## EXAM 1

Math 161a: Appl. Prob. & Stats. Instructor: Guangliang Chen San Jose State University Spring 2018

You have 75 minutes.

No books, but you are allowed to use a flash-card (provided by the instructor) as cheat sheet.

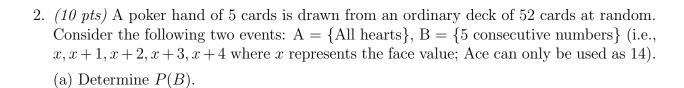
Please write legibly (unrecognizable work will receive zero credit).

You must show all necessary steps to receive full credit.

Good luck!

Name:	
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3	"I have adhered to the SJSU Academic Integrity Policy in completing this exam.
4	Signature:
5	Date:
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Total score:	(/50 points)

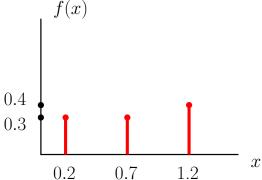
<ul><li>1. (9 pts) A small class has 4 boys and 5 girls.</li><li>(a) In how many different ways can you arrange them along a line? We of each sex must stand together?</li></ul>	hat if the students
(b) In how many different ways can you select 2 boys and 2 girls to for 4 to work on some project?	orm a team of size



(b) Find  $P(B \mid A)$ . Are the events A and B independent?

3.	(10 pts) Suppose that 55% of the defendants are truly guilty. Suppose also that juries vote a guilty person innocent with probability 0.2 whereas the probability that a jury votes an innocent person guilty is 0.1.
	(a) Find the probability that a defendant is convicted.
	(b) What percentage of convicted defendants are actually innocent?

4. (11 pts) The distribution of a random variable X is displayed in the following plot:



- (a) What is the range of X?
- (b) Find the following probabilities:

$$P(X = 0.3) = P(X \le 0.3) =$$
  
 $P(X = 0.7) = P(X \le 0.7) =$ 

- (c) Plot the cumulative distribution function (cdf) of X as a graph, to the right of the given graph. Make sure you mark everything clearly.
- (d) What are the expected value and standard deviation of X?

(e) What is Exp(2X - 3)?



6. (5 pts) Extra credit question. Your score earned for this question will be posted separately on Canvas under extra credit assignments.

Consider the experiment of independently tossing two different dice with probabilities of getting heads equal to 0.5 and 0.6 respectively, and let X denote their sum. Find the expected value and variance of X.