This code defines a class `NQueens` to solve the N-Queens problem, which is to place N queens on an N×N chessboard such that no two queens attack each other. Here's an explanation of the class and its methods:

- 1. `\_\_init\_\_(self, n)`: The constructor method initializes the N-Queens solver with the board size `n`, initializes the board state as a list of `-1` (indicating no queen placed yet), and sets the `solution\_count` to 0.
- 2. `is\_safe(self, row, col)`: This method checks if it's safe to place a queen at position `(row, col)` on the board. It checks if there are no queens in the same column, diagonal, or row as the current position.
- 3. `solve(self, row)`: This is the main recursive backtracking function to find all solutions. It tries to place a queen in each column of the current row, then recursively tries to place queens in the next rows. If a solution is found (i.e., all rows are filled), it prints the solution and increments the `solution\_count`.
- 4. `print\_solution(self)`: This method prints a visual representation of the board with queens as 'Q' and empty squares as '.'
- 5. `find\_solutions(self)`: This method initiates the solving process by calling `solve(0)` to start from the first row.
- 6. `Example usage`: It creates an instance of `NQueens` with `n=8` to solve the 8-Queens problem and find all solutions.

When you run this code, it will print all possible solutions for placing 8 queens on an 8x8 chessboard such that no two queens attack each other. Each solution is numbered, and the positions of the queens are shown as 'Q' in the output.