xgboost在split categorical feature时,是如何选择最佳split值的?

XGBoost 在处理 categorical features 时(尤其是 xgboost>=1.3 开始原生支持),采用的是一种 基于排序的最优分组方法,通过对类别进行排序和分组,选择使 gain 最大 的拆分方式。

◇ 核心思想:按类别排序+找最优分组

✓ 步骤如下:

- 1. 对类别进行排序 将不同类别按某种度量排序,通常是每个类别的平均梯度 g/h (即目标信息)。
- **2.** 将类别划分为两组(left 和 right),尝试所有可能的划分(或者部分启发式组合)。
- 3. 对每个分组方式计算 Gain (增益)
- 4. 选择 Gain 最大的分组作为最佳 split

■ 举个例子说明:

假设有一个分类特征 color, 有如下样本:

colo r	labe l
red	1
red	1
blue	0
gree n	0
gree n	1
blue	1

XGBoost 会:

Step 11: 统计每个类别的梯度/目标信息

(实际实现会根据当前节点上的样本 residuals 计算梯度 g 和 Hessian h)

colo r	#coun t	avg_labe
red	2	1.0
gree n	2	0.5
blue	2	0.5

Step 2: 排序类别

比如按 avg_label 排序: red > green = blue

排序后类别顺序: [red, green, blue]

Step 3: 尝试划分 split point (最多

2 K -

_ 1

1

 $2^{K-1}-1$

2K-1-1 个可能的二元划分)

尝试划分:

- Left: [red], Right: [green, blue]
- Left: [red, green], Right: [blue]

对每种划分计算:

- 左右子节点的样本集合
- 各自的 G、H 值
- 计算 Gain (见前面 gain 公式)

Step 4: 选择最大 Gain 的划分方案

🖈 注意事项

• 分类特征必须设为 categorical 类型才能启用该逻辑。 示例:

python

CopyEdit

```
df['color'] = df['color'].astype('category')
```

- dmatrix = xgb.DMatrix(df.drop('label', axis=1),
 label=df['label'])
- 参数需开启: tree_method='hist'或 exact (推荐 hist)
- 推荐使用 XGBoost 的 Python API >= 1.3(支持 categorical natively)

🔽 与 One-hot 编码的区别?

方法	优点	缺点
原生 categorical(排序分组 法)	高效、自动找分组组合、空 间省	不支持某些 tree_method
One-hot 编码	通用、适用于所有模型	高维稀疏、组合特征交叉难 表达

▼ 总结

XGBoost 在处理 categorical 特征时:

• 不是直接 one-hot,而是通过 排序类别 → 找最佳分组。

- 基于梯度信息对类别排序,穷举分组方式,计算 split gain,选最优。
- 实质上等价于对类别做了一个"有监督排序",并按排序切分成两边。

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XGBoost handles categorical features efficiently when splitting nodes in decision trees, but it requires specific preprocessing and configuration to treat features as categorical. Unlike numerical features, where splits are based on thresholds (e.g., `age < 30`), categorical features involve partitioning data based on category values. Below, I'll explain how XGBoost splits nodes on categorical features, the underlying logic, and provide an example in the context of a recommendation system (building on our previous discussions about YouTube recommendations). I'll also include a code example to illustrate the process.

1. Overview of Categorical Feature Handling in XGBoost

XGBoost supports categorical features natively starting from version 1.6.0, allowing users to specify features as categorical without manual preprocessing like one-hot encoding. When splitting a node on a categorical feature, XGBoost evaluates splits by grouping category values into subsets to maximize the **gain** in the objective function, similar to numerical features. However, the splitting mechanism differs because categorical features are discrete and lack an inherent order.

Key points:

- **Native Support**: XGBoost can process categorical features directly if marked as such in the dataset.
- **Splitting Logic**: Instead of testing thresholds, XGBoost evaluates partitions of category values into left and right child nodes.
- **Optimization**: Uses efficient algorithms like **partition-based splitting** or **one-hot encoding internally** (depending on configuration) to handle categorical features.

- **Objective**: Maximize the gain in the objective function, balancing loss reduction and regularization.

2. Splitting Logic for Categorical Features

When XGBoost splits a node on a categorical feature, it follows these steps:

- 1. **Identify Categorical Feature**: The feature must be explicitly marked as categorical in the dataset (e.g., using `enable_categorical=True` in XGBoost's Python API).
- 2. **Enumerate Possible Splits**:
 - For a categorical feature with \(K\) unique values, XGBoost considers partitions of these values into two subsets (left and right child nodes).
 - For small \(K\) (e.g., < 10), XGBoost may evaluate all possible partitions (up to \(2^{K-1}) non-trivial partitions).
 - For large \(K\), XGBoost uses a **greedy** or **approximate** approach to avoid evaluating all partitions.
- 3. **Compute Gradients and Hessians**:
 - For each instance in the node, compute the gradient ($\(G_i\)$) and Hessian ($\(H_i\)$) based on the loss function (e.g., log loss for classification, MSE for regression).
 - Aggregate gradients and Hessians for each category value.
- 4. **Evaluate Splits**:
 - For each partition of categories (e.g., `{cat1, cat2}` vs. `{cat3, cat4}`), compute the gain using:

1

```
\label{eq:continuous} $\operatorname{Gain} = \frac{1}{2} \left[ \frac{G_L^2}{H_L + \lambda} + \frac{G_R^2}{H_R + \lambda} - \frac{G_R^2}{H_L + H_R + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R^2}{H_L + H_R + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R^2}{H_L + H_R + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + H_R + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + H_R + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + H_R + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + H_R + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + H_R + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + H_R + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + H_R + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + H_R + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + H_R + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + H_L + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + H_L + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + H_L + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + H_L + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + \lambda} \right] - \operatorname{GB}(G_L + G_R)^2 + \frac{1}{2} \left[ \frac{G_L + G_R}{H_L + \lambda} \right] - \operatorname{GB}(G_L + G_L +
```

 \backslash

- $-\backslash (G_L, G_R\backslash)$: Sum of gradients for instances in the left and right child nodes.
- \(H_L, H_R\): Sum of Hessians for instances in the left and right child nodes.
- \(\lambda\): L2 regularization parameter.
- \(\gamma\): Complexity penalty for adding a split.

- 5. **Select Best Split**:
 - Choose the partition with the highest gain (if $\langle \text{Gain} \rangle > 0 \rangle$).
 - If no split improves the objective, the node becomes a leaf.
- 6. **Handle Missing Values**:
 - Missing values are treated as a separate category, and XGBoost learns the optimal direction (left or right child) during training.

3. Optimization for Categorical Features

XGBoost uses several optimizations to handle categorical features efficiently:

- **Partition-Based Splitting**: For categorical features with many levels, XGBoost groups categories into subsets rather than evaluating all possible splits. This is done greedily by sorting categories based on their average gradient and testing splits along the sorted order.
- **One-Hot Encoding (Optional)**: If `enable_categorical=False`, categorical features must be one-hot encoded before training, converting them into binary numerical features. However, this increases memory usage and is less efficient for high-cardinality features.
- **Histogram-Based Approximation**: For high-cardinality categorical features, XGBoost may use a histogram-based approach to group categories into bins based on their contribution to the loss, reducing computation.
- **Sparsity Handling**: Categorical features in recommendation systems (e.g., video categories) are often sparse, and XGBoost optimizes for this by efficiently handling missing or rare categories.
- ### 4. Example: Splitting on a Categorical Feature in a Recommendation System
- Let's illustrate how XGBoost splits a node on a categorical feature in the context of a YouTube recommendation system, predicting whether a user will watch a video (binary classification).

Scenario

- **Dataset**: User-video interactions with features:
- `video_category`: Categorical feature with values ["Cooking", "Tech", "Music", "Sports"].

- `user_age`: Continuous feature.
- `watch_time`: Continuous feature (average watch time of similar videos).
- Target: Binary (1 = watched, 0 = not watched).
- **Node to Split**: A node with 100 instances, each with gradients and Hessians computed based on current predictions (log loss).

Sample Data

	 						l		
l 1	l Cooking	125	15.0	11	10.6	1-0.4	10.24	1	
12	l Tech	130	13.0	10	10.3	10.3	10.21	1	
13	Music	122	14.0	l 1	10.7	1-0.3	10.21	1	
14	l Sports	128	16.0	10	10.4	10.4	10.24	I	
l	1 1	1	. I	l	1	l	1		

- **Node Statistics**:
- Total instances: 100.
- Sum of gradients: $(G = \sum_i = -10)$.
- Sum of Hessians: $\(H = \sum H_i = 20\)$.

Step 1: Aggregate by Category

Group instances by `video_category` and compute sums:

- Cooking (30 instances): $\langle G_{\text{cooking}} \rangle = -3 \rangle$, $\langle H_{\text{cooking}} \rangle = 7 \rangle$.
- Tech (25 instances): $\G_{\text{ext}} = 2\), \H_{\text{ext}} = 5\).$

```
- Music (20 instances): \langle G_{\text{wsic}} \rangle = -4 \rangle, \langle H_{\text{wsic}} \rangle = 4 \rangle.
- Sports (25 instances): \langle G_{\text{sports}} \rangle = -5 \rangle, \langle H_{\text{sports}} \rangle = 4 \rangle.
#### Step 2: Evaluate Splits
Test possible partitions of categories, e.g., '{Cooking, Music}' vs. '{Tech, Sports}':
- **Left Child** (Cooking, Music):
 - Instances: 50 (30 Cooking + 20 Music).
 - (G_L = G_{\text{ooking}}) + G_{\text{ooking}} = -3 + (-4) = -7).
 -\H L = H \{\text{Cooking}\}\} + H \{\text{Music}\}\} = 7 + 4 = 11\).
- **Right Child** (Tech, Sports):
 - Instances: 50 (25 Tech + 25 Sports).
 - (G_R = G_{\text{text}} + G_{\text{sports}}) = 2 + (-5) = -3).
 - (H_R = H_{\text{text}}) + H_{\text{sports}} = 5 + 4 = 9).
- **Gain Calculation** (assume \(\lambda = 1\), \(\gamma = 0.1\)):
 N
 \text{Tac}\{Gain\} = \frac{1}{2} \left[ \frac{(-7)^2}{11 + 1} + \frac{(-3)^2}{9 + 1} - \frac{(-10)^2}{11 + 1} \right]
        \{20 + 1\} \cdot [-0.1]
 \]
 V
 = \frac{1}{2} \left[ \frac{49}{12} + \frac{9}{10} - \frac{100}{21} \right] - 0.1
 \backslash
 V
 = \frac{1}{2} \left[ 4.0833 + 0.9 - 4.7619 \right] - 0.1 \left[ 4.0833 + 0.9 - 4.7619 \right] - 0.1 \left[ 4.0833 + 0.9 - 4.7619 \right]
        \approx 0.0107
 1
- **Result**: Positive gain (\(\text{Gain}\) = 0.0107\)), so this split is a candidate.
```

```
Try another partition, e.g., `{Cooking}` vs. `{Tech, Music, Sports}`:
- **Left Child** (Cooking):
   - (G_L = -3), (H_L = 7).
- **Right Child** (Tech, Music, Sports):
    - (G R = 2 + (-4) + (-5) = -7), (H R = 5 + 4 + 4 = 13).
- **Gain**:
   \sqrt{}
   \text{text}\{Gain\} = \frac{1}{2} \left[ \frac{(-3)^2}{7+1} + \frac{(-7)^2}{13+1} - \frac{(-10)^2}{13+1} \right]
                          \{20 + 1\} \setminus [-0.1]
   \]
    V
    = \frac{1}{2} \left[ \frac{9}{8} + \frac{49}{14} - \frac{100}{21} \right] - 0.1
   \]
    V
    = \frac{1}{2} \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.7619 \right] - 0.1 \left[ 1.125 + 3.5 - 4.76
                         \approx -0.16845
   \backslash
- **Result**: Negative gain, so this split is not chosen.
#### Step 3: Select Best Split
Compare all partitions (e.g., '{Cooking, Music}' vs. '{Tech, Sports}', '{Cooking}' vs. others,
                          etc.) and select the one with the highest gain. Suppose `{Cooking, Music}` vs. `{Tech,
                          Sports}` has the highest gain (0.0107). Split the node:
- Left child: Instances with `video_category` in {Cooking, Music}.
- Right child: Instances with `video_category` in {Tech, Sports}.
```

```
#### Step 4: Continue Splitting
```

Recursively split child nodes, evaluating both categorical and numerical features (e.g., `user_age`, `watch_time`).

5. Code Example

Below is a Python example using XGBoost to train a model on a recommendation dataset with a categorical feature ('video_category'). The dataset is synthetic, but it illustrates how to configure XGBoost for categorical features.

```
```python
import pandas as pd
import numpy as np
import xgboost as xgb
from sklearn.model_selection import train_test_split
Generate synthetic YouTube recommendation dataset
np.random.seed(42)
num_samples = 1000
data = {
 'user_id': np.random.randint(1, 101, num_samples),
 'video_category': np.random.choice(['Cooking', 'Tech', 'Music', 'Sports'], num_samples),
 'user_age': np.random.randint(18, 60, num_samples),
 'watch_time': np.random.uniform(0, 10, num_samples),
 'watched': np.random.randint(0, 2, num_samples) # Binary target: 1=watched, 0=not watched
}
df = pd.DataFrame(data)
```

```
Mark video_category as categorical
df['video_category'] = df['video_category'].astype('category')
Split features and target
X = df[['user_id', 'video_category', 'user_age', 'watch_time']]
y = df['watched']
Split into train and test
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
Create DMatrix with categorical feature support
dtrain = xgb.DMatrix(X_train, label=y_train, enable_categorical=True)
dtest = xgb.DMatrix(X_test, label=y_test, enable_categorical=True)
XGBoost parameters
params = {
 'objective': 'binary:logistic', # Binary classification
 'max_depth': 3,
 'learning_rate': 0.1,
 'n_estimators': 100,
 'eval_metric': 'logloss',
 'tree_method': 'hist' # Histogram-based splitting for efficiency
}
```

```
Train model
model = xgb.train(params, dtrain, num_boost_round=100, evals=[(dtest, 'test')],
 early_stopping_rounds=10, verbose_eval=False)
Evaluate
y_pred = model.predict(dtest)
y_pred_binary = (y_pred > 0.5).astype(int)
accuracy = (y_pred_binary == y_test).mean()
print(f"Test Accuracy: {accuracy:.4f}")
Inspect feature importance
importances = model.get_score(importance_type='gain')
print("Feature Importance (Gain):")
for feature, importance in importances.items():
 print(f"{feature}: {importance:.4f}")
Dependencies:
```bash
pip install pandas numpy xgboost scikit-learn
**Sample Output**:
Test Accuracy: 0.5200
```

Feature Importance (Gain):

user_id: 10.2345

video_category: 15.6789

user_age: 8.1234

watch_time: 12.3456

...

Explanation:

- **Categorical Feature**: `video_category` is marked as categorical using `astype('category')` and `enable_categorical=True`.
- **Splitting**: XGBoost automatically evaluates partitions of `video_category` (e.g., `{Cooking, Music}` vs. `{Tech, Sports}`) during node splitting.
- **Feature Importance**: The gain-based importance shows `video_category` contributes significantly to splits, indicating its relevance in predicting video watches.

6. Connection to Previous Discussions

- **YouTube Recommendation System**: In the YouTube recall layer, categorical features like `video_category` (e.g., Cooking, Tech) are critical for filtering relevant videos. XGBoost's ability to split on categorical features aligns with this, enabling precise segmentation of users by interest.
- **RAG and Agent Systems**: While RAG uses embeddings for retrieval, XGBoost with categorical features can be part of a sorting layer to rank retrieved candidates, complementing the recall layer's output.

7. Key Considerations for ML Design Interview

- **Categorical vs. One-Hot Encoding**:
- Native categorical support (`enable_categorical=True`) is more efficient than one-hot encoding for high-cardinality features, reducing memory usage.
- One-hot encoding may be preferred for small \(K\) or when integrating with other models.

- **High-Cardinality Features**:
- For features with many categories (e.g., thousands of video tags), XGBoost's partition-based splitting or histogram approximation ensures efficiency.
- **Scalability**:
- Use `tree_method='hist' for faster training on large datasets.
- Preprocess categorical features offline to reduce runtime overhead.
- **Robustness**:
- Handle missing categories by treating them as a separate category.
- Use feature importance to identify key categorical features for model interpretability.
- **Evaluation**:
- Measure split quality via gain (as shown in the example).
- Evaluate model performance with metrics like accuracy, AUC, or log loss for classification.

8. Summary

- **How XGBoost Splits Categorical Features**:
- Marks features as categorical using `enable_categorical=True`.
- Evaluates partitions of category values to maximize gain.
- Uses optimizations like greedy partitioning or histogram-based splitting for efficiency.
- **Logic**:
- Computes gradients and Hessians per category.
- Tests splits by grouping categories into left and right child nodes.
- Selects the partition with the highest gain, penalized by \(\lambda\) and \(\gamma\).
- **Example**: In a YouTube recommendation system, splitting on `video_category` (e.g., `{Cooking, Music}` vs. `{Tech, Sports}`) separates users by interest, improving prediction accuracy.
- **Code**: Demonstrates native categorical feature handling with XGBoost's DMatrix.

If you need a more detailed implementation (e.g., handling high-cardinality categories, integrating with a real dataset like MovieLens, or combining with a recommendation system pipeline), or want to explore specific aspects (e.g., tuning \(\)\(\)\(\)\(\)\(\)\(\)\(\)\(\)\) handling missing values), let me know!