

DOCUMENT RESUME

ED 059 595

EM 009 586

TITLE	Project Solo; Newsletter Number Twenty One.
INSTITUTION	Pittsburgh Univ., Pa. Project Solo.
SPONS AGENCY	National Science Foundation, Washington, D.C.
PUB DATE	25 Jan 72
NOTE	34p.
EDRS PRICE	MF-\$0.65 HC-\$3.29
DESCRIPTORS	Chemistry Instruction; *Computer Assisted Instruction; *Computer Programs; Dating (Social); Mathematics Materials; Student Developed Materials; Teacher Developed Materials
IDENTIFIERS	Project SOLO

ABSTRACT

Four new Project SOLO modules are presented here: Langragian Interpolation/Extrapolation, Optics, Chemistry (Laboratory Style), Chemistry (Boy/Girl Style). The latter program is a computer dating system which proved to be very popular with the high school students who developed it. (JY)

ED 059595

PROJECT SOLO

AN EXPERIMENT IN REGIONAL COMPUTING
FOR SECONDARY SCHOOL SYSTEMS

U.S. DEPARTMENT OF HEALTH,
EDUCATION & WELFARE
OFFICE OF EDUCATION

THIS DOCUMENT HAS BEEN REPRODUCED EXACTLY AS RECEIVED FROM THE PERSON OR ORGANIZATION ORIGINATING IT. POINTS OF VIEW OR OPINIONS STATED DO NOT NECESSARILY REPRESENT OFFICIAL OFFICE OF EDUCATION POSITION OR POLICY.



University of Pittsburgh • Department of Computer Science • Pittsburgh, Pennsylvania 15213

Newsletter No. 21

January 25, 1972

To Each His Own

Any doubts about the reality of "individual differences" in learning style vanish into thin air when teacher/student control of computing is given free play. Any doubt about the continued importance of adult guidance and professionally prepared learning materials for such a "free" atmosphere also goes up in smoke in face of the requirements of such a computer supported learning system. The supposed conflict between structure and freedom turns out to be non-existent. Freedom builds on structure, and structure makes freedom possible.

The four modules enclosed with this newsletter illustrate a range of approaches to computer-related instruction and learning which reflect some of the differences in style that are possible within an educational philosophy that integrates researcher-teacher-student ideas.

Lagrangian Interpolation/Extrapolation

This module was prepared by Frank Wimberly of the Project Solo staff. It illustrates the kind of contribution to computer learning that can best be made by authors with professional mathematical computing backgrounds. A follow up unit which applies the material in this module to plotter displays (such as the HP-7200) is also being prepared by Frank.

Optics

This CAI unit is the combined effort of Allderdice physics teacher John M. Shore and student-teacher Bernie Meisner. The ability of students to use the computer to calculate answers within the CAI dialogue provides valuable problem solving experience for students.

Chemistry (Laboratory Style)

The idea for the /SPEX/ programs enclosed originated with Mrs. Dolores Kubiak, chemistry teacher at Allderdice High. The programs were developed by student Joel Berez and are in use by fellow chemistry students. Mrs. Kubiak encourages students to use the output of these programs as part of their lab reports. As can be imagined, these students think automation is O. K.

Chemistry (Boy/Girl Style)

The computer dating system described on the following pages was designed and implemented by student Leon Sweer (12th grade). Unfortunately we have had to discourage use of the program. The lines of students who wanted to participate taxed the school's terminal capacity to the bursting point. There must be a lesson somewhere in this.

COMPUTER DATING

Certainly not a new idea in computing, but one that lends itself to many variations, is that of a computer dating service. Even though such services are generally not associated with time sharing systems, the ability to store large data files on the Com-Share system makes one possible. The following is a description of such a service which I designed using the NEWBASIC language.

How the Service Operates

The basic requirements of such a service are:

1. That a pool of information be set up for each person as a basis for comparing the "compatibility" of two people and that this information be stored on files for later use.
2. That the information of one individual can be retrieved and compared against the information of the other people on file (of the opposite sex, of course) in an attempt to come up with someone "compatible".
3. That some type of rating system be set up to determine the so-called "limits of compatibility".

In my service, these requirements are fulfilled by using two data files (one stores the boys' information and one the girls') and two NEWBASIC programs. The first program, named /DATE/, asks the user to supply certain pieces of information about himself or herself. The first ten items are merely to record name, address, and other such information. The rest of the program asks questions about personality, interests, and what type of a date he (or she) would prefer. This information is stored on the appropriate data file (/BOYS/ or /GIRLS/). These questions are not necessarily the best possible ones that could be asked, but they are enough to gain some insight into what type of person the user is and what type he (or she) would like.

The actual comparisons, however, take place when another program, named /COMPILER/, is run. For simplicity, the service is set up so that the user does not have access to this program. Rather, the person supervising the service runs all of the names through at one time during the week. This also helps minimize costs.

When the name and sex of someone on file is entered, the information under his name in the appropriate file is read into core as well as the entire contents of the opposite sex file. Comparisons are made one item at a time on a point basis. For example, if the person whose name was typed has indicated that he would like someone about the same age, and the age of the person from the other file is close to his, 20 points are added to the score of that person. Thus, at the end of all the comparisons, there will be as many scores (stored in array S) as there were people who were compared with the entered name. The highest possible score is 135 points. Anything above 110 is considered a very good match and anything above 80 is considered to be a fairly good match. The computer then reviews the scores and prints the names of the people whose scores fell within those high ranges. All data, of course, is then read back into the data files to be used again. The listings which follow contain notes on programs and their functions. Following the listings are sample runs of both /DATE/ and /COMPILER/.

/COMPILER/

```

80 DIM S$(30,30)
90 DIM I$(25,25)
95 DIM S(25)
100 PR. "          DATING COMPILER,          VERS. DEC. 1, 1971"
145 PR. PR. PR. PR. "LAST NAME-          ": ACCEPT N$
147 PR. "FIRST NAME-          ": ACCEPT F$
149 PR. "SEX-": ACCEPT S$
150 IF ICH(S$,"F",0) OR ICH(S$,"G",0) THEN 155
153 OPEN '159WR /BOYS/' FOR INPUT, 3
154 GOTO 156
155 OPEN '159WR /GIRLS/' FOR INPUT, 3
156 INPUT FROM 3, A
160 FOR I=1 TO A
162 INPUT FROM 3, S$(I,H) FOR H=1 TO 25
163 IF LEFT(N$,3)=LEFT(S$(I,1),3) THEN 164 ELSE 165
164 IF LEFT(F$,2)=LEFT(S$(I,2),2) THEN 167
165 NEXT I
166 PR. "NAME NOT FOUND (RUN 159WR /DATE/)" CLOSE 3 END
167 LET I$(1,01)=S$(I,01) FOR 01=1 TO 25
170 CLOSE 3
200 IF ICH(I$(1,7),"F",0) THEN 250
210 OPEN '159WR /GIRLS/' FOR INPUT, 3
220 INPUT FROM 3, A
225 FOR I=2 TO A+1
227 INPUT FROM 3, I$(I,C) FOR C=1 TO 25
228 NEXT I
229 GOTO 300
250 OPEN '159WR /BOYS/' FOR INPUT, 3
255 K=1
260 GOTO 220
300 CLOSE 3
301 FOR C=2 TO A+1
302 IF LEFT(I$(1,12),3)="OLD" AND LEFT(I$(C,12),3)="YOU" THEN 310
303 IF LEFT(I$(1,12),3)="YOU" AND LEFT(I$(C,12),3)="OLD" THEN 310
304 IF LEFT(I$(1,12),3)="SAM" AND LEFT(I$(C,12),3)="SAM" THEN 310
305 GOTO 400
310 IF ICH(I$(1,12),"OLD",0) LET G=1
320 IF ICH(I$(1,12),"YOUN",0) LET G=2
330 V=VAL(I$(1,17))-VAL(I$(C,17))
340 IF G=0 AND -.5<=V AND V<=.5 LET S(C)=S(C)+20 GOTO 400
345 IF G=0 AND -1<=V AND V<=1 LET S(C)=S(C)+10 GOTO 400
350 IF G=1 AND -4<=V AND V<=-1 LET S(C)=S(C)+20 GOTO 400
355 IF G=1 AND -1<=V AND V<=-.5 LET S(C)=S(C)+10 GOTO 400
360 IF G=2 AND 1<=V AND V<=4 LET S(C)=S(C)+20 GOTO 400
365 IF G=2 AND .5<=V AND V<=1 LET S(C)=S(C)+10 GOTO 400
400 IF LEFT(I$(1,11),3)="TAL" AND LEFT(I$(C,11),3)="SHD" THEN 405
401 IF LEFT(I$(1,11),3)="SHD" AND LEFT(I$(C,11),3)="TAL" THEN 405
402 IF LEFT(I$(1,11),3)="SAM" AND LEFT(I$(C,11),3)="SAM" THEN 405
403 GOTO 500

```

145-149

150-200

CHECK TO SEE IF NAME
ON FILE

200-300

READ ENTIRE CONTENTS
OF OTHER FILE

300-365

AGE - UP TO
20 POINTS

/COMPILER/ (cont.)

400-440

405 IF IC0(I\$(1,11),"TALL",0) LET B=1
 410 IF IC0(I\$(1,11),"SHORT",0) LET B=2
 420 V=VAL(I\$(1,18))-VAL(I\$(C,18))

HEIGHT - UP TO
 20 POINTS

430 IF B=1 AND V<=-2 LET S(C)=S(C)+20 GOTO 500
 435 IF B=2 AND V>=2 LET S(C)=S(C)+20 GOTO 500
 440 IF -2<=V AND V<=2 LET S(C)=S(C)+20
 500 IF ABS(VAL(I\$(1,10))-VAL(I\$(C,13))) <=1 THEN 505 ELSE 600
 505 IF ABS(VAL(I\$(1,13))-VAL(I\$(C,10))) <=1 THEN 510 ELSE 600
 510 IF VAL(I\$(1,10))=VAL(I\$(C,13)) LET S(C)=S(C)+5
 515 IF VAL(I\$(1,13))=VAL(I\$(C,10)) LET S(C)=S(C)+5
 520 S(C)=S(C)+10

500-520

PERSONALITY MATCH - UP
 TO 20 POINTS

600 IF I\$(1,15)=I\$(C,15) LET S(C)=S(C)+15
 700 FOR I=21 TO 25

600

KISS ON FIRST
 DATE? UP TO
 15 POINTS

701 FOR Q=21 TO 25
 710 IF VAL(I\$(1,Q))=VAL(I\$(C,I)) LET L=L+1
 715 NEXT Q
 720 NEXT I

700-780

INTEREST MATCH - UP
 TO 30 POINTS

730 IF IC0(I\$(1,14),"SIM",0) LET P1=L*3 GOTO 750
 740 P1=(5-L)*3
 750 IF IC0(I\$(C,14),"SIM",0) LET P2=L*3 GOTO 770
 760 P2=(5-L)*3
 770 IF LEFT(I\$(1,14),3)=LEFT(I\$(C,14),3) LET S(C)=S(C)+P1+P2 GOTO 800
 780 S(C)=S(C)+ABS(P1-P2)
 800 IF LEFT(I\$(1,16),3)=LEFT(I\$(C,16),3) LET S(C)=S(C)+10
 900 IF I\$(1,20)=I\$(C,8) LET S(C)=S(C)+10
 910 IF I\$(1,8)=I\$(C,20) LET S(C)=S(C)+10
 911 PR.

900-910

HAIR COLOR MATCH -
 UP TO 20 POINTS

913 P1-P2-L-V-B-G=0
 914 NEXT C
 915 PR. PR. PR. PR.
 916 PR. "NUMBER OF PEOPLE COMPARED=":C-1
 917 PR. PR. "THE COMPUTER FEELS THAT THE FOLLOWING PEOPLE WOULD MAKE
 A BIG HIT WITH YOU:"

921-926

PRINT OUT CHOSEN
 PEOPLE (IF ANY)

918 FOR B=2 TO C
 919 IF S(B)>=110 LET Z=Z+1 GOSUB 3000
 920 NEXT B
 921 IF Z=0 PR. "NOBODY"
 922 PR. PR. "THE COMPUTER FEELS THAT THE FOLLOWING PEOPLE WOULD MAKE
 A FAIRLY BIG HIT WITH YOU:"
 923 FOR B=2 TO C
 924 IF 80<=S(B) AND S(B)<110 LET Q=Q+1 GOSUB 3000
 925 NEXT B
 926 IF Q=0 PR. "NOBODY"
 927 PR. PR. PR.

2105 PR. PR. PR. "DON'T BE TOO SHOOK IF YOU DIDN'T GET MATCHED UP WITH"
 2107 PR. "SOMEONE. ANOTHER RUN WILL BE MADE THE END OF THE WEEK"
 2108 PR. "AND MAYBE YOU WILL HAVE BETTER LUCK. MEANWHILE,"
 2109 PR. "YOU ARE ALREADY ON FILE. GOOD LUCK!"
 2110 PR. PR. PR. VAR=ZERO END

/COMPILER/ (cont.)

```

3000 PR. PR. PR. "NAME:           ":IS(B,2):" ":IS(B,3):" ":IS(B,1)
3010 PR. "ADDRESS:           ":IS(B,4)           3000-3040
3020 PR. "                   ":IS(B,5)
3030 PR. "PHONE NUMBER:      ":IS(B,6)           ROUTINE TO PRINT
3040 RETURN                                           CHOSEN NAMES

```

/DATE/

```

90 STRING A(1) FOR I=1 TO 20
94 DIM B(40)
95 PR. PR. "      DATING SERVICE INSTRUCTIONS."
96 PR. PR. "      1. ANSWER THE QUESTIONS IN THIS PROGRAM AS TRUTHFULLY
AS YOU CAN. THE INFORMATION YOU SUPPLY WILL BE STORED IN A CON-"
97 PR. "FIDENTIAL FILE."
98 PR. "      2. WHEN YOU HAVE RECEIVED THE MESSAGE 'NAME ON FILE',
YOU CAN BE SURE THAT YOUR NAME AND INFORMATION HAVE BEEN SAVED.
THAT IS ALL YOU HAVE TO DO."
99 PR. "      3. COMPARISONS ARE RUN ONCE EACH WEEK ON FRIDAY
OR SATURDAY. TO FIND OUT IF YOU WERE MATCHED UP WITH ANYONE, SEE THE
NOTICE IN THE COMPUTER ROOM WHICH WILL BE POSTED EVERY MONDAY."
100 PR. "***NOTE*** IF YOU HAVE RUN THIS PROGRAM BEFORE,
YOUR NAME IS ALREADY ON FILE AND YOU SHOULD NOT BE RUNNING
IT AGAIN! IF THIS IS THE CASE, ESCAPE NOW!"
101 PR. PR. "      SUPPLY THE FOLLOWING INFORMATION:" STATEMENTS 101-690
110 PR. "LAST NAME-": ACCEPT A(1)
120 PR. "FIRST NAME-": ACCEPT A(2)
130 PR. "MIDDLE INITIAL-": ACCEPT A(3)
140 PR. "ADDRESS-": ACCEPT A(4)
150 PR. "CITY-": ACCEPT Y$
151 PR. "STATE-": ACCEPT N$
152 PR. "ZIP-": ACCEPT Z$
153 LET A(5)= Y$+" "+N$+" "+Z$
160 PR. "PHONE NUMBER-": ACCEPT A(6)
170 PR. "SEX-": ACCEPT A(7)
171 IF ICN(A(7),"M",0) OR ICN(A(7),"F",0) THEN 180
172 PR. "VERY FUNNY!" GOTO 170
180 PR. "AGE-": ACCEPT B(21)
190 PR. "HIEGHT(INCHES)-": ACCEPT B(22)
200 PR. "WEIGHT-": ACCEPT B(23)
210 PR. "COLOR OF HAIR (BLONDE, GRAY, BROWN, BLACK,RED)-": ACCEPT A(8)
220 PR. "COLOR OF EYES-": ACCEPT A(9)

```

INPUT ALL INFORMATION
AND ANSWERS TO QUES-
TIONS

230 PR. "RATE YOUR PERSONALITY ON A 1 THROUGH 5 BASIS. LET 1 BE VERY SHY
AND 5 BE QUITE OUTGOING. TYPE IN THE NUMBER WHICH YOU DECIDE ON."

231 PR. "-": ACCEPT A(10)

240 IF IC(A(7),"F",0) LET RS="BOY" GOTO 260

250 RS="GIRL"

260 PR. PR. "ANSWER THE FOLLOWING QUESTIONS:"

270 PR. PR.

289 PR. "WOULD YOU LIKE A TALLER OR SHORTER ":RS:", OR ONE ABOUT THE SAME
- F
HEIGHT?"

290 PR. "-": ACCEPT A(11)

300 PR. "WOULD YOU LIKE AN OLDER OR YOUNGER ":RS:", OR ONE ABOUT THE SAME
- F AGE?"

310 PR. "-": ACCEPT A(12)

320 PR. "RATE THE PERSONALITY OF THE ":RS:" YOU WOULD LIKE IN THE
SAME MANNER WHICH YOU DID WITH YOURSELF. TYPE IN THE NUMBER."

330 PR. "-": ACCEPT A(13)

340 PR. "WOULD YOU LIKE SOMEONE WITH INTERESTS SIMILAR OR DIFFERENT
TO YOUR OWN?"

350 PR. "-": ACCEPT A(14)

360 PR. "WHAT COLOR HAIR WOULD YOU LIKE ON YOUR ":RS:" (BLONDE, GRAY,
BROWN, BLACK, RED)?"

370 PR. "-": ACCEPT A(17)

380 PR. "WOULD YOU KISS A ":RS:" ON YOUR FIRST DATE?"

390 PR. "-": ACCEPT A(15)

400 PR. "DO YOU USUALLY GO TO BED BEFORE, AFTER, OR AT 11 P.M.?"

410 PR. "-": ACCEPT A(16)

500 PR. " THE COMPUTER WILL NOW PRINT A LIST OF DIFFERENT HOBBIES."

501 PR. "AND INTERESTS WHICH YOU MIGHT HAVE. THERE WILL BE A NUMBER"

502 PR. "BESIDE EACH ONE. AFTER THE LIST IS THROUGH BEING PRINTED,"

503 PR. "A DASH WILL BE PRINTED. PICK OUT ONE OF THE THINGS IN THE"

504 PR. "LIST WHICH INTERESTS YOU, TYPE THE NUMBER WHICH IS BESIDE"

505 PR. "IT, AND HIT A RETURN. ANOTHER DASH WILL BE PRINTED. YOU"

506 PR. "MAY DO THIS FIVE TIMES FOR FIVE DIFFERENT INTERESTS BUT, "

507 PR. "IF YOU WANT TO STOP AFTER JUST TWO OR THREE, JUST"

508 PR. "HIT A RETURN WITHOUT A NUMBER AFTER THE DASH."

509 PR. "HERE IS THE LIST. "

510 PR. PR.

520 PR. "1-BASEBALL 2- BASKETBALL 3-FOOTBALL OR SOCCER 4-GOLF"

521PR. "5-HOCKEY 6-TENNIS 7-SWIMMING 8-BYCYCLING 9-OUTDOORS (CAMP-"

522 PR. "ING, HIKING, ETC.)"

532 PR. "10-BIOLOGY 11-CHEMISTRY 12-MATHEMATICS 13-PHYSICS "

533 PR. "14-COMPUTERS 15-ELECTRONICS 16-MECHANICS"

540 PR. "20-CLASSICAL MUSIC 21-COUNTRY -WESTERN 22-HARD ROCK"

541 PR. "23-POPULAR"

545 PR. "30-ACTING 31-DANCING 32-READING 33-WRITING 34-PHOTOGRAPHY"

546 PR. "35-SEWING 36-BASKET WEAVING 37-EATING."

```

600 PR. "OK, INPUT THE NUMBERS NOW. "
605 C=26
610 PR. "-": ACCEPT W$
620 IF W$="" THEN 690
630 IF LENGTH(W$)>2 PR. "BAD NUM" GOTO 610
650 B(C)=VAL(W$)
660 IF C=30 THEN 690
670 C=C+1 GOTO 610
690 DIM I$(30,25)
700 IF ICD(A(7),"F",0) OR ICD(A(7),"G",0) THEN 720 700-730
710 OPEN '159WR /BOYS/' FOR INPUT ,3 GOTO 725 OPEN APPROPRIATE DATA
720 OPEN '159WR /GIRLS/' FOR INPUT,3 FILE AND READ ALL NAMES
725 INPUT FROM 3, C
727 FOR U=1 TO C
728 INPUT FROM 3, I$(U,N) FOR N=1 TO 25
729 NEXT U
730 CLOSE 3
731 FOR U=1 TO C 730-735
732 IF LEFT(A(1),3)=LEFT(I$(U,1),3) THEN 733 ELSE 735 CHECK IF NAME IS
733 IF LEFT(A(2),2)=LEFT(I$(U,2),2) THEN 734 ELSE 735 ON FILE ALREADY
734 PR. "NAME ALREADY ON FILE, ":C:" ENTRYS." GOTO 800
735 NEXT U
736 IF ICD(A(7),"F",0) OR ICD(A(7),"G",0) THEN 738 736-795
737 OPEN '159WR /BOYS/' FOR OUTPUT, 4GOTO 739 IF NAME NOT ON FILE,
738 OPEN '159WR /GIRLS/' FOR OUTPUT, 4 OPEN FILE FOR OUTPUT
739 PRINT ON 4, C+1 AND ADD NAME
749 PR. ON 4, A(1) FOR I=1 TO 16
750 PR. ON 4, B(1) FOR I=21 TO 23
760 PR. ON 4, A(17)
770 PR. ON 4, B(1) FOR I=26 TO 30
780 [PRINT ON 4, I$(U,N) FOR N=1 TO 25] FOR U=1 TO C
790 CLOSE 4
795 PR. "NAME ON FILE, ":C+1:" ENTRYS."
800 PR. PR. " REMEMBER TO SEE THE NOTICE WHICH WILL BE POSTED NEXT
MONDAY IN THE COMPUTER ROOM. "
805 PR. "GOOD LUCK!" END

```

SAMPLE RUN of /DATE/

DATING SERVICE INSTRUCTIONS.

1. ANSWER THE QUESTIONS IN THIS PROGRAM AS TRUTHFULLY AS YOU CAN. THE INFORMATION YOU SUPPLY WILL BE STORED IN A CONFIDENTIAL FILE.

2. WHEN YOU HAVE RECEIVED THE MESSAGE 'NAME ON FILE', YOU CAN BE SURE THAT YOUR NAME AND INFORMATION HAVE BEEN SAVED. THAT IS ALL YOU HAVE TO DO.

3. COMPARISONS ARE RUN ONCE EACH WEEK ON FRIDAY OR SATURDAY. TO FIND OUT IF YOU WERE MATCHED UP WITH ANYONE, SEE THE NOTICE IN THE COMPUTER ROOM WHICH WILL BE POSTED EVERY MONDAY.

*****NOTE*** IF YOU HAVE RUN THIS PROGRAM BEFORE,
YOUR NAME IS ALREADY ON FILE AND YOU SHOULD NOT BE RUNNING
IT AGAIN! IF THIS IS THE CASE, ESCAPE NOW!**

SUPPLY THE FOLLOWING INFORMATION:

LAST NAME-BAY:10Y
FIRST NAME-AVERAGE
MIDDLE INITIAL-F.
ADDRESS-2020 ELM STREET
CITY-ANYWHERE
STATE-PA.
ZIP-15000
PHONE NUMBER-4210000
SEX-MALE
AGE-16
HEIGHT(INCHES)-63
WEIGHT-150
COLOR OF HAIR (BLONDE, GRAY, BROWN, BLACK,RED)-BROWN
COLOR OF EYES-BLUS

RATE YOUR PERSONALITY ON A 1 THROUGH 5 BASIS. LET 1 BE VERY SHY
AND 5 BE QUITE OUTGOING. TYPE IN THE NUMBER WHICH YOU DECIDE ON.
-4

ANSWER THE FOLLOWING QUESTIONS:

WOULD YOU LIKE A TALLER OR SHORTER GIRL, OR ONE ABOUT THE SAME
HEIGHT?

-SAME HEIGHT

WOULD YOU LIKE AN OLDER OR YOUNGER GIRL, OR ONE ABOUT THE SAME AGE?

-OLDER

RATE THE PERSONALITY OF THE GIRL

YOU WOULD LIKE IN THE
SAME MANNER WHICH YOU DID WITH YOURSELF. TYPE IN THE NUMBER.

-2

WOULD YOU LIKE SOMEONE WITH INTERESTS SIMILAR OR DIFFERENT
TO YOUR OWN?

-SIMILAR

WHAT COLOR HAIR WOULD YOU LIKE ON YOUR GIRL

(BLONDE, GRAY,
BROWN, BLACK,RED)?

-BLACK

WOULD YOU KISS A GIRL ON YOUR FIRST DATE?

-YES

DO YOU USUALLY GO TO BED BEFORE, AFTER, OR AT 11 P.M.?

-AT 11

THE COMPUTER WILL NOW PRINT A LIST OF DIFFERENT HOBBIES.
AND INTERESTS WHICH YOU MIGHT HAVE. THERE WILL BE A NUMBER
BESIDE EACH ONE. AFTER THE LIST IS THROUGH BEING PRINTED,
A DASH WILL BE PRINTED. PICK OUT ONE OF THE THINGS IN THE
LIST WHICH INTERESTS YOU, TYPE THE NUMBER WHICH IS BESIDE
IT, AND HIT A RETURN. ANOTHER DASH WILL BE PRINTED. YOU
MAY DO THIS FIVE TIMES FOR FIVE DIFFERENT INTERESTS BUT,
IF YOU WANT TO STOP AFTER JUST TWO OR THREE, JUST
HIT A RETURN WITHOUT A NUMBER AFTER THE DASH.
HERE IS THE LIST.

1-BASEBALL 2- BASKETBALL 3-FOOTBALL OR SOCCER 4-GOLF
 5-HOCKEY 6-TENNIS 7-SWIMMING 8-BICYCLING 9-OUTDOORS (CAMP-
 ING, HIKING, ETC.)
 10-BIOLOGY 11-CHEMISTRY 12-MATHEMATICS 13-PHYSICS
 14-COMPUTERS 15-ELECTRONICS 16-MECHANICS
 20-CLASSICAL MUSIC 21-COUNTRY -WESTERN 22-HARD ROCK
 23-POPULAR
 30-ACTING 31-DANCING 32-READING 33-WRITING 34-PHOTOGRAPHY
 35-SEWING 36-BASKET WEAVING 37-EATING.
 OK, INPUT THE NUMBERS NOW.

-2

-6

-14

-22

-37

NAME ON FILE, 15 ENTRIES.

REMEMBER TO SEE THE NOTICE WHICH WILL BE POSTED NEXT
 MONDAY IN THE COMPUTER ROOM.
 GOOD LUCK!

SAMPLE RUN of /COMPILER/

DATING COMPILER, VERS. DEC. 1, 1971

LAST NAME- SMITH
 FIRST NAME- BETSY
 SEX- FEMALE

NUMBER OF PEOPLE COMPARED- 10

THE COMPUTER FEELS THAT THE FOLLOWING PEOPLE WOULD MAKE
 A BIG HIT WITH YOU:

NOBODY

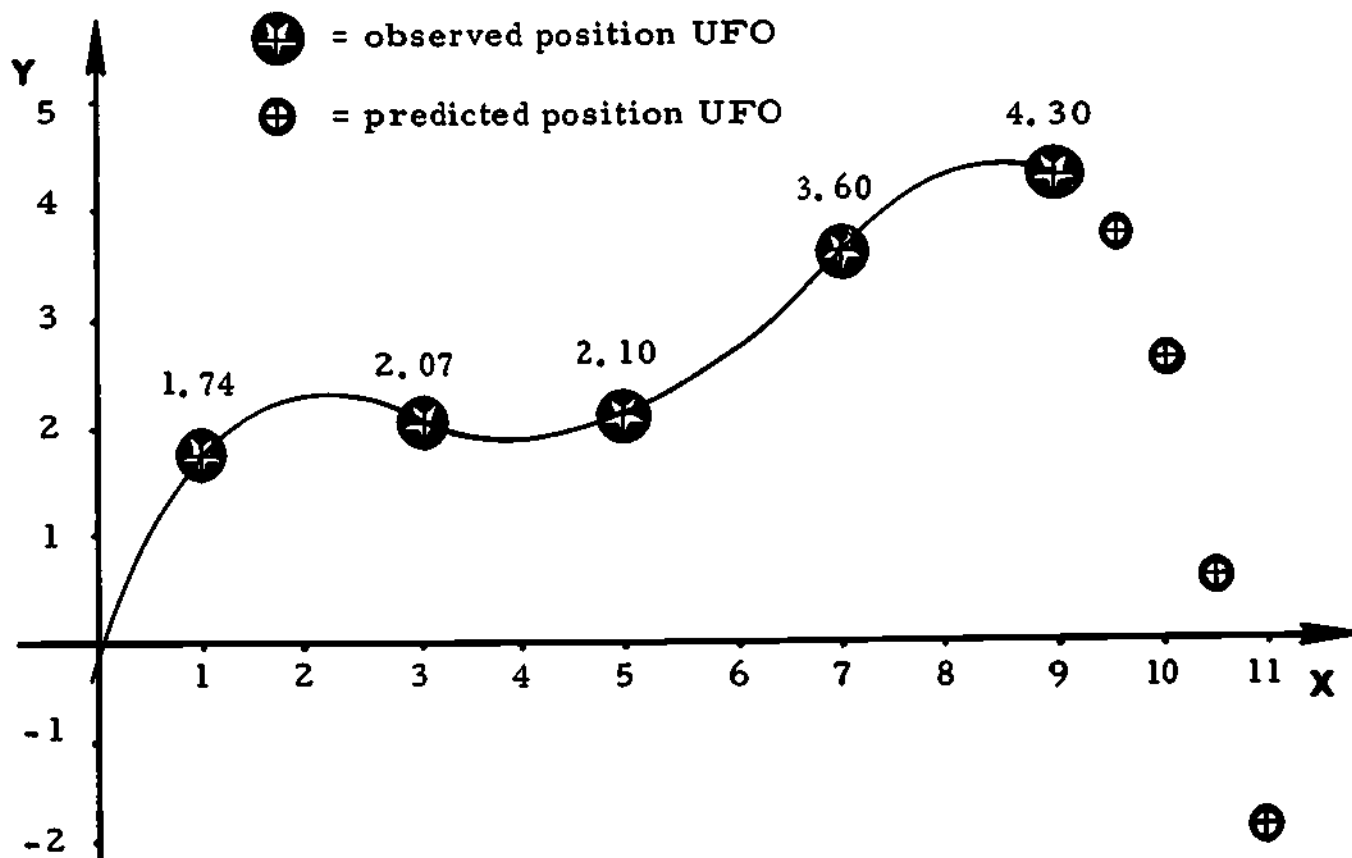
THE COMPUTER FEELS THAT THE FOLLOWING PEOPLE WOULD MAKE
 A FAIRLY BIG HIT WITH YOU:

NAME: JIM H. JONES
 ADDRESS: 139 HARTWOOD DR.
 PITTSBURGH, PA. 15208
 PHONE NUMBER: 731-8171

DON'T BE TOO SHOOK IF YOU DIDN'T GET MATCHED UP WITH
 SOMEONE. ANOTHER RUN WILL BE MADE THE END OF THE WEEK
 AND MAYBE YOU WILL HAVE BETTER LUCK. MEANWHILE,
 YOU ARE ALREADY ON FILE. GOOD LUCK!

LAGRANGIAN

Interpolation/Extrapolation



ACME 'LITTLE GEM' UFO POSITION PREDICTOR (SEE PROBLEM 5) ∞

QUESTION: Can we use x-y data from a small number of observations to calculate x-y data for missing observations? This module studies the use of polynomials for solving this problem.

- On page 3 the simplest case (two observations) is considered, and you are shown how to write a linear interpolation/extrapolation program (these terms are explained on page 4).
- You will then be asked to write a quadratic interpolation/extrapolation (page 5).
- An option will be suggested in which you write a version of this program which prints out the coefficients of the quadratic polynomial (page 6).
- Finally, you will write the n^{th} order polynomial interpolation/extrapolation program. This most general version reads n data points and makes it possible to estimate values of the dependent variable with a polynomial of degree $n-1$ (page 7).

PROJECT SOLO / Dept. of Computer Science / Univ. of Pittsburgh (15213)
Module 0129 / Frank Wimberly (PS)

INTERPOLATION AND EXTRAPOLATION USING LAGRANGIAN POLYNOMIALS

Introduction

There are many real world mathematical problems in which you are given a table relating one variable to another. This table often comes from the experimental work of an engineer or scientist. The problem is that you may want to know the value of the dependent variable for some value of the independent variable which isn't included in the table. For example, Table 1 has acceleration figures for a Porsche 911S.

Table 1

V	T
0	0.0
10	-
20	2.7
30	-
40	5.1
50	-
60	-

The independent variable is V, the velocity which the Porsche reaches from a standing start (zero m.p.h.).

The dependent variable is T, the elapsed time required to reach V, starting at zero velocity.

Notice that elapsed time figures are missing for $V = 10$, $V = 30$, $V = 50$, and $V = 60$. (T is actually missing for all values of V except 0, 20, and 40. ... Think about it).

For purposes of comparison with other sports cars, it might be important, for example, to know the times for accelerating from zero to thirty and from zero to sixty. The solution to such modern problems is based on the work of

an 18th century mathematician named Lagrange. The method used is called "polynomial interpolation/extrapolation" and it is based on the fact that given n points $(x_1, y_1), (x_2, y_2), \dots, (x_n, y_n)$ in the xy plane there is one and only one polynomial of the form $y = a_1 x^{n-1} + a_2 x^{n-2} + \dots + a_{n-1} x + a_n$ which passes through those points.

What this means is: given the n points $(x_1, y_1), (x_2, y_2), \dots, (x_n, y_n)$ there is one and only one polynomial of degree $n-1$ such that

$$y_1 = a_1 x_1^{n-1} + a_2 x_1^{n-2} + \dots + a_{n-1} x_1 + a_n$$

$$y_2 = a_1 x_2^{n-1} + a_2 x_2^{n-2} + \dots + a_{n-1} x_2 + a_n$$

$$\vdots$$

$$y_n = a_1 x_n^{n-1} + a_2 x_n^{n-2} + \dots + a_{n-1} x_n + a_n$$

The proof of this fact is too involved to present in this module. If you are interested, you can find a proof in "Elementary Numerical Analysis" by S. D. Conte, McGraw-Hill 1965, page 73.

Using the Lagrangian Polynomial

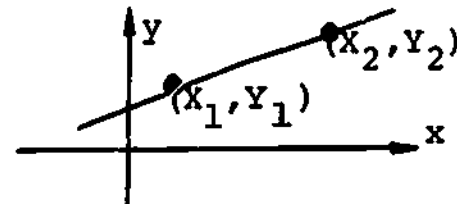
In brief, what you do is to assume that the dependent variable y is related to the independent variable x by the polynomial of order $n-1$ (determined by the data that you have) for all values of x . You then find the polynomial (see pgs. 4, 6, 8), and simply evaluate it for the missing values of x to complete the table. For example, the three points $(0,0)$, $(20,3.8)$ and $(40,5.1)$ determine a second degree polynomial which can then be used to find the values of T corresponding to $V = 30$, and $V = 60$. What Lagrange did was to develop a method for finding the coefficients a_1, \dots, a_n of the needed polynomial, given the points $(x_1, y_1), \dots, (x_n, y_n)$.

1. The Simplest Case: Linear Interpolation and Extrapolation

Consider two points in the x-y plane as in Figure 1.

In the equation:

$$1) \quad y = \frac{x - x_1}{x_2 - x_1} y_2 + \frac{x - x_2}{x_1 - x_2} y_1$$



if we substitute x_1 for x we get $y = 0 \cdot y_2 + 1 \cdot y_1 = y_1$.

On the other hand, setting x equal to x_2 gives us

$$y = 1 \cdot y_2 + 0 \cdot y_1 = y_2.$$

But if we take the original equation 1) and combine terms as follows:

$$2) \quad y = \frac{y_2 - y_1}{x_2 - x_1} x + \frac{x_2 y_1 - x_1 y_2}{x_2 - x_1}$$

We see that the equation has a graph which is a straight line since it is of the form $y = a_1 x + a_2$. (Be sure that you see how equation 2) follows from equation 1). What happens is that all terms which are multiplied by x are collected and the same is done for the terms which are not multiplied by x .)

Hence, we have the following facts:

1. Equation 2 has a graph which is a straight line.
2. The points (x_1, y_1) and (x_2, y_2) are on that line.
3. There is one and only one line through a pair of points.

Putting these together we get that 2) is the equation of the line through the points (x_1, y_1) and (x_2, y_2) .

Projects

- 1A. Study the listing of the interpolation program interaction below and write a program like the one that produced the listing.

```
>RUN
INPUT X. AND Y FOR THE FIRST POINT
?5, 60
INPUT X AND Y FOR THE SECOND POINT
?10, 120
INPUT A VALUE OF X FOR WHICH YOU WANT
Y TO BE ESTIMATED
?15
THE EXTRAPOLATED VALUE OF Y IS 180
FOR X = 15
```

NOTE: When an estimate of y is made for a value of x which is between given values of x the process is called interpolation; if the value of x is greater than (or less than) all of the given values of x the process is called extrapolation.

Your program should be able to decide whether it has been given an interpolation or extrapolation problem, and write the appropriate message.

- 1B. Use your program to find the missing data in the tables below.

TIME	TEMPERATURE	YEAR	WORLD POPULATION
7 A.M.	43	100 A.D.	137 million
10 A.M.	-	1000 A.D.	275 million
11 A.M.	67	2000 A.D.	-

You may not believe the result that you got for the population of the world in 2000 A.D. (the population of China in 1971 is about 800,000,000) even though the figures for 100 A.D. and 1000 A.D. are correct. This demonstrates the fact that polynomial interpolation/extrapolation involves an

assumption that may not be true*-namely that the polynomial describes the function for data other than the given data. Apparently world population is not a linear function of time.

2. QUADRATIC INTERPOLATION AND EXTRAPOLATION

In the same way that two points determine a line (that is, a polynomial of the form $y = a_1x + a_2$) three points determine a quadratic polynomial of the form $y = a_1x^2 + a_2x + a_3$.

Equation 3) is the interpolation formula for the quadratic which is determined when three points (x_1, y_1) , (x_2, y_2) , (x_3, y_3) are given.

$$3) \ y = \frac{(x - x_2)(x - x_3)}{(x_1 - x_2)(x_1 - x_3)} y_1 + \frac{(x - x_1)(x - x_3)}{(x_2 - x_1)(x_2 - x_3)} y_2 + \frac{(x - x_1)(x - x_2)}{(x_3 - x_1)(x_3 - x_2)} y_3$$

Substitute x_1 , x_2 , and x_3 for x in equation 3 and then simplify to verify that the three given points lie on the curve defined by the equation. Then by multiplication and combining terms convert equation 3) into the form $y = a_1x^2 + a_2x + a_3$.

You should get expressions for a_1 , a_2 , and a_3 that involve only the six numbers x_1 , x_2 , x_3 , y_1 , y_2 , and y_3 .

* Extrapolation is more likely to give false values than interpolation.

MORE PROJECTS

- 2A. Write an interpolation/extrapolation program in BASIC which reads in three (3) data points (x_1, y_1) , (x_2, y_2) , (x_3, y_3) and uses a quadratic polynomial (degree 2) to estimate values of the dependent variable y for other values of the independent variable x .
- 2B. Use this program and the data on page 1 to find the "zero to thirty" and "zero to sixty" times for a Porsche 911S.

3. PRINTING OUT THE QUADRATIC POLYNOMIAL
(OPTIONAL)

Write a BASIC program that reads in three (3) points and prints out the coefficients of the quadratic polynomial determined by them. See the sample output below:

```
>RUN
WHAT ARE THE X AND Y COORDINATES OF THE FIRST POINT?
?0,2
WHAT ARE THE COORDINATES OF THE SECOND POINT?
?1,1
AND THE THIRD POINT?
?2,2
THE QUADRATIC IS
1*X^2+-2*X+2
```

4. Nth Order Polynomial Interpolation and Extrapolation

It looks like the same reasoning that works for equations 1) and 3) might also work for n points. That is, it may be that equation 4) is the expression for the one and only polynomial of degree $n-1$ that fits the n points $(x_1, y_1) \dots (x_n, y_n)$.

$$\begin{aligned}
 4) \quad y &= \frac{\overbrace{(x-x_2) (x-x_3) \dots (x-x_n)}^{n-1 \text{ term product}}}{(x_1-x_2) (x_1-x_3) \dots (x_1-x_n)} y_1 \\
 &+ \frac{(x-x_1) (x-x_3) \dots (x-x_n)}{(x_2-x_1) (x_2-x_3) \dots (x_2-x_n)} y_2 \\
 &+ \dots \\
 &+ \frac{(x-x_1) (x-x_2) \dots (x-x_{n-1})}{(x_n-x_1) (x_n-x_2) \dots (x_n-x_{n-1})} y_n
 \end{aligned}$$

Let's look more closely at one of these terms:

$$\frac{(x-x_1) (x-x_2) \dots (x-x_{i-1}) (x-x_{i+1}) \dots (x-x_n)}{(x_i-x_1) (x_i-x_2) \dots (x_i-x_{i-1}) (x_i-x_{i+1}) \dots (x_i-x_n)} y_i$$

Notice that $(x-x_i)$ is missing from the product in the numerator and (x_i-x_i) is missing from the product in the denominator.

This term is equal to $0 \cdot y_i$ for $x = x_i, \dots, x_{i-1}, x_{i+1}, \dots, x_n$ (that is, any of the given x 's other than x_i) and is $1 \cdot y_i$ for $x = x_i$.

In each numerator there is an $n-1$ term product each term of which is of the form $(x-x_i)$. If such a product is expanded it turns out to be a polynomial in x of degree $n-1$. Now each term in the sum (each term of equation 4) is therefore a polynomial of degree $n-1$. Furthermore,

$$\frac{y_i}{(x_i-x_1)(x_i-x_2)\dots(x_i-x_{i-2})(x_i-x_{i+1})\dots(x_i-x_n)}$$
 is a constant,

and a constant times a polynomial is a polynomial of the same degree. Finally the entire right hand side of 4) is the sum of n polynomials of degree $n-1$. But the sum of polynomials of degree $n-1$ is also a polynomial of degree $n-1$.

Hence, just as for the line and the quadratic we have.

- 1) Equation 4) is a polynomial of degree $n-1$
- 2) The points $(x_i, y_i) \dots (x_n, y_n)$ all "satisfy" equation 4.
- 3) There is one and only one polynomial of degree $n-1$ that is satisfied by n points.

Hence 4) is the polynomial of degree $n-1$ that fits the points.

EVEN MORE PROJECTS

- 4A. Write a program in BASIC which reads a number n , then reads n data points (xy pairs) and uses a polynomial of degree $n-1$ to extrapolate or interpolate.
- 4B. Try your program on the following population data to see whether you get better results than you did in 1B.

YEAR	POPULATION OF THE WORLD
2000 B.C.	108 million
1000 B.C.	120 million
100 A.D.	137 million
1000 A.D.	275 million
1960 A.D.	3,003 million
2000 A.D.	?

- 5A. See cover picture for this problem. A UFO has been sighted in the range $0 < x < 9$. The cover picture shows five "sightings" at points marked \star . Assume this curve is the path through space of an alien UFO. Have the computer output "prediction" points (\oplus) which indicate where the saucer can be intercepted for $X = 9, 9.5, 10, 10.5, 11, 11.5$, and 12 .
- 5B. Draw your own "smooth" UFO curve, and experiment to see if increasing the number of "sighting" points on the left side of the screen helps you better predict the path of the UFO on the right side of the screen. (You'll have to draw the entire path, and then pretend you only have data for the left half.)

HINT:

This curve is best fitted with a 5th degree polynomial since it "cuts" a straight line five times. Therefore six "sighting" points are needed.

The following is a solution program and run for the problem 2A.

JAN 11 12:24 /LAG1/

```

5 PRINT "WHAT ARE THE X AND Y VALUES FOR THE FIRST POINT?"
6 INPUT X1,Y1
10 PRINT "X AND Y VALUES FOR THE SECOND POINT?"
11 INPUT X2,Y2
15 PRINT "FOR THE THIRD POINT?"
16 INPUT X3,Y3
19 PRINT "INPUT A VALUE OF X FOR WHICH YOU WANT Y TO BE ESTIMATED"
20 INPUT X
30  $P=Y1*((X-X2)*(X-X3))/((X1-X2)*(X1-X3))$ 
40  $P=P+Y2*((X-X1)*(X-X3))/((X2-X1)*(X2-X3))$ 
50  $P=P+Y3*((X-X1)*(X-X2))/((X3-X1)*(X3-X2))$ 
60 PRINT "FOR X=";X;"Y=";P
70 END

```

>RUN

```

WHAT ARE THE X AND Y VALUES FOR THE FIRST POINT?
720,50
X AND Y VALUES FOR THE SECOND POINT?
730,40
FOR THE THIRD POINT?
740,60
INPUT A VALUE OF X FOR WHICH YOU WANT Y TO BE ESTIMATED
745
FOR X=      45      Y=      81.25

```

The following is a solution program and run for the problem 3A.

JAN 11 12:27 /LAG2/

```

10 PRINT "WHAT ARE THE X AND Y COORDINATES OF THE FIRST POINT?"
11 INPUT X1,Y1
20 PRINT "WHAT ARE THE COORDINATES OF THE SECOND POINT?"
21 INPUT X2,Y2
30 PRINT "AND THE THIRD POINT?"
31 INPUT X3,Y3
40 LET A=Y1/((X1-X2)*(X1-X3))
50 LET A=A+Y2/((X2-X1)*(X2-X3))
60 LET A=A+Y3/((X3-X1)*(X3-X2))
70 LET B=-(Y1*(X2+X3)/((X1-X2)*(X1-X3)))
80 LET B=B-(Y2*(X1+X3)/((X2-X1)*(X2-X3)))
90 LET B=B-(Y3*(X1+X2)/((X3-X1)*(X3-X2)))
100 LET C=X3*X2*Y1/((X1-X2)*(X1-X3))
110 LET C=C+X1*X3*Y2/((X2-X1)*(X2-X3))
120 LET C=C+X1*X2*Y3/((X3-X1)*(X3-X2))
130 PRINT "THE QUADRATIC IS"
140 PRINT A:"*X^2+":B:"*X+":C
150 END

```

>RUN

```

WHAT ARE THE X AND Y COORDINATES OF THE FIRST POINT?
?0,2
WHAT ARE THE COORDINATES OF THE SECOND POINT?
?1,0
AND THE THIRD POINT?
?2,2
THE QUADRATIC IS
2*X^2+-4*X+ 2

```

The following is a solution program and run for the problem 4A.

JAN 11 12:29 /LAG3/

```

10 DIM X(20),Y(20),B(20)
20 PRINT "HOW MANY DATA POINTS (COORDINATE PAIRS) DO YOU HAVE?"
21 INPUT N
25 PRINT "FOR WHAT VALUE OF X DO YOU WANT Y TO BE ESTIMATED?"
26 INPUT X1
28 PRINT "NOW INPUT";N;"X Y PAIRS (DATA POINTS)"
30 FOR I=1 TO N
40 INPUT X(I),Y(I)
50 NEXT I
60 P=0
70 FOR K=1 TO N
80 B(K)=1
90 FOR J=1 TO N
100 IF J=K THEN 120
110 B(K)=B(K)*((X1-X(J))/(X(K)-X(J)))
120 NEXT J
130 P=P+B(K)*Y(K)
140 NEXT K
150 PRINT "FOR X=";X1;"Y=";P
160 END

```

>RUN

```

HOW MANY DATA POINTS (COORDINATE PAIRS) DO YOU HAVE?
76
FOR WHAT VALUE OF X DO YOU WANT Y TO BE ESTIMATED?
760
NOW INPUT      6      X Y PAIRS (DATA POINTS)
70,0
730,4.3
740,5.7
770,31
780,42
790,55
FOR X=      60      Y=      20.54547619

```

OPTICS

PROJECT SOLO

Department of Computer Science
University of Pittsburgh (15213)
Module #0067
J. M. Shore (T)
B. Meisner (ST)

● This module will concern itself with reflection, refraction, and the physics of curved mirrors and lenses. There are three parts to the module. The first two parts require that you solve problems generated by programs already stored in the computer. The third part requires that you write your own program.

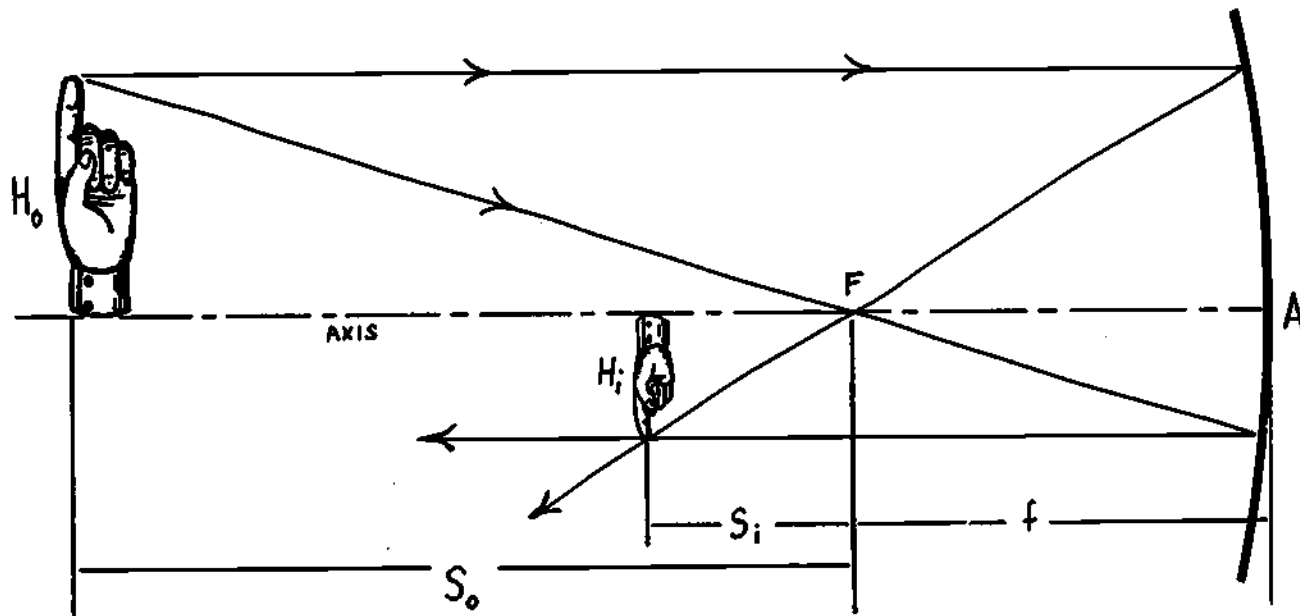


Figure 1. Location of an Image by Ray Tracing

PART 1 - REFLECTION

First we shall examine the formation of images by curved mirrors. The laws of reflection state: (1) the incident ray, the reflected ray, and the normal to the reflecting surface lie in the same plane; and (2) the angle of incidence is equal to the angle of reflection. You are no doubt familiar with the images formed by plane mirrors, such as the one on your medicine cabinet at home. The image of an object in a plane mirror is a virtual image. It is the same size as the object, erect, reversed right and left, and as far behind the mirror as the object is in front of the mirror.

The case is slightly different when we consider curved mirrors. Concave mirrors cause light to converge. Different types and sizes of images may be formed by concave mirrors depending upon the dis-

tance of the object from the mirror. Concave mirrors vary in size from an ordinary small mirror to the huge 200-inch reflector on Palomar Mountain, in California.

We can find the size and location of an image due to an object placed at a finite distance from a concave mirror by ray tracing as shown in Figure 1. All parallel rays as shown are brought to a common focus at F. This point F is called the focal point of the mirror and the distance FA is called the focal length of the mirror. We measure the distances S_o and S_i from the focal point to the object and image respectively. If we call H_o and H_i the height of the object and the image, it can be shown by similar triangles that:

$$H_i/H_o = f/S_o = S_i/f$$

using simple algebra it can be shown that:

$$S_i S_o = f^2$$

The difference between a real image and a virtual image is that there may be no light passing through a virtual image, but the light is sure to pass through a real image, and a photograph can be made by placing the film at the image. Whenever the object is placed closer to the mirror than its focal length, the image formed is virtual. Whenever the object is placed beyond the focal length of the mirror, the image formed is real. But whenever the object is placed at exactly the focal length from the mirror, no image is formed.

It's Problem Solving Time

After studying the sample run on page 5, logon the computer, enter NBS, and then type:

```
RUN 159AJS /MIRROR/
```

When you finish your computer run, go to part 2 of this module. Be sure to save your output from part 1.

PART 2 - INDEX OF REFRACTION

The index of refraction of a material, for which we use the symbol n , is defined as the ratio of the speed of light in a vacuum to the speed of light in the substance under consideration. Since the speed of light in air is only slightly different from the speed of light in a vacuum, for convenience we set the index of refraction of air equal to unity.

In 1621, Willebrord Snell discovered a relationship between the index of refraction of a material and the angles of incidence and refraction of light. This mathematical relationship, known as Snell's law, is:

$$n_1 \sin \theta_1 = n_2 \sin \theta_2$$

where θ_1 and θ_2 are defined as in Figure 2. The index of refraction of a material may also be found in a table such as the one below.

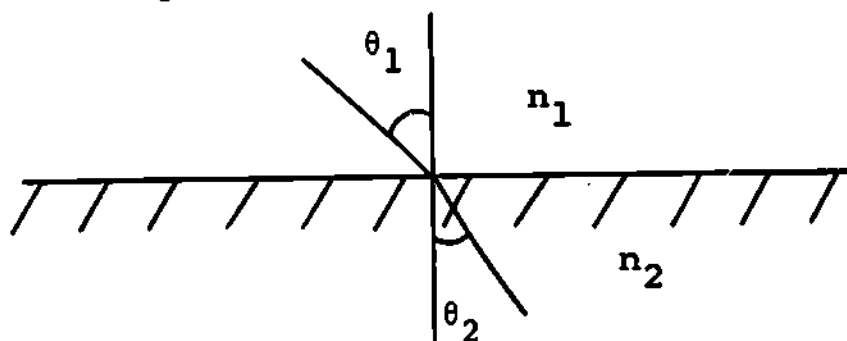


Figure 2

The Indices of Refraction of
Some Common Materials

1.11	liquid hydrogen
1.22	liquid oxygen
1.33	water
1.38	liquid chlorine
1.47	glycerin
1.54	salt
1.60	quartz
1.66	liquid bromine
1.93	liquid sulfur
2.10	liquid tin
2.42	diamond
2.60	lead
3.34	iodine
4.22	sodium

LENSES

Lenses are instruments which use the laws of refraction to form images of objects. We shall be concerned with converging lenses, that is, lenses which bring parallel light incident upon them to a common focus (the rays of light converge at a point). As in the case of the curved mirrors we shall call this point the focal point, and the distance from the lens to this point the focal length of the lens.

If a lens is thin compared to its focal length, no matter which side of the lens the light enters, the focal length is always the same. This result is also predicted by an application of Snell's law from which it can be shown that:

$$1/f = (n-1) \left(\frac{1}{R_1} + \frac{1}{R_2} \right)$$

where R_1 and R_2 are the radii of the opposing surfaces and n is the relative index of refraction for light passing from any medium into the lens. This equation is known as the "lensmaker's formula". We can show that interchanging R_1 and R_2 , which is the same as turning the lens over, has no effect on the focal length of the lens.

It's Problem Solving Time

To access the next practice program first enter NBS, and then type:

RUN 159AJS /REFRACT/

Before using the computer study the sample RUN of /REFRACT/ shown on page 6. When you finish your computer run, go to Part 3 of this module, being sure to save your output from Part 2.

PART 3 - YOU'RE ON YOUR OWN

There is no "pre-written" program on file for Part 3. You should write your own program(s) for the computer (or use the desk-calculator direct mode) to complete the following table:

<u>Image distance</u> (cm.)	<u>Object distance</u> (cm.)	<u>Focal length</u>	<u>H_i/H_o</u>
82	9		
30	30		
82			2
86			43
	100	67.8	
	53	16.3	
		15.5	3.75
		39.3	43

If you have any difficulties or questions concerning this module, please see your teacher. Also, if you have any suggestions for improving this module please let him (or her) know.

>RUN 159AJS /MIRROR/

THIS PROGRAM WILL DEAL WITH THE PHYSICS OF CURVED MIRRORS.
THE FORMULAS WHICH YOU WILL NEED MAY BE FOUND IN THE MODULE.

PROBLEM 1

THE FOCAL LENGTH OF A CURVED MIRROR IS FOUND TO BE $1.34E+1$ CM.
IF AN OBJECT $3.72E+1$ CM. HIGH IS PLACED $7.71E+1$ CM. AWAY FROM
THE MIRROR. FIND THE POSITION AND THE HEIGHT OF THE IMAGE
OF THE OBJECT. FIRST TYPE IN THE IMAGE DISTANCE FROM THE
MIRROR IN CM.

?@NBS

VER. MAR 10 8:07

>PRINT $37.2 * 13.4 / 63.7$

7.825431711

>PRINT $7.825 / 37.4 + 2 * 13.4$
2.818682796

>EXIT

?16.2

RIGHT

NOW TYPE IN THE HEIGHT OF THE IMAGE IN CM.

?7.825

GOOD

WOULD YOU LIKE TO TRY ANOTHER PROBLEM LIKE THIS?

?NO

O.K., HOW ABOUT TRYING A PROBLEM LIKE THIS.

PROBLEM 2

THE IMAGE OF AN OBJECT PLACED $4.65E+1$ CM. AWAY FROM A CURVED
MIRROR IS FOUND TO BE LOCATED $3.77E+1$ CM. AWAY FROM THE MIRROR.
CALCULATE THE FOCAL LENGTH OF THE MIRROR.

?@NBS

VER. MAR 10 8:07

>PRINT SQRT($46.5 * 37.7$)

41.86943993

>EXIT

?41.87

RIGHT

IS THE IMAGE REAL OR VIRTUAL?

?REAL

THAT'S RIGHT

WOULD YOU LIKE TO TRY ANOTHER PROBLEM LIKE THIS?

?NO

CHECK TO MAKE SURE YOU UNDERSTAND THE RELATIONSHIPS INVOLVED.
SHOW THIS TO YOUR TEACHER. GOOD BYE.

>RUN 159AJS /REFRACT/

THIS PROGRAM WILL DEAL WITH REFRACTION AND THE PHYSICS OF THIN LENSES.

THE FORMULAS WHICH YOU WILL NEED MAY BE FOUND IN THE MODULE.

CALCULATE THE INDEX OF REFRACTION OF A MATERIAL IF LIGHT INCIDENT UPON IT AT AN ANGLE OF $2.41E+1$ DEGREES IS REFRACTED TO AN ANGLE OF $1.62E+1$ DEGREES. TYPE IN THE INDEX OF REFRACTION OF THE MATERIAL.

?@NBS

VER. MAR 10 8:07

>PRINT SIN(24.1/57.4)/SIN(16.2/57.4)

1.463684021

>EXIT

?1.46

Ø.K.

DO YOU THINK THAT THIS MATERIAL MIGHT BE ONE OF THOSE LISTED IN THE MODULE OR SOME OTHER MATERIAL? TYPE IN THE NAME OF THE MATERIAL OR 'OTHER'.

?LIQUID CHLORINE

NO, MY CALCULATIONS INDICATE THAT THE MATERIAL COULD BE GLYCERIN. WOULD YOU LIKE TO TRY ANOTHER PROBLEM LIKE THIS?

?NO

NOW WE WILL LOOK AT THIN LENSES.

USING THE 'LENSMAKER'S FORMULA' CALCULATE THE FOCAL LENGTH OF A THIN LENS MADE FROM GLASS ($N=1.5$) IF THE RADII OF THE OPPOSING SURFACES ARE 20 AND 25CM.

TYPE IN THE FOCAL LENGTH OF THE LENS IN CM.

?@NBS

VER. MAR 10 8:07

>PRINT 1000/45.0

22.22222222

>EXIT

?22.22

THAT'S RIGHT

WOULD YOU LIKE TO TRY ANOTHER PROBLEM LIKE THIS?

?YES

USING THE 'LENSMAKER'S FORMULA' CALCULATE THE FOCAL LENGTH OF A THIN LENS MADE FROM GLASS ($N=1.5$) IF THE RADII OF THE OPPOSING SURFACES ARE 30 AND 5CM.

TYPE IN THE FOCAL LENGTH OF THE LENS IN CM.

?8.57

GOOD

WOULD YOU LIKE TO TRY ANOTHER PROBLEM LIKE THIS?

?NO

Ø.K. NOW TRY YOUR HAND AT WRITING A PROGRAM TO SOLVE THE PROBLEMS IN THE MODULE.

STUDY HARD FOR THAT TEST COMING UP.

OH YES, ARNIE ALLDERDICE SAYS 'GOOD LUCK'.

SHOW THIS TO YOUR TEACHER. GOOD BYE.

-COPY /INDEX/ TO TPT
1.11
LIQUID HYDROGEN
1.22
LIQUID OXYGEN
1.33
WATER
1.38
LIQUID CHLORINE
1.47
GLYCERIN
1.54
SALT
1.60
QUARTZ
1.66
LIQUID BROMINE
1.93
LIQUID SULFUR
2.10
LIQUID TIN
2.42
DIAMOND
2.60
LEAD
3.34
IODINE
4.22
SODIUM

MODULES FOR Computer Augmented Chemistry Labs

These modules are intended for use in connection with the experimental laboratory of an advanced placement chemistry course (12th Grade). They are designed to allow students to read in measurements, have the calculations done for them, and the results displayed in graphical fashion. It is intended that:

1. Students will be better able to concentrate on the experimental phase of their lab work.
2. They will be encouraged to carry out several runs of the experiment, since calculations can be done swiftly at another time.
3. When they write a similar program for another experiment in the book (or an improvement on this one), they will find it a valuable new way to organize their understanding of chemical theory.

Summary of Relevant Information:

Module	Subject	Text Reference		Access Code
		Lab. Manual*	Text**	
0124	Stoichiometry	Exp. 9	103-108	RUN 159DK /SPEX9/
0125	Gram-Equivalent, Mass of Magnesium	Exp. 13	121-123	RUN 159DK /SPEX13/
0126	Molecular Mass from Freezing Point Lowering	Exp. 16	207-221	RUN 159DK /SPEX16/

Suggested Use of the Modules:

(a) Students may use those programs already on file as "data-analysis" tools, and use the output as an integral part of their final lab report.

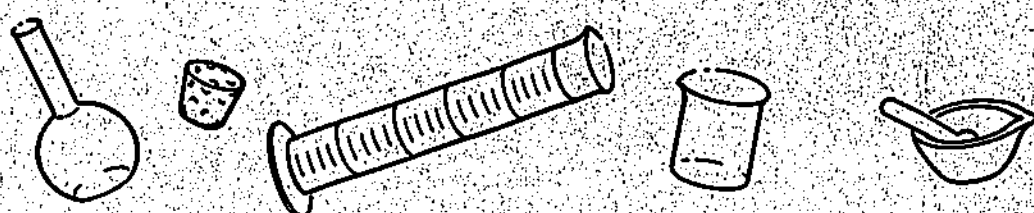
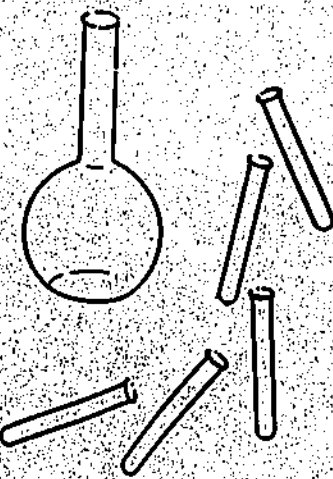
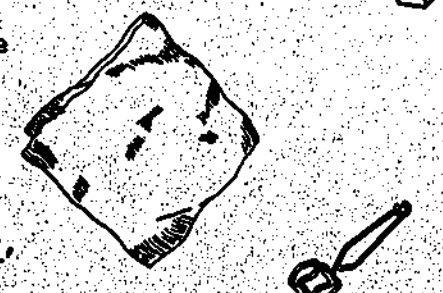
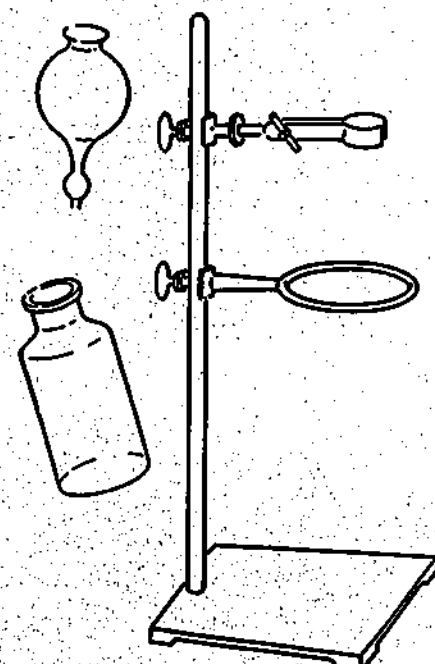
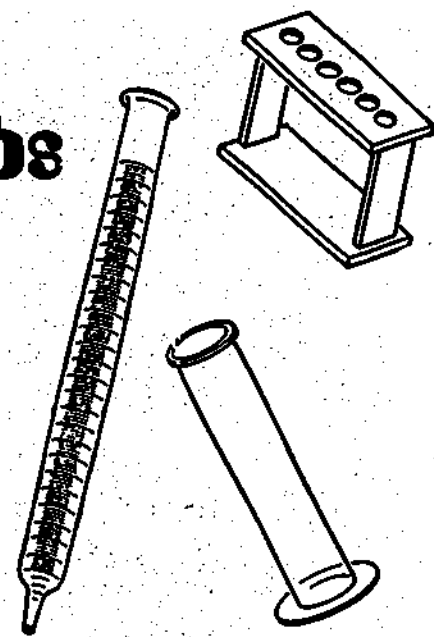
(b) Students may be invited (or assigned) to create similar programs for other experiments and/or improve the programs on file.

On the following pages you will find sample runs of each program. A flowchart of the program /SPEX16/ given and the listing which follows it shows the actual statements and programming details. The other programs are shorter than /SPEX16/ and can be programmed using the same techniques.

* Sienko, Michell J. and Robert A. Plane, Experimental Chemistry, 3rd Ed., (Laboratory Manual), McGraw-Hill, N.Y., 1966.

**Sienko, Michell J. and Robert A. Plane, Chemistry, 3rd Ed., McGraw-Hill, N.Y., 1966.

PROJECT SOLO / Dept. of Computer Science / Univ. of Pittsburgh (15213)
Modules #0124-6 / Dolores Kubiak(T) / Joel Berez(S)



EXPERIMENT 9: STOICHIOMETRY

/DATA\

PART A: POTASSIUM CHLORATE

LIST THE FOLLOWING IN GRAMS.

MASS OF TEST TUBE PLUS MN-O2: 81.86
MASS OF TEST TUBE, MN-O2, AND POTASSIUM CHLORATE: 22.83
MASS OF TEST TUBE, MN-O2, AND RESIDUE: 22.445

PART B: UNKNOWN MIXTURE

LIST THE FOLLOWING IN GRAMS.

MASS OF TEST TUBE PLUS MN-O2: 7.98
MASS OF TEST TUBE, MN-O2, AND UNKNOWN: 9.31
MASS OF TEST TUBE, MN-O2, AND RESIDUE: 9.02

/RESU

PART A: POTASS

MASS (IN GRAMS) OF OXYGEN LOST
MASS (IN GRAMS) OF K-CL (RESIDU
NUMBER OF GRAM-ATOMS OF OXYGEN
NUMBER OF MOLES OF K-CL
NUMBER OF GRAM-ATOMS OF K IN OR
NUMBER OF GRAM-ATOMS OF CL IN O
NUMBER OF GRAM-ATOMS OF O IN OR
SIMPLEST FORMULA OF POTASSIUM C

PART B: UNKN

MASS (IN GRAMS) OF UNKNOWN MIXT
MASS (IN GRAMS) OF OXYGEN LOST
NUMBER OF GRAM-ATOMS OF OXYGEN
NUMBER OF MOLES OF K-CL-O3 DECO
MASS (IN GRAMS) OF K-CL-O3 IN O
PER CENT BY MASS OF K-CL-O3 IN
DO YOU HAVE ANOTHER SET OF DATA
GOODBYE FOR NOW

SAMPLE RUNS

/SPEX9/

/SPEX13/

CIRCLED NUMBERS ARE
TYPED IN BY STUDENT.

EXPERIMENT 13: GRAM-EQUIVALENT MASS OF MAGNESIUM

DATA
FIRST SAMPLE

TYPE THE MASS OF THE MAGNESIUM (IN GRAMS) : 0.0235
VOLUME OF HYDROGEN EVOLVED (IN MILLILITERS) : 85.4
DIFFERENCE IN WATER LEVELS (IN MILLIMETERS) : 535
TEMPERATURE OF WATER (IN DEGREES CENTIGRADE) : 84.8
AMBIENT BAROMETRIC PRESSURE (IN MILLIMETERS) : 731.7

DATA
SECOND SAMPLE

TYPE THE MASS OF THE MAGNESIUM (IN GRAMS) : 0.0207
VOLUME OF HYDROGEN EVOLVED (IN MILLILITERS) : 24.0
DIFFERENCE IN WATER LEVELS (IN MILLIMETERS) : 520
TEMPERATURE OF WATER (IN DEGREES CENTIGRADE) : 23.5
AMBIENT BAROMETRIC PRESSURE (IN MILLIMETERS) : 731.7

RESULTS

	FIRST SAMPLE	SECOND SAMPLE	UNITS
MG EQUIVALENT OF WATER COLUMN	39.33823589	35.83529412	MM.
TOTAL PRESSURE IN GAS SAMPLE	692.3617647	693.4647059	MM.
PARTIAL PRESSURE OF H ₂	669.1394436	671.9808335	MM.
VOLUME OF H ₂ AT STP	80.5009841	19.53855694	ML.
MOLES OF H ₂	9.152225046E-04	8.722570063E-04	
MOLES OF H+ REDUCED	1.830445009E-03	1.744514013E-03	
GRAM-EQUIVALENTS MG OXIDIZED	1.830445009E-03	1.744514013E-03	
MASS OF 1 GRAM-EQUIVALENT MG	12.83040808	11.86576863	GRAMS
AVERAGE	12.35208846		GRAMS/GRAM-EQUIVALENT

CONCLUSION

CONGRATULATIONS! ANOTHER SUCCESSFUL EXPERIMENT

*SAMPLE RUN OF /SPEX16/ CIRCLED NUMBERS ARE TYPED IN BY STUDENT.

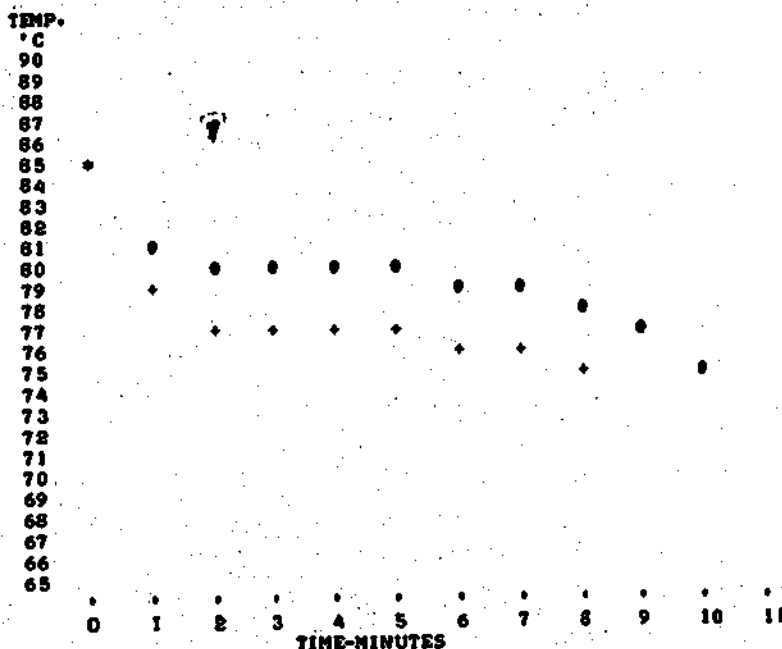
PURE NAPHTHALENE

WHAT WAS THE MASS OF THE PAPER (IN GRAMS)? 0.985
 MASS OF NAPHTHALENE PLUS PAPER (IN GRAMS)? 20.87
 INCLUDING THE INITIAL READING,
 HOW MANY TEMPERATURES DID YOU RECORD? 11
 WHAT WAS THE INITIAL TEMPERATURE (IN °C)? 85
 WHAT WAS THE 2ND TEMPERATURE? 81
 WHAT WAS THE 3RD TEMPERATURE? 79.8
 WHAT WAS THE 4TH TEMPERATURE? 79.6
 WHAT WAS THE 5TH TEMPERATURE? 79.5
 WHAT WAS THE 6TH TEMPERATURE? 79.5
 WHAT WAS THE 7TH TEMPERATURE? 79.0
 WHAT WAS THE 8TH TEMPERATURE? 78.6
 WHAT WAS THE 9TH TEMPERATURE? 77.9
 WHAT WAS THE 10TH TEMPERATURE? 76.7
 WHAT WAS THE 11TH TEMPERATURE? 75.1

NAPHTHALENE AND SULPHUR

WHAT WAS THE MASS OF THE PAPER (IN GRAMS)? 0.985
 MASS OF THE SULPHUR AND PAPER (IN GRAMS)? 3.045
 INCLUDING THE INITIAL READING,
 HOW MANY TEMPERATURES DID YOU RECORD? 9
 WHAT WAS THE INITIAL TEMPERATURE (IN °C)? 85
 WHAT WAS THE 2ND TEMPERATURE? 78.6
 WHAT WAS THE 3RD TEMPERATURE? 77.6
 WHAT WAS THE 4TH TEMPERATURE? 77.8
 WHAT WAS THE 5TH TEMPERATURE? 76.9
 WHAT WAS THE 6TH TEMPERATURE? 76.6
 WHAT WAS THE 7TH TEMPERATURE? 76.4
 WHAT WAS THE 8TH TEMPERATURE? 76.1
 WHAT WAS THE 9TH TEMPERATURE? 75.4

TIME-TEMPERATURE GRAPH OF COOLING NAPHTHALENE



THE PURE NAPHTHALENE IS REPRESENTED BY THIS SYMBOL: ○
 THE SULPHUR SOLUTION IS REPRESENTED BY THIS SYMBOL: +
 THE INTERSECTION IS THIS SYMBOL: *

FROM THE ABOVE GRAPH.

ESTIMATE THE FREEZING-POINT OF THE PURE NAPHTHALENE: 79.8

ESTIMATE THE FREEZING-POINT OF THE SULPHUR SOLUTION: 76.8

FREEZING-POINT OF PURE NAPHTHALENE	79.8	°C
FREEZING-POINT OF SOLUTION	76.8	°C
FREEZING-POINT LOWERING	3	°C
MOLES OF SULFUR PER 1000 GM. NAPHTHALENE	0.434782609	MOLES
MASS OF NAPHTHALENE IN SOLUTION	19.885	GRAMS
MASS OF SULPHUR IN SOLUTION	2.06	GRAMS
MASS OF SULPHUR PER 1000 GM. NAPHTHALENE	106.8187711	GRAMS
MASS OF SULPHUR IN ONE MOLE OF SULPHUR	32.065	GRAMS

FORMULA OF SULPHUR MOLECULE IN SOLUTION: S₈

/CONCLUSIONS/

1) THE ACTUAL VALUE FOR THE FREEZING-POINT OF NAPHTHALENE IS ABOUT 80°C. YOU WERE CORRECT.

2) BASED ON THE MASSES OF SULPHUR AND NAPHTHALENE YOU USED, THE FREEZING-POINT OF THE SOLUTION SHOULD HAVE BEEN ABOUT 76.7 °C. YOU WERE CORRECT.

3) THE FORMULA OF THE SULPHUR MOLECULE SHOULD BE S₈. YOU WERE ABSOLUTELY RIGHT!

/FUN & GAMES/

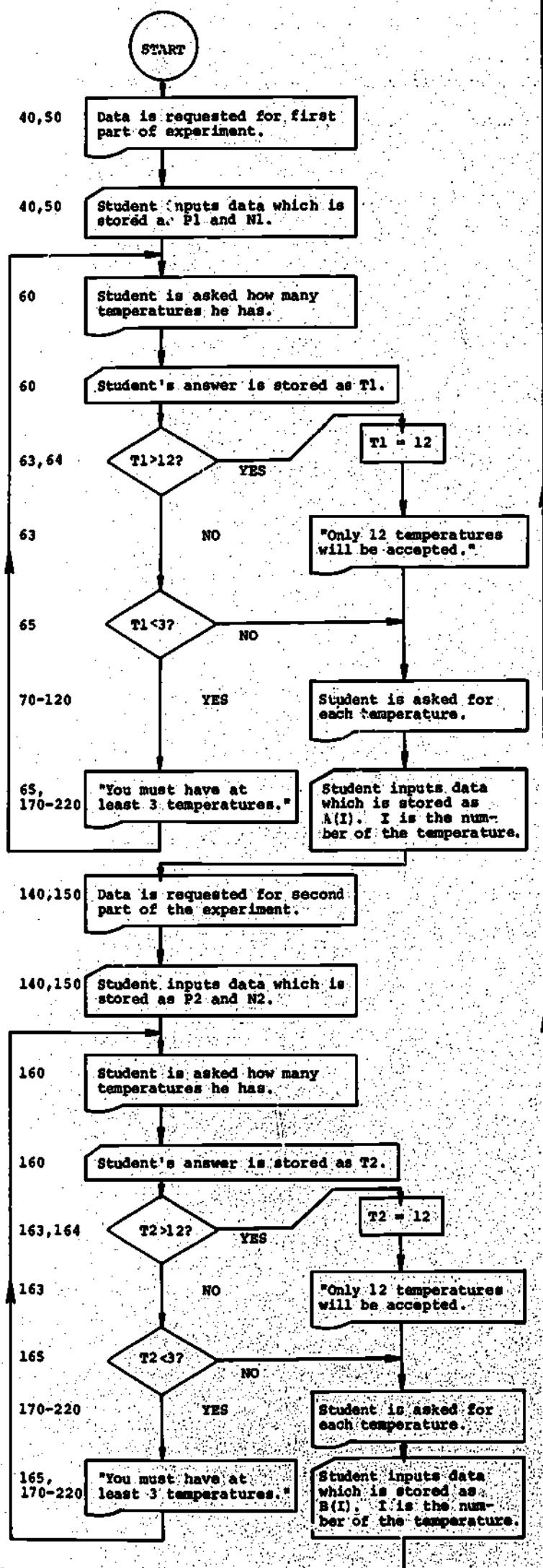
THERE IS A NUMBER ASSIGNED TO EACH POINT ON THE GRAPH. THESE ARE THE NUMBERS LABELED 'TIME-MINUTES'. FOR EACH OF THE TWO SETS OF POINTS AND WITHOUT LIFTING YOUR PENCIL, CONNECT THE DOTS IN NUMERICAL ORDER. TRY TO MAKE SMOOTH CURVES.

EXTRA CREDIT: COLOR THE TWO CURVES ON YOUR GRAPH WITH DIFFERENT CRAYONS OR PENS. (HINT: USE A BLEND OF THE COLORS ON THE PLACE WHERE THE CURVES OVERLAP.)

THIS HAS BEEN THE 16TH IN THE /SPEX/ LAB EXPERIMENTS SERIES.

COLLECT THE WHOLE SET!

FLOWCHART FOR /SPEX16/



LISTING OF /SPEX16/ (CONTINUED)

```

490 PR." 10 11"
500 PR.TAB(23):"TIME-MINUTES"
510 PR.PR."THE PURE NAPHTHALENE IS REPRESENTED BY THIS SYMBOL: *"
520 PR."THE SULPHUR SOLUTION IS REPRESENTED BY THIS SYMBOL: +"

```