BLT

```
In [1]: from sympy import *
         def crossratio(x1,x2,x3,x4):
              return ((x1-x2)*(x3-x4))/((x2-x3)*(x4-x1))
          z1, z2, z3, z4, w1, w2, w3, w4 = symbols("<math>z1 z2 z3 z4 w1 w2 w3 w4")
         z1 = Symbol('z')
         z2 = 1
          z3 = 1j
          z4 = -1
          crz = crossratio(z1,z2,z3,z4)
         w1 = Symbol('w')
         w2 = 1j
         w3 = 0
         w4 = -1i
          crw = crossratio(w1,w2,w3,w4)
          init printing()
          eqn = Eq(crw, crz)
         solve(eqn)
Out[1]: \left[\left\{w: rac{z-iz-1.0-i}{-z+iz-1.0-i}
ight\}
ight]
```

Conformal mapping

Check if $q = e^z$ is conformal or not

```
In [76]: import numpy as np
   import matplotlib.pyplot as plt
   from sympy import *
   import cmath as cm
   z = Symbol('z')
   q = Symbol('q')
   q = exp(z)
   d = diff(q,z)
   print ("derivative : " , d)
   if(d!=0):
        print("conformal")
   else:
        print("not conformal")
```

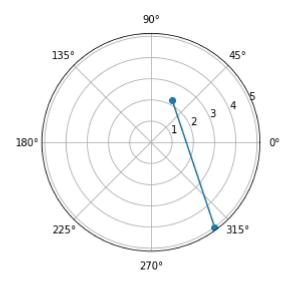
derivative : exp(z)
conformal

Elementary Transformation

Reflexion

```
In [63]: from cmath import *
  import matplotlib.pyplot as plt
  z = 1+2j
  w = conjugate(c)
  plt.polar([phase(z), phase(w)],[abs(z), abs(w)],marker='o')
```

Out[63]: [<matplotlib.lines.Line2D at 0x93566f0>]

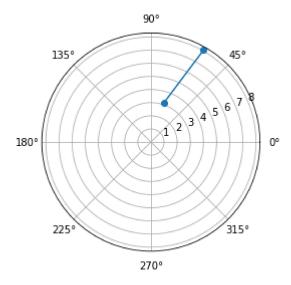


Translation

```
In [62]: def translate(z, c):
    return z+c
z = 1+3j
c = 3+4j
w = translate(z,c)
values = [z,c,w]

plt.polar([phase(z),phase(w)],[abs(z),abs(w)], marker='o')
```

Out[62]: [<matplotlib.lines.Line2D at 0x8f25c70>]



Magnificat and Rotation

```
In [61]: z = 1 + 5j
    r,theta = polar(z)
    #z1 = r + (theta)*1j
    a = 1 + 5j

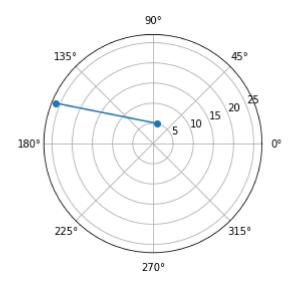
#r1,theta1 = polar(a)
    #a1 = r1 + (theta1)*1j

w = z*a
    #r2,theta2 = polar(w)
#w1 = r2 + (theta)*2j

#values = [z1,w1]

plt.polar([phase(z),phase(w)],[abs(z),abs(w)], marker='o')
```

Out[61]: [<matplotlib.lines.Line2D at 0x8f2f950>]



Inversion

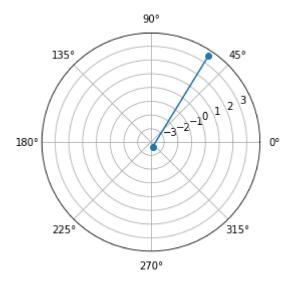
```
In [58]: z = 2+3j
r,theta = polar(z)

A = 5
#w = A/r + (-theta)*1j

#values = [z,w]

plt.polar([phase(z),A/phase(z)],[abs(z), -abs(z)], marker='o')
```

Out[58]: [<matplotlib.lines.Line2D at 0x92a66b0>]



question paper

reflexion of the point (3,4) and (5,6) in both x plane and y plane

```
In [54]:
         \#(3,4)
         x = 3
         y = 4
         plt.plot(x,y,"*" , x,-y,"d" , -x,y,"o")
         xr = [-3,3]
         yr = [4,4]
         plt.plot(xr,yr)
         xr1 = [3,3]
         yr1 = [-4,4]
         plt.plot(xr1,yr1)
         \#(5,6)
         u = 5
         v = 6
         plt.plot(u,v,"*" , u,-v,"d" , -u,v,"o")
         ur = [-5,5]
         vr = [6,6]
         plt.plot(ur,vr)
         ur1 = [5,5]
         vr1 = [-6,6]
         plt.plot(ur1,vr1)
```

Out[54]: [<matplotlib.lines.Line2D at 0x91a6530>]

