

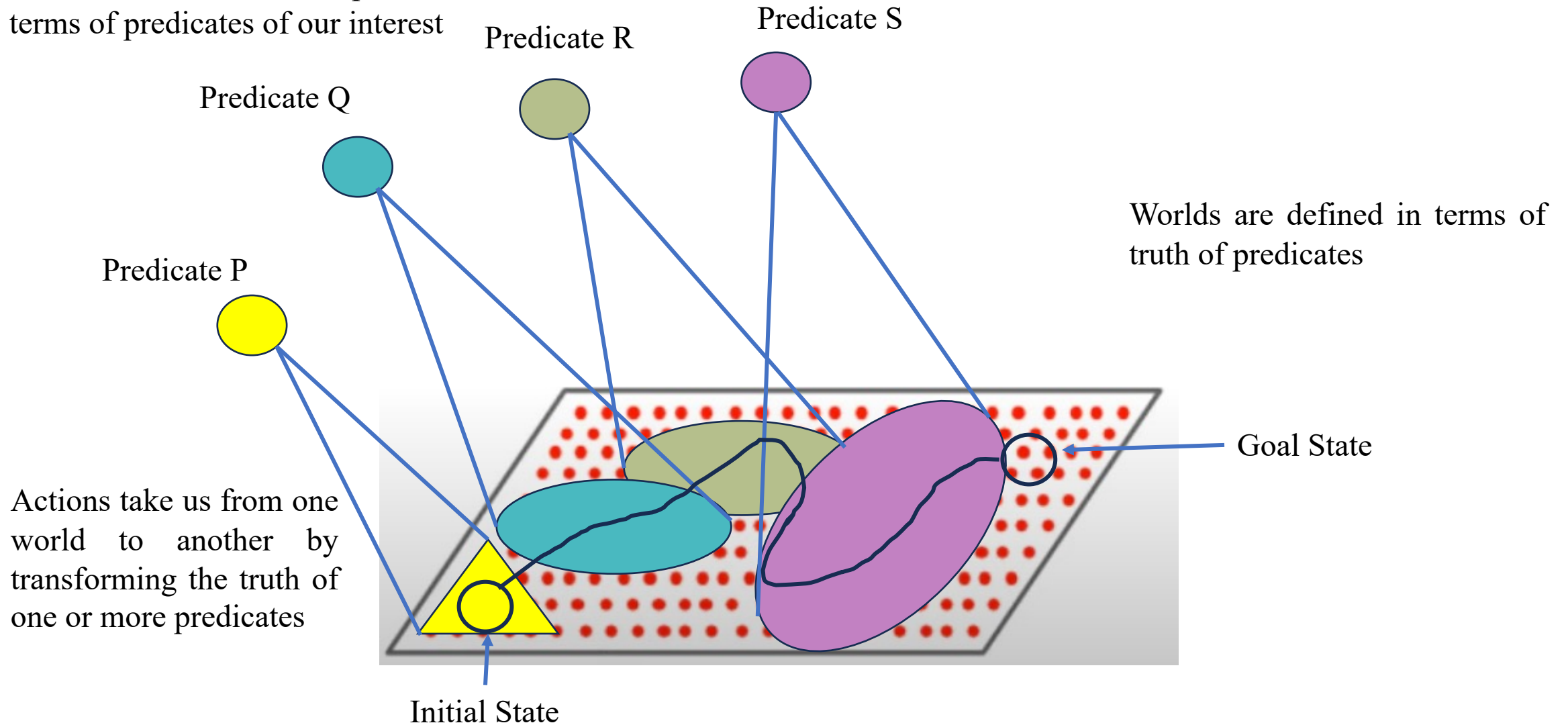
AIFA: PLANNING

28/03/2024

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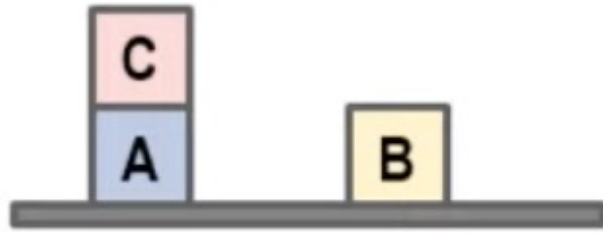
State Spaces \rightarrow Predicate Worlds

We abstract out state space in terms of predicates of our interest



Blocks World

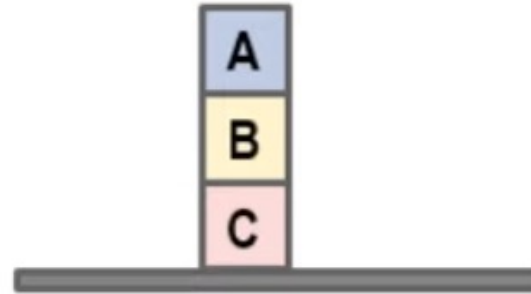
- Classical test bed for planning algorithms



Initial State

Predicates describing initial state:

- On(C,A)
- On(A, Table)
- On(B, Table)
- Clear(B)
- Clear(C)



Target State

Predicates describing initial state:

- On(A,B)
- On(B,C)
- On(C, Table)

Actions:

Move(X,Y): Move X on top of Y

Precond: Clear(X), Clear(Y)

Effect: On(X,Y)

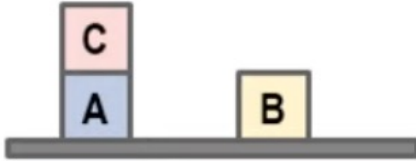
Move(X,Table): Move X to Table

Precond: Clear(X)

Effect: On(X,Table)

The planning task is to determine the actions for reaching the target state from the initial state

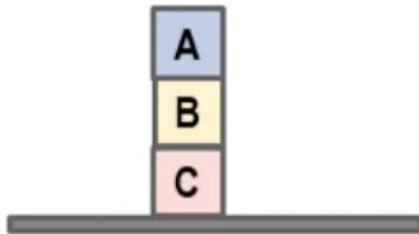
Choosing Actions



$\text{On}(C, A), \text{On}(A, \text{Table}), \text{On}(B, \text{Table}), \text{Clear}(C), \text{Clear}(B)$



$\text{On}(A, B), \text{On}(B, C)$

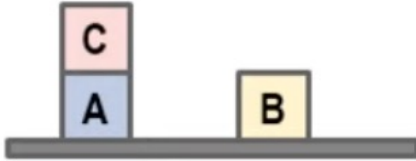


Move(X,Y): Move X on top of Y
Precond: $\text{Clear}(X), \text{Clear}(Y)$
Effect: $\text{On}(X,Y)$

Move(X,Table): Move X to Table
Precond: $\text{Clear}(X)$
Effect: $\text{On}(X,\text{Table})$

- We can move C to the Table
 - This achieves none of the goal predicates
- We can move C to the top of B
 - This achieves none of the goal predicates
- We can move B to the top of C
 - This achieves $\text{On}(B,C)$

Partial Solutions

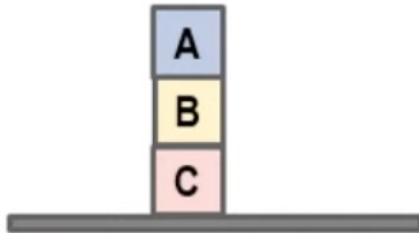


On(C, A), On(A, Table), On(B, Table), Clear(C), Clear(B)

Clear(C), Clear(B)

Move(B, C)

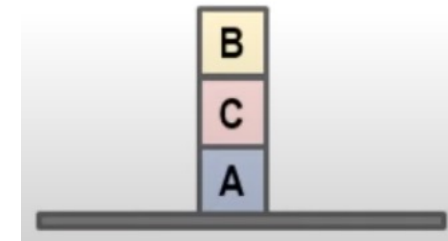
On(A, B), On(B, C)



Move(X,Y): Move X on top of Y
Precond: Clear(X), Clear(Y)
Effect: On(X,Y)

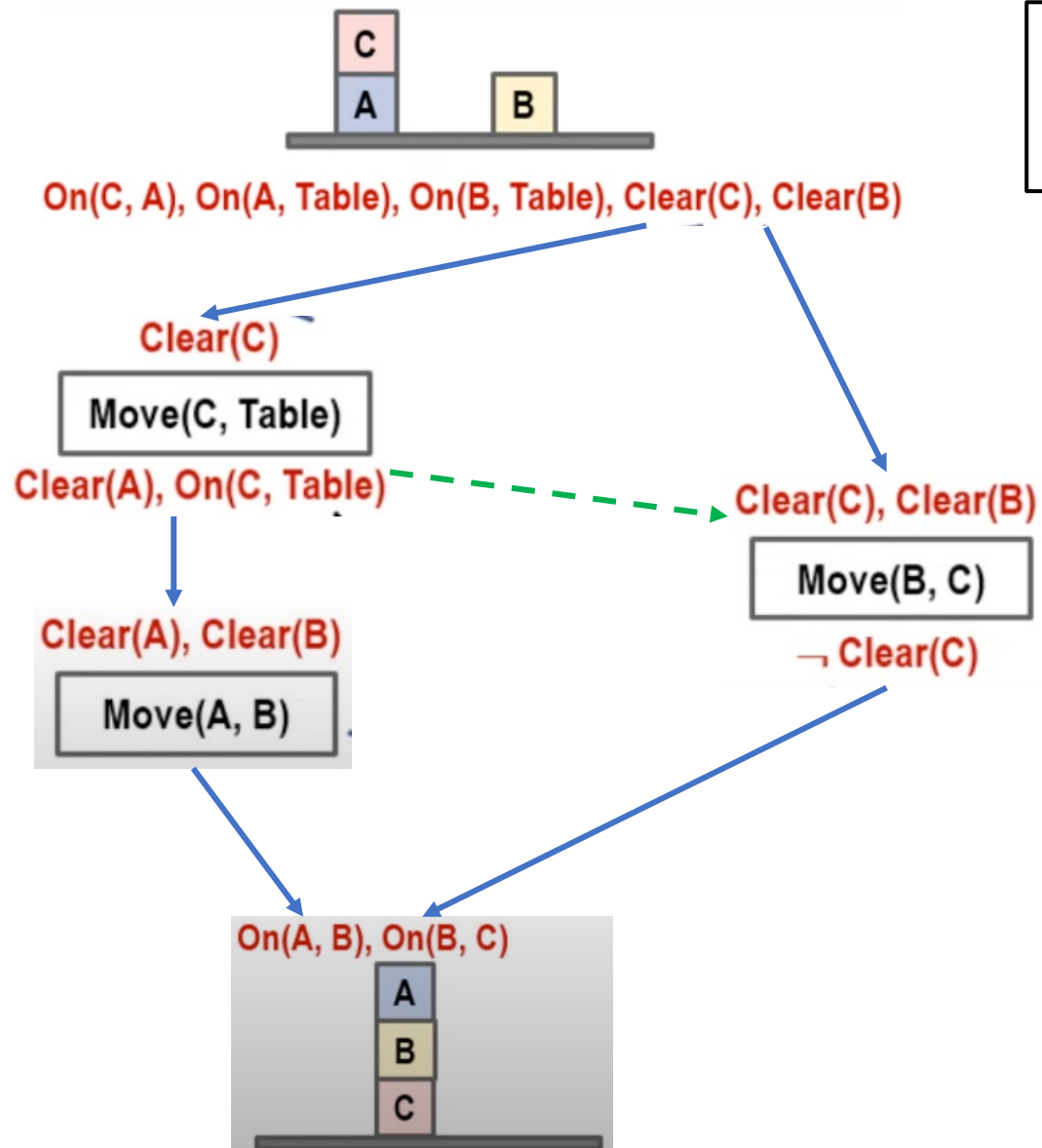
Move(X,Table): Move X to Table
Precond: Clear(X)
Effect: On(X,Table)

- We use Move(B,C) to achieve the subgoal On(B,C)
- But if we apply this move at the beginning, we get:



- We do not want

Partial Solutions

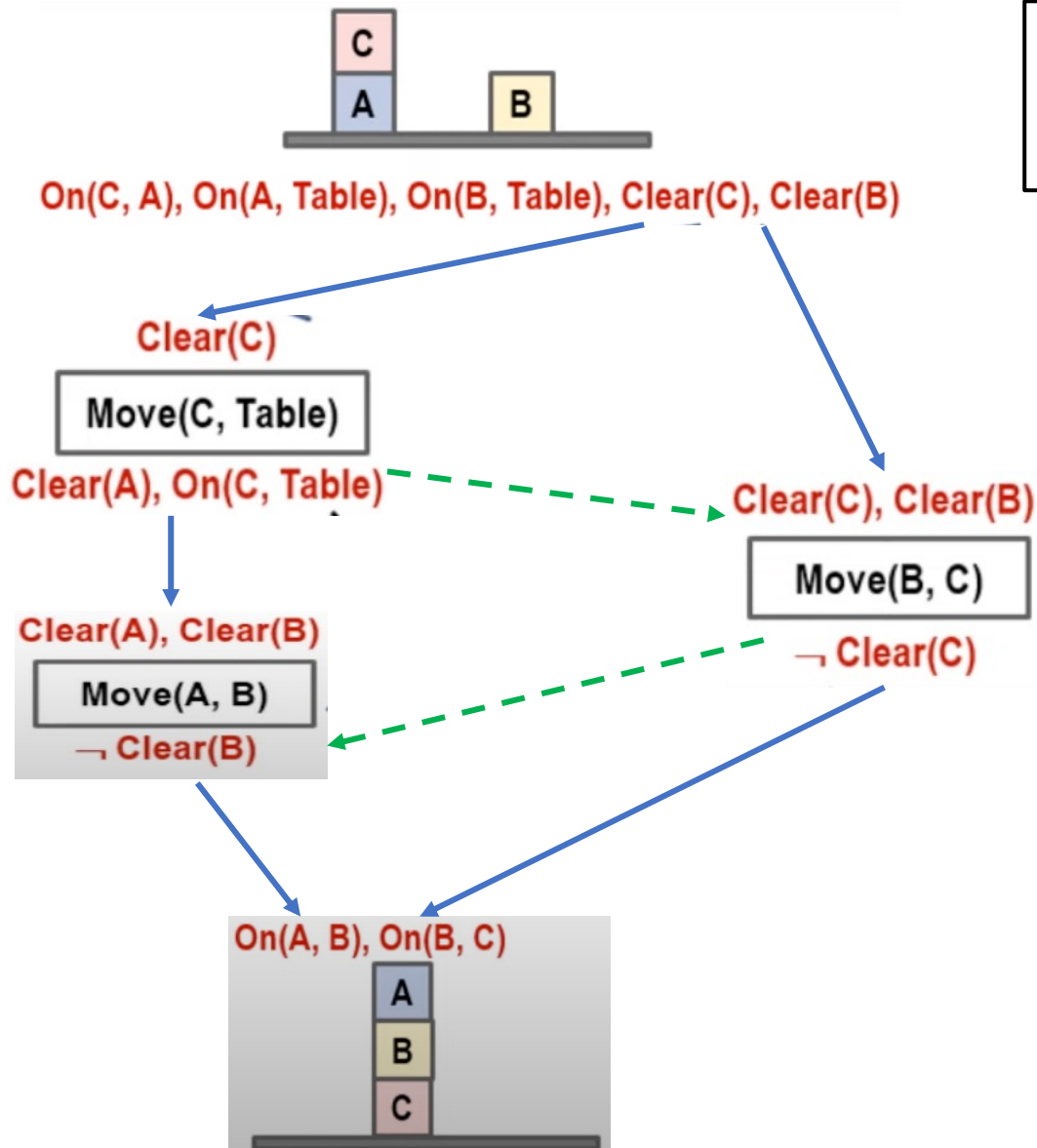


Move(X,Y): Move X on top of Y
Precond: Clear(X), Clear(Y)
Effect: On(X,Y)

Move(X,Table): Move X to Table
Precond: Clear(X)
Effect: On(X,Table)

- Move(B,C) removes the Clear(C) predicate which is essential for Move(C, Table)
- Hence Move(C, Table) must precede Move(B,C)
- Can Move(B,C) and Move(A,B) be executed in any order?

Partial Solutions



Move(X,Y): Move X on top of Y
 Precond: Clear(X), Clear(Y)
 Effect: On(X,Y)

Move(X,Table): Move X to Table
 Precond: Clear(X)
 Effect: On(X,Table)

- Move(B,C) removes the Clear(C) predicate which is essential for Move(C, Table)
- Hence Move(C, Table) must precede Move(B,C)

How to achieve each sub-goals?

Which actions to choose?

How to serialize the actions so that precedence constraints get satisfied?

The only total order is:

- Move(C, Table)
- Move(B, C)
- Move(A, B)

Do we always need total ordering?

Some partial orders may stay

- Actions

Op(**ACTION:** RightShoe,
PRECOND: RightSockOn,
EFFECT: RightShoeOn)

Op(**ACTION:** RightSock,
EFFECT: RightSockOn)

Op(**ACTION:** LeftShoe,
PRECOND: LeftSockOn,
EFFECT: LeftShoeOn)

Op(**ACTION:** LeftSock,
EFFECT: LeftSockOn)

Which of these situations are allowed by these actions?



Some partial orders may stay

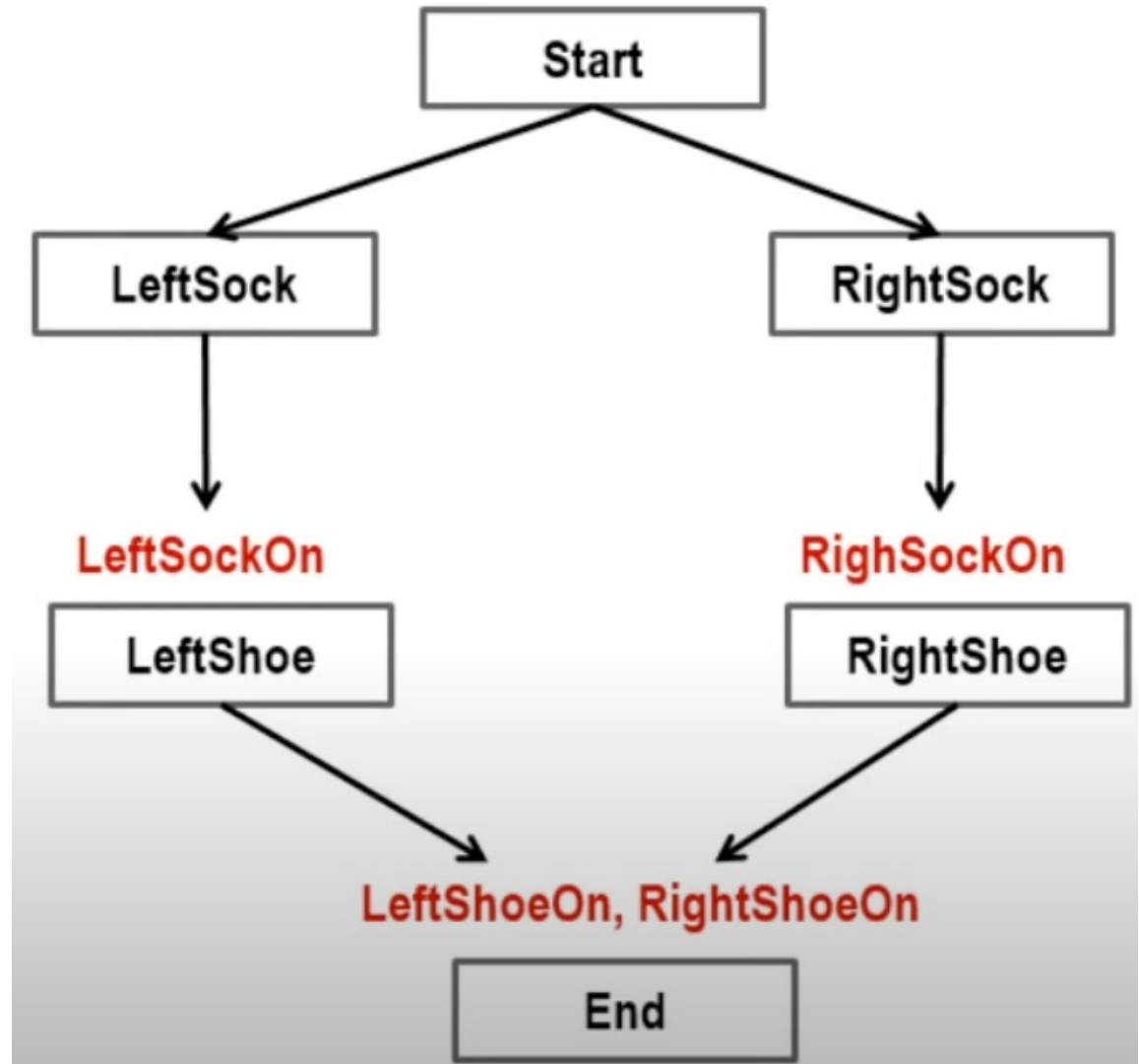
- Actions

Op(**ACTION:** RightShoe,
PRECOND: RightSockOn,
EFFECT: RightShoeOn)

Op(**ACTION:** RightSock,
EFFECT: RightSockOn)

Op(**ACTION:** LeftShoe,
PRECOND: LeftSockOn,
EFFECT: LeftShoeOn)

Op(**ACTION:** LeftSock,
EFFECT: LeftSockOn)



Planning: Automation

- Partial order planning
- GraphPlan
- SATPlan
- Stochastic Planning

Partial Order Planning

- **Basic Idea:** Make choices only that are relevant to solving the current part of the problem
- **Least Commitment Choices:**
 - **Orderings:** Leave actions unordered, unless they must be sequential
 - **Bindings:** Leave variables unbound, unless needed to unify with conditions being achieved
 - **Actions:** usually not subject to “least commitment”

Terminology

- **Totally Ordered Plan**
 - There exists sufficient orderings O such that all actions in A are ordered with respect to each other
- **Fully Instantiated Plan**
 - There exist sufficient constraints in B such that all variables are constrained to be equal to some constant
- **Consistent Plan**
 - There are no contradictions in O or B
- **Complete Plan**
 - Every precondition P of every action A_i in A is achieved:
 - There exists an effect of an action A_j that comes before A_i and unifies with P , and no action A_k that deletes P comes between A_j and A_i

STRIPS

- Stanford Research Institute Problem Solver
- Many planners today use specification languages that are variants of the one used in STRIPS
- Our running example:
 - Given:
 - **Initial State:** The agent is at home without tea, biscuits, book
 - **Goal State:** The agent is at home with tea, biscuits, book
 - A set of actions

State Representation

- States are represented by conjunctions of function-free ground literals
 - $At(Home) \wedge \sim Have(Tea) \wedge \sim Have(Biscuits) \wedge \sim Have(Book)$
- Goals are also described by conjunction of literals
 - $At(Home) \wedge Have(Tea) \wedge Have(Biscuits) \wedge Have(Book)$
- Goals can also contain variables
 - $At(x) \wedge Sells(x, Tea)$
 - The above goal is **being at a shop that sells tea**

Representing Actions

- **Action description:** serves as a name
- **Precondition:** a conjunction of positive literals
- **Effect:** a conjunction of literals (+ve or -ve)
- OP(
 - **ACTION:** $Go(there)$
 - **PRECOND:** $At(there) \wedge Path(there, there)$
 - **EFFECT:** $At(there) \wedge \sim At(here)$
 -)

Representing Plans

- A set of plan steps
 - Each step is one of the operators for the problem
- A set of step ordering constraints
 - Each ordering constraint is of the form $S_i < S_j$
 - indicating S_i must occur sometime before S_j
- A set of variable binding constraints of the form $v=x$
 - v is a variable in some step
 - x is either a constant or another variable
- A set of causal links written as $S \rightarrow c: S'$ indicating S satisfies the precondition c for S'

Example

- Initial Plan
- Plan(
 - STEPS: {
 - S1: Op(ACTION: start),
 - S2: Op(ACTION: finish, PRECOND: RightShoeOn \wedge LeftShoeOn)
 - },
 - ORDERINGS: $\{S_1 < S_2\}$,
 - BINDINGS: {},
 - LINKS: {}
 -)

Thank You