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## I. INTRODUCTION

### A. Objective

Create a set of data that approximates the times of photon emissions caused by a given gamma  $\frac{\text{photons}}{\text{time}}$  value over a given  $\Delta t$ . Also allow for data sets where the gamma changes with time.

## II. CURRENT SOLUTION

### A. Implementing a Changing Gamma

For a gamma that changes over time the main concept of the data generation is the same but broken into smaller sections. To find the ideal number of photons in a given  $\Delta t$  the program simply multiplied the gamma by the  $\Delta t$  which is the same as the integral of that linear function over  $\Delta t$ . Similarly, for any function of gamma over time the ideal photon count over that total time will be the integral of that function over the given  $\Delta t$ . A good approximation of the integral of a function is the Riemann sum of the function which breaks the integral into a number of small rectangles (this approximation is exact for a linear function).

With this in mind the problem of a changing gamma can easily be solved by breaking the  $\Delta t$  into many smaller time steps (currently the program uses time steps of 1 second). Over each smaller time step we find an experimental number of photons with the `random.poisson()` function and generate that number of photon times like before.

A significant advantage to this method is the ability to quickly adapt the program to non-linear functions. The only line of code that would need to be changed for a different function would be

```
idealPNum = int(gamma + (i+.5)*dGamma)
```

Instead, any function could be plugged into the integer typecast, with the correct command line arguments, and the program would correctly generate photon times.

### III. GRAPHICAL OUTPUT

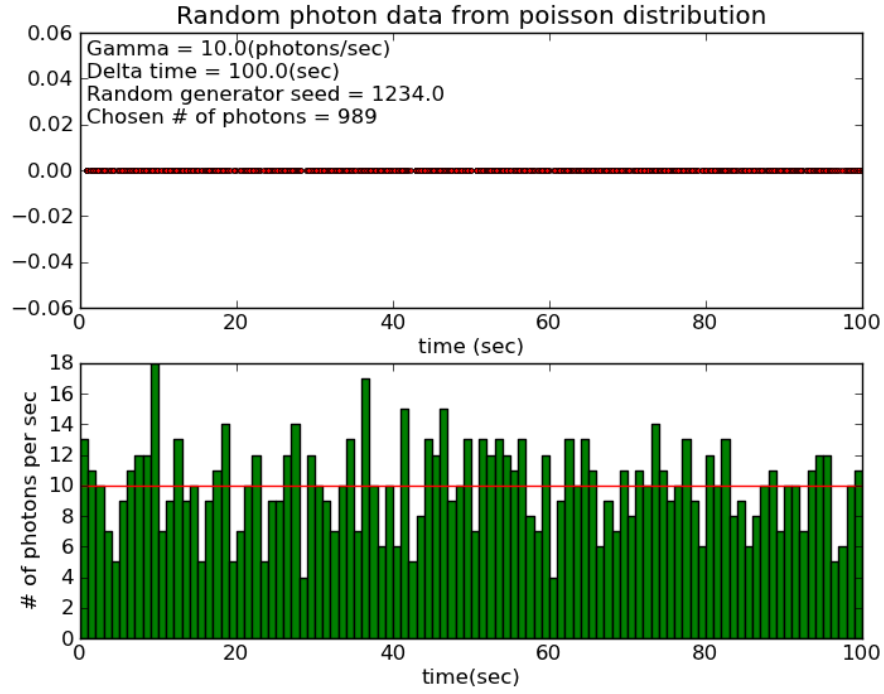


FIG. 1: Data output with a slope of 0

### IV. CODE

```
for i in range(0, int(dt)):
    idealPNum = int(gamma + (i+.5)*dGamma)
    expPNum = np.random.poisson(idealPNum, 1)
    for j in range(0, expPNum):
        random.seed(seed*j*i)
        tData = np.append(tData, random.random() + i)
```

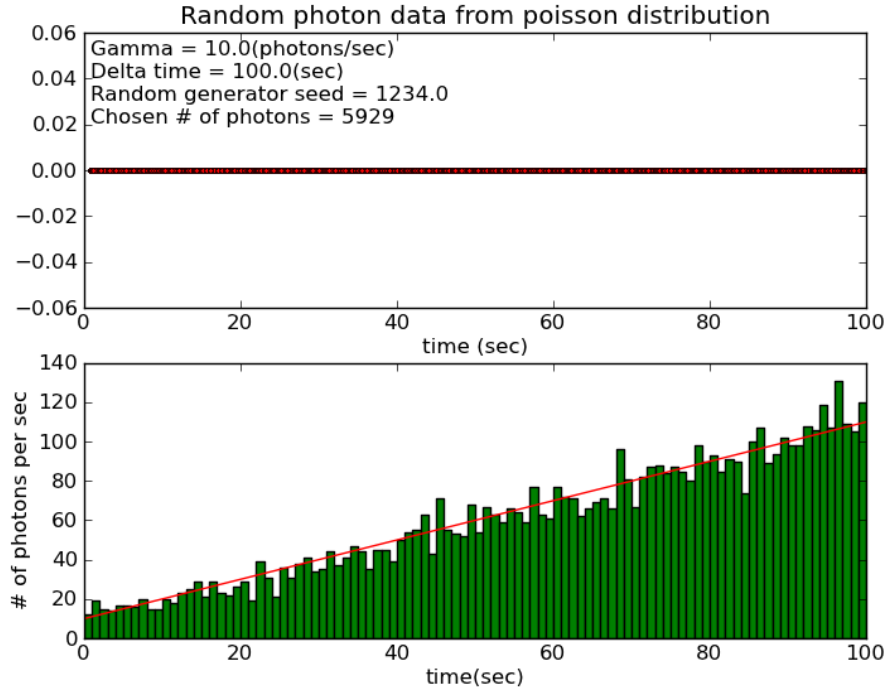


FIG. 2: Data output with a slope of 1

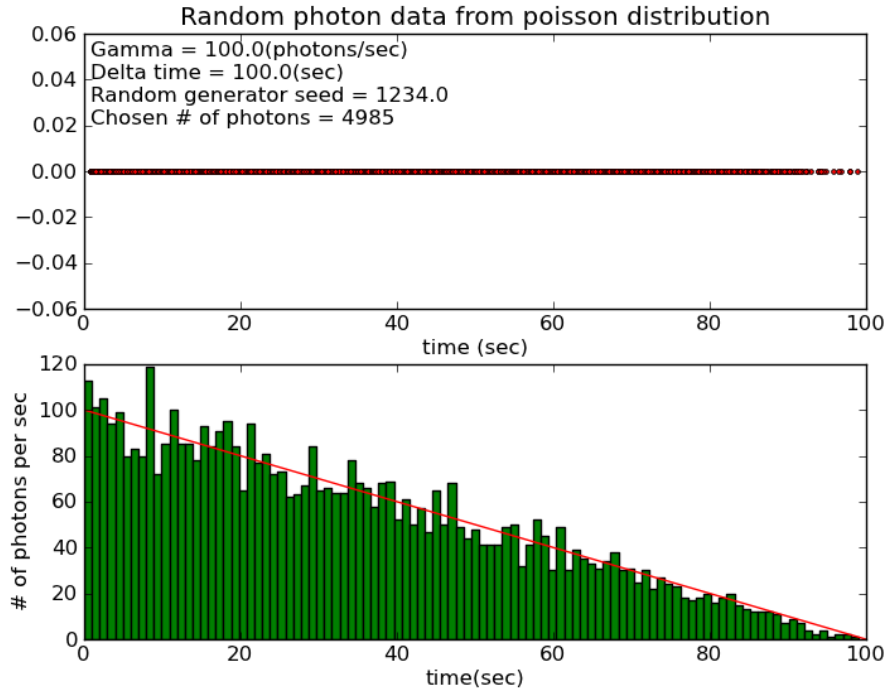


FIG. 3: Data output with a slope of -1