

Fundamentals of computer graphics (CSIT304)

Quiz 1 (30 January 2024)

Marks are mentioned towards the right margin..

1. Derive the matrix that represents scaling of an object with respect to any fixed point?
Given $P(6, 8)$, $S_x = 2$, $S_y = 3$ and fixed point $(2, 2)$. Use the matrix you derived to find the transformed coordinate P' ? 2+2 = 4 marks
2. Find the equation of the circle $p^2 + q^2 = 1$ in terms of xy coordinates, assuming that the pq coordinate system results from a scaling of a units in the x direction and b units in the y direction. 2 marks
3. In the derivation of Bresenham's line algorithm we have used s and t to measure the closeness of pixels S and T to the true line. However, s and t are only distances in the y direction. They are not really distances between a point to a line as defined in geometry. Can we be sure that, when $s = t$, the two pixels S and T are truly equally far away from the true line (hence we can choose either one to approximate the line)? 2 marks
4. While calculating the decision variable for a line ($m < 1$) we multiply the difference between s and t , i.e., $(s-t)$ with Δx . What are the 2 reasons behind that? 2 marks
5. For a scanline polygon filling algorithm, what are the parameters we store in the node data structure for the AET and why? 3 marks
6. What is the key difference between raster and vector graphics and which one is computationally faster for resizing and transformations and why? 2 marks
7. In the class we derived the Mid-Point Circle drawing algorithm where the point $(x_k + 1, y_k - 0.5)$ was checked with the function $F(x, y) = x^2 + y^2 - r^2 = 0$ to see if the value of the function is 0 (on the circle), -ve (inside the circle), and +ve (outside the circle). Based on that understanding, derive a Midpoint Line ($y = mx + c$) drawing algorithm for the slope $m < 1$. 5 marks