

# Capítulo 9



## Algoritmos Hash

# Plano de Curso



- MD5 - Message Digest (RFC 1321) por Ron Rivest
- SHA - Security Hash Algorithm
- RIPEMD-160
- HMAC

# Algoritmo MD5



1 - Adicionar bits (total  $\equiv 448 \pmod{512}$ )

2 - Adicionar o Comprimento

3 - Inicializar Buffer MD

A = 67452301

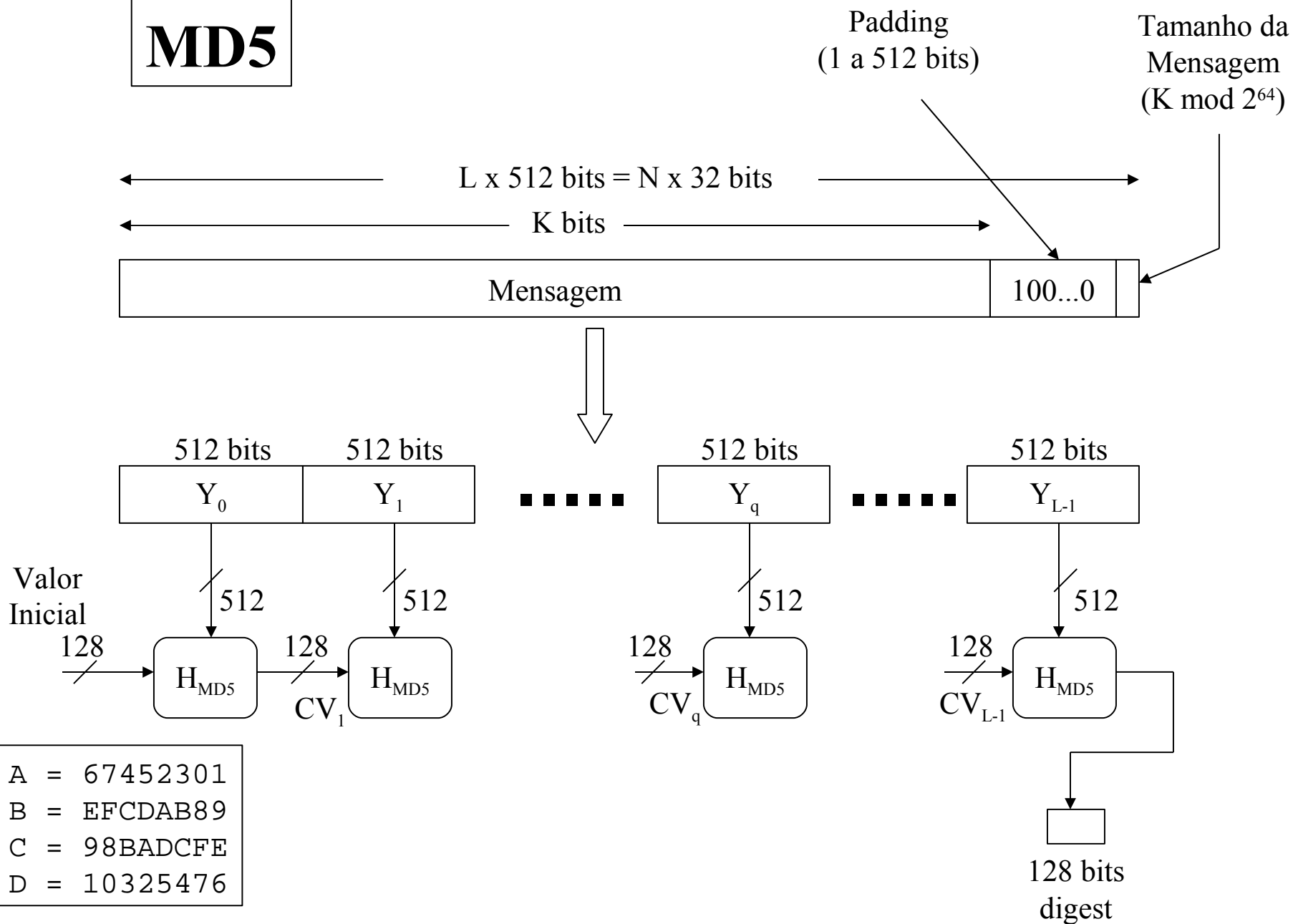
B = EFCDA89

C = 98BADCFE

D = 10325476

4 - Processar Mensagens em Blocos de 512 bits

# MD5



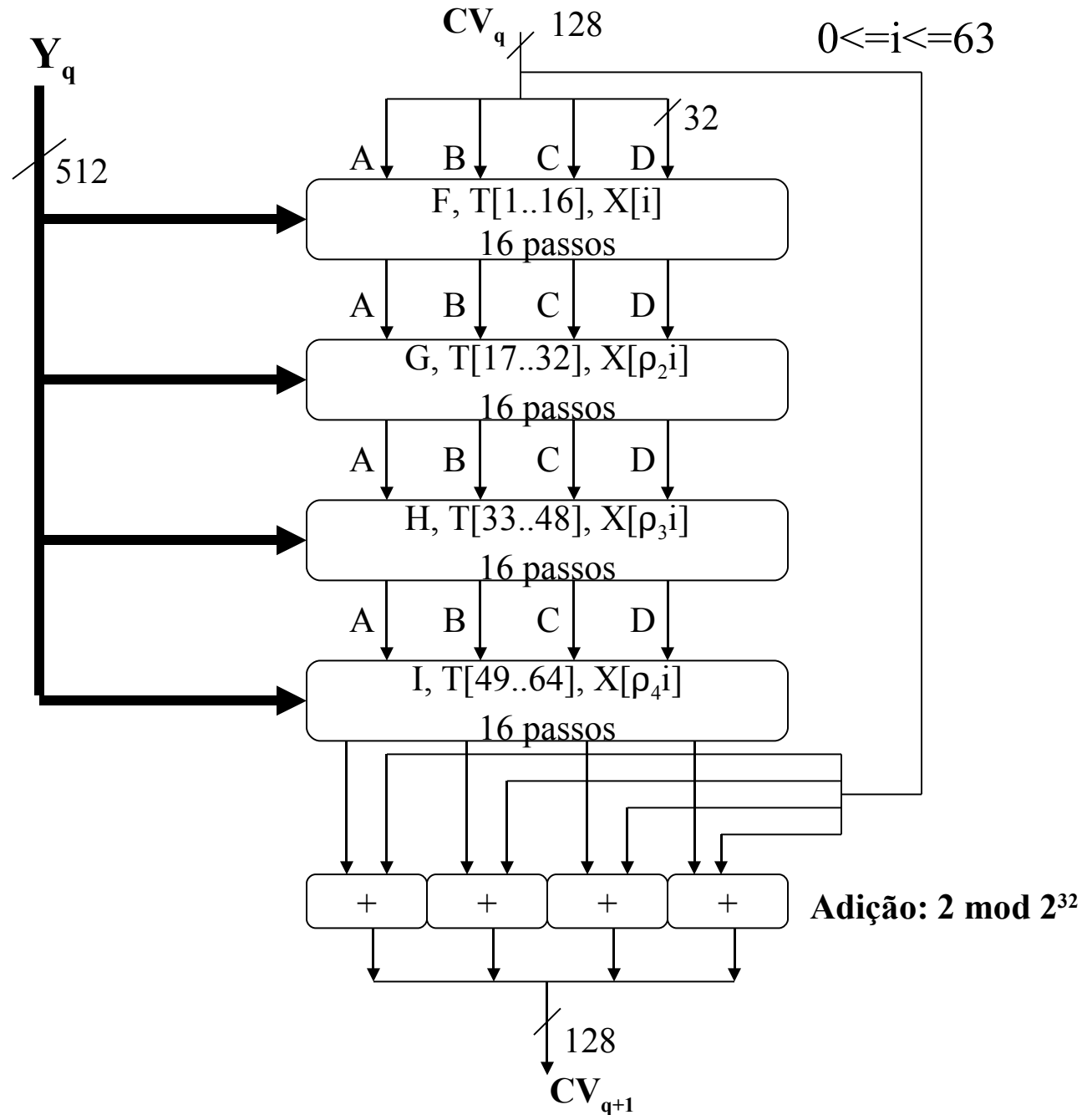
$\mathbf{H}_{\text{MD5}}$

$$1 \leq j \leq 64$$

$$T[j] = 2^{32} \times \text{abs}[\sin(j)]$$

Tabela Verdade das Funções Lógicas

<b>b</b>	<b>c</b>	<b>d</b>	<b>F</b>	<b>G</b>	<b>H</b>	<b>I</b>
0	0	0	0	0	0	1
0	0	1	1	0	1	0
0	1	0	0	1	1	0
0	1	1	1	0	0	1
1	0	0	0	0	1	1
1	0	1	0	1	0	1
1	1	0	1	1	0	1
1	1	1	1	1	1	0



# Função de Compressão

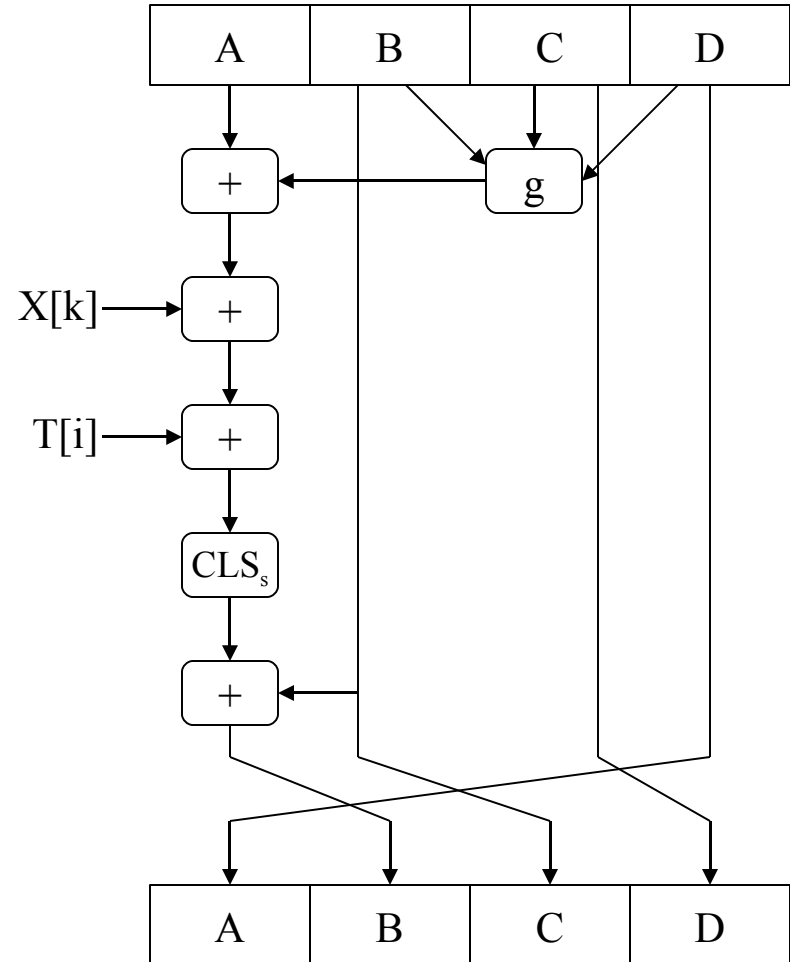
Fase	g	G(b,c,d)
1	F(b,c,d)	$(b \wedge c) \vee (\bar{b} \wedge d)$
2	G(b,c,d)	$(b \wedge d) \vee (c \wedge \bar{d})$
3	H(b,c,d)	$b \oplus c \oplus d$
4	I(b,c,d)	$c \oplus (b \vee \bar{d})$

Onde:

AND -  $\wedge$   
 OR -  $\vee$   
 NOT -  $\bar{\phantom{x}}$   
 XOR -  $\oplus$

$$\begin{aligned}\rho_2(i) &= (1+5i) \bmod 16 \\ \rho_3(i) &= (5+3i) \bmod 16 \\ \rho_4(i) &= 7i \bmod 16\end{aligned}$$

S - RFC 1321



# MD4

Ron Rivest, 1990  
RFC 1320, 1992

- 3 rodadas
- Constantes aditivas iguais (0,  $t_1$ ,  $t_2$ )
- 3 funções lógicas primitivas

# Criptanálise do MD5

- Criptanálise Diferencial de uma rodada, por Berson em 1992
- Ataque de Dobbertin em 1996. Conseguiu uma entrada diferente para a mesma saída de 128 bits (Um único bloco)



# Algoritmo de Hash Seguro - SHA

Bloco de 160 bits

NIST

SHA = FIPS PUB 180, 1993

SHA-1 = FIPS PUB 180-1, 1995

1 - Adicionar bits (total  $\equiv 448 \pmod{512}$ )

2 - Adicionar o Comprimento

3 - Inicializar Buffer MD

A = 67452301

B = EFCDAB89

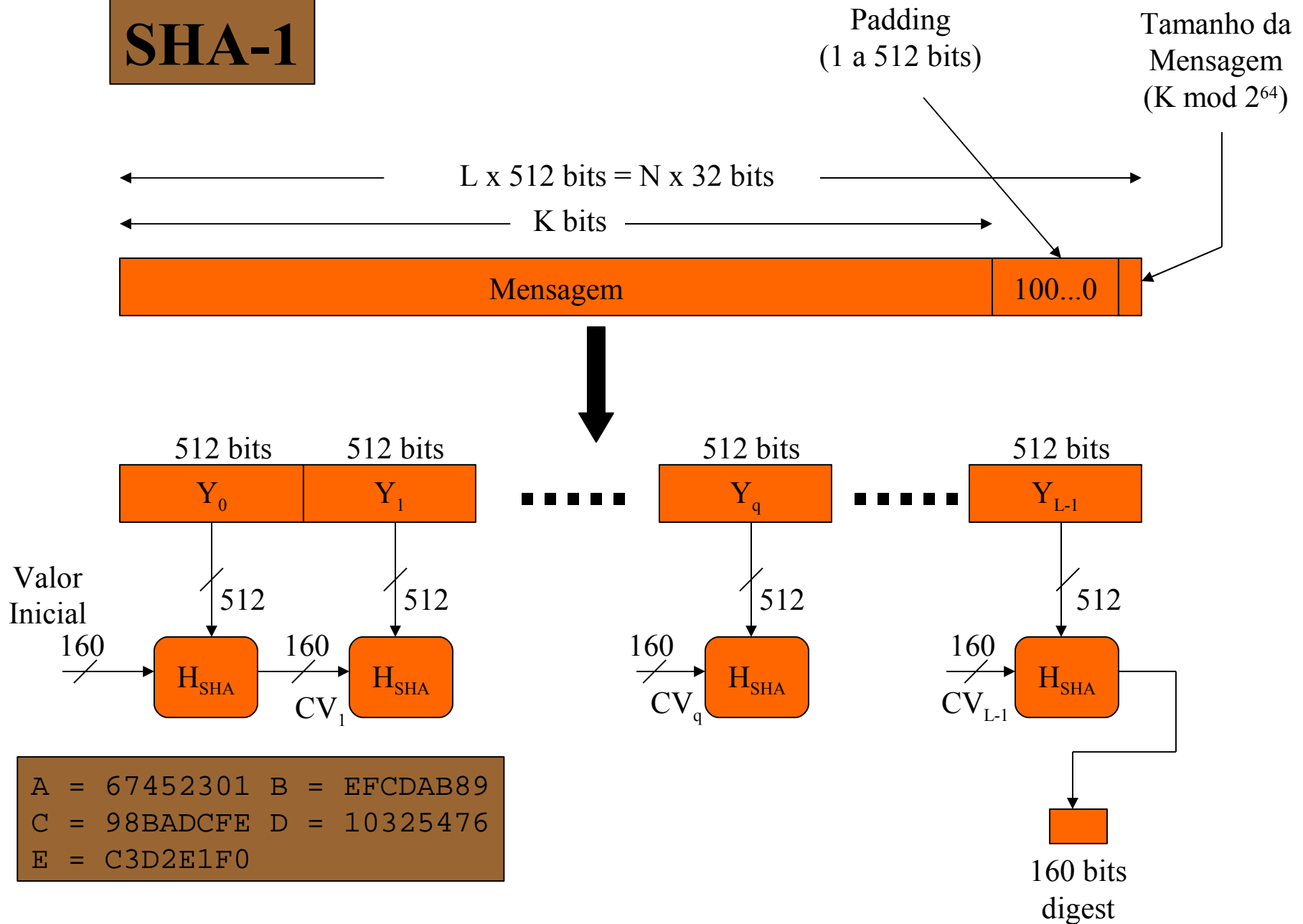
C = 98BADCFE

D = 10325476

E = C3D2E1F0

4 - Processar Mensagens em Blocos de 512 bits

# SHA-1



# SHA-1

$K_1 = 5A827999$

$K_2 = 6ED9EBA1$

$K_3 = 8F1BBCDC$

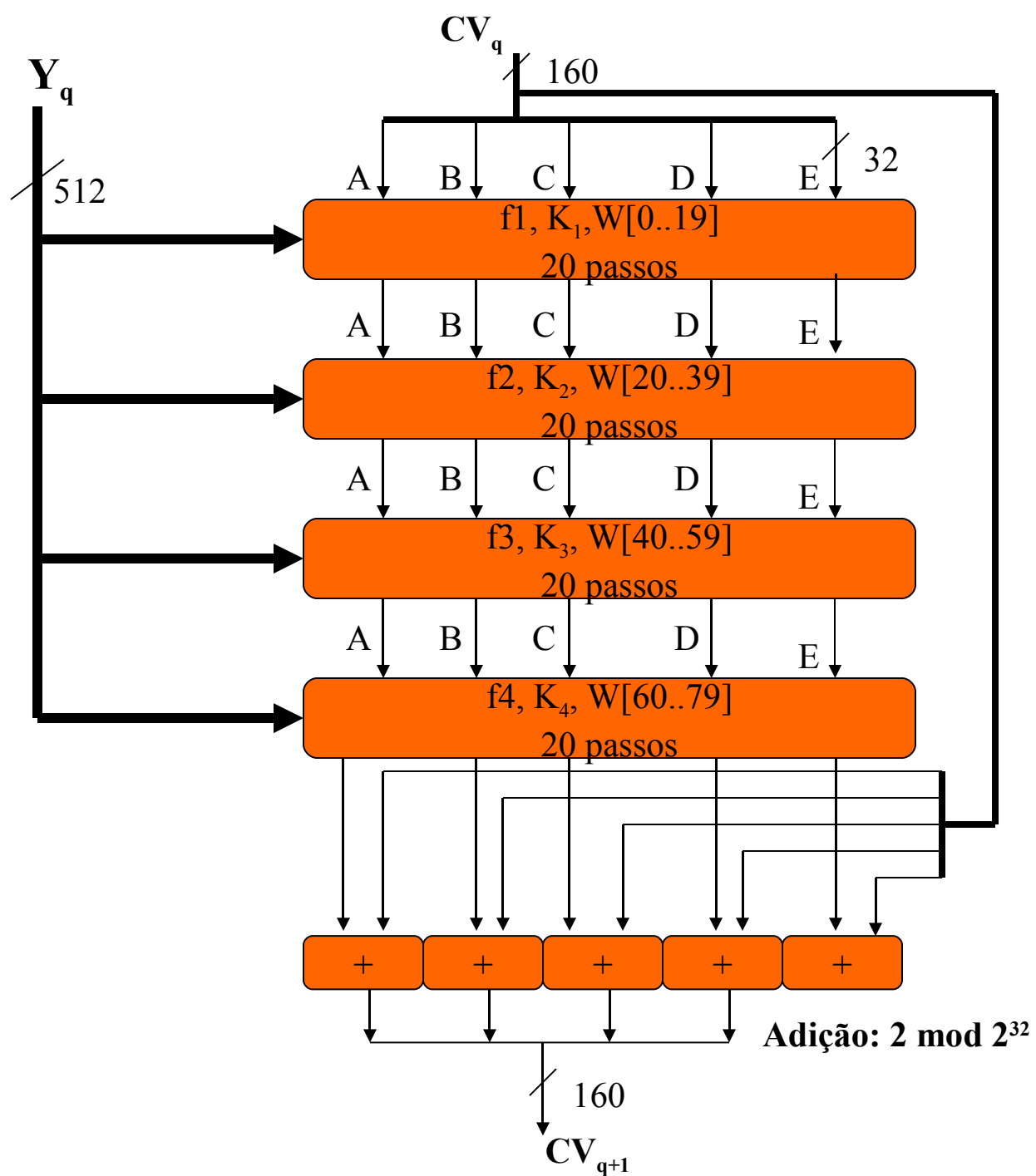
$K_4 = CA62C1D6$

$$K_1 = 2^{30}x\sqrt{2}$$

$$K_2 = 2^{30}x\sqrt{3}$$

$$K_3 = 2^{30}x\sqrt{5}$$

$$K_4 = 2^{30}x\sqrt{10}$$

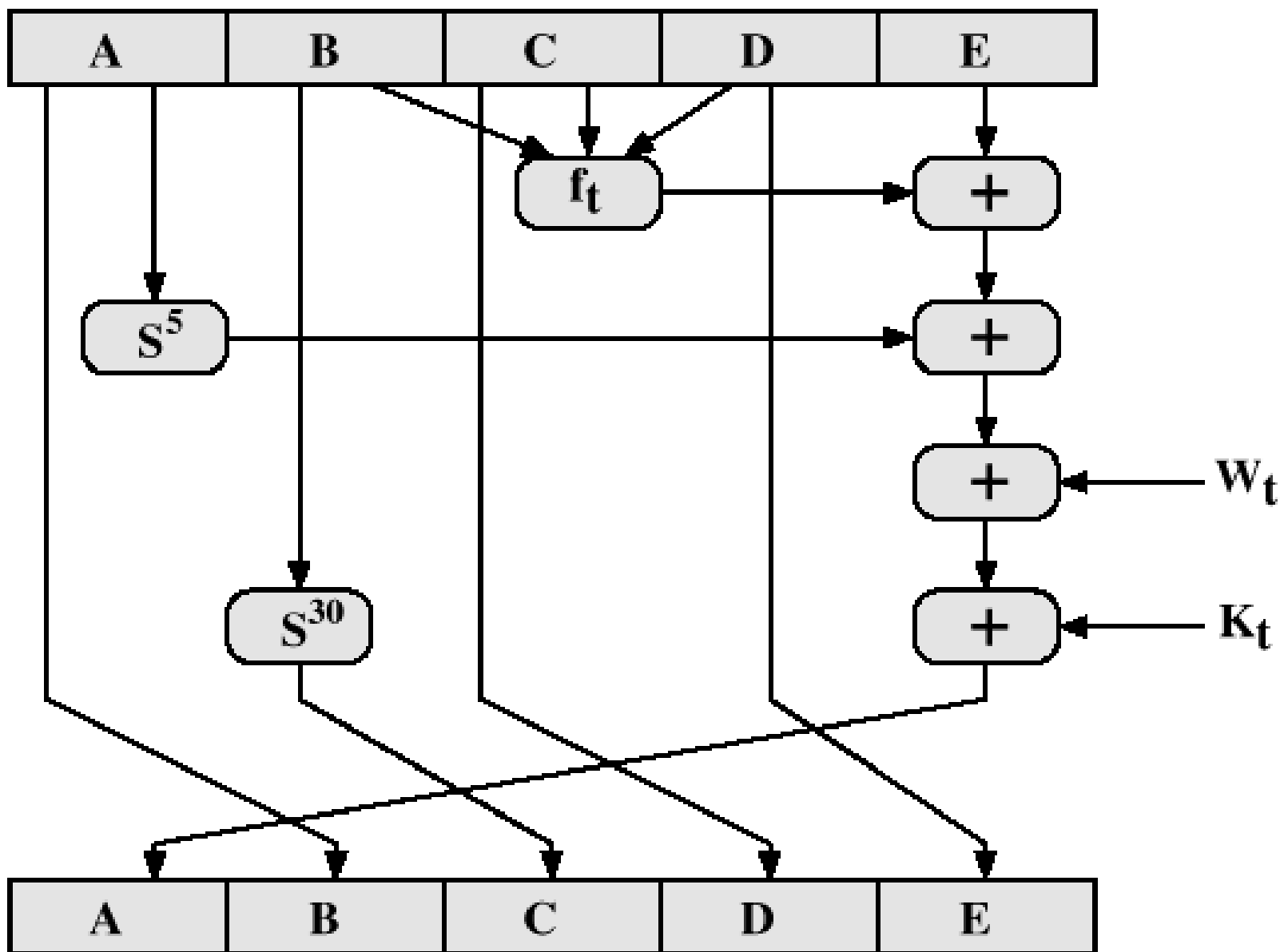


# SHA-1

Tabela Verdade das  
Funções Lógicas

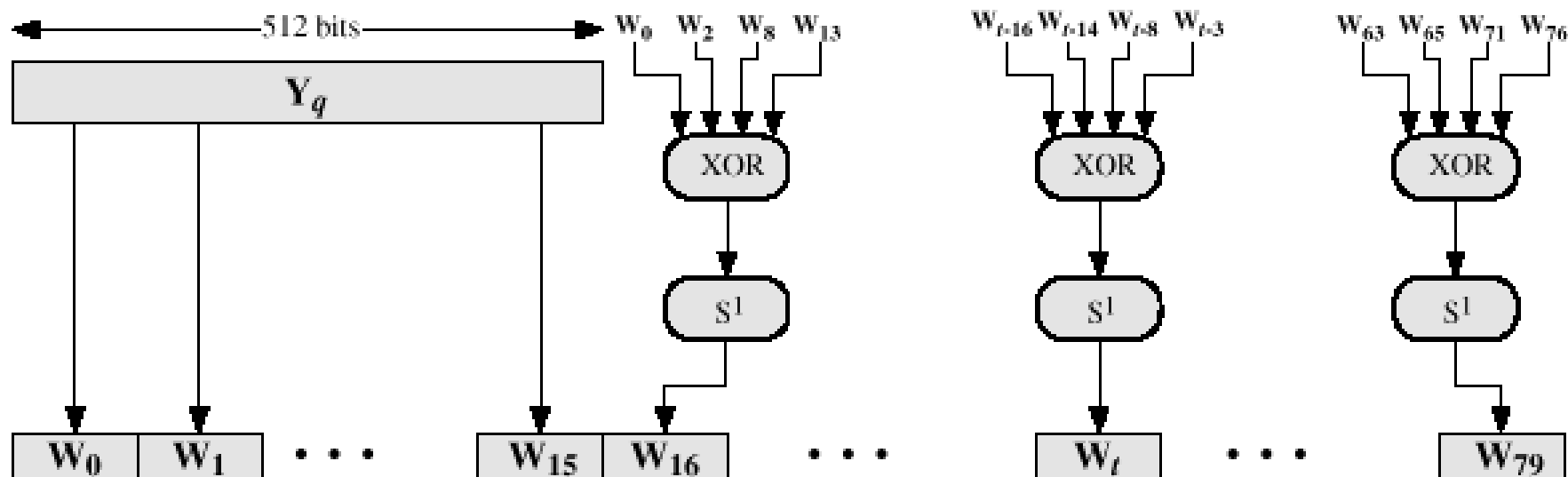
<b>b</b>	<b>c</b>	<b>d</b>	<b>f</b> <sub>0...19</sub>	<b>f</b> <sub>20...39</sub>	<b>f</b> <sub>40...59</sub>	<b>f</b> <sub>60...79</sub>
0	0	0	0	0	0	0
0	0	1	1	1	0	1
0	1	0	0	1	0	1
0	1	1	1	0	1	0
1	0	0	0	1	0	1
1	0	1	0	0	1	0
1	1	0	1	0	1	0
1	1	1	1	1	1	1

1 Passo



# Criação das 80 palavras W

$$W_t = S^1(W_{t-16} \oplus W_{t-14} \oplus W_{t-8} \oplus W_{t-3})$$



# RIPEMD - 160

Projeto RIPE, 1996

Bloco de 160 bits

1 - Adicionar bits (total  $\equiv 448 \pmod{512}$ )

2 - Adicionar o Comprimento

3 - Inicializar Buffer MD

A = 67452301

B = EFCDA89

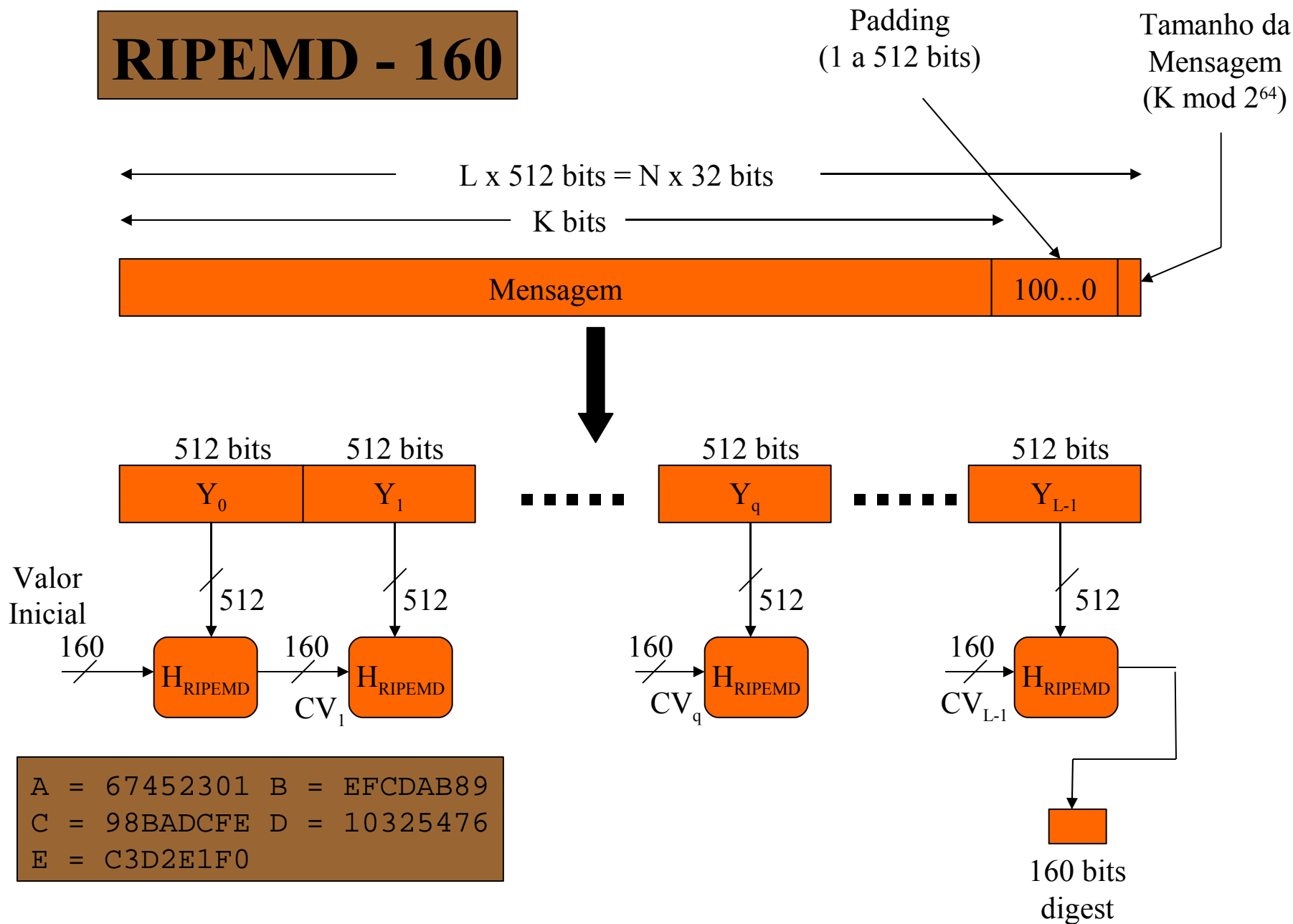
C = 98BADCFE

D = 10325476

E = C3D2E1F0

4 - Processar Mensagens em Blocos de 512 bits

# RIPEMD - 160





# RIPEMD - 160

$$K_1 = 0$$

$$K_2 = 2^{30}x\sqrt{2}$$

$$K_3 = 2^{30}x\sqrt{3}$$

$$K_4 = 2^{30}x\sqrt{5}$$

$$K_5 = 2^{30}x\sqrt{7}$$

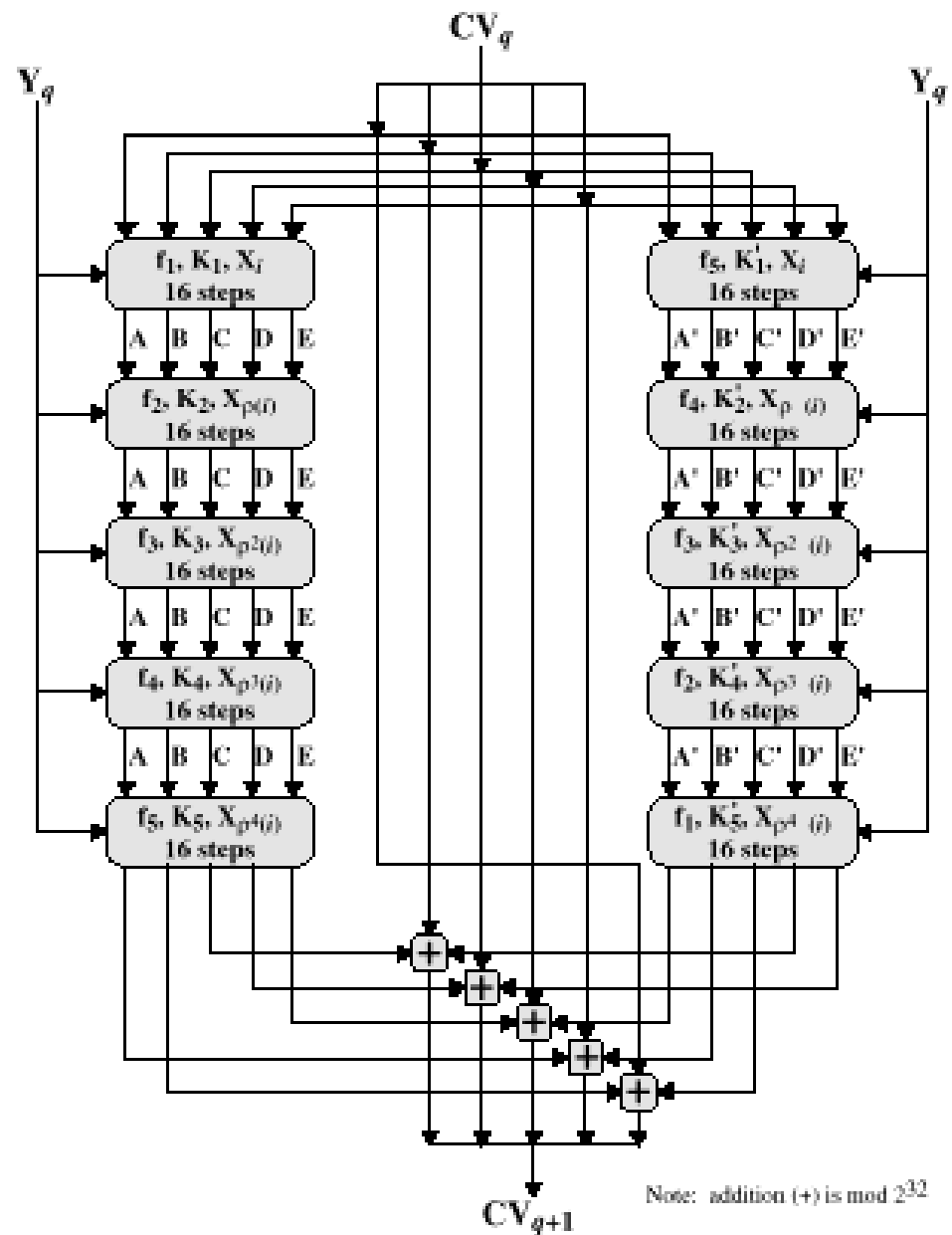
$$K'_1 = 2^{30}x^3\sqrt{2}$$

$$K'_2 = 2^{30}x^3\sqrt{3}$$

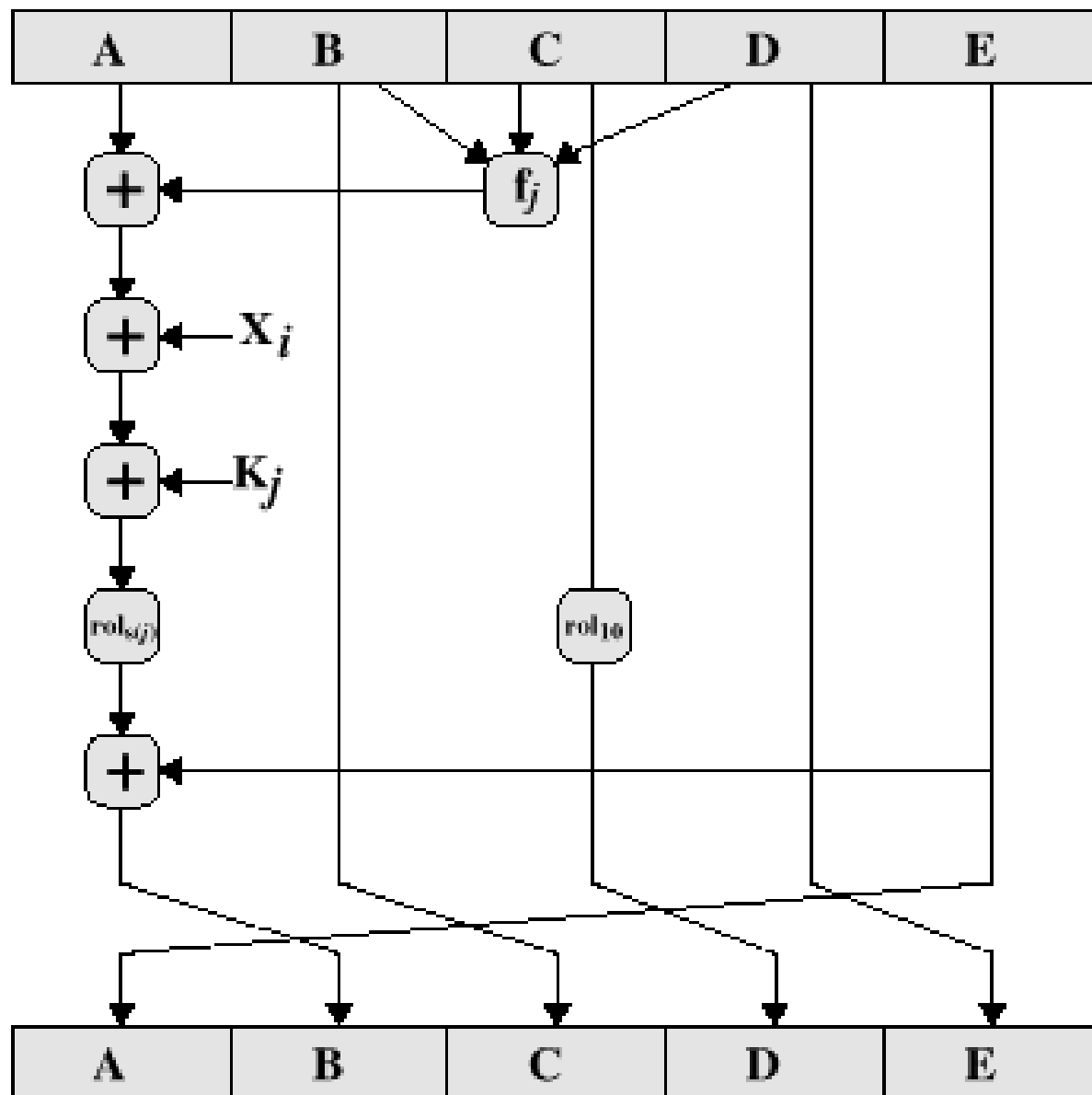
$$K'_3 = 2^{30}x^3\sqrt{5}$$

$$K'_4 = 2^{30}x^3\sqrt{7}$$

$$K'_5 = 0$$



Um Passo



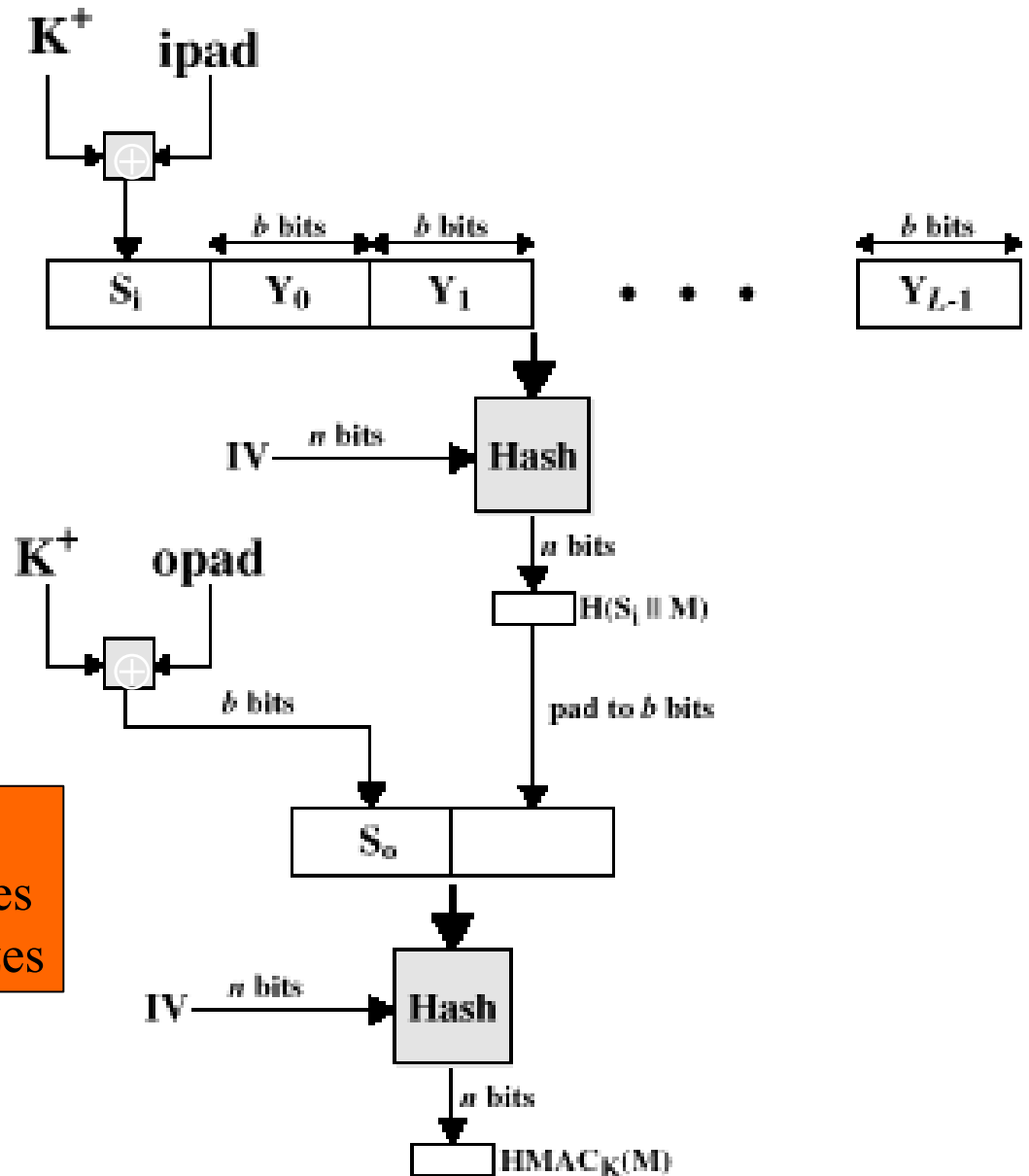
# HMAC

**FIPS PUB 113**

**RFC 2104**

- MAC para IPsec
- SSL

$K^+$  = K adicionado de zeros  
 ipad = 00110110 repetido  $b/8$  vezes  
 opad = 01011100 repetido  $b/8$  vezes



# Implementação Eficiente

Precomputed

Computed per message

