

**CHEM / BCMB 4190/6190/8189**

**Introductory NMR**

Lecture 10

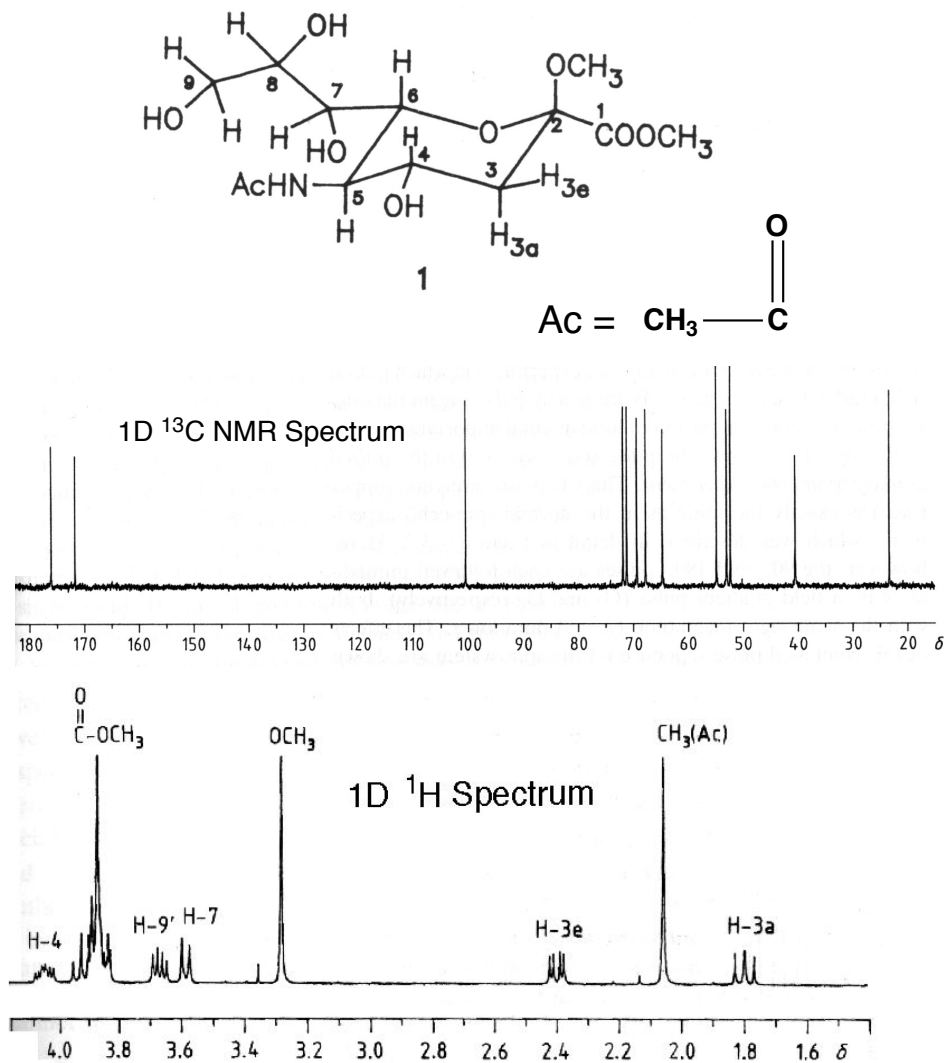
## Introduction to Complex Pulse Sequences

### Beyond simple 1D spectra:

Simple 1D  $^1\text{H}$  and  $^{13}\text{C}$  spectra are not always sufficient for assigning even small organic compounds. The main problems are:

- 1) Assignment of the 1D spectra
- 2) Low S/N in spectra of insensitive nuclei with low natural abundance (e.g.  $^{13}\text{C}$ ,  $^{15}\text{N}$ )

### Example: Neuraminic Acid derivative 1



**We would also like to use the following information:**

- 1)  $^{13}\text{C}$ - $^1\text{H}$  correlations
  - 2) The number of protons attach to one carbon
  - 3)  $^1\text{H}$ - $^1\text{H}$  correlations
  - 4)  $^{13}\text{C}$ - $^{13}\text{C}$  correlations
- etc.

**SOLUTION:**      **Complex pulse sequences**

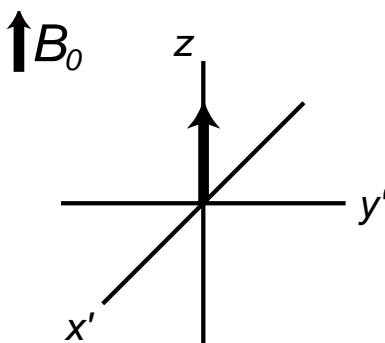
**Use multiple pulses, delays and decoupling schemes**

- **Various pulses:**      hard pulses:  $90^\circ\text{x}$ ,  $90^\circ\text{y}$ ,  $180^\circ\text{x}$ ,  $180^\circ\text{y}$ , etc.  
selective pulses:  $90^\circ\text{x}$ ,  $90^\circ\text{y}$ ,  $180^\circ\text{x}$ ,  $180^\circ\text{y}$ , etc.  
pulse field gradients
- **Various delays:**      fixed or variable delays
- **Decoupling:**      for selective or broadband decoupling

To analyze the effect of complex pulse sequences we use:

A) Vector Diagrams:

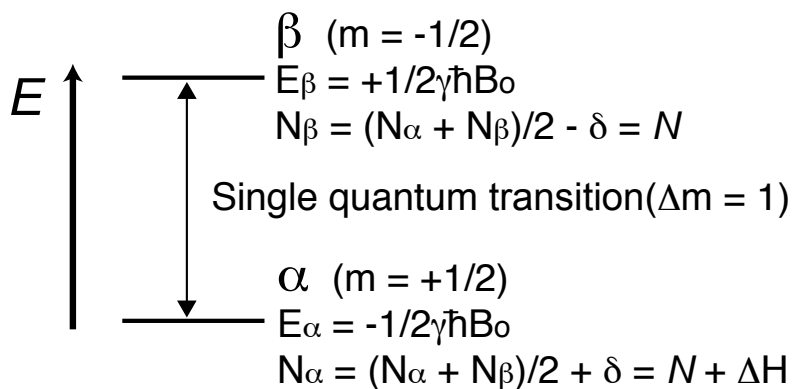
- They are **EXTREMELY** useful, but it is important to know that they have certain limitations i.e. difficult to explain 2nd order spectra, population transfer, zero or multiple quantum coherence, etc.
- For ease of representation, usually in the rotating frame ( $x'$ ,  $y'$ , and  $z$ ) instead of the laboratory frame ( $x$ ,  $y$ , and  $z$ ) . Very important to know what is the frequency ( $\nu$ ) of the rotating frame.



B) Energy Diagrams:

- **EXTREMELY** useful for understanding energy transfer in certain experiments (e.g.: SPT, INEPT, HSQC)

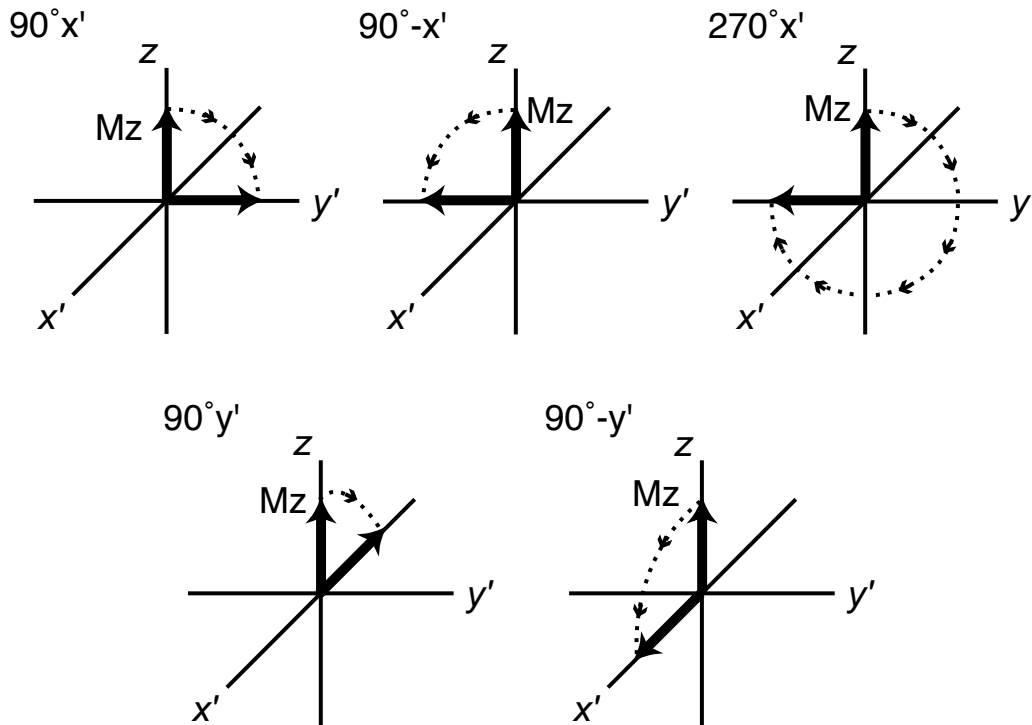
For  $^1\text{H}$  at equilibrium:



**Effect of a pulse on the longitudinal magnetization ( $M_z$ ):**

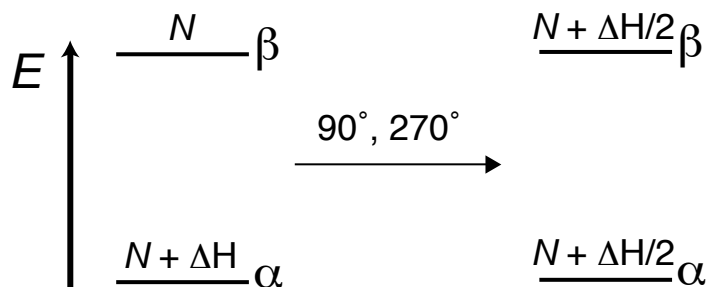
- At equilibrium ( $M_z$ ):
  - ◆ Bulk magnetization along z caused by  $B_0$
  - ◆ Excess population in the  $\alpha$  state
- After  $90^\circ$ ,  $270^\circ$  pulses:

**Vector diagrams:**  $B_1$  field brings  $M_z$  to the  $x'$ - $y'$  plane



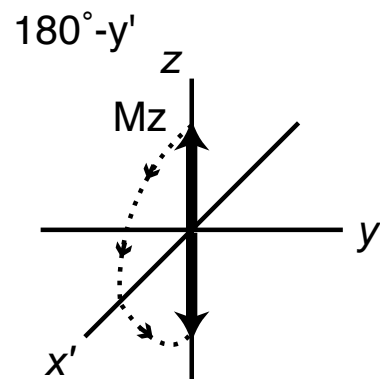
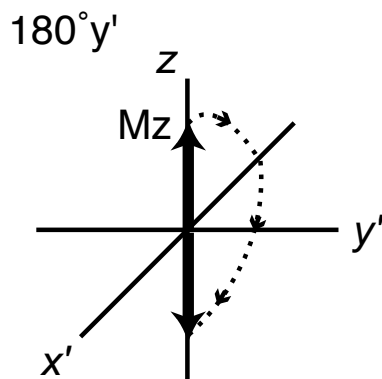
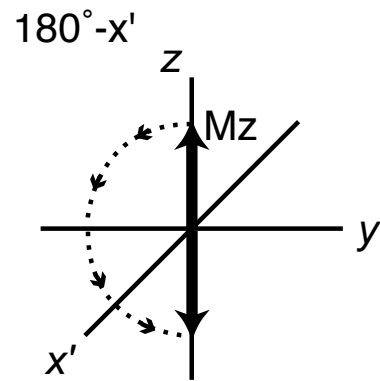
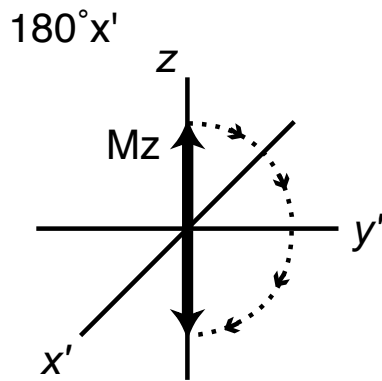
**Energy diagram:** The populations of  $\alpha$  and  $\beta$  are now equal

For  $^1\text{H}$ :



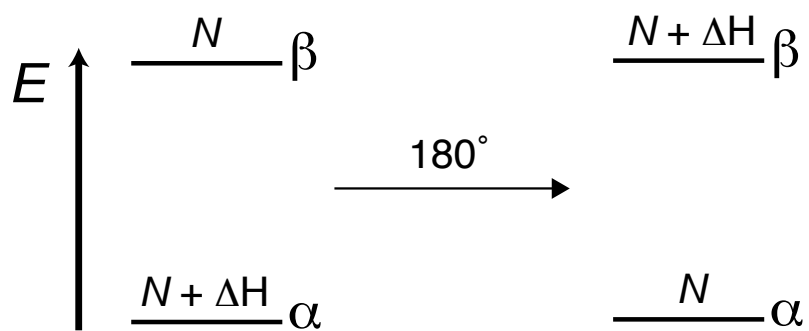
- After  $180^\circ$  pulses:

**Vector diagrams:** B1 field inverts Mz



**Energy diagram:** The populations of  $\alpha$  and  $\beta$  are inverted

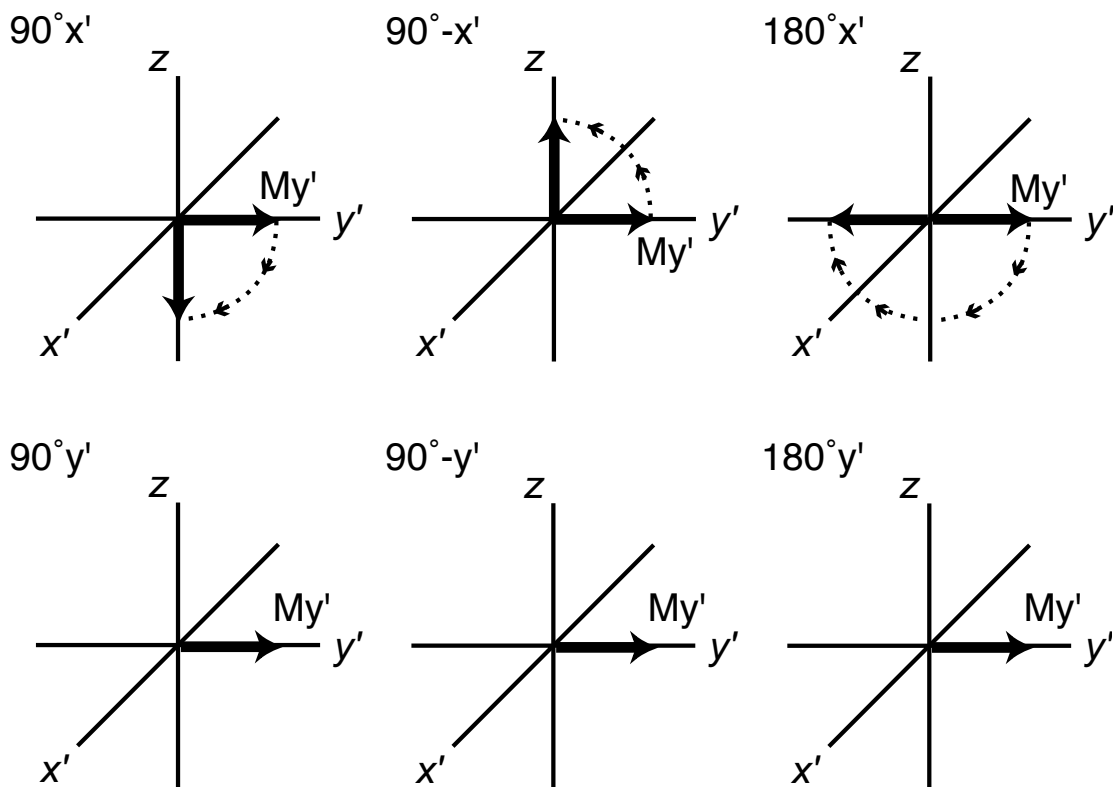
For  $^1\text{H}$ :



### Effect of a pulse on the transverse magnetization ( $M_x'$ , $M_y'$ ):

- The transverse magnetization ( $M_x'$ ,  $M_y'$ ) is not at equilibrium
  - ◆ Bulk magnetization in the  $x'$ - $y'$  plane
  - ◆ Equal populations in the  $\alpha$  and  $\beta$  states
- Effect of  $90^\circ$  and  $180^\circ$  x and y pulses on transverse magnetization with  $M_y'$  component only

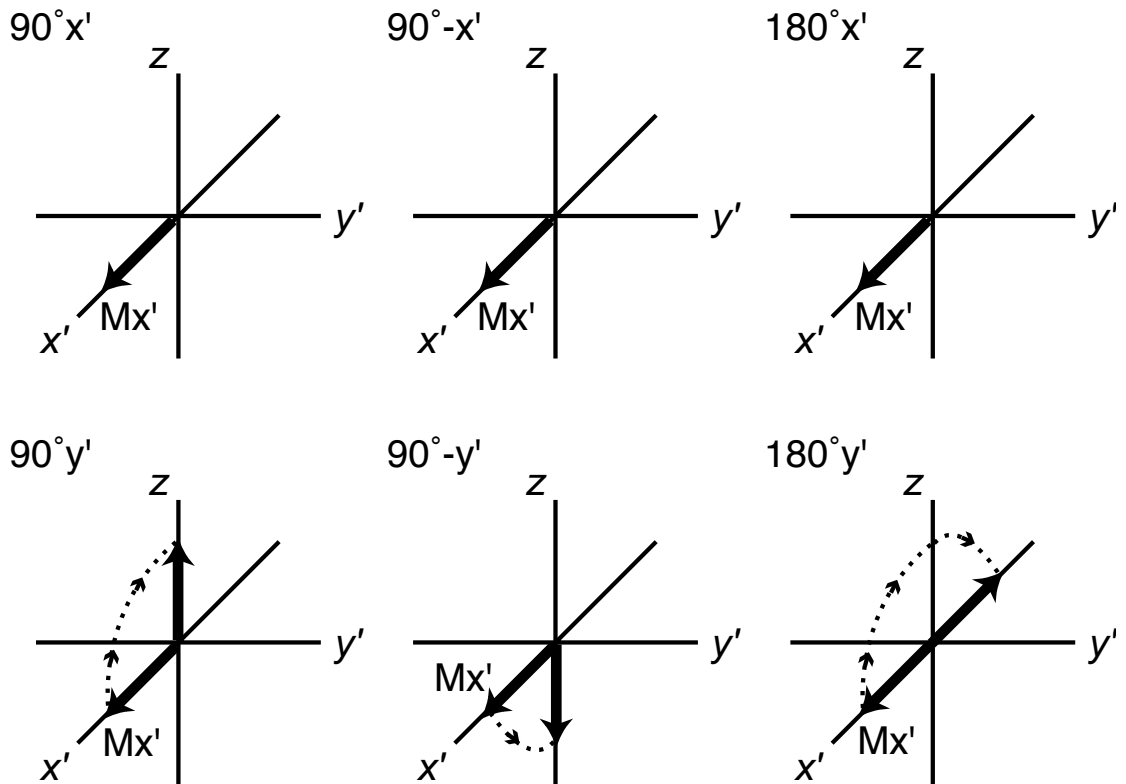
### Vector diagrams:



Energy diagrams: It all depends where the final magnetization ends up (See above).

- Effect of  $90^\circ$  and  $180^\circ$  x and y pulses on transverse magnetization with  $M_{x'}$  component only

**Vector diagrams:**



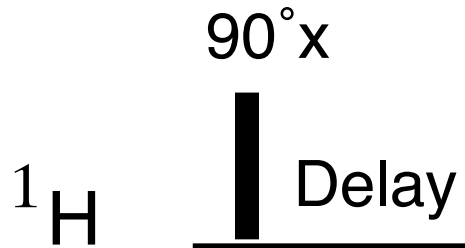
**Energy diagrams:** It all depends where the final magnetization ends up (See above).



- Transverse magnetization with  $M_{x'}$  and  $M_{y'}$  components:

Where does it come from ?

Lets consider a simple pulse sequence:

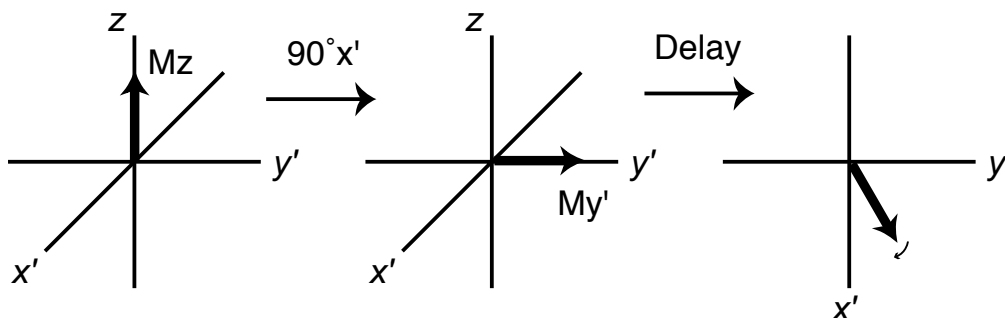


### Vector diagrams:

A) Effect of Chemical Shift Evolution:

example:

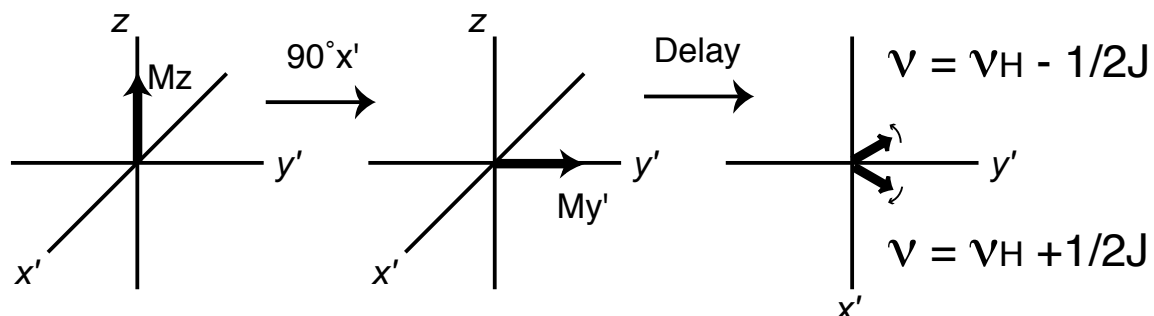
$$\nu_H = \nu_{rf} + 200 \text{ Hz}$$



B) Effect of J coupling:

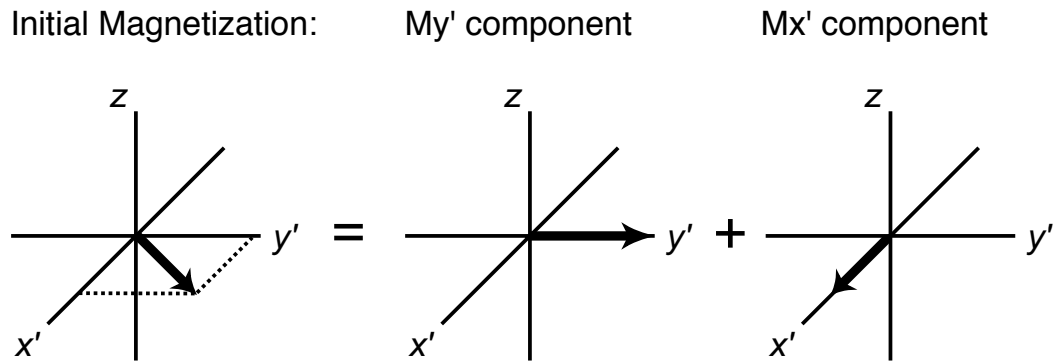
example:

$$\nu_H = \nu_{rf}$$

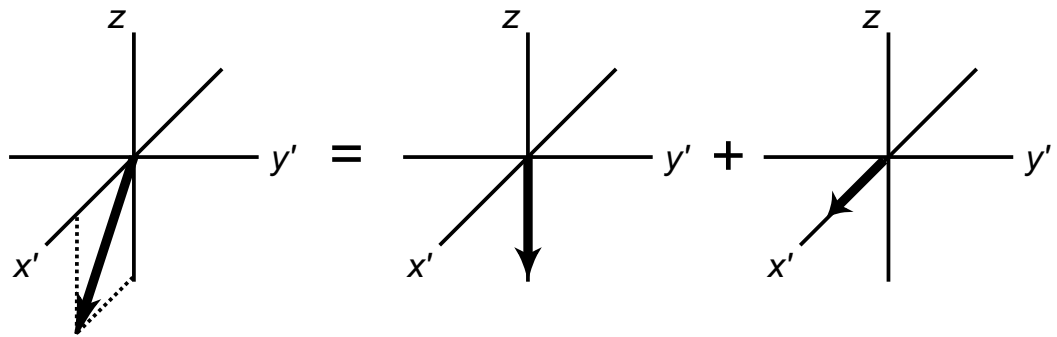


- Effect of  $90^\circ x$  pulse on transverse magnetization with  $M_{x'}$  and  $M_{y'}$  components

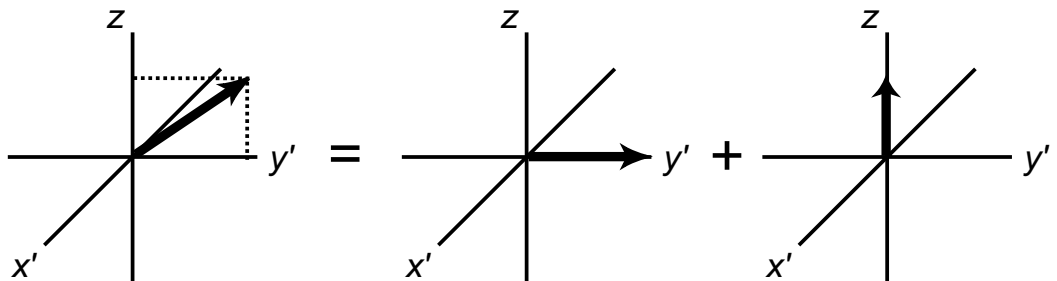
Vector diagrams:



After  $90^\circ x'$  pulse:



After  $90^\circ y'$  pulse:



- Effect of  $180^\circ$  x and y pulses on transverse magnetization with  $M_{x'}$  and  $M_{y'}$  components

Vector diagrams:

