Inclusive jets & dijets in *p-Pb*

Jeff Ouellette, CU Boulder 2/20/2018

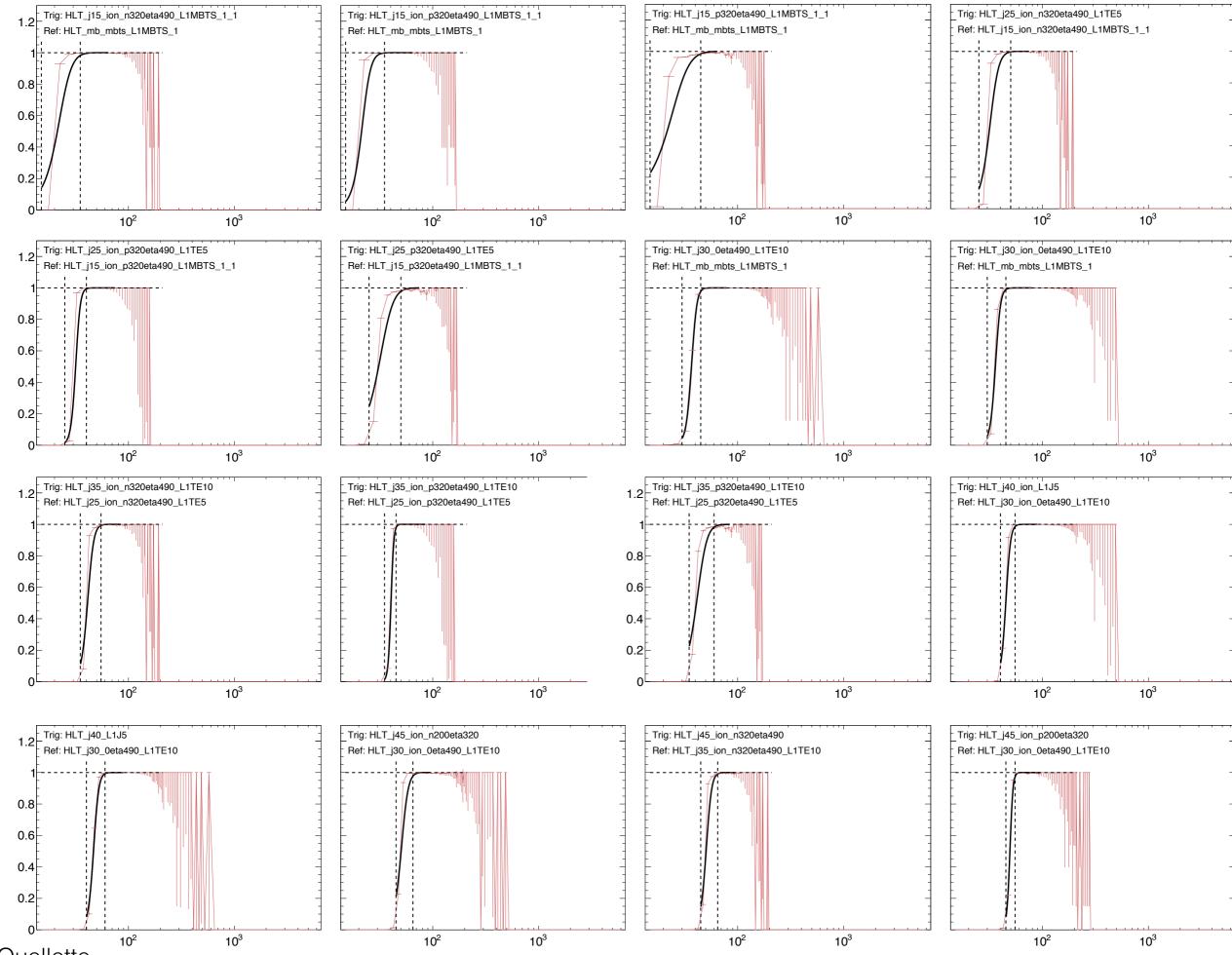
Last Time

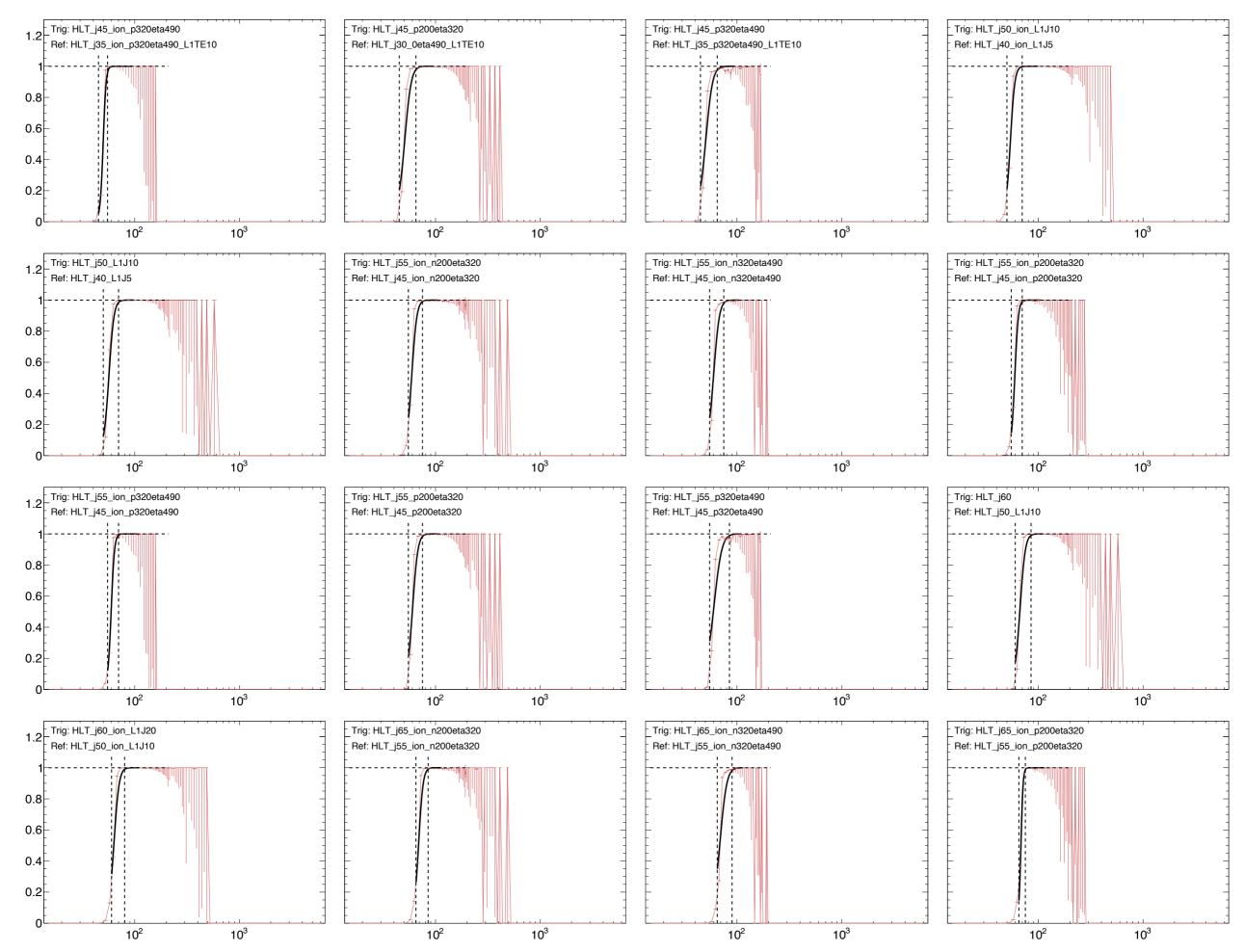
- Lumis improved from lumicalc prescale correction
- Trigger efficiency analysis performed via bootstrap
 - now fitting Fermi-Dirac for efficiency with points in (pt, pt+30) domain as suggested by Aaron
- Trigger selection was based on exposed luminosity instead of counts
 - have now added minbias trigger as a "revert" option for low-pt
- Most issues from last time resolved!
 - Excess in Bjorken's was a miscalculation of luminosity
 - "Hiccup" in inclusive jet spectrum caused by not discarding the disabled HEC region now accounted for
 - p-going FCAL was incorrectly assigned as Pb-going FCAL, leading to excess in FCAL at high x (so there were more very forward jets)

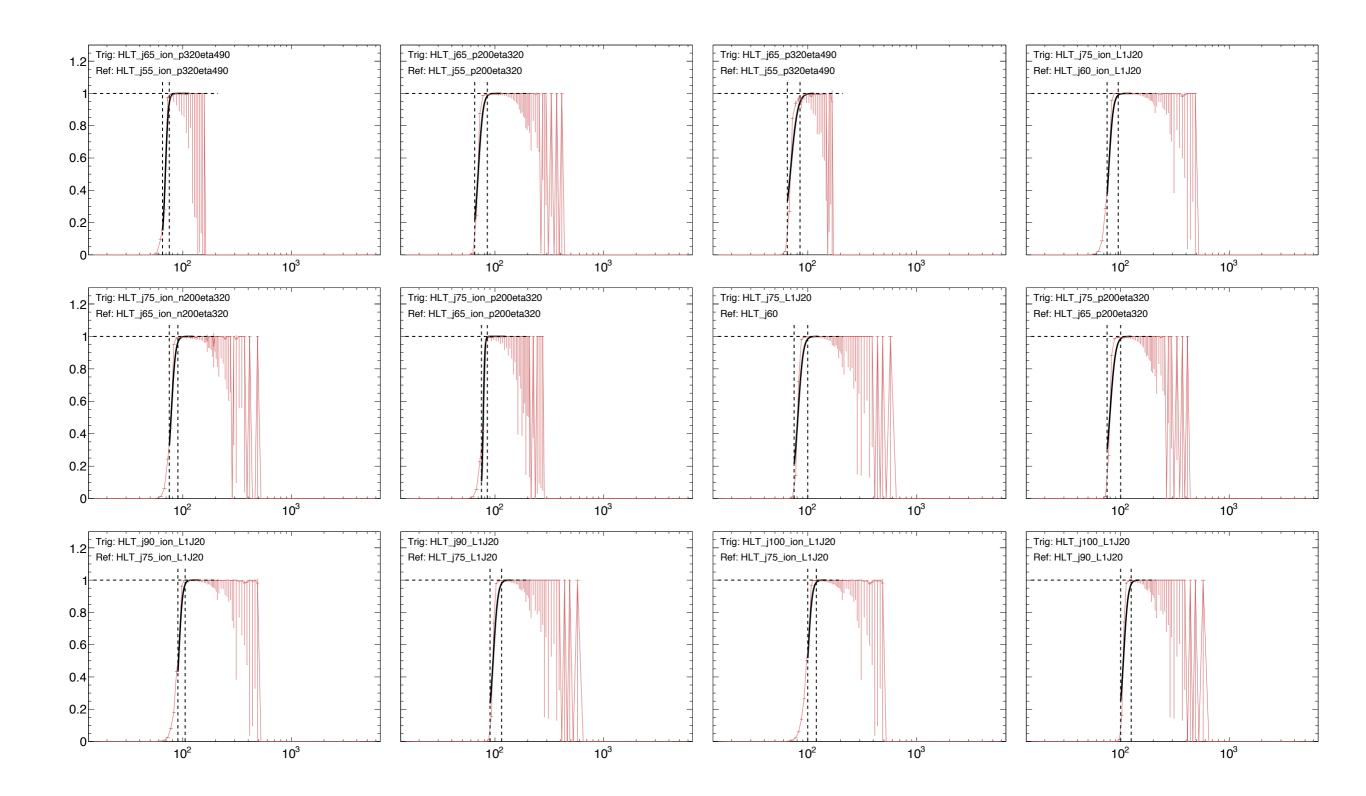
- Shown are bootstrapped efficiencies from 15-6000 GeV (for convenience with remainder of analysis)
- Left line = listed trigger threshold
- Right line = additional threshold required in analysis
- Fitted curve is a Fermi-Dirac-esque distribution with parameters λ, p₀

$$\varepsilon_{\mathrm{trig}}(p_T) = \frac{1}{1 + e^{\lambda(p_0 - p_T)}}$$

 Also tried a Gaussian error function, but the fits often missed the turn on region

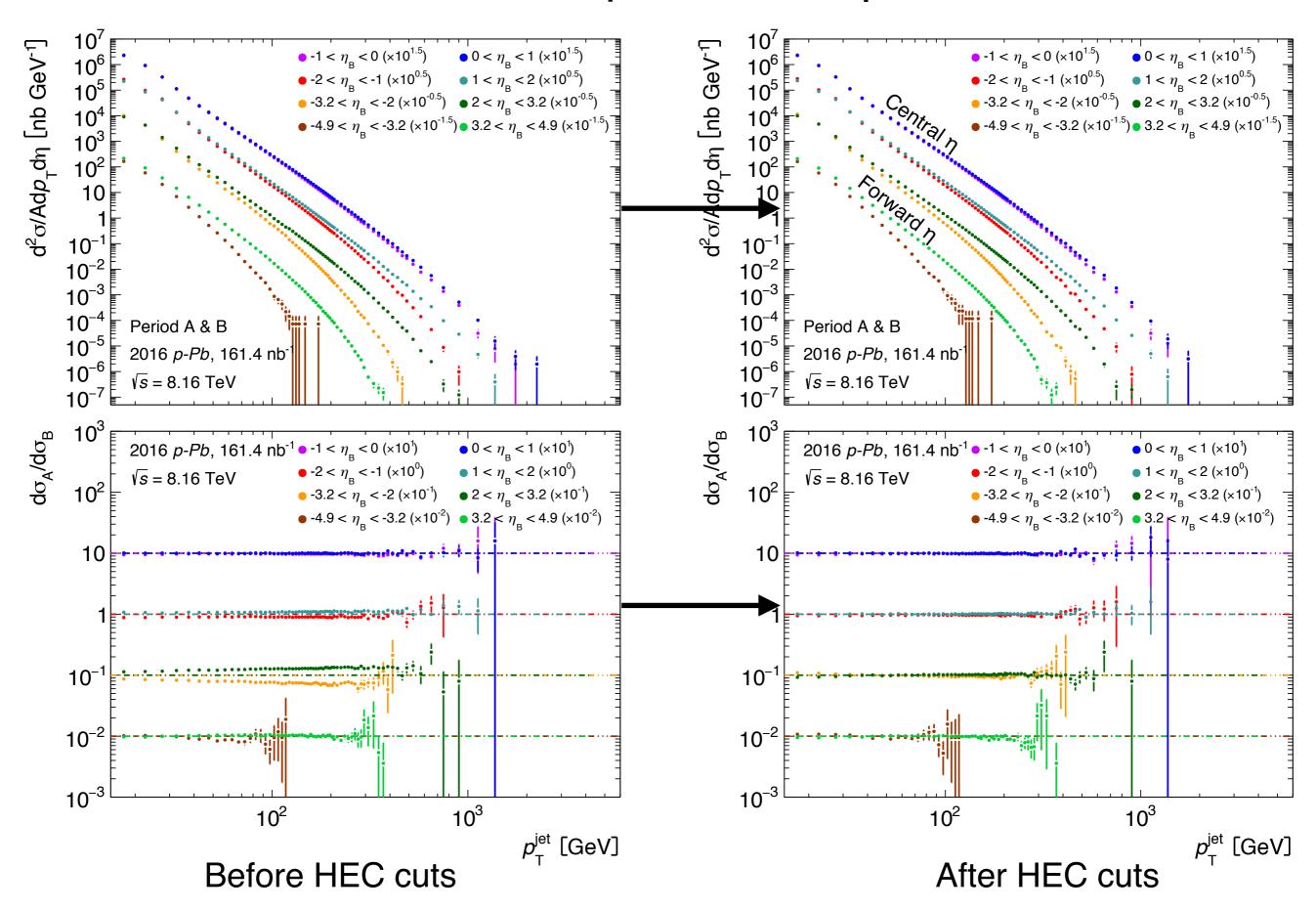




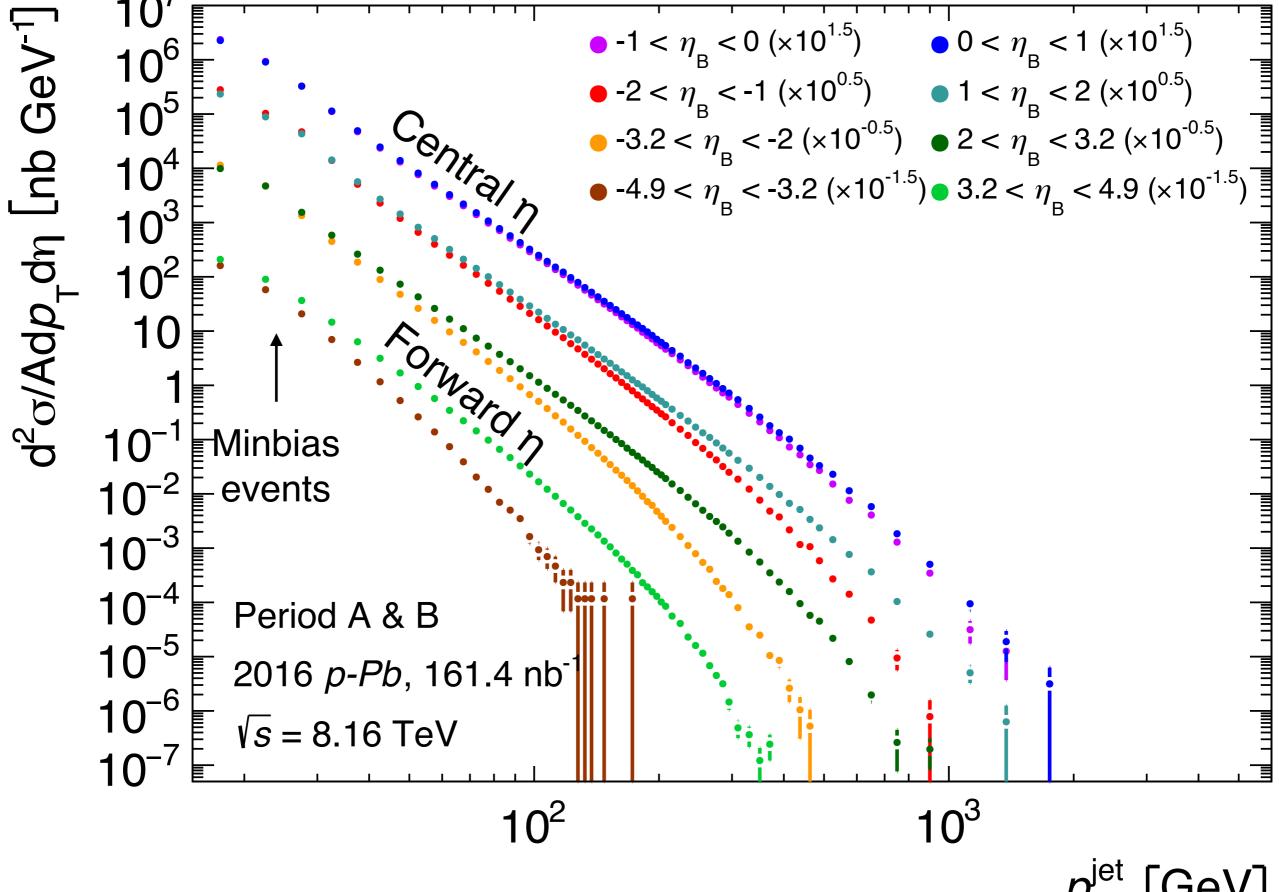


Part 1: Inclusive jets

Inclusive Jets - period A vs. period B



Inclusive Jets - Pt Spectrum • $-1 < \eta_{_{\rm B}} < 0 \ (\times 10^{1.5})$ • $0 < \eta_{_{\rm B}} < 1 \ (\times 10^{1.5})$ • $-2 < \eta_B^D < -1 \ (\times 10^{0.5})$ • $1 < \eta_B^D < 2 \ (\times 10^{0.5})$ • $-3.2 < \eta_{_{\rm B}} < -2 \ (\times 10^{-0.5})$ • $2 < \eta_{_{\rm B}} < 3.2 \ (\times 10^{-0.5})$ • $-4.9 < \eta_{_{\rm D}} < -3.2 \ (\times 10^{-1.5})$ • $3.2 < \eta_{_{\rm D}} < 4.9 \ (\times 10^{-1.5})$



[GeV]

Inclusive Jets Pt Spectrum - summary

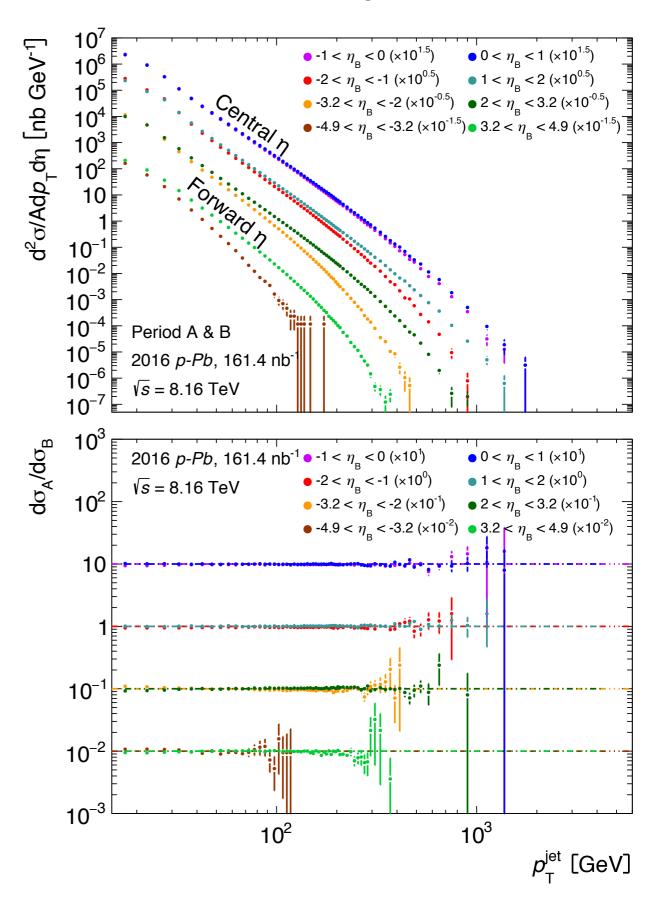
Event selection:

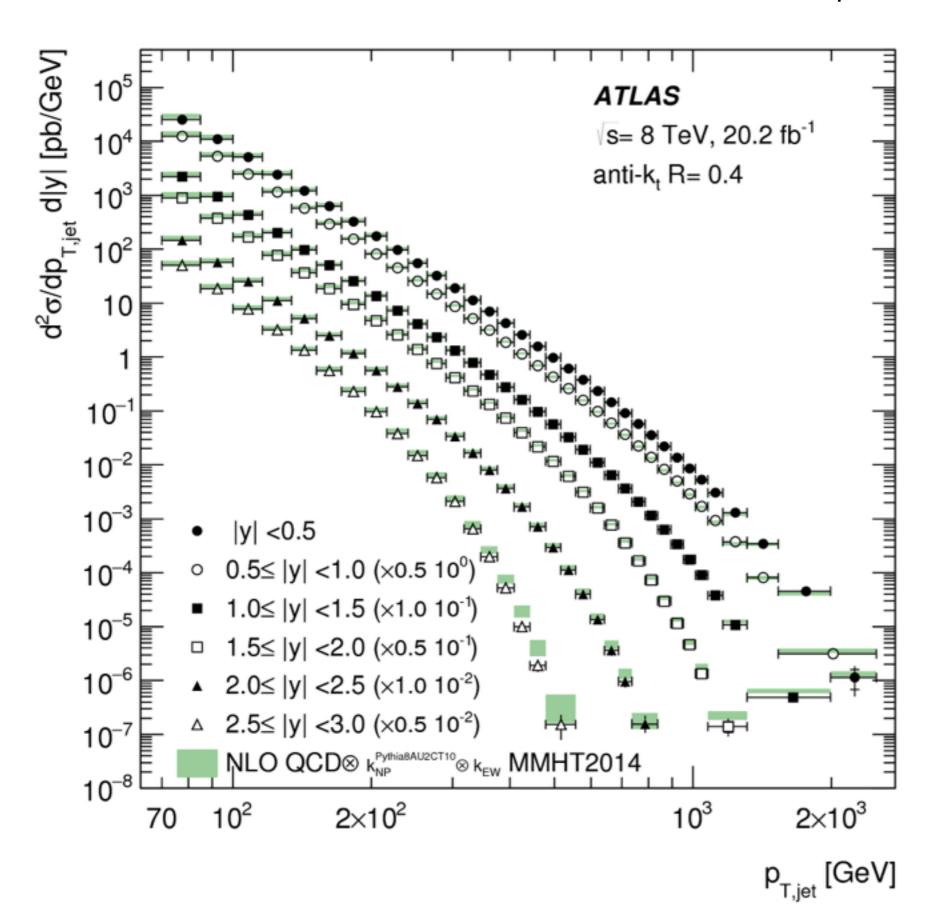
- GRL
- Clean events
- Clean jets
- 1 primary vertex
- Jets outside of HEC

Filling scheme:

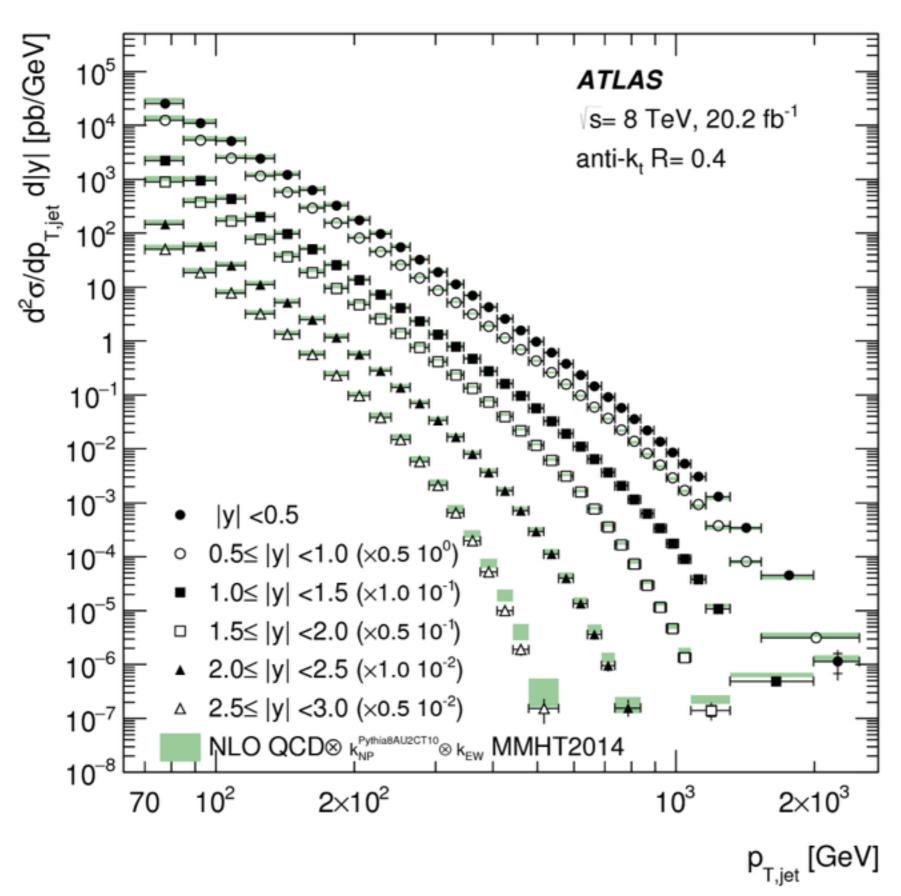
- Trigger only above threshold
- Divide by efficiency curve at jet pt and total luminosity (across all runs) in that phase space bin
- Multiply by ratio of area cut out by HEC

So: jet weight = 2π / (luminosity x efficiency x uncut area in phi)



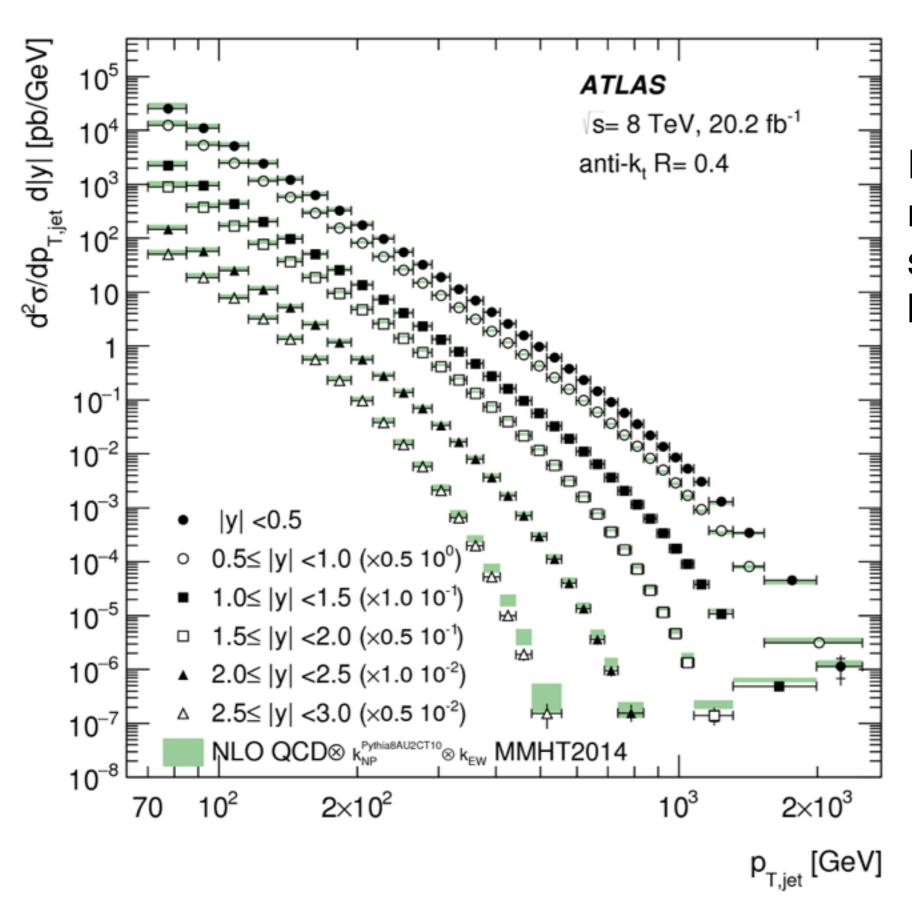


(arXiv 1706.03192)



Problem: how to maintain triggering scheme while matching bins in rapidity?

(arXiv 1706.03192)

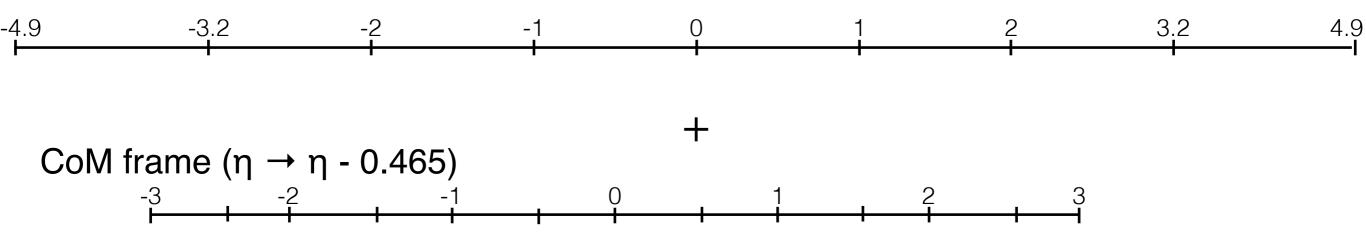


Problem: how to maintain triggering scheme while matching bins in rapidity?

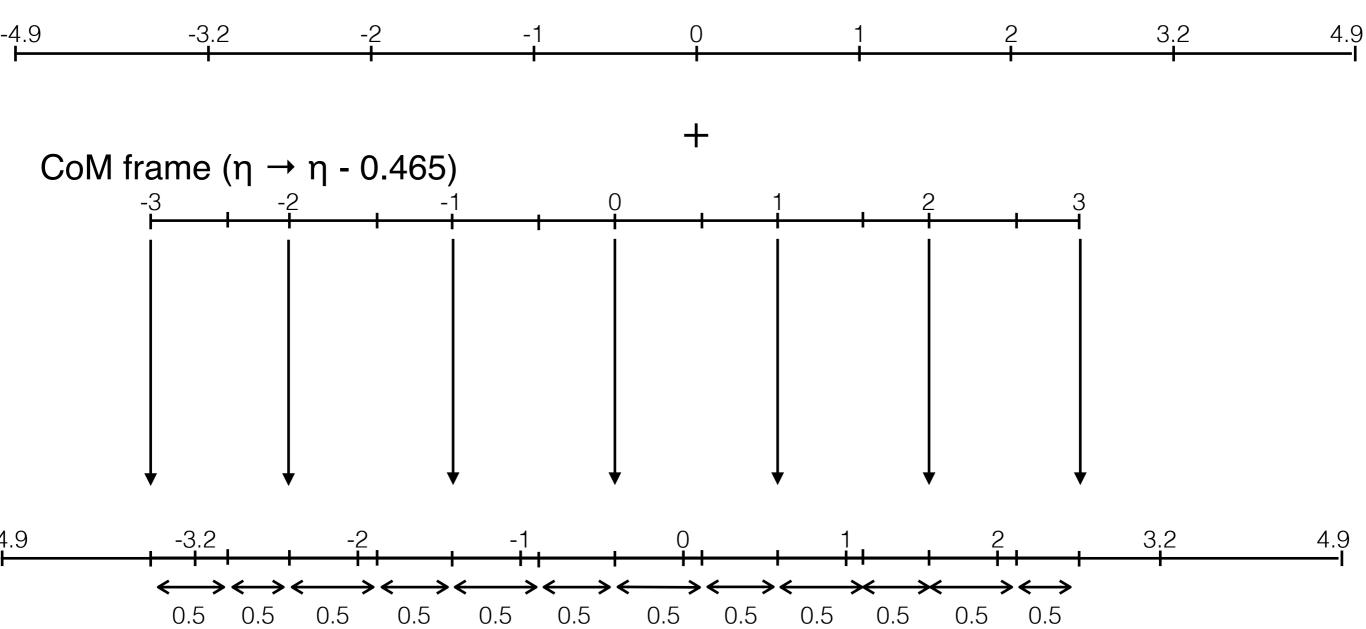
→ cross-sections
are probabilities
and can be added

(arXiv 1706.03192)



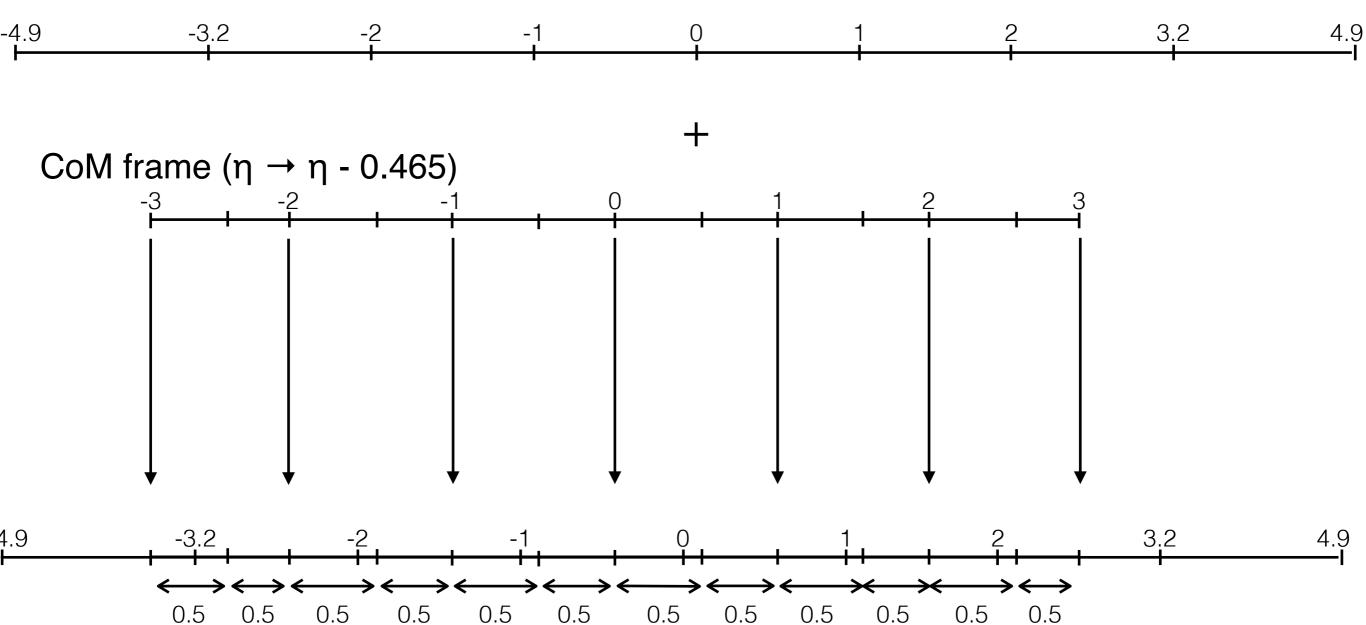






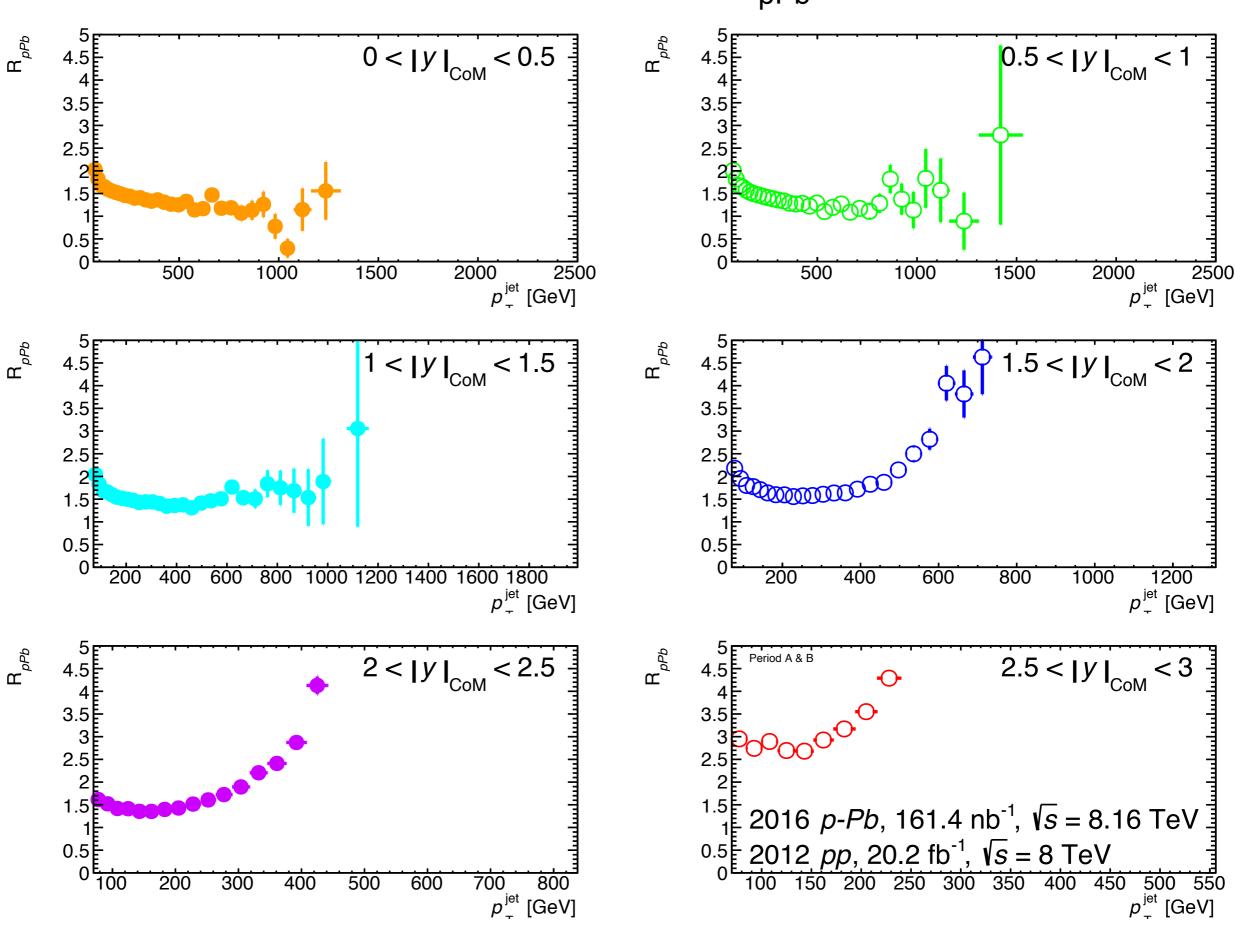
^{**}figures are illustrative and not to scale**





Each bin now has its own trigger and can be treated "normally" until cross-sections are added:

$$\frac{d\sigma}{dp_T}|_{\eta\in(1,2)} = \frac{d\sigma}{dp_T}|_{\eta\in(1,1+\epsilon)} + \frac{d\sigma}{dp_T}|_{\eta\in(1+\epsilon,2)}$$



Part 2: Dijets

$$x_p = \frac{1}{\sqrt{s_{NN}^{avg}}} \sqrt{\frac{Z}{A}} \left(p_{T3} e^{\eta_3} + p_{T4} e^{\eta_4} \right)$$

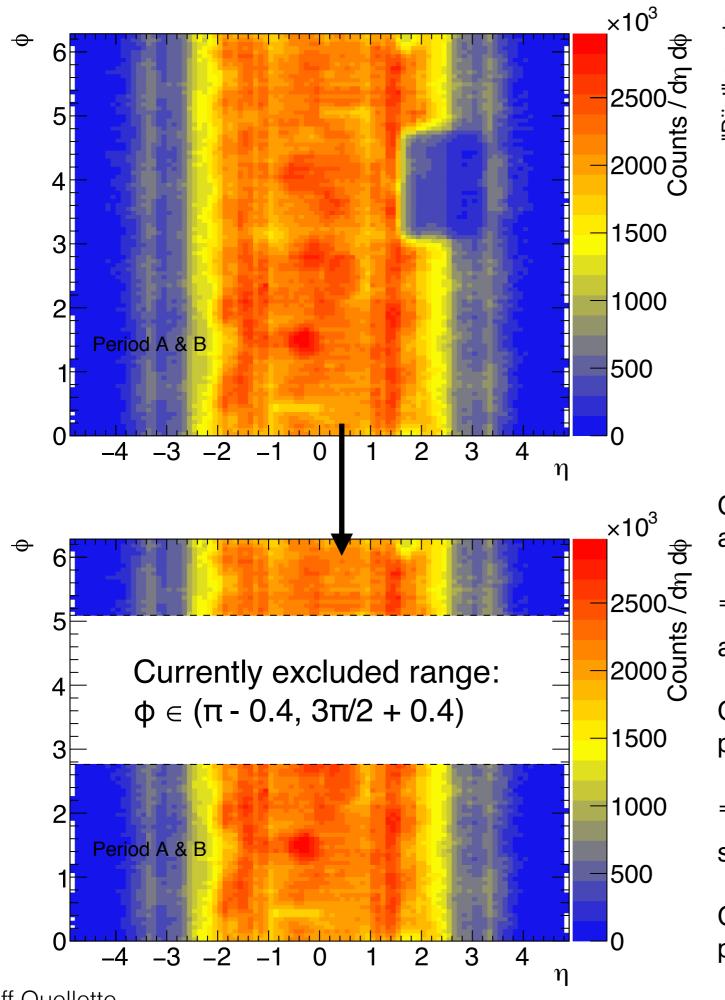
$$x_a = \frac{1}{\sqrt{s_{NN}^{avg}}} \sqrt{\frac{A}{Z}} \left(p_{T3} e^{-\eta_3} + p_{T4} e^{-\eta_4} \right)$$

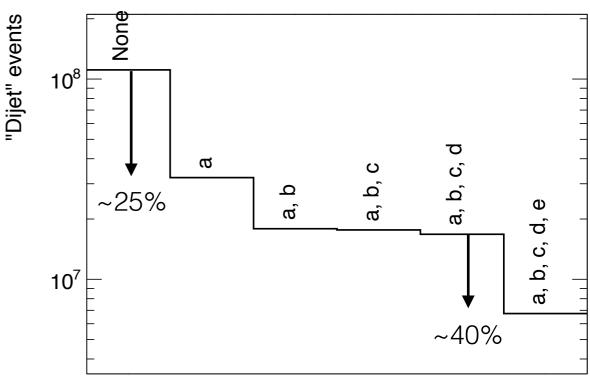
Also note:

$$Q^2 = \sqrt{\frac{A}{Z}}\sqrt{s}x_p \left(p^0 - \sqrt{(p^0)^2 - p_T^2}\right)$$

(just an exponential transformation of the jets)

Will focus on increasing levels of event selection, and effects on x-distributions





Event selection criteria

Can "correct" for cut by dividing out phase space area of HEC region.

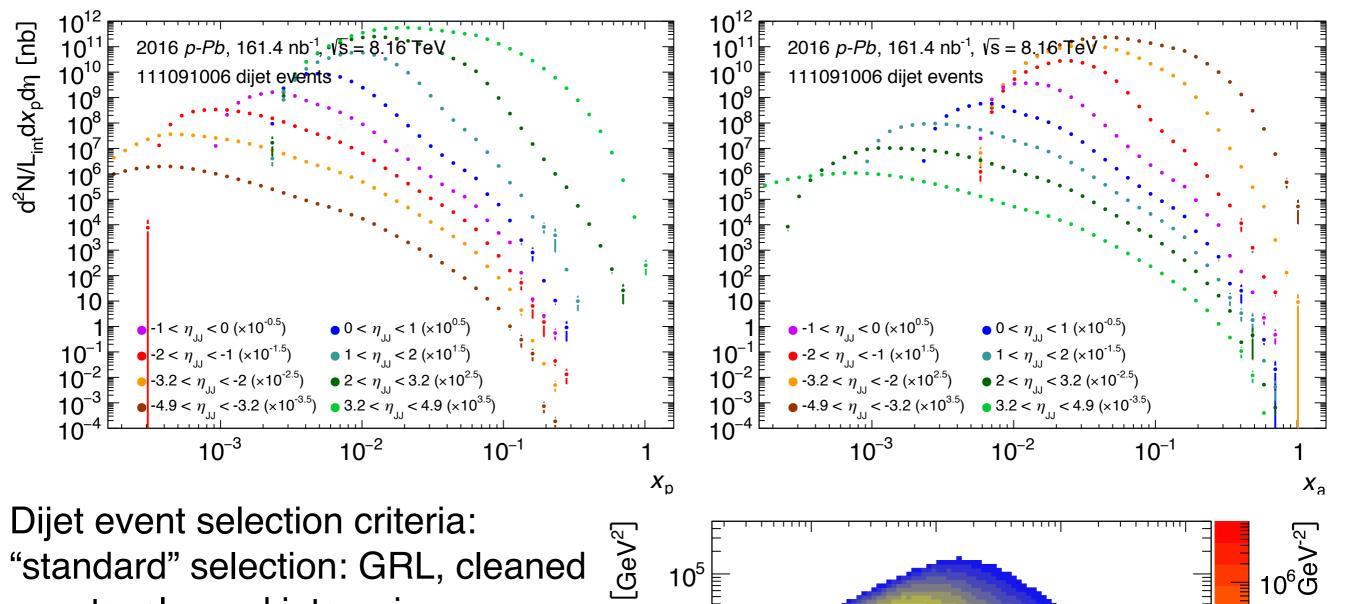
 \Rightarrow More detailed cut would need to take into account η dependence in correction.

Correction factor is invalid in dijets since available phase space of one jet is constrained by the other.

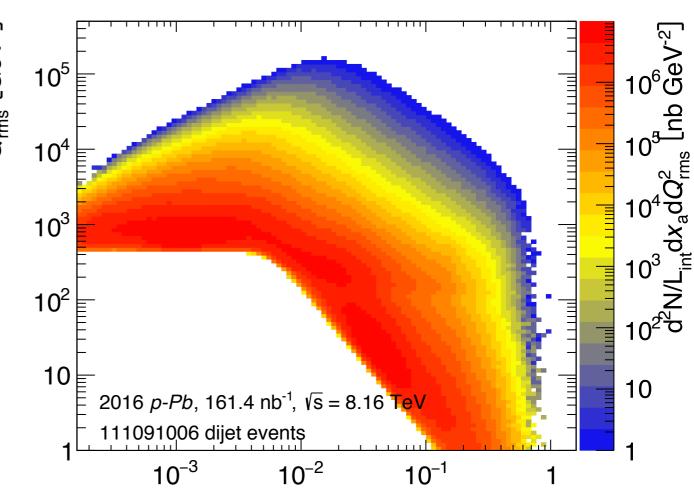
⇒ Counts / luminosity is reported, not "crosssection"

Current approach: use correction in inclusive jets production, but not in dijets.

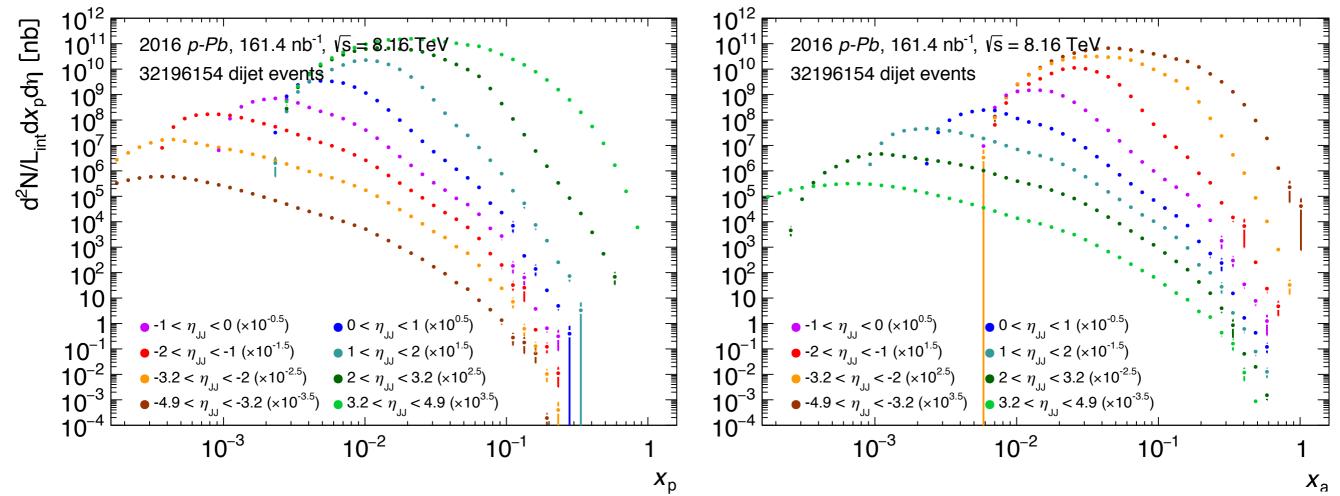
Jeff Ouellette



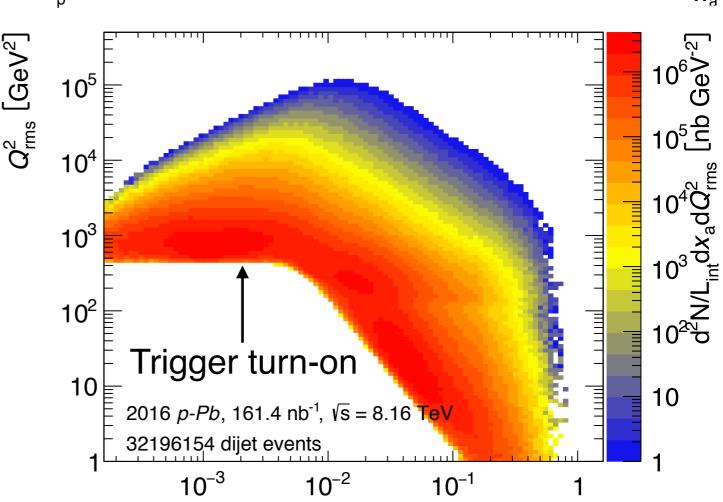
"standard" selection: GRL, cleaned events, cleaned jets, primary vertex, 2+ jets, leading jet trigger



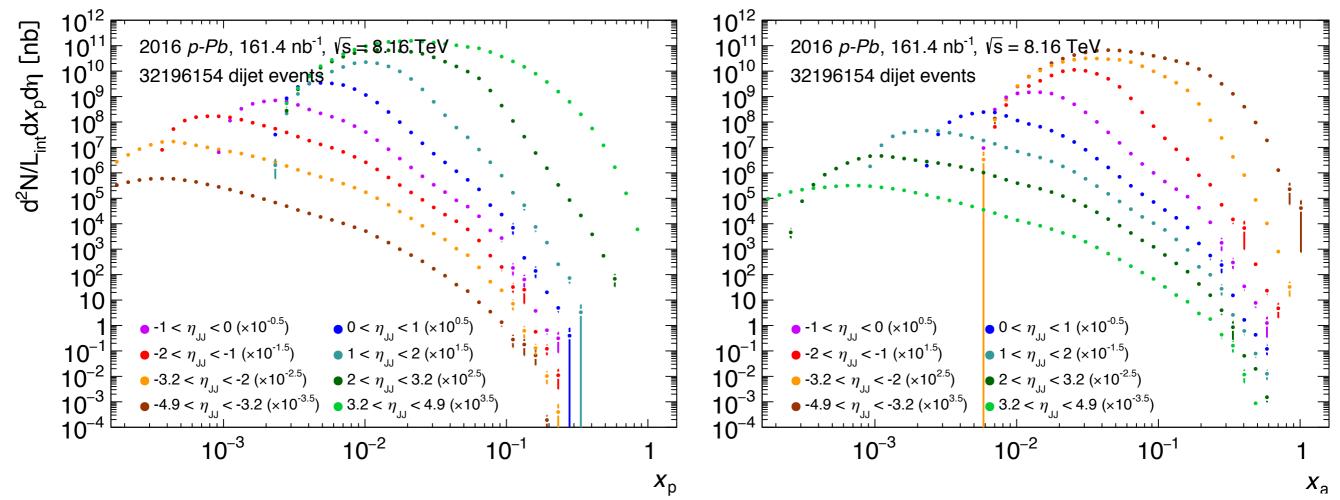
Jeff Ouellette



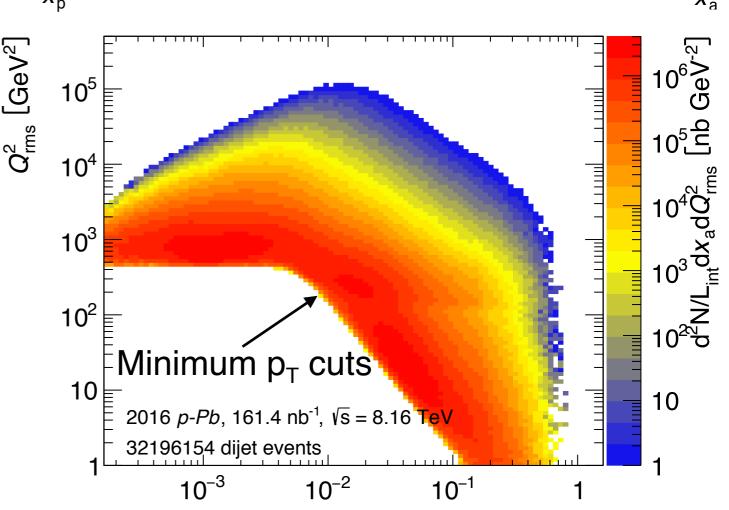
+ (a) jets not inside disabled HEC

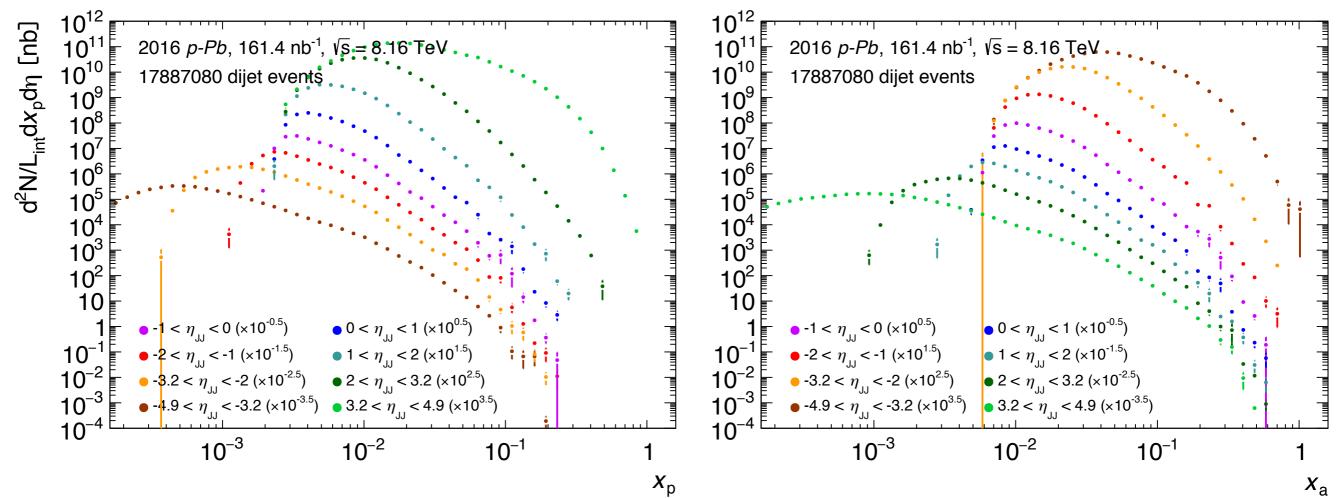


Jeff Ouellette

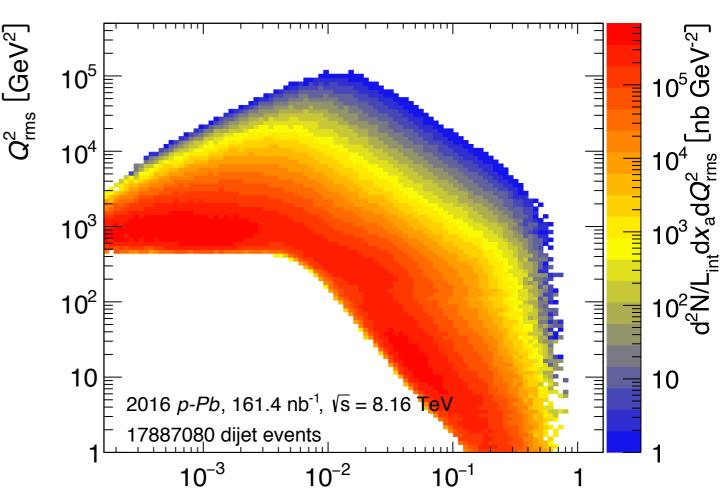


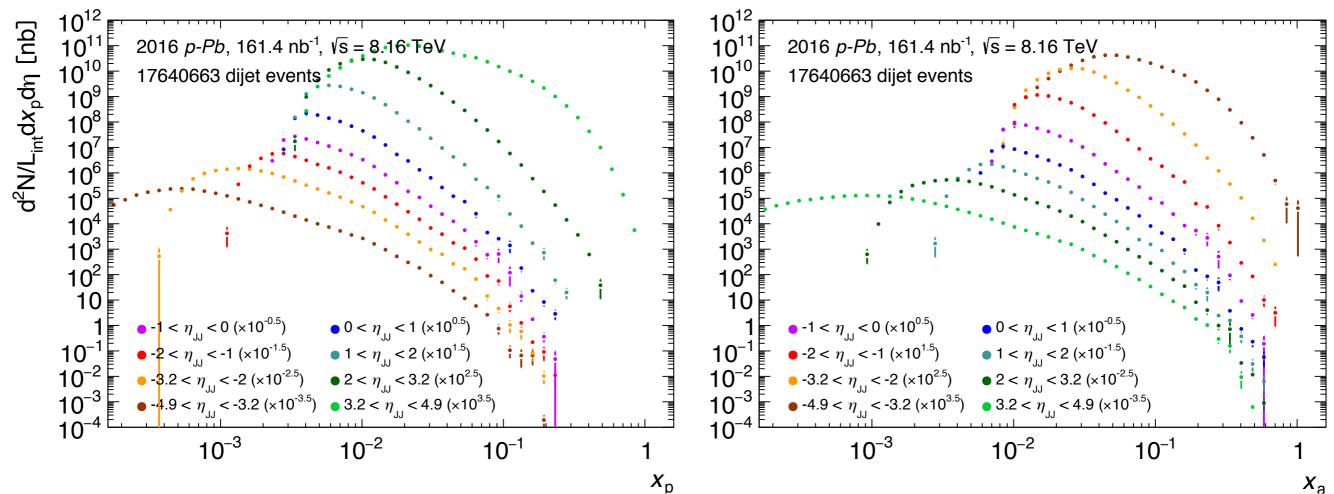
+ (a) jets not inside disabled HEC



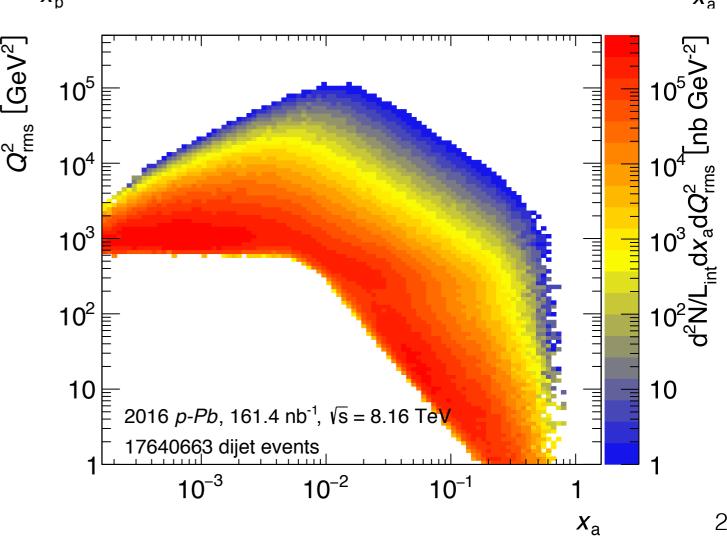


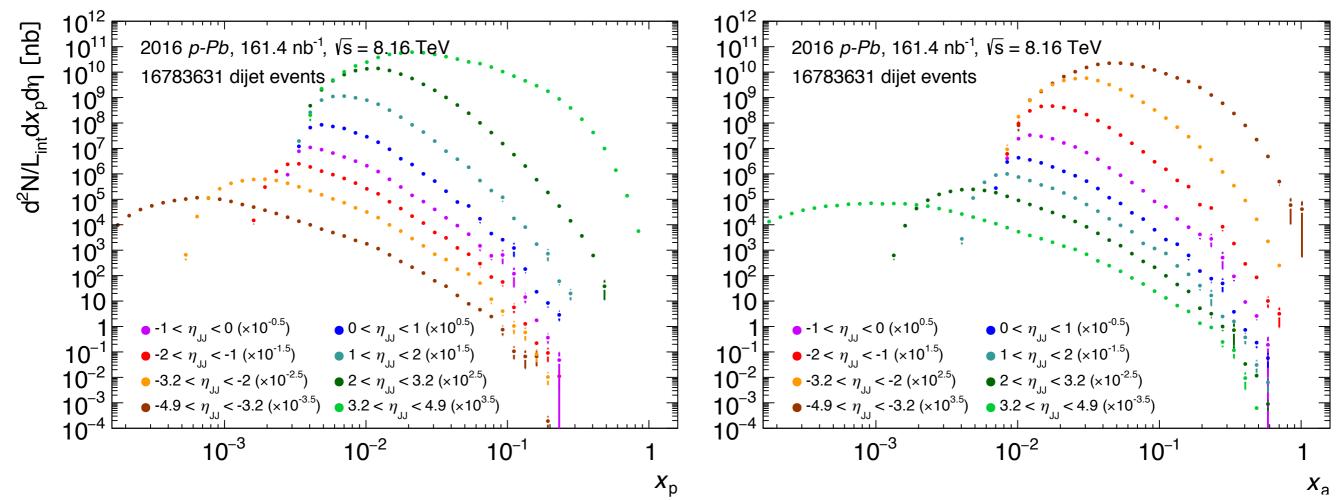
- + (a) jets not inside disabled HEC
- + (b) $\Delta \Phi \ge 7\pi/8$



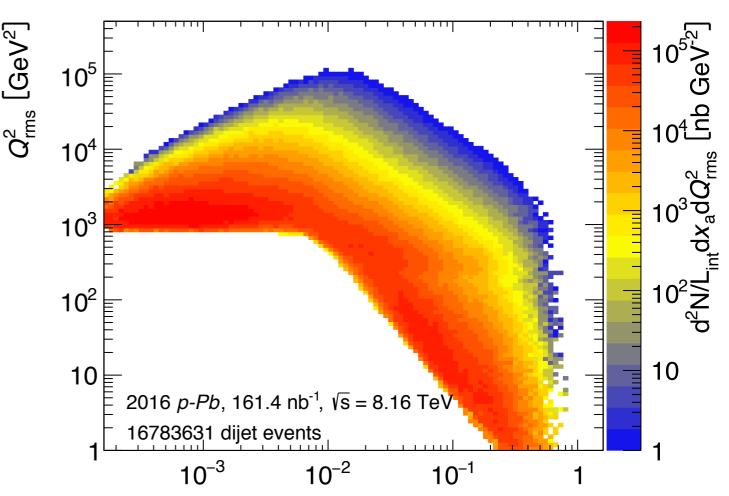


- + (a) jets not inside disabled HEC
- + (b) $\Delta \phi \ge 7\pi/8$
- + (c) leading jet p_T ≥ 20 GeV



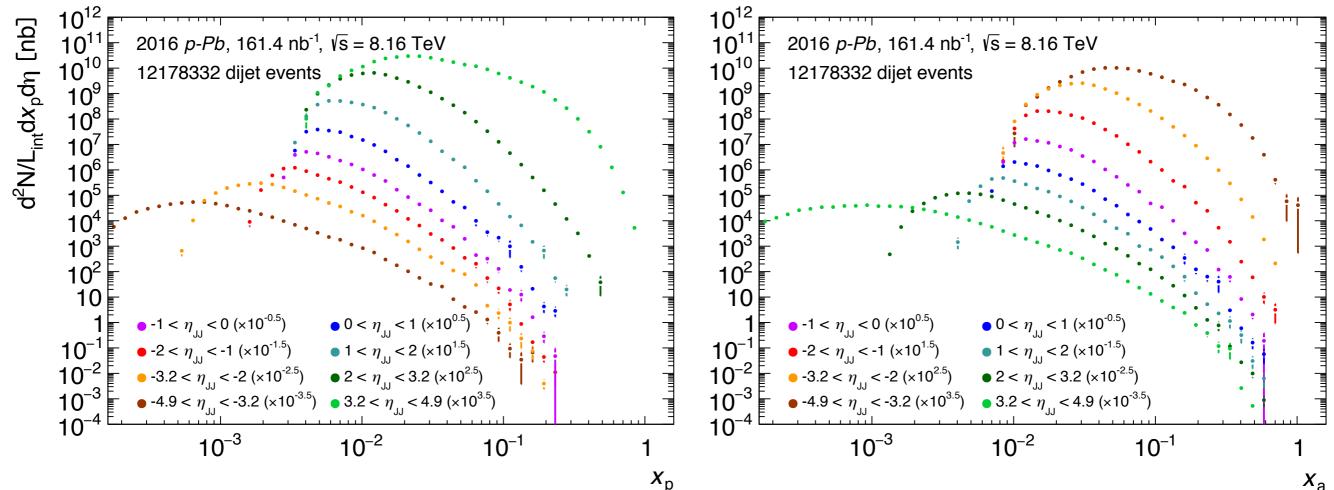


- + (a) jets not inside disabled HEC
- + (b) $\Delta \varphi \ge 7\pi/8$
- + (c) leading jet p_T ≥ 20 GeV
- + (d) subleading jet $p_T \ge 20 \text{ GeV}$

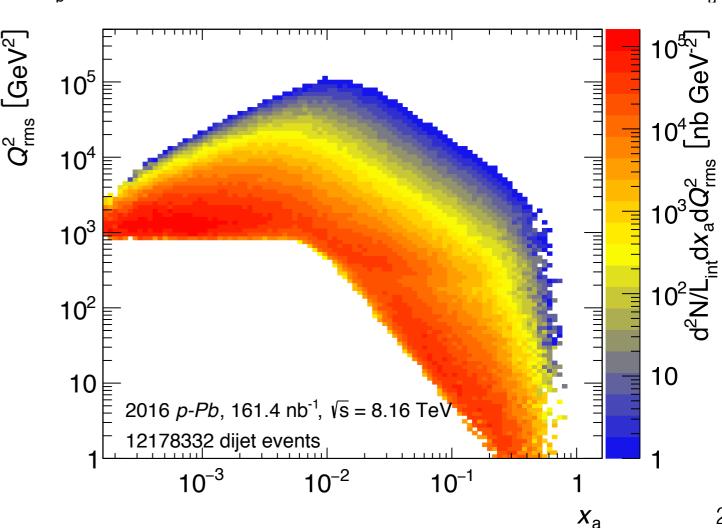


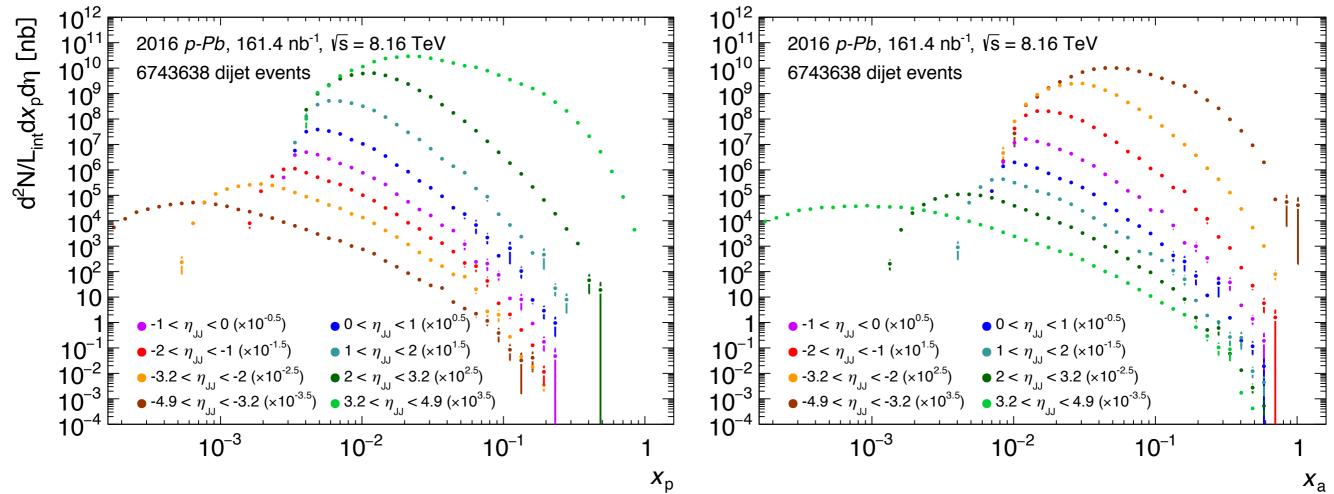
Jeff Ouellette

 X_{a}

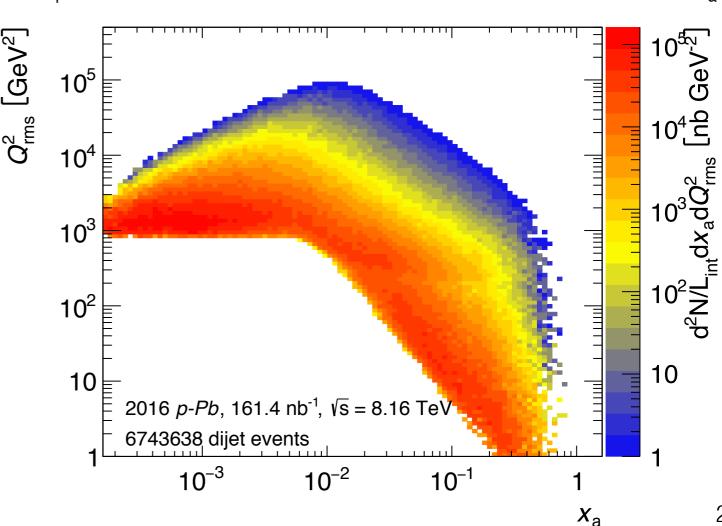


- + (a) jets not inside disabled HEC
- + (b) $\Delta \phi \ge 7\pi/8$
- + (c) leading jet p_T ≥ 20 GeV
- + (d) subleading jet p_T ≥ 20 GeV
- + (e) third jet/leading jet $p_T \le 0.4$

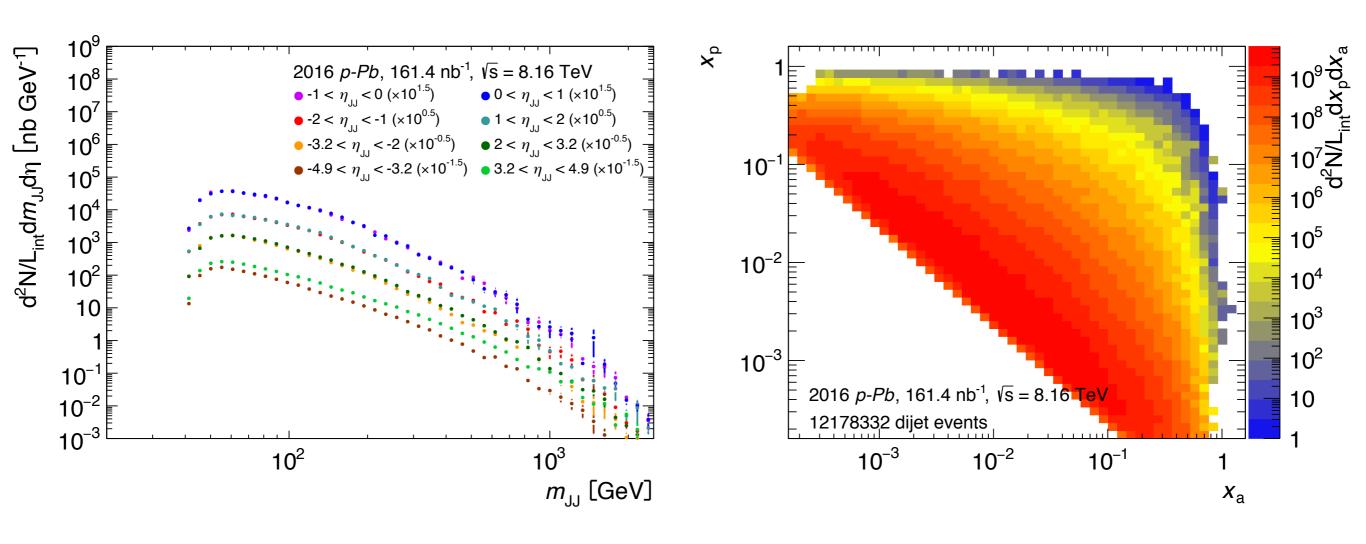




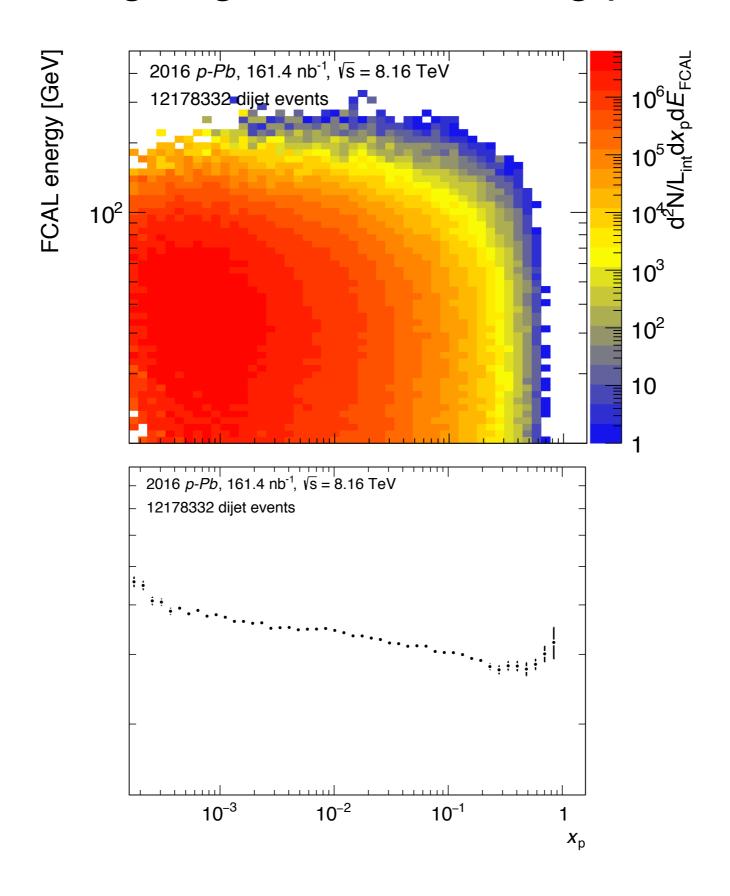
- + (a) jets not inside disabled HEC
- + (b) $\Delta \phi \ge 7\pi/8$
- + (c) leading jet p_T ≥ 20 GeV
- + (d) subleading jet p_T ≥ 20 GeV
- + (f) third jet/leading jet $p_T \le 0.2$



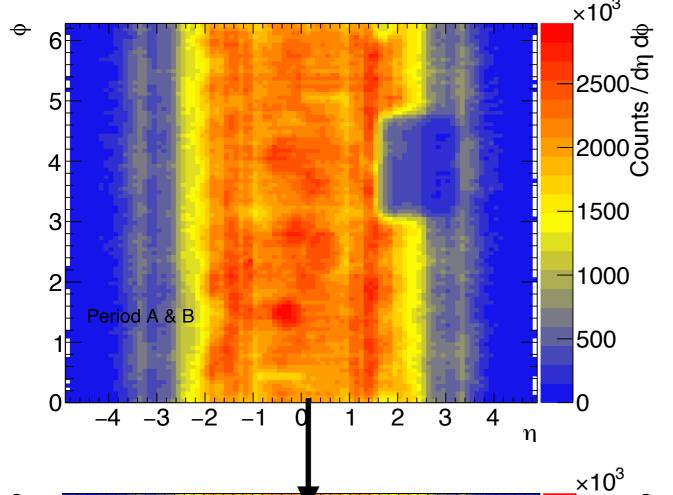
Dijets - invariant mass and x_a-x_p correlation



Dijets - Pb-going FCAL "shrinking proton plot"



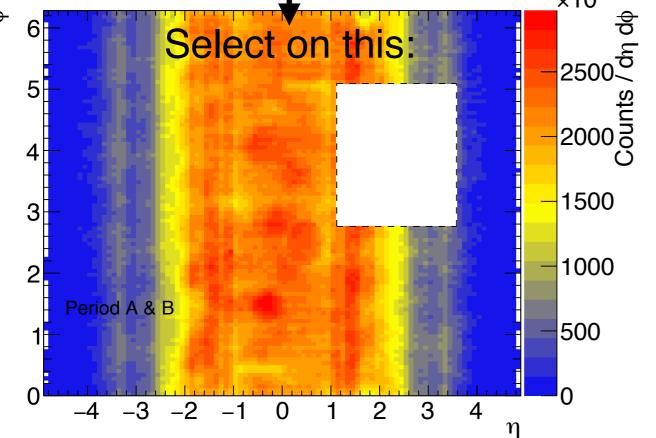
Next steps - "Averaging out" the HEC?

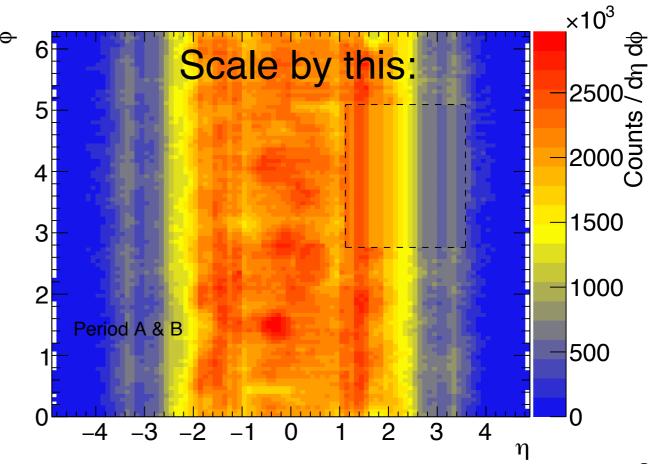


By generalizing previous scale factor, expect to weight jets by:

$$\sim \frac{\int \frac{d^2 N}{d\phi d\eta} d\phi d\eta}{\int_{\text{\notin HEC}} \frac{d^2 N}{d\phi d\eta} d\phi d\eta}$$

Technicality: in case of η binning, only integrate over relevant bin! ⇒ weight often reduces to 1





Summary:

- Biggest problems from last time all fixed
- Different dijet event selection methods examined
- Approaching point where MC is going to be needed - good progress on production being made (https://prodtask-dev.cern.ch/prodtask/ inputlist_with_request/14773/)

Current strategy:

- revise HEC region cuts to avoid losing too much coverage in pseudorapidity
- can try "filling" in HEC with average over remaining φ coverage?