Regular Pumping Property (RPP) 7 RPP BEALL, YAEREG. Ype Nat. Ipe Nati Js∈B. Yse A. 1s1>p> 15/7p -> 7xyz | S=xyz ~ 1y1>0 VieNat. Ji & Nat xyize A.

>0×505

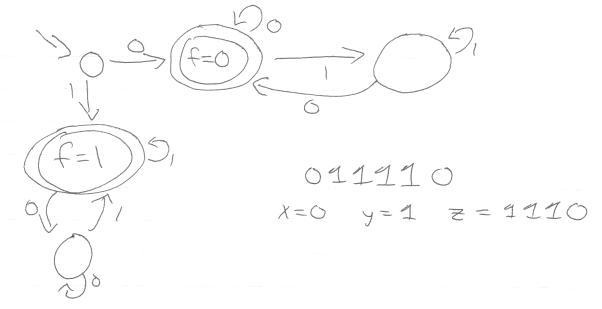
∀xyz | S=xyz \ 1y1>0 \ 1xy1<p T(xyiz &B) = XyiZ & B



ALL CFL RPP REG FIN

C = E WEBM w has an equal no. of Os and Is } C & REG X 000111 V 00410101010101111010 0xx 1 1 1 1 1 ₩p => Js = (01) => ∀xyz S = xyz $(04)^0 = xyz$ |y| > 0 |xy| < px= & y=0 ==1 (04) 1-1/ 马引= |+p-1| = 1 + p-11 + 1 x=01 y=0 $z=1(01)^{p-2}$ 1 too many x= 2 y=010 == 2(01)p-1 2 "too many "
Is $x = \xi$ y = 01 $z = (01)^{n-1}$ $xy^{i} = (01)^{i} (01)^{p-1} \in C \text{ iff } i+p-1 = i+p-1$ 0=0 $\int_{X=0}^{\infty} \int_{X=0}^{\infty} \int_{X$ Choose 0, Z, 7, etc for;

8-3/ D_= & w | w's first and last chan are equal 3



 $D_k = \{ w \mid w \text{ is first } k \text{ and lask } k \text{ reverse are gial } \}$ $E = \{ w w \text{ } w \text{ } | w \in B^* \}$

Claim: E & REG

$$S = O^{p} \times S = O^{p} 1^{p} \times S = O^{p} 1^{p} 1^{p} 0^{p}$$

$$X = O^{n} \quad Y = O^{n} \quad Z = O^{m} 1^{p} 1^{p} 0^{p} \quad u + v + w = p$$

$$XY^{i}Z = O^{m} O^{v} : O^{m} 1^{p} 1^{p} 0^{p} \quad u + v + w = p$$

$$Only fine if i = 1$$