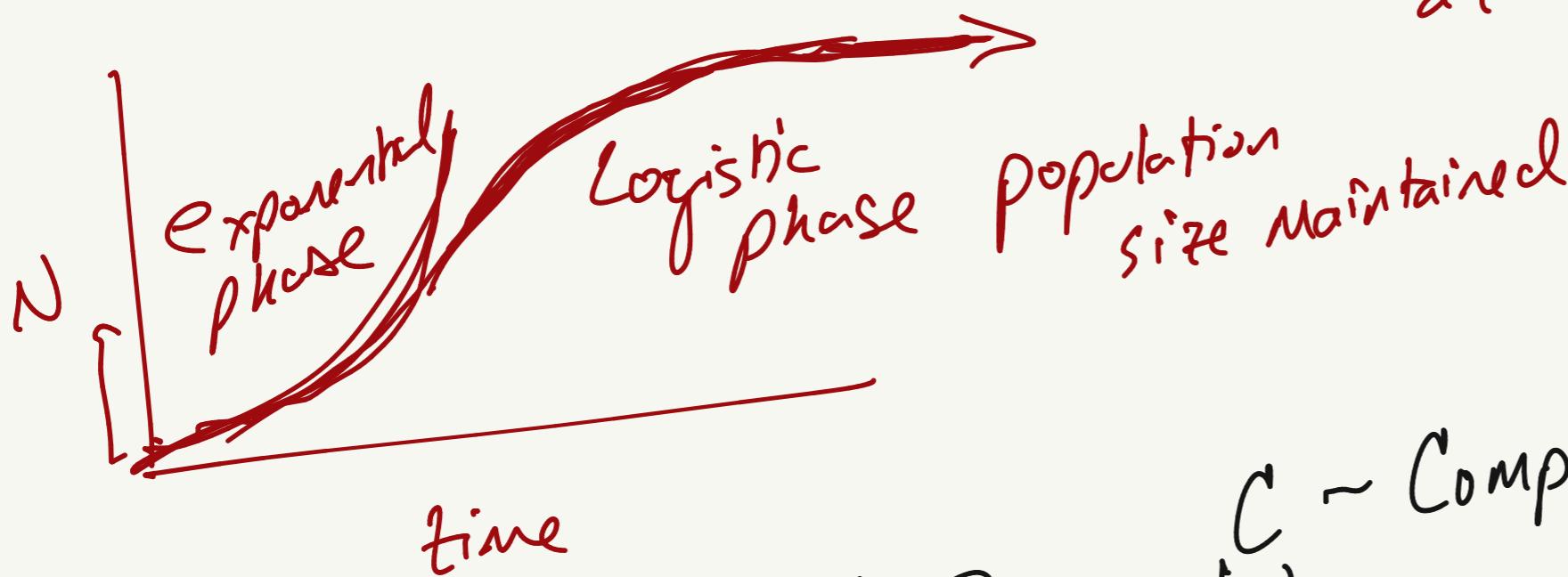
R^* -Theory: Competitor that can exist and maintain its population w/ fewer resources will be the superior competitor

$$\frac{dN}{dt} = rN(1 - \frac{N}{K})$$

Defines the negative effect of individuals in a population on its own growth

$$N \approx \phi \quad \frac{dN}{dt} = rN\left(1 - \frac{N \approx \phi}{K}\right) = rN(1 - \phi)$$

$= rN$
~ exponential growth



$$\frac{dN}{dt} = rN\left(1 - \frac{N + \alpha C}{K}\right)$$

C ~ competitor population
adding individuals
 α describes how much resource overlap there is between N and C

if Numerator > K then $\frac{dN}{dt} < \phi$

if Numerator \approx K then $\frac{dN}{dt} \approx \phi$

$$\alpha = 1 \quad N \cap C \quad J$$

if $\alpha = \frac{1}{2}$ adding 2 individuals from C is like adding 1 individual from N

$$N \cap C \quad \alpha = \frac{1}{2}$$

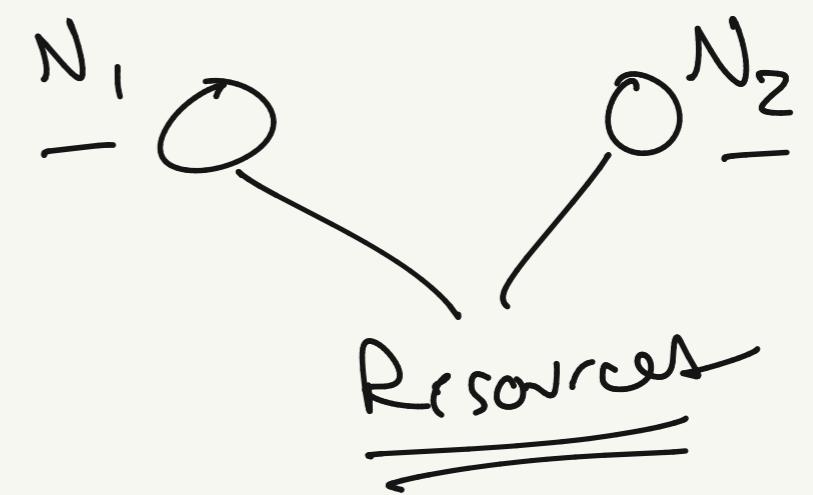
$$\rightarrow \begin{cases} \frac{dN_1}{dt} = r_1 N_1 \left(1 - \frac{N_1 + \alpha N_2}{K_1}\right) \\ \frac{dN_2}{dt} = r_2 N_2 \left(1 - \frac{N_2 + \beta N_1}{K_2}\right) \end{cases}$$

growth of N_2 is slowed by both N_2 and N_1

β = per-capita effect of species 1 on species 2

if $\beta \uparrow$ there is a ^{larger} negative effect of N_1 on N_2

if $\beta \downarrow$ there is a ^{smaller} negative effect of N_1 on N_2



growth of N_1 slowed by both N_1 and N_2

α = per-capita effect of species 2 on species 1

if $\alpha \uparrow$ there is a larger negative effect of N_2 on N_1

if $\alpha \downarrow$ there is a smaller negative effect of N_2 on N_1