
Tests for identical tasks

```
In[1]:= (*tasks={1,2,3,4};*)
ps = {0.05, 0.05, 0.05, 0.05, 0.05, 0.05};
times = {5, 5, 5, 5, 5, 5};
Fstart = 0.2;
 $\mu$  = 0.02;
 $\lambda$  = 2;
```

Tot time depending on rest position

```
In[ ]:=  $\tau$  = 5;
For[restAt = 0, restAt ≤ Length[ps], restAt++, totTime = 0;
  F = Fstart;
  Print["| ", restAt];
  FatigueLevel = For[i = 1, i ≤ Length[ps], i++,
    If[i == restAt, Print["  (" , F E- $\mu$   $\tau$  , ")"]];
    If[i == restAt, {F = F E- $\mu$   $\tau$  + (1 - E-ps[[i]]·times[[i]](1+ $\lambda$  Log[1+F E- $\mu$   $\tau$ ])})(1 - F E- $\mu$   $\tau$ ),
      totTime += times[[i]](1 +  $\lambda$  Log[1 + F E- $\mu$   $\tau$ ]) +  $\tau$ },
      {F = F + (1 - E-ps[[i]]·times[[i]](1+ $\lambda$  Log[1+F])})(1 - F), totTime += times[[i]](1 +  $\lambda$  Log[1 + F])}}];
  Print[F];];
Print[" --> ", totTime, " |"]

| 0
0.431244
0.62975
0.774129
0.867933
0.924744
0.957754
--> 63.717 |

| 1
(0.180967)
0.41304
0.615446
0.764366
```

```
0.861844
0.921146
0.955693
--> 68.1017 |
| 2
0.431244
(0.390206)
0.597218
0.751793
0.853951
0.916463
0.953005
--> 67.8839 |
| 3
0.431244
0.62975
(0.569821)
0.732607
0.841793
0.909211
0.948828
--> 67.8019 |
| 4
0.431244
0.62975
0.774129
(0.700461)
0.821105
0.896758
0.941618
--> 67.7954 |
| 5
0.431244
0.62975
0.774129
```

```

0.867933
  (0.785338)
0.874882
0.928836
--> 67.8515 |
| 6
0.431244
0.62975
0.774129
0.867933
0.924744
  (0.836743)
0.906185
--> 67.9871 |

```

Only two tasks

```

In[6]:= F[t_, R_, p_] := R + (1 - E^-p t) (1 - R)
R[F_, τ_, μ_] := F E^-μ τ
g1[θth_, λ_, F_] := θth (1 + λ Log[1 + F])

```

```

In[9]:= Manipulate[
  GraphicsColumn[{
    Plot[{g1[θ, λ, Fstart] + g1[θ, λ, R[F[g1[θ, λ, Fstart], Fstart, p], τ, μ]],
      g1[θ, λ, R[Fstart, τ, μ]] + g1[θ, λ, F[g1[θ, λ, R[Fstart, τ, μ]], R[Fstart, τ, μ], p]]},
      {Fstart, 0, 1}, PlotLegends → {"Rest at s", "Rest at s-1"}, AxesLabel →
        {Automatic, "t1+t2"}, PlotRange → {Full, {2 * θ, 5 * θ}}, ImageSize → Medium],
    Plot[{ $\frac{E^{p \theta} - (1 + Fstart E^{-\mu \tau})^{-p \theta \lambda}}{E^{p \theta} - (1 + Fstart)^{-p \theta \lambda}}, \frac{1 - Fstart}{e^{\mu \tau} - Fstart}$ }, {Fstart, 0, 1},
      PlotLegends → {"L", "R"}, AxesLabel → {Automatic}, PlotRange → All]
  }, ImageSize → Large],
  {{θ, 10}, 0, 15},
  {{τ, 5}, 0, 30},
  {{p, 0.1}, 0, 0.5}]

```

Out[9]=

